

The structure and interaction of silica in plant cell walls: Data analysis report

Felipe Beltran

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Introduction

In this document we will save all data manipulation and analysis related to the infrared spectra from the project: **The structure and interaction of silica in plant cell walls**

Loading data into R

First, we create an object called `names`, which is a `list`, in which we will save the names of the files with the `.CSV` extension contained in this folder.

```
names <- list.files(pattern = '.CSV')
```

Then, we use the function `lapply` to apply the function `read.csv` to each element of the list `names` and then save each of the `data.frames` from the files in to R.

```
spectra.list <- lapply(names,
                      read.csv,
                      header = F)
```

Now, we can save the frequencies of incident light as a vector called `wavenumbers`. The code `spectra.list[[1]][1]` selects the first element of the list `spectra.list` using the index operator for lists `[[1]]`, which is a `data.frame`. Then, we select the first column of that `data.frame` using the index operator `[1]`:

```
wavenumbers <- unlist(spectra.list[[1]][1])
```

The object `wavenumbers` has 1 row and 1869 columns, each column is one of the frequencies used by the spectrometer in the experiment.

As we did previously, we can use again the function `lapply` to apply the index operator `[` and select

ONLY the second column of each `data.frame` that has inside the absorbance at each frequency.

```
spectra.list2 <- lapply(spectra.list, '[' , 2)
```

In order to make data easier to manipulate, we can transform the list of columns called `spectra.list2` into a `data.frame` as follows:

```
spectra.df <- as.data.frame(
  t(as.data.frame(spectra.list2))
)
```

the object `spectra.df` has 318 rows, i.e. 318 spectra from different samples and 1869 columns, or infrared frequencies.

Since the function `t()` transforms `data.frame` class objects into `matrix` class objects, we have to assign again to `spectra.df` (a `matrix`) the corresponding column and row names:

```
rownames(spectra.df) <- names
colnames(spectra.df) <- wavenumbers
# gsub('.{6}$', '', names)
```

Tidying up the `data.frame`

Since the names of the sample right now have the following structure:

```
head(names[1:3])
```

```
## [1] "125-1.CSV" "125-2.CSV" "125-3.CSV"
```

We can get rid of the unnecessary characters in the names of the samples, such as the extension and other symbols such as `"` or `..`. For that we can use the function `gsub()` and `regex` or regular expressions in order to replace these symbols for nothing, or `''`.

The regular expression for this replacement is built as follows:

- `.` matches any element that complies with the requirement, or applies the query to every element
- `{4}` replaces characters by `''` exactly 4 times
- `$` matches the end of each name

That is described before allows us to tell R that we want to replace the last 4 characters in each name by nothing, or `''`.

```
names2 <- gsub('.{4}$',
                 '',
                 rownames(spectra.df))
head(names2[1:4])

## [1] "125-1" "125-2" "125-3" "126-1"
```

There are some samples that have longer names, such as:

```
head(names2[292:318])

## [1] "P1-1_Thu May 09 07-26-09 2019 (GMT+02"
## [2] "P1-2_Thu May 09 07-26-09 2019 (GMT+02"
## [3] "P1-3_Thu May 09 07-26-09 2019 (GMT+02"
## [4] "P2-1_Thu May 09 07-26-09 2019 (GMT+02"
## [5] "P2-2_Thu May 09 07-26-09 2019 (GMT+02"
## [6] "P2-3_Thu May 09 07-26-09 2019 (GMT+02"
```

We can also save just the information that is useful for displaying in tables and plots:

```
names2[292:318] <- gsub('.{41}$',
                           '',
                           rownames(
                             spectra.df
                           )[292:318])
head(names2[292:318])[1:4]
```

```
## [1] "P1-1" "P1-2" "P1-3" "P2-1"
```

Finally, we assign the curated names to our data frame, `spectra.df`

```
rownames(spectra.df) <- names2
```

Plotting intial data

Since we have joined several spectra from different samples, we can try to visualize what we are dealing with.

Knowing that we have already the names of the samples, it would be handy if we used a factor that helped us to differentiate replicas of experiments:

```
cols <- factor(gsub('.{2}$', '',
                      names2))
str(cols)
```

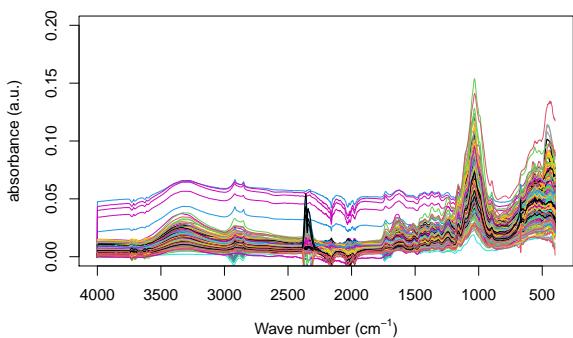
```
## Factor w/ 106 levels "125","126","127",...: 1 1 1 2 2 2
```

If we use the factor `cols`, we can plot three replicas of one sample using the same color

Now, we can use a loop to plot each one of the rows of our `data.frame`:

```
for(i in 1:length(rownames(spectra.df))){  
  
  plot(wavenumbers,  
        spectra.df[i,],  
        axes = F,  
        xlab = '',  
        ylab = '',  
        xlim = c(4000, 400),  
        ylim= c(0,0.2),  
        type = 'l',  
        col =cols[i]  
  
  )  
  par(new = T)  
}  
  
box()  
axis(1)  
axis(2)  
title(main = '',  
      xlab = expression(  
        paste('Wave number (cm'^{-1},  
              ')'))  
      ),  
      ylab ='absorbance (a.u.)')
```

As we can see in Figure 7 In the range between 2500 and 2000 cm⁻¹ variability due to experimental noise and background correction is present. In order to use multivariate methods and extract the chemical information from the dataset, we can select a region of interest (ROI) in which we take into account characteristic bands for molecules which concentration can



```

par(new = T)
}

box()
axis(1)
axis(2)
title(main = 'raw spectra - ROI',
      xlab = expression(
        paste('Wave number (cm'^{-1}),
              '))'),
      ylab ='absorbance (a.u.)')

```

Figure 1: raw spectra of triplicated samples

be different between samples, such as silicon oxides, or lignin monomers.

range selection

Now, we can check for where is that ROI in our data frame. Since the frequencies are arranged along the columns, we can search for the columns that have column names between 1700 and 400 cm^{-1}

```
colnames(spectra.df)[c(1,676)]
```

```
## [1] "399.1989" "1700.935"
```

Once we know where the ROI is in the data frame, we can create a subset called `range1` to store the spectra of all samples within this range, and plot it:

```

range1 <- spectra.df[,c(1:676)]
wavenumbers1 <- wavenumbers[c(1:676)]

for(i in 1:length(rownames(range1))){
  plot(wavenumbers1,
    range1[i,],
    axes = F,
    xlab = '',
    ylab = '',
    xlim = c(1700, 400),
    ylim= c(0,0.2),
    type = 'l',
    col =cols[i]
  )
}

```

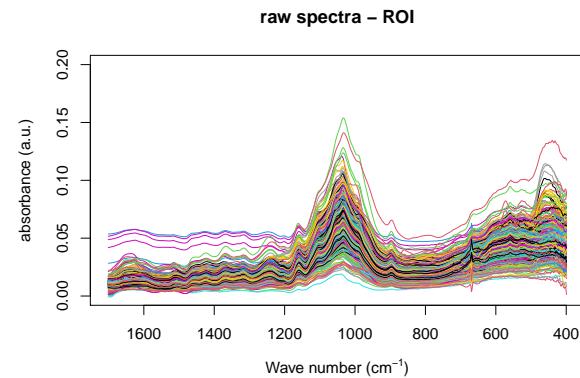


Figure 2: ROI spectra of triplicated samples

mean spectra calculation

Since each sample has three replicated spectra, we can calculate the mean of each three samples as follows:

- First, we create a vector to tell R which samples to look for. Using the function `unique()` we extract the unique values without taking their repetitions:

```

search.vector <- unique(unlist(cols))
head(search.vector)

```

```

## [1] 125 126 127 128 129 130
## 106 Levels: 125 126 127 128 129 130 132 133 134 135 136

```

Once we have the names for each sample, we can search for $\frac{318}{3} = 106$ triads of samples. Once we

know where they are, we can calculate the mean for each three replicates.

First, we create a list in which we are going to save the position of each three spectra:

```
index <- list(106)
```

Now we can again use the help of regular expressions to search for every sample that matches with one single sample:

As an example:

The regular expression that we will use this time is `(?=.*)_<search>` where `<search>` is replaced with the sample's name.

This will find any element for the vector `rownames(spectra.df)` that matches with the character in `search vector`. For example, if we search for the first sample, `search.vector[1]` which is sample 125:

```
as.character(search.vector[1]) # the name of
## [1] "125"

#the first sample
```

The search will tell us the positions in `rownames(spectra.df)` where we can find the character '125'

```
which(
  grep(
    paste0('(?=.*',
           as.character(search.vector[1]),
           ')'),
    rownames(spectra.df),
    perl=T
  )
)
```

```
## [1] 1 2 3
```

Then we can confirm:

```
rownames(spectra.df)[c(1, 2, 3)]
```

```
## [1] "125-1" "125-2" "125-3"
```

This process can be automated using a `for` loop in R:

```
for (i in 1:106){

  index[[i]] <- which(
    grep(
      paste0('(?=.*',
             as.character(search.vector[i]),
             ')'),
      rownames(spectra.df),
      perl=T
    )
  )
}
```

```
search.vector[2]
```

```
## [1] 126
## 106 Levels: 125 126 127 128 129 130 132 133 134 135 136

rownames(spectra.df)[c(index[[2]])]

## [1] "126-1" "126-2" "126-3"
```

Once we know where each triplicate is, we can proceed to calculate the means:

- First, we create a matrix to save the mean spectra that will result from the calculation.

```
mean <- matrix(ncol= ncol(range1),
                nrow = nrow(range1)/3)
```

*Then, we assign to this empty matrix, `mean`, its corresponding column and row names:

```
# mean <- as.data.frame(mean)

colnames(mean) <- colnames(range1)
rownames(mean) <- search.vector
```

Then we can loop through columns indexing each wave number, one after another, in each iteration of the loop, or each time `j` changes its value. Possible values for `j` are defined when in `1:length(ncol(range1))`. where `ncol` gives us the number of columns of `range1` or the number of wave numbers present along the ROI.

At the same time, `i` takes values at each one of the numbers present between 1 and `nrow(mean)`

at step 1 in both loops, we save in the position `mean[1,1]` the resulting value when we use the function `mean()` which as default calculates the arithmetic mean (when the argument `trim = 0` is given as default, the function trims a fraction of 0 observations from each end of the three observations before the means is computed.)

In order to calculate this mean estimator from a sample of 3 replicates, we index the spectral matrix `range1` in three special positions for each sample, those found in the creation of the `index` list.

In this step of the calculation, the first value of absorbance for the sample 125 at wave number 399.1, is empty, as are all the other slots of this matrix.

```
mean[1,1]
```

```
## [1] NA
```

for example, for the first sample, and the first wave number, we will save the result of the calculation of the mean of three replicas of sample 125, and at a wave number of 399.1, `mean[1,1]`. In order to accomplish this, we select the first position of the list `index[[1]]`:

```
index[[1]]
```

```
## [1] 1 2 3
```

when we print the content of this position of the list, we can notice that the samples 125-1 125-2 and 125-3 lie in the positions 1, 2, and 3 respectively of the data.frame `range1`.

So the calculation will be applied to `range1[index[[1]][1],1]`, `range1[index[[1]][2],1]` and `range1[index[[1]][3],1]`, or rows 1, 2, and 3.

the process is then repeated through all of the wave numbers (columns) and samples (rows) of the data set.

```
for(j in 1:ncol(range1)){
  for(i in 1:nrow(mean)){
    mean[i,j] <- mean(c(range1[index[[i]][1],j],
                         range1[index[[i]][2],j],
                         range1[index[[i]][3],j]
```

```
) )
}
}
```

then we turn this matrix into a data.frame:

```
mean <- as.data.frame(mean)
```

Once we have calculated the mean for each sample, we can plot the resulting mean spectra using the same factor used before, `cols` to color each sample of the same color of their triplicates.

```
cols.means <- as.factor(search.vector)

for(i in 1:length(rownames(mean))){
  plot(wavenumbers1,
        mean[i,],
        axes = F,
        xlab = '',
        ylab = '',
        xlim = c(1700, 400),
        ylim= c(0,0.135309),
        type = 'l',
        col =cols.means[i]
      )
  par(new = T)
}

box()
axis(1)
axis(2)
title(main = '',
      xlab = expression(
        paste('Wave number (cm'^{-1}),
              ')'),
      ylab ='absorbance (a.u.)')
```

Once we have calculated the mean estimator for each multivariate spectra, we can proceed to perform pre-treatments in order to clean the data, and extract as much as chemical information as we can.

baseline correction

In this experiment we have performed an analogue to the baseline correction described by beleites et al. 2020:

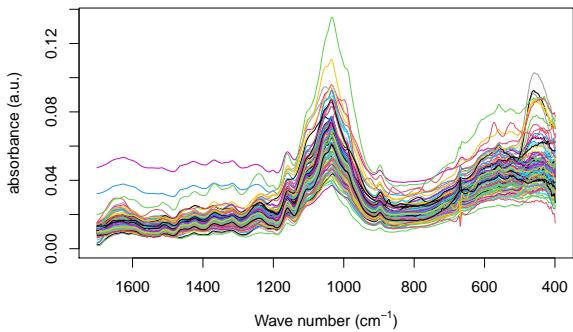


Figure 3: Calculated mean spectra

```
library(hyperSpec)
# hyperSpec package functions and
# data is charged in this session
```

We create an object that can be identified and manipulated by the functions of `hyperSpec` package.

```
spc <- new('hyperSpec', # The class of the ob
            spc= mean, # the spectra matrix
            wavelength = wavenumbers1
            # independent variable, whether wave number
            # or wave length
            )
```

then in an object called `bend`, we can save the result of `wl.eval` applied to `spc`. This function generates a baseline ‘reference spectra’:

```
bend <- 0.1 * wl.eval(spc,
                      function (x)
                        x^6+x^5+x^4+x^3+x^2,
                      normalize.wl =
                        normalize01)
```

- `function (x) x^6+x^5+x^4+x^3+x^2` defines a polynomial that is used to fit the baselines to the supporting points in the lower region of the spectra contained in ‘`spc`’, using this function the baseline ‘reference spectra’ is calculated
- `normalize.wl=normalize01` is a function used to transform the wave numbers before evaluating the polynomial. using `normalize01` we map the range of each wave number to the interval $[0, 1]$
- the multiplication by 0.1 is the normalization chosen for these spectra.

Now we can use the `rubberband` method to estimate the baseline. Setting the noise to $1 \cdot 10^{-4}$ allows us to take advantage of the low noise presented for this spectra. (a noise of `noise=4` sets an interval of 2 times standard deviations).

```
bl <- spc.rubberband(spc+bend,
                      noise = 1e-4,
                      df = 20)-bend
```

The base-line correction method selected for this work is one of many, and tuning the correction parameters can be subject to a design of experiments, using as a response variable a quality measure of the analysis that is going to be performed after the correction. For example Q^2 for PCA, or R_{adj} and $RMSEP_{CV}$ for multiple linear regression models as suggested by hovde 2010.

Now, we can visualize the results of these baseline corrections.

First, the spectra before correction and the estimated baseline ‘reference spectra’:

```
labels (spc, ".wavelength") <-
  expression(paste(
    'Wave number (cm'^`^-1`,
    ''))
labels (spc, "spc") <-
  expression(paste('Absorbance (a.u.)'))

plot(spc, wl.reverse = TRUE)
plot(bl, add=TRUE, col=2,wl.reverse = TRUE)
```

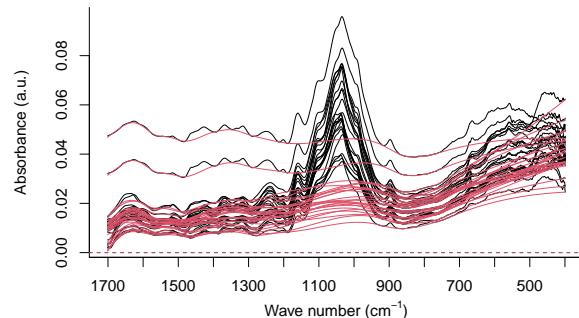


Figure 4: Mean spectra and rubberband baseline

And the heart of the rubberband method, the bending of the spectra to add support points in the convex part of the spectra:

```

sum <- spc+bend
plot(sum,wl.reverse = TRUE)
plot(bend, add=TRUE, col=2,wl.reverse = TRUE)

```

```

corrected1 <- as.data.frame(spc3[1:106])
corrected <- as.data.frame(corrected1[,1])
corrected <- corrected + (min(corrected)*-1) # shifting up

```

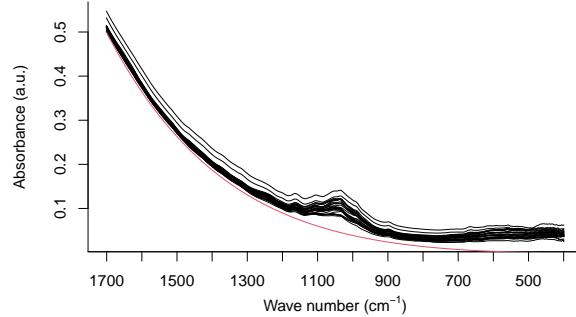


Figure 5: bent mean spectra and bent baseline

Then, the corrected spectra, which is calculated by subtracting the baseline `bl` from the spectra `spc`:

```

spc3 <- spc - bl
spc3 <- spc3 + (min(spc3)*-1)
# We add the minimum value
#which is negative to have only positive
#values
plot(spc3,wl.reverse = TRUE)

```

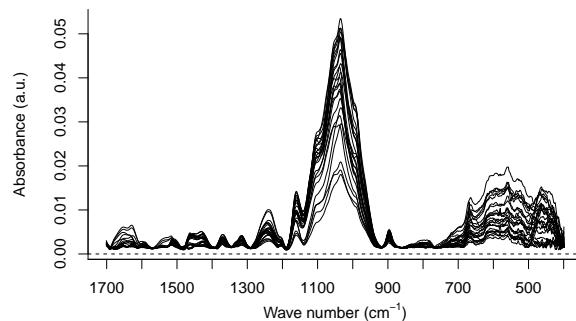


Figure 6: baseline corrected mean spectra

Now, we can extract the corrected spectra from the `hyperSpec` object and save it as a `data.frame` to handle the information in an easier way later.

Up to this point, we have calculated the mean spectra and corrected the base-line of each spectrum.

multiplicative scatter correction (MSC)

Since This is a popular pre-treatment (Rinnan 2009, Wu 2018) we tried to use it in this study.

```

library(pls)
correctedMSC <- msc(as.matrix(mean))

```

```

for (i in 1:length(rownames(correctedMSC))){
  plot(as.numeric(colnames(correctedMSC)),
       correctedMSC[i,],
       xlab = '',
       ylab = '',
       axes = F,
       type = 'l',
       xlim = c(1700,400),
       ylim = c(0,0.12),
       col = cols[i])
  par(new = T)
}
box()
axis(1)
axis(2)
title(main = '',
      xlab = expression(paste(
        'Wave number (cm'^'-1',
        ''))),
      ylab = 'Absorbance (a.u.)')

```

Since no noise reduction was identified, this option was dismissed for the moment.

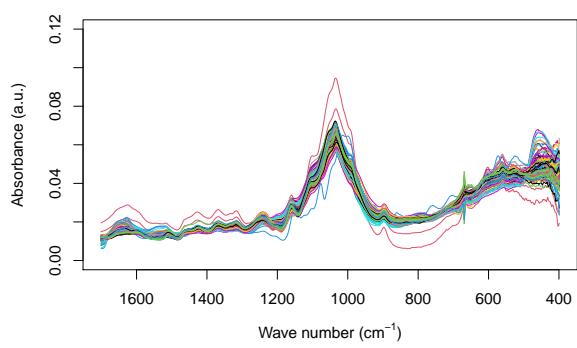


Figure 7: MSC correction of mean spectra