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AFWAL-TR-1-3139

ADVANCED ENVIRONMENTAL CONTROL SYSTEM (AECS) SIMULATION PROGRAM:  
IMPROVED ID NEW COMPONENTS FOR REFRIGERATION SYSTEMS AND  
AN ADDITIONAL SOLUTION PROCEDURE

Theory and Users Manual

Frederick J. Costello, Inc.  
12864 Tewsbury Drive  
Herndon, Virginia 22071

Final Report for Period: September 1980 to February 1982

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This technical report has been reviewed and is approved for publication.

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<b>Refrigerant Compressors</b>	<b>Intercoolers</b>											
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**Block 19 (continued)**

Roots Compressors  
Refrigerant Boilers  
Refrigerant Evaporators  
Refrigerant Control Valves  
Coefficient of Performance  
Refrigerant Condensers  
Solution Procedures  
Refrigerant Pumps  
Sensors  
Refrigerant Separators  
Refrigerant Lines  
Maximum Rate of Descent

**Block 20: Abstract**

This document represents the final contractual reporting requirement of the subject contract on the improvements and modifications to the AECS environmental-control-system simulation program. New components were added to the AECS program to simulate the performance of equipment used in refrigeration systems. Two-phase flow and heat transfer are included in the simulations. Existing components were modified to incorporate the capability of simulating refrigerant flows and heat transfer. To accommodate the highly non-linear characteristics of refrigerants, a new alternative solution procedure was added, based on the maximum-rate-of-descent method of minimizing the RMS error. Previously, on the Newton-Raphson method was used by the program.

Sample cases are included for each new and modified component. In addition, the new solution procedure is demonstrated on a simple refrigeration system. Two examples illustrate the use of the simulation method for (1) a complex refrigeration cycle with multiple evaporators and intercoolers and (2) a combination of a refrigeration cycle and a power cycle in which the working fluid is a refrigerant.

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## FOREWORD

This document was developed by Frederick A. Costello, Inc., Herndon, Virginia, under Air Force Contract F33615-80-C-3407: Advanced Environmental Control System Simulation Program: Improved and New Components for Refrigeration Systems and an Additional Solution Procedure. The work was conducted under the sponsorship of the Air Force Flight Dynamics Laboratory with Mr. Carl Feldmanis as Program Manager. The work was performed during the period September 1980 through February 1982.

The document contains descriptions of the program modifications, the users manual for the program modifications, and the supporting theory.

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## 1. Introduction

Prior to the work and changes reported herein, the AECS computer simulation for aircraft environmental control systems could not adequately simulate the performance of systems with vapor-compression refrigeration subsystems. The few vapor-compression cycle components that were simulated were treated in too simple a manner to be useful. In addition, the solution procedure would not converge except for a few cases. The present work corrects these deficiencies.\*

Three types of changes were made to AECS: (1) new subroutines were added to simulate components not previously considered; (2) revisions were made to existing components to make the simulation models more realistic; and (3) new subroutines were added and existing subroutines were modified so the solution procedure would converge for reasonable user-defined trial solutions (Exhibit 1.1). The most dramatic new component is the intercooler (NRCLR), because it has two inlet ports such that the inlet fluid states cannot be determined for both ports prior to the NRCLR computations. A new solution procedure was devised using a new "component" called INDATA, which permits the user to estimate the inlet conditions for the second port. The most dramatic change in an existing component pertained to the vapor compressor, which can now simulate a Roots compressor with pocket feed, a new concept being developed by the Air Force. Many of the modifications made to ensure convergence of the solution procedure were corrections to errors found in the code; however, in addition, an entirely new solution procedure was introduced as an alternative. The new method is based on the maximum-rate-of-descent theory. It is particularly useful in cases where the primary solution procedure (Newton-Raphson) fails to converge. Therefore, it adds considerably to the strength of AECS as an analytical tool.

The users manual presented in the following pages is divided between the every-day portion (Section 2) and the detailed portion (Sections 3 to 19). The every-day portion contains the input data forms on a component-by-component basis. The detailed portion contains brief descriptions of the models and how these models differ from the previous models; the theoretical basis for the new models; and a highly annotated FORTRAN listing of the subroutine for computing the

-----  
\*In addition to the AECS improvements, an interactive, refrigerant-properties computer program was written under this contract to assist the user of AECS. The manual for REFRIG is a separate document. The user enters two thermodynamic properties and the computer returns with the other four.

component performance. The user can refer to the FORTRAN listing to determine the equations and logic used in the model. Once the user has become familiar with the models as presented in the detailed portion of this report, he should be able to work entirely with the every-day portion, as described in the next section. Appendix A illustrates the use of AECS for a complicated refrigeration system. The discussion includes advice on solving problems with AECS. Appendix B illustrates the skillful use of the new maximum-rate-of-descent solution procedures. Appendix C gives some advice on entering tables; Appendix D, on estimating the values for entering into the tables. AECS is applied to a combined power/refrigeration cycle in Appendix E.

#### Exhibit 1.1: Summary of Changes Made to AECS

Subroutine Name	Description of the Change
COND (Refrigerant Condenser)	Prior simulation limited to saturated vapor in and saturated liquid out; new simulation not restricted. Single and two-phase pressure-drop computations added.
COP (Coefficient of Performance)	New routine to permit computation of the coefficient of performance of a refrigeration system for any user-defined group of evaporators and compressors.
CVALVE (Control Valve)	Prior simulation limited to single-phase fluids. Two-phases now possible.
EVAP (Refrigerant Evaporator)	Prior simulation limited to saturated liquid in and saturated vapor out; new simulation not restricted. Single and two-phase pressure-drop computations added.
INDATA (Entering Data for a New Inlet Port)	New routine to permit solution with a component having two inlet ports with one port not the outlet of a previously computed component.
LOOPS (Loop start).	Prior simulation used temperature as possible state variable. Enthalpy now used instead, if the fluid is a refrigerant
NRCLR (Refrigerant Intercooler)	New routine to simulate a refrigerant-to-refrigerant heat exchanger.
QBOILR (Refrigerant Boiler)	New routine to simulate a heat exchanger with refrigerant on the cold side and a specified heat input on the hot side.

**Exhibit 1.1: Summary of Changes Made to AECS (continued)**

<b>Subroutine Name</b>	<b>Description of the Change</b>
RINLET (Refrigerant Inlet)	New entry point in INLET used for refrigerants so enthalpy can be specified rather than temperature and so a refrigerant is a permissible fluid.
ROUTLT (Refrigerant Outlet)	New entry point in OUTLET used for refrigerants so temperature is computed rather than enthalpy and so a refrigerant is a permissible fluid.
RPMP (Refrigerant Pump)	New component to simulate a refrigerant pump, pumping liquid only. Prior simulation restricted to flow, pressure and temperature.
SENSOR (State sensor)	Modification permits also enthalpy, quality, superheat and subcooling.
SEPAR (Refrigerant Separator)	New routine to simulate a liquid/vapor separator for refrigerants.
SOLN (Solution Procedure)	Prior solution procedure used only the Newton-Raphson technique. New procedure also permits the use of maximum-rate-of-descent techniques.
VCOMP (Refrigerant-Vapor Compressor)	Prior simulation restricted to dynamic compression. Modification permits also positive displacement and Roots compressor, including pocket feed.
VLINE (Refrigerant Line)	Prior simulation restricted to vapor only. Modification permits any state.
XPAND (Refrigerant Expander)	New routine to simulate a refrigerant dynamic, positive-displacement or Roots expander to produce power.

## 2. New Component (Input) Cards

The input cards for the new or revised components are presented in the following pages. The explanations of the changes, the relevant equations, sample cases, and sample input cards are presented in Sections 3 to 19 of this report for each of the components.

Once the user is familiar with the logic and equations used for each component, he should be able to refer only to the component (input) cards presented in this section of the report. To assist the user in this regard, we have included on the input cards a brief description of the variables and their usage. Should these descriptions be too brief at first, the user can refer to Sections 3 to 19 of this report, which contain complete explanations of each model. These sections also contain sufficient detail to permit the user to judge the suitability of the simulation to his particular case.

The component (input) cards are presented in the following pages in alphabetical order. For easy reference, the component name is listed at the bottom of the page. Only the new or revised components are presented. The appendices illustrate the application of the new components to several cases, to assist the reader in developing the new skills required to obtain a solution with AECS. However, the reader must refer to previous documents for the other AECS components and for a complete discussion of the AECS procedures.

Exhibit 2.1-1: Performance Component COND  
Data Card Format

*p 23 description*

Card Column	Symbol	Value
1-4	CN	COND component name
8	CC	change code
12 1	NC	card number
16 2	NLR	leg number on refrigerant side
20 3	NSIR	inlet-station number on refrigerant side
24 4	NSOR	outlet-station number on refrigerant side
28 5	NLS	leg number on sink side
32 6	NSIS	inlet station number on sink side
36 7	NSOS	outlet station number on sink side
40 8	ISIG	option for sink side only: = 0: use delta P = 1: use sigma times delta P
44 9	IPD	sink-side pressure-drop-table relative number (Type = 1), psi as a function of sink-side flow rate in lb/min (Argument = 41)
48 10	IE	sink-side temperature-effectiveness-table relative number (Type = 5), a function of sink-side flow rate in lb/min (Argument = 41)
52 11	RPD	refrigerant-side friction-pressure-drop-table relative number (Type = 1), <u>psi</u> as a function of refrigerant-side flow rate in cfm with 100% vapor flowing (Argument = 42)✓
56 12	(AFR)	flow area on the refrigerant side, sq.ft.

Notes:

The relative number, type number and argument number are required on the TABID card for the input tables.

*generates no SV or EV*

**COND (Refrigerant Condenser)**

**Exhibit 2.1-2: Performance Component COP  
Data Card Format**

Card Column	Symbol	Value
1-3	CN	COP component name
8	CC	change code
12	NC	card number
16	NE	number of evaporators in this COP computation
20	NVC	number of vapor compressors in this COP computation
24	IE1	inlet station number for first evaporator

Continue with the inlet station numbers for the evaporators, with the inlet station numbers ending in columns 28, 32, etc. Then enter the inlet station numbers for the compressors. The following card column is based on having only one evaporator:

28            IVC1    inlet station number for first compressor

Continue with the inlet station numbers for the compressors, with the inlet station numbers ending in columns 32, 36, etc. The card column shown is based on having only one evaporator and one compressor.

**Notes:**

1. If the number of evaporators is entered as zero, the COP subroutine will print the sum of the Btu/min input (flow rate times enthalpy increase) to the compressors. In this case there will be no IE1 entry.
2. If the number of vapor compressors is entered as zero, the COP subroutine will print the sum of the Btu/min absorbed in the evaporators. In this case there will be no IVC1 entry.
3. The COP "component" must be inserted in the computational sequence (the list of component cards) after all of the related compressors and evaporators.
4. Any number of COP cards may be used. The output will show the evaporator and compressor inlet stations along with the coefficient of performance, so the user can easily identify which COP is being reported.
5. The following components can be used as evaporators: EVAP, QBOILR, and NRCLR. The cold leg of the NRCLR is assumed to be the evaporator. Note that NRCLR can act as a simple heat exchanger, so evaporation need not occur. Only VCOMP can be used as the compressor.

**COP (Coefficient of Performance)**

**Exhibit 2.1-3: Performance Component CVALVE  
Data Card Format**

Card Column	Symbol	Value
1-6	CN	CVALVE component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NSI	inlet-station number
24	NSO	outlet-station number
28	ISIG	option for pressure drop = 0: use delta P = 1: use sigma times delta P
32	(KM)	minimum value of K (K=delta P in psi, or sigma times delta P, divided by flow rate squared, in lb/min)
36	(K)	initial guess for K

**CVALVE (Control Valve)**

1P 45

**Exhibit 2.1-4: Performance Component EVAP  
Data Card Format**

Card Column	Symbol	Value
1-4	CN	EVAP component card
8	CC	change code
12 1	NC	card number
16 2	NLR	leg number on refrigerant side
20 3	NSIR	inlet-station number on refrigerant side
24 4	NSOR	outlet-station number on refrigerant side
28 5	NLS	leg number on source side
32 6	NSIS	inlet-station number on source side
36 7	NSOS	outlet-station number on source side
40 8	ISIG	option for source side only: = 0: use delta P = 1: use sigma times delta P
44 9	IPD	source-side pressure-drop-table relative number (Type = 1), psi as a function of source-side flow rate in lb/min (Argument = 41)
48 10	IE	source-side bypass factor-table relative number (Type = 5), a function of source-side flow rate in lb/min (Argument = 41)
52 11	(DSH)	refrigerant-outlet degrees of superheat, deg R (not used if IOP = 0)
56 12	RPD	refrigerant-side friction-pressure-drop-table relative number (Type = 2), psi as a function of refrigerant-side flow rate in cfm, with 100% vapor flowing (Argument = 42)
60 13	(AFR)	flow area on the refrigerant side, sq.ft.
64 14	IOP	error-variable option <b>TYPE 3</b> = 0: no error variable established = 1: error variable = superheat discrepancy

para 6.4 on p 46 implies  
this should not be used  
(does not have to)

**EVAP (Refrigerant Evaporator)**

**Exhibit 2.1-5: Performance Component INDATA  
Data Card Format**

Card Column	Symbol	Value
1-6	CN	INDATA component card
8	CC	change card
12	NC	card number
16	NL	leg number for leg with undefined flow rate
20	NS	station number for inlet with undefined P,T,H
24	(W)	initial guess for flow rate, lb/min, in NL
28	(P)	initial guess for pressure, psia, at NS
32	(T)	initial guess for temperature, deg R, at NS
36	(H)	initial guess for humidity, lb water per lb of dry air, or enthalpy, Btu/lb, at NS

Note: This card must precede each component for which there is an inlet leg or station for which the flow rate, pressure, temperature or humidity (or enthalpy) has not been calculated as the outlet condition of a component appearing previously in the sequence of component cards. Although INDATA is required for solving some problems, its use should be minimized because INDATA decreases the speed of convergence.

INDATA (Input Data for Second Inlet Port)

**Exhibit 2.1-6: Performance Component LOOPE  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	LOOPE component card
8	CC	change code
12	NC	card number
16	NLI	leg number at the start of the loop
20	NSI	station number at the start of the loop
24	NLO	leg number at the end of the loop
28	NSO	station number at the end of the loop
32	IOP	option = ijk1 i = 0: no flow error = 1: flow rate used as error variable (Note: This option will not work because the flows always match at the two ends of a leg.) j = 0: pressure is not an error variable = 1: pressure mismatch with LOOPS used as error variable k = 0: temperature is not an error variable = 1: temperature mismatch with LOOPS used as error variable l = 0: humidity (or enthalpy) is not an error variable = 1: humidity (or enthalpy) mismatch with LOOPS used as error variable

LOOPE (Loop End)

**Exhibit 2.1-7: Performance Component LOOPS  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	LOOPS component card
8	CC	change code
12	NC	card number
16	NL1	leg number at the start of the loop
20	NS1	station number at the start of the loop
24	NL0	leg number at the end of the loop
28	NS0	station number at the end of the loop
32	IFT	fluid type
36	IFN	fluid-property-table relative number (Type = 10)
40	IOP	option = ijk1 i = 0: flow rate known = 1: flow rate unknown j = 0: pressure known = 1: pressure unknown k = 0: temperature known = 1: temperature unknown l = 0: humidity (or enthalpy) known = 1: humidity (or enthalpy) unknown
44	(W)	flow rate in lb/min in the outlet leg
48	(P)	pressure in psia at the outlet station
52	(T)	temperature in degrees R at the outlet station
56	(H)	humidity (lb/lb dry air) if fluid type = 1 or enthalpy (Btu/lb) if fluid type = 3, at the outlet station (not used if fluid type = 2)

**Notes:**

1. The parameter numbers for the loop starting values and/or initial guesses are to be inserted in Card Columns 44 to 56. The parameter value is the starting value if the option is 0 and the initial guess if the option is 1.
2. For fluid type 1, the temperature and humidity are specified by T and H and the enthalpy is computed. For fluid type 3, the pressure and enthalpy are used to compute the temperature, which overrides the value input in column 52.

**LOOPS (Loop Start)**

**Exhibit 2.1-8: Performance Component NRCLR  
Data Card Format**

<b>Card Column</b>	<b>Symbol</b>	<b>Value</b>
1-5	CN	NRCLR component name
8	CC	change code
12 1	NC	card number
16 2	NLC	leg number on the cold side
20 3	NSIC	inlet-station number on cold side
24 4	NSOC	outlet-station number on cold side
28 5	NLH	leg number on the hot side
32 6	NSIH	inlet-station number on hot side
36 7	NSOH	outlet-station number on the hot side
40 8	(AFC)	flow area on the cold side, sq.ft.
44 9	(AFH)	flow area on the hot side, sq.ft.
48 10	IPD	relative number of tables for friction-pressure-drop tables (Type = 61 for cold side; Type = 62 for hot side), with pressure drop in feet of head of the fluid as a function of the flow rate for vapor only, in cfm (Argument = 101 for hot side; Argument = 102 for cold side) <i>See code p. 73</i>
52 11	(HTCL)	heat-transfer coefficient in either channel if only liquid is flowing, Btu/hr-sq.ft.-deg R
56 12	(HTC2)	heat-transfer coefficient in either channel if the flow is two-phase, Btu/hr-sq.ft.-deg R
60 13	(HTCV)	heat transfer coefficient in either channel if only vapor is flowing, Btu/hr-sq.ft.-deg R
64 14	(AHTC)	heat transfer area on the cold side, sq.ft.
68 15	(AHTH)	heat transfer area on the hot side, sq.ft.

**NRCLR (Intercooler)**

**Exhibit 2.1-9: Performance Component QBOILR  
Data Card Format**

Card Column	Symbol	Value
1-6	CN	QBOILR component name
8	CC	change code
12	NC	card number
16	NL	leg number for refrigerant
20	NSI	inlet station number for refrigerant side
24	NSO	outlet station number for refrigerant side
28	ISIG	option for pressure-drop computation = 0: use delta P = 1: use sigma times delta P
32	IPD	friction-factor-table relative number (Type = 32), with friction factor as a function of Reynolds number (Argument = 21)
36	IHT	Colburn-factor-table relative number (Type = 33), with Colburn factor as a function of Reynolds number (Argument = 21)
40	(AF)	heat-exchanger flow area, sq.ft.
44	(Q)	heat-input-rate, Btu/min
48	(L)	heat-exchanger flow-path length, ft.
52	(AH)	heat-exchanger heat-transfer area, sq.ft., including fins
56	(DH)	heat-exchanger hydraulic diameter, <u>ft.</u>
60	IERR	error-variable option = 0: no error variable is generated = 1: an error variable is generated, equal to the difference between the calculated maximum wall temperature and TMAX
64	(TMAX)	maximum wall temperature (at the exit of the boiler), deg R (used only if IERR = 1) Note: the outlet must be superheated for this type of control to function properly.

**QBOILR (Refrigerant Boiler with Known Heat Input Rate)**

**Exhibit 2.1-10: Performance Component RINLET  
Data Card Format**

<b>Card Column</b>	<b>Symbol</b>	<b>Value</b>
1-6	CN	RINLET component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NS	station number
24	IOP	state-variable (s.v.) option = ijk1 i = 0: flow rate known (not a s.v.) = 1: flow rate is to be a state variable j = 0: pressure known (not a s.v.) = 1: pressure is to be a state variable k = 0: temperature known (not a s.v.) = 1: not permitted. Use only k=0. l = 0: enthalpy known (not a s.v.) = 1: enthalpy is to be a state variable
28	(W)	inlet flow rate, lb/min
32	(P)	inlet pressure, psia
36	(T)	inlet temperature, deg R
40	(H)	inlet enthalpy, Btu/lb
44	IFT	inlet fluid type
48	IFN	inlet fluid property table relative number (Type = 10)

**Notes:**

1. The temperature cannot be used as a state variable, because there would be ambiguity in the two-phase region. The option format was retained the same as for INLET only for the convenience of the user. The temperature entry (T) is ignored by the computer; instead the temperature is calculated from the enthalpy and pressure for the refrigerant designated by IFN.
2. The entries for W, P, and H are the known values if the option is zero and the user's estimate of the solution if the option is 1.

**RINLET (Refrigerant Inlet)**

**Exhibit 2.1-11: Performance Component ROUTLT  
Data Card Format**

<b>Card Column</b>	<b>Symbol</b>	<b>Value</b>
1-6	CN	ROUTLT component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NS	station number
24	IOP	error-variable (e.v.) option = ijkl i = 0: flow rate is not to be an e.v. = 1: flow rate is to be an error variable j = 0: pressure is not to be an e.v. = 1: pressure is to be an error variable k = 0: temperature is not to be an e.v. = 1: not permitted. Use only k=0. l = 0: enthalpy is not to be an e.v. = 1: enthalpy is to be an error variable
28	(W)	outlet flow rate, lb/min
32	(P)	outlet pressure, psia
36	(T)	outlet temperature, deg R
40	(H)	outlet enthalpy, Btu/lb

**Notes:**

1. The temperature cannot be used as an error variable, because there would be ambiguity in the two-phase region. The option format was retained the same as for OUTLET only for the convenience of the user. The temperature entry (T) is ignored by the computer; instead the temperature is calculated from the refrigerant properties, the enthalpy and the pressure.
2. The entries for W, P, and H are the required values. The error variable is the difference between these values and the values computed in the simulation.

**ROUTLT (Refrigerant Outlet)**

**Exhibit 2.1-12: Performance Component RPMP (Refrigerant Pump)**

Card Column	Symbol	Value
1-4	EN	RPMP component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NSI	inlet station number
24	NSO	outlet station number
28	NST	shaft number
32	IPT	relative number for pressure-rise table (Type = 8), with pressure-rise, DP as a function of shaft speed, RPM, (Argument = 101) and flow-rate, (lb/min) (Argument = 102)
36	IE	relative number for pump static-efficiency table (Type = 9), as a function of shaft speed, RPM, (Argument = 101) and flow rate, (lb/min) (Argument = 102)
40	IME	mechanical-efficiency table (Type = 10), as a function of the pump input horsepower, HP (Argument = 101)

**Notes:**

1. The pressure rise, DP, is the difference, not the ratio, between the pump outlet and inlet pressures.

**RPMP (Refrigerant Pump)**

*NEW  
(Costello  
vapor cycle  
improvements)*

Exhibit 2.1-13: Performance Component SENSOR  
Data Card Format

SENPP  
SENpz

Card Column	Symbol	Value
1-6	CN	SENSOR component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NS	station number
24 4	ICT	option: sensed & controlled variable = 1: flow rate, lb/min = 2: pressure, psia = 3: temperature, deg R = 4: humidity, lb vapor/lb dry air or enthalpy, Btu/lb = 5: superheat, deg R = 6: subcooling, deg R = 7: quality, lb vapor/lb mixture
28 5	(CV)	set point (control value) of the sensor

P 427 no change  
to valve

SENSOR

**Exhibit 2.1-14: Performance Component SEPAR (Refrigerant Separator)  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	SEPAR component name
8	CC	change code
12	NC	card number
16	NLI	inlet leg number
20	NSI	inlet station number
24	NLOG	number of outlet leg having vapor only
28	NSOG	number of outlet station having vapor only
32	NLOF	number of outlet leg having liquid only
36	NSOF	number of outlet station having liquid only

**SEPAR (Refrigerant Separator)**

**Exhibit 2.1-15: Performance Component SOLN**

**Data Card Format**

<b>Card Column</b>	<b>Symbol</b>	<b>Value</b>
1-4	CN	SOLN component name
8	CC	change code
12	NC	card number
16	MRD	solution-technique option code = 0; use Newton-Raphson (KOPT defaults to 0) = 1: use MRD1, minimizing with respect to each state variable, one at a time = 2: use MRD2, minimizing with respect to the state variables, one pair at a time = 3: use MRD, minimizing with respect to all state variables simultaneously

If MRD is greater than 0, then enter the following:

20	KSV	relative number for one-dimensional table giving state-variable scale factors (Type = 50 and Dimension = -1 (See App. C))
24	KEV	relative number for one-dimensional table giving error-variable scale factors (Type = 51 and Dimension = -1 (See App. C))
28	[STEP]	initial step size, a fraction of the diagonal
32	[RST]	ratio of step sizes if in same direction

If MRD = 1 or MRD = 2, then enter the following:

36	LIST	number of the (state) variable over which the first minimization is to be performed
----	------	--

Continue with the state-variable numbers (up to NSV). Enter in Column 40 the number of the state variable over which the second minimization is to be performed; etc.

**Notes:**

1. SOLN is to be entered as the last component.
2. If SOLN is omitted, the Newton-Raphson method will be used. This is the method that was used by AECS prior to this modification.
3. If KSV is omitted (or, equivalently, entered as 0) and MRD . 0, all state-variable scale factors will be 1.0. The program will accept up to 20 state variables in the MRD solutions.
4. If KEV is omitted (or, equivalently, entered as 0) and MRD . 0, all error-variable scale factors will be 1.0. Note that if KSV is omitted, KEV must still be in Column 24 if it is entered. Note also that the error-variable scale factors are used as the iteration limit.
5. If LIST is omitted, MRD1 and MRD2 will use the state variables in the order of the state-variable numbers. If the list of KSV's does not include all state variables, MRD1 and MRD2 will use the remaining state variables in the order of the remaining state-variable numbers.
6. In MRD methods, after each step, STEP is reset to STEP\*RST\*\*DSUM, where DSUM is the cosine of the angle between successive steps.
7. COMMON cards can be used to change C(373) from the default limit of 3 iterations per variable in MRD1 and pair of variables in MRD2 and to change C(76) from the default limit of 40 system iterations (changes in the complete set of state variables) for all four solution options.

**SOLN (Solution Procedure)**

**Exhibit 2.1-16: Performance Component VCOMP  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	VCOMP component name
8	CC	change code
12	NC	card number
16	NLI	leg number for inlet (lowest pressure)
20	NSI	station number for inlet (lowest pressure)
24	NSO	station number for outlet (highest pressure)
28	NST	shaft number
32	IOP	state-variable (s.v.) option = 0: no state variable is set up and pressure ratio is held fixed = 1: pressure ratio is set up as s.v. = 2: no state variable is set up and pressure ratio is determined from the Type = 4 table specified below
36	(PR)	pressure ratio If IOP = 0: fixed = 1: initial guess for s.v. = 2: not used
40	IPT	relative number for pressure ratio table (Type = 4), in the form pressure ratio vs. shaft speed (RPM, Argument = 101) and inlet flow rate (CFM, Argument = 28)
44	ICT	relative number for efficiency table (Type = 6) in the form efficiency vs. shaft speed (RPM, Argument = 101) and inlet flow rate (CFM, Argument = 28)
48	(ME)	mechanical efficiency
52	KT	compressor-type option = 0: conventional dynamic or positive- displacement compressor = 1: conventional Roots compressor = 2: Roots compressor with pocket feed
If KT is 1 or 2, the following additional entry is required:		
56		(DISP) compressor displacement per revolution (cu.ft.)
If KT is 2, the following additional entries are required:		
60	NLP	number of the leg feeding the pocket (intermediate pressure)
64	NSP	number of the station at the pocket inlet
68	NLO	leg number of the compressor outlet (highest pressure)
72	(FH)	fraction of the leakage flow (from highest pressure to inlet pressures) that passes to the intermediate (pocket-feed) pressure

**Notes:**

1. If KT=2, an error variable is set up equal to the deviation between the pocket pressure and the pocket pressure required to balance the flows between the inlet and the pocket.
2. If KT,1, the output will show \*\*\*\*\* for the pocket leg number.

**VCOMP (Refrigerant Compressor)**

VCOMP creates  
GA28=CFM

**Exhibit 2.1-17: Performance Component VLINE  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	VLINE component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NSI	inlet-station number
24	NSO	outlet-station number
28	-	
32	IPD	friction-factor-table relative number (Type = 3), in the form of friction factor as a function of Reynolds number (Argument = 21)
36	(UAPDL)	<del>heat-loss factor, Btu/min per foot of line length per degree difference between fluid temperature and surrounding temperature</del> BTU / ft <sup>2</sup> hr °F see p 173
40	(DH)	hydraulic diameter, ft.
44	(L)	line length, ft.
48	(K)	velocity-head loss coefficient for valves, bends, orifices, etc., not otherwise simulated
52	(LE)	equivalent length of line due to valves, bends, orifices, etc., not otherwise simulated and not included in the K factor, ft.
56	(TS)	temperature of surroundings, deg R

**VLINE (Refrigerant Line)**

**Exhibit 2.1-18: Performance Component XPAND  
Data Card Format**

Card Column	Symbol	Value
1-5	CN	XPAND component name
8	CC	change code
12	NC	card number
16	NL	leg number
20	NSI	inlet-station number
24	NSO	outlet-station number
28	NS	shaft number
32	IOP	option for computational technique = 0: pressure ratio is fixed (no error variable is set up). Flow rate and shaft speed are assumed to be compatible with this pressure ratio = 1: shaft speed and flow rate will be known upon entering this component (pressure ratio is determined from the tables) = 2: pressure ratio and flow rate will be known upon entering this component. Discrepancy between shaft speed from component SHAFT and as computed in XPAND is an error variable
36	(PR)	ratio: outlet pressure to inlet pressure (,1.0)
40	IQ	relative number for two tables: the flow-rate table (Type = 8), having the flow rate (CFM) as a function of shaft speed (RPM, Argument = 102) and pressure ratio (PR, Argument 101); and the efficiency table (Type = 7), having the efficiency as a function of shaft speed (RPM, Argument 102) and flow rate (CFM, Argument = 101)
44	(ME)	mechanical efficiency
48	(D3)	displacement per revolution, cu.ft.
52	(AO)	ratio: outlet area of expander to D3**(2/3)

**Notes:**

1. The flow rate is given by:

Flow rate = (lb/min)\*(inlet cu.ft./lb.)

2. The pressure ratio is the outlet pressure divided by the inlet pressure.

**XPAND (Refrigerant Expander)**

### 3. Condenser Subroutine

## COND

#### 3.1. Subroutine Description

The COND subroutine simulates a refrigerant condenser in which the refrigerant is cooled from a superheated or saturated vapor down to a liquid or two-phase mixture. The cooling fluid can be air or any other single-phase fluid. The inlet on the refrigerant side would normally be downstream from a compressor. The outlet on the refrigerant side would normally be upstream of an expansion valve or an intercooler. A controller might be used to regulate the coolant supply so the refrigerant pressure would not become so low that the expansion valve could not control. The coolant would normally enter the condenser on one side and leave on the other; there would be no phase change on the coolant side.

#### 3.2. Prior Simulation Method

The previous condenser model was based on the heat loss by the refrigerant being the heat of condensation (latent heat of vaporization). It did not include the refrigerant-side pressure drop. The heat-transfer in the condenser was characterized by the effectiveness, which was entered as a function of the coolant-side flow rate.

#### 3.3. New Simulation Method

The new model again characterizes the condenser heat exchange by its effectiveness. However, the inlet state of the refrigerant can now be superheated; the outlet state can range from superheated to subcooled. The outlet state is determined by an energy balance, with the heat transfer being calculated from the coolant-side flow rate and temperature rise, as computed from the effectiveness. The effectiveness is based on the condensing temperature, which is assumed equal to the saturation temperature at the inlet pressure. Adjustments are made to the effectiveness to account for the refrigerant being in the pure liquid state near the exit.

The pressure drop on the refrigerant side is entered as a table for vapor-only flow; corrections for condensation and two-phase flow are contained within the subroutine.

The pressure drop on the air side is computed as before, on the basis of a table of pressure drop versus air flow rate.

#### 3.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing (Exhibit 3.4-1).

### 3.4-1: Performance-Program Logic and Listing

```
SUBROUTINE CONDPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
•,(IH,C(30)),(SCR(1),C(151)),(IFB,C(55)),(IGA,C(35))
•,(IEVT,C(48)),(IEV,C(49)),(IFP,C(22)),(ICPP,C(88))
•,(PASS,C(17)),(OUT,C(7)),(GC,C(370))
INTEGER PASS,OUT
EQUIVALENCE (SCR(1),NLR),(SCR(2),NSIR),(SCR(3),NSOR)
•,(SCR(4),NLS),(SCR(5),NSIS),(SCR(6),NSOS),(SCR(7),JEVI)
DIMENSION SCR(30),ERR(3),EL(3)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
EQUIVALENCE (D(51),H),(D(52),QUAL),(D(53),VOUT),(D(54),PB),
•,(D(55),PDGO),(D(56),PDR),(D(57),VRATIO),(D(58),PDLO),
•,(D(59),HFG),(D(60),PHI),(D(61),TC),(D(62),V),(D(63),HSV),
•,(D(64),VMOMIN),(D(65),HSL),(D(66),EFF),
•,(D(68),Q),(D(69),TOUT),(D(70),TAVG),(D(71),PD)
1 COMP CODE
2 LEG NO R
3 INLET STATION NO R
4 OUTLET STATION NO R
5 LEG NO S
6 INLET STATION NO S
7 OUTLET STATION NO S
8 PRESS DROP OPTION
9 PRESS DROP TABLE NO
10 EFFECTIVENESS TABLE NO.
***TWO NEW PARAMETERS-FOR THE COMPONENT CARD
11 REFRIG-SIDE PRESS DROP TABLE(FT OF VAPOR VS CFM, VAPOR FLOW ONLY)
12 FLOW AREA ON REFRIGERANT SIDE, SQ FT
***SET UP THE INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY
IRCD = IRCDB(13)
NLR = ID(IRCD+2)
NSIR = ID(IRCD+3)
NSOR = ID(IRCD+4)
NLS = ID(IRCD+5)
NSIS = ID(IRCD+6)
NSOS = ID(IRCD+7)
D(IH+NSOS) = D(IH+NSIS)
LOCT = ID(IFB+NLR)
LOCS = ID(IFB+NLS)
LOCS = ID(LOCS+1)
LOCT = ID(LOCT+3)
***SET UP THE THREE TLUP VARIABLES
D(IGA+41) = D(IW+NLS)
D(IGA+42) = D(IW+NLR)
D(IGA+43) = D(IP+NSIS)
```

*lbm/min sink flow becomes CFM over sp. 25*

... COMPUTE THE SATURATION CONDITIONS  
 $TC = VTS(LOCT, D(IP+NSIR))$   
 $V = VSV(LOCT, D(IP+NSIR), TC)$   
 $D(IGA+42) = D(IGA+42) * V$   
 $HSL = HSV - HFG$   
 $IF(TC.LT.D(IT+NSIS)) GO TO 25$   
 ... DETERMINE SINK-SIDE EFFECTIVENESS FROM TLUP WITH EFF A  
 FUNCTION OF SINK-SIDE FLOW RATE ONLY  
 $EFF = TLUP(ID(IRCD+10))$   
 ... COMPUTE SINK-SIDE OUTLET TEMPERATURE FROM EFFECTIVENESS  
 $D(IT+NSOS) = D(IT+NSIS) + EFF * (TC - D(IT+NSIS))$   
 ... COMPUTE THE REFRIG OUTLET ENTHALPY BY ENERGY BALANCE  
 $CAPSINK = D(IW+NLS)*SHP(NLS,D(IP+NSIS),D(IT+NSIS),D(IH+NSIS))$   
 $Q = CAPSINK*EFF*(TC-D(IT+NSIS))$   
 $H = D(IH+NSIR)-Q/D(IW+NLR)$   
 $D(IH+NSOR)=H$   
 ... DETERMINE IF IN SINGLE-PHASE REGION AT THE OUTLET CONDITIONS  
 $IF(H.LE.HSL) GO TO 20$   
 $IF(H.GE.HSV) GO TO 30$   
 ... IN TWO-PHASE REGION  
 $QUAL = (H-HSL)/HFG$   
 $TOUT=TC$   
 $VOUT = QUAL * V + (1.-QUAL)/VDL(LOCT,TOUT)$   
 $GO TO 40$   
 ... IN SINGLE-PHASE REGION, SO DETERMINE WHERE THE TWO-PHASE ENDED  
 :8  $TOUT=VTLIQ(LOCT, D(IP+NSIR), H)$   
 $QUAL=0.0$   
 $CPREF=(HSL-H)/(TC-TOUT)$   
 $CAPR=D(IW+NLR)*CPREF/CAPSINK$   
 ... SET UP FOR STRADDLE SOLUTION TO LOCATION OF POSITION (EL) WHERE  
 THE TWO-PHASE FLOW ENDED  
 $EMAX=D(IW+NLR)*(D(IH+NSIR)-HSL)/(CAPSINK*(TC-D(IT+NSIS)))$   
 $EL(1)=EMAX$   
 $EL(2)=EMAX/(EMAX+CAPR)$   
 $IF(EL(2).EQ.EL(1)) EL(2)=1.1*EL(1)$   
 $I=1$   
 ... TAKE UP TO 30 ITERATIONS TO FIND EL, COMPUTING THE EFFECTIVENESS  
 IN THE SINGLE-PHASE (EFF1) AND TWO-PHASE (EFF2) REGIONS  
 $DO 570 ITER=1,30$   
 $EFF1=1.-(1.-EFF)**((1.-EL(I))/(2.*CAPR))$   
 $EFF2=1.-(1.-EFF)**EL(I)$   
 $ERR(I)=EMAX-EFF2*(1.-CAPR*EFF1)$   
 $IF(ITER.GT.2) GO TO 559$   
 $I=I+1$   
 $IF(ITER.LT.2) GO TO 570$   
 $GO TO 563$   
 ... IF THE EFFECTIVENESSES BALANCE WITHIN 0.001, END ITERATION  
 :99  $IF(ABS(ERR(3)).LT.0.00001) GO TO 571$   
 $IF(ERR(3).GT.0.0) GO TO 561$   
 $ERR(2)=ERR(3)$

```

EL(2)=EL(3)
GO TO 563
241 EL(1)=EL(3)
ERR(1)=ERR(3)
242 EL(3)=EL(1)-ERR(1)*(EL(2)-EL(1))/(ERR(2)-ERR(1))
243 CONTINUE
*** BASED ON THE BALANCED EFFECTIVENESSES, COMPUTE THE OUTLET CONDITIONS
244 EFF=EMAX+CAPR*EFF1
Q=CAPSINK*EFF*(TC-D(IT+NSIS))
H=D(IH+NSIR)-Q/D(IW+NLR)
TOUT=VTLIQ(LOCT,D(IP+NSIR),H)
*** IF TOUT.LT.TSINK, WRITE A WARNING
IF(TOUT.LT.D(IT+NSIS)) GO TO 27
D(IH+NSOR)=H
IF(ITER.GE.30) WRITE(OUT,640) D(IT+NSIS),TOUT,TC,EL(1),
EL(2),EL(3)
245 FORMAT (* *** WARNING FROM CONDPP: ITERATION FAILED/
* SINK INLET TEMPERATURE =",F8.2," REFRIG OUTLET TEMP =",F8.2,"/
* CONDENSING TEMP =",F8.2,/, " RATIO OF TWO-PHASE",
* LENGTH TO TOTAL LENGTH WAS COMPUTED TO BE GREATER THAN",F9.6,
* AND LESS THAN",F9.6,/, " WITH LAST ESTIMATE BEING",F9.6)
*** IN SUBCOOLED REGION AT OUTLET
246 VOUT=1./VDL(LOCT,TOUT)
GO TO 40
247 TOUT=D(IT+NSIS)
H=HSV
Q=D(IW+NLR)*(D(IH+NSIR)-H)
D(IT+NSOS)=D(IT+NSIS)+Q/(D(IW+NLS)*SHP(NLS,D(IP+NSIS),D(IT+NSIS)),
D(IH+NSIS)))
QUAL=1.
WRITE(OUT,1103)TC,D(IT+NSIS)
248 FORMAT(* *** WARNING' IN CONDPP REFRIGERANT COND. TEMP = ",F10.3/
* * LESS THAN INLET SINK TEMPERATURE ",F10.3/
* * REFRIGERANT OUTLET TEMP RESET TO INLET SINK TEMP AND"/
* * OUTLET SINK TEMPERATURE IS RECOMPUTED")
GO TO 40
249 WRITE(OUT,1105)TOUT,ITER,D(IT+NSIS),TC
TOUT=D(IT+NSIS)
H=VHLIQ(LOCT,D(IP+NSIR),TOUT)
D(IH+NSOR)=H
Q=D(IW+NLR)*(D(IH+NSIR)-H)
D(IT+NSOS)=D(IT+NSIS)+Q/(D(IW+NLS)*SHP(NLS,D(IP+NSIS),
D(IT+NSIS),D(IH+NSIS)))
250 FORMAT(* *** WARNING IN CONDPP REFRIGERANT OUTLET TEMP = ",F10.3/
* * EVEN AFTER",I8," ITERATIONS, IS STILL"/
* * LESS THAN INLET SINK TEMPERATURE ",F10.3/
* * CONDENSING TEMPERATURE = ",F10.3/
* * REFRIGERANT OUTLET TEMP RESET TO INLET SINK TEMP AND"/
* * OUTLET SINK TEMPERATURE IS RECOMPUTED")
VOUT=1./VDL(LOCT,TOUT)
GO TO 40
251 QUAL = 1.

```

••• IN SUPERHEAT REGION AT OUTLET  
 CALL VTAV2(LOCT,TOUT,VOUT,D(IP+NSIR),H)  
 ••• REFRIG-SIDE PRESS DROP VS MASS FLOW RATE AS IF VAPOR ONLY  
 •• D(IT+NSOR)=TOUT  
 PDGO = TLUP(ID(IRCD+11)) — PSI refriger ΔP vs. CFM @100%  
 vapor  
 PDR=PDGO  
 IF (QUAL.GE.1.) GO TO 80  
 VRATIO = V\*VDL(LOCT,TC)  
 SLIP = (VRATIO-1.)\*.25 (use V)  
 CALL VTAV2(LOCT,TIN,VIN,D(IP+NSIR),D(IH+NSIR))  
 ••• REFRIG-SIDE PRESS DROP LIQUID ONLY USING SAME FRICTION FACTOR  
 PDLO=PDGO/VRATIO  
 ••• MOMENTUM AT INLET BASED ON VAPOR-ONLY FLOW use V add divisor of 2  
 VMOMIN=(D(IW+NLR)/D(ID(IRCD+12))/60.)\*.2\*VIN/(GC\*144)  
 ••• -PHASE PRESSURE DROP PER FAC CORRELATION OF BAROCZY (as in  $g = \frac{1}{2} \rho V^2$ )  
 PB=-.25\*ALOG10(VRATIO)  
 IF (PB.LT.-1) PB=-1.  
 PHI=-PB\*(1.-QUAL)\*\*2.65/2.65+(1.+PB)\*((1-QUAL)\*\*1.7)/1.7+  
 (1.-QUAL)\*\*2.3\*QUAL/2.3+(1.-QUAL)\*\*3.3/2.3/3.3  
 PHI=PHI/(1.-QUAL)  
 PDR=PDLO+PHI\*(PDGO-PDLO)  
 ••• PRESSURE RECOVERY DUE TO MOMENTUM DECREASE  
 VOIDF = QUAL/(QUAL+SLIP\*(1.-QUAL)/VRATIO)  
 XMOM=((1.-QUAL)/(1.-VOIDF))\*2\*(1.-VOIDF\*(1.-SLIP\*SLIP/VRATIO))  
 DELTAM=(XMOM/VRATIO-1.)\*VMOMIN  
 PDR=PDR+DELTAM  
 ••• OUTLET PRESSURE  
 80 D(IP+NSOR) = D(IP+NSIR) - PDR  
 IF(D(IP+NSOR).GT.0.0)GO TO 82  
 WRITE(OUT,7655)D(IP+NSOR),D(IP+NSIR)  
 7655 FORMAT(" \*++ OUTLET PRESSURE IN COND WAS ",E14.7,  
 ••• RESET PRESSURE TO INLET VALUE ",E14.7)  
 D(IP+NSOR)=D(IP+NSIR)  
 82 CONTINUE  
 ••• PRESSURE DROP ON SINK SIDE sink AP vs W  
 TAVG = (D(IT+NSIS) + D(IT+NSOS)) / 2.  
 PD = TLUP(ID(IRCD+9))  
 IF(ID(IRCD+8).NE.0) PD = PD / SIG(NLS,D(IP+NSIS),TAVG)  
 D(IP+NSOS) = D(IP+NSIS) - PD  
 ••• BECAUSE WE NOW BALANCE THE ENERGY, THE SINK OUTLET TEMPERATURE  
 WILL BE COMPUTED CORRECTLY, SO THERE WILL BE NO ERROR.  
 THE PRIOR METHOD INCURRED AN ERROR BECAUSE THE REFRIGERANT  
 ENTHALPY WAS ALWAYS HFG AND THE REFRIG MASS FLOW WAS COMPUTED  
 EXTERNALLY FOR THE LEG.  
 TO MAINTAIN THE PARALLEL WITH THE PRIOR METHOD,  
 WE ASSUME THE OUTLET TEMPERATURE WAS COMPUTED EXTERNALLY,  
 SO THE ERROR VARIABLE IS THE DIFFERENCE BETWEEN WHAT IS  
 COMPUTED HERE AND WHAT WAS COMPUTED EXTERNALLY.  
 ••• IF THE HUMIDITY IS NON-ZERO AND THE FLUID TYPE IS A GAS,  
 COMPUTE THE DRY-BULB TEMPERATURE  
 (IF(D(IH+NSIS).NE.0.0.AND.LOC5.EQ.2) CALL TDB(NLS,NSIS,NSOS,H5))

```
IF(IFP.NE.1 .OR. ICPP.NE.0) GO TO 99
CALL PIOP(1,NLR,NSIR,NSOR)
CALL PIOP(2,NLS,NSIS,NSOS)
IF(D(IH+NSIS).EQ.0.0 ) GO TO 90
IF (D(IH+NSOS).GT.HS) CALL HSOP(HS)
90 CONTINUE
CALL LINES(2)
WRITE(OUT,1001) EFF,Q
1001 FORMAT(1H0,5X,3HEFF,F7.4,3X,1HQ,F9.2 )
99 CONTINUE
RETURN
CONDPP
```

The pressure-drop computation for the two-phase flow is based on the FAC, Inc., correlation of Baroczy's method, as was used in QB0ILR and the other routines developed under this contract. The pressure-drop computation includes the momentum change between the inlet and outlet. Slip velocities and void fractions are based on a correlation with the liquid-to-vapor density ratio only.

There is no error variable generated in condenser. A sensor should be used if the condensing pressure or the subcooling is to be controlled. The prior simulation generated an error variable as the difference between the heat gained by the air and the heat lost by the refrigerant. Because a heat balance is now used to determine the exit state of the refrigerant, this error is now always zero.

### 3.5. Program Listing

Exhibit 3.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, so computer storage space is conserved, the AECS program does not include the comment cards.

### 3.6. Sample Case

The sample case, as depicted in Exhibit 3.6-1, is based on having the condenser alone as the total system. The input data are shown in the required format for AECS input. The corresponding output data are shown in the system schematic (Exhibit 3.6-1) as well as in the output format (Exhibit 3.6-2), starting with Page 7 of the output, the beginning of the computed data. Previous pages contain the headers and a repeat of the input data.

### 3.7. Technical Background

The technical basis for the pressure-drop computation on the refrigerant side is contained in the section on QB0ILR. The method is not standard but correlates well respected data. The momentum recovery is assumed to be 100%.

The remainder of the theory is the same as used in the prior simulation method and is in the standard literature on heat exchangers. The effectiveness is based on the condensing temperature:

$$\text{Effectiveness} = (T_{\text{cool,out}} - T_{\text{cool,in}}) / (T_{\text{condensing}} - T_{\text{cool,in}})$$

where  $T_{\text{cool}}$  is the coolant temperature. If most of the heat transfer is in the superheated region, an adjustment will be required in the effectiveness table, perhaps including an effectiveness greater than 1.0. Otherwise, AECS will predict a required condenser size larger

than will be found necessary in practice.

The effectiveness as entered in the tables is adjusted depending on the location of the beginning of the liquid-only flow region on the refrigerant side. The effectiveness as entered in the user-defined tables is applied to the two-phase region. The overall heat-transfer coefficient ( $U$ ) in the two-phase region is deduced from the equation for the effectiveness:

$$E2 = \text{Effectiveness} = 1 - \exp(-U*A*LR/(M*CP))$$

where  $M$  = mass flow rate of the sink  
 $CP$  = specific heat of the sink  
 $LR$  = ratio of the length of the two-phase region to the total length of the heat exchanger

The heat-transfer coefficient in the liquid-only region is assumed to be  $U/2$ , and the effectiveness in the two-phase region is assumed to be given by the equation for counter-flow heat exchangers:

$$E1 = \text{Effectiveness} = (1 - E) / (1 - C*E)$$

where  $E = \exp(-U*A*(1 - LR)/(2*MR*CPR))$   
 $MR$  = mass flow rate of the refrigerant  
 $CPR$  = specific heat of the liquid refrigerant  
 $C = MR*CPR/M*CP$

Because  $C$  is much less than 1.0 for all practical cases, this equation is simplified within the computer routine to:

$$E1 = \text{Effectiveness} = 1 - E$$

If  $ED$  is the effectiveness as entered in the user-defined tables, then the equations for  $E1$  and  $E2$  can be written:

$$E1 = 1 - (1 - ED)^{**}((1 - LR)/(2*C))$$

and

$$E2 = 1 - (1 - ED)^{**}LR$$

The value of  $LR$  is determined iteratively within the condenser simulation routine, with the iteration being terminated when the heat loss from the refrigerant side equals the heat gain on the sink side.

Exhibit 3.6-1: Input Cards and Flow Diagram for the Sample Case

PERFORM  
EXAMPLE CASE FOR CONDENSER

COND	0000	2	4	0
0	0	0	0	0
0.0	0.0	0.0		
0.0	0.0			

VALUES	1	10.202	14.7	540.00	0.0	0.0001
VALUES	6	14.202	14.5	565.00	0.0	0.0
VALUES	11	1.0	275.6962	656.92	130.033	0.0
VALUES	16	1.0	272.1834	577.00	44.82	0.0

LET	10	1	260000	1	2	3	4	2	-1
LET	20	2	220100	11	12	13	14	3	=22
LET	30	2	22	5	1	26	27	0	1
LET	40	2	50010	16	17	18	19		
LET	50	1	270000	6	7	8	9		

ID	AIR SIDE PRESS DROP T=1 RN=1 (IND.VAR.=AIR FLOW)
V	0.0 0.0 30.0 1.0

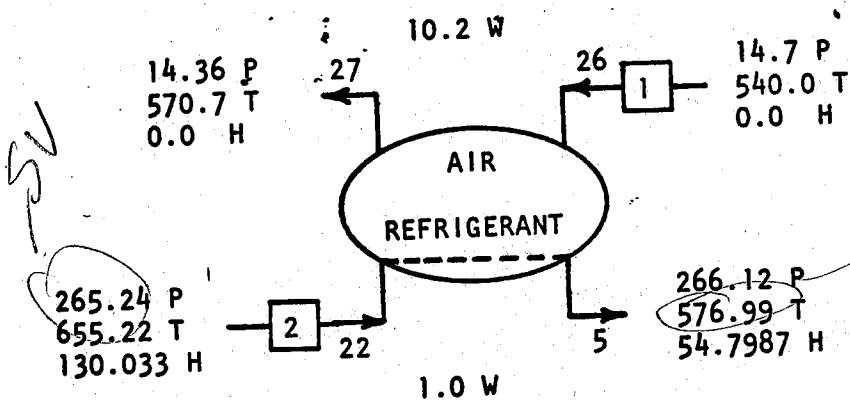
ID	AIR SIDE EFFECTIVENESS T=5 RN=2 (IND.VAR.=AIR FLOW)
V	0.0 1.0 30.0 0.5

ID	REFRIG SIDE PRESS DROP T=1 RN=3 (IND.VAR.=REFRIG FLOW)
V	0.0 0.0 2.0 6.0

ASSE	1 0 1 0
------	---------

R-22 press  
= SV

R-22  
outlet temp  
= EV-  
STR



Note: Not all of the parameter values listed are used.

Exhibit 3.6-2: AECS Output for the Sample Case

11 2  
EVT 1 3  
PASS 1

S.V.  
( 1) 2.75696E+02

E.V.  
( 1) 3.000001E+00

H ( 1) 1.020200E+01 ( 2) 1.000000E+00

P ( 26) 1.470000E+01 ( 22) 2.75696E+02 ( 5) 2.76658E+02 ( 27) 1.43599E+01

T ( 26) 5.400000E+02 ( 22) 6.56925E+02 ( 5) 5.800000E+02 ( 27) 5.73199E+02

H ( 26) 0. ( 22) 1.300333E+02 ( 5) 4.868869E+01 ( 27) 0.

COMPONENT COND

	NL	2	NSI	22	N50	5	FT	3	FN	-22
W	1.00	P1	265.24	P0	266.12	T1	655.22	T0	576.99	H130.0330
	NL	1	NSI	26	N50	27	FT	2	FN	-1
	W	10.20	P1	14.70	P0	14.36	T1	540.00	T0	570.70
										H1 0.0000
										HO 0.0000

EFF .8300 Q 75.23  
\*AECS\* EXAMPLE CASE FOR CONDENSER  
1 CASE COND

TIME E 92.91

FLOW RATE(S)-LB/MIN

( 1) 10.20 ( 2) 1.00

PRESSURE(S)-PSI

( 5) 266.12 ( 22) 265.24 ( 26) 14.70 ( 27) 14.36

TEMPERATURE(S)-DEG R

( 5) 576.99 ( 22) 655.22 ( 26) 540.00 ( 27) 570.70

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

PAGE 8  
DATE 09/06/01

7987 ( 22)130.0330 ( -26) 0.0000 ( 27) 0.0000

STATE VARIABLE TYPE(S)  
( 1) 2

STATE VARIABLE TYPE(S)  
( 1) 2.65239E+02

ERROR VARIABLE TYPE(S)  
( 1) 3

ERROR VARIABLE(S)  
( 1)-5.36060E-03

SOLUTION CONVERGED IN

5 TRY(S)

0 ERROR(S) DETECTED

CASE END

## **4. Subroutine COP (Coefficient of Performance)**

### **4.1. Subroutine Description**

The COP subroutine is a computational subroutine, rather than a simulation subroutine. It computes the coefficient of performance of the vapor-compression refrigeration system for any user-specified group of evaporators and compressors. More than one COP component can be included in a simulation. If no evaporator is included in the COP component specification, the COP subroutine simply sums (and prints) the compressor powers. If no compressor is included in the COP component specification, the COP subroutine simply sums (and prints) the evaporator heat transfer rates.

### **4.2. Prior Simulation Method**

The COP subroutine is a new subroutine with no prior counterpart. Previously, the COP could be computed with the MISC component.

### **4.3. New Simulation Method**

The COP subroutine first sums the heat transfer rates in each of the user-specified evaporators. It then sums the compressor power in each of the user-specified compressors. The Coefficient of Performance (COP) is defined as the ratio of the sum of the heat-transfer rates to the sum of the compressor powers. COP is a dimensionless measure of the effectiveness of the vapor-compression refrigeration cycle.

In the computations, the heat-transfer rates are computed from the enthalpy increase of the refrigerant passing through the evaporators. The compressor powers are computed from the enthalpy increase of the refrigerant passing through the compressor. The corresponding flow rates are evaluated at the inlets to the components. Note that, if a Roots compressor with pocket feed is used, the user must enter the data as if for two compressors: one compressing from the conventional inlet to the exhaust and one compressing from the pocket inlet to the exhaust.

### **4.4. Computational Procedure**

The computational procedure is presented in the form of a heavily annotated FORTRAN program in Exhibit 4.4-1.

### **4.5. Program Listing**

Exhibit 4.4-1 not only defines the computational procedure; it also presents the program listing. However, so computer storage space might be conserved, the AECS program does not include the comment cards.

**Exhibit 4.4-1: Performance-Program Logic and Listing**

```
SUBROUTINE COPPP
COMMON/CC/C(400)
EQUIVALENCE (OUT,C(7)),(IW,C(27)),
* (IH,C(30)),(ISN,C(38)),(ICDB,C(43)),
* (NCOMP,C(44)), (IRCD,C(45)), (IFP,C(22)), (ICPP,C(88)),
* (SCR(1),C(151))
INTEGER OUT
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),NE), (SCR(2),NVC), (SCR(3),QCOOL),
* (SCR(4),QWORK), (SCR(5),IRET), (SCR(6),ISTA
    ), (SCR(7),LOC),
* (SCR(8),LCOMP), (SCR(9),NSI), (SCR(10),NSO), (SCR(11),NL)
COMMON/DC/DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 NUMBER OF EVAPORATORS
C 3 NUMBER OF COMPRESSORS
C 4-18 INLET STATION NUMBERS OF EVAPORATORS AND VAPOR COMPRESSORS
C*** THE FOLLOWING FUNCTION COMPUTES THE WORK OR HEAT TRANSFER
    QFUNC(NSI,NSO,NL) = D(IW+NL)*(D(IH+NSO)-D(IH+NSI))
    IF (IFP.NE.1 .OR. ICPP.NE.0) GO TO 99
    IRCD=IRCDB(18)
    NE=ID(IRCD+2)
    NVC=ID(IRCD+3)
    QCOOL=0.
    QWORK=0.
    IRET=0
C*** IF THE NUMBER OF EVAPORATORS IS ZERO, GO TO 1
    00 TO COMPUTE THE POWER
    IF (NE.EQ.0) GO TO 100
C*** IF NO. OF COMPRESSORS = 0, GO TO 200 TO COMPUTE THE HEAT TRANSFER
    IF (NVC.EQ.0) GO TO 200
    5 DO 50 J=1,NE
C*** GET THE COMPONENT TYPE FOR THE INPUT STATION NUMBER
    ISTA=ID(IRCD+3+J)
    DO 40 K=1,NCOMP
    LOC=ID(ICDB+K)
    LCOMP=ID(LOC+1)
C*** IF THE COMPONENT IS NOT A EVAP AT THIS STATION, PRINT ERROR
    IF (LCOMP.EQ.37 .OR. LCOMP.EQ.39 .OR. LCOMP.EQ.40) GO TO 10
    GO TO 40
    10 NSI=ID(LOC+3)
    NSO=ID(LOC+4)
    NL=ID(LOC+2)
C*** IF THE STATION NUMBERS DO NOT AGREE, PRINT ERROR MESSAGE
    IF (ID(ISN+NSI).NE.ID(ISTA)) GO TO 40
C*** ADD THIS EVAP HEAT TRANSFER TO THOSE COMPUTED
    FOR THE OTHER EVAPS
    QCOOL=QCOOL+QFUNC(NSI,NSO,NL)
    GO TO 50
40 CONTINUE
WRITE(OUT,1000) ISTA
```

```

1000 FORMAT(" WARNING IN COP - NO EVAPORATOR FOUN
D FOR STATION",I4)
50 CONTINUE
IF (IRET.EQ.1) GO TO 210
52 DO 80 J=1,NVC
C*** FIND THE COMPONENT NUMBER FROM THE INPUT DATA
ISTA=ID(IRCD+3+NE+J)
DO 60 K=1,NCOMP
LOC=ID(ICDB+K)
LCOMP=ID(LOC+1)
C*** IF THE COMPONENT IS NOT A COMPRESSOR, PRINT ERROR
IF(LCOMP.EQ.35) GO TO 55
GO TO 60
55 NSI=ID(LOC+3)
NSO=ID(LOC+4)
NL=ID(LOC+2)
C*** CHECK TO MAKE SURE THE STATION NUMBERS AGREE
IF (ID(ISN+NSI).NE.ISTA) GO TO 60
C*** ADD THE WORK OF THIS COMPRESSOR TO THE WORK OF OTHERS
QWORK=QWORK+QFUNC(NSI,NSO,NL)
GO TO 80
60 CONTINUE
WRITE(OUT,1100) ISTA
1100 FORMAT(" WARNING IN COP - NO VAPOR COMPRESSO
R FOUND FOR STATION",
* I4)
RETURN
80 CONTINUE
IF (IRET.EQ.1) GO TO 110
C*** COMPUTE THE COEFFICIENT OF PERFORMANCE
CP=QCOOL/QWORK
CALL LINES(5)
WRITE(OUT,1200).CP
1200 FORMAT(1H0,"COEFFICIENT OF PERFORMANCE =",G10.4)
WRITE(OUT,1300) (ID(IRCD+3+J),J=1,NE)
1300 FORMAT(" EVAPORATOR STATIONS",8X,15I4)
WRITE(OUT,1400) (ID(IRCD+3+NE+J),J=1,NVC)
1400 FORMAT(" VAPOR COMPRESSOR STATIONS",15I4)
RETURN
100 IRET=1
GO TO 52
110 CALL LINES(2)
WRITE(OUT,1500) QWORK
1500 FORMAT(" VAPOR COMPRESSOR WORK =",G10.4," BTU/MIN")
WRITE(OUT,1400) (ID(IRCD+3+J),J=1,NVC)
RETURN
200 IRET=1
GO TO 5
210 CALL LINES(2)
WRITE(OUT,1600) QCOOL
1600 FORMAT(" COOLING LOAD =",G10.4," BTU/MIN")
WRITE(OUT,1300) (ID(IRCD+3+J),J=1,NE)
99 RETURN
C COPPP

```

#### 4.6. Sample Case

The sample case for the COP subroutine is a simple refrigeration cycle (Exhibit 4.6-1), with a compressor, condenser, expansion valve, and evaporator. This same example illustrates the use of the CVALVE and the new compressor routine with a centrifugal compressor. In the description of the component SOLN later in this report, the same example is used to illustrate the MRD solution routines.

Exhibit 4.6-1 shows not only a schematic of the system, but the input data as well. The numerical values on the schematic are the solution values as determined by AECS. The detailed output sheets are presented in Exhibit 4.6-2, starting with Page 7, the beginning of the computed data. Previous output pages contain headers and a repeat of the input data.

#### 4.7. Technical Background

The heat transfer in the evaporator is computed from the energy balance on the refrigerant side. Therefore,

$$\text{Heat Transfer (Btu/min)} = (\text{Refrigerant flow rate into the evaporator}) * (\text{Enthalpy of the refrigerant leaving the evaporator} - \text{Enthalpy of the refrigerant entering the evaporator})$$

The compressor power is also computed from an energy balance:

$$\text{Power (Btu/min)} = (\text{Refrigerant flow rate into the compressor}) * (\text{Enthalpy of the refrigerant leaving the compressor} - \text{Enthalpy of the refrigerant entering the compressor})$$

The COP is then computed from:

$$\text{COP} = \text{Heat Transfer} / \text{Power}$$

with the heat transfer and power first being summed for each evaporator and compressor, respectively. Note that the COP does not include the mechanical inefficiency of the compressor, because the mechanical losses do not increase the enthalpy of the refrigerant.

4.6-1 (a): Input Cards for the Sample Case

EXAMPLE OF COP PROGRAM

```

    LINE COPPP 0000 3 9 0
    1 TA      0 0 0 0 0
    2 R8     0.0   0.0   0.0
    3 EC     0.0
    4 D9
    5 CMM 20
    6 ES 1 0.43 92.0 519.7 111.20 10000.
    7 ES 6 3.26 0.85 4.0 14.7 540.0
    8 ES 11 0.0 0.001 1.0 1119.0 1.8
    9 ES 16 14.7 540.0 0.015 11.0 0.01
    10 S 10 1 1 1 5 3 -220000 1 2 3 4
    11 UFT 20 1 0 5
    12 MP 30 1 1 2 1 0 6 1 72 7 0
    13 ET 40 2 210000 8 9 10 11 2 -1
    14 D 50 1 2 3 2 21 22 0 1 2 3 12
    15 ALIVE 60 1 3 4 0 13 14
    16 NET 70 3 311000 15 16 17 18 2 -1
    17 ADP 80 1 4 5 3 31 32 0 4 5 19 6 20 0
    18 PPE 90 1 1 1 50101
    19 * 100 1 1 4 1
    20 #ID 72 6 33 0 0 280001 2 0 101 101 2
    21 VCOMP: EFFICIENCY = F(FLOW RATE, SHAFT SPEED)
    22 0.0 1.0
    23 0.0 11.0
    24 1000. 11000.
    25 0.85 0.85 0.85 0.85
    26 #ID 1 1 2 0 0 410001 2
    27 #T AIR SIDE PRESS DROP T=1 RN=1 (IND.VAR.=AIR FLOW)
    28 #V 0.0 0.0 30.0 1.0
    29 #ID 2 5 2 0 0 410001 2
    30 #T AIR SIDE EFFECTIVENESS T=5 RN=2 (IND.VAR.=AIR FLOW)
    31 #V 0.0 1.0 30.0 0.5
    32 #ID 3 1 2 0 0 420001 2
    33 #T REFRIG SIDE PRESS DROP T=1 RN=3 (IND.VAR.=REFRIG FLOW)
    34 #V 0.0 0.0 2.0 6.0
    35 #ID 4 1 2 0 0 410001 2
    36 #T AIR SIDE PRESS DROP T=1 RN=1 (IND.VAR.=AIR FLOW)
    37 #V 0.0 0.0 5.0 0.1
    38 #ID 5 5 2 0 0 410001 2
    39 #T AIR SIDE BYPASS FACTOR T=5 RN=2 (IND.VAR.=AIR FLOW)
    40 #V 0.0 0.0 5.0 0.3
    41 #ID 6 2 2 0 0 420001 2
    42 #T REFRIG SIDE PRESS DROP T=1 RN=3 (IND.VAR.=)
    43 #V 0.0 0.0 1.0 10.0
  
```

CASE  
CJOB  
\*

Exhibit 4.6-1 (b): Flow Diagram for the Sample Case

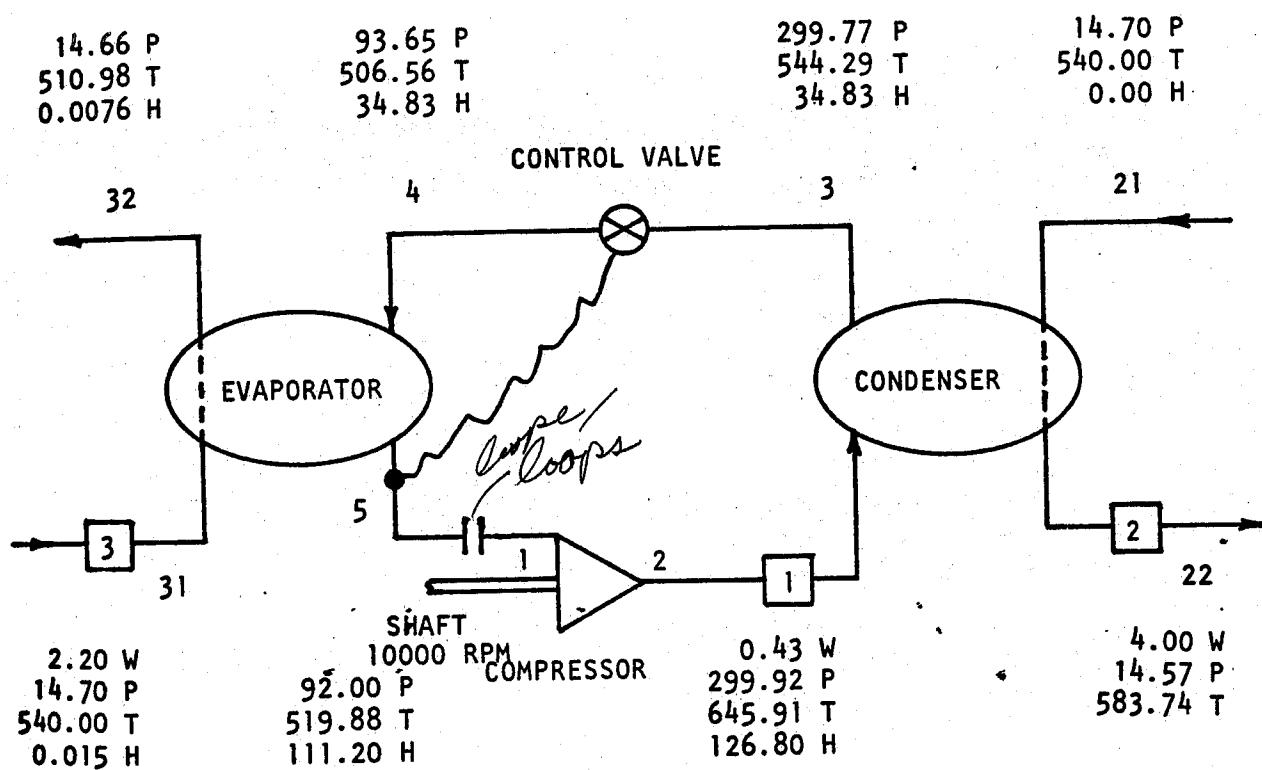


Exhibit 4.6-2: AECS Output for the Sample Case

$$\Delta \frac{V}{A} = \frac{6.71}{1.1} = 35.3$$

$\frac{15.60A}{A_3}$

$\checkmark$

COMPONENT SHAFT  
SHAFT 1 N 10000.

COMPONENT VCOMP									
NL	1	NSI	1	NSO	2	FT	3	FN	-22
W	.43	PI	92.00	PO	299.92	T1	519.88	TO	645.91
NL*****	NSI	3	NSO	2	FT	0	FN	0	H0126.8038
W	0.00	PI	2.20	PO	299.92	T1	14.66	TO	645.91
SHAFT	1	PR	3.2600	EFF	.8500	HP	-.19		H0126.8038

COMPONENT CND

NL	1	NSI	2	NSO	3	FT	3	FN	-22
W	.43	PI	299.92	PO	299.77	T1	645.91	TO	544.29
NL	2	NSI	21	NSO	22	FT	2	FN	-1
W	4.00	PI	14.70	PO	14.57	T1	540.00	TO	583.54
*AECS* REFRIGERANT TEST CASE									
1 CASE R22-01									

COMPONENT CVALVE

NL	1	NSI	3	NSO	4	FT	3	FN	-22
W	.43	PI	299.77	PO	93.65	T1	544.29	TO	506.56
K	1.114781E+03								

COMPONENT EVAP

NL	1	NSI	4	NSO	5	FT	3	FN	-22
W	.43	PI	93.65	PO	92.00	T1	506.56	TO	520.41
NL	3	NSI	31	NSO	32	FT	2	FN	-1
W	2.20	PI	14.70	PO	14.66	T1	540.00	TO	510.98
BYPASS FACTOR .1321 Q 32.84									

PAGE 9  
DATE 01/23/82

VARIABLES IN STATIONS  
1  
CASE R22-01

TIME E 184.51

FLOW RATE(S)-LB/MIN

( 1) .43 ( 2) 4.00 ( -3) 2.20

PRESSURE(S)-PSI

( 1) 92.00 ( 2) 299.92 ( -3) 299.77 ( -4) 93.63 ( -5) 92.00 ( -21) 14.70

TEMPERATURE(S)-DEG R

( 1) 519.88 ( 2) 645.91 ( -3) 544.29 ( -4) 506.56 ( -5) 520.41 ( -21) 540.00

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1) 1111.2000 ( 2) 126.8038 ( -3) 34.8313 ( -4) 34.8313 ( -5) 1111.2000 ( -21) 0.0000

STATE VARIABLE TYPE(S)

( 1) 6 ( 2) 1

STATE VARIABLE(S)

( 1) 1.11478E+03 ( 2) 2.20199E+00

ERROR VARIABLE TYPE(S)

( 1) 2 ( 2) 4

ERROR VARIABLE(S)

( 1)-9.44546E-07 ( 2)-2.60574E-05

SOLUTION CONVERGED IN 6 TRY(S)

0 ERROR(S) DETECTED

CASE END

## **5. Subroutine CVALVE (Control Valve)**

### **5.1. Subroutine Description**

The CVALVE routine simulates a control valve that produces a pressure drop, usually in response to an error signal from a sensor. However, in the AECS solution procedure there is no mathematical connection between the control valve and any sensor except through the solution procedure. Therefore, CVALVE simply provides a state variable, the control-valve flow factor, that the solution procedure uses in conjunction with the other state variables to minimize all of the error variables simultaneously.

### **5.2. Prior Simulation Method**

The pressure at the outlet station from CVALVE is given by the equation

$$P_{out} = P_{in} - AK * W^{*2}$$

where  $W$  is the flow rate in lbs/min and  $AK$  is the control-valve flow factor. CVALVE always generates  $AK$  as a state variable. CVALVE was previously limited to single-phase fluids.

### **5.3. New Simulation Method**

The only difference between the prior and present simulations is the addition of the capability of CVALVE to be used with two-phase fluids. The equation for  $P_{out}$  was left unchanged. However, the equation for the outlet temperature is based on the refrigerant-properties routines with the flow through the valve being a throttling (constant-enthalpy) process.

### **5.4. Computational Procedure**

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing (Exhibit 5.4-1).

### **5.5. Program Listing**

The program listing is presented in Exhibit 5.4-1, except that the program listing does not include the comment cards.

### **5.6. Sample Case**

The sample case for CVALVE is integrated into the sample case for the COP computation, presented in Exhibits 4.6-1 and 4.6-2.

### **5.7. Technical Background**

The form of the pressure-drop equation has no bearing on how CVALVE enters the computations. CVALVE simply provides a pressure-reduction device. In two-phase flows, the AECS solution could be used to derive the characteristics of a physical valve that would give the desired pressure drop for the two-phase flow rate and thermodynamic state.

**Exhibit 5.4-1: Performance-Program Logic and Listing**

LINE  
1A38

```
SUBROUTINE CVLVPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCDC(45)), (IW,C(27)), (IP,C(28)), (IT,C(29))
*, (IH,C(30)), (SCR(1),C(151)), (ICPP,C(88)), (OUT,C(7))
*, (ISV,C(47)), (PASS,C(17)), (ISVT,C(46))
*, (IFF,C(22)), (ISVS,C(92)), (IIOP,C(90))
*, (IFB,C(55))
DIMENSION SCR(30)
INTEGER PASS, OUT
EQUIVALENCE (SCR(1),NL), (SCR(2),NSI), (SCR(3),NSO)
*, (SCR(4),JSVI), (SCR(5),PD), (SCR(6),AK), (SCR(7),HS)
*, (SCR(8),NC), (SCR(9),LOCT), (SCR(10),V), (SCR(11),H)
*, (SCR(12),PO), (SCR(13),TO)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG
C 3 STATION IN
C 4 STATION OUT
C 5 PRESS. DROP OPTION
C 6 MIN. K
C 7 INITIAL K
C 8 STATE VARIABLE INDEX

*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY
IRCDC = IRCDB(8)
NL = ID(IRCDC+2)
NSI = ID(IRCDC+3)
NSO = ID(IRCDC+4)
JSVI = ID(IRCDC+8)
NC = ID(IFB+NL)
LOCT = ID(NC+3)
NC = ID(NC+1)
IF(PASS.NE.1) GO TO 3
ID(ISVT+JSVI) = 6
D(ISV+JSVI) = D(ID(IRCDC+7))

*** IF AK IS LESS THAN THE LOWER LIMIT, SET AK EQUAL TO THE LOWER LIMIT
3 IF (IIOP.NE.0 .OR. D(ISV+JSVI).GE.D(ID(IRCDC+6))) GO TO 4
D(ISV+JSVI) = D(ID(IRCDC+6))
D(ISVS+JSVI) = D(ISV+JSVI)
4 AK = D(ISV+JSVI)

*** COMPUTE THE PRESSURE DROP FOR THIS AK
PD = AK*D(IW+NL)**2
IF (NC.NE.3 .AND. ID(IRCDC+5).NE.0 ) PD = PD/
      SIG(NL,D(IP+NSI),
* D(IT+NSI) )
IF (IIOP.NE.JSVI) GO TO 1
ITER = 0

*** IF THE PRESSURE DROP IS LESS THAN 0.1% OR 0.0
      1 PSI, DOUBLE IT
2 IF (PD.GE.0.01 .AND. PD.GE.0.001*D(IP+NSI)) GO TO 1
PD = 2.0*PD
```

```

D(ISV+JSVI) = 2.0*D(ISV+JSVI)
ITER = ITER+1
IF (ITER.EQ.100) GO TO 1
GO TO 2
C*** COMPUTE THE OUTLET PRESSURE
1 D(IP+NSO) = D(IP+NSI)-PD
D(IRCD-6) = AK
C*** CHECK FOR NEGATIVE ABSOLUTE PRESSURES
IF (D(IP+NSO).GT.0.0.AND.D(IP+NSO).LE.0.0)
* GO TO 9
C*** IF THE FLUID IS A REFRIGERANT, BRANCH TO 5
IF (NC.EQ.3) GO TO 5
D(IT+NSO) = D(IT+NSI)
C*** THE THROTTLING IS AT CONSTANT ENTHALPY (ALSO
TEMP IF NOT A REFRIG)
6 D(IH+NSO) = D(IH+NSI)
IF (NC.EQ.3) GO TO 7
IF (D(IH+NSI).NE.0.0) CALL TDB(NL,NSI,NSO,HS)
7 IF (IPF.NE.1.OR. ICPP.NE.0) GO TO 99
CALL PIOP(1,NL,NSI,NSO)
IF (NC.NE.3 .AND. D(IH+NSI).NE.0.0 .AND. D(IH+NSO).GT.HS)
* CALL HSOP(HS)
CALL LINES(2)
WRITE (OUT,1001) AK
1001 FORMAT(1H0,5X,1HK,1PE15.6)
99 CONTINUE
RETURN
C*** COMPUTE THE REFRIGERANT STATE
5 QUAL=VQUALH(LOCT,D(IP+NSO),D(IH+NSI))
IF(QUAL.LT.0.0)D(IT+NSO)=VTLIQ(LOCT,D(IP+NSO),D(IH+NSI))
IF(QUAL.GE.0..AND.QUAL.LE.1.)D(IT+NSO)=VTS(LOCT,D(IP+NSO))
IF(QUAL.GT.1.)CALL VTAV2(LOCT,D(IT+NSO),V,D(
    IP+NSO),D(IH+NSI))
GO TO 6
C*** TRY THE FOLLOWING FIX FOR THE ERROR SO THE SOLU-
TION CAN PROCEED
7 PO = 0.0
8 D(ISV+JSVI) = 0.9*(D(IP+NSI)-PO)/D(IW+NL)**2
IF (NC.NE.3 .AND. ID(IRCD+5).NE.0) D(ISV+JSV
    I) = D(ISV+JSVI)*
* SIG(NL,D(IP+NSI),D(IT+NSI))
GO TO 4
C CVLVPP
END

```

$$D(IT+NSO) = VTS(LOCT, D(IP+NSO))$$

## 6. Subroutine EVAP (Refrigerant Evaporator)

### 6.1. Subroutine Description

The EVAP subroutine simulates a direct-expansion, refrigerant-to-source heat exchanger in which the source is cooled and possibly dehumidified. The inlet on the refrigerant side would normally be downstream from an expansion valve. The outlet would be controlled by the expansion valve such that the outlet temperature is approximately five degrees above the normal saturation temperature (evaporation temperature) in the heat exchanger. Warm moist air or other source would normally enter the heat exchanger on the source side. The leaving source fluid would have a lower temperature and, if a gas, a lower absolute humidity (1bs of water per 1b of dry gas).

### 6.2. Prior Simulation Method

The previous evaporator model did not allow for dehumidification, was based on the heat gain by the refrigerant being the heat of vaporization, and did not include the refrigerant-side pressure drop. The model performed a heat balance on the evaporator, with the performance being characterized by the source-side effectiveness. The dependence of the effectiveness on the flow rate had to be pre-calculated and entered as a function of the source-side flow rate.

### 6.3. New Simulation Method

The new model characterizes the evaporator by the coil bypass factor, as used in conventional air-conditioning applications. The bypass factor is equal to the coil ineffectiveness (1.0 minus the effectiveness) if there is no dehumidification. If there is dehumidification, it is also equal to the ratio of the decrease in absolute humidity divided by the difference between the inlet absolute humidity and the absolute humidity at the coil temperature.

The evaporation temperature is assumed equal to the saturation temperature at the inlet pressure; however, any inlet quality or subcooling is permissible. The exit state for the refrigerant is computed by a heat balance, with the heat-transfer rate being computed by the source-side effectiveness. The refrigerant exit state can have any quality or degree of superheat.

Because the heat transfer is based on the user-supplied bypass-factor table and the saturation temperature of the refrigerant, inconsistent input data could result in a refrigerant temperature at the exit of the evaporator being higher than the inlet air temperature. A warning message is printed by EVAP if this occurs. The user should examine

the output data to determine if this occurrence persisted through to the final solution. If not, the warnings were issued only during the iterations leading to the solution, so there will be no effect on the final results. If the occurrence did persist, the user should revise his input and re-run the case.

The pressure drop on the source side is entered as a table, as in the prior simulation method. The pressure drop on the refrigerant side is entered as if only vapor were flowing. The tabular values are corrected for the two-phase flow as part of the simulation method.

#### 6.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing in Exhibit 6.4-1.

The computation of the absolute humidity is based on the molecular weight of the gas being 29, so it is exact only for air. However, the molecular weight enters only in relating the partial pressure to the absolute humidity, so the simulation can be used as a reasonable approximation for other gases as well. Greater accuracy could be obtained if a more elaborate model of gas/water mixtures were used; however, the greater accuracy would be inconsistent with the simple model being used for the heat exchanger itself.

The pressure-drop computation for the two-phase flow is based on the FAC, Inc., correlation of Baroczy's method, as is used in QB0ILR and the other routines developed under this contract. The pressure-drop computation includes the momentum change between inlet and outlet. Slip velocities and void fractions are computed based on a correlation with the density ratio only.

In keeping with the contractual requirements, the EVAP can have an error variable generated that is equal to the difference between the exit temperature and a user-specified control temperature. The effect is the same as would be obtained if a SENSOR were placed downstream of the evaporator. In the prior simulation method such an error variable was needed to obtain an energy balance, with the solution routine (SOLN1) eventually balancing the flow rate and energy. In the present method the energy balance is guaranteed by the computational method, without the aid of an error variable.

#### 6.5. Program Listing

Exhibit 6.4-1, which presents the program computational procedure, also is the program listing as used in AECS for the performance computation. However, the comment cards are omitted in the AECS program.

#### 6.6 Sample Case

The sample case is based on having an evaporator alone as the total system, as depicted in Exhibit 6.6-1. The input data are shown in the

Exhibit 6.4-1: Performance-Program Logic and Listing

```

SUBROUTINE EVAPPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(IFB,C(55)),(IGA,C(35))
*,(IEVT,C(48)),(IEV,C(49)),(IFP,C(22)),(ICPP,C(88))
*,(PASS,C(17)),(OUT,C(7)),(GC,C(370))

INTEGER PASS,OUT
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),NLR),(SCR(2),LOCT),(SCR(3),NSIR)
*,(SCR(4),NSOR),(SCR(5),NLS),(SCR(6),NSIS),(SCR(7),NSOS)
*,(SCR(8),JEVI),(SCR(9),V),(SCR(10),Q),(SCR(11),TOUT)
*,(SCR(12),EFF),(SCR(13),TAVG),(SCR(14),PD)
*,(SCR(15),HS)
EQUIVALENCE (D(50),TE),(D(52),HSV),(D(53),HFG),
*(D(54),HSL),(D(55),QUALIN),(ID(56),I1),(D(57),BF),
*(D(58),TAIRO),(D(59),PW),(D(60),HCOIL),(D(61),HDIFF),
*(D(62),CPWV),(D(64),H),(D(65),QUAL),
*(D(67),VOUT),(D(68),VDGO),(D(69),PDGO),(D(70),VRATIO),
*(D(71),PDLO),(D(72),PDR),(D(73),SLIP),(D(74),PB),
*(D(75),PHI),(D(76),XMOMO),(D(77),XMOMI)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

** PRESSURE-DROP FUNCTION FOR TWO-PHASE FLOW BASED ON FAC, INC.,
CORRELATION OF BAROCZY'S METHOD
DP2PH(X)=-PB*X**2.65/2.65+(1.+PB)*(X**1.7/1.7-(1.-X)**2.3*X
* /2.3 - (1.-X)**3.3/2.3/3.3)

*** VOID-FRACTION CORRELATION
VOIDF(X)=X/(X+SLIP*(1.-X)/VRATIO)
*** RATIO OF MOMENTUM FLUX TO MOMENTUM OF LIQUID-ONLY FLOW
VMOM(X)=((1.-X)/(1.-VOIDF(X)))*2*(1.-VOIDF(X)*
* (1.-SLIP*SLIP/VRATIO)) - 1

1 COMP CODE
2 LEG NO R
3 INLET STATION NO R
4 OUTLET STATION NO R
5 LEG NO S
6 INLET STATION NO S
7 OUTLET STATION NO S
8 PRESS DROP OPTION
9 PRESS DROP TABLE NO
10 BYPASS-FACTOR TABLE NO
11 DEGREES SUPERHEAT
12 ERROR VARIABLE INDEX
13 R-SIDE PRESS DROP TABLE(FT OF VAPOR VS CFM, VAPOR FLOW ONLY)
14 FLOW AREA ON REFRIGERANT SIDE (AF) IN SQ.FT.
** NO ERROR VARIABLE IF OPTION=0; SUPERHEAT, IF OPTION=1
15 ERROR OPTION

```

?? not in data card  
format p. 8

•• SET UP INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY  
 IRCD = IRCD(15)  
 NLR = ID(IRCD+2)  
 NSIR = ID(IRCD+3)  
 NSOR = ID(IRCD+4)  
 NLS = ID(IRCD+5)  
 NSIS = ID(IRCD+6)  
 NSOS = ID(IRCD+7)  
 LOCT = ID(IFB+NLR)  
 LOCS = ID(IFB+NLS)  
 LOC = ID(LOCS+1)  
 LOCT = ID(LOCT+3)  
 IOP=ID(IRCD+15)

••• DEFINE THREE INDEPENDENT VARIABLES FOR TABLE LOOK-UP  
 ITER=0  
 D(IGA+41) = D(IW+NLS)  
 D(IGA+42) = D(IW+NLR)  
 D(IGA+43) = D(IP+NSIS)  
 JEFI = ID(IRCD+12)

••• COMPUTE THE SATURATION PROPERTIES  
 TE=VTS(LOCT,D(IP+NSIR))  
 V =VSV(LOCT,D(IP+NSIR),TE)  
 AF=D(ID(IRCD+14))  
 HSV=VH(LOCT,D(IP+NSIR),TE,V)  
 HFG=VHFG(LOCT,D(IP+NSIR),TE,V)  
 HSL=HSV-HFG  
 D(IGA+42)=D(IGA+42)\*V  
 QUALIN=(D(IH+NSIR)-HSL)/HFG  
 IF(QUALIN.GT.1.0)QUALIN=1.0  
 IF(QUALIN.LT.0.0)QUALIN=0.0  
 I1 = ID(IRCD+11)

••• COMPUTE THE TEMPERATURE OF THE SUPERHEATED OUTLET FLOW  
 TSH = TE + D(I1)

••• USE TLUP FOR THE SOURCE-SIDE BYPASS FACTOR  
 BF = TLUP(ID(IRCD+10))

••• COMPUTE THE OUTLET SOURCE TEMPERATURE FROM THE BYPASS FACTOR  
 5 CONTINUE  
 D(IT+NSOS) = TE - BF \*(TE - D(IT+NSIS))

••• COMPUTE THE OUTLET HUMIDITY BASED ON AIR/WATER PROPERTIES  
 PW=EXP(-8083./TE+2.2615\* ALOG(TE))  
 HCOIL=18.\*PW/(29.\*(D(IP+NSIS)-PW))  
 D(IH+NSOS)=D(IH+NSIS)

••• COMPUTE THE DRY-SOURCE ENTHALPY DIFFERENCE  
 HDIFF=SHP(NLS,D(IP+NSIS),D(IT+NSIS),D(IH+NSIS))\*  
 \* (D(IT+NSIS)-D(IT+NSOS))

••• IF THE FLUID IS NOT A GAS, NO DEHUMIDIFICATION OCCURS  
 IF(LOC.NE.2) GO TO 10

••• IF THE COIL HUMIDITY GT THE INLET HUMIDITY, NO  
 DEHUMIDIFICATION OCCURS  
 IF(D(IH+NSIS).LT.HCOIL) GO TO 10  
 D(IH+NSOS)=HCOIL+BF\*(D(IH+NSIS)-HCOIL)

••• USE CP(WATER VAPOR)=0.42 TO COMPUTE THE VAPOR ENTHALPY

CPWV=0.42  
 \*\*\* ADD THE ENTHALPY DIFFERENCE OF THE MOISTURE REMOVED  
 $HCOND=1075.5-(1.-CPWV)*(TE-491.67)$   
 $HDIFF=HDIFF+(D(IH+NSIS)-D(IH+NSOS))*(HCOND+CPWV*(D(IT+NSOS)-TE))$   
 10 CONTINUE  
 \*\*\* COMPUTE THE HEAT TRANSFER BASED ON THE SOURCE-SIDE PERFORMANCE  
 $Q=D(IW+NLS)*HDIFF$   
 \*\*\* COMPUTE THE REFRIGERANT OUTLET ENTHALPY BY AN ENERGY BALANCE  
 $H=D(IH+NSIR)+Q/D(IW+NLR)$   
 $D(IH+NSOR)=H$   
 \*\*\* CHECK THE STATE OF THE REFRIGERANT AT THE OUTLET  
 C IF H.LE.HSL, IT IS LIQUID; IF H.GE.HSV, IT IS VAPOR  
   IF (H.LE.HSL) GO TO 20  
   IF (H.GE.HSV) GO TO 30  
 \*\*\* IN THE TWO-PHASE REGION  
 $QUAL=(H-HSL)/HFG$   
 $TOUT=TE$   
 $VOUT=QUAL*V+(1.-QUAL)/VDL(LOCT,TOUT)$   
   GO TO 40  
 20 TOUT=VTLIQ(LOCT,D(IP+NSIR),H)  
 \*\*\* IN THE LIQUID REGION  
   QUAL=0.  
   VOUT=1./VDL(LOCT,TOUT)  
   GO TO 40  
 \*\*\* IN THE VAPOR REGION  
 30 QUAL=1.  
   CALL VTAV2(LOCT,TOUT,VOUT,D(IP+NSIR),H)  
 \*\*\* IF REFRIG OUTLET TEMP.LE.SOURCE TEMP, THE PERFORMANCE IS  
 C REASONABLE, SO GO TO 50  
 40 IF(TOUT.LE.D(IT+NSIS))GO TO 50  
 \*\*\* IF BYPASS FACTOR WAS PREVIOUSLY ADJUSTED, PROCEED AS IF  
 C THE REFRIG OUTLET TEMP IS LOWER THAN SOURCE TEMPERATURE  
   IF(ITER.GT.0) GO TO 50  
 \*\*\* RECOMPUTE THE BYPASS FACTOR BECAUSE REFRIG OUTLET TEMP  
 C IS HIGHER THAN SOURCE TEMPERATURE  
   TAVG=TOUT  
   BF1=1.  
   ITER=ITER+1  
 \*\*\* SET THE REFRIGERANT OUTLET TEMP EQUAL TO THE MAX OF TEVAP, TSOURCE  
   TOUT=D(IT+NSIS)  
   IF(TOUT.LT.TE) TOUT=TE  
   VOUT=VSV(LOCT,D(IP+NSIR),TOUT)  
   H=VH(LOCT,D(IP+NSIR),TOUT,VOUT)  
 \*\*\* COMPUTE THE AMOUNT OF HEAT TRANSFERRED FOR THIS TOUT  
 C THIS CAN BE USED TO DEDUCE THE EXCESS AMOUNT OF HEAT TRANSFER  
   Q1=D(IW+NLR)\*(H-D(IH+NSIR))  
 \*\*\* ADJUST THE BYPASS FACTOR TO GIVE TOUT JUST 1% HIGHER THAN TSOURCE  
   BF1=BF+0.99\*(1.-Q1/Q)\*(1.-BF)  
 12 WRITE(OUT,1103)TAVG,D(IT+NSIS),BF,BF1  
 1103 FORMAT(" \*\*\* WARNING IN EVAPPP - REFRIGERANT OUTLET TEMP ",F10.3,  
   "/," \*\*\* GREATER THAN SOURCE TEMPERATURE ",F10.3/  
   " \*\*\* BYPASS FACTOR OF ",F10.3," RESET TO ",F10.3,/,," TO MAKE ",)

```

      * "TOUT=TSOURCE+0.01*(TOUT-TSOURCE) " /)
      BF=BF1
C*** WITH THE INCREASED BYPASS FACTOR, RECOMPUTE THE PERFORMANCE
      GO TO 5
C*** COMPUTE THE PRESSURE DROPS FOR LIQUID ONLY AND VAPOR ONLY
      50 PDGO=TLUP(ID(IRCD+13))
      VRATIO=V*VDL(LOCT,TE)
C*** ASSUME THE SINGLE-PHASE PRESSURE DROP IS PROPORTIONAL TO
C   THE SPECIFIC VOLUME
      PDLO=PDGO/VRATIO
      PDR=PDLO
      IF (QUAL.LE.0.) GO TO 80
      SLIP=(VRATIO-1.)*.25
      PB=-.25*ALOG10(VRATIO)
      IF (PB.LT.-1.) PB=-1.
      QDUM=QUALIN
C*** COMPUTE THE AVERAGE PHI, BUT WATCH FOR TOO SMALL
C   A QUALITY DIFFERENCE
      IF(QUALIN.EQ.QUAL)QDUM=ABS(QUAL-.01)
      PHI=(DP2PH(QUAL)-DP2PH(QDUM))/(QUAL-QDUM)
C*** COMPUTE THE FRICTION PRESSURE DROP, IGNORING THE PRESSURE
C   DROP IN THE SINGLE-PHASE REGIONS
      PDR=PDLO+PHI*(PDGO-PDLO)
C*** COMPUTE THE MOMENTUM CHANGES (PRESSURE DROP)
      XMOMI=VRATIO
      IF (QUALIN.LT.1.) XMOMI=VMOM(QUALIN)
      XMOMO=VRATIO
      IF (QUAL.LT.1.) XMOMO=VMOM(QUAL)
C*** ADD THE MOMENTUM AND FRICTION PRESSURE DROPS
      PDR=PDR+(XMOMO-XMOMI)*(D(IW+NLR)/AF/60.)**2/(VDL(LOCT,TE)*
      * GC*144.)
      80 D(IP+NSOR)=D(IP+NSIR)-PDR
C*** IF THE OUTLET PRESSURE IS NEGATIVE, SET DP TO ZERO
      IF(D(IP+NSOR).GT.0.0)GO TO 82
      C  WRITE(OUT,7655)D(IP+NSOR),D(IP+NSIR)
      7655 FORMAT(" *** OUTLET PRESSURE IN EVAP WAS ",E14.7,
      * " RESET PRESSURE TO INLET VALUE ",E14.7)
      D(IP+NSOR)=D(IP+NSIR)
      82 CONTINUE
      IF(IOP.EQ.0)GO TO 83
      IF(PASS.NE.1) GO TO 1
      ID(IEVT+JEVI) = 3
C*** COMPUTE THE ERROR VARIABLE AS THE SUPERHEAT DISCREPANCY
      1 D(IEV+JEVI)=(D(IH+NSOR)-HSV)/VCPV(LOCT,D(IP+NSIR),TE)-D(I1)
      83 TAVG = 0.5 * (D(IT+NSIS) + D(IT+NSOS) )
C*** COMPUTE THE SOURCE-SIDE PRESSURE DROP
      D(IT+NSOR)=TOUT
      PD = TLUP(ID(IRCD+9))
      IF(ID(IRCD+8).NE.0)PD=PD/SIG(NLS,D(IP+NSIS),D(IT+NSIS))
      D(IP+NSOS) = D(IP+NSIS) - PD
      IF(IFP.NE.1 .OR. ICPP.NE.0 ) GO TO 99
      CALL PIOP(1,NLR,NSIR,NSOR)

```

CALL PIOP(2,NLS,NSIS,NSOS)  
85 CALL LINES(2)  
WRITE(OUT,1001) BF,Q  
1001 FORMAT (1H0,5X,14H BYPASS FACTOR,F7.4,3X,1HQ,F9.2 )  
99 CONTINUE  
RETURN  
C EVAPPP

required format for AECS input. The corresponding output data are shown in the system schematic (Exhibit 6.6-1) as well as in the output format (Exhibit 6.6-2), starting with Page 7, the beginning of the computed data. Previous output pages contain headers and a repeat of the input data.

## 6.7. Technical Background

The technical basis for the pressure-drop computation on the refrigerant side is contained in the section on QB0ILR. The method is not standard, having been developed by FAC, Inc., but correlates well respected data.

The heat-transfer characteristics of the evaporator are described by the bypass factor, which is given by the following formulas:

$$BF = (T_{source,out} - T_{coil}) / (T_{source,in} - T_{coil})$$

and

$$BF = (M_{gas,out} - M_{coil}) / (M_{gas,in} - M_{coil})$$

where  $M$  is the absolute humidity in lbs of moisture per lb of dry gas, with the lower-case letters defining the dew-point temperature at which  $M$  is evaluated. If the source is not a gas, the second equation is ignored. Note that BF will be a function of the source-side flow rate; however, once assigned a value, BF determines both the heat- and mass-transfer rates. If no dehumidification occurs, BF is equal to the ineffectiveness (1.0 minus the effectiveness).

- If the bypass factor is too low, the computed heat loss by the source can be so high that the computed refrigerant outlet temperature exceeds the source inlet temperature. The simulation routine checks for such an unrealistic outlet temperature and increases the bypass factor such that

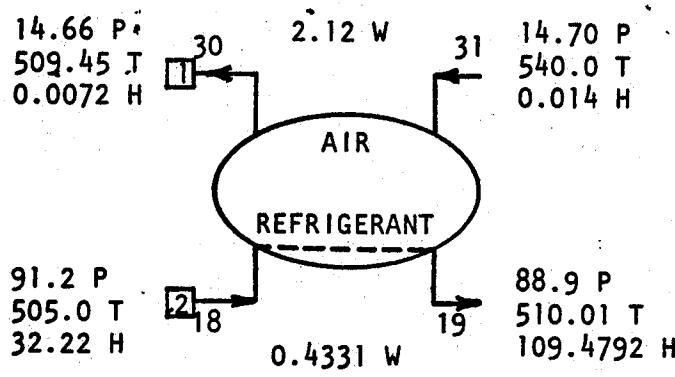
$$T_{ref,out} = T_{source,in} + 0.01 * (T_{ref,out} - T_{source,in})$$

This correction reduces the outlet temperature so that it is closer to the source inlet temperature; however, the outlet is still unrealistic. Increasing the bypass factor by this technique permits the AECS solution routines to compute derivatives without encountering temperatures far in excess of what is realistic. In most cases, the correction is applied only in the process of solving the problem. If the correction persists to the final solution, the evaporator bypass factor table should be modified (corresponding to a change in the evaporator size). Therefore, any problem using an evaporator should be checked for the warning messages concerning the evaporator outlet temperature. If a warning is given, the converged solution should be checked to determine if the refrigerant outlet temperature exceeds the source inlet temperature. If so, the bypass factor table should be altered. Eventually, this correction process should be replaced by an iteration process that gives the end of the two-phase region, as was done for the condenser.

Exhibit 6.6-1: Input Cards and Flow Diagram for the Sample Case

FORM  
 LE TEST CASE FOR EVAP (EVADATA)  
 AREA EVAP 0000 2 4 0  
 AREFR 0 0 0 0 0  
 AEC 0.0 0.0 0.0  
 AED 0.0  
 LAM 20  
 ALTES 1 2.395 14.7000 540.00 0.014 5.0000  
 ALTES 6 2.395 14.6000 510.00 0.0075 0.0001  
 ALVES 11 0.4331 91.2005 505.00 32.22 0.0  
 ALVES 16 0.4331 88.1249 510.00 109.4792 superheat  
 ALLET 10 1 311000 1 2 3 4 2 -1 52 60 64  
 ALLET 20 2 180000 11 12 13 14 3 -22  
 ALP 30 2 18 19 1 31 30 0 1 2 5 3 10 1  
 ALTLT 40 2 190000 16 17 18 19 air DP / 1 1  
 ALLET 50 1 300000 6 7 8 9 air bypass DSH type Z  
 AFID 1 1 2 0 0 410101 2 air bypass ΔP  
 AFIT AIR SIDE PRESS DROP T=1 RN=1 (IND VAR = AIR FLOW) Arefrig  
 AFV 0.0 0.0 5.0 flow =  
 AFID 2 5 2 0 0 410101 2 .0001 ft<sup>2</sup>  
 AFIT AIR SIDE BYPASS FACTOR T=5 RN=2 (IND VAR = AIR FLOW)  
 AFV 0.0 0.0 5.0 0.3  
 AFID 3 2 2 0 0 420101 2  
 AFIT REFRIG SIDE PRESS DROP T=1 RN=3 (IND VAR = )  
 AFV 0.0 0.0 1.0 10.0  
 LAM 1 0 1 0

ASE  
JOB



air flow = SV  
TYP 1  
superheat = EV  
TYP 3

**Exhibit 6.6-2: AECS Output for the Sample Case**

PERMANENT TABLE	1	10
PERMANENT TABLE	22	10

TABLE 1 AIR SIDE PRESS DROP T=1 RN=1 (IND VAR = AIR FLOW)

NDIM	2	1ST	0	RELN	41	EXTRAP	1	INTERP	1	NPTS	2
ARGUMENT	1	TYPE	0	RELN	41	EXTRAP	1	INTERP	1	NPTS	2
0.	0.					5.00000E+00		1.00000E-01			

TABLE 2 AIR SIDE BYPASS FACTOR T=5 RN=2 (IND VAR = AIR FLOW)

NDIM	2	1ST	0	RELN	41	EXTRAP	1	INTERP	1	NPTS	2
ARGUMENT	1	TYPE	0	RELN	41	EXTRAP	1	INTERP	1	NPTS	2
0.	0.					5.00000E+00		3.00000E-01			

TABLE 3 REFRIG SIDE PRESS DROP T=1 RN=3 (IND VAR = )

NDIM	2	1ST	0	RELN	42	EXTRAP	1	INTERP	1	NPTS	2
ARGUMENT	1	TYPE	0	RELN	42	EXTRAP	1	INTERP	1	NPTS	2
0.	0.					1.00000E+00		1.00000E+01			

TABLE PTAB 1 0  
\*AECS\* TEST CASE FOR EVAP (EVADATA)  
1 CASE EVAP

TIME P 167.11

SVT ( -1) 1

EVT ( -1) 3

PASS 1

S.V. ( -1) 2.39500E+00  
E.V. ( -1) 1.48780E+01

( 1) 2.39500E+00 ( 2) 4.33100E-01  
( 31) 1.47000E+01 ( 18) 9.12005E+01 ( 19) 8.88876E+01 ( 30) 1.46521E+01

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( 31) 5.0000E+02 ( 18) 5.0000E+02 ( 19) 5.2500E+02 ( 30) 5.10029E+02

( 31) 1.4000E+02 ( 18) 3.22200E+01 ( 19) 1.12159E+02 ( 30) 7.31695E+01

#### COMPONENT EVAP

NL	2	NET	18	NEO	19	FT	3	FN	-22
W	:43	PI	91.20	PO	88.89	T1	505.00	TO	510.01
NL	1	NSI	31	NSQ	30	FT	2	FN	-1
W	2.30	PI	14.70	PO	14.65	T1	560.00	TO	509.83

BYPASS FACTOR .1380 @ 33.46  
\*AECS\* TEST CASE FOR EVAP (EVADATA)

1 CASE EVAP

TIME F 147.20

FLOW RATE(S)-LB/MIN

( 1) 2.30 ( 2) .43

PRESSURE(S)-PSI

( 18) 91.20 ( 19) 88.89 ( 30) 14.65 ( 31) 14.70

TEMPERATURE(S)-DEG R

( 18) 505.00 ( 19) 510.01 ( 30) 509.83 ( 31) 540.00

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 18) 32.2200 ( 19) 109.4792 ( 30) .0073 ( 31) .0140

STATE VARIABLE TYPE(S)

( 1) 1

STATE VARIABLE(S)

( 1) 2.29940E+00

ERROR VARIABLE(S)

( 1) 3

ERROR VARIABLE(S)

( 1) 2.65898E-06

SOLUTION CONVERGED IN 6 TRY(S)

0 ERROR(S) DETECTED

## 7. Subroutine INDATA (Initialize Leg and Station Data)

### 7.1. Subroutine Description

The INDATA subroutine does not simulate a physical component; instead it permits the user to define the flow rate, pressure, temperature and enthalpy at legs and stations not otherwise definable. The need for INDATA arises in systems with flows that double back on themselves. For example, systems with intercoolers frequently have the flow passing through one side, passing through another component, and then passing back through the intercooler. Previously, AECS could not solve problems of this type, because, when AECS performs the component computations, all inlet flow rates and thermodynamic states must be defined. INDATA permits the user to define the flow and states as an initial guess of the final solution. AECS will then correct these guesses in the course of the solution.

### 7.2. Prior Simulation Method

INDATA is a new subroutine that had no counterpart in the prior version of AECS. It is similar to LOOPS, INLET and RINLET in that it permits the definition of starting conditions; however, INDATA involves neither error nor state variables and the initial guesses have no effect on the final, converged solution.

### 7.3. Present Simulation Method

With INDATA, the user simply identifies the leg and station number and the values of flow rate, pressure, temperature and enthalpy. For refrigerants, the temperature is overridden by the computer, because the computer uses the refrigerant subroutines to deduce the temperature from the pressure and enthalpy. Notice that the values entered are all temporary and will be corrected by the computer in the course of the solution.

### 7.4. Computational Procedure

There is no performance computation for INDATA. Only a "PZ" routine is needed. The PZ subroutines initialize the component-by-component data and allocate storage space for the subsequent "PP" routines, which are the simulation routines. INDATA simply initializes the flow rate, pressure, temperature and enthalpy at the specified leg and station.

The flow rate, pressure, temperature and enthalpy at the leg and station defined by INDATA will always lag by one iteration all of the other legs and stations. For example, in the system of Appendix A, INDATA is needed to define the state at Station 14 (the low-temperature intercooler). As the computation proceeds down Leg 7 to Station 8, it encounters the intercooler. It combines the inlet data from

### Exhibit 7.4-1: Input-Program Logic and Listing

```
SUBROUTINE INDTpz
COMMON /CC/C(400)
EQUIVALENCE (OUT,C(7)),(CERR,C(16)),(NSTA,C(26)),(NLEG,C(25))
*,(IPAR,C(33)),(ILN,C(37)),(ISN,C(38)),(ILR,C(52)),(ISR,C(53))
*,(IW,C(27)),(IP,C(28)),(IT,C(29)),(IH,C(30))
,(ICV(1),C(133))
DIMENSION ICV(18)
COMMON /DC/DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
INTEGER OUT,CERR
C 1 COMP CODE
C 2 LEG NUMBER
C 3 STATION NUMBER
C 4 W
C 5 P
C 6 T
C 7 H
I=IACDB(7)
*** SET UP LEG AND STATION STORAGE LOCATIONS
ID(I+1)=ICV(1)
NL=ILEGN(ICV(2))
ID(I+2)=NL
CALL LEGRS(NL)
ID(ILR+NL)=999
NS=ISTAN(ICV(3))
ID(I+3)=NS
CALL STARS(NS)
ID(ISR+NS)=999
*** SET UP THE FLOW, PRESSURE, TEMPERATURE AND ENTHALPY/HUMIDITY
C ON THE BASIS OF THE INPUT VALUES
D(IW+NL)=D(IPAR+ICV(4))
D(IP+NS)=D(IPAR+ICV(5))
D(IT+NS)=D(IPAR+ICV(6))
D(IH+NS)=D(IPAR+ICV(7))
RETURN
C INDTpz
END
```

*add fluid def. to "INDATA" as in "loops" or "inlet"*

# CURRENT PC VERSION

```
SUBROUTINE QBLRPP
COMMON /CC/ C(600)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(GC,C(370)),(JC,C(371))
*,(ICPP,C(88)),(IFP,C(22)),(OUT,C(7)),(IGA,C(35))
*,(PASS,C(17)),(IEVT,C(48)),(IEV,C(49)),(ITAD,C(54))
*,(IFB,C(55)),(ISN,C(38))
DIMENSION SCR(30)
INTEGER OUT,PASS
REAL L,MU,K,JC,ME,MI,MP
EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3),NSO)
*,(SCR(4),IOP),(SCR(5),FFT),(SCR(6),COT),(SCR(7),AF)
*,(SCR(8),Q),(SCR(9),L),(SCR(10),AH),(SCR(11),DH)
DIMENSION MU(2),CPY(2),V(2),PR(2),T(5),TW(5),HT(5),DP(2)
*,K(2)
COMMON /DC/ DZ(2),D(32001)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
*,(D(51),T(1)),(D(56),TW(1)),(D(61),HT(1))
*,(D(71),HFG),(D(72),ST),(D(73),PT)
*,(D(75),TIN),(D(76),W),(D(77),IRET),(D(78),CO)
*,(D(79),FF),(D(81),VR),(D(82),DV)
*,(D(83),SL),(D(84),HSAT),(D(86),TSAT)
*,(D(87),X1),(D(88),X2),(D(89),TNB),(D(90),DD)
*,(D(91),FD),(D(92),B),(D(93),EM),(D(94),RS)
C 1 COMP CODE
C 2 LEG NO
C 3 INLET STATION NO
C 4 OUTLET STATION NO
C 5 OPTION NO
C 6 FRICTION FACTOR TABLE
C 7 COLBURN FACTOR TABLE
C 8 HEAT EXCHANGER FLOW AREA
C 9 HEAT INPUT RATE IN (BTU/MIN)
C 10 HEAT EXCHANGER FLOW PATH LENGTH (FEET)
C 11 HT EXCHG/HT TRANSFER AREA INCLUDING FINS (SQUARE FEET)
C 12 HEAT EXCHANGER HYDRAULIC DIAMETER
C 13 ERROR VARIABLE OPTION
C*** ERROR-VARIABLE OPTION: 0 IF NO ERROR VARIABLE; 1 IF SUPERHEAT
C 14 ERROR VARIABLE INDEX
C 15 MAXIMUM BOILER WALL TEMPERATURE
C*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY
    IRCD = IRCDB(15)
    NL=ID(IRCD+2)
    NSI=ID(IRCD+3)
    NSO=ID(IRCD+4)
    IOP=ID(IRCD+5)
    IF (ID(IRCD+13).EQ.0) GO TO 107
    TMAX=D(ID(IRCD+15))
    JEV1=ID(IRCD+14)
107 CONTINUE
    LOCT=ID(IFB+NL)
    LOCT=ID(LOCT+3)
    AF=D(ID(IRCD+8))
```

```

Q=D(ID(IRCD+9))
L=D(ID(IRCD+10))
AH=D(ID(IRCD+11))
DH=D(ID(IRCD+12))

C*** COMPUTE THE SATURATION PROPERTIES
TSAT=VTS(LOCT,D(IP+NSI))

C*** COMPUTE THE TRANSPORT PROPERTIES BASED ON INLET CONDITIONS
CPY(1)=VCPF(LOCT,D(IP+NSI),TSAT)
CPY(2)=VCPV(LOCT,D(IP+NSI),TSAT)
MU(1)=VVISCF(LOCT,D(IP+NSI),TSAT)
MU(2)=VVISCV(LOCT,D(IP+NSI),TSAT)
K(1)=VCOND(LOCT,D(IP+NSI),TSAT)
K(2)=VCONDV(LOCT,D(IP+NSI),TSAT)
V(1)=1.0/VDL(LOCT,TSAT)
V(2)=VSV('QBLRPP 1',LOCT,D(IP+NSI),TSAT)
HFG=VHFG(LOCT,D(IP+NSI),TSAT,V(2))
ST=VST(LOCT,TSAT)
PT=VDPDT(LOCT,D(IP+NSI))
TIN=D(IT+NSI)
W=D(IW+NL)

C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
IRITE=1
IF (IRITE .NE. 1) GO TO 9010
WRITE (OUT,9911)
9911 FORMAT(' ',//)
WRITE (OUT,9011)
9011 FORMAT(' *****WRITE 9011 FROM "QBLRPP" ****')
*      , '*****')
WRITE (OUT,9012) AF      , Q      , L      , AH
*      , DH      , TSAT    , CPY(1) , CPY(2)
*      , MU(1)   , MU(2)   , K(1)   , K(2)
*      , V(1)    , V(2)    , HFG    , ST
*      , PT      , TIN    , W
9012 FORMAT(' AFLOW =', E12.5, ' QRATE =', E12.5, ' LFLOW =', E12.5
*      , ' AHTRAN=', E12.5, //, ' DHYD  =', E12.5, ' TSAT  =', E12.5
*      , ' CPY(1)=', E12.5, ' CPY(2)=', E12.5, //, ' MU(1) =', E12.5
*      , ' MU(2) =', E12.5, ' K(1)  =', E12.5, ' K(2)  =', E12.5
*      , ' V(1)  =', E12.5, ' V(2)  =', E12.5, ' HFG V2=', E12.5
*      , ' ST   =', E12.5, //, ' PTDPDT=', E12.5, ' TIN  =', E12.5
*      , ' W   =', E12.5)

9010 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
DO 1 I = 1,2
1 PR(I)=3600.*CPY(I)*MU(I)/K(I)
IRET=-1

C*** COMPUTE THE REYNOLDS NUMBER AS THE INDEPENDENT VARIABLE
G=W/AF/60.0

C*** BASED ON 100% LIQUID FLOW
D(IGA+21)=G*DH/MU(1)

C*** USE TULP FOR COLBURN FACTOR, THEN COMPUTE HEAT TRANSFER COEFF.
CO=TLUP(ID(IRCD+7))
HT(1)=CO*60.*G*CPY(1)/PR(1)**.67

C*** USE TULP FOR FRICTION FACTOR
FF=TLUP(ID(IRCD+6))

```

```

C*** COMPUTE VOLUME RATIO AND SLIP FOR LATER TWO-PHASE COMPUTATIONS
  VR=V(2)/V(1)
  DV=1.0-1.0/VR
  SL=SQRT(SQRT(VR-1.))
C*** COMPUTE PRESSURE DROP AS IF 100% LIQUID FLOW
  DP(1)=4.*FF*L*G*G*V(1)/(2.*DH*GC)
C*** REPEAT THE ABOVE COMPUTATIONS AS IF 100% VAPOR FLOW
  D(IGA+21)=G*DH/MU(2)
  CO=TLUP(ID(IRCD+7))
  HT(5)=CO*60.*G*CPY(2)/PR(2)**.67
  FF=TLUP(ID(IRCD+6))
  DP(2)=4.*FF*L*G*G*V(2)/(2.*DH*GC)
C*** DETERMINE WHICH FLUID-PHASE IS FLOWING AT THE INLET
  HSAT=VH(LOCT,D(IP+NSI),TSAT,V(2))-HFG
  TIN=D(IT+NSI)
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IRITE=1
  IF (IRITE .NE. 1) GO TO 9020
  REF=G*DH/MU(1)
  D(IGA+21)=REF
  COLBF=TLUP(ID(IRCD+7))
  FFF=TLUP(ID(IRCD+6))
  REV=G*DH/MU(2)
  D(IGA+21)=REV
  COLBV=TLUP(ID(IRCD+7))
  FFV=TLUP(ID(IRCD+6))
  VHPTV2=VH(LOCT,D(IP+NSI),TSAT,V(2))
  WRITE (OUT,9021)
9021 FORMAT(' WRITE 9021 FROM "QBLRPP"      ')
  WRITE (OUT,9022) PR(1), PR(2), G, REF
  *,          , COLBF, HT(1), FFF, VR
  *,          , DV, SL, DP(1), REV
  *,          , COLBV, HT(5), FFV, DP(2)
  *,          , HSAT, TIN, VHPTV2
9022 FORMAT(' PR(1) =', E12.5, ' PR(2) =', E12.5, ' G     =', E12.5
  *,          , REF   =', E12.5, //, ' COLBF =', E12.5, ' HT(1) =', E12.5
  *,          , FFF   =', E12.5, ' VR    =', E12.5, //, ' DV    =', E12.5
  *,          , SL    =', E12.5, ' DP(1) =', E12.5, ' REV   =', E12.5
  *,          , /, COLBV =', E12.5, ' HT(5) =', E12.5, ' FFV   =', E12.5
  *,          , /, DP(2) =', E12.5, //, ' HSAT L=', E12.5, ' TIN   =', E12.5
  *,          , /, VHPTV2=', E12.5)
9020 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IF(D(IH+NSI)-HSAT)360,332,332
  332 IF(D(IH+NSI)-HSAT-HFG)333,1272,1272
C$           LONGER COMMENTS
C*** IN TWO-PHASE REGION AT INLET
  333 XI=(D(IH+NSI)-HSAT)/HFG
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IRITE=1
  IF (IRITE .NE. 1) GO TO 9023
  WRITE (OUT,9024)
9024 FORMAT(' WRITE 9024 FROM "QBLRPP"      ')
  WRITE (OUT,9025) XI

```

```

9025 FORMAT(' XI      =', E12.5)
9023 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      TIN=TSAT
      GO TO 370
C*** IN LIQUID-ONLY REGION AT INLET
 360 XI=0.0
 370 IF(D(IH+NSI)-HSAT)380,371,371
C*** IN TWO-PHASE REGION AT INLET
 371 X1=0.0
      X2=0.0
      GO TO 750
C*** IN LIQUID-ONLY REGION AT INLET
C*** COMPUTE FLUID TEMPERATURE (T) AND WALL TEMPERATURE (TW) AT OUTLET
 380 T(5)=TIN+Q/(W*CPY(1))
      TW(5)=T(5)+Q/(AH*HT(1))
C*** DETERMINE TEMPERATURE AT WHICH NUCLEATE BOILING BEGINS (TNB)
C     AND DETERMINE IF FLUID REACHES THE TEMPERATURE BEFORE OUTLET
      TNB=TSAT+SQRT(8.*60.*ST*Q/(K(1)*AH*PT))
      X1=(TNB-TIN)*W*CPY(1)*L/Q-W*CPY(1)*L/(HT(1)*AH)
C     WRITE(OUT,*) T(5),TW(5),TNB,X1
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      IRITE=1
      IF (IRITE .NE. 1) GO TO 9030
      WRITE (OUT,9031)
 9031 FORMAT(' WRITE 9031 FROM "QLLRPP"      ')
      WRITE (OUT,9032) T(5) , TW(5) , TNB , X1
 9032 FORMAT(' T(5)   =', E12.5, ' TW(5) =', E12.5, ' TNB   =', E12.5
      * , ' X1   =', E12.5)
 9030 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      IF(X1)430,450,450
C*** SUBCOOLED BOILING BEGINS IMMEDIATELY AT THE INLET
 430 X1=0.0
      GO TO 485
 450 IF(TW(5)-TNB)460,480,480
C*** THERE IS NO BOILING WITHIN THE BOILER
 460 X1=L
      GO TO 1310
C*** COMPUTE THE TEMPERATURES AT THE END OF THE NON-BOILING REGION
 480 T(1)=TIN+Q*X1/(L*W*CPY(1))
      TW(1)=T(1)+Q/(HT(1)*AH)
C*** COMPUTE THE LENGTH OF THE SUBCOOLED-BOILING REGION
 485 X2=(TSAT-TIN)*W*CPY(1)*L/Q-X1
      IF(X2.GE.(L-X1))X2=L-X1
C*** COMPUTE THE BUBBLE DEPARTURE DIAMETER (DD) IN FEET
 490 DD=4.65E-4*SQRT(GC/GC*ST*V(1)/DV)*(VR*CPY(1)*TSAT/HFG)
      ***1.25
C*** COMPUTE THE FREQUENCY OF DEPARTURE OF BUBBLES, 1/SEC.
      FD=.6*SQRT(SQRT(ST*GC*GC*V(1)*DV))/DD
C*** ASSUME THE SURFACE FACTORS: B(SURFACE COFFICIENT); EM (EXPONENT
C     RELATING THE NUMBER OF NUCLEATION SITES TO THE TEMPERATURE
C     DIFFERENCE); AND RS(RADIUS, FT., OF SMALLEST SITE)
      B=400.

```

```

EM=2.0
RS=0.0001
C*** COMPUTE THE NUMBER OF NUCLEATION SITES PER SQ. FT.
  XN=B*(JC*RS*HFG*(TNB-TSAT)/(2.*TSAT*ST*V(2)))*EM
C*** COMPUTE THE POOL BOILING HEAT-TRANSFER COEFFICIENT
  HP=3.5*(K(1)/DD/60.)*XN*DD*DD
  HP=HP*SQRT(PR(1))*SQRT(FD*DD*DD/(V(1)*MU(1)))
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IRITE=1
  IF (IRITE .NE. 1) GO TO 9040
  WRITE (OUT,9041)
9041 FORMAT(' WRITE 9041 FROM "QBLRPP"      ')
  WRITE (OUT,9042) X1      , T(1)      , TW(1)      , X2
  *           , DD      , FD      , B      , EM
  *           , RS      , XN      , HP
9042 FORMAT(' X1      =', E12.5, ' T(1)      =', E12.5, ' TW(1)      =', E12.5
  *           , ' X2      =', E12.5, ' DD      =', E12.5, ' FD      =', E12.5
  *           , ' B      =', E12.5, ' EM      =', E12.5, ' RS      =', E12.5
  *           , ' XN      =', E12.5, ' HP      =', E12.5)
9040 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IF(IRET)500,500,980
C*** COMPUTE THE COMBINED CONVECTION/BOILING COEFFICIENT
  500 HT(2)=(HP*HP+HT(1)*HT(1))/(2.*HP)
C*** ITERATIVELY COMPUTE THE WALL TEMPERATURE IN THE SUBCOOLED REGION
  A1=HP/(TNB-TSAT)**2
  A0=2.0*(Q/(A1*AH))**2
  A1=4.0*((HT(1)/A1)**2)/3.0
  S0=SQRT(A0*A0-A1**3)
  XX=ABS((A0-S0)/(A0+S0))
  IF(XX-.0001)650,670,670
650 U=(A0+S0)**(1./3.)
  GO TO 680
670 U=(A0+S0)**(1./3.)+(A0-S0)**(1./3.)
680 TC=(SQRT(U)+SQRT(U-4.* (U/2.-SQRT((U/2.)**2-.75*A1))))/2.
  T(2)=TSAT
  TW(2)=TSAT+TC
  TW(5)=TW(2)
  X3=0.0
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
  IRITE=1
  IF (IRITE .NE. 1) GO TO 9050
  WRITE (OUT,9051)
9051 FORMAT(' WRITE 9051 FROM "QBLRPP"      ')
  WRITE (OUT,9052) IRET   , HT(2)   , A0      , A1
  *           , S0      , XX      , U      , TC
  *           , T(2)   , TW(2)   , TW(5)
9052 FORMAT(' IRET   =', I4,8X, ' HT(2)   =', E12.5, ' A0      =', E12.5
  *           , ' A1      =', E12.5, ' S0      =', E12.5, ' XX      =', E12.5
  *           , ' U      =', E12.5, ' TC      =', E12.5, ' T(2)   =', E12.5
  *           , ' TW(2)   =', E12.5, ' TW(5)   =', E12.5)
9050 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
C*** GO TO 1280 IF THE EXIT IS 100% LIQUID (NO NET BOILING)

```

```

        IF(X2.GE.(L-X1))GO TO 1280
C*** STARTING REGION 3: BULK BOILING
    750 XC=1.0
C*** COMPUTE THE DRYOUT POSITION
    X3=W*(CPY(1)*(TSAT-TIN)+HFG*(1.0-XI))*L/Q-X1-X2
C*** COMPUTE THE EXIT QUALITY
    XE=(Q/W-CPY(1)*(TSAT-TIN))/HFG+XI
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9053
    WRITE (OUT,9054)
9054 FORMAT(' WRITE 9054 BULK BOILING-DRYOUT POSITION FROM "QBLRPP"')
    WRITE (OUT,9055) X3 , XE
9055 FORMAT(' X3DRYO=', E12.5, ' XE      =', E12.5)
9053 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IF(XE-1.)830,820,820
C*** FILM-BOILING OR VAPOR-ONLY HEATING OCCUR
    820 XE=1.0
    GO TO 1140
C*** COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH FILM BOILING OCCURS
C$WAS COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH VAPORIZATION OCCUR
    830 XC=JC*HFG*(XE-XI)/L
C$           NEED TO USE "REF" HERE AS ON P 97 COSTELLO
C$           CODE USED OLD "REV" VALUE... LINE BELOW SHOULD FIX
    D(IGA+21)=G*DH/MU(1)
    XC=1.04-1.14E-5*(D(IGA+21)*D(IGA+21)*XC)**.375
C*** COMPUTE LENGTH OF THE BULK-BOILING REGION (X3)
    X3=X3*(XC-XI)/(1.0-XI)
    IF (X3.LT.0.0) X3=0.0
    IF(X3.GT.(L-X1-X2))X3=L-X1-X2
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9060
    WRITE (OUT,9061)
9061 FORMAT(' WRITE 9061 FROM "QBLRPP"      ')
    WRITE (OUT,9062) X3 , XE , XC
9062 FORMAT(' X3      =', E12.5, ' XE      =', E12.5, ' XC      =', E12.5)
9060 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IF(XE.GE.XC)GO TO 1140
C*** COMPUTE THE TWO-PHASE PARAMETER
    TT=(1.0/XE-1.0)**0.9*SQRT(DP(1)/DP(2))
    X3=L-X1-X2
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9070
    WRITE (OUT,9071)
9071 FORMAT(' WRITE 9071      XE LESS THAN XC      FROM "QBLRPP"      ')
    WRITE (OUT,9072) TT , X3
9072 FORMAT(' TT      =', E12.5, ' X3      =', E12.5)
9070 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
C*** GO TO 1090 IF XE AND TT INDICATE THE RANGE FOR ELLERBROOK'S FORMU

```

```

        IF(XE.GT.0.7.OR.TT.LT.0.01)GO TO 1090
C*** USE CHEN'S FORMULA
        F=1.0+1.88/TT**0.8
        Y=F*(G*DH/MU(1)*(1.0-XE))**0.8/10000.
        S=EXP(-Y)
C*** COMPUTE TNB AS A FIRST APPROXIMATION TO THE WALL TEMPERATURE
C THEN GO TO 490 TO COMPUTE THE POOL-BOILING HEAT-TRANSFER COEFF.
        TNB=TSAT+SQRT(.8*60.*ST*Q/(K(1)*AH*PT))
        IRET=1
        GO TO 490
C*** COMPUTE THE BULK-BOILING COEFFICIENT WITH CHEN'S FACTORS
980 HT(3)=F*HT(1)+S*HP
C*** COMPUTE THE WALL TEMPERATURE AT THE END OF THE TWO-PHASE REGION
C UNDER THE ASSUMPTION THAT EM IS APPROXIMATELY 2.0
        A1=HP/(TNB-TSAT)**2
        A0=Q/(AH*S*A1*2.0)
        A1=F*HT(1)/(3.0*S*A1)
        S0=SQRT(A0*A0+A1**3)
        T(3)=TSAT
        TW(3)=TSAT+(A0+S0)**(1./3.)-(S0-A0)**(1./3.)
        TW(5)=TW(3)
        T(5)=TSAT
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
        IRITE=1
        IF (IRITE .NE. 1) GO TO 9080
        WRITE (OUT,9081)
9081 FORMAT(' WRITE 9081      CHEN''S FORMULA      FROM "QBLRPP"')
        WRITE (OUT,9082) F      , Y      , S      , TNB
        *           , IRET   , A0     , A1     , S0
        *           , T(3)   , TW(3) , TW(5) , T(5)
        *           , HT(3)
9082 FORMAT(' F      =', E12.5, ' Y      =', E12.5, ' S      =', E12.5
        *           , TNB    =', E12.5,/, ' IRET   =', I4,8X, ' A0     =', E12.5
        *           , A1     =', E12.5, ' S0     =', E12.5,/, ' T(3)   =', E12.5
        *           , TW(3)  =', E12.5, ' TW(5)  =', E12.5, ' T(5)   =', E12.5
        *           , HT(3)  =', E12.5)
9080 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
C*** GO TO 1320 TO COMPUTE THE TWO-PHASE PRESSURE DROP
        GO TO 1320
C$      THE ELLERBROOK FORMULA GIVES AN H LOWER THAN FOR FILM BOILING
C$      AND LOWER THAN "HT(5)" (ALL VAPOR).  IS SOMETHING WRONG OR IS
C$      ELLERBROOK JUST A DAMN FLAKE??
C*** ELLERBROOK'S FORMULA FOR THE HEAT-TRANSFER COEFFICIENT
1090 Y=2.35-ALOG(TT)*(2.66+.0255*ALOG(TT))
        HT(3)=HT(5)*(Q/(AH*60.*G*HFG))**.4*EXP(Y)
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
        IRITE=1
        IF (IRITE .NE. 1) GO TO 9090
        WRITE (OUT,9091)
9091 FORMAT(' WRITE 9091      ELLERBROOK''S HT(3) FORMULA FROM "QBLRPP"')
        WRITE (OUT,9092) Y      , HT(3)
9092 FORMAT(' Y      =', E12.5, ' HT(3) =', E12.5)
9090 CONTINUE

```

```

C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    GO TO 1180
C*** XE>XCRIT OR XE>1. SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS
C$WAS SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS
    1140 HT(3)=HT(5)*(XE+SL/VR*(1.0-XE))**0.8
C*** FLUID AND WALL TEMPERATURES AT THE END OF THE TWO-PHASE REGION
C$WAS 1180 T(3)=TSAT+(Q*(X3+X2+X1)/W/L-CPY(1)*(TSAT-TIN)-HFG*(XE-XI))
C$          /CPY(2)
C$          /
C$ CERTAINLY WHILE TWO-PHASE, T=TSAT!!!
    1180 T(3)=TSAT
        TW(3)=T(3)+Q/(AH*HT(3))
        T(5)=T(3)
        TW(5)=TW(3)
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9100
    WRITE (OUT,9101)
9101 FORMAT(' WRITE 9101    FILM BOIL OR VAPOR ONLY HEATING  "QLRPP"')
    WRITE (OUT,9102) T(3), HT(3), TW(3), T(5)
    *           , TW(5), X1, X2, X3
    *           , XI, XE
9102 FORMAT(' T(3)  =', E12.5, ' HT(3)  =', E12.5, ' TW(3)  =', E12.5
    *           , ' T(5)  =', E12.5, //, ' TW(5)  =', E12.5, ' XI   =', E12.5
    *           , ' X2   =', E12.5, ' X3   =', E12.5, //, ' XI   =', E12.5
    *           , ' XE   =', E12.5)
9100 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
C*** IF VAPOR-ONLY FLOW DOES NOT OCCUR, GO TO 1320 TO COMPUTE DELTA P
    IF(XE.LT.1.0)GO TO 1320
C*** COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW
    T(5)=(Q/W-CPY(1)*(TSAT-TIN)-HFG*(1.0-XI))/CPY(2)+TSAT
    XE=1.0
    TW(5)=T(5)+Q/(AH*HT(5))
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9110
    WRITE (OUT,9111)
9111 FORMAT(' WRITE 9111    VAPOR ONLY HEATING  "QLRPP"')
    WRITE (OUT,9112) T(5), XE, TW(5)
9112 FORMAT(' T(5)  =', E12.5, ' XE   =', E12.5, ' TW(5)  =', E12.5
9110 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    GO TO 1320
C*** COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW FROM INLET TO OUTLET
    1272 T(5)=TIN+Q/W/CPY(2)
        TW(5)=T(5)+Q/AH/HT(5)
C$ ADD 144 FACTOR; DO NOT COMPUTE "D(IP+NSO)" HERE AND LINE 1475
    XDP=DP(2)/144.
C$ D(IP+NSO)=D(IP+NSI)-DP(2)/144.
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
    IRITE=1
    IF (IRITE .NE. 1) GO TO 9120
    WRITE (OUT,9121)

```

```

9121 FORMAT(' WRITE 9121    VAPOR ONLY INLET TO OUTLET    "QBLRPP"')
      WRITE (OUT,9122) T(5) , TW(5)
9122 FORMAT(' T(5) =', E12.5, ' TW(5) =', E12.5)
9120 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      GO TO 1475
C*** COMPUTE THE OUTLET TEMPERATURE FOR NO NET VAPOR GENERATION
1280 T(5)= TIN+Q/(AH*CPY(1))
1310 PB=0.0
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      IRITE=1
      IF (IRITE .NE. 1) GO TO 9130
      WRITE (OUT,9131)
9131 FORMAT(' WRITE 9131 TOUT FOR NO NET VAPOR GENERATED "QBLRPP"')
      WRITE (OUT,9132) T(5) , PB
9132 FORMAT(' T(5) =', E12.5, ' PB =', E12.5)
9130 CONTINUE
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      GO TO 1350
C*** COMPUTE THE TWO-PHASE PRESSURE DROP BY FAC. INC. CORRELATION
C   OF BAROCZY'S GRAPHICAL CORRELATION
1320 PF=0.25*ALOG10(DP(1)/DP(2))
      PB=XE**.7/1.7-(1-XE)**2.3/2.3+(1.-(1.-XE)**3.3)/(3.3*2.3*XE)
C*** COMPUTE THE FRICTION PRESSURE DROP
      PB=-XE**1.65*PF/2.65+(1.0+PF)*PB
1350 FP=DP(1)*(X1+X2)/L+(DP(1)+PB*(DP(2)-DP(1)))*X3/L
      FP=FP+DP(2)*(1.-(X1+X2+X3)/L)
      IF(XE) 1382,1382,1385
C*** ADD THE MOMENTUM PRESSURE DROP
1382 MP=0.0
      GO TO 1470
1385 VE=XE/(XE+SL*(1.0-XE)/VR)
      IF(VE-1.0)1388,1386,1386
1386 ME=VR
      GO TO 1390
1388 ME=((1.-XE)/(1.-VE))**2*(1.-VE*(1.-SL*SL/VR))
1390 IF(XI)1395,1395,1400
1395 MI=1.0
      GO TO 1440
1400 VI=XI/(XI+SL*(1.0-XI)/VR)
      IF(VI-1.0)1430,1425,1425
1425 MI=VR
      GO TO 1440
1430 MI=((1.-XI)/(1.-VI))**2*(1.-VI*(1.-SL*SL/VR))
1440 MP=G*G*V(1)*(ME-MI)/GC
1470 XDP=(FP+MP)/144.
1475 D(IP+NSO)=D(IP+NSI)-XDP
CXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      IRITE=1
      IF (IRITE .NE. 1) GO TO 9140
      XFPPSI= FP/144.
      XMPPSI= MP/144.
      WRITE (OUT,9141)
9141 FORMAT(' WRITE 9141      DELTA P CALC          FROM "QBLRPP"')

```

```

        WRITE (OUT,9142) PF      , PB      , FP      , XE
        *           , VE      , ME      , MI      , VI
        *           , MP      , XMPPSI, XDP     , XFPPSI
9142 FORMAT(' PF      =', E12.5, ' PB      =', E12.5, ' FP      =', E12.5
        *           , ' XE      =', E12.5, /, ' VE      =', E12.5, ' ME      =', E12.5
        *           , ' MI      =', E12.5, ' VI      =', E12.5, /, ' MP      =', E12.5
        *           , ' XMPPSI=', E12.5, ' XDP     =', E12.5, ' XFPPSI=', E12.5
9140 CONTINUE
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
        IF (D(IP+NSO).GT.0.0)GO TO 1476
        WRITE(OUT,7655) D(IP+NSO),D(IP+NSI)
7655 FORMAT(' ** OUTLET PRESSURE IN QBOILER WAS',E14.7,
        * ' RESET PRESSURE TO INLET VALUE',E14.7)
        XDP=0.0
        D(IP+NSO)=D(IP+NSI)
1476 CONTINUE
C$WAS IF(T(5)-TSAT)1478,1479,1479
        IF(T(5)-TSAT)1478,14785,1479
1478 D(IH+NSO)=VHLIQ(LOCT,D(IP+NSI),T(5))
        GO TO 1480
C$      NEW LINE BELOW CALCULATES EXIT ENTHALPY WHEN TWO-PHASE AT EXIT
14785 D(IH+NSO)=HSAT+XE*HFG
        GO TO 1480
1479 VV=VSV('QBLRPP 2',LOCT,D(IP+NSO),T(5))
        D(IH+NSO)=VH(LOCT,D(IP+NSO),T(5),VV)
1480 CONTINUE
        D(IT+NSO)=T(5)
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
        IRITE=1
        IF (IRITE .NE. 1) GO TO 9150
        WRITE (OUT,9151)
9151 FORMAT(' WRITE 9151    ASSIGN HOUT AND TOUT    FROM "QBLRPP"
        WRITE (OUT,9152) T(5)  , VV  , TSAT  , HSAT
        *           , XE  , HFG
9152 FORMAT(' T(5)  =', E12.5, ' VV      =', E12.5, ' TSAT   =', E12.5
        *           , ' HSAT   =', E12.5, /, ' XE      =', E12.5, ' HFG    =', E12.5
9150 CONTINUE
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
        IF (ID(IRCD+13).EQ.0) GO TO 1579
        IF(PASS.NE.1) GO TO 1577
        ID(IEVT+JEVI)=3
1577 IF (TMAX.GE.TSAT) GO TO 1576
        WRITE(OUT,1580) TMAX,TSAT,TW(5)
1580 FORMAT(5X,'WARNING FROM QBOILER: ERROR VARIABLE CANNNOT BE '
        *' CONTROLLED BECAUSE THE CONTROLLED WALL TEMPERATURE OF',E17.7/
        *' IS LESS THAN THE SATURATION TEMPERATURE OF',E17.7/
        *' THE WALL TEMPERATURE IS',E17.7)
1576 IF(T(5).GT.TSAT)GO TO 1578
        WRITE(OUT,1590)XE
1590 FORMAT(5X,'WARNING FROM QBOILER: TWO PHASE FLUID AT OUTLET',
        *' PROBABLY CANNOT CONTROL WALL TEMP. EXIT QUALITY IS',E12.4)
1578 D(IEV+JEVI) = (TMAX-TW(5))/XE
1579 CONTINUE
1485 FORMAT(' OVERALL: DP,TW(5),T(5) ',3F10.3)

```

```
IF (IFP.NE.1.OR. ICPP.NE.0) GO TO 99
CALL PIOP(1,NL,NSI,NSO)
CALL LINES(1)
WRITE(OUT,1581) ID(ISN+NSO),TW(5)
1581 FORMAT(5X,'BOILER AT STATION NO.',I4,' HAS A MAXIMUM WALL ',
* 'TEMPERATURE OF ',E15.5,' DEGREES R')
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
WRITE(OUT,9581) XI, XE
9581 FORMAT('      INLET QUAL=', F8.3, '      EXIT QUAL=', F8.3)
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
99 CONTINUE
RETURN
C      QBLRPP
END
```

Stations 8 and 14 to compute the intercooler performance. The computations then proceed to Station 9, then to Stations 11, 12, 13, and 14. The computations for Leg 10 terminate at Station 14, the cold-inlet side of the intercooler, because the cold-outlet side (Station 16) had been computed when the intercooler was first encountered. Therefore, on the first pass, Station 16 values were based on the INDATA guesses. In Pass 2, Station 16 values will be based on the Pass 1 values. Station 16 will, therefore, always have values based on the previous pass. When the solution converges, the values from two successive passes will be equal, so the lag will have no influence on the final solution.

Because there is a lag in the numerical values wherever INDATA is used, the number of iterations required is always greater with INDATA than without. Therefore, INDATA should be used as little as possible. The prior AECS unwritten rule should be observed as much as possible: LOOPS should be located such that all inlet states will have been calculated prior to encountering a component.

#### 7.5. Program Listing

There is no simulation program for INDATA; however, the "PZ" subroutine is listed in Exhibit 7.4-1, except that comments have been added for the exhibit.

#### 7.6. Sample Case

INDATA cannot stand alone in a sample case. The user should refer to Appendix A to see an example of the use of INDATA.

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## 8. Subroutine LOOP (Loop Start and Loop End)

### 8.1. Subroutine Description

The LOOPS (Loop Start) subroutine does not simulate a component; instead, it permits the user to define the flow rate, pressure, temperature, and enthalpy at some point in a closed-loop system. The AECS solution procedure will then minimize the difference between these values and those deduced from the computations as the loop closes back on itself, ending in LOOPE. The values entered in LOOPS, which is treated as a component (usually the first in the component list), are compared to those computed for LOOPE (usually the last in the component list).

### 8.2. Prior Simulation Method

The previous LOOPS permitted temperature to be used as a state variable. If the loop were to start with a two-phase refrigerant, the temperature and pressure would not define the thermodynamic state. Therefore, the previous LOOPS was of limited utility in refrigerant systems.

### 8.3. New Simulation Method

The new version of LOOPS permits enthalpy instead of temperature as the state variable, when the fluid is a refrigerant. The temperature is deduced from the pressure and enthalpy by virtue of the refrigerant-properties routines, so the user value is overridden by the computer if the fluid is a refrigerant.

The new version of LOOPE accepts enthalpy as an error variable, in its attempt to match LOOPS; it does not accept temperature if the fluid is a refrigerant.

### 8.4. Computational Procedure

The modification to LOOPS and LOOPE was almost trivial (Exhibit 8.4-1). A branch is made if the fluid is a refrigerant, so the temperature can be computed as a function of pressure and enthalpy. Any refrigerant state is permissible. The branch also establishes the enthalpy as the state variable, if the user so designates it.

### 8.5. Program Listing

The few lines that have been modified are easily identified (Fluid Type = 3). The annotated listing is presented in Exhibit 8.4-1.

### 8.6. Sample Case

LOOPS and LOOPE must be used in conjunction with other components. Therefore, a separate sample case is inappropriate. The reader can see examples of the use of LOOPS and LOOPE in refrigerant systems in Appendix A and in Section 4 (the COP example).

### Exhibit 8.4-1: Performance-Program Logic and Listing

```
SUBROUTINE LPSPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)), (ISVT,C(46)), (ISV
,C(47)), (IEVT,C(48))
*, (IEV,C(49)), (IW,C(27)), (IP,C(28)), (IT,C
(29)), (IH,C(30))
*, (CERR,C(16)), (OUT,C(7)), (PASS,C(17)), (IFB,C(55))
DIMENSION SCR(30)
INTEGER CERR, OUT, PASS
EQUIVALENCE (SCR(1),NLI), (SCR(2),NSI), (SCR
,(3),NLO), (SCR(4),NSO)
*, (SCR(5),ISV1,IEV1), (SCR(6),ISV2,IEV2), (S
CR(7),ISV3,IEV3)
*, (SCR(8),ISV4,IEV4), (SCR(9),IRCD2), (SCR(1
0),NC), (SCR(11),LOCT)
*, (SCR(12),P), (SCR(13),T), (SCR(14),TS), (SCR(15),V)
*, (SCR(16),DSH)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG NO. - LOOP START
C 3 STATION NO. - LOOP START
C 4 LEG NO. - LOOP END
C 5 STATION NO. - LOOP END
C 6 IRCD NO. 2
C 7 SV W / EV W
C 8 SV P / EV P
C 9 SV T / EV T
C 10 SV H / EV H
C 11 W (LOOPS ONLY)
C 12 P (LOOPS ONLY)
C 13 T (LOOPS ONLY)
C 14 H (LOOPS ONLY)
C 15 DSH
    IE = 1
    GO TO 1
*** ENTRY POINT FOR LOOP END.
    ENTRY LPEPP
    IE = 2
*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY
    1 IRCD = IRCD(15)
    NLI = ID(IRCD+2)
    NSI = ID(IRCD+3)
    NLO = ID(IRCD+4)
    NSO = ID(IRCD+5)
    IRCD2 = ID(IRCD+6)
*** BRANCH TO 10 FOR LOOP END
    IF (IE.EQ.2) GO TO 10
    IF (PASS.EQ.1) CALL FLUIDP(NLI)
    LOCT = ID(IFB+NLI)
    NC = ID(LOCT+1)
    LOCT = ID(LOCT+3)
*** SET UP W, P, T AND H PER INPUT DATA
```

```

D(IW+NLI) = D(ID(IRCD+11))
D(IP+NSI) = D(ID(IRCD+12))
D(IT+NSI) = D(ID(IRCD+13))
D(IH+NSI) = D(ID(IRCD+14))

C*** SET UP THE STATE VARIABLES
9 ISV1 = ID(IRCD+7)
ISV2 = ID(IRCD+8)
ISV3 = ID(IRCD+9)
ISV4 = ID(IRCD+10)
IF (ISV1.EQ.0) GO TO 20
IF (PASS.NE.1) GO TO 12
ID(ISVT+ISV1) = 1
D(ISV+ISV1) = D(IW+NLI)
12 D(IW+NLI) = D(ISV+ISV1)
20 IF (ISV2.EQ.0) GO TO 30
IF (PASS.NE.1) GO TO 22
ID(ISVT+ISV2) = 2
D(ISV+ISV2) = D(IP+NSI)
22 D(IP+NSI) = D(ISV+ISV2)
30 IF (ISV3.EQ.0) GOT O 40
IF (PASS.NE.1) GO TO 32
ID(ISVT+ISV3) = 3
D(ISV+ISV3) = D(IT+NSI)
32 D(IT+NSI) = D(ISV+ISV3)
40 IF (ISV4.EQ.0) GO TO 45
IF (PASS.NE.1) GO TO 42
ID(ISVT+ISV4) = 4
IF (NC.EQ.3) ID(ISVT+ISV4)=10
D(ISV+ISV4) = D(IH+NSI)
42 D(IH+NSI) = D(ISV+ISV4)
45 IF (NC.NE.3) GO TO 50

C*** IF FLUID IS A REFRIGERANT (TYPE = 3) RECOMPUT
      E THE TEMPERATURE
C   FROM THE ENTHALPY AND PRESSURE. OVERRIDE THE INPUT VALUE.
QUAL=VQUALH(LOCT,D(IP+NSI),D(IH+NSI))
IF(QUAL.LT.0.0)D(IT+NSI)=VTЛИQ(LOCT,D(IP+NSI),D(IH+NSI))
IF(QUAL.GE.0..AND.QUAL.LE.1.)D(IT+NSI)=VTS(LOCT,D(IP+NSI))
IF(QUAL.GT.1.)CALL VTAV2(LOCT,D(IT+NSI),V,D(
    IP+NSI),D(IH+NSI))

50 IF (IRCD2.NE.0) GO TO 99
CERR = CERR+1
CALL LINES(2)
WRITE (OUT,1000) CERR
1000 FORMAT(6H0ERROR,I6,5X,21HLOOPS/LOOP UNMATCHED)
GO TO 99

C*** SET UP THE ERROR VARIABLES FOR LOOP END
10 IEV1 = ID(IRCD+7)
IEV2 = ID(IRCD+8)
IEV3 = ID(IRCD+9)
IEV4 = ID(IRCD+10)
IF (PASS.NE.1) GO TO 3
IF (IEV1.NE.0) ID(IEVT+IEV1) = 1
IF (IEV2.NE.0) ID(IEVT+IEV2) = 2
IF (IEV3.NE.0) ID(IEVT+IEV3) = 3

```

```
IF (IEV4.NE.0) TD(IEVT+IEV4) = 4
C*** COMPUTE THE VALUES OF THE ERROR VARIABLES
3 IF (IEV1.NE.0) D(IEV+IEV1) = D(IW+NLI)-D(IW+NLO)
   IF (IEV2.NE.0) D(IEV+IEV2) = D(IP+NSI)-D(IP+NSO)
   IF (IEV3.NE.0) D(IEV+IEV3) = D(IT+NSI)-D(IT+NSO)
   IF (IEV4.NE.0) D(IEV+IEV4) = D(IH+NSI)-D(IH+NSO)
99 CONTINUE
      RETURN
C      LPSPP, LPEPP
      END
```

## 9. Subroutine NRCLR (Refrigerant Intercooler)

### 9.1 Subroutine Description

The NRCLR routine simulates a single- or two-phase-flow heat exchanger with refrigerant flowing on both sides. The hot side would normally contain the high-pressure, high-temperature discharge from the condenser; the cold side would normally contain the cold refrigerant vapor coming from the evaporator. The NRCLR is usually used to reduce the compressor power by providing cooling between successive stages of compression.

### 9.2 Prior Simulation Method

NRCLR is a new routine. Although two-phase-flow heat exchangers are used elsewhere in AECS, this is the only heat exchanger in which two-phase-flow heat transfer can occur on either or both sides.

### 9.3 New Simulation Method

The heat exchanger in NRCLR can be envisioned as a counterflow heat exchanger, with the cold fluid flowing from  $x=0$  to  $x=1$  and the hot fluid flowing from  $x=1$  to  $x=0$ . The counterflow analysis used in the routine should be an adequate approximation if multi-pass cross-counterflow is used in practice.

The refrigerant can enter either side of the heat exchanger in subcooled, saturated, two-phase, or superheated states. The outlet states can also be subcooled, saturated, two-phase or vapor. The corresponding heat-transfer coefficients must be estimated by the user and entered in the parameter list. The decrease in saturation temperature due to the pressure drop through the heat exchanger is ignored.

The subroutine computes the temperatures, pressures, enthalpy and quality of the fluids leaving the two sides of the heat exchanger. Data computed internally but not normally printed include the  $x$  positions at which the flow turns from single- to two-phase or vice versa.

### 9.4 Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program in Exhibit 9.4-1.

The computations are started at  $x=0$ , where the cold fluid enters. The enthalpy of the hot fluid at  $x=0$ , where the hot fluid exits, is assumed, beginning with the enthalpy corresponding to the average between the enthalpy at the hot inlet and the hot-fluid enthalpy at the cold inlet temperature. In successive assumptions, this interval

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Exhibit 9.4-1: Performance-Program Logic and Listing

```

SUBROUTINE NRCLRPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*, (IH,C(30)), (SCR(1),C(151)), (ICPP,C(88)), (OUT,C(7))
*, (IFP,C(22)), (IGA,C(35)), (ILN,C(37)), (PASS,C(17))
*, (CERR,C(16)), (IIOP,C(90)), (DP(1),C(171)), (ITAD,C(54))
*, (IFB,C(55)), (GVTY,C(370)), (CJ,C(371))
*, (VRC,C(378)), (VRH,C(379)), (PCOLD,C(380)), (PHOT,C(381))
DIMENSION SCR(30),DP(8)
INTEGER PASS,OUT,CERR
REAL MUR1,MUR2,MUAVG,MC,MH,NC,LC,LH
EQUIVALENCE (SCR(1),NLC), (SCR(2),NSIC), (SCR(3),NSOC)
*, (SCR(4),NLH), (SCR(5),NSIH), (SCR(6),NSOH), (SCR(7),AC)
*, (SCR(8),AH), (SCR(9),ITBL1), (SCR(10),ITBL2), (SCR(11),HTCL)
*, (SCR(12),HTC2), (SCR(13),HTCV), (SCR(14),HTHL)
, (SCR(15),HTH2)
*, (SCR(16),HTHV)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
*,(D(41),VFC),(D(42),CFMC),(D(43),VGH),(D(44),VFH)
*,(D(49),SC),(D(50),VSATC),(D(51),HSATC),(D(52),HSATH)
*,(D(53),LC),(D(54),SH),(D(55),VSATH),(D(56),LH)
*,(D(57),QC),(D(58),QH),(D(59),HN),(D(60),HH)
*,(D(61),CQ),(D(62),HQ),(D(63),PINH),(D(64),PINC)
*,(D(65),TTH),(D(67),HLOW),(D(68),V)
*,(D(69),HIGH),(D(70),HTEST),(D(71),HOUTH),(D(72),TH)
*,(D(73),KEY),(D(74),TVTC),(D(75),TVTH),(D(76),XCX)

C 1 COMP CODE
C 2 LEG COLD NLC
C 3 STATION IN COLD NSIC
C 4 STATION OUT COLD NSOC
C 5 LEG HOT NLH
C 6 STATION IN HOT NSIH
C 7 STATION OUT HOT NSOH
C 8 FLOW AREA COLD AC
C 9 FLOW AREA HOT AH
C 10 PRESSURE DROP TABLE RELATIVE NUMBER FOR TYPES 61 AND 62
C (COLD AND HOT SIDES, RESPECTIVELY), FT OF VAPOR VS CFM WITH
C VAPOR ONLY
C 11 HEAT TRANSFER COEFFICIENT, LIQUID HTCL
C 12 HEAT TRANSFER COEFFICIENT, 2 PHASE HTC2
C 13 HEAT TRANSFER COEFFICIENT, VAPOR HTCV
C 14 HEAT TRANSFER AREA ON COLD SIDE (SQUARE FEET)
C 15 HEAT TRANSFER AREA ON HOT SIDE (SQUARE FEET)
C*** PRESSURE-DROP FUNCTION FOR TWO-PHASE FLOW BASED ON
C FAC, INC., CORRELATION OF BAROCZY'S METHOD
FNG(X,PF)=-PF*X**1.65/2.65+(1.+PF)*(X**.7/1.7-(1.-X)**2.3) — compr
/*2.3+(1.-(1.-X)**3.3)/2.3/3.3/X)
C*** VOID-FRACTION CORRELATION
FNV(X,VR)=X/(X+SL*(1.-X)/VR)
C*** RATIO OF MOMENTUM FLUX TO MOMENTUM OF LIQUID-ONLY FLOW
FNM(X,VR)=((1.-X)/(1.-VE))**2*(1.-VE*(1.-SL*SL/VR))
C*** DERIVATIVE OF THE PRESSURE-DROP FUNCTION

```

*PB = -25 \* K206/10 (VFC)*  
*W p10, q1*  
*QBOILR*  
*+ p99*

*67*  
*67*

VH gets (L1Q, P, T, V), gives H for superheat vapor

IF(TC.GT.SH) HLOW=VH(LHOT,D(IP+NSIH),TC,VSV(LHOT,D(IP+NSO),TC))

SIB NSOH

HIGH=HH

C\*\*\* BASE THE CONVERGENCE ON THE HOT-SIDE ENTHALPY DECREASE

HTEST=HIGH-HLOW

TVTC=VTS(LCOLD,PINC)

TVTH=VTS(LHOT,PINH)

FC=VCPF(LCOLD,PINC,TVTC)

FH=VCPF(LHOT,PINH,TVTH)

GC=VCPV(LCOLD,PINC,TVTC)

GH=VCPV(LHOT,PINH,TVTH)

C\*\*\* FIRST ESTIMATE OF THE HOT SIDE ENTHALPY:

C MIDWAY BETWEEN THE HIGHEST (INLET) AND COLDEST POSSIBLE

C\*\*\* RETURN HERE WITH EACH SUCCESSIVE APPROXIMATION

200 HOUTH=0.5\*(HLOW+HIGH)

HH=HOUTH

QH=0.0

C\*\*\* COMPUTE THE CORRESPONDING THERMAL PROPERTIES

IF(HH.LT.HLIQH)TH=VTLIQ(LHOT,PINH,HH)

IF(HH.GE.HLIQH)TH=SH

QH=1.-(HSATH-HH)/LH

IF(QH.GT.1.0)CALL VTAV2(LHOT,TH,VHOT,PINH,HH)

T0=TH

TC=D(IT+NSIC)

HC=CN

QC=CQ

X0=0.0

KEY=0

C\*\*\* BRANCH: IF HOT-SIDE IS LIQUID, TO 290; IF VAP  
OR, 310; OTHERWISE 300

280 IF(HH.LT.HLIQH)GO TO 290

IF(HH.GE.HLIQH.AND.HH.LT.HSATH) GO TO 300

GO TO 310

C\*\*\* BRANCH: IF COLD-SIDE IS LIQUID, TO 320; IF VA  
POR, 770; OTHERWISE 610

290 IF(HC.LT.HLIQC)GO TO 320

IF(HC.GE.HLIQC.AND.HC.LT.HSATC)GO TO 610

GO TO 770

C\*\*\* BRANCH: IF COLD-SIDE IS LIQUID, TO 970; IF VA  
POR, 1300; OTHERWISE 1150

300 IF(HC.LT.HLIQC)GO TO 970

IF(HC.GE.HLIQC.AND.HC.LT.HSATC)GO TO 1150

GO TO 1300

C\*\*\* BRANCH: IF COLD-SIDE IS LIQUID, 1460; IF VAPO  
R, 1840; OTHERWISE 1680

310 IF(HC.LT.HLIQC)GO TO 1460

IF(HC.GE.HLIQC.AND.HC.LT.HSATC)GO TO 1680

GO TO 1840

C\*\*\* HOT SIDE = LIQUID; COLD SIDE = LIQUID. SET U  
P HEAT-TRANSFER COEF'S

320 CHTCL=HTCL

CH=HTHL

C\*\*\* COMPUTE THE CAPACITANCE RATE: COLD/HOT  
XCX=MC\*FC/(MH\*FH)

TC=DC

QH=1.0-(HSATH-HH) /LH

QC=1.0-(HSATC-HC) / LC

C\*\*\* DETERMINE WHERE THE COMPUTATIONS ARE TO PROCE  
ED, BASED ON THE

C THE NEXT FLOW REGION

GO TO 1990

C\*\*\* COLD SIDE TWO PHASE; HOT SIDE LIQUID

C COMPUTE USING THE SAME LOGIC AS ABOVE FOR LIQ  
UID-LIQUID FLOWS

610 CHTCL=HTC2

CH=HTHL

XCX=MC\*LC/(MH\*FH\*(TH-TC))

NC=1.0/(MH\*FH\*XCX\*(1. / (AHTC\*CHTCL)+1. / (AHTH\*CH)))

XH=(SH-TC)/(TH-TC)

IF(XH) 651,651,652

651 XH=1.1

GO TO 660

652 XH=ALOG(XH)/(XCX\*NC)

660 XC=(1.+XCX\*(1.-QC))

IF (XC) 661,661,662

661 XC=1.1

GO TO 670

662 XC=ALOG(XC)/(XCX\*NC)

670 X=XC

IF(XC.GT.XH)X=XH

IF((X+X0)-1.) 690,690,680

680 X=1.-X0

KEY=1

QTY=XCX\*NC\*X

690 DH=TC+(TH-TC)\*EXP(XCX\*NC\*X)

HH=VHLIQ(LHOT,PINH,DH)

IF(X.NE.XH)GO TO 695

DH=SH

HH=HLIQH

695 TH=DH

QH=1.0-(HSATH-HH) / LH

QC=QC-(1.-EXP(XCX\*NC\*X))/XCX

IF(X.NE.XC) GO TO 750

QC=1.0

TC=SC

HC=HSATC

GO TO 1990

750 HC=HSATC-(1.-QC)\*LC

GO TO 1990

C\*\*\* COLD SIDE VAPOR, HOT SIDE LIQUID

770 CHTCL=HTCV

CH=HTHL

XCX=MC\*GC/(MH\*FH)

NC=1. / (MC\*GC\*(1. / (AHTC\*CHTCL)+1. / (AHTH\*CH)))

IF(XCX.EQ.1.) GO TO 840

XH=(XCX\*(TH-TC)/(TH-XCX\*TC-(1.-XCX)\*SH))

IF(XH) 821,821,822

821 XH=1.1

GO TO 850  
 822 XH=ALOG(XH)/(NC\*(1.-XCX))  
 GO TO 850  
 840 XH=(SH-TH)/(NC\*(TH-TC))  
 850 X=XH  
 IF((X+X0)-1..) 870,870,860  
 860 X=1.0-X0  
 KEY=1  
 870 IF(XCX.EQ.1.0) GO TO 910  
 QTY=-NC\*(1.0-XCX)\*X  
 880 DH=(TH-XCX\*TC+XCX\*(TC-TH)\*EXP(-NC\*(1.-XCX)\*X))/(1.-XCX)  
 DC=(TH-XCX\*TC+(TC-TH)\*EXP(-NC\*(1.-XCX)\*X))/(1.-XCX)  
 GO TO 930  
 910 DH=TH+NC\*(TH-TC)\*X  
 DC=TC+NC\*(TH-TC)\*X  
 930 HH=VHLIQ(LHOT,PINH,DH)  
 IF(X.NE.XH)GO TO 940  
 DH=SH  
 HH=HLIQH  
 940 TH=DH  
 V=VSV(LCOLD,PINC,DC)  
 HC=VH(LCOLD,PINC,DC,V)  
 QH=1.0-(HSATH-HH)/LH  
 TC=DC  
 GO TO 1990  
 970 CH=HTH2  
 CHTCL=HTCL  
 XCX=MC\*FC\*(SH-TC)/(MH\*LH)  
 NC=1./(MC\*FC\*(1.//(AHTC\*CHTCL)+1.//(AHTH\*CH)))  
 XH=(XCX/(XCX-1.+QH))  
 IF(XH)1020,1020,1030  
 1020 XH=1.1  
 GO TO 1040  
 1030 XH=ALOG(XH)/NC  
 1040 XC=(TC-TH)/(SC-TH)  
 IF(XC) 1041,1041,1042  
 1041 XC=1.1  
 GO TO 1050  
 1042 XC=ALOG(XC)/NC  
 1050 X=XC  
 IF(XC.GT.XH) X=XH  
 IF((X+X0)-1..) 1070,1070,1060  
 1060 X=1.0-X0  
 KEY=1  
 QTY=-NC\*X  
 1070 QH=QH+XCX\*(1.0-EXP(-NC\*X))  
 HH=HSATH - (1.0-QH)\*LH  
 IF(X.EQ.XH)HH=HSATH  
 DC=TH+(TC-TH)\*EXP(-NC\*X)  
 HC=VHLIQ(LCOLD,PINC,DC)  
 IF(X.NE.XC)GO TO 1090  
 DC=SC  
 HC=HLIQC  
 1090 TH=SH

TC=DC  
 QC=1.0-(HSATC-HC) / LC  
 GO TO 1990

**C\*\*\* BOTH SIDES TWO PHASE**

**1150** CH=HTH2  
 CHTCL=HTC2  
 $XCX=MC*LC/(MH*LH)$   
 $NC=(SH-SC)/(MC*LC*(1. / (AHTC*CHTCL)+1. / (AHTH*CH)))$   
 $XC=(1.-QC)/NC$   
 $XH=(1.-QH)/(XCX*NC)$   
 $X=XC$   
 IF(XC.GT.XH)X=XH  
 IF((X+X0).LE.1.0) GO TO 1230  
 $X=1.-X0$   
 KEY=1

**1230** QC=QC+NC\*X  
 $QH=QH+NC*XCX*X$   
 $HC=HSATC-(1.0-QC)*LC$   
 $HH=HSATH-(1.0-QH)*LH$   
 IF(X.EQ.XH)HH=HSATH  
 IF(X.EQ.XC)HC=HSATC  
 $TC=SC$   
 $TH=SH$   
 GO TO 1990

**C\*\*\* HOT SIDE IS TWO PHASE; COLD SIDE IS A VAPOR**

**1300** CH=HTH2  
 CHTCL=HTCV  
 $XCX=MC*GC/(MH*LH/(TH-TC))$   
 $NC=1. / (MC*GC*(1. / (AHTC*CHTCL)+1. / (AHTH*CH)))$   
 $XH=(XCX/(XCX-1.+QH))$   
 IF(XH) 1350,1350,1360

**1350** XH=1.1  
 GO TO 1370

**1360** XH=ALOG(XH)/NC

**1370** X=XH  
 IF((X+X0)-1.) 1390,1390,1380

**1380** X=1.-X0  
 KEY=1  
 $QTY=-NC*X$   
 IF(NC\*X.GT.14./0.4343) GO TO 2070

**1390** QH=QH+XCX\*(1.-EXP(-NC\*X))  
 $DC=TH+(TC-TH)*EXP(-NC*X)$   
 $HH=HSATH-(1.0-QH)*LH$   
 IF(X.EQ.XH)HH=HSATH  
 $V=VSV(LCOLD,PINC,DC)$   
 $HC=VH(LCOLD,PINC,DC,V)$   
 $TC=DC$   
 $TH=SH$   
 GO TO 1990

**C\*\*\* HOT SIDE VAPOR, COLD SIDE LIQUID**

**1460** CH=HTHV  
 CHTCL=HTCL  
 $XCX=MC*FC/(MH*GH)$   
 $HH=HSATH-(1.0-QH)*LH$

```

NC=1./(MC*FC*(1./(AHTC*CHTCL)+1./(AHTH*CH)))
IF(XCX.EQ.1.0) GO TO 1530
XC=((TH-TC)/(TH-XCX*TC-(1.-XCX)*SC))
IF(XC) 1511,1511,1512
1511 XC=1.1
GO TO 1540
1512 XC=ALOG(XC)/(NC*(1.-XCX))
GO TO 1540
1530 XC=(SC-TC)/(NC*(TH-TC))
1540 X=XC
IF((X+X0)-1.) 1560,1560,1550
1550 X=1.0-X0
KEY=1
1560 IF(XCX.EQ.1.0) GO TO 1600
DC=(TH-XCX*TC+(TC-TH)*EXP(-NC*(1.-XCX)*X))/(1.-XCX)
DH=(TH-XCX*TC+XCX*(TC-TH)*EXP(-NC*(1.-XCX)*X))/(
* (1.-XCX)
GO TO 1620
1600 DC=TC+(TH-TC)*NC*X
DH=TH+(TH-TC)*NC*X
1620 V=VSV(LHOT,PINH,DH)
HH=VH(LHOT,PINH,DH,V)
HC=VHLIQ(LCOLD,PINC,DC)
IF(X.NE.XC)GO TO 1630
DC=SC
HC=HSATC
1630 TH=DH
QC=1.0-(HSATC-HC) / LC
TC=DC
GO TO 1990
C*** HOT SIDE VAPOR, COLD SIDE TWO PHASE
1680 CH=HTHV
CHTCL=HTC2
XCX=MC*LC/(MH*GH*(TH-SC))
NC=1. /(MH*GH*XCX*(1. /(AHTC*CHTCL)+1. /(AHTH*CH)))
XC=(1.+XCX*(1.-QC))
IF(XC) 1730,1730,1740
1730 XC=1.1
GO TO 1750
1740 XC=ALOG(XC)/(XCX*NC)
1750 X=XC
IF((X+X0)-1.0) 1770,1770,1760
1760 X=1.0-X0
KEY=1
QTY=XCX*NC*X
1770 DH=TC+(TH-TC)*EXP(XCX*NC*X)
QC=QC-(1.0-EXP(XCX*NC*X))/XCX
V=VSV(LHOT,PINH,DH)
HH=VH(LHOT,PINH,DH,V)
TH=DH
HC=HSATC-(1.-QC)*LC
IF(X.NE.XC)GO TO 1990
TC=SC
HC=HSATC

```

GO TO 1990  
 C\*\*\* BOTH SIDES VAPOR  
 1840 CH=HTHV  
 CHTCL=HTCV  
 $XCX=MC*GC/(MH*GH)$   
 $NC=1./(MC*GC*(1.//(AHTC*CHTCL)+1.//(AHTH*CH)))$   
 $X=1.-X0$   
 IF(XCX.EQ.1.0) GO TO 1930  
 $QTY=-NC*(1.0-XCX)*X$   
 IF (NC\*(1.-XCX)\*X.GT.14./0.4343) GO TO 2070  
 $DH=(TH-XCX*TC+XCX*(TC-TH)*EXP(-NC*(1.-XCX)*X))/(1.-XCX)$   
 $DC=(TH-XCX*TC+(TC-TH)*EXP(-NC*(1.-XCX)*X))/(1.-XCX)$   
 GO TO 1950  
 1930 DH=TH+NC\*(TH-TC)\*X  
 $DC=TC+NC*(TH-TC)*X$   
 1950 V=VSV(LHOT,PINH,DH)  
 $HH=VH(LHOT,PINH,DH,V)$   
 $V=VSV(LCOLD,PINC,DC)$   
 $HC=VH(LCOLD,PINC,DC,V)$   
 $TH=DH$   
 $TC=DC$   
 KEY=1  
 1990 X0=X0+X  
 C\*\*\* TAKE UP TO 100 ITERATIONS TO DETERMINE THE HOT  
 T-SIDE OUTLET ENTHALPY  
 $ITRTTN=ITRTTN+1$   
 IF(ITRTTN.GT.100)GO TO 2055  
 C\*\*\* IF THE FULL LENGTH OF THE HXR HAS BEEN ANALYZED,  
 C PROCEED TO THE ENTHALPY CHECK; OTHERWISE GO TO 280  
 IF(KEY) 280,280,2025  
 C\*\*\* SOLUTION HAS CONVERGED IF HOT-SIDE INLET ENTHALPY IS NO  
 C MORE IN ERROR THAN 0.01% OF THE MAXIMUM POSSIBLE CHANGE  
 2025 IF(ABS(HH-HN).LT.(.0001\*HTEST)) GO TO 2060  
 IF(HH-HN) 2040,2040,2050  
 C\*\*\* CONTINUE WITH THE BINARY SEARCH FOR THE CORRECT HOT  
 C OUTLET ENHTALPY. REPLACE EITHER THE HIGH OR LOW LIMIT  
 2040 HLOW=HOUTH  
 GO TO 200  
 2050 HIGH=HOUTH  
 GO TO 200  
 2055 CONTINUE  
 C\*\*\* THE FOLLOWING COMMENT CARDS CAN BE CHANGED FOR  
 R DIAGNOSTIC OUTPUT  
 C PRINT 2056,HH,HN  
 2056 FORMAT(" ITERATION LIMIT IN INTERCOOLER HH/HN = ",2F10.2)  
 GO TO 2072  
 2060 CONTINUE  
 C PRINT 2061  
 2061 FORMAT(" THE INTERCOOLER HEAT TRANSFER ANALYSED COMPLETELY"  
 \*)  
 C PRINT 2062  
 2062 FORMAT(" TIN HIN TOUT HOUT")  
 C PRINT 2063,D(IT+NSIC),CN,TC,HC  
 2063 FORMAT(" COLD",4F10.3)

```

C PRINT 2064,TTH,HN,T0,HOUTH
2064 FORMAT(" HOT",4F10.3)
DO 2100 I=1,8
2100 DP(I)=0.0
C*** BEGIN THE COMPUTATION OF THE PRESSURE DROP BY
C COMPUTING THE SPECIFIC VOLUMES
MC=MC/3600.
MH=MH/3600.
VGC=VSATC
VFC=1./VDL(LCOLD,SC)
VRC=VGC/VFC
VGH=VSATH
VFH=1./VDL(LHOT,SH)
VRH=VGH/VFH
C*** ADJUST QUALITIES IF BEYOND THE SATURATION REGION
IF(ABS(QH-1.0).LT..0001)QH=1.0
IF(ABS(QC-1.0).LT..0001)QC=1.0
IF(QC.LT.0.0)QC=0.0
IF(QC.GT.1.)QC=1.0
IF(QH.LT.0.)QH=0.0
IF(QH.GT.1.)QH=1.0
CFMC=D(IW+NLC)*VGC
CFMH=D(IW+NLH)*VGH
C*** ENTER THE CFM RATES FOR A PRESSURE-DROP TABLE LOOK UP
D(IGA+101)=CFMC
D(IGA+102)=CFMH
PCOLD=TLUP(ID(IRCD+10))*VGC
PHOT=TLUP(ID(IRCD+11))*VGH
C*** COMPUTE THE SLIP RATIO
SL=(VRC-1.)*.25
PB=-0.25* ALOG10(VRC)
IF(PB.LT.-1.)PB=-1.
C*** BRANCH ACCORDING TO THE QUALITY
IF(CQ.EQ.0.0)GO TO 2290
DP(1)=CQ*FNQ(CQ,PB)
IF(CQ.EQ.1.0)GO TO 2282
VE=FNV(CQ,VRC)
DP(3)=FNM(CQ,VRC)
GO TO 2290
2282 DP(3)=VRC
2290 IF(QC)2330,2330,2295
2295 DP(2)=QC*FNQ(QC,PB)
IF(QC.EQ.1.)GO TO 2298
VE=FNV(QC,VRC)
DP(4)=FNM(QC,VRC)
GO TO 2310
2298 DP(4)=VRC
2310 IF((QC-CQ).LT.0.01)GO TO 2315
C*** COMPUTE THE AVERAGE PHI BAR (DP(1)) FOR IN AND OUT QUALITIES
DP(1)=(DP(2)-DP(4))/(QC-CQ)
GO TO 2330
2315 DP(1)=FNP(QC,PB)
C*** COMPUTE THE PRESSURE DROP FROM THE FAC CORRELATION
2330 DP(1)=PCOLD*((1./VRC)**2+(1.-(1./VRC)**2)*DP(1))

```

$PB = \text{specific vol. ratio}$   
 $\text{#77 says ratio of } \Delta P^* = \frac{\text{specific vol. ratio}}{\text{ratio of specific vol.}}$   
 $\text{is being fed to FNQ}$   
 $\text{TS THIS should be delta P}$   
 $\text{ratio as per VNEPP routine}$   
 $\text{see p 77}$

ALSO P.99 shows  
 $+ .25 * \text{ALOG}(DPF/DPG)$   
 $+ .25 * \text{ALOG10}(VRC)$   
 not  $- .25 \text{ ALOG10}(VRC)$   
 as above  
 code for VNEPP is  
 $+ .25 * .1343 \text{ ALOG}(DPF/DPG)$   
 $(P65 missing)$   
 $QC = 1. - (HSATC - HC) / LC$   
 $LC = VNEPP(\text{unit})$

MISTAKE  
 charged  
 to (2x GVTY)

C\*\*\* ADD THE MOMENTUM DROP  
 $DP(1)=DP(1)+(DP(4)-DP(3))*(MC/AC)**2*VFC/GVTY/144.$

C\*\*\* REPEAT THE SAME SEQUENCE OF COMPUTATIONS FOR THE HOT SIDE  
 $SL=(VRH-1.)**.25$   
 $PB=-0.25*ALOG10(VRH)$   
 IF (PB.LT.-1.) PB=-1.  
 IF (HQ.NE.0) GO TO 2370  
 $DP(2)=0.0$   
 $DP(4)=0.0$   
 GO TO 2420

2370  $DP(2)=HQ*FNQ(HQ,PB)$   
 IF (HQ.NE.1.) GO TO 2371  
 $DP(4)=VRH$   
 GO TO 2380

2371  $VE=FNV(HQ,VRH)$   
 $DP(4)=FNM(HQ,VRH)$

2380 IF (QH.NE.0.0) GO TO 2390  
 $DP(3)=0.0$   
 $DP(5)=0.0$   
 GO TO 2400

2390  $DP(3)=QH*FNQ(QH,PB)$   
 IF (QH.NE.1.0) GO TO 2395

2392  $DP(5)=VRH$   
 GO TO 2400

2395  $VE=FNV(QH,VRH)$   
 $DP(5)=FNM(QH,VRH)$

2400 IF ((HQ-QH).GE..01) GO TO 2405  
 $DP(2)=FNP(HQ,PB)$   
 GO TO 2420

2405  $DP(2)=(DP(3)-DP(2))/(QH-HQ)$

2420  $DP(2)=PHOT*((1./VRH)**2+(1.-(1./VRH)**2)*DP(2))$

C\*\*\* COMPUTE THE HOT-SIDE PRESSURE DROP  
 $DP(2)=DP(2)+(DP(5)-DP(4))*(MH/AH)**2*VFH/GVTY/144.$

C\*\*\* THE FOLLOWING EXTRA PRINTOUT IS FOR DIAGNOSTIC PURPOSES  
 C WRITE(OUT,2500)DP(1)

2500 FORMAT(" COLD SIDE PRESSURE DROP(PSI) = ",E12.5)  
 C WRITE(OUT,2600)DP(2)

2600 FORMAT(" HOT SIDE PRESSURE DROP(PSI) = ",E12.5)  
 $D(IP+NSOH)=PINH-DP(2)$   
 IF (D(IP+NSOH).GT.0.0) GO TO 2610

C WRITE(OUT,7655)D(IP+NSOH),D(IP+NSIH)

7655 FORMAT(" \*\*\* OUTLET PRESSURE IN NRCLR HOT SIDE WAS ",E14.7,  
 \*\* " RESET PRESSURE TO INLET VALUE ",E14.7)  
 $D(IP+NSOH)=D(IP+NSIH)$

2610 D(IP+NSOC)=PINC-DP(1)  
 IF (D(IP+NSOC).GT.0.0) GO TO 2620

C WRITE(OUT,7654)D(IP+NSOC),D(IP+NSIC)

7654 FORMAT(" \*\*\* OUTLET PRESSURE IN NRCLR COLD S  
 IDE WAS ",E14.7,  
 \*\* " RESET PRESSURE TO INLET VALUE ",E14.7)  
 $D(IP+NSOC)=D(IP+NSIC)$

2620 D(IT+NSOH)=T0  
 $D(IT+NSOC)=TC$   
 $D(IH+NSOH)=HOUTH$

D(IH+NSOC)=HC  
 RETURN  
 2070 DPRC=.4343\*NC\*(1.-XCX)  
 C PRINT 2071,DPRC  
 2071 FORMAT(" INTERCOOLER TOO LARGE FOR FLOW RATE, PRECISION= ",  
 \* F10.3)  
 C\*\*\* IF THE NTU'S ARE TOO HIGH, ASSUME EFFECTIVENSS = 1.0  
 2072 D(IP+NSOH)=D(IP+NSIH)  
 - D(IP+NSOC)=D(IP+NSIC)  
 TOUTH=D(IT+NSIC)  
 TOUTC=D(IT+NSIH)  
 IF(TOUTH-SH)2710,2720,2720  
 2710 HOUTH=VHLIQ(LHOT,D(IP+NSOH),TOUTH)  
 GO TO 2730  
 2720 VHOT=VSV(LHOT,D(IP+NSOH),TOUTH)  
 HOUTH=VH(LHOT,D(IP+NSOH),TOUTH,VHOT)  
 2730 IF(TOUTC-SC)2740,2750,2750  
 2740 HOUTC=VHLIQ(LCOLD,D(IP+NSOC),TOUTC)  
 GO TO 2760  
 2750 VCOLD=VSV(LCOLD,D(IP+NSOC),TOUTC)  
 HOUTC=VH(LCOLD,D(IP+NSOC),TOUTC,VCOLD)  
 C\*\*\* BASE EFFECTIVENESS ON THE SIDE WITH THE LOWER EFFECTIVE  
 C CAPACITANCE RATE  
 2760 QHOT=D(IW+NLH)\*(D(IH+NSIH)-HOUTH)  
 QCOLD=D(IW+NLC)\*(HOUTC-D(IH+NSIC))  
 IF(QCOLD-QHOT)2770,2770,2810  
 2770 D(IT+NSOH)=TOUTC  
 D(IH+NSOC)=HOUTC  
 D(IH+NSOH)=D(IH+NSIH)-QCOLD/D(IW+NLH)  
 QHOT=VQUALH(LHOT,D(IP+NSOH),D(IH+NSOH))  
 IF(QHOT)2780,2785,2785  
 2780 D(IT+NSOH)=VTЛИQ(LHOT,D(IP+NSOH),D(IH+NSOH))  
 GO TO 2800  
 2785 IF (QHOT.GT.1.0) GO TO 2790  
 D(IT+NSOH)=SH *hot out for "SH" comes from p 65 (missing)*  
 GO TO 2800  
 2790 CALL VTAV2(LHOT,D(IT+NSOH),V,D(IP+NSOH),D(IH+NSOH))  
 2800 RETURN  
 2810 D(IT+NSOH)=TOUTH  
 D(IH+NSOH)=HOUTH  
 D(IH+NSOC)=D(IH+NSIC)+QHOT/D(IW+NLC)  
 QCOLD=VQUALH(LCOLD,D(IP+NSOC),D(IH+NSOC))  
 IF (QCOLD)2820,2825,2825  
 2820 D(IT+NSOC)=VTЛИQ(LCOLD,D(IP+NSOC),D(IH+NSOC))  
 GO TO 2800  
 2825 IF (QCOLD.GT.1.0) GO TO 2830  
 D(IT+NSOC)=SC  
 GO TO 2800  
 2830 CALL VTAV2(LCOLD,D(IT+NSOC),V,D(IP+NSOC),D(IH+NSOC))  
 IF(IFP.NE.1 .OR. ICPP.NE.0) GOTO 99  
 CALL PIOP(1,NLC,NSIC,NSOC)  
 CALL PIOP(2,NLH,NSIH,NSOH)  
 CALL LINES (2)  
 Q1=D(IW+NLH)\*(D(IH+NSIH)-D(IH+NSOH))

*SH = VTS(LHOT,*  
*D(IP+NSIH))*

*LHOT = LCOLD*  
*on p 65 !!*

S/B

*LHOT = ID(IFB+NLC)*  
*LHOT = ID(LHOT + 3)*

```
Q2=D(IW+NLC)*(D(IH+NSIC)-D(IH+NSOC))
Q=AMIN1(Q1,Q2)
WRITE(OUT,1718) Q
1718 FORMAT(5X,"INTERCOOLER HEAT TRANSFER = ",E17.7," BTU/MIN")
99 CONTINUE
2090 RETURN
END
```

is reduced, by replacing either the high or low values with the previous assumption. The high value is replaced if the computed hot-inlet enthalpy is above the input value; the low value is replaced otherwise.

By starting with the assumed hot-outlet enthalpy, we can compute explicitly the position of the transitions between single- and two-phase flow. Therefore, no iterations are required on these positions. Also, no arbitrary divisions of the heat exchanger are required, as might be used if the heat exchanger were divided, for example, into ten zones and a finite-difference procedure were to be used. The hot-outlet enthalpy becomes the iteration variable. In all of the test cases, except for one, the iteration converged within 15 steps. The computation time is minimal. The one exception occurred when a large heat exchanger was used (a high NTU value) in which the solution was highly sensitive to the assumed enthalpy. The exponential function used to evaluate the heat-exchanger effectiveness did not carry the precision required to locate the boundary between single- and two-phase flow. A note is included in the program to warn the user if a similar problem is encountered. In practice, few heat exchangers would be so oversized.

## 9.5 Program Listing

Exhibit 9.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, the AECS program does not include the comment cards.

## 9.6 Sample Cases

The sample case, as depicted in Exhibit 9.6-1, is based on having the intercooler alone as the total system. The input data are shown in the required format for AECS input. The corresponding system output data are shown on the system schematic (Exhibit 9.6-1) as well as in the output format (Exhibit 9.6-2), starting with Page 7 of the output, the beginning of the computed data. Previous output pages contain the headers and a repeat of the input data.

## 9.7 Technical Background

The pressure drop (DPGO) is entered as a table as if the fluid were 100% vapor. The computed pressure drop is based on the correlations for single- and two-phase flow as given in Section 10 of this report (on QB0ILR), with the liquid-only pressure drop (DPL0) being given by the formula:

$$DPL0 = DPG0 * (\text{Density of the vapor} / \text{Density of the liquid})$$

*seems awfully crude*

The heat-transfer coefficients are entered into the subroutine from the parameter list for the component. The temperature and enthalpy profiles are computed from these heat-transfer coefficients and the usual heat-exchanger relationships. However, unlike the usual heat-exchanger relationships, the length of each heat exchanger section is unknown. Different relationships exist depending on whether one or both of the flows is two-phase.

If both sides are single-phase, the usual counter-flow relationship holds for the temperatures. For discussion purposes, we will assume that we are computing the heat-exchanger performance starting at  $x=0$  and moving in the direction of the cold-side flow, opposite to the direction of the hot-side flow. We let  $C$  be the ratio of the capacitance rates (cold side to hot side) and  $N_c$  be the number of transfer units based on the cold-side flow and based on having single-phase flow for the full length of the heat exchanger. Then for a section that has a length equal to a fraction,  $x$ , of the full length, the ineffectiveness,  $IE$ , is given by

$$IE = \exp(-N_c * (1 - C) * x)$$

The cold-side temperature,  $T_C$ , at  $x$  is given by

$$T_C = (T_{outh} - C * T_{inc} + (T_{inc} - T_{outh}) * IE) / (1 - C)$$

where  $T_{outh}$  is the hot-side temperature at  $x=0$  and  $T_{inc}$ , the cold-side temperature at  $x=0$ . The hot-side temperature,  $T_H$ , at  $x$  is given by

$$T_H = (T_{outh} - C * T_{inc} + C * (T_{inc} - T_{outh}) * IE) / (1 - C)$$

These equations can be solved algebraically for the value of  $x$  that gives any selected value of  $T_C$  or  $T_H$ . For example, if both sides have vapor flow, to find the value of  $x$  at the start of the two-phase region on the cold side, we would set  $T_C$  equal to the saturation temperature ( $TSAT$ ) on the cold side. We would solve the foregoing equation with  $T_C = TSAT$  to determine  $IE$ . The equation for  $IE$  would then yield the value of  $x$  at which  $T_C = TSAT$ .

If  $C=1$ , the equations for  $T_C$  and  $T_H$  are indeterminant. Instead, they are given by

$$T_C = T_{inc} + N_c * (T_{outh} - T_{inc}) * x$$

and

$$T_H = T_{outh} + N_c * (T_{outh} - T_{inc}) * x$$

Again, for  $T_C = TSAT$ , the second of these could be solved for  $x$ .

If one side of the heat exchanger is single phase and the other side is two phase, the temperature on the two-phase side will be known (equal to the saturation temperature) but the quality profile will be unknown. For simplicity, we again assume in our discussion that we

NRCLR

are starting at  $x=0$  and proceeding to solve for the state at some other  $x$  in the direction of the cold-side flow. Also for simplicity, we will assume that the hot-side flow is two phase. The same equations would apply for the cold side being two phase, except for a rotation of indices. For the hot side being two phase, we have

$$TH = TSAT \text{ for all } x$$

and

$$TC = TH + ( T_{inc} - TH ) * IE$$

where, in this case,

$$IE = \exp ( - Nc * x )$$

and  $Nc$ , the number of transfer units, is based on the cold side having the minimum capacitance rate. The quality on the hot side,  $XH$ , at any  $x$  is given by

$$XH = X_{outh} + C * ( 1 - \exp(Nc * x) )$$

where

$$C = Mc * Cc * ( TH - T_{inc} ) / ( Mh * h_{fg} )$$

In the equation for  $C$ ,  $Mc$  is the mass flow rate on the cold side;  $Cc$ , the specific heat of the fluid on the cold side;  $Mh$ , the mass flow rate on the hot side; and  $h_{fg}$ , the heat of vaporization on the hot side. The other symbols are defined above.

These equations can be readily solved for  $x$  if one of the temperatures at  $x$  is known. For example, to find the value of  $x$  at which the hot-side flow is a vapor (i.e.,  $XH = 1$ ), we set  $XH = 1$  and solve directly for  $x$ . The corresponding temperature on the cold side is obtained by inserting this value of  $x$  in the equation for  $TC$ .

If the cold side is two-phase and the hot side, single phase, the foregoing equations become

$$TC = TSAT \text{ (based on the saturation temperature on the cold side)}$$

$$TH = TC + ( T_{outh} - TC ) * \exp ( C * Nc * x )$$

$$C = Mc * h_{fg} / ( Mh * Ch * ( T_{outh} - TC ) )$$

$$Nc = UA * ( T_{outh} - TC ) / ( Mc * Cc )$$

$$XC = X_{autc} - ( 1 - \exp ( C * Nc * x ) ) / C$$

where  $h_{fg}$  is now evaluated on the cold side and  $Ch$  is the specific heat of the hot-side fluid. We consistently define  $Nc$  based on the cold-side flow rate.

If both sides are two-phase, the temperatures equal the saturation temperatures. If we again assume we are solving for the conditions at  $x$  when we know the conditions at  $x=0$ , we have the following expressions for the qualities:

$$X_C = N_c * x$$

$$X_H = C * N_c * x$$

$$N_c = M_c * h_{fgc} / (M_h * h_{fgh})$$

where  $h_{fgc}$  is the heat of vaporization on the cold side and  $h_{fgh}$ , on the hot side.

The foregoing equations describe all possible heat-transfer processes. The program logic selects among the cases depending on the enthalpies of the two fluids.

The pressure-drop computations are performed using the theory presented in the discussion of QB0ILR. As done in QB0ILR, the lengths of the liquid-only, two-phase and vapor-only sections are computed as part of the heat-transfer analysis. These lengths are then used in the pressure-drop computations. The pressure drop with only vapor flowing is entered as a table; the simulation computes the pressure drop with only liquid flowing as equal to the vapor-only pressure drop multiplied by the ratio of the vapor density to the liquid density. The two-phase pressure drop is based on the FAC, Inc., modification of Baroczy's correlation (see QB0ILR).

**Exhibit 9.6-1: Input Cards and Flow Diagram for the Sample Case**

PERFORM

TITLE EXAMPLE CASE FOR INTERCOOLER  
 ASEA NRCLR 0000 2 4 0  
 ASEB 0 0 0 0 0  
 CASEC 0.0 0.0 0.0  
 CASED 0.0

PARAM 28      w      P      T      H  
 .VALUES 1 0.8662 272.1834 577.00 44.82 0.00010 AFH  
 .VALUES 6 0.1 163.3089 P 541.79 T 44.82 H 0.00004 AFC  
 .VALUES t1 0.1400 W 160.9219 550.79 112.141 0.0  
 .VALUES 16 0.8662 265.2571 544.00 34.42 90.0 HTCL  
 .VALUES 21 300.0 HTCL 30.0 HTCV 1.0 AHT H,C 0.0 0.0  
 .VALUES 26 2.0 90.0 3.0  
 >INLET 10 1 50000 1 2 3 4 3 -22 HTCL  
 >INLET 20 2 61000 11 7 8 9 3 -22 HTCL 2-phase  
 NRCLR 30 2 6 7 1 5 8, 10 5 4 20 21 22 23 23  
 >OUTLT 40 2 70010 11 12 13 14 AFC  
 >OUTLT 50 1 80000 16 17 18 19 AFH DPTAB  
 TABID 4 61 2 0 0 1010101 2 AHTC AHTW  
 TABT PRESS-DROP, COLD SIDE: TYPE=61 REL.NO=4  
 TABV 0.0 0.0 1.0 10.0  
 TABD 4 62 2 0 0 1020101 2  
 TABT PRESS-DROP, HOT SIDE: TYPE=62 REL.NO.=4  
 TABV 0.0 0.0 1.0 10.0  
 TABB 1 0 1 0  
 ENDCASE  
 ENDJOB

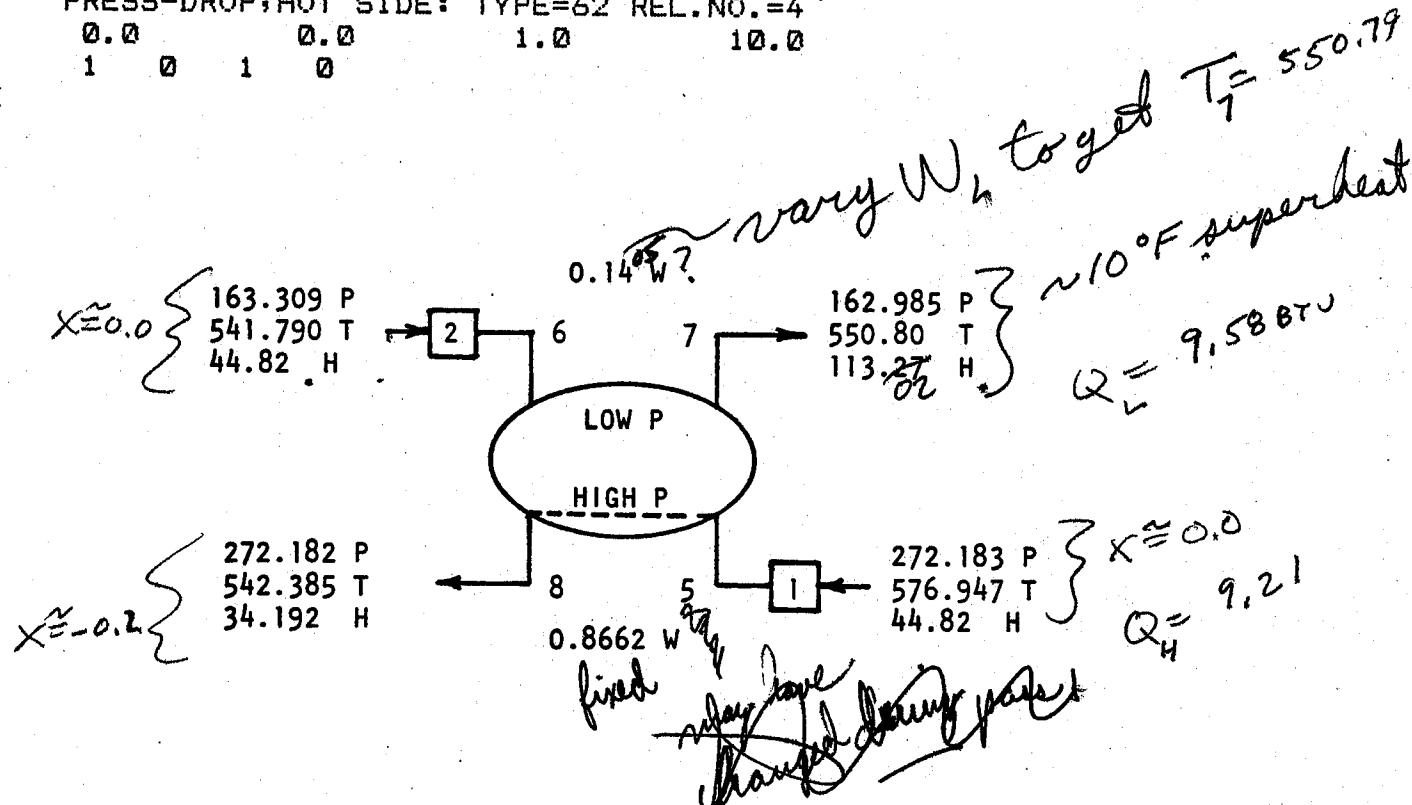


Exhibit 9.6-2: AECS Output for the Sample Case

PAGE DATE 09/06/81

TIME P 102.00

SVT ( 1 ) 1

EVT ( 1 ) 3

PASS 1

S.V. ( 1 ) 1.400000E-01

E.V.

( 1 ) 1.22132E+00  
( 1 ) B.662000E-01 ( 2 ) 1.400000E-01

W

( 5 ) 2.72183E+02 ( 6 ) 1.63309E+02 ( 7 ) 1.62985E+02 ( 8 ) 2.72182E+02

T

( 5 ) 5.76947E+02 ( 6 ) 5.41790E+02 ( 7 ) 5.32011E+02 ( 8 ) 5.42385E+02

H

( 5 ) 4.48200E+01 ( 6 ) 4.48200E+01 ( 7 ) 1.13266E+02 ( 8 ) 3.41943E+01

\*AECS\* EXAMPLE CASE FOR INTERCOOLER  
1 CASE NRCLR

TIME E 103.89

FLOW RATE(S)-LB/MIN

( 1 ) .87 ( 2 ) .14

PRESSURE(S)-PSI

( 5 ) 272.18 ( 6 ) 163.31 ( 7 ) 162.98 ( 8 ) 272.18

TEMPERATURE(S)-DEG R

( 5 ) 576.95 ( 6 ) 541.79 ( 7 ) 550.80 ( 8 ) 542.38

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 5 ) 44.8200 ( 6 ) 44.8200 ( 7 ) 113.0200 ( 8 ) 34.1923

STATE VARIABLE TYPE(S)

( 1 ) 1

STATE VARIABLE(S)

( 1 ) 1.40545E-01

ERROR VARIABLE TYPE(S)

( 1 ) 3

ERROR  
( 1 )  
TABLE(8)  
-9774E-03

SOLUTION CONVERGED IN 6 TRY(8)

② ERROR(8) DETECTED

CASE END

## 10. Subroutine QBOILR (Refrigerant Boiler with Given Heat Rate)

### 10.1. Subroutine Description

The QBOILR subroutine simulates a heat exchanger with refrigerant evaporating on one side and a known uniform heat input on the other side. The source of heat could be an electronic component or the flame of a burning fuel. However, if a fired boiler is being simulated, a re-appraisal of the heat-transfer correlations would be advisable.

### 10.2. Prior Simulation Method

QBOILR is a new routine; however, it is similar to the BOILER routine. The 1972 BOILER routine was based on heat transfer from a single-phase fluid to an evaporating refrigerant. The 1976 replacement for BOILER modified the model so that dehumidification could be included in the source (non-refrigerant) side. However, neither BOILER routine could simulate the cold plate or an electronic component. Therefore, the QBOILR routine was added. The previous BOILER models required the specification of the heat-transfer coefficient and pressure drop; they did not contain the computations for these values internally.

### 10.3. New Simulation Method

The boiler in QBOILR can be envisioned as a cold plate for an electronic component, with the cold plate consisting of two face plates enclosing a compact heat-exchanger surface. The refrigerant flows through the core, absorbing heat and evaporating. The heat input is assumed to be uniformly distributed over the cold plate.

*no superheated vapor outlet*  
The refrigerant can enter the cold plate subcooled, saturated, in two phases, or as a vapor. The outlet states can be subcooled, saturated liquid, two-phase, saturated vapor, or superheated vapor. The corresponding heat-transfer coefficients and pressure drops are computed by correlation equations internal to the subroutine.

The subroutine computes the temperature and pressure of the fluid leaving the boiler and the plate temperature at the outlet (usually, the end of the superheat region). The temperature of the components mounted on the surface of the cold plate must be computed separately based on their individual heat dissipations and conductances to the cold plate.

The temperature of the cold-plate surface at the outlet can be used as a control point (generating an error variable). This temperature will become a set point; it will not be an upper limit to the surface temperature. The difference between this set point and the surface temperature computed by AECS is an error variable, which will become zero when AECS converges.

#### 10.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing in Exhibit 10.4-1.

The pressure-drop computation for the two-phase flow is based on the FAC, Inc., correlation of Baroczy's method, as described in Section 10.7 below and derived under this contract. The pressure-drop computation includes the momentum change between the inlet and outlet. Slip velocities and void fractions are based on correlations against the liquid-to-vapor density ratio only.

The computations are divided into five flow regions: liquid-only, sub-cooled boiling, saturated boiling, vaporization, and vapor-only. Branching in the computations depends on whether the next flow region occurs. Although the maximum cold-plate temperature invariably occurs at the outlet, the five regions are needed to permit computation of the pressure drop.

#### 10.5. Program Listing

Exhibit 10.4-1, which presents the program computational procedure also is the program listing as used in AECS. However, the AECS program does not include the comment cards.

#### 10.6. Sample Case

The sample case, as depicted in Exhibit 10.6-1, is based on having the QBQLR alone as the total system. The input data are shown in the required format for AECS input. The corresponding system output data are shown in the system schematic (Exhibit 10.6-1) as well as in the output format (Exhibit 10.6-2), starting with Page 7 of the output, the beginning of the computed data. Previous pages contain the headers and a repeat of the input data.

#### 10.7. Technical Background

General correlations for flow boiling are not currently available. The text by L.S.Tong: Boiling Heat Transfer and Two-Phase Flow, gives some idea of the complexities involved. For example, the correlation for the critical heat flux (burnout) for water involves 24 dimensional terms. Because the terms are dimensional, they cannot be generalized to other fluids. The complexity of the boiling process itself, which involves the interaction between a fluid and randomly located, randomly activated nucleation sites on a surface, is perhaps the primary impediment to the development of a general correlation.

all p 93

Exhibit 10.4-1: Performance-Program Logic and Listing

```

SUBROUTINE QBLRPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(GC,C(370)),(JC,C(371))
*,(ICPP,C(88)),(IFP,C(22)),(OUT,C(7)),(IGA,C(35))
*,(PASS,C(17)),(IEVT,C(48)),(IEV,C(49)),(ITAD,C(54))
*,(IFB,C(55)),(ISN,C(38))
DIMENSION SCR(30)
INTEGER OUT,PASS
REAL L,MU,K,JC,ME,MI,MP
EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3),NSO)
*,(SCR(4),IOP),(SCR(5),FFT),(SCR(6),COT),(SCR(7),AF)
*,(SCR(8),Q),(SCR(9),L),(SCR(10),AH),(SCR(11),DH)
DIMENSION MU(2),CPY(2),V(2),PR(2),T(5),TW(5),HT(5),DP(2)
*,K(2)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
*,(D(51),T(1)),(D(56),TW(1)),(D(61),HT(1))
*,(D(71),HFG),(D(72),ST),(D(73),PT)
*,(D(75),TIN),(D(76),W),(D(77),IRET),(D(78),CO)
*,(D(79),FF),(D(81),VR),(D(82),DV)
*,(D(83),SL),(D(84),HSAT),(D(86),TSAT)
*,(D(87),X1),(D(88),X2),(D(89),TNB),(D(90),DD)
*,(D(91),FD),(D(92),B),(D(93),EM),(D(94),RS)

C 1 COMP CODE
C 2 LEG NO
C 3 INLET STATION NO
C 4 OUTLET STATION NO
C 5 OPTION NO
C 6 FRICTION FACTOR TABLE
C 7 COLBURN FACTOR TABLE
C 8 HEAT EXCHANGER FLOW AREA
C 9 HEAT INPUT RATE IN (BTU/MIN)
C 10 HEAT EXCHANGER FLOW PATH LENGTH (FEET)
C 11 HT EXCHG/HT TRANSFER AREA INCLUDING FINS (SQUARE FEET)
C 12 HEAT EXCHANGER HYDRAULIC DIAMETER
C 13 ERROR VARIABLE OPTION
*** ERROR-VARIABLE OPTION: 0 IF NO ERROR VARIABLE
; 1 IF SUPERHEAT
C 14 ERROR VARIABLE INDEX
C 15 MAXIMUM BOILER WALL TEMPERATURE
*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY
    IRCD = IRCD(15)
    NL=ID(IRCD+2)
    NSI=ID(IRCD+3)
    NSO=ID(IRCD+4)
    IOP=ID(IRCD+5)
    IF (ID(IRCD+13).EQ.0) GO TO 107
    TMAX=D(ID(IRCD+15))
    JEV1=ID(IRCD+14)
107 CONTINUE
    LOCT=ID(IFB+NL)
    LOCT=ID(LOCT+3)

```

*index of data  
input card)*

```

AF=D(ID(IRCD+8))
Q=D(ID(IRCD+9))
L=D(ID(IRCD+10))
AH=D(ID(IRCD+11))
DH=D(ID(IRCD+12))

C*** COMPUTE THE SATURATION PROPERTIES
TSAT=VTS(LOCT,D(IP+NSI))

C*** COMPUTE TRANSPORT PROPERTIES BASED ON INLET CONDITIONS
CPY(1)=VCPF(LOCT,D(IP+NSI),TSAT)
CPY(2)=VCPV(LOCT,D(IP+NSI),TSAT)
MU(1)=VVISCF(LOCT,D(IP+NSI),TSAT)
MU(2)=VVISCV(LOCT,D(IP+NSI),TSAT)
K(1)=VCOND(LOCT,D(IP+NSI),TSAT)
K(2)=VCONDV(LOCT,D(IP+NSI),TSAT)
V(1)=1.0/VDL(LOCT,TSAT)
V(2)=VSV(LOCT,D(IP+NSI),TSAT) ← uses "VSV" - assumes
HFG=VHFG(LOCT,D(IP+NSI),TSAT,V(2)) superheated vapor (actually
ST=VST(LOCT,TSAT)
PT=VDPDT(LOCT,D(IP+NSI))
TIN=D(IT+NSI)
W=D(IW+NL)
DO 1 I = 1,2
1 PR(I)=3600.*CPY(I)*MU(I)/K(I)
IRET=-1

C*** COMPUTE THE REYNOLDS NUMBER AS THE INDEPENDENT VARIABLE
G=W/AF/60.0 lbm/sec ft2
C*** BASED ON 100% LIQUID FLOW
D(IGA+21)=G*DH/MU(1)

C*** USE TLUP FOR COLEBURN FACTOR, THEN COMPUTE HEAT TRANSFER COEFF.
CO=TLUP(ID(IRCD+7))
HT(1)=CO*60.*G*CPY(1)/PR(1)**.67 BTU (MIN FT2 OF
C*** USE TLUP FOR FRICTION FACTOR
FF=TLUP(ID(IRCD+6))

C*** COMPUTE VOLUME RATIO AND SLIP FOR LATER TWO-PHASE COMPUTATIONS
VR=V(2)/V(1)
DV=1.0-1.0/VR
SL=SQRT(SQRT(VR-1.))

C*** COMPUTE PRESSURE DROP AS IF 100% LIQUID FLOW
DP(1)=4.*FF*L*G*G*V(1)/(2.*DH*GC) - lb f/ft2
C*** REPEAT THE ABOVE COMPUTATIONS AS IF 100% VAPOR FLOW
D(IGA+21)=G*DH/MU(2)
CO=TLUP(ID(IRCD+7))
HT(5)=CO*60.*G*CPY(2)/PR(2)**.67
FF=TLUP(ID(IRCD+6))
DP(2)=4.*FF*L*G*G*V(2)/(2.*DH*GC) =  $\frac{4f D G^2}{P r^{2/3}}$  G: = PV
C*** DETERMINE WHICH FLUID-PHASE IS FLOWING AT THE INLET
HSAT=VH(LOCT,D(IP+NSI),TSAT,V(2))-HFG
TIN=D(IT+NSI)
IF(D(IH+NSI)-HSAT)>360,332,332
332 IF(D(IH+NSI)-HSAT-HFG)>333,1272,1272
C*** IN TWO-PHASE REGION
333 XI=(D(IH+NSI)-HSAT)/HFG

```

$\frac{1}{2} \rho v^2 = \frac{1}{2} \rho \frac{h^2}{P^{2/3}}$   
 $\therefore = \frac{1}{2} \rho \frac{G^2}{P} = \frac{G^2}{2}$

$St = \frac{h}{\rho C_p U_{\infty}}$   
 $h = j \rho C_p U_{\infty} \frac{Pr^{2/3}}{Pr^{2/3}}$   
 $\therefore = PV$   
 $h = j \frac{G C_p}{P r^{2/3}}$   
 $\frac{60 \times h}{min sec ft^2} \times \frac{BTU}{min ft^2 of}$   
 $\therefore = \frac{BTU}{min ft^2 of}$   
 $j = \frac{h P r^{2/3}}{G C_p}$

TIN=TSAT  
 GO TO 370

**C\*\*\* IN LIQUID-ONLY REGION**  
 360 X1=0.0  
 370 IF(D(IH+NSI)-HSAT)380,371,371

**C\*\*\* IN TWO-PHASE REGION**  
 371 X1=0.0  
 X2=0.0  
 GO TO 750

**C\*\*\* IN LIQUID-ONLY REGION**  
**C\*\*\* COMPUTE FLUID TEMPERATURE (T) AND WALL TEMPERATURE (TW) AT OUTLET**  
 380 T(5)=TIN+Q/(W\*CPY(1))  
 TW(5)=T(5)+Q/(AH\*HT(1))

**C\*\*\* DETERMINE TEMPERATURE AT WHICH NUCLEATE BOILING BEGINS (TNB)**  
**C AND DETERMINE IF FLUID REACHES THIS TEMPERATURE BEFORE OUTLET**  
 TNB=TSAT+SQRT(8.\*60.\*ST\*Q/(K(1)\*AH\*PT))  
 X1=(TNB-TIN)\*W\*CPY(1)\*L/Q-W\*CPY(1)\*L/(HT(1)\*AH)  
 IF(X1)430,450,450

**C\*\*\* SUBCOOLED BOILING BEGINS IMMEDIATELY AT THE INLET**  
 430 X1=0  
 GO TO 485

450 IF(TW(5)-TNB)460,480,480

**C\*\*\* THERE IS NO BOILING WITHIN THE BOILER**

460 X1=L  
 GO TO 1310

**C\*\*\* COMPUTE THE TEMPERATURES AT THE END OF THE NO-BOILING REGION**  
 480 T(1)=TIN+Q\*X1/(L\*W\*CPY(1))  
 TW(1)=T(1)+Q/(HT(1)\*AH)

**C\*\*\* COMPUTE THE LENGTH OF THE SUBCOOLED-BOILING REGION**  
 485 X2=(TSAT-TIN)\*W\*CPY(1)\*L/Q-X1  
 IF(X2.GE.(L-X1))X2=L-X1

**C\*\*\* COMPUTE THE BUBBLE DEPARTURE DIAMETER (DD) IN FEET**  
 490 DD=4.65E-4\*SQRT(GC/GC\*ST\*V(1)/DV)\*(VR\*CPY(1)\*TSAT/HFG)  
 \*\*\*1.25

**C\*\*\* COMPUTE THE FREQUENCY OF DEPARTURE OF THE BUBBLES, 1/SEC.**  
 FD=.6\*SQRT(SQRT(ST\*GC\*GC\*V(1)\*DV))/DD

**C\*\*\* ASSUME THE SURFACE FACTORS: B (SURFACE COEFFICIENT); EM (EXPONENT)**  
**C RELATING THE NUMBER OF NUCLEATION SITES TO THE TEMPERATURE DIFFERENCE); AND RS (RADIUS, FT., OF SMALLEST NUCLEATION SITE)**  
 B=400.  
 EM=2.0  
 RS=0.0001

**C\*\*\* COMPUTE THE NUMBER OF NUCLEATION SITES PER SQ. FT.**  
 XN=B\*(JC\*RS\*HFG\*(TNB-TSAT)/(2.\*TSAT\*ST\*V(2)))\*EM

**C\*\*\* COMPUTE THE POOL-BOILING HEAT-TRANSFER COEFFICIENT.**  
 HP=3.5\*(K(1)/DD/60.)\*XN\*DD\*DD  
 HP=HP\*SQRT(PR(1))\*SQRT(FD\*DD\*DD/(V(1)\*MU(1)))  
 IF(IRET)500,500,980

BTU/MIN = °F  
 FT^2 \* BTU/MIN °F  
 eqn from pg 5  
 min \* 60k BTU/MIN  
 BTU/FT^2 \* °F  
 wow! units ok!  
 BTU/FT^2 \* °F  
 = FT \* FT  
 = PR \* FT \* FT  
 = FT \* FT  
 = FT ✓ ✓  
 missing parens  
 S/B FX(BT)  
 FT / FT

\*AECS\* MRFV.DATA BASE CASE

PAGE 7  
DATE TODAY

TIME P 5.00

TIME P	CASE
VSCALE	0.0000000E+00
0.0000000E+00	0.0000000E+00

\*\*\*\*\* WRITE 9011 FROM "QBLRPPN" \*\*\*\*\*  
AFLOW = 0.10000E+01 QRATE = 0.60000E+02 LFLOW = 0.10000E+01 AHTRAN= 0.10000E+03  
DHYD = -0.83300E-02 TSAT = 0.609%1E+03 CPY(1)= 0.35501E+00 CPY(2)= 0.31898E+00  
MU(1) = 0.13283E-03 MU(2) = 0.98607E-05 K(1) = 0.34802E-01 K(2) = 0.76429E-02  
V(1) = 0.16010E-01 V(2) = 0.12500E+00 HFG V2= 0.56697E-02 ST = 0.18837E-03  
PTDPDT= 0.46127E+01 TIN = 0.58737E+03 W = 0.64000E+01  
WRITE 9021 FROM "QBLRPP"  
PR(1) = 0.48780E+01 PR(2) = 0.14774E+01 G = 0.10667E+00 REF = 0.66892E+01  
COLBF = 0.52321E+01 HT(1) = 0.41113E+01 FFF = 0.45177E+01 VR = -0.78078E+01  
DV = 0.87192E+00 SL = 0.16153E+01 DP(1) = 0.61410E-02 REV = 0.90108E+02  
COLBV = 0.10419E+00 HT(5) = 0.16330E+00 FFV = 0.286811E+00 DP(2) = 0.30441E-02  
HSAT L = 0.56039E+02 TIN = 0.58737E+03 VHPTV2= 0.11274E+03  
WRITE 9031 FROM "QBLRPP"  
T(5) = 0.-61378E+03 TW(5) = 0.61392E+03 TNB = 0.-60999E+03 X1 = 0.85112E+00  
WRITE 9041 FROM "QBLRPP"  
X1 = 0.85112E+00 T(1) = 0.60985E+03 TW(1) = 0.60999E+03 X2 = -0.16486E-01  
DD = 0.60197E-04 FD = 0.222767E+04 B = 0.40000E+03 EM = 0.20000E+01  
RS = 0.10000E-03 XN = 0.31952E+07  
HP = 0.16986E+01

TIME M 5.00 SEC.  
CHANGE\*PCHANGE  
CHANGE\*TITLE MRfv.DATA BASE CASE  
CHANGE\*TITLE GROUND IDLE  
CHANGE\*TITEND  
CHANGE\*CASEB 0 -6 1 -1 -2  
CHANGE\*CASEC 66000. 9999. 8888.  
CHANGE\*CASED 3.5  
CHANGE\*CASEND  
CHANGE\*VALUES 01 60. 40. 760. 0.0000 14.7  
CHANGE\*VALUES 06 65. 960. 100. 100. 530.  
CHANGE\*VALUES 11 500. 14.7 580. 0.0000 5.0  
CHANGE\*VALUES 16 0.1 0.1 0.1 0.1 0.1  
CHANGE\*VALUES 21 520. 300. 56.88 1137.6 14.7  
CHANGE\*VALUES 26 710. 88.  
CHANGE\*VALUES 31 40. 450. 660. 80.  
CHANGE\*VALUES 35 0.0001 1. 0.0001 0.2 0.0001  
CHANGE\*VALUES 40 0.02 0.2 0.8  
CHANGE\*VALUES 43 33. 14.9 600. 0.0000  
CHANGE\*VALUES 47 100. 100. 580. 20000.  
CHANGE\*VALUES 51 88. 88.  
CHANGE\*VALUES 71 1. 0. 0. 888. 888.  
CHANGE\*PAREN  
CHANGE\*COMEND  
CHANGE\*PTAB 1 0 2 0  
CHANGE\*ENDCASE

\* \* \* \* \*

## PARAMETER TABLE

		150	VALUE(S)
(	1) 6.00000E+01	( 2)	4.00000E+01
(	7) 9.60000E+02	( 8)	1.00000E+02
(	13) 5.80000E+02	( 14)	0.00000E+00
(	19) 1.00000E-01	( 20)	1.00000E-01
(	25) 1.47000E+01	( 26)	7.10000E+02
(	31) 4.00000E+01	( 32)	4.50000E+02
(	37) 1.00000E-04	( 38)	2.00000E-01
(	43) 3.30000E+01	( 44)	1.49000E-01
(	49) 5.80000E+02	( 50)	2.00000E-04
(	55) 0.00000E+00	( 56)	7.77000E-02
(	61) 7.77000E+02	( 62)	7.77000E-02
(	67) 7.77000E+02	( 68)	7.77000E-02
(	73) 0.00000E+00	( 74)	8.88000E-02
(	79) 7.77000E+02	( 80)	7.77000E+02
(	85) 7.77000E+02	( 86)	7.77000E+02
(	91) 7.77000E+02	( 92)	7.77000E+02
(	97) 7.77000E+02	( 98)	7.77000E+02
(	103) 3.00000E+00	( 104)	4.00000E+00
(	109) 9.00000E+00	( 110)	1.00000E+01
(	115) 1.50000E+01	( 116)	9.90000E-01
(	121) 2.50000E+00	( 122)	2.50000E+00
(	127) 1.00000E+02	( 128)	1.00000E+02
(	133) 8.33000E-03	( 134)	2.50000E+00
(	139) 1.00000E+01	( 140)	3.40000E+38
(	145) 3.40000E+38	( 146)	3.40000E+38
)	147)	3.40000E+38	( 148)
)	149)	3.40000E+38	( 150)

( 3) 7.60000E+02 ( 4) 0.00000E+00 ( 5) 1.47000E+01 ( 6) 6.50000E+01  
 ( 9) 1.00000E+02 ( 10) 5.30000E+02 ( 11) 5.00000E+02 ( 12) 1.47000E+01  
 ( 15) 5.00000E+00 ( 16) 1.00000E-01 ( 17) 1.00000E-01 ( 18) 1.00000E-01  
 ( 21) 5.20000E+02 ( 22) 3.00000E+02 ( 23) 5.63800E+01 ( 24) 1.13760E+03  
 ( 27) 8.80000E+01 ( 28) 0.00000E+00 ( 29) 0.00000E+00 ( 30) 0.00000E+00  
 ( 33) 6.60000E+02 ( 34) 8.00000E+01 ( 35) 1.00000E-04 ( 36) 1.00000E+00  
 ( 39) 1.00000E-04 ( 40) 2.00000E-02 ( 41) 2.00000E-01 ( 42) 8.00000E-01  
 ( 45) 6.00000E+02 ( 46) 0.00000E+00 ( 47) 1.00000E+02 ( 48) 1.00000E+02  
 ( 51) 8.80000E+01 ( 52) 8.80000E+01 ( 53) 8.80000E+01 ( 54) 0.00000E+00  
 ( 56) 7.77000E+02 ( 57) 7.77000E+02 ( 58) 7.77000E+02 ( 59) 7.77000E+02 ( 60) 7.77000E+02  
 ( 63) 7.77000E+02 ( 64) 7.77000E+02 ( 65) 7.77000E+02 ( 66) 7.77000E+02  
 ( 69) 7.77000E+02 ( 70) 7.77000E+02 ( 71) 1.00000E+00 ( 72) 0.00000E+00  
 ( 75) 8.88000E+02 ( 76) 7.77000E+02 ( 77) 7.77000E+02 ( 78) 7.77000E+02  
 ( 81) 7.77000E+02 ( 82) 7.77000E+02 ( 83) 7.77000E+02 ( 84) 7.77000E+02  
 ( 87) 7.77000E+02 ( 88) 7.77000E+02 ( 89) 7.77000E+02 ( 90) 7.77000E+02  
 ( 93) 7.77000E+02 ( 94) 7.77000E+02 ( 95) 7.77000E+02 ( 96) 7.77000E+02  
 ( 99) 7.77000E+02 ( 100) 0.00000E+00 ( 101) 1.00000E+00 ( 102) 2.00000E+00  
 ( 105) 5.00000E+00 ( 106) 6.00000E+00 ( 107) 7.00000E+00 ( 108) 8.00000E+00  
 ( 111) 1.20000E+02 ( 112) 8.88000E+02 ( 113) 4.00000E-01 ( 114) 7.77000E+02  
 ( 117) 8.88000E+02 ( 118) 8.88000E+02 ( 119) 9.80000E-01 ( 120) 5.55000E+02  
 ( 123) 5.00000E-01 ( 124) 4.00000E+00 ( 125) 5.00000E-01 ( 126) 2.00000E+00  
 ( 129) 1.00000E+00 ( 130) 6.00000E+01 ( 131) 1.00000E+00 ( 132) 1.00000E+02  
 ( 135) 2.00000E+00 ( 136) 2.00000E+00 ( 137) 1.00000E+01 ( 138) 8.00000E+01  
 ( 142) 3.40000E+38 ( 143) 3.40000E+38 ( 144) 3.40000E+38 ( 145) 3.40000E+38



C\*\*\* COMPUTE THE COMBINED CONVECTION/BOILING COEFFICIENT

$$500 \text{ HT}(2)=(\text{HP}*\text{HP}+\text{HT}(1)*\text{HT}(1))/(2.*\text{HP})$$

C\*\*\* ITERATIVELY COMPUTE THE WALL TEMPERATURE IN THE SUBCOOLED REGION

$$\text{A1}=\text{HP}/(\text{TNB}-\text{TSAT})^{**2}$$

$$\text{A0}=2.0*(\text{Q}/(\text{A1}*\text{AH}))^{**2}$$

$$\text{A1}=4.0*((\text{HT}(1)/\text{A1})^{**2})/3.0$$

$$\text{S0}=\text{SQRT}(\text{A0}*\text{A0}-\text{A1}^{**3})$$

$$\text{XX}=\text{ABS}(\text{A0}-\text{S0})/(\text{A0}+\text{S0})$$

$$\text{IF } \text{XX} < 0.001 \text{ GO TO } 650, 670, 670$$

$$650 \text{ U}=(\text{A0}+\text{S0})^{**(1./3.)}$$

GO TO 680

$$670 \text{ U}=(\text{A0}+\text{S0})^{**(1./3.)}+(\text{A0}-\text{S0})^{**(1./3.)}$$

$$680 \text{ XC}=(\text{SQRT}(\text{U})+\text{SQRT}(\text{U}-4.*(\text{U}/2.-\text{SQRT}((\text{U}/2.)^{**2}-\text{.75}*\text{A1}))))/2.$$

$$\text{T}(2)=\text{TSAT}$$

$$\text{TW}(2)=\text{TSAT}+\text{C}$$

$$\text{TW}(5)=\text{TW}(2)$$

$$\text{X3}=0.0$$

C\*\*\* GO TO 1280 IF THE EXIT IS 100% LIQUID (NO NET BOILING)

IF (XE.GE. (L-X1)) GO TO 1280

C\*\*\* STARTING REGION 3: BULK BOILING

$$750 \text{ XC}=1.0 = 0. unless subcooled$$

C\*\*\* COMPUTE THE DRYOUT POSITION

$$\text{X3}=\text{W}*(\text{CPY}(1)*(T_{SAT}-T_{IN})+\text{HFG}*(1.0-\text{XI})) * \frac{L}{Q} = \frac{L}{Q} - X_1 - X_2$$

$$\frac{L}{Q} = \frac{\text{DT}}{\text{DH}} \cdot \frac{\text{FT}}{\text{DT}} = \frac{\text{DT}}{\text{DH}} \cdot \text{FT}$$

C\*\*\* COMPUTE THE EXIT QUALITY

$$\text{XE}=(\text{Q}/\text{W}-\text{CPY}(1)*(T_{SAT}-T_{IN}))/\text{HFG}+\text{XI}$$

$$\text{IF } (\text{XE}-1.) > 30, 820, 820$$

C\*\*\* FILM BOILING OR VAPOR-ONLY HEATING OCCUR

$$820 \text{ XE}=1.0$$

GO TO 1140

C\*\*\* COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH VAPORIZATION OCCURS

$$830 \text{ XC}=\text{JC}*\text{HFG}*(\text{XE}-\text{XI})/$$

$$\text{XC}=1.04-1.14\text{E}-5*(\text{D}(\text{IGA}+21)+\text{D}(\text{IGA}+21)*\text{XC})^{**.375}$$

C\*\*\* COMPUTE THE LENGTH OF THE BULK-BOILING REGION (X3)

$$\text{X3}=\text{X3}*(\text{XC}-\text{XI})/(1.0-\text{XI})$$

$$\text{IF } (\text{X3}.LT.0.0) \text{ X3}=0.0$$

$$\text{IF } (\text{X3}.GT.(L-\text{X1}-\text{X2})) \text{ X3}=L-\text{X1}-\text{X2}$$

IF (XE.GE.XC) GO TO 1140

C\*\*\* COMPUTE THE TWO-PHASE FLOW PARAMETER

$$\text{TT}=(1.0/\text{XE}-1.0)^{**0.9}*\text{SQRT}(\text{DP}(1)/\text{DP}(2))$$

$$\text{X3}=L-\text{X1}-\text{X2}$$

C\*\*\* GO TO 1090 IF XE AND TT INDICATE THE RANGE FOR ELLERBROOK'S FORMULA

IF (XE.GT.0.7.OR.TT.LT.0.01) GO TO 1090

C\*\*\* USE CHEN'S FORMULA

$$\text{F}=1.0+1.88/\text{TT}^{**0.8}$$

$$\text{Y}=\text{F}*(\text{G}*\text{DH}/\text{MU}(1))*(1.0-\text{XE})^{**0.8}/10000.$$

$$\text{S}=\text{EXP}(-\text{Y})$$

C\*\*\* COMPUTE TNB AS A FIRST APPROXIMATION TO THE WALL TEMPERATURE

C THEN GO TO 490 TO COMPUTE THE POOL-BOILING HE

AT-TRANSFER COEFF.

$$\text{TNB}=\text{TSAT}+\text{SQRT}(.8*60.*\text{ST}*\text{Q}/(\text{K}(1)*\text{AH}*\text{PT}))$$

$$\text{IRET}=1$$

supposed to be ref  
(rep 97) last time  
 $P(IGA+21)$  was calculated  
was p 87 for vapor

GO TO 490  
C\*\*\* COMPUTE THE BULK-BOILING COEFFICIENT WITH CHEN'S FACTORS  
980 HT(3)=F\*HT(1)+S\*HP

C\*\*\* COMPUTE THE WALL TEMPERATURE AT THE END OF THE  
TWO-PHASE REGION

C UNDER THE ASSUMPTION THAT EM IS APPROXIMATELY 2.0

$$A1=HP/(TNB-TSAT)**2$$

$$A0=Q/(AH*S*A1*2.0)$$

$$A1=F*HT(1)/(3.0*S*A1)$$

$$S0=SQRT(A0*A0+A1**3)$$

$$T(3)=TSAT$$

$$TW(3)=TSAT+(A0+S0)**(1./3.)-(S0-A0)**(1./3.)$$

$$TW(5)=TW(3)$$

$$T(5)=TSAT$$

C\*\*\* GO TO 1320 TO COMPUTE THE TWO-PHASE PRESSURE DROP  
GO TO 1320

C\*\*\* ELLERBROOK'S FORMULA FOR THE HEAT-TRANSFER COEFFICIENT

$$1090 Y=2.35-ALOG(TT)*(2.66+.0255*ALOG(TT))$$

$$HT(3)=HT(5)*(Q/(AH*60.*G*hfg))**.4*EXP(Y)$$

GO TO 1180

C\*\*\* FILM BOILING OR VAPOR-ONLY HEATING OCCURS

$$1140 HT(3)=HT(5)*(XE+SL/VR*(1.0-XE))**0.8$$

C\*\*\* FLUID AND WALL TEMPERATURES AT THE END OF THE  
TWO-PHASE REGION

$$1180 T(3)=TSAT+(Q*(X3+X2+X1)/W/L-CPY(1)*(TSAT-TIN)-HFG*(XE-XI))$$

\* /CPY(2)

$$TW(3)=T(3)+Q/(AH*HT(3))$$

$$T(5)=T(3)$$

$$TW(5)=TW(3)$$

C\*\*\* IF VAPOR-ONLY FLOW DOES NOT OCCUR, GO TO 1320  
TO COMPUTE DELTA P

IF(XE.LT.1.0)GO TO 1320

C\*\*\* COMPUTE THE OUTLET TEMPERATURE FOR VAPOR-ONLY FLOW

$$T(5)=(Q/W-CPY(1)*(TSAT-TIN)-HFG*(1.0-XI))/CPY(2)+TSAT$$

$$XE=1.0$$

$$TW(5)=T(5)+Q/(AH*HT(5))$$

GO TO 1320

C\*\*\* COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW  
FROM INLET TO OUTLET

$$1272 T(5)=TIN+Q/W/CPY(2)$$

$$TW(5)=T(5)+Q/AH/HT(5)$$

$$XDP=DP(2)$$

$$D(IP+NSO)=D(IP+NSI)-DP(2)$$

GO TO 1475

C\*\*\* COMPUTE THE OUTLET TEMPERATURE FOR NO NET VAPOR GENERATION

$$1280 T(5)=TIN+Q/(AH*CPY(1))$$

$$1310 PB=0.0$$

GO TO 1350

S/B W

$$\frac{BTU/MIN}{FT^2 \times \frac{10^6}{10^6} \text{OP}} = 1bm^{\circ}\text{F}/FT^2\text{MIN}$$

C\*\*\* COMPUTE THE TWO-PHASE PRESSURE DROP BY FAC, IN  
C. CORRELATION OF

C BAROCZY'S GRAPHICAL CORRELATION

$$1320 PF=0.25*ALOG10(DP(1)/DP(2))$$

$$PB=XE**.7/1.7-(1-XE)**2.3/2.3+(1.-(1-XE)**3.3)/(3.3*2.3*XE)$$

C\*\*\* COMPUTE THE FRICTION PRESSURE DROP

$PB = -XE * 1.65 * PF / 2.65 + (1.0 + PF) * PB$   
 1350  $FP = DP(1) * (X1 + X2) / L + (DP(1) + PB * (DP(2) - DP(1))) * X3 / L$   
 $FP = FP + DP(2) * (1.0 - (X1 + X2 + X3) / L)$   
 IF (XE) 1382, 1382, 1385

C\*\*\* ADD THE MOMENTUM PRESSURE DROP

1382 MP=0.0  
 GO TO 1470  
 1385 VE=XE/(XE+SL\*(1.0-XE)/VR) = VOID FRACTION @ exit  
 IF (VE-1.0) 1388, 1386, 1386  
 1386 ME=VR  
 GO TO 1390  
 1388 ME=((1.0-XE)/(1.0-VE))\*\*2\*(1.0-VE\*(1.0-SL\*SL/VR))  
 1390 IF (XI) 1395, 1395, 1400  
 1395 MI=1.0  
 GO TO 1440  
 1400 VI=XI/(XI+SL\*(1.0-XI)/VR) - VOID FRACTION @ INLET  
 IF (VI-1.0) 1430, 1425, 1425  
 1425 MI=VR  
 GO TO 1440  
 1430 MI=((1.0-XI)/(1.0-VI))\*\*2\*(1.0-VI\*(1.0-SL\*SL/VR))  
 1440 MP=G\*G\*V(1)\*(ME-MI)/(GC)  
 1470 XDP=(FP+MP)/144.

1475 D(IP+NSO)=D(IP+NSI)-XDP  
 IF (D(IP+NSO).GT.0.0) GO TO 1476  
 WRITE(OUT, 7655) D(IP+NSO), D(IP+NSI)

7655 FORMAT(" \*\*\* OUTLET PRESSURE IN QBOILER WAS", E14.7,  
 \* " RESET PRESSURE TO INLET VALUE", E14.7)

XDP=0.0  
 D(IP+NSO)=D(IP+NSI) *VFT(S)=TSAT, should not use "1479" method*

1476 CONTINUE  
 IF (T(5)-TSAT) 1478, 1479, 1479  
 1478 D(IH+NSO)=VHLI@(LOCT, D(IP+NSI), T(5))  
 D(IT+NSO)=T(5).  
 GO TO 1480

1479 VV=VSV(LOCT, D(IP+NSO), T(5))  
 D(IH+NSO)=VH(LOCT, D(IP+NSO), T(5), VV)  
 D(IT+NSO)=T(5)

1480 CONTINUE  
 IF (ID(IRCD+13).EQ.0) GO TO 1579  
 IF (PASS.NE.1) GO TO 1577  
 ID(IEVT+JEVI)=3

1577 IF (TMAX.GE.TSAT) GO TO 1576  
 WRITE(OUT, 1580) TMAX, TSAT, TW(5)  
 1580 FORMAT(5X, "WARNING FROM QBOILER: ERROR VARIA  
 BLE CANNOT BE ")

\* CONTROLLED BECAUSE THE CONTROLLED WALL TEM  
 PERATURE OF", E17.7/

\* IS LESS THAN THE SATURATION TEMPERATURE OF", E17.7/  
 \* THE WALL TEMPERATURE IS", E17.7)

1576 IF (T(5).GT.TSAT) GO TO 1578  
 WRITE(OUT, 1590) XE

1590 FORMAT(5X, "WARNING FROM QBOILER: TWO PHASE F  
 LUID AT OUTLET", )

\* PROBABLY CANNOT CONTROL WALL TEMP. EXIT QU

ALITY IS",E12.4)  
1578 D(IEV+JEVI) = (TMAX-TW(5))/XE  
1579 CONTINUE  
1485 FORMAT(" OVERALL DP,TW(5),T(5) ",3F10.3)  
IF (IFF.NE.1 .OR. ICPP.NE.0) GO TO 99  
CALL PIOP(1,NL,NSI,NSO)  
CALL LINES(2)  
WRITE(OUT,1581) ID(ISN+NSO),TW(5)  
1581 FORMAT(5X,"BOILER AT STATION NO:",I4," HAS A  
MAXIMUM WALL.",  
\* " TEMPERATURE OF",E15.5," DEGREES R")  
99 CONTINUE  
RETURN  
C QBLRPP  
END

In 1970, Dr. Frederick A. Costello, the author of this report, conducted an extensive literature review in the field of boiling, condensing and two-phase flow. The correlations used in the computational procedure and reported in the following pages are taken from that review. Most of the work is taken directly from the open literature; however, in some cases correlations were derived by Dr. Costello, either during the review or during the development of the QBOILR computational procedure. In many cases, as is common in the literature, the measured heat-transfer coefficients can differ from the predicted by a factor of two. Therefore, we should not expect much better behavior in the predictions of the temperature differences for the cold plate. Because most of the temperature difference will be between the electronic component and the cold plate, the predictions will seldom lead to serious errors in the computation of the component temperatures.

The temperature profile through a typical cold-plate heat exchanger is illustrated in Exhibit 10.7-1. Five flow regions are defined. These five regions could have been further divided into such categories as bubbly flow, slug flow, annular flow, mist flow, etc. These subdivisions would be necessary if greater accuracy were to be obtained. For the present, the regions were divided into non-boiling, subcooled boiling, saturated (bulk) boiling, vaporization, and vapor-only. The resulting correlations should be more convenient and yield more reliable results than the choice between 300 and 500 Btu/hr-sf-F that is used in BOILER (the predecessor of QBOILR).

The following descriptions of the underlying theory follow the order of the computational procedure. Under each heading, we have listed the reference as well as some explanation of the development of the equations. The reader can find more information in the references.

#### Region 1: Forced Convection of the Liquid

This is a single-phase region for which heat-exchanger data are normally available. The form used in the simulation is the same as used in published data:

$$St \cdot Pr^{2/3} (2/3) = j(Re) = Colburn \text{ factor, a function of the Reynolds number}$$

where

$$\begin{aligned} Re &= df \cdot V \cdot Dh / muf \\ &= (1 - x) \cdot W \cdot Dh / (muf \cdot Aflow) \end{aligned}$$

$$St = Hf / (df \cdot V \cdot cf)$$

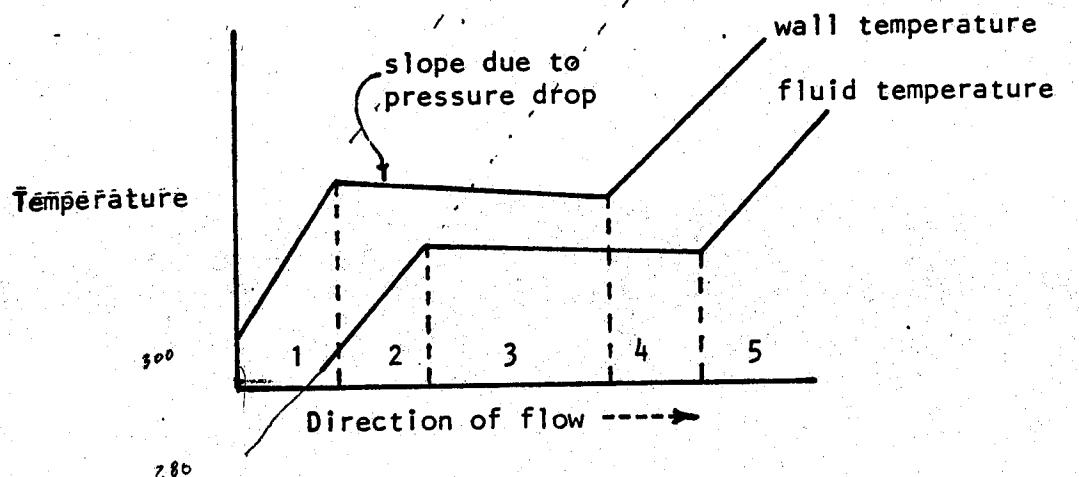
and

$$Pr = cf \cdot muf / kf = \frac{\text{CP} \cdot \text{DTU}/\text{DBM} \cdot \text{SEC}}{\text{KF} \cdot \text{BTU}/\text{HR}}$$

3600 ✓ is in code

In these equations, St is the Stanton number; Pr, the Prandtl number; j, the Colburn number; Re, the Reynolds number; df, the density of the fluid (liquid); V, the velocity; Dh, the hydraulic diameter; muf, the

Exhibit 10.7-1: Typical Temperature Profile through the Boiler



Region	Description
1	Non-boiling, forced convection, liquid only
2	Local (sub-cooled) boiling
3	Saturated boiling
4	Forced-convection vaporization, liquid deficient
5	Non-boiling, forced convection, vapor only

dynamic viscosity of the fluid;  $x$ , the quality;  $W$ , the total mass flow rate;  $A_{flow}$ , the flow area;  $H_f$ , the heat-transfer coefficient;  $c_f$ , the specific heat of the fluid; and  $k_f$ , the thermal conductivity of the fluid. The symbol  $^{**}$  should be read "raised to the power of". (The fluid properties:  $d_f$ ,  $m_f$ ,  $c_f$  and  $k_f$ , are calculated within the fluid-properties subroutines of AECS.) The Colburn factor is entered into AECS as a tabulated function of the Reynolds number. Double-logarithmic interpolation should be used. The permanent tables contain such tabulations.

### Region 2: Sub-cooled Nucleate Boiling

In the sub-cooled nucleate-boiling region, boiling occurs at the walls but the bubbles are immediately condensed in the core of the flow, because the fluid temperature is below the saturation temperature. Boiling begins at the wall if the temperature is high enough. According to Bergles and Rohsenow (American Society of Mechanical Engineers (ASME) Journal of Heat Transfer, Vol. 86C, No. 3, Pp. 365-372, Aug. 1964), with some modifications by FAC, Inc.,  $T_{nb}$ , the wall temperature at which subcooled nucleate boiling begins, is given by:

$$T_{nb} = T_{sat} + \text{SQRT}((8 * ST/k_f) * (q / dP/dT))$$

where  $T_{sat}$  is the saturation temperature corresponding to the local pressure;  $ST$ , the surface tension;  $q$ , the heat flux; and  $dP/dT$  is the derivative of the saturation pressure with respect to the temperature. The symbol SQRT represents the square-root function.

The heat flux is computed as the root-mean-square of the heat flux that would be realized by forced convection alone and by pool boiling alone:

$$q^{**2} = [(H_f * (T_w - T_{sat}))^{**2}] + [(H_p * (T_w - T_{sat}) - q)^{**2}]$$

$$\text{or } q / (T_w - T_{sat}) = (H_p^{**2} + H_f^{**2}) / (2 * H_p)$$

In these equations  $T_w$  is the wall temperature; and  $H_p$ , the pool-boiling heat-transfer coefficient. The other terms are defined above. Because  $H_p$  depends non-linearly on  $(T_w - T_{sat})$ , when  $q$  is known, a non-linear equation must be solved for  $T_w$ . The non-linear equation is of the quartic form, which can be solved directly.

The pool boiling heat-transfer coefficient can be computed according to the series of equations developed by Mikic and Rohsenow (ASME Journal of Heat Transfer, Vol. 91C, Pp. 245f, 1969):

$$D_d = 4.65E-04 * \text{SQRT}(G_o * ST / (G * d_f g)) * (d_f * c_f * T_{sat} / (d_g * h_f g))^{**(5/4)}$$

$$f_d = 0.6 * (ST * G_o * G * d_f g / d_f^{**2})^{**(1/4)} / D_d$$

$$x_n = B^{**3} * (R_s * J * h_f g * d_g * (T_w - T_{sat}) / (2 * T_{sat} * ST))^{**m}$$

$$H_p = 3.5 * x_n * D_d^{**2} * \text{SQRT}(Pr_f * f_d * d_f * D_d^{**2} / m_f)$$

*similar prob  
P 90 of calc  
P 87*

*P 87*

*Q = A\_f / B\_f*

*= A\_f / B\_f*

*= A\_f / B\_f*

*heat flux has*

*area included*

*1g*

*= dF / dt*

*V\_r = V\_1 / V\_2*

"B" in code, not  $B^3$

$B=400$  in code and on p. 89 and on p. 99

In these equations,  $D_d$  is the bubble diameter at departure from the wall;  $G_0$ , 32.2 lbm/slug;  $G$ , the acceleration (of gravity);  $\Delta \rho_g$ , the difference between the density of the liquid and the density of the vapor at saturation;  $\Delta h_{fg}$ , the difference between the enthalpy of the vapor and the enthalpy of the liquid at saturation;  $f_d$ , the frequency of departure of the bubbles;  $X_n$ , the number of nucleation sites per square foot of surface;  $B$ , a constant (approximately 400) that relates the interaction between the fluid and the wall materials;  $R_s$ , the radius of the smallest nucleation site on the surface;  $J$ , 778 ft-lbf/Btu;  $T_w$ , the wall temperature; and  $m$ , an exponent (approximately 2.0) that characterizes the correlation between the number of nucleation sites and the size of the sites, so is a function of the fluid/surface interaction. The other symbols were defined above.

### Region 3: Saturated Boiling

In this region, the fluid temperature is at or above the saturation temperature across the entire fluid channel (but not necessarily along the channel in the flow direction). The heat-transfer coefficient is a weighted average of the forced-convection coefficient with only liquid flowing and the pool-boiling coefficient (J.C.Chen, Ind. and Eng'g Chem. Proc., Design and Dev., Vol. 5, Pp. 322f, 1966). FAC, Inc., developed the algebraic expressions for the curves presented by Chen for the weighting factors,  $F$  and  $S$ .

$$X_{tt} = ((1 - x)/x)^{0.9} * \sqrt{DP_f / DP_g}$$

$$F = 1.0 + 1.88 / X_{tt}^{0.8}$$

$$Y = F * Ref^{0.8} / 10000 \Rightarrow F * (Ref * (1 - xE))^{0.8} / 10000$$

$$S = \exp(-Y)$$

$$H_{tp} = F * H_f + S * H_p$$

as per  
Chen

These equations apply if  $X_{tt}$  is greater than 0.01 and  $x$  is less than or equal to 0.7. In these equations,  $X_{tt}$  is the two-phase flow factor;  $DP_f$ , the pressure drop as if the flow is totally liquid;  $DP_g$ , the pressure drop as if the flow is totally vapor;  $Ref$ , the Reynolds number based on liquid properties; and  $H_{tp}$ , the heat-transfer coefficient in two-phase flow. Because  $H_p$  depends non-linearly on  $(T_w - T_{sat})$ , if  $q$  is known and  $T_w$  is sought, a non-linear equation must be solved. Because the equation is cubic, it can be solved directly.

If  $x$  is greater than 0.7 or  $X_{tt}$  is less than 0.01, then Ellerbrook's correlation is used (National Aeronautics and Space Administration Special Publication SP-20, 1962):

$$Y = 2.35 - 0.266 * \text{ALOG}(X_{tt}) - 0.0255 * (\text{ALOG}(X_{tt}))^{0.2}$$

$$H_{tp} = H_g * (q / (W/Aflow * \Delta h_{fg}))^{0.4} * \exp(Y)$$

Code'd on  
pp 90

where  $\text{ALOG}$  is the natural-logarithm function; and  $H_g$ , the heat-transfer coefficient that would be realized if the flow were totally vapor (see below).

#### Region 4: Forced-Convection Vaporization

If this region mostly vapor is flowing. The flow is liquid deficient. The equations are the same as used in Region 3; however, Ellerbrook's formulas normally apply because the quality is greater than 70%.

#### Region 5: Vapor-Only Flow

This is a classical, single-phase flow region in which the fluid flowing is vapor. The equations are similar to those for Region 1:

$$\begin{aligned} St &= Pr^{2/3} (2/3) = j(\text{Reg}) \quad \text{from table} \\ \text{Reg} &= W * Dh / (\mu_g * A_{\text{flow}}) \\ Pr &= c_g * \mu_g / kg \\ H_g &= St * dg * V * cg = j G C_p / PR^{67} \end{aligned}$$

(pp 87 Fortran)

In these equations, Reg is the Reynolds number based on vapor flow; μg, the dynamic viscosity of the vapor; c<sub>g</sub>, the specific heat of the vapor; kg, the thermal conductivity of the vapor; H<sub>g</sub>, the heat-transfer coefficient for Region 5; and dg, the density of the vapor.

#### Critical Heat Flux

The foregoing equations are based on nucleate boiling. If the surface temperature is too high, film boiling will occur. (Actually, the critical heat flux is a hydrodynamic effect, so it is governed by the heat flux rather than the temperature difference.) Most available correlations are dimensional and pertain to high-pressure water. A simple correlation that has proven accurate for fluorocarbons and liquid nitrogen is that given by Jones (General Electric Report TIS 63SD275, 1963):

$$\begin{aligned} Ref &= W * Dh / (A_{\text{flow}} * \mu_f) \\ K_f &= J * h_f g * (x_o - x_i) / L \\ x_{chf} &= 1.04 - 1.14E-05 * (Ref^{2/3} * K_f)^{0.375} \end{aligned}$$

In these equations, x<sub>o</sub> is the outlet quality; x<sub>i</sub>, the inlet quality; L, the flow length; and x<sub>chf</sub>, the quality at the critical heat flux. If the quality exceeds x<sub>chf</sub> as given by these formulas, then film boiling will occur.

#### Film Boiling

Few correlations are available for the rarely encountered film-boiling regime in forced convection. The correlations are all of the same basic form. We have chosen the constants reported by Dougall in a 1963 report from the Massachusetts Institute of Technology:

$$Nu = \frac{H_{tp}}{\mu_f * Dh} = 0.023 * Re^{0.8} * Pr^{0.4}$$

WRONG! On the next page  $H_{tp}/H_g = \dots$  (for film boiling)

Since  $H_g = HT(5)$  receives "j" from a table,  $H_{tp}$  in the Fortran is completely unrelated to the eqn. here. It looks like a nice equation, though.

These equations contain no input of  $q$  or wall temp. directly, but by way of  $(x_i - x_o)$

where

$$Re = dg * Dh * (Wg/dg + Wf/df) / (Aflow * \mu_{\text{ug}})$$

$$Pr = cg * \mu_{\text{ug}} / kg$$

In these equations,  $W_g$  is the flow rate of the vapor and  $W_f$  is the flow rate of the liquid. These equations can be written in a somewhat more convenient form by taking the ratio of  $H_{tp}$  to  $H_g$ :

$$H_{tp}/H_g = (x + SL * dg / df * (1 - x))^{0.8}$$

$$SL = (df / dfg)^{0.25}$$

In these equations  $S$  is the slip (the ratio of vapor velocity to liquid velocity). There is no generally accepted correlation for  $S$ ; the one presented is that used in the simulation.  $S = \sqrt{VR - 1}$

#### Computation of the Pressure Drop in the Two-Phase-Flow Regions

Pressure-drop in the two-phase regions is due in part to friction and in part to momentum change. We assume that the momentum change occurs perfectly (i.e., 100% recovery in a decelerating flow). The  $\Delta P$  due to momentum of the flow is given by:

$$\Delta P [M(x)] = \frac{(W / Aflow)^2}{(df * G_o)} * \left( \frac{(1 - x)/(1 - a)}{(1 - a + a * dg * S^{0.5} / df)} \right)^{0.5}$$

where

$$VE = a = x / (x + dg * S * (1 - x) / df) \Rightarrow VE = XE / (XE + SL * (1 - XE) / VR)$$

and the other symbols were defined above. When the quality,  $x$ , is zero,  $M$  is indeterminate according to the above equation; L'Hopital's rule gives:

$$M = (W / Aflow)^2 / (df * G_o) \quad \text{for } x=0.0.$$

The frictional pressure drop can be estimated from the graphs developed by Baroczy (1966), omitting the dimensional corrections for water. The graphs cover the range of  $DP_t / DP_g$  from 0.0001 to 1.0 and the range of qualities,  $x$ , from 0.001 to 1.000. FAC, Inc., modified the Baroczy graphs so the two-phase pressure drop would be obtained by interpolation between the liquid-only and vapor-only values:

$$DP_{tp} = DP_f + PHI * (DP_g - DP_f)$$

where  $PHI$  is obtained by re-arranging Baroczy's correlation. In this equation,  $DP_{tp}$  is the two-phase pressure drop. Notice that  $PHI$  is 0.0 if the flow is 100% liquid and 1.0 if the flow is 100% vapor. Casting Baroczy's graphical data such that  $PHI$  is a function of  $x$  and  $DP_f / DP_g$  (Baroczy's two independent variables) results in irregular and somewhat unbelievable results. We have smoothed the curves and changed them slightly to obtain a more consistent pattern. We then developed an analytical expression for  $PHI$ :

$$\text{PHI} = x^{1.65} + (1. + 0.25 * \text{ALOG}(DPf/DPg)) * \\ (x^{0.7} + x * (1. - x)^{1.3} - x^{1.65})$$

Because the quality changes as the flow progresses, this local value of PHI is not as useful as the average value, which can be obtained by integration. The average from  $x = 0$  to  $x = x$  is:

$$\text{PHIBAR}(x) = x^{1.65} / 2.65 + (1. + 0.25 * \text{ALOG}(DPf/DPg)) * \\ (x^{1.7} / 2.7 - (1. - x)^{2.3} / 2.3 + \\ (1. - (1. - x)^{3.3}) / (2.3 * 3.3 * x) - \\ x^{1.65} / 2.65)$$

The average from  $x = x_i$  to  $x = x_o$  can be computed from:

$$\text{PHIAVG}(x_i \text{ to } x_o) = (x_o * \text{PHIBAR}(x_o) - x_i * \text{PHIBAR}(x_i)) / (x_o - x_i)$$

The two-phase frictional pressure drop is calculated, therefore, by determining first the single-phase pressure drop for 100% liquid and for 100% vapor flow. The known entering quality,  $x_i$ , and the exit quality,  $x_o$ , as calculated by the energy balance, can then be used to compute PHIAVG. The frictional pressure drop in the two-phase region is then computed from:

$$DP_{tp} = DP_f + \text{PHIAVG} * (DP_g - DP_f)$$

The total two-phase pressure drop is computed by adding to this the pressure drop due to the momentum change:

$$\text{Total } DP_{tp} = DP_{tp} + M(x_o) - M(x_i)$$

Note that the length of the two-phase region enters not only through the computation of the temperatures but also through the lengths used in computing  $DP_f$  and  $DP_g$ .

*Code has A LOG 10 = log<sub>10</sub>(m)*



Exhibit 10.6-2: AECS Output for the Sample Case

TIME P 96.33

SVT 1

EVT 3

PASS 1

S.V.  
( -1) 1.30000E+00

E.V.  
( -1) 1.50653E+01

W  
( -1) 1.30000E+00

P ( 13) 9.07000E+01 ( 14) 9.06980E+01  
T ( 13) 5.0467BE+02 ( 14) 5.13834E+02

H ( 13) 8.44000E+01 ( 14) 1.10195E+02

COMPONENT QBOILR EXTRAPOLATED TABLE  
-6 -33 VALUE = 2.44867E-02 ARGUMENT(S) 3.94766E+02

COMPONENT QBOILR EXTRAPOLATED TABLE  
-6 -32 VALUE = 1.08060E-01 ARGUMENT(S) 3.94766E+02

COMPONENT QBOILR EXTRAPOLATED TABLE  
-6 -33 VALUE = 6.98646E-03 ARGUMENT(S) 7.28690E+03

COMPONENT QBOILR EXTRAPOLATED TABLE  
-6 -32 VALUE = 3.25818E-02 ARGUMENT(S) 7.28690E+03

COMPONENT QBOILR

NL 1 NSI 13 NSO 14 FT 3 FN -22

W 1.19 PI 90.70 PO 90.70 TI 504.68 TO 527.10 HI 84.4000 HO112.5592  
BOILER AT STATION NO. 14 HAS A MAXIMUM WALL TEMPERATURE OF .56000E+03 DEGREES R

\*AECS\* EXAMPLE CASE FOR QBOILER  
1 CASE QBOILR

TIME E 96.43

FLOW RATE(S)-LB/MIN

( -1) 1.19

PRESSURE(S)-PSI

( 13) 90.70 ( 14) 90.70

NUMBER OF VENTILATION PV(S)-LWM/LRA / STU/LB

( 13) 84.4800 ( 14) 112.3392

STATE VARIABLE TYPE(S)

( 1) 1

STATE VARIABLE(S)

( 1) 1.18990E+00

ERROR VARIABLE TYPE(S)

( 1) 3

ERROR VARIABLE(S)

( 1) 2.36965E-03

SOLUTION CONVERGED IN

6 TRY(S)

0 ERROR(S) DETECTED

CASE END

## 11. Subroutine RINLET (Refrigerant Inlet)

### 11.1. Subroutine Description

The RINLET (Refrigerant Inlet) subroutine does not simulate a component; instead, it permits the user to define the flow rate, pressure, temperature, and enthalpy at some point in an open-loop refrigerant system.

### 11.2. Prior Simulation Method

RINLET is a new subroutine --- or rather a new entry point in a previously available subroutine: INLET. INLET previously would not permit the use of a refrigerant. RINLET does.

### 11.3. New Simulation Method

RINLET is a new entry point in the subroutine INLET that permits the fluid to be a refrigerant. In addition, the inlet state is defined by the flow rate, pressure and enthalpy. The inlet temperature as entered by the user is overridden by the computer if the fluid is a refrigerant. The computer determines the temperature from the refrigerant-properties subroutines based on the pressure and enthalpy.

### 11.4. Computational Procedure

The modification to INLET to add the entry point RINLET is almost trivial (Exhibit 11.4-1). A branch is made if the fluid is a refrigerant, so the temperature can be computed as a function of pressure and enthalpy. Any refrigerant state is permissible. The branch also establishes the enthalpy as the state variable, if the user so designates it.

### 11.5. Program Listing

The few lines that have been modified are easily identified (Fluid Type = 3). The annotated listing is presented in Exhibit 11.4-1.

### 11.6. Sample Case

RINLET, like INLET, must be used in conjunction with other components. Therefore, a separate sample case is inappropriate. The reader can see examples of the use of RINLET in any of the examples presented for the other components.

### Exhibit 11.4-1: Performance-Program Logic and Listing

```
SUBROUTINE INLTPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)), (IP,C(28)), (IT,C(
29)), (IH,C(30))
*, (IW,C(27)), (PASS,C(17)), (ISVT,C(46)), (ISV,C(47))
*, (SCR(1),C(151)), (IFB,C(55))
INTEGER PASS
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),NL), (SCR(2),NS), (SCR(3),JSV)
*, (SCR(4),NC), (SCR(5),LOCT), (SCR(6),P), (SCR(7),T)
*, (SCR(8),TS), (SCR(9),V), (SCR(10),DSH)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG
C 3 STATION
C 4 W
C 5 P
C 6 T
C 7 H
C 8 SV W
C 9 SV P
C 10 SV T
C 11 SV H
C 12 DSH
IENTRY=0
GO TO 1
C*** ADD REFRIGERANT INLET AS AN ENTRY POINT
C TO THE PREVIOUS INLET SUBROUTINE
ENTRY RINLTPP
IENTRY=1
1 IRCD = IRcdb(12)
NL = ID(IRCD+2)
NS = ID(IRCD+3)
IF (PASS.EQ.1) CALL FLUIDP(NL)
LOCT = ID(IFB+NL)
NC = ID(LOCT+1)
LOCT = ID(LOCT+3)
D(IW+NL) = D(ID(IRCD+4))
D(IP+NS) = D(ID(IRCD+5))
D(IT+NS) = D(ID(IRCD+6))
D(IH+NS) = D(ID(IRCD+7))
9 JSV = ID(IRCD+8)
IF (JSV.EQ.0) GO TO 20
C*** FLOW RATE IS A STATE VARIABLE
IF (PASS.NE.1) GO TO 12
ID(ISVT+JSV) = 1
D(ISV+JSV) = D(IW+NL)
12 D(IW+NL) = D(ISV+JSV)
20 JSV = ID(IRCD+9)
C*** PRESSURE IS A STATE VARIABLE
IF (JSV.EQ.0) GO TO 30
IF (PASS.NE.1) GO TO 22
```

```

ID(ISVT+JSV) = 2
D(ISV+JSV) = D(IP+NS)
22 D(IP+NS) = D(ISV+JSV)
30 JSV = ID(IRCD+10)
    IF (JSV.EQ.0) GO TO 40
C*** TEMPERATURE IS A STATE VARIABLE
    IF (PASS.NE.1) GO TO 32
    ID(ISVT+JSV) = 3
    D(ISV+JSV) = D(IT+NS)
32 D(IT+NS) = D(ISV+JSV)
40 JSV = ID(IRCD+11)
    IF (JSV.EQ.0) GO TO 50
C*** ENTHALPY OR HUMIDITY IS A STATE VARIABLE
    IF (PASS.NE.1) GO TO 42
    ID(ISVT+JSV) = 4
C*** IF FLUID TYPE IS 3 (REFRIGERANT), S.V. TYPE = 10 (ENTHALPY)
    IF(IENTRY.EQ.1) ID(ISVT+JSV)=10
    D(ISV+JSV) = D(IH+NS)
42 D(IH+NS) = D(ISV+JSV)
50 IF(NC.NE.3)GO TO 99
C*** RE-COMPUTE THE TEMPERATURE IF FLUID TYPE IS 3 (REFRIGERANT)
C   TO AVOID ATTEMPTING TO DEFINE THE FLUID STATE
        BY PRESSURE AND
C   TEMPERATURE WHEN THE FLUID IS IN THE TWO-PHASE REGION
    QUAL=VQUALH(LOCT,D(IP+NS),D(IH+NS))
    IF(QUAL.LT.0.0)D(IT+NS)=VTLIQ(LOCT,D(IP+NS),D(IH+NS))
    IF(QUAL.GE.0.0.AND.QUAL.LE.1.0)D(IT+NS)=VTS(LOCT,D(IP+NS))
    IF(QUAL.GT.1.0)CALL VTAV2(LOCT,D(IT+NS),V,D(
        IP+NS),D(IH+NS))
99 CONTINUE
RETURN
C   INLTPP
END

```

## 12. Subroutine ROUTLT (Refrigerant Outlet)

### 12.1. Subroutine Description

The ROUTLT (Refrigerant Outlet) subroutine does not simulate a component; instead, it permits the user to define the flow rate, pressure, or enthalpy as an error variable at the end of an open-loop refrigerant system.

### 12.2. Prior Simulation Method

ROUTLT is a new subroutine --- or rather a new entry point in a previously available subroutine: OUTLET. OUTLET previously would not permit the use of a refrigerant. ROUTLT does.

### 12.3. Present Simulation Method

ROUTLT is a new entry point in the subroutine OUTLET that permits the fluid to be a refrigerant. In addition, the outlet flow rate, pressure and enthalpy are computed. The outlet temperature is computed from the refrigerant properties subroutines based on the pressure and enthalpy. As with OUTLET, there is no need for ROUTLT if the user does not want an error variable to be defined at the outlet. With the omission of ROUTLT, an open-loop refrigeration system will terminate at the last component. We have included ROUTLT in the sample cases just to be tidy.

### 12.4. Computational Procedure

The modification to OUTLET to add the entry point ROUTLT is almost trivial (Exhibit 12.4-1). A branch is made if the fluid is a refrigerant, so the temperature can be computed as a function of pressure and enthalpy. Any refrigerant state is permissible. The branch can also compute the enthalpy as an error variable, if the user so designates it.

### 12.5. Program Listing

The few lines that have been modified are easily identified (Fluid Type = 3). The annotated listing is presented in Exhibit 12.4-1.

### 12.6. Sample Case

ROUTLT, like OUTLET, must be used in conjunction with other components. Therefore, a separate sample case is inappropriate. The reader can see examples of the use of ROUTLT in any of the examples presented for the other components.

### Exhibit 12.4-1: Performance-Program Logic and Listing

```
SUBROUTINE OTLTPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)), (IP,C(28)), (IW,C(
    27)), (PASS,C(17))
*,(IEVT,C(48)),(IEV,C(49)),(IT,C(29)),(IH,C(30)),(OUT,C(7))
*, (SCR(1),C(151))
INTEGER PASS,OUT
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),NL), (SCR(2),NS), (SCR(3),JEV)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG
C 3 STATION
C 4 W
C 5 P
C 6 T
C 7 H
C 8 EV W
C 9 EV P
C 10 EV T
C 11 EV H
IENTRY=0
GO TO 1

*** ENTRY POINT IF FLUID IS A REFRIGERANT
ENTRY ROTLTPP
IENTRY=1
1 IRCD = IRcdb(11)
NL = ID(IRCD+2)
NS = ID(IRCD+3)
JEV = ID(IRCD+8)
W=D(IW+NL)
P=D(IP+NS)
T=D(IT+NS)
H=D(IH+NS)

*** ON FIRST PASS, SET UP THE ERROR VARIABLES
IF (JEV.EQ.0) GO TO 20
IF (PASS.EQ.1) ID(IEVT+JEV) = 1
D(IEV+JEV) = D(IW+NL)-D(ID(IRCD+4))
20 JEV = ID(IRCD+9)
IF (JEV.EQ.0) GO TO 30
IF (PASS.EQ.1) ID(IEVT+JEV) = 2
D(IEV+JEV) = D(IP+NS)-D(ID(IRCD+5))
30 JEV = ID(IRCD+10)
IF (JEV.EQ.0) GO TO 40
IF (PASS.EQ.1) ID(IEVT+JEV) = 3
D(IEV+JEV) = D(IT+NS)-D(ID(IRCD+6))
40 JEV = ID(IRCD+11)
IF (JEV.EQ.0) GO TO 99
IF (PASS.EQ.1) ID(IEVT+JEV) = 4
D(IEV+JEV) = D(IH+NS)-D(ID(IRCD+7))
99 CONTINUE
IF(IENTRY.EQ.0)RETURN
```

C\*\*\* IF THE FLUID IS A REFRIGERANT, WRITE W, P, T, H  
WRITE(OUT,1000)W,P,T,H  
1000 FORMAT(" \*\*\* W = ",F8.3," P = ",F8.3," T = "  
",F8.3," H = ",F8.3)

C RETURN  
OTLTPP  
END

### **13. Subroutine RPMP (Refrigerant Pump)**

#### **13.1. Subroutine Description**

The RPMP routine simulates the performance of a liquid transfer pump for the refrigerant. This pump might, for example, send the refrigerant to electronic cold plates remote from the compressor and condenser.

#### **13.2. Prior Simulation Method**

RPMP is a new subroutine; however, PUMPPP, a prior subroutine, simulates oil and water pumps of both positive-displacement and centrifugal types. PUMPPP computes the hydraulic power, which it divides by the efficiency. The result is divided by the motor efficiency to obtain the electrical input.

#### **13.3. Present Simulation Method**

The RPMP routine follows the PUMP routine closely, with the hydraulic and mechanical efficiencies being input tables. However, we have added warning messages to indicate to the user when the efficiency tables have been extrapolated to values less than zero or greater than one. We then adjust the efficiencies to permit the computations to continue. A message is also printed if the fluid entering the pump is not a liquid.

#### **13.4. Computational Procedure**

The computational procedure is listed in Exhibit 13.4-1. The procedure is identical to that of PUMPPP, except for the differences in the tables and the addition of warning messages and the corresponding adjustments.

#### **13.5. Program Listing**

Exhibit 13.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, the stored AECS program does not include the comment cards.

#### **13.6. Sample Case**

The sample case, as depicted in Exhibit 13.6-1, is based on having the refrigerant pump alone as the total system. The input data are shown in the required format for AECS input. The corresponding system output data are shown in the system schematic (Exhibit 13.6-1) and in output format (Exhibit 13.6-2), starting with Page 7 of the output, the beginning of the computed data. Previous output pages contain the headers and a repeat of the input data.

Exhibit 13.4-1: Performance-Program Logic and Listing

```
SUBROUTINE RPMPPP
INTEGER OUT
REAL MR,NR,MEFF,MPWR
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(IFB,C(55)),(ITAD,C(54))
*,(IEV,C(49)),(IEVT,C(48))
*, (ICPP,C(88)), (IFFP,C(22)), (OUT,C(7)), (IGA,C(35))
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3),NSO)
*,(SCR(4),NST),(SCR(5),TBL1),(SCR(6),TBL2),(SCR(7),TBL3)
*, (SCR(8),QR), (SCR(9),PR), (SCR(10),RPM), (SCR(11),HP)
*, (SCR(12),ERRV)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

1 COMP CODE
2 LEG NO
3 INLET STATION NO
4 OUTLET STATION NO
5 SHAFT NO
6 PRESSURE RISE TABLE NO
7 PUMP EFFICIENCY TABLE NO
8 MOTOR EFFICIENCY TABLE
9 FLOW RATE AT ZERO PRESSURE DIFFERENCE (QR)
10 PRESSURE DIFFERENCE AT ZERO FLOW RATE, PSIA (PR)
11 SHAFT SPEED CORRESPONDING TO QR AND PR (RPM)
12 RATED OUTPUT OF MOTOR (HP)
13 ERROR VARIABLE INDEX
*** SETUP INTERNAL VARIABLES IN TERMS OF STORED ARRAY
IRCD = IRCDB(13)
NL = ID(IRCD+2)
NSI = ID(IRCD+3)
NSO = ID(IRCD+4)
NST = ID(IRCD+5)
*** ENTER MASS FLOW RATE AS INDEPENDENT VARIABLE FOR TLUP
D(IGA+41) = D(IW+NL)
QR = D(ID(IRCD+9))
PR = D(ID(IRCD+10))
NR = D(ID(IRCD+11))
MR = D(ID(IRCD+12))
LOCT=ID(IFB+NL)
LOCT=ID(LOCT+3)
Q=D(IW+NL)
D(IP+NSO)=D(IP+NSI)
D(IT+NSO)=D(IT+NSI)
D(IH+NSO)=D(IH+NSI)
** TEST THE TEMPERATURE TO SEE IF IN LIQUID REGION
```

```

TEMP=D(IT+NSI)
TSAT=VTS(LOCT,D(IP+NSI))
IF(TSAT.GT.TEMP) GO TO 390
WRITE(OUT,380) TEMP,TSAT,D(IP+NSI)
380 FORMAT (" *** WARNING FROM RPMPPP: INLET TWO-PHASE, WITH T=",
*E14.7," (TSAT=",E14.7,") AT P=",E14.7,/,
*" USING SPECIFIC VOLUME AT SAT AT P")
TEMP=TSAT
390 GPM=7.4805*D(IW+NL)/VDL(LOCT,D(IT+NSI))
*** SET UP THE SHAFT SPEED AS AN INDEPENDENT VARIABLE FOR TLUP
D(IGA+101)=D(IGA+NST+80)
*** SET UP THE MASS FLOW RATE AS THE SECOND INDEPENDENT VARIABLE FOR TLUP
D(IGA+102)=Q
RPM=D(IGA+NST+80)
*** OBTAIN THE PRESSURE RISE FROM THE TABLE
DP=TLUP(ID(IRCD+6))
IF(DP)570,410,410
410 D(IP+NSO)=D(IP+NSI)+DP
PWR=144.*DP*GPM/(7.4805*33000)
*** OBTAIN THE EFFICIENCY FROM THE TABLE
EFF=TLUP(ID(IRCD+7))
412 CONTINUE
*** WATCH FOR UNREALISTIC EFFICIENCIES. REVISE EFFICIENCY
AND KEEP GOING IF EFFICIENCY IS UNREALISTIC
IF(EFF.LE.0.OR.EFF.GE.1.0)GO TO 570
SPWR=PWR/EFF
HEAT=(SPWR-PWR)*42.416
D(IGA+101)=SPWR
MEFF=TLUP(ID(IRCD+8))
414 CONTINUE
*** WATCH FOR UNREALISTIC MECHANICAL EFFICIENCY. REVISE EFFICIENCY
AND KEEP GOING IF EFFICIENCY IS UNREALISTIC
IF(MEFF.LE.0.0.OR.MEFF.GE.1.0)GO TO 580
MPWR=SPWR/MEFF
D(IGA+NST+90)=D(IGA+NST+90)-MPWR
*** TAKE THREE ITERATIONS ON THE SPECIFIC HEAT
DO 500 I=1,3
D(IT+NSO)=D(IT+NSI)+HEAT/D(IW+NL)/
* VCPF(LOCT,D(IP+NSI),(D(IT+NSO)+D(IT+NSI))/2.)
500 CONTINUE
D(IH+NSO)=D(IH+NSI)+SPWR*42.416/D(IW+NL)
560 IF (IPF.NE.1 .OR. ICPP.NE.0) GO TO 99
CALL PIOP(I,NL,NSI,NSO)
CALL LINES(2)
WRITE(OUT,1401) NSI,MPWR,RPM
1401 FORMAT(5X,"REFRIGERANT PUMP WITH INLET STATION NO.",
*I10/" HAS A SHAFT-POWER INPUT OF",E17.7," HP AND A SHAFT",
* " SPEED OF",E17.7," RPM")
99 CONTINUE
RETURN
570 WRITE(OUT,575) D(IW+NL),RPM,EFF
575 FORMAT(" *** UNREALISTIC EFFICIENCY IN REFRIGERANT PUMP FOR",/

```

\*" \*\*\* FLOW OF ",FB.4," AND ",FB.1," RPM (EFF =",FB.4,""),/,  
\*" \*\*\* EFFICIENCY RESET TO BE BETWEEN 0. AND 1.")  
IF (EFF.LE.0.) EFF=0.01+EFF/1000.  
IF (EFF.GE.1.) EFF=0.99+EFF/1000.  
GO TO 412  
580 WRITE(OUT,585) SPWR,MEFF  
585 FORMAT(" \*\*\* UNREALISTIC MECHANICAL EFFICIENCY IN REFRIGERANT ",  
\* "PUMP",/, " \*\*\* WITH SHAFT POWER OF ",F10.3,"HP (MEFF =",FB.4,""),/,  
\* " \*\*\* MECHANICAL EFFICIENCY RESET TO BE BETWEEN 0. AND 1.")  
IF (MEFF.LE.0) MEFF=0.01+MEFF/1000.  
IF (MEFF.GE.0) MEFF=0.99+MEFF/1000.  
GO TO 414  
RPMPPP

The values used in the tables were chosen for brevity and convenience. Few pumps have the linear characteristic used. If the more realistic values presented in Appendix D had been used, the input data would have been longer and the manual checkout, more difficult.

### 13.7. Technical Background

The technical background for this subroutine is provided in the former discussions on the PUMPPP subroutine. However, adjustments are made to the efficiencies. If the efficiency, E, is greater than 1.0, the efficiency is re-computed according to the replacement expression:

$$E = 0.99 + E / 1000.$$

If the efficiency is less than 0.0, the efficiency is re-computed according to the replacement expression:

$$E = 0.01 + E / 1000.$$

These adjustments to the efficiencies are applied to the hydraulic and mechanical efficiencies.

The adjustments to the efficiencies are made variable (rather than setting them to constants) to minimize the chance that the solution routine, on computing the derivatives relative to the state variables, will find the derivatives to be zero. If the derivatives are zero, the Newton-Raphson solution procedure will fail the matrix check and print a message that the solution failed to converge.

Exhibit 13.6-1: Input Cards and Flow Diagram for the Sample Case

140 FORM

141 EXAMPLE CASE FOR RPMP

142 ASEA RPMP 0000 1 3 0  
 143 0 0 0 0 0  
 144 0. 0. 0.  
 145 0.

146 AM 15

147 ALES 01 0.1332 272.1834 577.0 44.82 0.0  
 148 ALES 06 .03 10.0 1.5 0.0 530.0  
 149 ALES 11 2000.

150 INLET 10 1 10000 1 2 3 4 3 -22 8 9 10  
 151 LINE 20 1 1 2 0 -1 5 6 7 8 9 10  
 152 OUT 22 1 0 11  
 153 PUMP 24 1 2 3 1 1 1 1  
 154 TLT 30 1 30000 1 2 3 4  
 155 ID 1 8 33 0 0 1010101 2 0 1020101 2

156 PRESSURE RISE TABLE

157 0.0 4000.  
 158 0.0 4000.  
 159 0.0 0.4  
 160 0.0 10.0 0.0 0.0

161 ID 1 9 33 0 0 1010101 2 0 1020101 2

162 STATIC EFFICIENCY TABLE

163 0.0 4000.  
 164 0.0 4000.  
 165 0.0 0.4  
 166 0.8 0.9 0.8 0.9

167 ID 1 10 2 0 0 1010101 3

168 MECHANICAL EFFICIENCY TABLE

169 0.0 0.0 0.0002 0.8  
 170 0.0004 0.9

171 ID 1 0 1 0

172 CASE  
 173 608

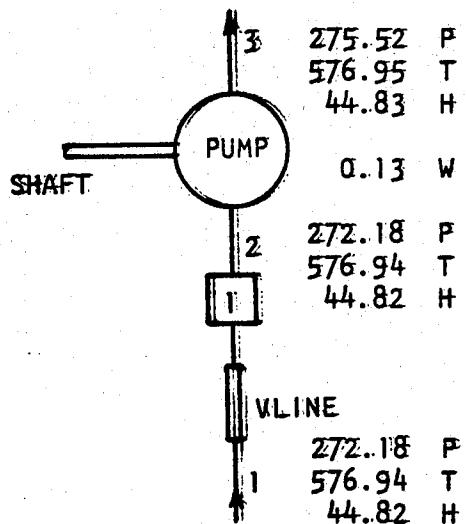


Exhibit 13.6-2: AECS Output for the Sample Case

TIME P 34.65  
COMPONENT SHAFT  
SHAFT 1 N 20000.

COMPONENT RPM/P

NL 1 NS1 2 NS0 3 FT 3 FN -22

W ,13 P1 272.18 PO 273.52 T1 576.94 TO 576.95 H1 44.8200 HO 44.8306

REFRIGERANT PUMP WITH INLET STATION NO. ,2500000E-03 HP AND A SHAFT SPEED OF ,2000000E+04 RPM

\*AECS\* EXAMPLE CASE FOR RPM/P  
1 CASE RPM/P

TIME E 34.66

FLOW RATE(S)-LB/MIN

( 1) .13

PRESSURE(S)-PSI

115 ( 1) 272.18 ( 2) 272.18 ( 3) 273.52

TEMPERATURE(S)-DEG R

( 1) 576.94 ( 2) 576.94 ( 3) 576.95

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1) 44.8200 ( 2) 44.8200 ( 3) 44.8306

0 ERROR(S) DETECTED

CASE END

## **14. Subroutine SENSOR**

### **14.1. Subroutine Description**

The SENSOR subroutine simulates the sensing point for an unspecified controller. The controller is assumed to have the capability for maintaining the set-point value. Therefore, the iterative solution to the simulation model will continue until the sensed value equals the set point. If the system or controller does not have the capability of satisfying the control point, the iterations will not terminate and the solution procedure will fail to converge. The sensor can be applied to any fluid.

### **14.2. Prior Simulation Method**

The previous sensor simulation model permitted the control of any one of four variables: flow rate, pressure, temperature or enthalpy (humidity, if air is the fluid). An error message was printed if any other variable were used.

### **14.3. New Simulation Method**

The new model adds the following to the list of permitted control variables: superheat, subcooling and quality. Because these three depend on a combination of pressure, temperature and enthalpy, the logic of the sensor routine required considerable modification. In terms visible to the user, the leg and station number at which the sensor is placed must now be specified on the component card.

### **14.4. Computational Procedure**

The computational procedure is presented in the form of a heavily annotated FORTRAN program in Exhibit 14.4-1. The only computations performed are those required to determine the superheat, quality and subcooling, based on the refrigerant-property subroutines.

### **14.5. Program Listing**

Exhibit 14.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, the AECS program does not include the comment cards.

### **14.6. Sample Case**

The sample case, as depicted in Exhibit 14.6-1, is based on having two sensors in a system containing an evaporator. The first senses the superheat; the second senses the air outlet temperature. The

### Exhibit 14.4-1: Performance-Program Logic and Listing

```
SUBROUTINE SENPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(SCR(1),C(151)),(IFB,C(55))
*,(PASS,C(17)),(IEV,C(49)),(IEVT,C(48))
*,(IW,C(27)),(IP,C(28)),(IT,C(29)),(IH,C(30))
INTEGER PASS
DIMENSION SCR(30)
EQUIVALENCE (SCR(1),ICT),(SCR(5),NL),(SCR(6),NS)
*,(SCR(4),JEVI),(SCR(8),LOCT),(SCR(9),VALUE)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG NUMBER
C 3 STATION NUMBER
C 4 SENSOR CODE(1=FLOW,2=PRESSURE,3=TEMPERATURE,4=ENTHALPY,
      5=SUPERHEAT,6=SUBCOOLING,7=QUALITY)
C 5 CONTROL VALUE
C 6 ERROR VARIABLE TYPE
C 7 ERROR VARIABLE INDEX
    IRCD=IRCDB(7)
    NS=ID(IRCD+3)
    NL=ID(IRCD+2)
    LOCT=ID(IFB+NL)
    LOCT=ID(LOCT+3)
    ICT=ID(IRCD+4)
    GO TO (10,20,30,40,50,60,70) ICT
10 VALUE=D(IW+NL)
*** FLOW RATE IS BEING CONTROLLED
    GO TO 100
20 VALUE=D(IP+NS)
*** PRESSURE IS BEING CONTROLLED
    GO TO 100
30 VALUE=D(IT+NS)
*** TEMPERATURE IS BEING CONTROLLED
    GO TO 100
40 VALUE=D(IH+NS)
*** ENTHALPY IS BEING CONTROLLED
    GO TO 100
50 P = D(IP+NS)
*** COMPUTE THE SATURATION PROPERTIES FOR A REFRIGERANT
    TSAT = VTS(LOCT,P)
    TSH = D(ID(IRCD+5))
    V = VSV(LOCT,P,TSAT)
    HSAT = VH(LOCT,P,TSAT,V)
*** COMPUTE APPROXIMATE SUPERHEAT (CORRECT AT CORRECT SUPERHEAT)
C BY DIVIDING THE ENTHALPY DIFFERENCE BY THE SP
      ECIFIC HEAT OF THE
C VAPOR, THEREBY AVOIDING ZERO-SENSITIVITY ERRO
      RS WHEN THE ITERATION
C RESULTS IN SATURATED OR TWO-PHASE FLUID AT THE SENSED POINT
      VALUE = (D(IH+NS)-HSAT)/VCPV(LOCT,P,TSAT+0.5*TSH)
*** SUPERHEAT IS BEING CONTROLLED
    GO TO 100
```

```
60 P = D(IP+NS)
    TSAT = VTS(LOCT,P)
    TSC = D(ID(IRCD+3))
    HLIQ = VHLIQ(LOCT,P,TSAT)
C*** COMPUTE APPROXIMATE SUBCOOLING VIA THE ENTHALPY DIFFERENCE, AS WAS
C      DONE FOR THE SUPERHEAT
    VALUE = (HLIQ-D(IH+NS))/VCPF(LOCT,P,TSAT-0.5*TSC)
C*** SUBCOOLING IS BEING CONTROLLED
    GO TO 100
70 VALUE=VQUALH(LOCT,D(IP+NS),D(IH+NS))
C** QUALITY IS BEING CONTROLLED
100 JEV1=ID(IRCD+7)
    IF(PASS.NE.1) GO TO 110
    ID(IEVT+JEV1)=ID(IRCD+6)
110 D(IEV+JEV1)=VALUE-D(ID(IRCD+5))
C*** D(IEV+JEV1) IS THE VALUE OF THE CONTROL ERROR
          (ERROR VARIABLE)
C      THIS ERROR WILL BECOME ZERO AS THE SYSTEM SOLUTION IS OBTAINED
    RETURN
C      SENPP
END
```

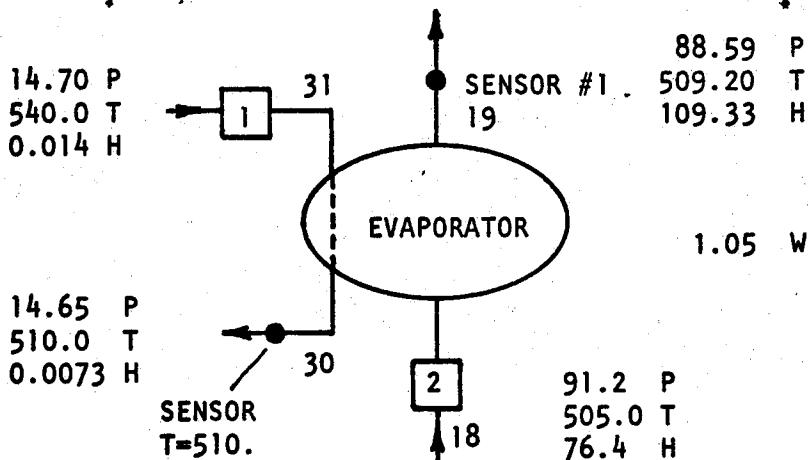
corresponding set points are 5 degrees of superheat and an air outlet temperature of 510 R, as indicated by the values of the parameters. The input data are shown in the required format for AECS input. The corresponding system output data are shown in the system schematic (Exhibit 14.6-1) as well as in the output format (Exhibit 14.6-2), starting on Page 7 of the output, the beginning of the computed data. Previous output pages contain the headers and a repeat of the input data.

#### 14.7. Technical Background

The subroutine takes the user-specified value of the controller set point and computes the difference between this set point and the value obtained in solving the system performance. The difference is an error variable, which becomes zero as the iterative solution is obtained to the system performance. If the system is incapable of meeting the set point, the iterative solution will not converge.

Exhibit 14.6-1: Input Cards and Flow Diagram for the Sample Case

FORM  
FILE EXAMPLE CASE FOR SENSOR ON AIR AND REFRIGERANT STATIONS  
SEA SENSOR 0000 2 4 1  
ASEB 0 0 0 0 0  
ASEC 0.0 0.0 0.0  
ASED 0.0  
PARAM 20  
VALUES 1 2.100 14.7000 540.00 0.014 5.0000  
VALUES 6 1.395 14.6000 510.00 0.0075 0.0001  
VALUES 11 1.0000 91.2005 505.00 76.40 0.0  
VALUES 16 0.4331 88.1249 510.00 109.665 0.0  
INLET 10 1 311000 1 2 3 4 2 -1  
INLET 20 2 181000 11 12 13 14 3 -22  
EVAP 30 2 18 19 1 31 30 0 1 2 5 3 10  
OUTLT 40 2 190000 16 17 18 19  
OUTLET 50 1 300000 6 7 8 9  
SENSOR 60 2 19 5 5  
SENSOR 70 1 30 3 8  
TABID 1 1 2 0 0 410101 2  
TABT AIR SIDE PRESS DROP T=1 RN=1 (IND VAR = AIR FLOW)  
TABV 0.0 0.0 5.0 0.1  
TABID 2 5 2 0 0 410101 2  
TABT AIR SIDE BYPASS FACTOR T=5 RN=2 (IND VAR = AIR FLOW)  
TABV 0.0 0.0 5.0 0.3  
TABID 3 2 2 0 0 420101 2  
TABT REFRIG SIDE PRESS DROP T=1 RN=3 (IND VAR = )  
TABV 0.0 0.0 1.0 1.00  
AB 1 0 1 0  
DCASE  
ENDJOB



THE FOLLOWING LISTING IS FOR FILE SENSOR

TIME E 179.56

FLOW RATE(S)-LB/MIN

( 1) 2.38 ( 2) 1.05

PRESSURE(S)-PSI

( 18) 91.20 ( 19) 88.59 ( 30) 14.65 ( 31) 14.70

TEMPERATURE(S)-DEG R

( 18) 505.00 ( 19) 509.20 ( 30) 510.00 ( 31) 540.00

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 18) 76.4000 ( 19)109.3347 ( 30) .0073 ( 31) .0140

STATE VARIABLE TYPE(S)

( 1) 1 ( 2) 1

STATE VARIABLE(S)

( 1) 2.38096E+00 ( 2) 1.04600E+00

ERROR VARIABLE(S)

( 1) 5 ( 2) 3

ERROR VARIABLE(S)

( 1) 1.63069E-04 ( 2) 0.

SOLUTION CONVERGED IN 6 TRY(S)

0 ERROR(S) DETECTED

CASE END

Exhibit 14.6-2: AECS Output for the Sample Case

## 15. Subroutine SEPAR (Refrigerant Liquid/Vapor Separator)

### 15.1. Subroutine Description

The SEPAR subroutine simulates a refrigerant liquid/vapor separator in which a two-phase fluid enters, the vapor flows out the first exit leg, and the liquid flows out the second exit leg. The separator would typically be used after an expansion valve in a refrigeration system, with the vapor being sent to the middle stage of a two-stage compressor or to the pocket of a pocket-feed Roots compressor. The liquid would be sent to the evaporator, possibly through another expansion valve.

### 15.2. Prior Simulation Method

SEPAR is a new subroutine. It is similar in function to WSEP; however, WSEP separates liquid and air whereas SEPAR separates two phases of the same fluid.

### 15.3. Present Simulation Method

The liquid/vapor separation is assumed to be perfect, with no pressure drop occurring in the component. The user will want to add VLINE components as appropriate to simulate the pressure drop.

With no pressure drop, the simulation is relatively simple. The fraction of the flow leaving the vapor port is equal to the quality of the incoming flow. The enthalpy of the vapor leaving is equal to the enthalpy of the saturated vapor at the inlet pressure. The enthalpy of the liquid leaving is equal to the enthalpy of saturated liquid at the inlet pressure.

### 15.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing (Exhibit 15.4-1).

The outlet pressures are set equal to the inlet pressure. The enthalpy of the outlet liquid is equal to the saturated-liquid enthalpy; the enthalpy of the outlet vapor is equal to the saturated-vapor enthalpy. The fraction of the flow leaving as vapor is equal to the quality of the incoming flow.

### 15.5. Program Listing

Exhibit 15.4-1, which presents the program computational procedure, is also the program listing as used in AECS. However, the AECS program does not include the comment cards.

Exhibit 15.4-11: Performance Program Logic and Listing

SUBROUTINE SEPARPP

C\*\*\* THIS SUBROUTINE SIMULATES THE PERFORMANCE OF A LIQUID/VAPR  
C SEPARATOR WITH INLET FLUID IN ANY STATE; PURE VAPOR LEAVING  
C LEG OUT 1 AND PURE SATURATED LIQUID LEAVING LEG OUT 2  
COMMON /CC/C(400)  
EQUIVALENCE (IRCDB,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29)),  
\*(IH,C(30)),(ISV,C(47)),(PASS,C(17)),(ISVT,C(46)),  
\*(SCR(1),C(151)),(IFB,C(55)),(OUT,C(7))  
INTEGER PASS,OUT  
DIMENSION SCR(30)  
EQUIVALENCE (SCR(1),NLI),(SCR(2),NSI),(SCR(3),NLOG),  
\*(SCR(4),NSOG),(SCR(5),NLOF),(SCR(6),NSOF),(SCR(7),TS),  
\*(SCR(8),VG),(SCR(9),HG),(SCR(10),HFG)  
COMMON /DC/DZ(2),D(2)  
DIMENSION ID(2)  
EQUIVALENCE (ID(1),D(1))  
C 1 COMP CODE  
C 2 LEG IN WITH ANY QUALITY  
C 3 STATION IN  
C 4 LEG OUT 1 WITH SATURATED VAPOR ONLY  
C 5 STATION OUT 1  
C 6 LEG OUT 2 WITH SATURATED LIQUID ONLY  
C 7 STATION OUT 2  
C\*\*\* SET UP THE INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY  
IRCDB=IRCDB(7)  
NLI=ID(IRCDB+2)  
NSI=ID(IRCDB+3)  
NLOG=ID(IRCDB+4)  
NSOG=ID(IRCDB+5)  
NLOF=ID(IRCDB+6)  
NSOF=ID(IRCDB+7)  
LOCT=ID(IFB+NLI),  
LOCT=ID(LOCT+3)  
C\*\*\* G REPRESENTS THE GASEOUS STATE; F, THE FLUID STATE  
C COMPUTE THE SATURATION PROPERTIES  
TS=VTS(LOCT,D(IP+NSI))  
VG=VSV(LOCT,D(IP+NSI),TS)  
HG=VH(LOCT,D(IP+NSI),TS,VG)  
HFG=VHFG(LOCT,D(IP+NSI),TS,VG)  
C\*\*\* SET THE OUTLET STATES BASED ON PERFECT SEPARATION INTO  
C SATURATED LIQUID AND SATURATED VAPOR  
DX(IP+NSOG)=D(IP+NSI)  
DX(IP+NSOF)=D(IP+NSI)  
DX(IT+NSOG)=TS  
DX(IT+NSOF)=TS  
DX(IH+NSOG)=HG  
DX(IH+NSOF)=HG-HFG  
C\*\*\* THE TOTAL ENERGY CONVECTED OUT EQUALS THAT CONVECTED IN  
DX(IW+NLOG)=D(IW+NLI)\*(D(IH+NSI)-HG+HFG)/HFG  
DX(IW+NLOF)=D(IW+NLI)-D(IW+NLOG)  
C\*\*\* CHECK FOR UNREASONABLE FLOW SPLIT  
IF (DX(IW+NLOF).LT.0.0.OR.D(IW+NLOG).LT.0.0) GO TO 50  
40 CONTINUE  
IFF (IFF.NE.1).OR..ICPP.NE.0) GO TO 99

```
CALL-PIOP(1,NLI,NSI,NSOG)
CALL LINES(2)
WRITE (OUT,1001) D(IW+NLOF),D(IW+NLOG)
1001 FORMAT (1H0,5X,12HIN SEPARATOR,18H LIQUID FLOW OUT,E14.5,
* 17H VAPOR FLOW OUT,E14.5)
99 CONTINUE
RETURN
50 QUAL=(D(IH+NSI)-HG+HFG)/HFG
WRITE (OUT,1004) QUAL
1004 FORMAT (1H0,5X,30HINLET QUALITY TO SEPARATOR WAS,E14.5,
* 20H POSSIBLY AN ERROR )
WRITE (OUT,1002) D(IW+NLOF),D(IW+NLOG)
1002 FORMAT (1H0,5X,36HUNREASONABLE FLOW SPLIT IN SEPARATOR
* 16H LIQUID FLOW OUT,E14.5,19H AND VAPOR FLOW OUT,E14.5)
WRITE (OUT,1003)
1003 FORMAT (1H0,5X,25HNEGATIVE FLOW SET TO ZERO)
IF (D(IW+NLOF).GT.0.0) GO TO 60
D(IW+NLOG)=D(IW+NLI)
D(IW+NLOF)=0.
GO TO 40
60 D(IW+NLOF)=D(IW+NLI)
D(IW+NLOG)=0.
GO TO 40
C SEPARPP
END
```

## 15.6. Sample Case

The sample case, as depicted in Exhibit 15.6-1, is based on having the separator alone as the total system. The input data are shown in the required format for AECS input. The corresponding system output data are shown in the system schematic (Exhibit 15.6-1) as well as in the output format (Exhibit 15.6-2), starting with Page 7 of the output, the beginning of the computed data. Previous output pages contain the headers and a repeat of the input data.

## 15.7. Technical Background

The outlet pressures are assumed to be equal to the inlet pressure, so the only computation pertains to the energy balance:

$$Min * Hin = Mg * Hg + Mf * Hf$$

where  $Min$  is the inlet flow rate;  $Hin$ , the inlet enthalpy;  $Mg$ , the vapor flow out of the separator;  $Hg$ , the enthalpy of saturated vapor at the inlet pressure;  $Mf$ , the liquid flow out of the separator; and  $Hf$ , the enthalpy of the saturated liquid at the inlet pressure.  $Hg$  and  $Hf$  are known from the refrigerant-properties subroutines.  $Hin$  is known because it is computed from an upstream component. In addition, a mass balance gives:

$$Min = Mg + Mf$$

We combine these equations to obtain the relationship between the vapor flow and the inlet flow:

$$Mg = Min * ( Hin - Hf ) / ( Hg - Hf )$$

The ratios of enthalpies in this equation can be recognized as the expression for the quality at the inlet,  $Xin$ , so

$$Mg = Min * Xin$$

This is the key equation in this simulation.

15.6-1: Input Cards and Flow Diagram for the Sample Case

EXAMPLE CASE FOR SEPARATOR

SEPAR 0000 3 3 0

0 0 0 0 0

0. 0. 0.

0.

10

45 01 0.4331 91.2005

45 06 .200 .233

46 10 1 120100 1

46 20 1 12 2 24

47 40 2 241000 6

47 50 3 130000 7

48 1 0 1 0

CASE

8

0.433 W  
91.13 P  
504.95 T  
62.3 H

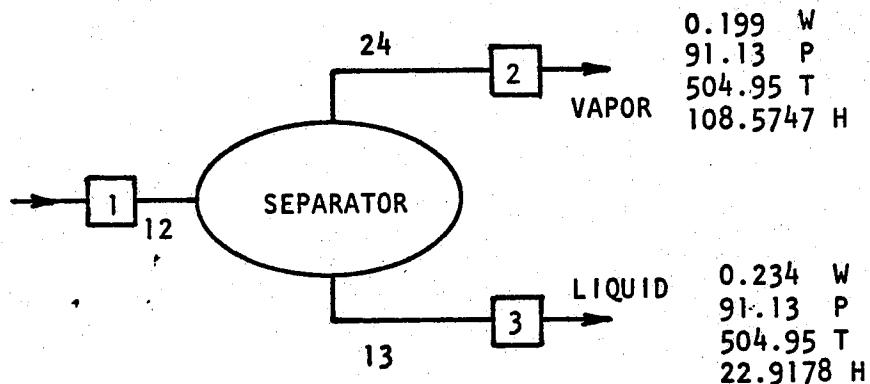


Exhibit 15.6-2: AECS Output for the Sample Case

PAGE 6  
PAGE DATE 09/06/81?

NAME : PAGE 6  
AECS : SAMPLE CASE FOR SEPARATOR

1 : SEPARATOR

TIME P 82.30

SVT ( 1 ) 2

EVT ( 1 ) 1

PASS ( 1 )

S.V. ( 1 ) 9.120005E+01  
( 1 ) -9.20991E-04

E.V. ( 1 ) -9.20991E-04

H ( 1 ) 4.33100E-01 ( 2 ) 1.99079E-01 ( 3 ) 2.34021E-01

P ( 12 ) 9.120005E+01 ( 24 ) 9.120005E+01 ( 13 ) 9.120005E+01

T ( 12 ) 5.050000E+02 ( 24 ) 5.050000E+02 ( 13 ) 5.050000E+02

H ( 12 ) 6.230000E+01 ( 24 ) 1.08579E+02 ( 13 ) 2.29314E+01  
\*AECS\* EXAMPLE CASE FOR SEPARATOR  
1 CASE SEPARATOR

TIME E 82.52

FLOW RATE(S)-LB/MIN

( 1 ) .43 ( 2 ) .20 ( 3 ) .23

PRESSURE(S)-PSI

( 12 ) 91.13 ( 13 ) 91.13 ( 24 ) 91.13

TEMPERATURE(S)-DEG R

( 12 ) 504.95 ( 13 ) 504.95 ( 24 ) 504.95

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 12 ) 62.3000 ( 13 ) 22.9178 ( 24 ) 100.5747

STATE VARIABLE TYPE(S)  
( 1 ) 2

STATE VARIABLE(S)

( 1 ) 9.11264E+01

ERROR VARIABLE TYPE(S)  
( 1 )

ERROR VARIABLE(S)  
( 1)-8.74922E-04

SOLUTION CONVERGED IN 1 TRY(S)

0 ERROR(S) DETECTED

CASE END

## 16. Subroutine SOLN (Solution Procedure)

### 16.1. Subroutine Description

The SOLN subroutine solves the system of equations representing the environmental-control system. The equations for each of the components are assembled by AECS according to the component cards placed ahead of SOLN. The set of equations must be solved by trial and error. SOLN lets the user select the trial-and-error procedure: either the Newton-Raphson method, which was used exclusively prior to this modification to AECS, or one of three variations in the maximum-rate-of-descent method. If the SOLN component is omitted, the prior (Newton-Raphson) solution method is used.

### 16.2. Prior Method

Previously only the Newton-Raphson method, in subroutine SOLN1, was available as a solution technique in AECS. This method linearizes the equations and solves the system of linear equations by Gaussian elimination. Because the equations are not linear, the solution to the linearized equations is not necessarily the solution to the non-linear equations. Therefore, the linearization is repeated after each solution to the linearized system and the solution to the new linear set is computed again, until the solution to the non-linear set is obtained.

The Newton-Raphson method frequently fails to converge. Sometimes the problem specified by the user has no solution. For example, by accident, a user might define his system with evaporators but no condensers, so there would be no heat-rejection devices. AECS will attempt to solve the problem but will fail to converge. In most problems, the absence of a physical solution is less evident. In other cases, especially with the highly non-linear refrigerant properties, the linearized solution will be physically impossible. For example, the linearized solution (an intermediate result in the process of iteratively solving the non-linear equations) can give negative absolute temperatures and negative absolute pressures. In any case, the Newton-Raphson method will not indicate the cause of the problem.

### 16.3. New Method

The new SOLN routine, which combines SOLN1 and a new subroutine called MRDSOLN, allows for four solution techniques: (1) Newton-Raphson; (2) MRD, a maximum-rate-of-descent procedure for minimizing the root-mean-square (RMS) error; (3) MRD1, a quasi-one-dimensional variation of MRD; and (4) MRD2, a quasi-two-dimensional variation of MRD. None of the methods can give a solution to a problem that does not have a physical solution, such as the system without a condenser, cited above. However, the MRD methods can help the user determine (1) the changes in the state variables that will bring the system closer to a solution and (2) which variables are most important in controlling the system performance. In addition, the MRD methods

will permit the user to solve parts of his system, after which he can make adjustments in the remaining parts to obtain a solution that is physically realizable.

The Newton-Raphson and maximum-rate-of-descent methods are described extensively in the literature on systems engineering, optimization, and operations research. We present here a brief geometric description of each to help the user understand trends he will see in the computed results.

The Newton-Raphson method is a generalization to many dimensions of Newton's classical one-dimensional method. In Newton's method, the tangent to the curve  $y=f(x)$  is constructed at some user-selected starting point,  $X_0$ . To obtain a solution to  $y=0$  (in AECS,  $y$  is the error variable which we strive to make zero), the method extrapolates the straight tangent line to  $y=0$ , thereby replacing the exact shape of the curve,  $y=f(x)$ , with a linear approximation. Where the tangent intercepts the  $x$  axis we call  $X_1$ .  $X_1$  is used as a new trial solution, with a new tangent being constructed at  $f(X_1)$ . In some problems, the tangent is horizontal so it does not intersect the  $x$  axis, and Newton's method fails. In other, physical problems, the tangent is nearly horizontal and the intersection with the  $x$  axis occurs far from  $X_0$ , yielding values of  $X_1$  that are physically impossible, such as negative absolute temperatures or pressures. The Newton-Raphson method works similarly to the Newton method, except tangent planes are used instead of tangent lines, because more dimensions are involved. Beyond two independent (state) variables, the process becomes more difficult to envision, but no more difficult to implement.

The maximum-rate-of-descent (MRD) methods are hill-climbing techniques. In the case of AECS, we climb down the hill to find the lowest point in the valley, the lowest point corresponding to the least error. The problem is trivial in one dimension, so we will describe the method in two dimensions using the function  $z(x,y)$ . In AECS,  $z$  would be the root-mean-square of the error variables and  $x$  and  $y$  would be state variables. As with the Newton-Raphson method, the user defines a starting point by selecting  $X_0$  and  $Y_0$ . MRD then finds the direction of the steepest descent. If  $z$  were an analytical expression, this direction would be obtained by differentiation; in AECS, small steps are taken in each state variable one at a time to approximate differentiation. A step is then taken in the direction of steepest descent to new values of  $x$  and  $y$ , which then form a new trial solution, and the process is continued. Beyond two independent (state) variables, hills become difficult to envision but the process works the same.

Several problems arise in solving problems by MRD methods. The first problem involves selecting the step size. Suppose, for example, that one independent variable were the pressure and the second, the humidity. The pressure might range from 14.7 to 100 psia, whereas the humidity might range from 0.1 to 1.0. A step of 1.0 would have little effect if taken along the pressure axis but would step beyond physical

reality if taken along the humidity axis. Therefore, a scaling system is required by which all independent variables will have equal weighting. In AECS we ask the user to specify the scale factor. We suggest that the scale factor be the range in which the user expects the solution to lie. For example, if the solution to the problem should be obtained with a pressure between 14.7 and 100, the user would specify the pressure-scaling factor as  $(100-14.7)$ , or 85.3. Similarly, the scaling factor for the humidity would be 0.9.

Similar scaling factors exist for the error variables. For example, one error variable could be the pressure and another, the flow rate. However, for the error variables we know that the solution will have all errors equal to zero. Therefore, we ask the user to enter scaling factors for the error variables such that a unit error in each variable has equal acceptability. For example, if the user will accept an error of 0.1 degree in temperature and 1.0 psi in pressure, then his scaling factors for the error variables should be 0.1 for temperature and 1.0 for pressure. If two different temperatures give error variables, then two scale factors would be defined. They could be the same or not.

Perhaps the most annoying problem with MRD methods is that of termination. Recognizing that the solution has been obtained, at least within the accuracy that MRD permits, can be difficult, especially if you are not sure that a physical solution exists for the problem you posed to AECS. We do provide a direction indicator that shows the cosine of the angle between each step and the previous step. We also have a built-in procedure for changing the step size. If you find the cosine is consistently negative, then the steps keep retracing themselves (exactly, if the cosine is -1.0, but only slightly if the cosine is near 0.0). The RMS error is probably near its minimum. You might want to take the MRD results and see if the Newton-Raphson method will converge from this point. If each of the error variables is small, then the MRD solution would be acceptable.

An advantage of Newton-Raphson is that you have no control over the sequence of steps. The weighting factor actually is little help because the direction of the step cannot be controlled. Everything is automatic. But the lack of control is also a disadvantage, especially if the method does not converge and the reason for not converging is not obvious --- the usual case.

The advantage of the MRD method is that you have control. You can select the step size and, to some extent via MRD1 and MRD2, the direction of the step. In addition, if you want to de-emphasize a state variable, you can enter a small scaling factor. If you want to de-emphasize an error variable, you can enter a large scaling factor. But the control is also a disadvantage. You must make decisions and you must examine the progress of the iterations toward the solution. You may also require more iterations to obtain the solution because your step size was incorrect.

In AECS we have left both the Newton-Raphson and the MRD techniques so you can attack your problem with either a controlled or an uncontrolled process. You can alternate. You can try Newton-Raphson first and hope for the best. You can try MRD when all else fails. We like being optimistic and using Newton-Raphson first. When this fails, we switch to one of the MRD techniques to study the problem and perhaps discover that the state and/or error variables were poorly chosen or that the solution requires a change in the size of one of the components. After we are confident that a solution exists, we like to obtain the final result using Newton-Raphson.

The three MRD methods available in our revision to AECS are:

MRD: the classical method described above, in which all of the variables are changed simultaneously when the step is made. The step is in the direction of steepest descent, so the RMS error is decreased the maximum by a step in this direction (at least in the limit of an infinitesimal step). Unless overridden by a COMMON card for C(76), the solution will be limited to 26 MRD steps.

MRD1: each state variable is changed one at a time, to find the minimum along the first axis (with respect to the first state variable), then along the second, etc., returning to the first to start again if the solution has not been obtained. Note that MRD1 does not step in the MRD direction. This technique is most useful when you are studying the effects of one variable in an attempt to discover the problems with MRD, MRD2 or Newton-Raphson. Unless overridden by COMMON cards, the solution will be limited to 3 steps in each variable (C(373) is 3) and 26 steps in the set of state variables (C(76) is 26), for a total of 78 steps in each variable.

MRD2: state variables are changed in pairs, to find the minimum with respect to the first pair, then the second, etc. Note that MRD2 does not step in the MRD direction. This method is somewhat more flexible than MRD1, coming closer to the MRD direction. It also permits the user to plot contour maps that might help him discover what values of the state variables will most nearly give a solution. Unless overridden by COMMON cards, the solution will be limited to 3 steps per pair of variables (C(373) is 3) and 26 steps in the set of variables (C(76) is 26), for a total of 78 steps in each pair.

#### 16.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program listing. Exhibit 16.4-1 shows the modifications to SOLN1 (the previous solution subroutine); Exhibit 16.4-2, the new "component" SOLN; and Exhibit 16.4-3, the logic and listing for the MRD computations.

Exhibit 16.4-1: Revisions to the SOLN1 Subroutine

```
SUBROUTINE SOLN1
COMMON /CC/ C(400)
EQUIVALENCE (IDS,C(5)), (OUT,C(7)), (CERR,C(16)), (PASS,C(17))
*, (ISVS,C(92)), (NLEG,C(25)), (NSTA,C(26)), (IGA,C(35))
*, (ISP,C(42)), (ISVT,C(46)), (ISV,C(47)), (IEVT,C(48))
*, (IEV,C(49)), (NSV,C(50)), (NEV,C(51)), (IFP,C(22)), (MRD,C(372))
*, (IW,C(27)), (IP,C(28)), (IT,C(29)), (IH,C(30)), (IMP,C(66))
*, (IME,C(67)), (ILN,C(37)), (ISN,C(38)), (NT,C(76)), (PF,C(77))
*, (NWT,C(78)), (ITAD,C(54)), (SVLL(1),C(181)), (SVUL(1),C(191))
*, (ICONV,C(79)), (IIOP,C(90)), (ERRL,C(83)), (BIG,C(31))
*, (MRDNIT,C(373))
INTEGER OUT, CERR, PASS
COMMON /CCA/ CA(150)
EQUIVALENCE (LIST(1),CA(11)), (SVSCALE(1),CA(31)),
*(EVSCALE(1),CA(51)), (DF(1),CA(71)), (DFO(1),CA(91)),
*(ITER,CA(111)), (RST,CA(112)), (STEP,CA(113)), (IEVS,CA(122)),
*(ESUM,CA(114)), (DSUM,CA(115)), (SUM,CA(116)),
(ITBL50,CA(117)),
*(ITBL51,CA(118)), (NORD,CA(119)), (KVAR,CA(120)),
), (IDONE,CA(121)),
*(IWS,CA(130)), (IPS,CA(131)), (ITS,CA(132)), (IHS,CA(133))
DIMENSION LIST(20), DF(20), DFO(20), SVSCALE(20), EVSCALE(20)
DIMENSION SVLL(10), SVUL(10)
DIMENSION CD(100)
EQUIVALENCE (CD(1),C(201))
EQUIVALENCE (CN,CD(84))
COMMON /DC/ DZ(2), D(2)
DIMENSION ID(2),
EQUIVALENCE (ID(1),D(1))
DATA SN/5HSOLN1/
CN=SN
ITER = 0
IDSS = IDS
NUM = NSV*NSV
IF (ISV.NE.0) GO TO 6
CALL GDCU(NSV,4,ISP,D,ISV)
CALL GDCU(NSV,4,ISP,D,ISVT)
CALL GDCU(NEV,4,ISP,D,IEV)
CALL GDCU(NEV,4,ISP,D,IEVT)
CALL GDCU(NSV,4,ISP,D,ISVS)
CALL GDCU(NEV,4,ISP,D,IEVS)
CALL GDCU(NLEG,4,ISP,D,IWS)
CALL GDCU(NSTA,4,ISP,D,IPS)
CALL GDCU(NSTA,4,ISP,D,ITS)
CALL GDCU(NSTA,4,ISP,D,IHS)
CALL GDCU(NUM,4,ISP,D,IMP)
CALL GDCU(NSV,4,ISP,D,IME)
CALL GDCU(NSV,4,ISP,D,IEM)
*** IF MRD WAS SELECTED, CALL THE SOLNPP COMPONENT —
```

```

IF(MRD.GT.0)CALL SOLNPP
GO TO 7
6 DO 51 I=1,NSV
ID(ISV+I) = 0

ID(ISVT+I) = 0
ID(IEV+I) = 0
ID(IEVT+I) = 0
ID(ISVS+I) = 0
ID(IEVS+I) = 0
ID(IME+I) = 0
ID(IEM+I) = 0
51 CONTINUE
DO 52 I=1,NLEG
ID(IWS+I) = 0
52 CONTINUE
DO 53 I=1,NSTA
ID(IPS+I) = 0
ID(ITS+I) = 0
ID(IHS+I) = 0
53 CONTINUE
DO 54 I=1,NUM
ID(IMP+I) = 0
54 CONTINUE
7 CONTINUE
IFF = 0
IIOP = 0
ICONV = -1
C*** IDONE TRACKS THE MRD SOLUTION TO SEE IF IT HAS CONVERGED
IDONE = 1
C*** PERFORM AN INITIAL SOLUTION TO THE COMPONENTS.
TO CORRECT INDATA
CALL PCOMPP
DO 42 I=1,NSV
IF (D(ISV+I).GT.0.0) GO TO 42
CERR = CERR+1
CALL LINES(2)
WRITE (OUT,1006) CERR,I
1006 FORMAT(6H0ERROR,I6,5X,15HSTATE VARIABLE ,I3,
14H INITIAL VALUE)
42 CONTINUE
ASSIGN 5 TO IS
GO TO 100
5 CONTINUE
ASSIGN 1 TO IS
GO TO 102
1 CONTINUE
IF (CERR.NE.0) GO TO 99
IF (NIT.EQ.0) GO TO 99
C*** SET THE WEIGHTING FACTOR = 1 (CHANGED BELOW IF
NEWTON-RAPHSON IS USED)
WT = 1.0
DO 10 II=1,NIT
IF (IDS.LT.0) IDS = 2
IF (IDSS.LT.0 .AND. II.GT.IABS(IDSS)) IDS = 0

```

```

IF (II.EQ.NIT) IDS = 2
D(IGA+1) = FLOAT(PASS)
PASS = PASS+1
    IF (ID(ITAD+NWT).NE.0) WT = TLUP(NWT)
DO 2 I=1,NSV
    D(ISVS+I) = D(ISV+I)
2 CONTINUE
DO 3 I=1,NLEG
3 D(IWS+I) = D(IW+I)
    DO 4 I=1,NSTA
        D(IPS+I) = D(IP+I)
        D(ITS+I) = D(IT+I)
4 D(IHS+I) = D(IH+I)
    CALL PCOMPP
    DO 88 J=1,NSV
        D(IEVS+I)=D(IEV+I)
        ICONV = 1
        
C*** START THE SOLUTION PROCESS: EITHER MRD OR NEWTON RAPHSON
300 KVAR=0
310 KVAR=KVAR+1
    IF(KVAR.GT.NSV)GO TO 11
    J=KVAR
312 IF(MRD.GT.0)J=LIST(KVAR)
    IIOP = J
315 DO 12 K=1,NLEG
12 D(IW+K) = D(IWS+K)
    DO 13 K=1,NSTA
        D(IP+K) = D(IPS+K)
        D(IT+K) = D(ITS+K)
13 D(IH+K) = D(IHS+K)
C*** MAKE THE PERTURBATION IN THE STATE VARIABLE
    D(ISV+J) = D(ISVS+J)*PF
C*** SOLVE THE SYSTEM EQUATIONS
    CALL PCOMPP
    DSV = D(ISV+J)-D(ISVS+J)
    IF (CERR.NE.0) GO TO 99
    ASSIGN 22 TO IS
    IF (IDS.EQ.3) GO TO 101
22 CONTINUE
    ASSIGN 21 TO IS
    IF (IDS.EQ.3) GO TO 102
21 CONTINUE
    D(ISV+J) = D(ISVS+J)
    DO 14 K=1,NEV
C*** COMPUTE THE DERIVATIVES FROM THE RESULTS OF THE PERTURBATION
    PAR = (D(IEV+K)-D(IEVS+K))/DSV
    CALL MSTO(K,J,PAR)
    CALL MSTO(K,0,D(IEVS+K))
14 CONTINUE
C*** BRANCH ACCORDING TO WHICH SOLUTION OPTION SELECTED
    IF(MRD.EQ.0.OR.MRD.EQ.3)GO TO 310
    IF(MRD.EQ.1)CALL MRDSOLN,RETURNS(315,330,41)
    IF(MOD(KVAR,2).EQ.0)CALL MRDSOLN,RETURNS(315,330,312)
    IF(KVAR.EQ.NSV)CALL MRDSOLN,RETURNS(315,330,312)

```

```

D(ISV+J)=D(ISVS+J)
GO TO 310
11 IF(MRD.GT.0)CALL MRDSOLN,RETURNS(315,330,312)
C*** SOLVE THE SYSTEM BY THE NEWTON-RAPHSON METHOD
  IF (IDS.GE.2) CALL MPRNT(D(IMP+1),NSV,D(IME+1))
  CALL MCHK(D(IMP+1),NSV,D(IME+1))
  CALL MSOL(D(IMP+1),NSV,D(IME+1),D(IEM+1),IND)
  IF (IND.EQ.1) GO TO 41
  GO TO 40
41 CONTINUE
  DO 16 J=1,NSV
    D(ISV+J) = D(ISVS+J) + WT*D(IMP+J)
    K = ID(ISVT+J)
    IF (D(ISV+J).LT.SVLL(K)) D(ISV+J) = SVLL(K)
    IF (D(ISV+J).GT.SVUL(K)) D(ISV+J) = SVUL(K)
16 CONTINUE
330 IF(IDS.LT.2)GO TO 165
  CALL LINES(2)
  WRITE(OUT,2165)
2165 FORMAT(7H0ALTERS)
  CALL PARNTH(NSV,D(IMP+1))
C*** RECOMPUTE THE BASE POINT
165 IIOP=0
  CALL PCOMPP
C*** BRANCH FOR EXTRA PRINTED OUTPUT
  IF (CERR.NE.0) GO TO 99
  ASSIGN 17 TO IS
  IF (IDS.GE.1) GO TO 101
17 CONTINUE
  ASSIGN 20 TO IS
  IF (IDS.GE.1) GO TO 102
20 CONTINUE
  ICONV = 0
  DO 15 J=1,NEV
    IF (ABS(D(IEV+J)).GT.ERRL) ICONV = ICONV+1
15 CONTINUE
  ITER = 0
  IF (ICONV.EQ.0) GO TO 99
C*** IF NOT FINISHED GO BACK AND COMPLETE THE MRD ANALYSIS
  IF(KVAR.LT.NSV)GO TO 310
  IF(MRD.GT.0)ICONV=IDONE
  IF(IDONE.EQ.0)GO TO 99
10 CONTINUE
99 CONTINUE
  IDS = IDSS
  RETURN
40 CONTINUE
  CERR = CERR+1
  CALL LINES(2)
  WRITE(OUT,1009) CERR,PASS
1009 FORMAT(6H0ERROR,I6,5X,22HSINGULAR MATRIX - PASS,I6)
  GO TO 99
100 CONTINUE
  CALL LINES(2)

```

```
      WRITE (OUT,1001)
1001 FORMAT(4H0SVT)
      CALL IPRNTH(NSV,D(ISVT+1))
      CALL LINES(2)
      WRITE (OUT,1002)
1002 FORMAT(4H0EVT)
      CALL IPRNTH(NEV,D(IEVT+1))
101 CONTINUE
      CALL LINES(2)
      WRITE (OUT,1003) PASS
1003 FORMAT(6H0PASS ,I6)
      CALL LINES(2)
      WRITE (OUT,1004)
1004 FORMAT(5H0S.V.)
      CALL PARNTH(NSV,D(ISV+1))
      GO TO IS, (5,22,17)
102 CONTINUE
      CALL LINES(2)
      WRITE (OUT,1005)
1005 FORMAT(5H0E.V.)
      CALL PARNTH(NEV,D(IEV+1))
      CALL LINES(2)
      WRITE (OUT,1101)
1101 FORMAT(2H0W)
      CALL PAREN(NLEG,D(ILN+1),D(IW+1))
      CALL LINES(2)
      WRITE (OUT,1102)
1102 FORMAT(2H0P)
      CALL PAREN(NSTA,D(ISN+1),D(IP+1))
      CALL LINES(2)
      WRITE (OUT,1103)
1103 FORMAT(2H0T)
      CALL PAREN(NSTA,D(ISN+1),D(IT+1))
      CALL LINES(2)
      WRITE (OUT,1104)
1104 FORMAT(2H0H)
      CALL PAREN(NSTA,D(ISN+1),D(IH+1))
      GO TO IS, (1,20,21)
C      SOLN1
      END
```

Exhibit 16.4-2: Performance-Program Logic and Listing for the  
SOLN Component

```
SUBROUTINE SOLNPP
INTEGER OUT
COMMON /CC/ C(400)
EQUIVALENCE (OUT,C(7)),(NSV,C(50))
COMMON /CCA/ CA(150)
COMMON /DC/DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
EQUIVALENCE (LIST(1),CA(11)),(SVSCALE(1),CA(31)),
*(EVSCALE(1),CA(51)),(DF(1),CA(71)),(DFO(1),CA(91)),
*(ITER,CA(111)),(RST,CA(112)),(STEP,CA(113)),
*(ESUM,CA(114)),(DSUM,CA(115)),(SUM,CA(116)),
(ITBL50,CA(117)),
*(ITBL51,CA(118)),(NORD,CA(119)),(KVAR,CA(120
)),(IDONE,CA(121))
DIMENSION LIST(20),DF(20),DFO(20),SVSCALE(20),EVSCALE(20)
C 1 COMP CODE
C 2 SOLUTION OPTION
C 3 STATE VARIABLE SCALE TABLE
C 4 ERROR VARIABLE SCALE TABLE
C 5 STEP
C 6 RST
C 7 STATE VARIABLE SOLUTION ORDER
C 17 NUMBER OF STATE VARIABLE ORDERED
IF(NORD.EQ.0.OR.NORD.EQ.NSV)GO TO 60
J=NORD
DO 30 I=1,NSV
DO 40 K=1,NSV
C*** SET UP THE ORDER IN WHICH THE STATE VARIABLES ARE TO
C BE CONSIDERED
IF(LIST(I).EQ.K)GO TO 30
40 CONTINUE
J=J+1
LIST(J)=I
30 CONTINUE
C*** SET UP THE STATE AND ERROR VARIABLE SCALE FACTORS
60 ITL=ITLUP(ITBL50)
ITM=ITLUP(ITBL51)
DO 70 I=1,NSV
SVSCALE(I)=D(ITL+I)
EVSCALE(I)=D(ITM+I)
70 CONTINUE
RETURN
C SOLNPP
END
```

**Exhibit 16.4-3: Program Logic and Listing for the MRD Subroutine**

```

SUBROUTINE MRDSOLN, RETURNS(M1,M2,M3)
COMMON /CC/ C(400)
EQUIVALENCE (IDS,C(5)),(OUT,C(7)),(CERR,C(16
)),(PASS,C(17)),
*(ISVS,C(92)),(NLEG,C(25)),(NSTA,C(26)),(IGA,
C(35)),(MRDNIT,C(373))
*,(ISP,C(42)),(ISVT,C(46)),(ISV,C(47)),(IEVT,C(48))
*,(IEV,C(49)),(NSV,C(50)),(NEV,C(51)),(IFP,C(
22)),(MRD,C(372))
*,(IW,C(27)),(IP,C(28)),(IT,C(29)),(IH,C(
30)),(IMP,C(66))
*,(IME,C(67)),(ILN,C(37)),(ISN,C(38)),(NI
T,C(76)),(PF,C(77))
*,(NWT,C(78)),(ITAD,C(54)),(SVLL(1),C(181)
), (SVUL(1),C(191))
*,(ICONV,C(79)),(IIOP,C(90)),(ERRL,C(83)),(BIG,C(31))
INTEGER OUT, CERR, PASS
COMMON /CCA/ CA(150)
EQUIVALENCE (LIST(1),CA(11)),(SVSCALE(1),CA(31)),
*(EVSCALE(1),CA(51)),(DF(1),CA(71)),(DFO(1),CA(91)),
*(ITER,CA(111)),(RST,CA(112)),(STEP,CA(113)),(IEVS,CA(122)),
*(ESUM,CA(114)),(DSUM,CA(115)),(SUM,CA(116)),
(ITBL50,CA(117)),
*(ITBL51,CA(118)),(NORD,CA(119)),(KVAR,CA(120
)),(IDONE,CA(121)),
*(IWS,CA(130)),(IPS,CA(131)),(ITS,CA(132)),(IHS,CA(133))
DIMENSION LIST(20),DF(20),DFO(20),SVSCALE(20),EVSCALE(20)
DIMENSION SVLL(10),SVUL(10)
DIMENSION CD(100)
EQUIVALENCE (CD(1),C(201))
EQUIVALENCE (CN,CD(84))
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
IEND=KVAR
IF(IEND.GT.NSV)IEND=NSV
*** INITIALIZE AND SELECT THE PATH FOR THE GIVEN MRD OPTION
ITER=ITER+1
IBEGIN = 1
IF(MRD.EQ.1)IBEGIN=IEND
IF(MRD.EQ.2)IBEGIN=KVAR-1
IDONE=0
*** WRITE THE VALUES OF THE SCALED STATE VARIABLES
WRITE(OUT,390) (D(ISV+LIST(J))/SVSCALE(LIST(J)),J=1,NSV)
390 FORMAT(" VALUES OF THE SCALED STATE VARIABLES",/,1X,5E18.7)
*** WRITE THE VALUES OF THE SCALED ERROR VARIABLES
WRITE(OUT,396) (-D(IME+LIST(J))/EVSCALE(LIST(J)),J=1,NEV)
396 FORMAT(" VALUES OF THE SCALED ERROR VARIABLES",/,1X,5E18.7)
DO 5 J=1,NSV
5 DF(J)=0.0
*** COMPUTE THE SUM OF THE SQUARES OF THE RRORS
ESUM=0.0
DSUM=0.0
SUM=0.0

```

```

DO 20 J=1,NEV
XX = (D(IME+J)**2)/(EVSCALE(J)**2).
IF(XX.GT.1.0)IDONE=IDONE+1
20 ESUM = ESUM + XX
WRITE(OUT,2031) SQRT(ESUM/NEV)
2031 FORMAT(" ROOT-MEAN-SQUARE OF THE SCALED ERRORS = ",
* E15.7)
C*** COMPUTE DERIVATIVES OF ERROR VARIABLES W.R.T.
STATE VARIABLES
DO 35 L=IBEGIN,IEND
J=LIST(L)
DO 30 K=1,NSV
I=IMP+(J-1)*NSV
30 DF(J)=DF(J)+2.*SVSCALE(J)*D(IME+K)*D(I+K)/EVSCALE(K)**2
C*** COMPUTE THE SUM OF THE SQUARES OF THE DERIVATIVES
35 SUM=SUM+DF(J)**2
C IF(IDS.LT.2)GO TO 35
CALL LINES(4)
WRITE(OUT,300)
300 FORMAT("0",10X,"DERIVATIVE OF SCALED E.V. WITH RESPECT",
* "TO SCALED S.V.")
WRITE(OUT,305)
305 FORMAT("0 S.V. E.V.:",5X,"1",13X,"2",13X
,"3",13X,"4",13X,"5")
DO 31 L=1,NSV
I=IMP+(LIST(L)-1)*NSV
DO 31 II = 1,NEV,5
JJ=II+4
IF(JJ.GT.NEV)JJ=NEV
CALL LINES(1)
WRITE(OUT,310)LIST(L),II,(D(I+KK)*SVSCALE(LIST(L))/EVSCALE(KK),
* KK=II,JJ)
310 FORMAT(" ",I4,4X,I4,5E14.7) LIST(L),II,(YY(KK)),KK=II,JJ
31 CONTINUE
SDF=SQRT(SUM)
C*** COMPUTE AND SAVE DERIVATIVES DIVIDED BY SQRT
OF SUM OF THEIR SQUARES
DO 40 L=IBEGIN,IEND
J=LIST(L)
DF(J)=DF(J)/SDF
C*** COMPUTE THE DIRECTION COSINE RELATIVE TO THE PREVIOUS STEP
DSUM=DSUM+DFO(J)*DF(J)
40 DFO(J)=DF(J)
C*** COMPUTE THE NEW STEP SIZE
STEP=STEP*RST**DSUM
C*** COMPUTE THE NEW VALUES OF THE STATE VARIABLES
DO 80 I=IBEGIN,IEND
J=LIST(I)
D(ISV+J)=D(ISVS+J)+STEP*SVSCALE(J)*DF(J)
IF(MRD.NE.3)D(ISVS+J)=D(ISV+J)
IF(MRD.NE.3) D(IEVS+J)=D(IEV+J)
K=ID(ISVT+J)
C*** CORRECT THE NEW VALUES SO THEY ARE WITHIN THE

```

PERMISSIBLE LIMIS

```

IF(D(ISV+J)-SVLL(K))55,55,60
55 CALL LINES(3)
WRITE(OUT,100)
100 FORMAT("0**+* WARNING FROM MRD SOLUTION")
WRITE(OUT,110)J,SVLL(K),D(ISV+J)
110 FORMAT(" STATE VARIABLE ",I5," RESET TO ",E
12.4," FROM ",E15.6)
D(ISV+J)=SVLL(K)
GO TO 80
60 IF(D(ISV+J)-SVUL(K))80,80,65
65 CALL LINES(3)
WRITE(OUT,100)
WRITE(OUT,110)J,SVUL(K),D(ISV+J)
D(ISV+J)=SVUL(K)
80 CONTINUE
WRITE(OUT,2032)ITER,STEP,DSUM,(LIST(J),DF(LIST(J)),J=1,NSV)
2032 FORMAT(" MRD TRIAL NUMBER:",I2,/, " SOLN STEP
SIZE =",E15.7,
* " DIRECTION COSINE =",E15.7,/, " DERIVATIVES OF THE ",
* "RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES",/,
* " S.V. NO. DERIVATIVES",/, 20(I10, E16.7,/) )
C*** DEPENDING ON WHICH OPTION IS INVOKED, UPDATE THE STORED BASE
C POINT OF THE SOLN1 SOLUTION
IF(MRD.EQ.3)RETURN M2
DO 2 I=1,NSV
D(ISVS+I) = D(ISV+I)
2 CONTINUE
DO 3 I=1,NLEG
3 D(IWS+I) = D(IW+I)
DO 4 I=1,NSTA
D(IPS+I) = D(IP+I)
D(ITS+I) = D(IT+I)
4 D(IHS+I) = D(IH+I)
C*** SOLVE THE SYSTEM EQUATIONS FOR MRD METHODS
CALL PCOMPP
DO 88 I=1,NSV
88 D(IEVS+I)=D(IEV+I)
IF(ITER.GE.MRDNIT)RETURN M2
IF(MRD.EQ.1.AND.ITER.EQ.1)RETURN M1
IF(IDONE.EQ.0)RETURN M2
IF(MRD.EQ.1)RETURN M1
IF(MOD(KVAR,2).NE.0)RETURN M3
KVAR=KVAR-1
RETURN M3
C MRDSOLN

```

*Skipped line*

## 16.5. Program Listing

Exhibits 16.4-1 to 16.4-3, which present the program computational procedure, also are the program listings as used in AECS, except that the comment cards are omitted in the AECS program to conserve computer storage space.

## 16.6. Sample Case

The sample case, as depicted in Exhibit 4.6-1 (the COP sample case), is based on having a simple refrigeration system, consisting of a compressor, condenser, expansion valve, and an evaporator. The input data are shown in Exhibit 4.6-1 in the required format for AECS, when the solution is to be obtained by the Newton-Raphson procedure (the same computations and the same result will be obtained if SOLN is omitted, because the solution procedure defaults to Newton-Raphson). The output data for the Newton-Raphson technique are shown in Exhibit 4.6-2, starting with Page 7 of the output, the beginning of the computed data. Previous pages contain the headers and a repeat of the input data.

The input data for the MRD2 solution procedure are shown in Exhibit 16.6-1. Note that the state and error variables are numbered sequentially as they are encountered in passing down the component cards. For the example, the first state variable is AK, the CVALVE flow factor. Therefore, AK is state-variable number 1 (see also the last page of the output sheets). The second state variable encountered is the air flow rate through the evaporator, so this flow rate is state variable number 2. The two error variables are at LOOPE: pressure (error variable number 1) and enthalpy (error variable number 2). The state and error variable numbering systems can be used to specify the order in which the MRD procedures search for the minimum error (see the SOLN component card).

The output from the MRD2 method is shown in Exhibit 16.6-2. The progression of the solution is illustrated graphically in Appendix B for the MRD2 and MRD1 methods. The results for MRD would be same as for MRD2 in this two-state-variable case. Although all of the solution techniques were applied to this case, the Newton-Raphson is definitely superior because there is definitely a solution.

## 16.7. Technical Background

In AECS, the set of error variables,  $E_i$ , are functions of the set of state variables,  $S_j$ . AECS solves the problem of finding the  $S_j$ 's that make each of the  $E_i$ 's zero.

When AECS uses the Newton-Raphson method, it starts with an initial set of state variables,  $S_j$ . It then takes 0.1% perturbations in each of the  $S_j$ 's and observes the changes in the  $E_i$ 's. The ratio of the changes is treated as a partial derivative,  $dE_i/dS_j$ . These partial derivatives form the matrix seen referenced in the listing. By the

Newton-Raphson linearization procedure, the Taylor series is used such that

$$E_i(S_j') = E_i(S_j) + \sum_j (dE_i/dS_j * (S_j' - S_j))$$

Because we want the errors,  $E_i(S_j')$ , to be zero, we select the  $S_j'$  as the solution to the system of equations:

$$\sum_j (dE_i/dS_j * (S_j' - S_j)) = -E_i(S_j)$$

The  $S_j'$  then are used as a new set of "initial" state variables and the process is repeated until the errors are acceptably small.

In the MRD method, the step direction is obtained by differentiating the root-mean-square of the error variables,  $E_i(S_j')$ . The MRD method maximizes the change in the RMS value of the  $E_i$ , subject to the constraint that the step size, STEP, is specified. STEP is given by:

$$STEP = \text{SQRT}(\sum_j ((S_j' - S_j)/W_{sj})^{**2}) / NSV$$

where NSV is the number of state variables. NSV is introduced so STEP can be interpreted as the fractional distance across the diagonal of the space of state variables. The RMS error is given by:

$$RMS = \text{SQRT}(\sum_i (E_i/W_{ei})^{**2}) / NEV$$

In these equations,  $W_{sj}$  represents the weighting factor for state-variable  $j$  and  $W_{ei}$ , for error-variable  $i$ . Note that the weighting factors make the sums dimensionless.

The change in RMS for a infinitesimal change in the  $S_j$ 's is obtained by differentiating RMS with respect to the  $S_j$ 's:

$$RMS * dRMS/dS_j = \sum_i (E_i * dE_i/dS_j / W_{ei}^{**2}) / NEV$$

Then a Taylor-series expansion yields

$$RMS' = RMS + \sum_j (dRMS/dS_j * (S_j' - S_j))$$

This equation for  $RMS'$  is next differentiated with respect to  $S_j'$ - $S_j$ , subject to the constraint that STEP is fixed. Lagrange multipliers can make this process relatively simple. The result is that the  $S_j'$  should be chosen from the formula:

$$S_j' = S_j - STEP * W_{sj}^{**2} * dRMS/dS_j / SS$$

where

$$SS = \text{SQRT}(\sum_j (W_{sj} * dRMS/dS_j)^{**2})$$

In the AECS version of the MRD methods, the step size is adjusted automatically according to the direction of two successive steps. The cosine of the angle between successive steps is given by:

$$DSUM = \sum_j (S_{j''} - S_{j'}) * (S_{j'} - S_j) / Ws_j^{**2}$$

and the new step size is computed from

$$STEP = STEP * RST^{**DSUM}$$

where RST is an input parameter, normally equal to 1.5.

This same theory, although derived for the multi-dimensional MRD procedure, can be applied in one dimension or in sequence in many dimensions. For example, it can be applied first with two of the  $S_j$ 's and then with another two, etc., as needed for MRD2. Therefore, the foregoing gives the complete theory on which SOLN is based.

Exhibit 16.6-1: Input Cards for the Sample Case

PERFORM

TITLE REFRIGERANT TEST CASE - MRD2

ASEA R22-01 0000 3 9 0

CASEB 0 0 0 0 0

CASEC 0.0 0.0 0.0

CASED 0.0

PARAM 22

VALUES 1 0.43 92.0 519.7 111.20 10000.

VALUES 6 3.26 0.85 4.0 14.7 540.0

VALUES -11 0.0 0.001 1.0 1119.0 1.8

VALUES 16 14.7 540.0 0.015 11.0 0.01

VALUES 21 0.05 1.5

LOOPS 10 1 1 1 5 3 -220000 1 2 3 4

SHAFT 20 1 0 5

VCOMP 30 1 1 2 1 0 6 1 72 7 0

INLET 40 2 210000 8 9 10 11 2 -1

COND 50 1 2 3 2 21 22 0 1 2 3 12

CVALVE 60 1 3 4 0 13 14

INLET 70 3 311000 15 16 17 18 2 -1

EVAP 80 1 4 5 3 31 32 0 4 5 19 6 20 0

LOOP 90 1 1 1 50101

COP 100 1 1 4 1

SOLN 110 2 1 2 21 22 1 2

TABID 72 6 33 0 0 280001 2 0 101 101 2

TABT VCOMP: EFFICIENCY = F(FLOW RATE, SHAFT SPEED)

TABV 0.0 1.0

TABV 0.0 11.0

ABV 1000. 11000.

ABV 0.85 0.85 0.85 0.85

TABID 1 1 2 0 0 410001 2

TABT AIR SIDE PRESS DROP T=1 RN=1 (IND.VAR.=AIR FLOW)

TABV 0.0 0.0 30.0 1.0

TABID 2 5 2 0 0 410001 2

TABT AIR SIDE EFFECTIVENESS T=5 RN=2 (IND.VAR.=AIR FLOW)

TABV 0.0 1.0 30.0 0.5

TABID 3 1 2 0 0 420001 2

TABT REFRIG SIDE PRESS DROP T=1 RN=3 (IND.VAR.=REFRIG FLOW)

TABV 0.0 0.0 2.0 6.0

TABID 4 1 2 0 0 410001 2

TABT AIR SIDE PRESS DROP T=1 RN=1 (IND VAR = AIR FLOW)

TABV 0.0 0.0 5.0 0.1

TABID 5 5 2 0 0 410001 2

TABT AIR SIDE BYPASS FACTOR T=5 RN=2 (IND VAR = AIR FLOW)

TABV 0.0 0.0 5.0 0.3

TABID 6 2 2 0 0 420001 2

TABT REFRIG SIDE PRESS DROP T=1 RN=3 (IND VAR = )

TABV 0.0 0.0 1.0 10.0

TABID 1 50 -1 0 0 00000 2

TABT SCALE FACTORS FOR STATE VARIABLES

TABV 40. 1.0

TABID 2 51 -1 0 0 00000 2

TABT SCALE FACTORS FOR ERROR VARIABLES

TBV 0.1 0.1

DCASE

ENDJOB

THE FOLLOWING LISTING IS FOR FILE MRD2 EXAMPLE

PASS 1

S.V.	E.V.	1	2	3	4	5
( -1) 1.11900E+03	( -1) 6.91362E-01	( 2) 1.800000E+00	( 2) 1.12942E+01			
( -1) 4.300000E-01	( -1) 9.200000E+01	( 2) 4.000000E+00	( 3) 1.800000E+00			
P						
( -4) 9.28709E+01	( -4) 5.06065E+02	( 5) 9.130086E+01	( 2) 2.99920E+02	( 21) 1.470000E+01	( 3) 2.99774E+02	( 22) 1.45667E+01
T						
( -4) 5.06065E+02	( -4) 5.19883E+02	( 5) 5.06065E+02	( 2) 6.45909E+02	( 21) 5.400000E+02	( 3) 5.44285E+02	( 22) 5.83541E+02
H						
( -4) 3.48313E+01	( -4) 1.11200E+02	( 5) 9.99058E+01	( 2) 1.26804E+02	( 21) 0..	( 3) 3.48313E+01	( 22) 0.
VALUES OF THE SCALED STATE VARIABLES						
VALUES OF THE SCALED ERROR VARIABLES						
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .6913617E+01						
DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.						
S.V. 1	E.V.: 1	2	3	4	5	
	.7633967E+02	-.8742862E+02				
	.3760735E+01	-.3179829E+03				
MRD TRIAL NUMBER: 1						
SOLN STEP SIZE = .50000000E-01 DIRECTION COSINE = 0.						
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES						
S.V. NO. 1	DERIVATIVES					
1	.2520328E+00					
2	.9677187E+00					
VALUES OF THE SCALED STATE VARIABLES						
VALUES OF THE SCALED ERROR VARIABLES						
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .6846108E+02						
DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.						
S.V. 1	E.V.: 1	2	3	4	5	
	.1 .7633778E+02	-.8947296E+02				
	.1 .3729781E+01	-.3161763E+03				

MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .7499991E-01 DIRECTION COSINE = .9999970E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 .2544146E+00  
 2 .9670952E+00

VALUES OF THE SCALED STATE VARIABLES

.2B00668E+02 .1920918E+01  
 VALUES OF THE SCALED ERROR VARIABLES

.9784027E+01 .7190828E+02  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .5131534E+02

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.7643748E+02	-.92500759E+02			
2		.3692022E+01	-.3134608E+03			

MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .1124999E+00 DIRECTION COSINE = .9999999BE+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES

1 .2537701E+00  
 2 .9672646E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.7653523E+02	.2029735E+01			
2		.3663495E+01	-.3093490E+03			

MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .1687135E+00 DIRECTION COSINE = .9994698E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES

1 .2221407E+00  
 2 .9750146E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.2B07271E+02	.2194233E+01			
2		.1530667E+02	-.1881072E+02			

\*AECS\* REFRIGERANT TEST CASE  
 1 CASE R22-01

1 1 .7535606E+02 -.1036327E+03  
2 1 0. -.3028266E+03

MRD TRIAL NUMBER: 2  
SOLN STEP SIZE = .1141994E+00 DIRECTION COSINE = -.9624903E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES  
1 -4.783454E+00  
2 -.8781718E+00

VALUES OF THE SCALED STATE VARIABLES

.2B01808E+02 .2093947E+01  
VALUES OF THE SCALED ERROR VARIABLES

.1119070E+02 .1725337E+02  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .1454150E+02

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7534447E+02	-.9965431E+02			
2	1	0.	-.3055153E+03			

MRD TRIAL NUMBER: 3  
SOLN STEP SIZE = .7785854E-01 DIRECTION COSINE = -.9447229E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES  
1 .1639779E+00  
2 .9864640E+00

VALUES OF THE SCALED STATE VARIABLES

.2B03085E+02 .2170751E+01  
VALUES OF THE SCALED ERROR VARIABLES

.1215261E+02 .7384242E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .10005517E+02

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7534716E+02	-.102275200E+03			
2	1	0.	-.3022905E+03			

MRD TRIAL NUMBER: 1  
SOLN STEP SIZE = .5432770E-01 DIRECTION COSINE = -.8875223E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES  
1 -.6000619E+00  
2 -.7999536E+00

VALUES OF THE SCALED STATE VARIABLES

.2799825E+02 .2127292E+01  
VALUES OF THE SCALED ERROR VARIABLES

.9696498E+01 .9095412E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .9400760E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7534030E+02	-.1010427E+03			

2 1 0. - .3030860E+03  
MRD TRIAL NUMBER: 2 .3866131E-01 DIRECTION COSINE = -.8390237E+00  
SOLN STEP SIZE = .2B0000B9E+02 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES  
1 .6821546E-01  
2 .9976706E+00

VALUES OF THE SCALED STATE VARIABLES  
.2B0000B9E+02 .2165863E+01  
VALUES OF THE SCALED ERROR VARIABLES  
.9895186E+01 -.2831531E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .7277784E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1.	.7534085E+02	-.1026011E+03		
2	1 0.		-.3013193E+03		

MRD TRIAL NUMBER: 3 .2926327E-01 DIRECTION COSINE = -.6868814E+00  
SOLN STEP SIZE = .2926327E-01 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES  
1 -.7719325E+00  
2 -.6357045E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1.	.7533612E+02	-.1018837E+03		
2	1 0.		-.3013079E+03		

MRD TRIAL NUMBER: 1 .2306B60E-01 DIRECTION COSINE = -.5844969E+00  
SOLN STEP SIZE = .2306B60E-01 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
S.V. NO. DERIVATIVES

S.V.	E.V.:	1	2	3	4
1	1.	.7533612E+02	-.1018837E+03		
2	1 0.		-.3013079E+03		

VALUES OF THE SCALED STATE VARIABLES  
.2797681E+02 .2170300E+01  
VALUES OF THE SCALED ERROR VARIABLES  
.8081026E+01 -.1692369E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .5838112E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1.	.7533581E+02	-.1028179E+03		
2	1 0.		-.3001317E+03		

MRD TRIAL NUMBER: 2  
SOLN STEP SIZE = .1893617E-01 DIRECTION COSINE = -.4889820E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. 1 -.8388762E+00  
2 -.5443222E+00

VALUES OF THE SCALED STATE VARIABLES  
• 2796092E+02 • 2159993E+01

VALUES OF THE SCALED ERROR VARIABLES  
• 6884381E+01 • 3031519E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .5319061E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7533250E+02	-.1024264E+03			
2	1 0.		-.2599884E+03			

MRD TRIAL NUMBER: 3  
SOLN STEP SIZE = .1647438E-01 DIRECTION COSINE = -.3434766E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. 1 -.2230719E+00  
2 .9748020E+00

VALUES OF THE SCALED STATE VARIABLES  
• 2795725E+02 • 2176052E+01

VALUES OF THE SCALED ERROR VARIABLES  
• 6607549E+01 • -1401791E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .4776228E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7533174E+02	-.1030009E+03			
2	1 0.		-.25900641E+03			

MRD TRIAL NUMBER: 1  
SOLN STEP SIZE = .1431781E-01 DIRECTION COSINE = -.3460274E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. 1 -.8373940E+00  
2 -.5465997E+00

VALUES OF THE SCALED STATE VARIABLES  
• 2794526E+02 • 2168226E+01

VALUES OF THE SCALED ERROR VARIABLES  
• 5704397E+01 • 2173102E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .4316394E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1	.7532925E+02	-.1027839E+03			
2						

\*AECS\* REFRIGERANT TEST CASE  
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2 1 0. .2989578E+03  
 MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .12B4634E-01 DIRECTION COSINE = -.2674581E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES  
 1 -.3027190E+00  
 2 .9530799E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2794137E+02 .21B0470E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .5411467E+01 -.10B2512E+01  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .3902295E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. 1	2	3	4	5
1	1 .7532844E+02	-.1032843E+03			
2	1 0.	-.29B2105E+03			

MRD TRIAL NUMBER: 1 BULN STEP SIZE = .1162704E-01 DIRECTION COSINE = -.2459595E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES  
 1 -.8493447E+00  
 2 -.5278385E+00

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VALUES OF THE SCALED STATE VARIABLES  
 .2793149E+02 .2174333E+01

VALUES OF THE SCALED ERROR VARIABLES  
 .4667611E+01 .1766712E+01  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .3529013E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. 1	2	3	4	5
1	1 .7532640E+02	-.1030524E+03			
2	1 0.	-.2981077E+03			

MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .1053946E-01 DIRECTION COSINE = -.2422036E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES  
 1 -.3064080E+00  
 2 .9519003E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2792826E+02 .21B4365E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .4424365E+01 -.8879783E+00  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .31900BB6E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. 1	2	3	4	5
1	1 .7532574E+02	-.1034623E+03			

2 1 0. -2974946E+03  
 MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .9553894E-02 DIRECTION COSINE = -.2421351E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 DERIVATIVES 1 -.8493820E+00  
 2 -.5277785E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2792015E+02 .2179223E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .3813133E+01 .1451139E+01  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .2884943E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. :	1	2	3	4	5
1	1	.7532406E+02	.1032720E+03			
2	1 0.		.2974098E+03			

MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .8649305E-02 DIRECTION COSINE = -.2453229E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 DERIVATIVES 1 -.3032775E+00  
 2 .9529023E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2791753E+02 .2187565E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .3615556E+01 -.7270625E+00  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .2607764E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. :	1	2	3	4	5
1	1	.7532352E+02	.1036085E+03			
2	1 0.		.2969080E+03			

MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .7831374E-02 DIRECTION COSINE = -.2450051E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 DERIVATIVES 1 -.8495550E+00  
 2 -.5275001E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2791087E+02 .2183434E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .3114439E+01 .1188511E+01  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .2357147E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V. :	1	2	3	4	5
1	1	.7532215E+02	.1034528E+03			
2	1 0.		.2968382E+03			

MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .7066116E-02 DIRECTION COSINE = -.2466318E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. DERIVATIVES  
1 -.3016780E+00  
2 .9534099E+00

VALUES OF THE SCALED STATE VARIABLES  
.2790873E+02  
VALUES OF THE SCALED ERROR VARIABLES  
.2190190E+01  
.2953427E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .5943916E+00

MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .6413157E-02 DIRECTION COSINE = -.2461020E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. DERIVATIVES  
1 -.8498432E+00  
2 -.5270356E+00

VALUES OF THE SCALED STATE VARIABLES  
.279032BE+02  
VALUES OF THE SCALED ERROR VARIABLES  
.2186810E+01  
.2542929E+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .9727185E+00

MRD TRIAL NUMBER: 4 SOLN STEP SIZE = .5800807E-02 DIRECTION COSINE = -.2475049E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. DERIVATIVES  
1 -.3002974E+00  
2 .9538456E+00

VALUES OF THE SCALED STATE VARIABLES  
.2790154E+02  
VALUES OF THE SCALED ERROR VARIABLES  
.2192343E+01  
.241172BE+01  
ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .4857767E+00

MRD TRIAL NUMBER: 5 SOLN STEP SIZE = .5800807E-02 DIRECTION COSINE = -.2475049E+00  
DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

S.V. NO. DERIVATIVES  
1 -.75332024E+02  
2 .10E+00  
MRD TRIAL NUMBER: 2

MRD TRIAL SIZE = .7247724E+02 DIRECTION COSINE = -.2471297E+00  
 DERIVATIVE OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES

R.V. NO. 1 - .1199967E+00  
 2 - .5267065E+00

VALUES OF THE SCALED STATE VARIABLES

.278970BE+02

VALUES OF THE SCALED ERROR VARIABLES

.2075754E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .7955681E+00

\*AECS\* REFRIGERANT TEST CASE

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DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1	.7531932E+02	-.1037228E+03		
	2	1.0.	-.2959876E+03		

MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .4745146E+02 DIRECTION COSINE = -.2482BB8E+00

DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 DERIVATIVES  
 1 -.2991566E+00  
 2 .9542040E+00

VALUES OF THE SCALED STATE VARIABLES

.2789568E+02

VALUES OF THE SCALED ERROR VARIABLES

.1199967E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .3949307E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1	.7531903E+02	.1039075E+03		
	2	1.0.	-.2957135E+03		

MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .4291248E+02 DIRECTION COSINE = -.2479737E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 DERIVATIVES  
 1 -.8502182E+00  
 2 -.5264304E+00

VALUES OF THE SCALED STATE VARIABLES

.2789201E+02

VALUES OF THE SCALED ERROR VARIABLES

.11694050E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .65030B0E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4
1	1	.7531828E+02	-.1038225E+03		

<sup>1</sup>  
<sup>2</sup> MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .3879280E-02 DIRECTION COSINE = -.2489192E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. 1 -.2982250E+00  
 2 .9544956E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2789086E+02 .2195550E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .1606917E+01 -.3240577E+00  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .1159137E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.7531805E+02	-.1039735E+03			
2		1.0.	-.2954509E+03			

<sup>1</sup>  
<sup>2</sup> MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .350722BE-02 DIRECTION COSINE = -.2486612E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES  
 1 -.8503585E+00  
 2 -.5262039E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2788787E+02 .2193705E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .138229BE+01 .5313247E+00  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .1047152E+01

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.7531744E+02	-.1039040E+03			
2		1.0.	-.2954192E+03			

<sup>1</sup>  
<sup>2</sup> MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .3169B64E-02 DIRECTION COSINE = -.2494353E+00  
 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
 S.V. NO. DERIVATIVES  
 1 -.2974619E+00  
 2 .9547337E+00

VALUES OF THE SCALED STATE VARIABLES  
 .2788693E+02 .2196731E+01  
 VALUES OF THE SCALED ERROR VARIABLES  
 .1311283E+01 -.2645549E+00  
 ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .9458997E+00

DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1		.7531724E+02	-.1040274E+03			
2		1.0.	-.2952364E+03			

MRD TRIAL NUMBER: 2 SOLN STEP SIZE = .2865197E+02 DIRECTION COSINE = -.2492240E+00 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES S.V. NO. DERIVATIVES  
1 -.8504733E+00  
2 -.5260183E+00

## VALUES OF THE SCALED STATE VARIABLES

• 2788449E+02

VALUES OF THE SCALED ERROR VARIABLES

• 2195224E+01

• 1127760E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .8544447E+00

## DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	.7531675E+02	-.1039707E+03				
2	1 0.	-.2952104E+03				

MRD TRIAL NUMBER: 3 SOLN STEP SIZE = .2589148E-02 DIRECTION COSINE = -.2498570E+00 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES S.V. NO. DERIVATIVES  
1 -.2968377E+00  
2 .9549279E+00

## VALUES OF THE SCALED STATE VARIABLES

• 2788373E+02

VALUES OF THE SCALED ERROR VARIABLES

• 2197696E+01

• 1069877E+01

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .7717709E+00

## DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	.7531659E+02	-.1040715E+03				
2	1 0.	-.2950612E+03				

MRD TRIAL NUMBER: 1 SOLN STEP SIZE = .2339859E-02 DIRECTION COSINE = -.2496839E+00 DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES S.V. NO. DERIVATIVES  
1 -.8505673E+00  
2 -.5258663E+00

## VALUES OF THE SCALED STATE VARIABLES

• 2788174E+02

VALUES OF THE SCALED ERROR VARIABLES

• 2196466E+01

• 9199870E+00

ROOT-MEAN-SQUARE OF THE SCALED ERRORS = .6971043E+00

## DERIVATIVE OF SCALED E.V. WITH RESPECT TO SCALED S.V.

S.V.	E.V.:	1	2	3	4	5
1	1 .7531618E+02	-.1040252E+03				
2	1 0.	-.2950399E+03				

MRD TRIAL NUMBER: 2

SIZE = 214.875 DIMENSION COMING FROM DERIVATIVES OF THE RMS ERROR WITH RESPECT TO THE SCALED STATE VARIABLES  
DERIVATIVES NO. S.V. NO. DERIVATIVES

1 -2963275E+00  
2 .9550864E+00

COMPONENT SHAFT

SHAFT 1 N 10000.  
\*AECS\* REFRIGERANT TEST CASE  
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COMPONENT VCOMP

NL	1	NSI	1	NSO	2	FT	3	FN	-22
W	.43	PI	92.00	P0	299.92	T1	519.88	T0	645.91
NL*****	NSI	3	NSO	2	FT	~0	FN	0	
W	0.00	PI	2.20	P0	299.92	T1	14.66	T0	645.91
SHAFT	1	PR	3.2600	EFF	.8500	HP	-.19		

COMPONENT COND

NL	1	NSI	2	NSO	3	FT	3	FN	-22
W	.43	PI	299.92	P0	299.77	T1	645.91	T0	544.29
NL	2	NSI	21	NSO	22	FT	2	FN	-1
W	4.00	PI	14.70	P0	14.57	T1	540.00	T0	583.54
EFF	.8824	Q	39.55					HI	0.0000
								HO	0.0000

COMPONENT CVALVE

NL	1	NSI	3	NSO	4	FT	3	FN	-22
W	.43	PI	299.77	P0	93.57	T1	544.29	T0	506.50
K	1.115244E+03							HI	34.8313
								HO	34.8313

COMPONENT EVAP

NL	1	NSI	4	NSO	5	FT	3	FN	-22
W	.43	PI	93.57	P0	91.91	T1	506.50	T0	520.48
NL	3	NSI	31	NSO	32	FT	2	FN	-1
W	2.20	PI	14.70	P0	14.66	T1	540.00	T0	510.92
								HI	.0150
								HO	.0077

BYPASS FACTOR .1319 Q 32.85

COEFFICIENT OF PERFORMANCE = 4.895

EVAPORATOR STATIONS 4

VAPOR COMPRESSOR STATIONS 1

\*AECS\* REFRIGERANT TEST CASE

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DATE 01/28/82

TIME E 34.95

FLOW RATE(S)-LB/MIN

( 1) .43 ( 2) 4.00 ( 3) 2.20

PRESSURE(S)-PSI

( 1) 92.00 ( 2) 299.92 ( 3) 299.77 ( 4) 93.57 ( 5) 91.91 ( 21) 14.70  
( 22) 14.57 ( 31) 14.70 ( 32) 14.66

TEMPERATURE(S)-DEG R

( 1) 519.88 ( 2) 645.91 ( 3) 544.29 ( 4) 506.50 ( 5) 520.48 ( 21) 540.00  
( 22) 583.54 ( 31) 540.00 ( 32) 510.92

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1)111.2000 ( 2)126.8038 ( 3) 34.8313 ( 4) 34.8313 ( 5)111.2176 ( 21) 0.0000  
( 22) 0.0000 ( 31) .0150 ( 32) .0077

STATE VARIABLE TYPE(S)

( 1) 6 ( 2) 1

AIR FLOW

AIR FURN

AIR EXHR

111.2176 -111.2176 -0.076

ERROR VARIABLE TYPE(S)

( 1) 2 ( 2) 4

OUTLET

ERROR VARIABLE(S)

( 1) 8.72805E-02 ( 2)-1.76205E-02

SOLUTION CONVERGED IN 11 TRY(S)

0 ERROR(S) DETECTED

CASE END

## 17. Subroutine VCOMP (Refrigerant Vapor Compressor)

### 17.1. Subroutine Description

The VCOMP subroutine simulates a refrigerant compressor, with saturated or superheated vapor entering at a relatively low pressure and leaving at a relatively high pressure. The leaving refrigerant is assumed to be saturated or superheated vapor. The simulation is applicable to dynamic (turbomachines) and positive-displacement compressors, including Roots-type compressors and Roots-type compressors with pocket feed.

### 17.2. Prior Simulation Method

The previous simulation method was restricted to compressors other than the Roots type. Therefore, the ideal compressor was assumed to be isentropic. As in the present simulation method, the compressor was assumed to be adiabatic.

### 17.3. New Simulation Method

The new simulation method adds an input option in which the Roots type of compressor can be selected, either with or without pocket feed. The performance of the conventional Roots compressor is based on the leg flow rate and the pressure ratio, which is obtained either as a state variable or as a tabulated input based on the flow rate and the shaft speed. If a Roots compressor with pocket feed is used, an iterative solution to the governing equations gives the inlet and pocket flows, as well as the outlet pressure, temperature and enthalpy.

### 17.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program in Exhibit 17.4-1. The procedure used for the conventional compressors is based on the usual isentropic efficiency, which is entered as a table by the user, with the independent variables being the volumetric flow rate and the shaft speed. No changes have been made in this part of the simulation. Note that if the pressure ratio is selected as a state variable, the compressor flow rate is assumed to exactly match the leg flow rate; the flow/pressure characteristics of the compressor are not used.

Whereas for the conventional compressor, the work is based on the isentropic ideal, for the Roots compressor the work is based on the ideal of the product of the displacement and the pressure difference. The thermodynamic ideals for the two types of compressors are inherently different. In the Roots compressor, the low-pressure vapor is suddenly exposed to the high-pressure exit, so much entropy is generated. Although the Roots compressor is, therefore, inherently less efficient than the conventional compressor, its simplicity gives

### Exhibit 17.4-1: Performance-Program Logic and Listing

```
SUBROUTINE VCMPPP
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(IFB,C(55)),(IGA,C(35))
*,(PASS,C(17)),(ISVT,C(46)),(ISV,C(47)),(IFP,C(22))
*,(ICPP,C(88)),(OUT,C(7)),(QJC,C(371)),(IEV,C
        (49)),(IEVT,C(48))

DIMENSION SCR(30)
INTEGER OUT,PASS
EQUIVALENCE (SCR(1),NLI),(SCR(2),NSI),(SCR(3
        ),NSO),(SCR(4),NST)
*,(SCR(5),IOP),(SCR(6),PR),(SCR(9),EFF),(SCR(10),JSVI)
*,(SCR(11),KT),(SCR(12),IDISP),(SCR(13),NSP),(SCR(14),NLP)
*,(SCR(15),NLO),(SCR(16),FH),(SCR(17),T),(SCR(18),HP)
*,(SCR(19),WT),(SCR(20),PS),(SCR(21),TS),(SCR(22),HS)
*,(SCR(23),VP),(SCR(24),PI),(SCR(25),TI),(SCR(26),HI)
*,(SCR(27),PO),(SCR(28),VO),(SCR(29),HO)
EQUIVALENCE (SCR(30),I1)
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))
EQUIVALENCE
*(D(43),H1),(D(44),T1),(D(45),V1),(D(46),V2)
*,(D(47),T2T),(D(48),ITERATE)
*,(D(49),X2),(D(50),X1),(D(51),EV),(D(52),DR)
*,(D(53),DI),(D(54),DL),(D(55),WI),(D(56),WS)

C 1 COMP CODE
C 2 LEG NO FOR INLET
C 3 INLET STATION NO
C 4 OUTLET STATION NO
C 5 SHAFT NO
C 6 STATE VARIABLE OPTION (0 IF NO STATE VARIABLE)
C 7 PRESSURE RATIO
C 8 PRESSURE RATIO TABLE NO
C 9 EFFICIENCY TABLE NO
C 10 MECHANICAL EFFICIENCY
C 11 STATE VARIABLE INDEX
C 12 COMPRESSOR-TYPE OPTION
C*** IF ROOTS TYPE COMPRESSOR, INSERT ADDITIONAL DATA
C 13 DISPLACEMENT IN CUBIC FEET
C*** INSERT A NEW STATION IDENTIFICATION FOR POCKET FEED
C 14 POCKET-FEED INLET STATION
C 15 POCKET-FEED LEG NO
C 16 LEG NO OF OUTLET
C 17 FRACTION OF LEAKAGE FLOW TO POCKET
C*** THIS SUBROUTINE DETERMINES THE OUTLET P,T,H A
        ND, IF POCKET FEED,
C   THE POCKET-FEED PRESSURE TO GIVE THE CORRECT
        INLET FLOW RATIOS
IRCD = IRCDB(18)
C*** SET UP THE INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY
NLI = ID(IRCD+2)
IOP=ID(IRCD+6)
KT=ID(IRCD+12)
```

```

C*** IF POSITIVE DISPLACEMENT, INCLUDE THE DISPLACEMENT
    IF (KT.NE.0) DISP=D(ID(IRCD+13)) .
    IF (KT.NE.2) GO TO 5
C*** IF A ROOTS COMPRESSOR WITH POCKET FEED, ADD FOUR PARAMETERS
    FH=D(ID(IRCD+17))
    NLO=ID(IRCD+16)
    NLP=ID(IRCD+15)
    NSP=ID(IRCD+14)
5   NST=ID(IRCD+5)
    LOCT = ID(IFB+NLI)
    NSI=ID(IRCD+3)
    NSO=ID(IRCD+4)
    LOCT = ID(LOCT+3)
    D(IGA+41) = D(IW+NLI)
    JSVI = ID(IRCD+ 11)
    JEV1 = ID(IRCD + 18)
    NPA = NST + 90
    EFF=D(ID(IRCD+10))
    NSA=NST+80
    ITERATE=0
C*** SHAFT SPEED AS OBTAINED FROM SHAFT
C     AND RPM IS A TLUP PARAMETER.
    D(IGA+101)=D(IGA+NSA)
    RPM=D(IGA+NSA)
C*** VOLUMETRIC FLOW RATE FOR USE IN COMPRESSOR CHARACTERISTIC (TLUP)
    V = VSV(LOCT,D(IP+NSI),D(IT+NSI) )
    D(IGA+28) = D(IW+NLI) * V
    I1 = ID(IRCD+7)
C*** SET UP THE STATE VARIABLE, THE PRESSURE RATIO, IF IOP=1
    IF(IOP-1) 9,10,8
C*** PRESSURE RATIO AS A FUNCTION OF INLET CFM AND RPM
C*** SYSTEM WILL NOT CONVERGE IF D(PR)/D(FLOW)=0 OR INFINITY
8   PR=TLUP(ID(IRCD+8))
    IF(PR.LT.1.0)PR=1.0+PR/1000.
    IF(PR.GT.1000.)PR=1000.+PR/1000.
    GO TO 12
9   PR=D(I1)
    GO TO 12
10  IF(PASS.NE.1) GO TO 11
    ID(ISVT+JSVI) = 8
    D(ISV+JSVI) = D(I1)
C*** WITH PR A STATE VARIABLE, THE FLOW MAP IS NOT USED. THE
C     COMPRESSOR CHARACTERISTIC IS ASSUMED TO BE SUCH THAT THE
C     FLOW CAN BE DELIVERED AT THE VALUE OF THE PRESSURE RATIO USED
    11 PR=D(ISV+JSVI)
C*** ETA IS THE COMPRESSOR EFFICIENCY AS A FUNCTION OF FLOW AND RPM
12  ETA=TLUP(ID(IRCD+9))
    IF(ETA.LE.0.) ETA=0.01+ETA/1000.
    IF(ETA.GE.1.) ETA=1.+ETA/1000.
    D(IP+NSO)=PR*D(IP+NSI)
    IF(KT-1) 64,57,22

```

```

C*** ROOTS COMPRESSOR WITH POCKET FEED
C VARY PS TO GET INLET FLOW VALUES CORRECT
C THEN PS WILL NOT AGREE WITH D(IP+NSP), ERROR VAR RESULTS
22 D(IW+NLO)=D(IW+NLI)+D(IW+NLP)
    DEVHI= - D(IW+NLP)/D(IW+NLI)
    DEVLOW=1. + DEVHI
    PLow=D(IP+NSI)
    PHI=D(IP+NSO)
    WT=D(IW+NLP)
    WO=D(IW+NLO)
    PS=D(IP+NSP)
    TS=D(IT+NSP)
    HS=D(IH+NSP)
    VP=VSV(LOCT,PS,TS)
    PI=D(IP+NSI)
    TI=D(IT+NSI)
    HI=D(IH+NSI)
    PO=D(IP+NSO)
    DISP1=DISP
    EV1=D(IW+NLI)*V/(DISP*RPM)
C*** IF VOLUMETRIC EFFICIENCY IS GT 0.99, RESET IT
    IF(EV1.LT.0.99) GO TO 21
    DISPL1=D(IW+NLI)*V/RPM
    EV1=1.
    WRITE(OUT,1003) EV1,DISP1
1003 FORMAT(1H0,5X,43HWARNING IN VCMPPP: VOLUMETR
IC EFFICIENCY IS,
* E15.7,/,5X,47H AS COMPUTED FROM RPM AND FLOW.,
* /," DISPLACEMENT IS TEMPORARILY RESET TO ",
* E14.7," SO V.E.=1.0")
C*** AS A FIRST APPROXIMATION WE LET
21 H1=HI
    T1T=TI
    T2T=TS
    V1=V
    V2=VP
    H2=HS
    W=RPM*DISP1*(PO-PI)*0.185053/ETA
    HO=HI+W/D(IW+NLI)
    CALL VTAV2(LOCT,TOUT,V0,PO,HO)
C*** BEGIN THE ITERATIONS
    EV=1.-(1.-EV1)/EV1*D(IW+NLI)/D(IW+NLO)
    X1=FH*(1.-EV)/(2.-EV)
    X2=(1.-FH)*(1.-EV)/(2.-EV)
30 V1=HI/(H1/V1-X2*(HO-HI)/V2)
C*** NEWTON-RAPHSON METHOD T1 AND H1 VS P1, V1
31 V1T=VSV(LOCT,PI,T1T)
    DV=VSV(LOCT,PI,T1T+1.)-V1T
    T1=T1T*(V1/V1T)**(V1T/(T1T*Dv))
    IF(ABS(T1-T1T).LT.0.05) GO TO 311
    T1T=T1
    GO TO 31
311 H1=VH(LOCT,PI,T1,V1)
    DDEN=(H2/V2-H1/V1-0.185053*(PS-PI)-X1*(HO-HS)/V1)

```

```

*      /(HS+X1*(HO-HS))
V2=1./(1./V1+DDEN)
HO=V2*(2.-EV)*(W/(RPM*DISP1)+(1./V1-X2/V2)*H
I+(DDEN-X1/V2)*HS)

C*** NEWTON-RAPHSON METHOD FOR T2, H2 VS PS, V2
32 V2T=VSV(LOCT,PS,T2T)
DV=VSV(LOCT,PS,T2T+1.)-V2T
T2=T2T*(V2/V2T)**(V2T/(T2T*D))
IF(ABS(T2-T2T).LT.0.05) GO TO 33
T2T=T2
GO TO 32
33 H2=VH(LOCT,PS,T2,V2)
CALL VTAV2(LOCT,TOUT,VO,PO,HO)
WO=RPM*DISP1/(V2*(2.-EV))
WI=RPM*DISP1/V1-X2*WO
WO=WO/(2.-EV)
WS=WO-WI
C*** FLOW RATE MUST BALANCE WITHIN 0.1%
IF (ABS(WS-WT)/D(IW+NLO).LT.0.001) GO TO 36
WT=WS
GO TO 30
36 WS=WO-WI
IF (WS.GE.0..AND.WI.GE.0.) GO TO 38
WRITE (OUT,1002) WI,WS,WO
1002 FORMAT (1H0,5X,42HIN ROOTS VCMPPP, ONE FLOW
WAS NEGATIVE BUT,
* 14H RESET TO ZERO,/,10X,15HINLET FLOW WAS ,E14.7,/,10X,
* 15HPOCKET FLOW WAS,E14.7,/,10X,15HOUTLET FLOW WAS,E14.7,/)
IF (WI.LT.0.) GO TO 37
WS=0.
WI=WO
GO TO 38
C*** WE CANNOT LET THE MAIN INLET FLOW BE ZERO
37 WI=0.001*WO
WS=.999*WO — W
38 CONTINUE
7698 D(IT+NSO)=TOUT
D(IH+NSO)=HO
C*** IN ITERATING FOR THE POCKET PRESSURE, WE CONV
ERGE ON THE RATIO
C OF THE FLOW RATES (POCKET TO MAIN) MATCHING THE RATIO OF THE
C LEG FLOWS. WE CANNOT MATCH THE INDIVIDUAL FL
OWS IF PR IS GIVEN,
C BECAUSE THE COMPRESSOR SIZE IS NOT GIVEN IN THAT CASE
DEV=-WS/WI+D(IW+NLP)/D(IW+NLI)
C*** POCKET PRESSURE HAS CONVERGED IF THE DEVIATION LT 0.01%
IF (ABS(DEV).LT.0.0001) GO TO 39
C*** USE STRADDLING PROCEDURE TO GET CONVERGENCE
IF (DEV.GT.0.) GO TO 41
PHI=PS
DEVHI=DEV
GO TO 42
41 PLow=PS
DEVLOW=DEV

```

```

42 ITERATE=ITERATE+1
PS=PLOW-(PHI-PLOW)*(DEVLOW)/(DEVHI-DEVLOW)
IF(ITERATE>300)21,21,43
43 WRITE(OUT,1089)
1089 FORMAT(" *** EXCEEDED 300 ITERATION LIMIT IN VCOMP"/
* " *** THE SPECIFIED INLET FLOW DID NOT MATCH THE"/
* " *** OUTLET FLOW AS A FRACTION. WHERE:"/
* " *** FRAC = (SPECFLOW - FLOWIN) / OUTFLOW")
WRITE(OUT,1090)D(IW+NLI),WI,D(IW+NLO),PR
1090 FORMAT(" *** FLOW SPEC = ",E14.7," IN = ",E1
4.7," OUT = ",E14.7,/,"
* " CONTINUING AS IF FLOWS BALANCE, WITH PR = ",E14.7)
39 IF(PASS.NE.1) GO TO 55
ID(IEVT+JEVI)=2
55 D(IEV+JEVI)=PS-D(IP+NSP)
HP=-.02356*(D(IW+NLO)*D(IH+NSO)-D(IW+NLI)*D(IH+NSI)-
*D(IW+NLP)*D(IH+NSP))/EFF
GO TO 67
C*** CONVENTIONAL ROOTS COMPRESSOR
57 WORK=RPM*DISP*(PO-PI)*144./QJC/ETA
D(IH+NSO)=D(IH+NSI)+WORK/D(IW+NLI)
GO TO 66
C*** ISENTROPIC COMPRESSION FOR IDEAL COMPRESSOR
64 S = VS(LOCT,D(IT+NSI),V )
CALL VTAV1(LOCT,T,V,D(IP+NSO),S )
H = VH(LOCT,D(IP+NSO),T,V )
D(IH+NSO) = D(IH+NSI) + (H - D(IH+NSI))/ ETA
CALL VTAV2(LOCT,D(IT+NSO),V,D(IP+NSO),D(IH+NSO) )
66 HP = -.02356 * D(IW+NLI)*(D(IH+NSO) - D(IH+NSI))/EFF
67 D(IGA+NPA) = D(IGA+NPA) + HP
IF(IFP.NE.1. OR. ICPP.NE.0) GO TO 99
CALL PIOP(1,NLI,NSI,NSO)
CALL PIOP(2,NLP,NSP,NSO)
CALL LINES(2)
WRITE(OUT,1001) NST,PR,ETA,HP
1001 FORMAT(1H0,5X,6HSHAFT ,I4,3X,2HPR,F8.4,3X,3HEFF,F7.4,3X,
* 2HHP,F8.2 )
99 CONTINUE
RETURN
C      VCMPPP
      END

```

it a mechanical appeal. There are no valves to fail or leak. In addition, the pocket-feed Roots compressor has the apparent advantage of requiring a smaller volume for a given refrigeration effect.

In the Roots compressor with pocket feed, the relationship for the work is quite complicated, even if ideal gases are used. The pocket-feed vapor is added suddenly to the low-pressure vapor inside the compressor, generating entropy in the process (a high-pressure vapor is being admitted to a constant-volume container). The constant-volume container also receives vapor leaking past the tip and face seals from the discharge port. The pressure in the pocket is assumed to rise to the pocket-feed pressure. The resultant mixture is then suddenly compressed by exposure to the discharge vapor, with this process generating additional entropy.

### 17.5. Program Listing

Exhibit 17.4-1, which presents the computational procedure, also is the program listing as used in AECS, with the exception that the comment cards have been removed from the AECS listing to conserve computer storage space.

### 17.6. Sample Case

The sample case for the VCOMP subroutine uses a Roots compressor with pocket feed. There are no other components in the system. The input data are shown in AECS format in Exhibit 17.6-1. The diagram in this exhibit illustrates the system; however, the values in the diagram are the solution values, whereas the parameter values in the input format are the initial guesses. The output data are shown in Exhibit 17.6-2. Some of the output has been omitted for brevity.

The values used in the input tables were chosen for brevity and convenience. Few compressors have the linear characteristic used. If the more realistic values presented in Appendix D had been used, the input data would have been longer and the manual checkout, more difficult.

### 17.7. Technical Background

The theory of the conventional compressors with the isentropic ideal is treated in most undergraduate text books in engineering thermodynamics. The theory for the conventional Roots compressor is contained in some of the texts on internal combustion engines (e.g., Edward F. Obert: Internal Combustion Engines. Third Edition: Scranton, Pa.: International Textbook Company (1968)).

The theory for the Roots compressor with pocket feed was developed for perfect gases by the hardware developer, Calspan Advanced Technology Center. The theory is described in: Roger Weatherston and George Duryea: "A Multi-Effect Two-Stage Roots Compressor for Aircraft Cooling Applications" (Wright-Patterson Air Force Base, Ohio, Technical Report AFWAL-TR-80-3135 (1980)). We revised this theory for fluids other than perfect gases. The theory involves three steps:

- a. The inlet vapor from the evaporator enters the Roots compressor at the inlet pressure (the inlet pressure loss is neglected);
- b. After the lobe of the compressor seals the space between the lobes from the inlet, vapor at an intermediate pressure is admitted to this space. Typically, this vapor would come from a liquid/vapor separator from which the vapor is extracted for admission to the "pocket" between the lobes. The pocket pressure rises to the intermediate pressure.
- c. As the rotor continues to turn, it seals the pocket from the intermediate pressure and opens the pocket to the high exhaust pressure, thereby completing the transfer from the low and intermediate pressures to the high pressure.

The analysis includes leakage past the tips of the lobes and across the face of the rotor into both the pocket and the inlet of the compressor. Mechanical losses are included via the mechanical efficiency.

When options 0 or 1 are chosen, as was done in the prior version of AECS, the flow-vs.-head characteristic of the compressor is ignored. Instead, the simulation model assumes that the pressure ratio can be attained at whatever flow rate AECS computes for the system. Therefore, the results of the simulation give the flow-vs.-head characteristic that would be required of a compressor to meet the system needs.

Options 0 and 1 pose a new problem for the Roots compressor with pocket feed. Instead of a single inlet flow, there are two flows: the low-pressure inlet and the pocket inlet. Therefore, some modification of the prior version of AECS was required. The following modification was made: the Roots simulation with pocket feed requires, in its internal iteration scheme, that the ratio of the pocket flow to the low-pressure flow match the ratio of the corresponding system flow rates computed by AECS. The pocket pressure is adjusted to the match the ratios. The difference between the pocket pressure as computed for the system and as required to match the flow ratio is the error variable generated by VCOMPP; this error will be minimized in the solution process by the selection of the state variables. The thermodynamics of the compressor are then faithfully simulated. If such matching were not required, unrealistic flow ratios would be tolerated by AECS.

Exhibit 17.6-1: Input Cards and Flow Diagram for the Sample Case

PERFORM

TITLE EXAMPLE CASE FOR COMPRESSOR WITH ROOTS POCKET OPTION

CASEA VCOMP 0000 3 4 0

CASEB 0 0 0 0 0

CASEC 0.0 0.0 0.0

CASED 0.0

PARAM 15

VALUES 1 1.0 158.5674 595.45 122.026 1140.

VALUES 6 1.74 .85 .000369 .9

VALUES 11 0.04 200.0000 600.00 121.100

RINLET 20 1 30100 1 2 3 4 3 -22

RINLET 22 3 50000 11 12 13 14 3 -22

SHAFT 30 1 0 5

VCOMP 40 1 3 9 1 0 6 71 72 7 2 8 5 3 2 9

ROUTLT 70 2 90000 1 2 3 4

TABID 71 4 33 0 0 280101 2 0 101 101 2

TABT VCOMP: PRESSURE RATIO = F(FLOW RATE, SHAFT SPEED)

TABV 0.0 1.0

TABV 0.0 11.0

TABV 1000. 11000.

TABV 2.0 1.0 20.0 1.0

TABID 72 6 33 0 0 280101 2 0 101 101 2

TABT VCOMP: EFFICIENCY = F(FLOW RATE, SHAFT SPEED)

TABV 0.0 1.0

TABV 0.0 11.0

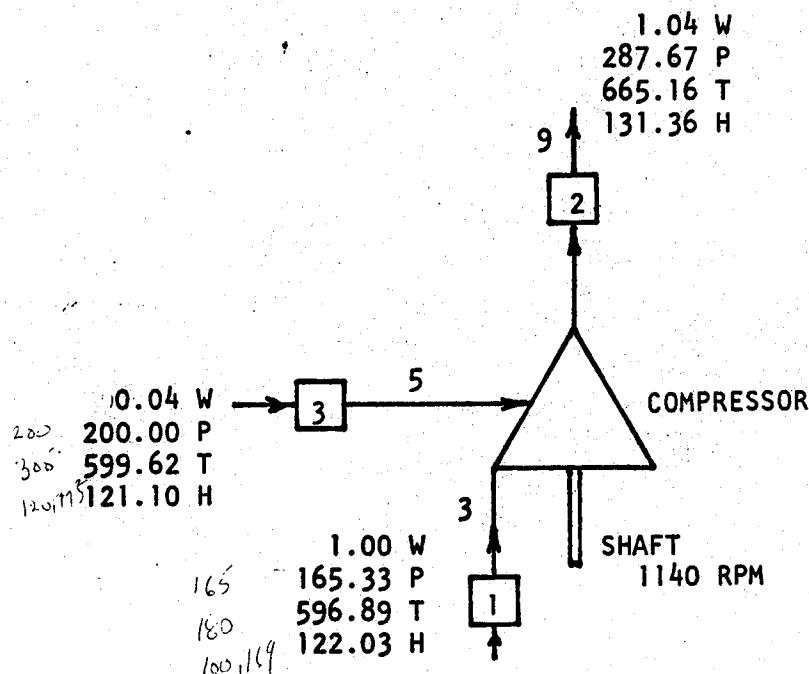
TABV 1000. 11000.

TABV 0.85 0.85 0.85 0.85

PTAB 1 0 1 0

ENDCASE

ENDJOB



## Exhibit 17.6-2: AECS Output for the Sample Case

TIME P 23.09

SVT ( -1 ) 2

EVT ( -1 ) 2

PASS 1

S.V. ( -1 ) 1.58567E+02

E.V. ( -1 ) -2.48482E+01

W ( -1 ) 1.00000E+00 ( 3 ) 4.00000E-02 ( 2 ) 1.04000E+00

P ( -3 ) 1.58567E+02 ( 5 ) 2.00000E+02 ( -9 ) 2.75907E+02 ( 0 ) 0.

T ( -3 ) 5.95449E+02 ( 5 ) 5.99623E+02 ( -9 ) 6.65363E+02 ( 0 ) 0.

H ( -3 ) 1.22026E+02 ( 5 ) 1.21100E+02 ( -9 ) 1.31792E+02 ( 0 ) 0.

COMPONENT SHAFT

SHAFT 1 N 1140.

COMPONENT VCOMP

NL 1 NSI 3 NSO 9 FT J FN -22

W 1.00 PI 165.33 PO 287.68 TI 596.89 TO 665.16 HI122.0260 H0131.3652

NL 3 NSI 5 NSO 9 FT J FN -22

W .04 PI 200.00 PO 287.68 TI 599.62 TO 665.16 HI121.1000 H0131.3652

SHAFT 1 PR 1.7400 EFF 8500 HP -.27  
\*AECS\* EXAMPLE CASE FOR COMPRESSOR WITH ROOTS POCKET OPTION  
1 CASE VCOMP

TIME E 33.66

FLOW RATE(S)-LB/MIN

( 1 ) 1.00 ( 2 ) 1.04 ( 3 ) .04

PRESSURE(S)-PSI

( 3 ) 165.33 ( 5 ) 200.00 ( 9 ) 287.68 ( 0 ) 0.00

TEMPERATURE(S)-DEG R

( - 96.89 ( 5) 399.62 ( 9) 665.16 ( 0) 0.00  
HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB  
( 3)122.0260 ( 5)121.1000 ( 9)131.3652 ( 0) 0.0000

STATE VARIABLE TYPE(S)  
( 1) 2

STATE VARIABLE(S)  
( 1) 1.65332E+02

ERROR VARIABLE TYPE(S)  
( 1) 2

ERROR VARIABLE(S)  
( 1) 0.

SOLUTION CONVERGED IN 6 TRY(S)

0 ERROR(S) DETECTED

CASE END

## 18. Subroutine VLINE (Refrigerant Line)

### 18.1. Subroutine Description

The VLINE routine simulates a refrigerant line in which liquid only, vapor only or two phases are flowing. Heat transfer to and from a constant-temperature environment is included. Friction and momentum pressure drops are computed. Fittings are included with either an equivalent-length or velocity-head-factor specification. The line is assumed to have a circular cross-section.

### 18.2. Prior Simulation Method

Previously, VLINE obtained the pressure drop from a user-supplied table. There were no computations associated with the flow processes, except for those performed by the user in developing the input table.

### 18.3. New Simulation Method

The pressure drop is computed from the theory discussed under QBOILR. Heat exchange to or from the line is based on the input values of the heat-transfer coefficient and the surrounding temperature. The refrigerant temperature is taken to be that at the inlet to the line. The line is presumably insulated, so the heat-transfer coefficient will depend almost exclusively on the thickness of the insulation, so no correction is made for longitudinal changes in the heat-transfer coefficient between the refrigerant and the wall of the line. The exit quality is computed from the heat exchange with the surroundings and an energy balance on the refrigerant.

With the known inlet and exit qualities, the pressure drop due to momentum change can be computed as was done for QBOILR. The frictional pressure drop is also computed in the same manner as for QBOILR, with the path length being taken as the sum of the physical length and the equivalent length of the fittings. If a velocity-head factor (K-factor) characterizes some or all of the fittings, the pressure drop associated with the K-factor is computed first for liquid-only flow, then for vapor-only flow. The two-phase K-factor effect is computed as the weighted average of the two single-phase pressure drops, with the weighting factor being the same as used in computing the friction pressure drop. *? from Baroczy? as in QBOILR* yes

The theory may not be applicable if there is significant condensation in the line, because flooding could occur. However, most lines will be insulated enough or short enough that only minor condensation will be experienced. Whether condensation is small or not, the subroutine will return with apparently reasonable values.

#### 18.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN program in Exhibit 18.4-1.

The simplifying assumption is made in computing the frictional pressure drop that the average rate of pressure decrease ( $dp/dz$ ) is equal to the average between the rate of pressure decrease at the inlet and the rate of pressure decrease at the outlet. The computational procedure could be improved if the transition zones between single- and two-phase flows were calculated; however, the heat exchange between the surroundings and the refrigerant is usually so small that the inlet and outlet pressure gradients differ little, so use of the arithmetic average will incur little error.

#### 18.5. Program Listing

Exhibit 18.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, the AECS program does not include the comment cards.

#### 18.6. Sample Case

The sample case for VLINE was performed for vapor entering the line. The input data are shown in AECS form in Exhibit 18.6-1 in keeping with the schematic shown in the same exhibit. However, the exhibit shows the outlet state corresponding to the solution, which was computed by AECS and is shown in Exhibit 18.6-2.

#### 18.7. Technical Background

The theory for the pressure drop in the line is taken from Baroczy, with Baroczy's data being recast in the more convenient, interpolation formula derived under this contract. The algebraic approximation to Baroczy's data was also derived under this contract.

The heat exchange with the surroundings is characterized by a heat-transfer coefficient between the refrigerant and the surroundings, with the area being the internal area of the line. The relevant theory is given in any text on heat transfer. Because the line will be insulated, at least in most cases, the heat-transfer coefficient is approximately equal to the thermal conductivity of the insulation divided by its thickness, with the result being expressed in Btu/hr-sf-F.

**Exhibit 18.4-1: Performance-Program Logic and Listing**

```

SUBROUTINE VLNEPP
REAL K,L,LE,LI,M,MI,MO
COMMON /CC/ C(400)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))
*,(IH,C(30)),(SCR(1),C(151)),(IFB,C(55)),(IGA,C(35))
*,(OUT,C(7))
EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3)
,NSO),(SCR(4),ISIG)
*,(SCR(5),LOCT),(SCR(6),UAPDL),(SCR(7),DH),(SCR(8),L)
*,(SCR(9),K),(SCR(10),LE),(SCR(11),TS)
DIMENSION SCR(30)
INTEGER PASS,OUT
COMMON /DC/ DZ(2),D(2)
DIMENSION ID(2)
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG NO
C 3 INLET STATION NO
C 4 OUTLET STATION NO
C 5 TABLE/EQUATION OPTION
C 6 FRICTION FACTOR TABLE NO
C 7 HEAT LOSS FACTOR (UAPDL) IN BTU/HR-F DIVIDED BY PI*DH*LENGTH (ft2) BTU (ft2-hr-°F)
C 8 HYDRAULIC DIAMETER IN FEET (DH)
C 9 LINE LENGTH IN FEET (L)
C 10 VELOCITY HEAD LOSS COEFFICIENT (K)
C 11 EQUIVALENT-LENGTH LOSS COEFFICIENT (LE)
C 12 SOURCE/SINK TEMPERATURE RANKINE (TS)
C*** THE FOLLOWING FUNCTION COMPUTES THE AVERAGE TWO-PHASE FRICTION LOSS
C BASED ON A SMALL CHANGE IN QUALITY (X)
P(X,PB)=-PB*X**1.65+(1+PB)*(X**.7+X*(1.-X)**1.3)
C*** THE FOLLOWING FUNCTION COMPUTES THE VOID FRACTION
VV(X)=X/(X+SL*(1.-X)/VR)
C*** THE FOLLOWING FUNCTION COMPUTES THE MOMENTUM OF THE FLOW
M(X)=((1.-X)/(1.-V))**2*(1.-V*(1-SL*SL/VR))
C*** SET UP INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY
IRCD = IRCD(12)
NL = ID(IRCD+2)
NSI = ID(IRCD+3)
NSO = ID(IRCD+4)
LOCT = ID(IFB+NL)
LOCT = ID(LOCT+3)
UAPDL=D(ID(IRCD+7))
DH=D(ID(IRCD+8))
L=D(ID(IRCD+9))
K=D(ID(IRCD+10))
LE=D(ID(IRCD+11))
TS=D(ID(IRCD+12))
W=D(IW+NL)
PI=D(IP+NSI)
TI=D(IT+NSI)
HIN=D(IH+NSI)
C*** COMPUTE THE SATURATION DENSITIES

```

$W_D = W_{VAP} + W_{LI}$   
 $W_D = \frac{W}{D^2}$   
 $V_F = V_D / D$

$V_F = 1.0 / VDL(LOCT, TI)$   
 $V_G = VSV(LOCT, PI, TI)$

C\*\*\* COMPUTE THE REYNOLDS NUMBER FOR LIQUID-ONLY FLOWING  
 $GD = W / (60 * 3.14159 * DH / 4.)$   
 $D(IGA+21) = GD / VVISCF(LOCT, PI, TI)$

C\*\*\* AND LOOK UP THE FRICTION FACTOR  
 $F = TLUP(ID(IRCD+6))$

C\*\*\* COMPUTE THE INLET PRESSURE DROP RATE AS IF LIQUID-ONLY FLOWS  
 $LI = (4. * F * (L+LE) / DH + K) * VF * GD^{**2} / (2 * 32.2)$

C\*\*\* REPEAT FOR VAPOR-ONLY FLOWING  
 $D(IGA+21) = GD / VVISCV(LOCT, PI, TI)$   
 $F = TLUP(ID(IRCD+6))$

C\*\*\* COMPUTE THE INLET PRESSURE DROP RATE AS IF VAPOR-ONLY FLOWS  
 $GI = (4. * F * (L+LE) / DH + K) * VG * GD^{**2} / (2 * 32.2)$

C\*\*\* COMPUTE THE TWO-PHASE-FLOW PARAMETERS: DENSITY RATIO, PRESSURE-DROP

C RATIO, SLIP AND QUALITY:  
 $VR = VG / VF$   
 $PB = .25 * .4343 * ALOG(LI / GI)$   
 $IF(PB.LT.-1.) PB = -1.$   
 $SL = SQRT(SQRT(VR-1.))$   
 $X = VQUALH(LOCT, PI, HIN)$   
 $IF(X) 380, 380, 390$

C\*\*\* LIQUID-ONLY IS FLOWING (SINGLE PHASE)  
 380 DI = LI  
 $MI = 1.$   
 GO TO 460

390 IF(X < 1.) 400, 395, 395

C\*\*\* VAPOR-ONLY IS FLOWING (SINGLE PHASE)  
 395 DI = GI  
 $MI = VR$   
 GO TO 460

C\*\*\* TWO-PHASE FLOW  
 C FIRST COMPUTE THE FRICTION LOSS  
 400 DI = LI + P(X, PB) \* (GI - LI)

C\*\*\* NEXT COMPUTE THE MOMENTUM LOSS (OR GAIN)  
 $V = VV(X)$  area of line  $\Rightarrow$  implies  $UAPDL$  is per  $ft^2$  of "line"  
 $MI = M(X)$  not  $(BTU/min ft^2 of line)$

C\*\*\* COMPUTE THE HEAT LOSS (OR GAIN) FROM THE LINE  
 460  $QQ = UAPDL * 3.14159 * DH * L * (TS - TI)$   $1bm/hr \Rightarrow$  implies  $QQ$  is in  $BTU/hr$  (and  $UAPDL$ )

HOUT = HIN + QQ / (W \* 60.)

C\*\*\* COMPUTE THE OUTLET QUALITY AND DETERMINE FLOW CONDITIONS  
 $X = VQUALH(LOCT, PI, HOUT)$  in  $BTU/min ft^2 hr of$

$IF(X) 510, 510, 520$

C\*\*\* LIQUID-ONLY IS FLOWING AT THE OUTLET  
 510 DO = LI  
 $MO = 1$   
 GO TO 560

520 IF(X.LT.1.) GO TO 521

C\*\*\* VAPOR-ONLY IS FLOWING AT THE OUTLET specific volume  
 $DO = GI$   $\Rightarrow$   $P_f = P_v$  (X)  $\Rightarrow$   $P_f = P_v$  (X)  $\Rightarrow$   $P_f = P_v$  (X)  
 $MO = VR$   
 GO TO 560

C\*\*\* THE FLOW IS TWO-PHASE AT THE OUTLET

C COMPUTE THE FRICTION AND THEN THE MOMENTUM LOSS  
 521 DO=LI+P(X,PB)\*(GI-LI)  
 V=VV(X)  
 MO=M(X)  
 \*\*\* COMBINE THE FOREGOING TO OBTAIN THE OUTLET PRESSURE  
 560 POUT=PI-((DI+DO)/2+(MI-MO)\*GD\*\*2\*VF/(32.2))/144.  
 \*\*\* CHECK FOR NEGATIVE ABSOLUTE (IMPOSSIBLE) PRESSURES  
 IF(POUT)<570,570,580  
 -570 WRITE(OUT,2200)  
 2200 FORMAT(" \*\*\* PRESSURE OUT OF VLINE WAS UNREALISTIC \*\*\*")  
 WRITE(OUT,2201) POUT,PI  
 2201 FORMAT(" \*\*\* OUTLET PRESSURE ",1PE12.5," WAS  
 SET TO INLET PRESSURE  
 \* ",1PE12.5)  
 POUT=PI  
 580 D(IP+NS0)=POUT  
 590 D(IH+NS0)=HOUT  
 D(IW+NL)=W  
 D(IT+NS0)=TI  
 IF (IFP.NE.1 .OR. ICPP.NE.0) GO TO 99  
 CALL PIOP(1,NL,NSI,NS0)  
 CALL LINES(2)  
 WRITE(OUT,591) NSI,NS0,(POUT-PI),D(IW+NL)\*(D  
 (IH+NSI)-D(IH+NS0))  
 591 FORMAT(5X,"VAPOR LINE FROM STATION",I10,"TO STATION",I10,  
 \*"HAS A PRESSURE DROP OF",E17.7,"PSI AND A HE  
 AT LOSS OF",E17.7,  
 \*"BTU/MIN")  
 99 CONTINUE  
 RETURN  
 C VLNEPP  
 END

label 560:

DI + DO have units of  $\text{lbf}/\text{ft}^2$  already, only need  
 $(DI+DO)/2/144.$ , not all other factors

Compare p 87 and p 91,  $\Delta P$  for QBOILR,  
 which looks good.

Exhibit 18.6-1: Input Cards and Flow Diagram for the Sample Case

PERFORM  
TITLE TEST OF RINLET, ROTLET, WITH ALL NEW THRU VLINE ONLY.

TITLE R-22 REFRIGERANT

CASEA R 22 0000 1 2 0

CASEB 0 0 0 0 0

CASEC 0. 0.

CASED 0.

PARAM 10 36

VALUES 01 0.4331 85.1276

VALUES 06 .03 D<sub>h</sub> 10.0 L (ft)

RINLET 10 1 10000 1 2 3 4 3 -22

VLINE 20 1 1 2 0 -1 5 6 7 8 9 10 T<sub>AMB</sub>

ROUTLT 30 1 20000 1 2 3 4

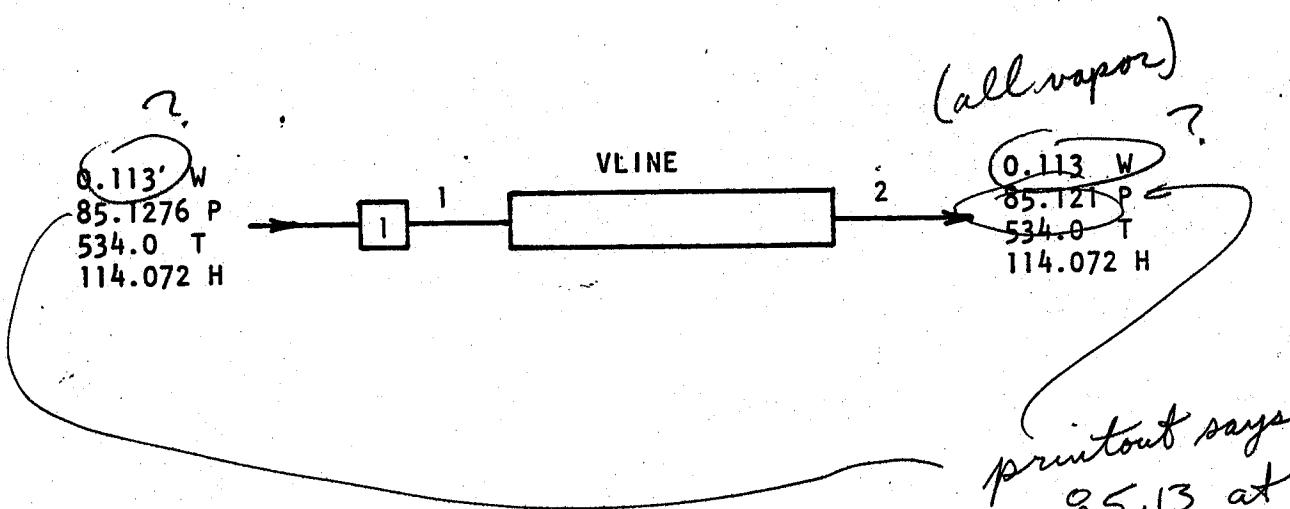
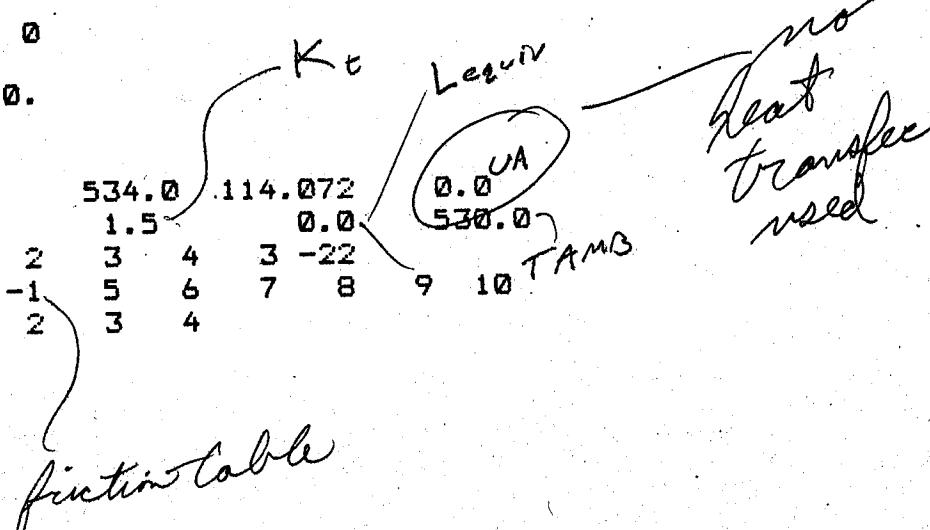
PTAB 1 0 1 0

ENDCASE

ENDJOB

NDJOB

E



•AL.CB# 728  
1 CASE R 22  
TIME P 73.33  
#AECS# TEST OF RINLET, ROTLET, WITH ALL NEW THRU VLINE ONLY.  
1 CASE R 22

TIME E 73.33

FLOW RATE(S)-LB/MIN

( 1 ) .43

PRESSURE(S)-PSI

( 1 ) 85.13 ( 2 ) 85.13

TEMPERATURE(S)-DEG R

( 1 ) 534.00 ( 2 ) 534.00

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1 ) 114.0720 ( 2 ) 114.0720

0 ERROR(S) DETECTED

CASE END  
CA

DATE 09/06/81

PAGE 8  
DATE 09/06/81

PAGE 7

### Exhibit 18.6-2: AECS Output for the Sample Case

## 19.. Subroutine XPAND (Refrigerant Expander) .

### 19.1. Subroutine Description

The XPAND routine simulates a positive-displacement or dynamic (turbo-machine) expander for extracting work from a high-pressure refrigerant. The inlet side would normally contain a high pressure, moderately high-temperature refrigerant, which would expand to a low pressure, low temperature by passing through the expander. The expander might be a piston expander, a Roots blower, a turbine, or any other type of expander. The expander would normally be used after the refrigerant provides sensible cooling as a vapor. It might also be used after recovering waste heat.

### 19.2. Prior Simulation Method

- XPAND is a new routine. It is similar to the air turbine, except that the exhaust can be in the two-phase region.

### 19.3. New Simulation Method

The expander in XPAND can be either a positive displacement or dynamic expander. In either case, the machine is characterized by two tabulated parameters: the relationship between the pressure difference across the machine and the flow rate; and the relationship between the flow rate and the adiabatic efficiency. For the positive-displacement expander, the pressure-flow-rate relationship is usually called the volumetric efficiency. For the dynamic expander, it is usually called the flow-head curve. The adiabatic efficiency in both cases is defined as the ratio of the enthalpy change from inlet to outlet to the enthalpy change if the expansion process were isentropic. The shaft speed is a parameter of both tables.

Three computational options are available with the expander model: (1) the pressure ratio, shaft speed and flow rate can be fixed (Option 0), in which case the subroutine ignores the pressure-flow-rate table (which must be entered in any case) and assumes that the expander has the requisite characteristics; (2) the flow rate and shaft speed are given (Option 1), in which case the pressure ratio is obtained from the pressure-flow-rate table; or (3) the flow rate and pressure ratio are given (Option 2), in which case the shaft speed required to meet this given combination is computed and the difference between this shaft speed and the shaft speed from the SHAFT component becomes an error variable. If Option 2 is selected, the expander computations involve an iteration for the shaft speed because the pressure-flow-rate table has pressure ratio rather than shaft speed as the dependent variable. A brief iteration is required to determine the power output, because the outlet velocity correction depends on the outlet density. All of these iterations are performed internal to the XPAND subroutine.

#### 19.4. Computational Procedure

The computational procedure is presented in the form of a heavily annotated FORTRAN listing in Exhibit 19.4-1. Perhaps the only unusual feature of the computations is the straddling procedure used for determining the shaft speed from the pressure-flow-rate table, given the flow rate and pressure ratio (Option 2).

#### 19.5. Program Listing

Exhibit 19.4-1, which presents the program computational procedure, also is the program listing as used in AECS. However, the AECS program does not include the comment cards.

#### 19.6. Sample Case

The sample case of the expander is that of a positive-displacement device (Exhibit 19.6-1). The data are shown in the AECS input format, along with a diagram of the system being simulated: a system with an expander alone. The output data, the solution to the problem posed, is presented in AECS format in Exhibit 19.6-2 and in the schematic in Exhibit 19.6-1.

The values used in the tables were chosen for brevity and convenience. Few expanders have the linear characteristic used. If the more realistic values presented in Appendix D had been used, the input data would have been longer and the manual checkout, more difficult.

#### 19.7. Technical Background

The technical background for the expander is similar to that for the air turbine used in the air cycle. Expansion into the two-phase region is similar to the expansion process found in any thermodynamics text that illustrates the analysis of steam turbines. The one variation from the textbook analysis is the incorporation of the correction for the exit velocity.

The isentropic expansion process gives the static enthalpy of the exit stream. The total enthalpy is the sum of the static enthalpy and the velocity head:

$$H_{\text{total}} = H_{\text{static}} + V^{*2}/(2*G*C_J)$$

Therefore, the subroutine obtains  $H_{\text{static}}$  from the usual textbook analysis for an isentropic expansion, then adds to this the velocity term. To compute the velocity, the exit area is obtained from the input data (exit area =  $A_0*D^{*2}$ ) and the exit specific volume is obtained from the known pressure and static enthalpy as determined at first by the isentropic expansion process. Note that the efficiency is assumed to be equal to the ratio of the total enthalpy change to the isentropic static enthalpy change:

### Exhibit 19.4-1: Performance-Program Logic and Listing

```
SUBROUTINE XPANDPP
REAL K,N,N1,J,MEFF,N0
INTEGER OUT,PASS
COMMON /CC/ C(400)
COMMON /DC/ DZ(2), D(2)
DIMENSION ID(2)
DIMENSION SCR(30)
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29)),
*(IH,C(30)),(SCR(1),C(151)),(ICPP,C(88)),(OUT,C(7)),(IEVT,C(48)),
*(IFF,C(22)),(IGA,C(35)),(ILN,C(37)),(PASS,C(17)),(IFB,C(55)),
*(CERR,C(16)),(IIOP,C(90)),(GC,C(370)),(J,C(371)),(IEV,C(49)),
*(ITAD,C(54)),(ITN,C(39))
EQUIVALENCE (NL,SCR(2)),(NSI,SCR(3)),(NSO,SCR(4)),(NST,SCR(5)),
*(IOPT,SCR(6)),(PR,SCR(7)),(FLO,SCR(8)),(EF,SCR(9)),(ME,SCR(10)),
*(D3,SCR(11)),(AO,SCR(12)),(Z,SCR(13)),(KN,SCR(14)),(ITER,SCR(30))
EQUIVALENCE (ID(1),D(1))

C 1 COMP CODE
C 2 LEG NUMBER
C 3 STATION IN
C 4 STATION OUT
C 5 SHAFT NUMBER
C 6 OPTION
C 7 PRESSURE RATIO
C 8 FLOW FACTOR TABLE
C 9 EFFICIENCY TABLE
C 10 MECHANICAL EFFICIENCY
C 11 DISPLACEMENT PER REVOLUTION
C 12 OUTLET AREA RATIO
C 13 OPTION 0-DIMENSIONED 1-DIMENSIONLESS TABLES
C 14 EXPONENT IN PRESSURE NORMALIZING EQUATION
    IRCD=IRCDB(15)
C 15 ERROR VARIABLE INDEX
*** SET UP THE INTERNAL VARIABLES IN TERMS OF THE STORED ARRAY
NL=ID(IRCD+2)
NSI=ID(IRCD+3)
NSO=ID(IRCD+4)
NST=ID(IRCD+5)
IOPT=ID(IRCD+6)
PR=D(ID(IRCD+7))
MEFF=D(ID(IRCD+10))
D3=D(ID(IRCD+11))
AO=D(ID(IRCD+12))
Z=ID(IRCD+13)
KN=D(ID(IRCD+14))
JEVI=ID(IRCD+15)
LOCT=ID(IFB+NL)
LOCT=ID(LOCT+3)
QUAL=VQUALH(LOCT,D(IP+NSI),D(IH+NSI))
```

```

ITER=0
N=D(IGA+NST+80)
FR=D(IW+NL)
IF(QUAL)55,55,60
C*** IF PURE LIQUID ENTERS THE EXPANDER, SET OUTLET = INLET
55 WRITE(OUT,111)
111 FORMAT(" PURE LIQUID IS ENTERING THE EXPANDER")
D(IP+NSO)=D(IP+NSI)
D(IT+NSO)=D(IT+NSI)
D(IH+NSO)=D(IH+NSI)
RETURN
60 IF(QUAL-1.0)65,100,100
C*** TWO PHASE FLOW ENTERING THE EXPANDER
65 VI=1.0/VDL(LOCT,D(IT+NSI))+QUAL*(VSV(LOCT,D(IP+NSI),D(IT+NSI))
* - 1.0/VDL(LOCT,D(IT+NSI)))
HFG=VHFG(LOCT,D(IP+NSI),D(IT+NSI),VI)
SSAT=VS(LOCT,D(IT+NSI),VI)
SI=SSAT-(1.0 - QUAL) * HFG/D(IT+NSI)
GO TO 200
C*** PURE VAPOR ENTERING THE EXPANDER
100 VI=VSV(LOCT,D(IP+NSI),D(IT+NSI))
SI=VS(LOCT,D(IT+NSI),VI)
C*** COMPUTE THE SPEED OF SOUND BASED ON THE VAPOR
200 AI=VSOS(LOCT,D(IP+NSI),D(IT+NSI))*60.
310 DM=D3**(.1./3.)
DN=N
320 IF(IOPT-1)550,770,960
C*** PRESSURE RATIO AND FLOW RATE ARE FIXED; SHAFT SPEED IS KNOWN
550 D(IP+NSO)=PR*(D(IP+NSI))
QX=FR*VI
GO TO 620
610 FR=QX/VI
C*** USE TLUP FOR EFFICIENCY AS A FUNCTION OF CFM AND RPM
620 D(IGA+101)=QX
D(IGA+102)=DN
EF=TLUP(ID(IRCD+9))
C*** DETERMINE THE OUTLET CONDITIONS BASED ON ISENTROPIC EXPANSION
TSAT=VTS(LOCT,D(IP+NSO))
VSAT=VSV(LOCT,D(IP+NSO),TSAT)
SSAT=VS(LOCT,TSAT,VSAT)
HSAT=VH(LOCT,D(IP+NSO),TSAT,VSAT)
HFG=VHFG(LOCT,D(IP+NSO),TSAT,VSAT)
SFG=HFG/TSAT
QUAL=((SI-SSAT)/SFG) + 1.0
IF(QUAL.GE.1.0) GO TO 650
VO=(1.0/VDL(LOCT,TSAT))+QUAL*(VSAT-1.0/VDL(LOCT,TSAT))
HX=HSAT-(1.0-QUAL)*HFG
GO TO 660
650 CALL VTAV1(LOCT,D(IT+NSO),VO,D(IP+NSO),SI)
HX = VH(LOCT,D(IP+NSO),D(IT+NSO),VO)
C*** COMPUTE THE OUTLET CONDITIONS BASED ON THE EXPANDER EFFICIENCY
660 HT=HX

```

```

670 D(IH+NSO)=D(IH+NSI)-EF*(D(IH+NSI)-HX)-(FR*VO/(DM*DM*A0*60))**2/
* (2.*GC*j)
HSAT=VH(LOCT,D(IP+NSO),TSAT,VSAT)
QUAL=1.0+(D(IH+NSO)-HSAT)/HFG
IF(QUAL.GE.1.0)GO TO 500
D(IT+NSO)=TSAT
VO= 1.0/VDL(LOCT,D(IT+NSO))+QUAL*((VSAT)-1./VDL(LOCT,D(IT+NSO)))
GO TO 600
500 CALL VTAV2(LOCT,D(IT+NSO),VO,D(IP+NSO),D(IH+NSO))
600 CONTINUE
C*** ITERATE ON THE OUTLET-VELOCITY CORRECTION
700 IF(ABS((D(IH+NSO)-HT)/(D(IH+NSO)-D(IH+NSI))).LT..0001)GO TO 710
    HT=D(IH+NSO)
    GO TO 670
710 FR=QX/VI
C*** COMPUTE THE POWER OUTPUT, W
    W=FR*EF*(D(IH+NSI)-HX)
    D(IGA+NST+90)=D(IGA+NST+90)+W*778./33000.
    IF(IOPT.EQ.2)GO TO 750
    GO TO 1130
750 CONTINUE
    IF(PASS.NE.1)GO TO 752
    ID(IEVT+JEVI)=7
752 D(IEV+JEVI)=(DN-D(NST+B0+IGA))/(DN+D(NST+B0+IGA))
760 GO TO 1130
C*** RPM AND CFM ARE KNOWN. USE STRADDLING PROCEDURE TO GET PRESSURE
C RATIO FROM TLUP OF CFM AS A FUNCTION OF RPM AND PRESSURE RATIO
770 QX=FR*VI
    I=1
    JD=1
    KY=0
    JN=ID(IRCD+8)
    IAD=ID(ITAD+JN)
    NX=ID(IAD+4)
    IX=ID(IAD+8)
    IND=0
    D(IGA+102)=DN
    NZ=ID(IAD+7)
    IZ=ID(IAD+9)
C*** TEST TO SEE IF THE HIGHEST FLOW RATE IS HIGHER THAN THE
C LEG FLOW RATE (AT ZERO PRESSURE DROP)
    D(IGA+101)=0.0
    Q9=TLUP(JN)
    IF(Q9.GT.QX)GO TO 780
    WRITE(OUT,3130)
    GO TO 1140
780 IF(ID(IAD+1).EQ.3)GO TO 785
    IF(ID(IAD+1).EQ.33)GO TO 781
    WRITE(OUT,3133)
3133 FORMAT(" ***WRONG TABLE FOR XPANDR. MUST BE 3 DIMENSIONAL")
    CERR = CERR + 1
    RETURN

```

```

C*** START THE SCAN FOR THE STRADDLING POINTS. FIND THE INDEX (IX) OF
C   THE LOWEST PRESSURE RATIO IN THE TABLE
781 CALL MDISSL(N,D(IZ),I,NZ,JD,NPX,KY,IND)
    IX = IX + (NX * NPX)
785 IENDX = IX + NX - 1
C*** SCAN THE VALUES OF THE PRESSURE RATIOS FOR THE ONE THAT GIVES A
C   FLOW JUST BELOW THE LEG FLOW (QX)
    DO 800 I=IX,IENDX
    D(IGA+101)=D(I)
    YVAL=TLUP(JN)
    IF(YVAL.GT.QX)GO TO 790
C*** SET UP THE STRADDLE BETWEEN (P1,Q1) AND (P2,Q2). NOTE THAT Q IS
C   ASSUME TO DECREASE AS THE PR (P) INCREASES.
    Q1=YVAL
    P1=D(I)
    P9=D(I-1)
    IF(I.GT.IX)GO TO 810
    P9=0.0
    GO TO 810
790 Q9=YVAL
800 CONTINUE
    WRITE(OUT,3130)
3130 FORMAT(" *** NO BRACKET IN TABLE FOR QX")
    GO TO 1140
810 P9MP1=P9-P1
    P1HLD=P1
830 IF(Q9-Q1)832,1140,832
C*** INTERPOLATE LINEARLY BETWEEN THE STRADDLE POINTS TO DETERMINE BY
C   ITERATION THE CORRECT PRESSURE RATIO
832 PX=P1+(QX-Q1)*(P9-P1)/(Q9-Q1)
    IF(PX.GT.1.0)GO TO 1140
840 D(IGA+101)=PX
    Q0=TLUP(ID(IRCD+8))
855 IF(ABS((QX-Q0)/QX).LT..0001)GO TO 920
860 IF(QX-Q0)870,870,885
870 P9=PX
    Q9 = Q0
    GO TO 900
885 P1=PX
887 Q1=Q0
900 ITER=ITER + 1
    IF(ITER-100)832,832,1140
C*** AT 920 THE SOLUTION HAS BEEN FOUND, SO RETURN TO 620 TO
C   DETERMINE THE OUTLET CONDITIONS.
920 D(IP+NSO)=D(IP+NSI)*PX
930 GO TO 610
C*** PRESSURE RATIO AND LEG FLOW ARE KNOWN. DETERMINE THE SHAFT SPEED
C   REQUIRED TO GIVE THESE. USE NEWTON'S METHOD WITH A PERTURBATION
C   INSTEAD OF DIFFERENTIATION.
960 PX=PR
990 QX=FR*VI
1000 D(IGA+101)=PX

```

```

D(IGA+102)=DN
Q0=TLUP(ID(IRCD+8))
1010 XX=ABS((Q0-QX)/QX)
1015 IF(XX-.0001)1090,1090,1020
1020 DN1=1.001*DN
D(IGA+102)=DN1
Q1=TLUP(ID(IRCD+8))
1050 IF(Q1-Q0)1052,1140,1052
1052 DN=DN+(DN1-DN)*(QX-Q0)/(Q1-Q0)
IF(DN.LE.0.0.OR.DN.GT.1.E+20)GO TO 1140
ITER=ITER+1
IF(ITER-100)1000,1000,1140
1070 GO TO 1000
C*** ITERATION IS COMPLETE, SO GO TO 610 TO DETERMINE THE REMAINDER
C OF THE OUTLET CONDITIONS.
1090 D(IP+NSO)=D(IP+NSI)*PX
1120 GO TO 610
1140 WRITE(OUT,1142)
1142 FORMAT(" SOLUTION IS PHYSICALLY IMPOSSIBLE")
1150 WRITE(OUT,1152)QX
1152 FORMAT(" VOLUME FLOW RATE, IN CFM, WAS",F9.2)
1160 WRITE(OUT,1162)PX
1162 FORMAT(" PRESSURE RATIO WAS",F9.2)
WRITE(OUT,1170) N
1170 FORMAT(" RPM WAS",F9.2)
D(IP+NSO)=D(IP+NSI)
D(IT+NSO)=D(IT+NSI)
D(IH+NSO)=D(IH+NSI)
1130 IF (IFFP.NE.1 .OR. ICPP.EQ.0 ) GO TO 99
CALL PIOP(1,NL,NSI,NSO)
CALL LINES(2)
WRITE(OUT,1173) W
1173 FORMAT(5X,"EXPANDER OUTPUT =",E17.7,"BTU/MIN")
99 CONTINUE
2000 RETURN
C XPANDPP

```

$$\text{Efficiency} = (\text{Hinlet} - \text{Hstatic} - \text{V}^{**2}/(2*\text{GC}*\text{J})) / (\text{Hinlet} - \text{HX})$$

where HX is the enthalpy evaluated at the inlet entropy and the exit pressure. With this definition, the exit static enthalpy must be computed iteratively, because the exit velocity, V, depends on the exiting-vapor specific volume, which depends on the exit static enthalpy. This iteration is incorporated in the computational procedure presented in Exhibit 19.4-1.

Exhibit 19.6-1: Input Cards and Flow Diagram for the Sample Case

PERFORM

TITLE EXAMPLE CASE FOR EXPANDER

CASEA XPAND 0000 1 2 0

CASEB 0 0 0 0 0

CASEC 0.0 0.0 0.0

CASED 0.0

PARAM 10

VALUES 1 4.0120 500.00 939.67 185.81 9000.

VALUES 6 .125 67.8 .008 1.0 2.0

RINLET 20 1 10000 1 2 3 4 3 -22

SHAFT 30 1 1 5

XPAND 40 1 1 2 1 2 6 8 9 8 9

ROUTLT 50 1 20000 1 7 2 7

TABID 8 8 33 0 0 1010001 3 0 1020001 3

TABT EXPANDER: FLOW RATE (CFM) VS. PRESSURE RATIO AND RPM

TABV 0.0 0.125 1.0

TABV 0.0 0.125 1.0

TABV 0.0 0.125 1.0

TABV 4500. 9000. 18000.

TABV 0.7 0.434 0.0 1.4

TABV 0.868 0.0 2.8 1.736

TABV 0.0

TABID 8 7 33 0 0 1010001 3 0 1020001 3

TABT EXPAND: EFFICIENCY AS A FUNCTION OF FLOW RATE AND RPM

TABV 0.0 0.434 0.7

TABV 0.0 0.868 1.4

TABV 0.0 1.736 2.8

TABV 4500. 9000. 18000.

TABV 0.0 0.85 0.7 0.0

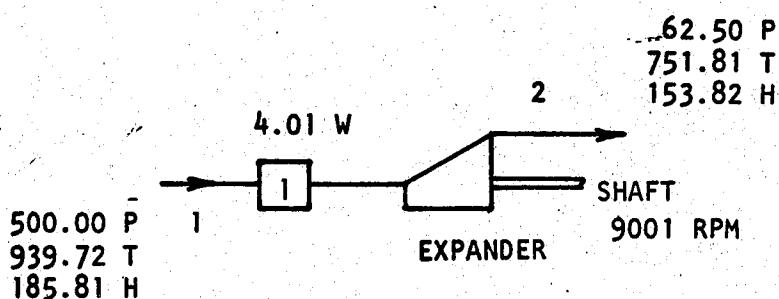
TABV 0.85 0.7 0.0 0.85

TABV 0.7

PTAB 1 0 1 0

ENDCASE

ENDJOB



THE FOLLOWING LISTING IS FOR FILE XPNRUN

PAGE 8  
DATE 01/24/82

COMPONENT SHAFT  
SHAFT 1 N '9001.  
\*AECS\* EXAMPLE CASE FOR EXPANDER  
1 CASE XPAND

TIME E 133.93

FLOW RATE(S)-LB/MIN  
( 1) 4.01

PRESSURE(S)-PSI  
( 1) 500.00 ( 2) 62.50

TEMPERATURE(S)-DEG R  
( 1) 939.72 ( 2) 751.81

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB  
( 1) 165.8100 ( 2) 153.8208

STATE VARIABLE TYPE(S)  
( 1) 7

STATE VARIABLE(S)  
( 1) 9.00137E+03

ERROR VARIABLE TYPE(S)  
( 1) 7

ERROR VARIABLE(S)  
( 1) 1.44678E-03

SOLUTION CONVERGED IN 1 TRY(S)

0 ERROR(S) DETECTED

CASE END

## Appendix A: Example of a Complicated Refrigeration System

### A.1. Introduction

As part of this contract, we were to demonstrate the subroutines and solution techniques we developed by applying them to a complicated refrigeration system, such as shown in Exhibit A-1. The system depicted was taken from the contract documents, although we have added the leg and station numbers for later reference. The system involves all of the components developed except for QB01LR and XPAND. These are demonstrated in Appendix E.

The purposes of this appendix are (1) to demonstrate the use of the new subroutines and techniques; and (2) to suggest appropriate ways of working with the new components and solution procedures. The first purpose pertains to fulfilling the contractual requirements. The second is important to the user because the new components make the successful operation of AECS more difficult. The non-linear characteristics of the refrigerants near the saturation line can make the Newton-Raphson solution procedure used by AECS fail. Therefore, the user will need greater skill in solving the problems. We hope to communicate some of the necessary skills in this appendix.

### A.2. Description of the Example

As indicated in Exhibit A-1, the example consists primarily of a refrigerant loop. Air is cooled in two separate evaporators and air cools the one condenser. Two-stage, centrifugal compression, with interstage cooling, pumps the heat from the evaporators to the condenser. A second intercooler, following one of the evaporators, acts as an economizer to reduce the required refrigerant circulation rate.

### A.3. Developing the Input Data

Developing the input data begins with the system schematic, on which the leg and station numbers are defined. Although we attempted to keep the station numbers sequential as we traversed the refrigeration loop, we overlooked several stations and were forced to insert non-sequential station numbers. AECS can handle any ordering. In any case, keeping the numbers sequential for the example would be impossible, because some of the loops split and turn back on themselves.

The components cards follow the usual deck of CASE cards and parameter cards. The number and values of the parameters cannot be easily determined *a priori*, so we proceeded directly to the components cards. The first component card is LOOPS, which begins LEG 2 at STATION 3. The values of flow, pressure, temperature and enthalpy at STATION 3 will eventually be matched, via LOOPE, with those of STATION 33. Station 3 is at the inlet to the high-pressure compressor.

Exhibit A-1 (a): Input Cards for the Sample Case

```

110=PERFORM
120=TITLE REFRIGERANT TEST CASE
130=CASEA R22-01 0000 13 28 0
140=CASEB 0 0 0 0 0
150=CASEC 0.0 0.0 0.0
160=CASED 0.0
170=PARAM 55
180=VALUES 1 1.0 158.600 595.5 122.00 10000.
190=VALUES 6 1.8900 0.85 1.93 1.0 8.0000
200=VALUES 11 14.7 540.0 0.0 0.001 0.1332
210=VALUES 16 0.0001 7956.00 0.001 0.001 90.0
220=VALUES 21 300.0 30.0 1.0 5.0 0.001
230=VALUES 26 0.001 90.0 300.0 30.0 1.0
240=VALUES 31 0.5 1099.50 1.800 14.7 540.0
250=VALUES 36 0.015 5.0 0.001 5.0 1099.50
260=VALUES 41 2.100 14.7 540.0 0.014 5.0
270=VALUES 46 0.001 5.0 0.4331 88.0 529.3
280=VALUES 51 53.24 1.7400 91.150 91.150 158.600
290=LOOPS 10 2 3 13 33 3 -220000 1 2 3 4
300=SHAFT 20 1 0 5
310=VCOMP 30 2 3 4 1 0 6 1 72 7 0
320=SPLIT 40 2 4 5 22 3 23 0 9
330=INLET 50 4 260000 10 11 12 13 2 -1
340=COND 60 5 22 5 4 26 27 0 1 2 3 14
350=SPLIT 70 5 5 6 51 7 52 0 15
360=CVALVE 80 6 51 6 0 16 17
370=NRCLR 90 6 6 7 7 52 8 18 19 4 20 21 22 23 23
380=SENSOR 100 6 7 2 55
390=INDATA 105 10 14 48 49 50 51
400=NRCLR 110 10 14 16 7 8 9 25 26 9 27 28 29 30 30
410=SPLIT 120 7 9 8 11 11 25 0 31
420=CVALVE 130 8 11 12 0 16 32
430=MERGE 140 8 12 3 23 10 13 0
440=INLET 150 9 280000 33 34 35 36 2 -1
450=EVAP 160 10 13 14 9 28 29 0 4 5 37 6 38 0
460=SENSOR 170 10 14 2 53
470=CVALVE 180 11 25 18 0 16 40
480=INLET 190 12 311000 41 42 43 44 2 -1
490=EVAP 200 11 18 19 12 31 30 0 14 15 45 16 46 0
500=SENSOR 210 11 19 2 54
510=MERGE 220 11 19 10 16 1 21 0
520=VCOMP 230 1 21 2 1 0 52 1 1 7 0
530=MERGE 240 1 2 6 7 13 33 0
540=LOOP 250 2 3 13 330001
550=TABID 72 6 33 0 0 280001 2 0 101 101 2
560=TABT VCOMP: EFFICIENCY = F(FLOW RATE, SHAFT SPEED)
570=TABV 0.0 1.0
580=TABV 0.0 11.0
590=TABV 1000. 11000.
600=TABV 0.85 0.85 0.85 0.85
610=TABID 1 1 2 0 0 410001 2
620=TABT AIR SIDE PRESS DROP T=1 RN=1 (IND.VAR.=AIR FLOW)

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19631 C$  

19632      SUBROUTINE QBLRPP  

19633      COMMON /CC/ C(400)  

19634      EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))  

19635      *,(IH,C(30)),(SCR(1),C(151)),(GC,C(370)),(JC,C(371))  

19636      *,(ICPP,C(88)),(IFP,C(22)),(OUT,C(7)),(IGA,C(35))  

19637      *,(PASS,C(17)),(IEVT,C(48)),(IEV,C(49)),(ITAD,C(54))  

19638      *(IFB,C(55)),(ISN,C(38))  

19639      DIMENSION SCR(30)  

19640      INTEGER OUT,PASS  

19641      REAL L,MU,K,JC,ME,MI,MP  

19642      EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3),NSO)  

19643      *,(SCR(4),IOP),(SCR(5),FFT),(SCR(6),COT),(SCR(7),AF)  

19644      *,(SCR(8),Q),(SCR(9),L),(SCR(10),AH),(SCR(11),DH)  

19645      DIMENSION MU(2),CPY(2),V(2),PR(2),T(5),TW(5),HT(5),DP(2)  

19646      *,K(2)  

19647      COMMON /DC/ DZ(2),D(3201)  

19648      DIMENSION ID(2)  

19649      EQUIVALENCE (ID(1),D(1))  

19650      *,(D(51),T(1)),(D(56),TW(1)),(D(61),HT(1))  

19651      *,(D(71),HFG),(D(72),ST),(D(73),PT)  

19652      *,(D(75),TIN),(D(76),W),(D(77),IRET),(D(78),CO)  

19653      *,(D(79),FF),(D(81),VR),(D(82),PV)  

19654      *,(D(83),SL),(D(84),HSAT),(D(86),TSAT)  

19655      *,(D(87),X1),(D(88),X2),(D(89),TNB),(D(90),DD)  

19656      *,(D(91),FD),(D(92),B),(D(93),EM),(D(94),RS)  

19657 C 1 COMP CODE  

19658 C 2 LEG NO  

19659 C 3 INLET STATION NO  

19660 C 4 OUTLET STATION NO  

19661 C 5 OPTION NO  

19662 C 6 FRICTION FACTOR TABLE  

19663 C 7 COLBURN FACTOR TABLE  

19664 C 8 HEAT EXCHANGER FLOW AREA  

19665 C 9 HEAT INPUT RATE IN (BTU/MIN)  

19666 C 10 HEAT EXCHANGER FLOW PATH LENGTH (FEET)  

19667 C 11 HT EXCHG/HT TRANSFER AREA INCLUDING FINS (SQUARE FEET)  

19668 C 12 HEAT EXCHANGER HYDRAULIC DIAMETER  

19669 C 13 ERROR VARIABLE OPTION  

1970 C*** ERROR-VARIABLE OPTION: 0 IF NO ERROR VARIABLE; 1 IF SUPERHEAT  

1971 C 14 ERROR VARIABLE INDEX  

19672 C 15 MAXIMUM BOILER WALL TEMPERATURE  

19673 C*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY  

19674     IRCD = IRcdb(15)  

19675     NL=ID(IRCD+2)  

19676     NSI=ID(IRCD+3)  

19677     NSO=ID(IRCD+4)  

19678     IOP=ID(IRCD+5)  

19679     IF (ID(IRCD+13).EQ.0) GO TO 107  

19680     TMAX=D(ID(IRCD+15))  

19681     JEVI=ID(IRCD+14)  

19682   107 CONTINUE  

19683     LOCT=ID(IFB+NL)  

19684     LOCT=ID(LOCT+3)  

19685     AF=D(ID(IRCD+8))  

19686     Q=D(ID(IRCD+9))  

19687     L=D(ID(IRCD+10))  

19688     AH=D(ID(IRCD+11))  

19689     DH=D(ID(IRCD+12))  

19690 C*** COMPUTE THE SATURATION PROPERTIES  

19691     TSAT=VTS(LOCT,D(IP+NSI))  

19692 C*** COMPUTE THE TRANSPORT PROPERTIES BASED ON INLET CONDITIONS  

19693     CPY(1)=VCPF(LOCT,D(IP+NSI),TSAT)  

19694     CPY(2)=VCPV(LOCT,D(IP+NSI),TSAT)  

19695     MU(1)=VVISCF(LOCT,D(IP+NSI),TSAT)  

19696     MU(2)=VVISCV(LOCT,D(IP+NSI),TSAT)  

19697     K(1)=VCONDF(LOCT,D(IP+NSI),TSAT)  

19698     K(2)=VCONDV(LOCT,D(IP+NSI),TSAT)  

19699     V(1)=1.0/VDL(LOCT,TSAT)  

19700     V(2)=VSV('QBLRPP ',LOCT,D(IP+NSI),TSAT)  

19701     HFG=VHFG(LOCT,D(IP+NSI),TSAT,V(2))  

19702     ST=VST(LOCT,TSAT)  

19703     PT=VDPDT(LOCT,D(IP+NSI))  

19704     TIN=D(IT+NSI)  

19705     W=D(IW+NL)  

19706 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX  

19707     IRITE=1  

19708     IF (IRITE .NE. 1) GO TO 9010  

19709     WRITE (OUT,9911)  

19710     9911 FORMAT(' ',/)  

19711     WRITE (OUT,9011)  

19712     9011 FORMAT(' *****WRITE 9011 FROM "QBLRPP" *****'  

19713     * ,*****')

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19798 GO TO 370
19799 C*** IN LIQUID-ONLY REGION AT INLET
19800 360 X1=0.0
19801 370 IF(D(IH+NSI)-HSAT)380,371,371
19802 C*** IN TWO-PHASE REGION AT INLET
19803 371 X1=0.0
19804 X2=0.0
19805 GO TO 750
19806 C*** IN LIQUID-ONLY REGION AT INLET
19807 C*** COMPUTE FLUID TEMPERATURE (T) AND WALL TEMPERATURE (TW) AT OUTLET
19808 380 T(5)=TIN+Q/(W*CPY(1))
19809 TW(5)=T(5)+Q/(AH*HT(1))
19810 C*** DETERMINE TEMPERATURE AT WHICH NUCLEATE BOILING BEGINS (TNB)
19811 C AND DETERMINE IF FLUID REACHES THE TEMPERATURE BEFORE OUTLET
19812 TNB=TSAT+SQRT(8.*60.*ST*Q/(K(1)*AH*PT))
19813 X1=(TNB-TIN)*W*CPY(1)*L/Q-W*CPY(1)*L/(HT(1)*AH)
19814 C WRITE(OUT,*), T(5), TW(5), TNB, X1
19815 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19816 IRITE=1
19817 IF (IRITE .NE. 1) GO TO 9030
19818 WRITE (OUT,9031)
19819 9031 FORMAT(' WRITE 9031 FROM "QBLRPP" ')
19820 WRITE (OUT,9032) T(5), TW(5), TNB, X1
19821 9032 FORMAT(' T(5) =', E12.5, ' TW(5) =', E12.5, ' TNB =', E12.5
19822 * , ' X1 =', E12.5)
19823 9030 CONTINUE
19824 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19825 IF(X1)430,450,450
19826 C*** SUBCOOLED BOILING BEGINS IMMEDIATELY AT THE INLET
19827 430 X1=0.0
19828 GO TO 485
19829 450 IF(TW(5)-TNB)460,480,480
19830 C*** THERE IS NO BOILING WITHIN THE BOILER
19831 460 X1=L
19832 GO TO 1310
19833 C*** COMPUTE THE TEMPERATURES AT THE END OF THE NON-BOILING REGION
19834 480 T(1)=TIN+Q*X1/(L*W*CPY(1))
19835 TW(1)=T(1)+Q/(HT(1)*AH)
19836 C*** COMPUTE THE LENGTH OF THE SUBCOOLED-BOILING REGION
19837 485 X2=(TSAT-TIN)*W*CPY(1)*L/Q-X1
19838 IF(X2.GE.(L-X1))X2=L-X1
19839 C*** COMPUTE THE BUBBLE DEPARTURE DIAMETER (DD) IN FEET
19840 490 DD=4.65E-4*SQRT(GC/GC*ST*V(1)/DV)*(VR*CPY(1)*TSAT/HFG)
19841 ***1.25
19842 C*** COMPUTE THE FREQUENCY OF DEPARTURE OF BUBBLES, 1/SEC.
19843 FD=.6*SQRT(SQRT(ST*GC*GC*V(1)*DV))/DD
19844 C*** ASSUME THE SURFACE FACTORS: B(SURFACE COEFFICIENT); EM (EXPONENT
19845 C RELATING THE NUMBER OF NUCLEATION SITES TO THE TEMPERATURE
19846 C DIFFERENCE); AND RS(RADIUS, FT., OF SMALLEST SITE)
19847 B=400.
19848 EM=2.0
19849 RS=0.0001
19850 C*** COMPUTE THE NUMBER OF NUCLEATION SITES PER SQ. FT.
19851 XN=B*(JC*RS*HFG*(TNB-TSAT)/(2.*TSAT*ST*V(2)))**EM
19852 C*** COMPUTE THE POOL BOILING HEAT-TRANSFER COEFFICIENT
19853 HP=3.5*(K(1)/DD/60.)*XN*DD*DD
19854 HP=HP*SQRT(PR(1))*SQRT(FD*DD*DD/(V(1)*MU(1)))
19855 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19856 IRITE=1
19857 IF (IRITE .NE. 1) GO TO 9040
19858 WRITE (OUT,9041)
19859 9041 FORMAT(' WRITE 9041 FROM "QBLRPP" ')
19860 WRITE (OUT,9042) X1, T(1), TW(1), X2
19861 * , DD, FD, B, EM
19862 * , RS, XN, HP
19863 9042 FORMAT(' X1 =', E12.5, ' T(1) =', E12.5, ' TW(1) =', E12.5
19864 * , ' X2 =', E12.5, ' DD =', E12.5, ' FD =', E12.5
19865 * , ' B =', E12.5, ' EM =', E12.5, ' RS =', E12.5
19866 * , ' XN =', E12.5, ' HP =', E12.5)
19867 9040 CONTINUE
19868 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19869 IF(IRET)500,500,980
19870 C*** COMPUTE THE COMBINED CONVECTION/BOILING COEFFICIENT
19871 500 HT(2)=(HP+HP+HT(1)*HT(1))/(2.*HP)
19872 C*** ITERATIVELY COMPUTE THE WALL TEMPERATURE IN THE SUBCOOLED REGION
19873 A1=HP/(TNB-TSAT)**2
19874 A0=2.0*(Q/(A1*AH))**2
19875 A1=4.0*((HT(1)/A1)**2)/3.0
19876 S0=SQRT(A0*A0-A1**3)
19877 XX=ABS((A0-S0)/(A0+S0))
19878 IF(XX-.0001)650,670,670
19879 650 U=(A0+S0)**(1./3.)
19880 GO TO 680

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$$\begin{aligned}
 A_1 &= \frac{HP}{(TNB-TSAT)^2} = \frac{5.05}{(58)^2} \\
 A_0 &= 2 \times \left( \frac{60}{(58 \times 100)} \right)^2 = \frac{60}{(58 \times 100)^2} = 0.0282 \\
 A_1 &= 4 \times \left( \frac{4.0}{(58)^2} \right) / 3. = 10.88 \\
 S_0 &= \sqrt{0.003^2 - 10^3} = \sqrt{9 \times 10^{-6} - 100} = \sqrt{\text{negative}}
 \end{aligned}$$

SUBROUTINE QBLRPP Compiling Options: /N0/N7/NA2/NB/NC/NC1/ND/NF/H/NI/NK/L/P/NQ1/NQ2/NQ3/R/S/NT/NV/W/NX/NZ1

Source file Listing

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19881   670 U=(A0+S0)**(1./3.)+(A0-S0)**(1./3.)
19882   680 TC=(SQRT(U)+SQRT(U-4.*(U/2.-SQRT((U/2.)*2-.75*A1))))/2.
19883   T(2)=TSAT
19884   TW(2)=TSAT+TC
19885   TW(5)=TW(2)
19886   X3=0.0
19887 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19888   IRITE=1
19889   IF (IRITE .NE. 1) GO TO 9050
19890   WRITE (OUT,9051)
19891   9051 FORMAT(' WRITE 9051 FROM "QBLRPP"      ')
19892   WRITE (OUT,9052) IRET , HT(2) , A0 , A1
19893   *           , S0 , XX , U , TC
19894   *           , T(2) , TW(2) , TW(5)
19895   9052 FORMAT(' IRET =', I4,8X, ' HT(2) =', E12.5, ' A0     =', E12.5
19896   *           , ' A1     =', E12.5,/, ' S0     =', E12.5, ' XX     =', E12.5
19897   *           , ' U     =', E12.5,/, ' TC     =', E12.5,/, ' T(2)   =', E12.5
19898   *           , ' TW(2) =', E12.5, ' TW(5) =', E12.5
19899   9050 CONTINUE
19900 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19901 C*** GO TO 1280 IF THE EXIT IS 100% LIQUID (NO NET BOILING)
19902   IF(X2.GE.(L-X1))GO TO 1280
19903 C*** STARTING REGION 3: BULK BOILING
19904   750 XC=1.0
19905 C*** COMPUTE THE DRYOUT POSITION
19906   X3=W*(CPY(1)*(TSAT-TIN)+HFG*(1.0-XI))*L/Q-X1-X2
19907 C*** COMPUTE THE EXIT QUALITY
19908   XE=(Q/W-CPY(1)*(TSAT-TIN))/HFG+XI
19909 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19910   IRITE=1
19911   IF (IRITE .NE. 1) GO TO 9053
19912   WRITE (OUT,9054)
19913   9054 FORMAT(' WRITE 9054 BULK BOILING-DRYOUT POSITION FROM "QBLRPP"')
19914   WRITE (OUT,9055) X3 , XE
19915   9055 FORMAT(' X3DRYO=', E12.5, ' XE     =', E12.5)
19916   9053 CONTINUE
19917 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19918   IF(XE-1.)830,820,820
19919 C*** FILM-BOILING OR VAPOR-ONLY HEATING OCCUR
19920   820 XE=1.0
19921   GO TO 1140
19922 C*** COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH FILM BOILING OCCURS
19923 C$WAS COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH VAPORIZATION OCCURS
19924   830 XC=JC*HFG*(XE-XI)/L
19925 C$           NEED TO USE "REF" HERE AS ON P 97 COSTELLO
19926 C$           CODE USED OLD "REV" VALUE... LINE BELOW SHOULD FIX
19927   D(IGA+21)=G*DH/MU(1)
19928   XC=1.04-1.14E-5*(D(IGA+21)*D(IGA+21)*XC)**.375
19929 C*** COMPUTE LENGTH OF THE BULK-BOILING REGION (X3)
19930   X3=X3*(XC-XI)/(1.0-XI)
19931   IF (X3.LT.0.0) X3=0.0
19932   IF(X3.GT.(L-X1-X2))X3=L-X1-X2
19933 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19934   IRITE=1
19935   IF (IRITE .NE. 1) GO TO 9060
19936   WRITE (OUT,9061)
19937   9061 FORMAT(' WRITE 9061 FROM "QBLRPP"      ')
19938   WRITE (OUT,9062) X3 , XE , XC
19939   9062 FORMAT(' X3     =', E12.5, ' XE     =', E12.5, ' XC     =', E12.5)
19940   9060 CONTINUE
19941 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19942   IF(XE.GE.XC)GO TO 1140
19943 C*** COMPUTE THE TWO-PHASE PARAMETER
19944   TT=(1.0/XE-1.0)**0.9*SQRT(DP(1)/DP(2))
19945   X3=L-X1-X2
19946 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19947   IRITE=1
19948   IF (IRITE .NE. 1) GO TO 9070
19949   WRITE (OUT,9071)
19950   9071 FORMAT(' WRITE 9071 XE LESS THAN XC FROM "QBLRPP"      ')
19951   WRITE (OUT,9072) TT , X3
19952   9072 FORMAT(' TT     =', E12.5, ' X3     =', E12.5)
19953   9070 CONTINUE
19954 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19955 C*** GO TO 1090 IF XE AND TT INDICATE THE RANGE FOR ELLERBROOK'S FORMULA
19956   IF(XE.GT.0.7.OR.TT.LT.0.01)GO TO 1090
19957 C*** USE CHEN'S FORMULA
19958   F=1.0+1.88/TT**0.8
19959   Y=F*(G*DH/MU(1)*(1.0-XE))**0.8/10000.
19960   S=EXP(-Y)
19961 C*** COMPUTE TNB AS A FIRST APPROXIMATION TO THE WALL TEMPERATURE
19962 C   THEN GO TO 490 TO COMPUTE THE POOL-BOILING HEAT-TRANSFER COEFF.
19963   TNB=TSAT+SQRT(.8*60.*ST*Q/(K(1)*AH*PT))

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Source file Listing

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19964      IRET=1
19965      GO TO 490
19966 C*** COMPUTE THE BULK-BOILING COEFFICIENT WITH CHEN'S FACTORS
19967      980 HT(3)=F*HT(1)+S*HP
19968 C*** COMPUTE THE WALL TEMPERATURE AT THE END OF THE TWO-PHASE REGION
19969 C UNDER THE ASSUMPTION THAT EM IS APPROXIMATELY 2.0
19970      A1=HP/(TNB-TSAT)**2
19971      A0=Q/(AH*S*A1*2.0)
19972      A1=F*HT(1)/(3.0*S*A1)
19973      S0=SQRT(A0*A0+A1**3)
19974      T(3)=TSAT
19975      TW(3)=TSAT+(A0+S0)**(1./3.)-(S0-A0)**(1./3.)
19976      TW(5)=TW(3)
19977      T(5)=TSAT
19978 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19979      IRITE=1
19980      IF (IRITE .NE. 1) GO TO 9080
19981      WRITE (OUT,9081)
19982      9081 FORMAT(' WRITE 9081     CHEN''S FORMULA      FROM "QBLRPP"    ')
19983      WRITE (OUT,9082) F, Y, S, TNB
19984      *           ,IRET, A0, A1, S0
19985      *           ,T(3), TW(3), TW(5), T(5)
19986      *           ,HT(3)
19987      9082 FORMAT(' F      =', E12.5, ' Y      =', E12.5, ' S      =', E12.5
19988      *           , TNB     =', E12.5, //, IRET     =', I4, 8X, ' A0      =', E12.5
19989      *           , A1      =', E12.5, ' S0      =', E12.5, //, T(3)     =', E12.5
19990      *           , TW(3)   =', E12.5, ' TW(5)   =', E12.5, ' T(5)     =', E12.5, //
19991      *           , HT(3)   =', E12.5)
19992      9080 CONTINUE
19993 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
19994 C*** GO TO 1320 TO COMPUTE THE TWO-PHASE PRESSURE DROP
19995      GO TO 1320
19996 C$ THE ELLERBROOK FORMULA GIVES AN H LOWER THAN FOR FILM BOILING
19997 C$ AND LOWER THAN "HT(5)" (ALL VAPOR). IS SOMETHING WRONG OR IS
19998 C$ ELLERBROOK JUST A DAMN FLAKE??
19999 C*** ELLERBROOK'S FORMULA FOR THE HEAT-TRANSFER COEFFICIENT
20000      1090 Y=2.35-ALOG(TT)*(.266+.0255*ALOG(TT))
20001      HT(5)=HT(5)*(Q/(AH*60.*G*HFG))**.4*EXP(Y)
20002 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
2003      IRITE=1
2004      IF (IRITE .NE. 1) GO TO 9090
2005      WRITE (OUT,9091)
2006      9091 FORMAT(' WRITE 9091     ELLERBROOK''S HT(3) FORMULA FROM "QBLRPP"')
2007      WRITE (OUT,9092) Y, HT(3)
2008      9092 FORMAT(' Y      =', E12.5, ' HT(3) =', E12.5)
2009      9090 CONTINUE
2010 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
2011      GO TO 1180
2012 C*** XE>XCRT OR XE>1. SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS
2013 C$ WAS SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS
2014      1140 HT(3)=HT(5)*(XE+SL/VR*(1.0-XE))**0.8
2015 C*** FLUID AND WALL TEMPERATURES AT THE END OF THE TWO-PHASE REGION
2016 C$ WAS 1180 T(3)=TSAT+(Q*(X3+X2+X1)/W-L-CPY(1)*(TSAT-TIN)-HFG*(XE-XI))
2017 C$      /CPY(2)
2018 C$
2019 C$ CERTAINLY WHILE TWO-PHASE, T=TSAT!!!
2020      1180 T(3)=TSAT
2021      TW(3)=T(3)+Q/(AH*HT(3))
2022      T(5)=T(3)
2023      TW(5)=TW(3)
2024 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
2025      IRITE=1
2026      IF (IRITE .NE. 1) GO TO 9100
2027      WRITE (OUT,9101)
2028      9101 FORMAT(' WRITE 9101     FILM BOIL OR VAPOR ONLY HEATING "QBLRPP"')
2029      WRITE (OUT,9102) T(3), HT(3), TW(3), T(5)
2030      *           ,TW(5), X1, X2, X3
2031      *           ,XI, XE
2032      9102 FORMAT(' T(3)   =', E12.5, ' HT(3) =', E12.5, ' TW(3) =', E12.5
2033      *           , T(5)   =', E12.5, //, TW(5) =', E12.5, ' X1   =', E12.5
2034      *           , X2   =', E12.5, ' X3   =', E12.5, //, XI   =', E12.5
2035      *           , XE   =', E12.5)
2036      9100 CONTINUE
2037 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
2038 C*** IF VAPOR-ONLY FLOW DOES NOT OCCUR, GO TO 1320 TO COMPUTE DELTA P
2039      IF(XE.LT.1.0)GO TO 1320
2040 C*** COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW
2041      T(5)=(Q/W-CPY(1)*(TSAT-TIN)-HFG*(1.0-XI))/CPY(2)+TSAT
2042      XE=1.0
2043      TW(5)=T(5)+Q/(AH*HT(5))
2044 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
2045      IRITE=1
2046      IF (IRITE .NE. 1) GO TO 9110

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20047      WRITE (OUT,9111)
20048  9111 FORMAT(' WRITE 9111 VAPOR ONLY HEATING "QBLRPP"')
20049      WRITE (OUT,9112) T(5), XE, TW(5)
20050  9112 FORMAT(' T(5) =', E12.5, ' XE =', E12.5, ' TW(5) =', E12.5)
20051      9110 CONTINUE
20052  C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20053      GO TO 1320
20054  C*** COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW FROM INLET TO OUTLET
20055      1272 T(5)=TIN+Q/W/CPY(2)
20056      TW(5)=T(5)+G/AH/HT(5)
20057  C$ ADD 144 FACTOR; DO NOT COMPUTE "D(IP+NSO)" HERE AND LINE 1475
20058      XDP=DP(2)/144.
20059  C$ D(IP+NSO)=D(IP+NSI)-DP(2)/144.
20060  C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20061      IRITE=1
20062      IF (IRITE .NE. 1) GO TO 9120
20063      WRITE (OUT,9121)
20064  9121 FORMAT(' WRITE 9121 VAPOR ONLY INLET TO OUTLET "QBLRPP"')
20065      WRITE (OUT,9122) T(5), TW(5)
20066  9122 FORMAT(' T(5) =', E12.5, ' TW(5) =', E12.5)
20067      9120 CONTINUE
20068  C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20069      GO TO 1475
20070  C*** COMPUTE THE OUTLET TEMPERATURE FOR NO NET VAPOR GENERATION
20071      1280 T(5)= TIN+Q/(AH*CPY(1))
20072      1310 PB=0.0
20073  C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20074      IRITE=1
20075      IF (IRITE .NE. 1) GO TO 9130
20076      WRITE (OUT,9131)
20077  9131 FORMAT(' WRITE 9131 TOUT FOR NO NET VAPOR GENERATED "QBLRPP"')
20078      WRITE (OUT,9132) T(5), PB
20079  9132 FORMAT(' T(5) =', E12.5, ' PB =', E12.5)
20080      9130 CONTINUE
20081  C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20082      GO TO 1350
20083  C*** COMPUTE THE TWO-PHASE PRESSURE DROP BY FAC. INC. CORRELATION
20084  C OF BAROCZY'S GRAPHICAL CORRELATION
20085      1320 PF=0.25*ALOG10(DP(1)/DP(2))
20086      PB=XE**.7/1.7-(1-XE)**2.3/2.3+(1.-(1-XE)**3.3)/(3.3*2.3*XE)
20087  C*** COMPUTE THE FRICTION PRESSURE DROP
20088      PB=-XE**1.65*PF/2.65+(1.0+PF)*PB
20089      1350 FP=DP(1)*(X1+X2)/L+(DP(1)+PB*(DP(2)-DP(1)))*X3/L
20090      FP=FP+DP(2)*(1.-(X1+X2+X3)/L)
20091      IF(XE) 1382,1382,1385
20092  C*** ADD THE MOMENTUM PRESSURE DROP
20093      1382 MP=0.0
20094      GO TO 1470
20095      1385 VE=XE/(XE+SL*(1.0-XE)/VR)
20096      IF(VE-1.0)1388,1386,1386
20097      1386 ME=VR
20098      GO TO 1390
20099      1388 ME=((1.-XE)/(1.-VE))**2*(1.-VE*(1.-SL*SL/VR))
20100      1390 IF(XI)1395,1395,1400
20101      1395 MI=1.0
20102      GO TO 1440
20103      1400 VI=XI/(XI+SL*(1.0-XI)/VR)
20104      IF(VI-1.0)1430,1425,1425
20105      1425 MI=VR
20106      GO TO 1440
20107      1430 MI=((1.-XI)/(1.-VI))**2*(1.-VI*(1.-SL*SL/VR))
20108      1440 MP=G*G*V(1)*(ME-MI)/GC
20109      1470 XDP=(FP+MP)/144.
20110      1475 D(IP+NSO)=D(IP+NSI)-XDP
20111  CXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20112      IRITE=1
20113      IF (IRITE .NE. 1) GO TO 9140
20114      XFPPSI= FP/144.
20115      XMPPSI= MP/144.
20116      WRITE (OUT,9141)
20117  9141 FORMAT(' WRITE 9141      DELTA P CALC      FROM "QBLRPP"      ')
20118      WRITE (OUT,9142) PF, PB, FP, XE
20119      *, VE, ME, MI, VI
20120      *, MP, XMPPSI, XDP, XFPPSI
20121  9142 FORMAT(' PF =', E12.5, ' PB =', E12.5, ' FP =', E12.5
20122      *, XE =', E12.5, ' VE =', E12.5, ' ME =', E12.5
20123      *, MI =', E12.5, ' VI =', E12.5, ' MP =', E12.5
20124      *, XMPPSI=', E12.5, ' XDP =', E12.5, ' XFPPSI=', E12.5)
20125      9140 CONTINUE
20126  CXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20127      IF (D(IP+NSO).GT.0.0)GO TO 1476
20128      WRITE(OUT,7655) D(IP+NSO),D(IP+NSI)
20129      7655 FORMAT(' *+* OUTLET PRESSURE IN QBOILER WAS',E14.7,
20130      * ' RESET PRESSURE TO INLET VALUE',E14.7)

```

```
20131      XDP=0.0
132      D(IP+NSO)=D(IP+NSI)
133 1476 CONTINUE
20134 C$WAS IF(T(5)-TSAT)1478,1479,1479
20135     IF(T(5)-TSAT)1478,14785,1479
20136 1478 D(IH+NSO)=VHLIQ(LOCT,D(IP+NSI),T(5))
20137 GO TO 1480
20138 C$      NEW LINE BELOW CALCULATES EXIT ENTHALPY WHEN TWO-PHASE AT EXIT
20139 14785 D(IH+NSO)=HSAT+XE*HFG
20140     GO TO 1480
20141 1479 VV=VSV('QBLRPP 2',LOCT,D(IP+NSO),T(5))
20142     D(IH+NSO)=VH(LOCT,D(IP+NSO),T(5),VV)
20143 1480 CONTINUE
20144     D(IT+NSO)=T(5)
20145 CXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20146      IRITE=1
20147     IF (IRITE .NE. 1) GO TO 9150
20148     WRITE (OUT,9151)
20149 9151 FORMAT(' WRITE 9151 ASSIGN HOUT AND TOUT FROM "QBLRPP" ')
20150     WRITE (OUT,9152) T(5), VV, TSAT, HSAT
20151     *           ,XE, HFG
20152 9152 FORMAT(' T(5) =', E12.5, ' VV =', E12.5, ' TSAT =', E12.5
20153     *           , HSAT =', E12.5, //, ' XE =', E12.5, ' HFG =', E12.5)
20154 9150 CONTINUE
20155 CXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20156     IF (ID(IRCD+13).EQ.0) GO TO 1579
20157     IF(PASS.NE.1) GO TO 1577
20158     ID(IEVT+JEVI)=3
20159 1577 IF (TMAX.GE.TSAT) GO TO 1576
20160     WRITE(OUT,1580) TMAX,TSAT,TW(5)
20161 1580 FORMAT(5X,'WARNING FROM QBOILER: ERROR VARIABLE CANNNOT BE '
20162     *' CONTROLLED BECAUSE THE CONTROLLED WALL TEMPERATURE OF',E17.7/
20163     *' IS LESS THAN THE SATURATION TEMPERATURE OF',E17.7/
20164     *' THE WALL TEMPERATURE IS',E17.7)
20165 1576 IF(T(5).GT.TSAT)GO TO 1578
20166     WRITE(OUT,1590)XE
20167 1590 FORMAT(5X,'WARNING FRON QBOILER: TWO PHASE FLUID AT OUTLET',
20168     *' PROBABLY CANNOT CONTROL WALL TEMP. EXIT QUALITY IS',E12.4)
20169 1578 D(IEV+JEVI) = (TMAX-TW(5))/XE
20170 1579 CONTINUE
20171 1485 FORMAT(' OVERALL: DP,TW(5),T(5) ',3F10.3)
20172     IF (IFP.NE.1.OR. ICPP.NE.0) GO TO 99
20173     CALL PIOPI(1,NL,NSI,NSO)
20174     CALL LINES(2)
20175     WRITE(OUT,1581) ID(ISN+NSO),TW(5)
20176 1581 FORMAT(5X,'BOILER AT STATION NO.',I4,' HAS A MAXIMUM WALL ',
20177     *' TEMPERATURE OF',E15.5,' DEGREES R')
20178 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20179     WRITE(OUT,9581) XI, XE
20180 9581 FORMAT(' INLET QUAL=', F8.3, ' EXIT QUAL=', F8.3)
20181 C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
20182 99 CONTINUE
20183     RETURN
20184 C     QBLRPP
20185 END
```

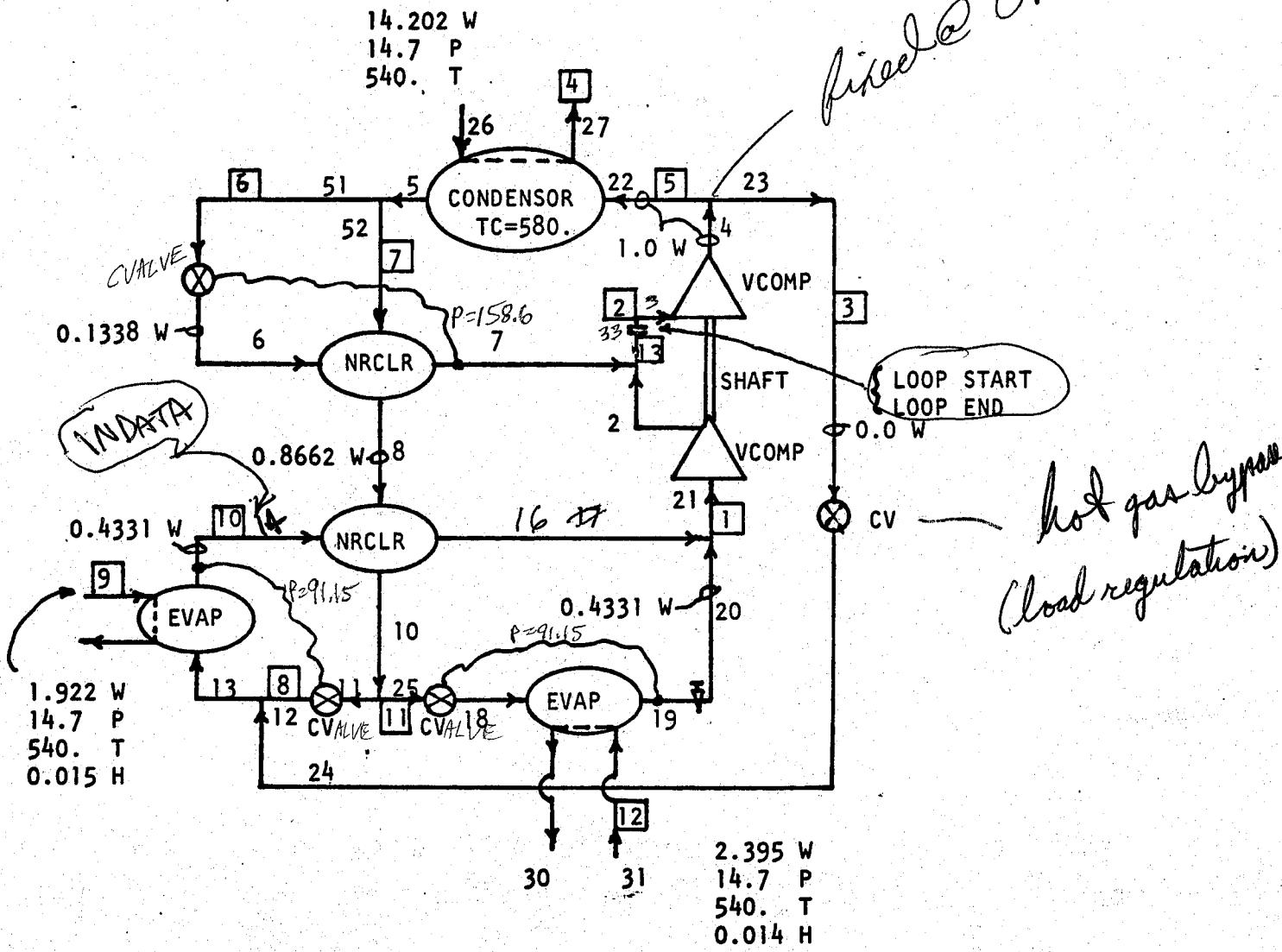
WARNING - COMMON /CC/ is smaller than an earlier program unit declaration (See Section 6.4 in Lahey Language Reference Manual),  
File PCAECS.FOR, line 19633.

WARNING - COMMON /DC/ is smaller than an earlier program unit declaration (See Section 6.4 in Lahey Language Reference Manual),  
File PCAECS.FOR, line 19647.

WARNING - INTEGER VARIABLE (NIS) never assigned a value, File PCAECS.FOR, line 19784.

630=TABV            0.0        0.0        30.0        1.0  
 640=TABID          2 5 2 0 0 410001 2  
 650=TABT          AIR SIDE EFFECTIVENESS T=5 RN=2 (IND.VAR.=AIR FLOW)  
 660=TABV          0.0        1.0        30.0        0.5  
 670=TABID          3 1 2 0 0 420001 2  
 680=TABT          REFRIG SIDE PRESS DROP T=1 RN=3 (IND.VAR.=REFRIG FLOW)  
 690=TABV          0.0        0.0        2.0        6.0  
 700=TABID          4 61 2 0 0 1000101 2  
 710=TABT          PRESS-DROP, COLD SIDE: TYPE=61 REL.NO=4  
 720=TABV          0.0        0.0        1.0        10.0  
 730=TABID          4 62 2 0 0 1020001 2  
 740=TABT          PRESS-DROP, HOT SIDE: TYPE=62 REL.NO.=4  
 750=TABV          0.0        0.0        1.0        10.0  
 760=STAB          1 6 72 6  
 770=STAB          9 61 4 61  
 780=STAB          9 62 4 62  
 790=TABID          4 1 2 0 0 410001 2  
 800=TABT          AIR SIDE PRESS DROP T=1 RN=1 (IND VAR = AIR FLOW)  
 810=TABV          0.0        0.0        5.0        0.1  
 820=TABID          5 5 2 0 0 410001 2  
 830=TABT          AIR SIDE BYPASS FACTOR T=5 RN=2 (IND VAR = AIR FLOW)  
 840=TABV          0.0        0.0        5.0        0.3  
 850=TABID          6 2 2 0 0 420001 2  
 860=TABT          REFRIG SIDE PRESS DROP T=1 RN=3 (IND VAR = )  
 870=TABV          0.0        0.0        1.0        10.0  
 880=STAB          14 1 4 1  
 890=STAB          15 5 5 5  
 900=STAB          16 2 6 2  
 910=PTAB          1 0 1 0  
 920=ENDCASE  
 930=ENDJOB  
 940=\*EOR  
 940=\*EOR

Exhibit A-1 (b): Flow Diagram for the Sample Case



LOOPS must be strategically located to enhance the solution procedure. AECS proceeds in its computations from component to component in the order entered by the user. In addition, AECS is designed such that the inlet conditions to a component must be known before the component can be analyzed. Therefore, LOOPS must be placed such that subsequent inlet conditions are known. (Our new component INDATA permits violating this rule, but only at the cost of additional computer time. Therefore, we should use INDATA only where absolutely necessary.) In our case, we considered the inlets to the compressors as suitable locations for LOOPS, because we knew reasonably well the values of flow, pressure, temperature and enthalpy at these points. However, if we had chosen the low-pressure compressor, we would have found difficulties at the compressor outlet. We would have encountered a merge at which only one inlet port (the low-pressure compressor outlet) had known values. The other (coming from the intercooler) would not be defined until we had analyzed the high-pressure compressor, the condenser and the intercooler. INDATA could have been used, but a better choice in terms of computer time was to locate LOOPS at the inlet to the high-pressure compressor. The merge would be encountered last in the computations, so the thermodynamic states at both inlet stations to the merge would be known at the time of the computations.

The outlet conditions from LOOPS will be matched, eventually, by the outlet conditions from LOOPE. Therefore, we were led to the compressor inlets, where the pressures were almost known because the evaporator temperatures were almost deducible from the temperature to which we wanted to decrease the air. By choosing a point in the system at which the thermodynamic states were almost known, we were able to reduce the number of iterations required for AECS to solve the system.

STATION 4, at the outlet of the high-pressure compressor, is the inlet station to a SPLIT, which can divert some of the flow through the hot-gas-bypass (HGBP) valve to provide load regulation. However, we decided for the test case to experiment with the compressor characteristics such that there would be no flow through the HGBP valve. Notice if the HGBP flow were non-zero, we still would not have been able to proceed with the computations by way of the HGBP, because on arriving at STATION 24 we would not have known the thermodynamic states at STATION 12, so we could not analyze the MERGE. In either case, we should proceed along to STATION 22.

The input data, tabulated in Exhibit A-1, continues from Station 22 in the usual AECS manner. Some discussion of the selection of the state and error variables is required, but this is deferred until the next section. Notice that by analyzing LEG 6 before LEG 7, we are able to have both inlet stations to the high-temperature intercooler (STATION 6 and STATION 52) defined before the intercooler analysis is

performed. Such an arrangement is not possible at the second (low-temperature) intercooler.

At the second intercooler (NRCLR) we find that the thermodynamic conditions at STATION 14 cannot be defined until the thermodynamic conditions at STATION 9 are calculated. But STATION 9 requires solving the second intercooler. Prior to this contract, AECS could not solve such a situation, so it could not solve a problem of the type shown in Exhibit A-1. We have introduced the component INDATA to give AECS the required capability. Before the second intercooler we place an INDATA (INITIALIZE-THE-DATA) component. This component accepts our estimated values for the thermodynamic states as the first guesses.

Following the second NRCLR, after STATION 9, we encounter a SPLIT, with one side of the SPLIT (LEG 8) returning to STATION 14 through the evaporator. As the computations proceed along Leg 8, Station 14 will be encountered and a contradiction will be realized between the guesses introduced by INDATA and the results of the computations along Leg 8. AECS is now designed to use the results of the computations as the next guesses. Note that, as in all of AECS, skillful guessing is required to reduce computation time and, frequently, to obtain a solution.

With the exception of the introduction of INDATA, the component sequence is similar to that of any other AECS analysis. The outlet of the second intercooler (STATION 16) is carried to the MERGE, where the computations are deferred until the analysis of LEG 11 arrives at the same merge. Then both inlet stations will have known thermodynamic states and the computations can proceed directly. The input definition ends with the LOOPE component.

Many of the parameters used in the example were chosen for input simplicity. For example, the tables were selected for convenience, so our work was decreased and so the reader would not be burdened by too many numbers. Therefore, the reader should not take the values as being typical. (Typical values are presented in Appendix D.) We have tried to keep the forms of the tables general. For example, we have used a 33-dimensional table to enter a constant efficiency, where a 3-dimensional table would have sufficed. We also used STAB (Same TABLE) where possible for duplicate tables.

The reader might want to compare the component-card formats as presented in Section 2 of this report to the data in Exhibit A.1 (a); however, comparison to the data for the individual components (Sections 3 to 19) would be more instructive and easier to follow than Exhibit A.1.

### A.3. Selection of the State and Error Variables

We are not entirely free in our selection of state and error

variables because some components allow for state or error variables to be selected as options, whereas other components require one or the other. In our example, the three control valves automatically generate three state variables (the control-valve pressure-drop coefficients). However, we do have considerable freedom, a freedom essential to successfully solving the system equations.

Our first selection of state and error variables was unsuccessful. In addition to the three state variables required for the three control valves, we had:

- the pressure at the loop start
- the enthalpy at the loop start
- the pressure ratio of the low-pressure compressor
- the pressure ratio of the high-pressure compressor

The error variables were selected as follows:

- the superheat of the high-temperature intercooler, which we presumed would be controlled by the control valve just upstream of Station 6
- the superheat at the outlet of the evaporator in Leg 10, which would be controlled by the control valve upstream of Station 12
- the superheat at the outlet of the evaporator in Leg 11, which would be controlled by the control valve upstream of Station 18
- the pressure balance at the MERGE of Legs 10, 11 and 1, which we presumed would control the flows to the two evaporators
- the pressure balance at the MERGE of Legs 1, 6 and 13, which would control the flow through the intercooler
- the pressure match at the loop end (Stations 3 and 33)
- the enthalpy match at the loop end

3 conflicts  
nw

The first guesses of the solution, entered via the PARAMETER cards, were developed with the aid of REFRIG, the refrigerant-properties program we developed under this contract. The pressures and temperatures were selected at each evaporator and at the condenser. The split at the high-pressure intercooler was chosen to give superheated refrigerant at the outlet with a heat-exchanger effectiveness of approximately 0.6. The low-temperature intercooler was also assumed to have an effectiveness of 0.6. The split between the evaporators was based on their respective cooling requirements. The interstage pressure between the two compressors was assumed to be the square root of the product of the pressure at Station 21 and the pressure at Station 4 (this approximates the optimal interstage pressure with interstage cooling).

Although we expected to find the initial guesses to be close to the final solution, the standard Newton-Raphson solution procedure would not converge. Perhaps the component sizes we selected were sufficiently different from the assumed performance that the solution

was impossible. It is more likely that the linearization used by the Newton-Raphson procedure was too far in error near the saturation line of the refrigerant. In developing the example for the intercooler by itself, we found Newton-Raphson could not solve for the system performance if only 5 F of superheat were used, whereas it could solve the problem if 10 F of superheat were used.

Non-convergence of the Newton-Raphson method can stem from many causes other than its failure to extrapolate to physically reasonable thermodynamic states. For example, the problem formulation may preclude the necessary condition that the condensing temperature be higher than the condenser cooling-air temperature. Also the refrigerant temperature in the evaporators must be less than the temperature of the air being cooled. High flow rates might be required, whereas at high flow rates the component pressure drops might be so high that the system will tend to operate at negative absolute pressures.

Unfortunately, the Newton-Raphson method gives little or no information on the cause of its failing to converge. Although diagnostics could be developed, the development work was deemed beyond the scope of the present contract. However, we did observe the difficulties near the saturation line with NRCLR. In addition, we noticed that the control valves could not control the superheat temperatures because the control valves are, in effect, only pressure controllers. They give as the outlet pressure the value

$$P_{out} = P_{in} - AK * W^{**2}$$

where AK is the control-valve setting, which is the independent (state) variable generated by the control valve component. Revising the control-valve treatment of the state variable would probably require a significant re-structuring of the ACES solution sequence, so it too was deemed beyond the scope of the present contract.

We solved the problem of non-convergence of the Newton-Raphson procedure in three ways: (1) we changed the sensors connected to the control valves such that they controlled pressure rather than superheat; (2) we reduced the number of state and error variables; and (3) we switched from the Newton-Raphson procedure to the Maximum-Rate-of-Descent (MRD) procedure. With the control valves controlling the pressure, the valve action (AK) and the value it controlled were more closely tied, so the solution would be more direct. The reduced number of state and error variables helped us observe how the solution was progressing. And the MRD method gave us control over the direction of the successive solutions, so we could observe the trends. Once we were close to the solution with MRD, we switched back to Newton-Raphson to obtain the final solution.

#### A.4. Solution to the Test Case

Obviously, the solution to the test case, or any other system, depends on many more parameters than those the solution algorithm controls (the state variables). Our first formulation of the test case, although seemingly in keeping with realm of physical possibilities, had no solution for the set of state and error variables chosen. Typically, both the Newton-Raphson and MRD procedures drove one or more of the state variables to unrealistic values that led to arithmetic mode errors in the computer.

The MRD solution technique helped greatly in that the step size of the state-variable change could be kept small enough so that the solution could be monitored for a number of passes in which the steps were at least in the direction of reducing the error. The same could be done with the Newton-Raphson procedure, but the direction of the step is not always in the direction of the reducing the error. On observing the evolution of the solution from pass to pass, we concluded that the superheat error variable was incompatible with the MERGE pressure-balance error variable. In addition, the superheat was too dependent on fixed parameters (parameters that were not state variables) such as the heat-transfer coefficients.

We tried to simplify the solution process by re-selecting the state and error variables such that one state variable controlled one error variable. Such complete separation of the causes and effects is practically impossible, but the dominant inter-dependence can be achieved. We first changed the superheat sensors such that they controlled the evaporator pressure instead, because the control valves have the greatest influence on the pressures and only a peripheral influence on the superheat. We selected the pressures to give pressure balances at the MERGEs, so we were able to delete the MERGE pressure balances as error variables. The pressures were also selected to match the pressures at the beginning and end of the loop, so pressure matching between LOOPE and LOOPS could be eliminated as an error variable. The remaining state and error variables were as follows:

##### State Variables:

- The setting of the control valve upstream of Station 6
- The setting of the control valve upstream of Station 12
- The setting of the control valve upstream of Station 18
- The air flow rate through the evaporator just upstream of Station 19

##### Error Variables

- The pressure at Station 7 (vs. the set point of the sensor)
- The pressure at Station 14
- The pressure at Station 19
- The enthalpy match between LOOPE and LOOPS

Selecting the pressure set points required hand computations to make sure that the MERGE and LOOP pressures would balance. Even with these

hand computations, several computer runs were required to adjust and verify the hand results.

We verified by numerical experimentation with AECS that the program could easily adjust the control valve settings to satisfy the pressure error variables. However, we found that the enthalpy did not match between LOOPE and LOOPS. An enthalpy imbalance indicates that the energy flows are not being balanced. In particular, the heat added at the evaporators and by the compressors is not being rejected totally by the condenser.

To balance the energy flows, we re-defined the conditions at one of the evaporators (upstream of Station 19). Although we could have changed the bypass factor, instead, we made the air flow rate a state variable, so the solution procedure could make the necessary adjustments. We used MRD so we could monitor the effect of the varying flow rate. Once we had nearly balanced the enthalpies at LOOPE, we employed the Newton-Raphson method to obtain the final solution (in five tries!). The final output data are shown in Exhibit A-1 (a) and in Exhibit A-2.



W	.43	PI	92.67	P0	91.15	T1	503.94	T0	385.94	HI	32.7433	HO	47.5100
NL	9	NSI	28	NSO	29	FT	2	FN	-1				
W	1.80	PI	14.70	P0	14.66	T1	540.00	T0	509.62	HI	.0150	HO	.0073
	BYPASS FACTOR	1.0B0	Q	2B.0B									

## COMPONENT CVALVE

NL	11	NSI	25	NSO	18	FT	3	FN	-22				
W	.43	PI	299.34	P0	92.81	T1	537.44	T0	506.03	HI	32.7933	HO	32.7933
	K	1.099521E+03											

## COMPONENT EVAP

NL	11	NSI	18	NSO	19	FT	3	FN	-22				
W	.43	PI	92.81	P0	91.16	T1	506.03	T0	509.92	HI	32.7933	HO	109.3639
	*AECS*	REFRIGERANT TEST CASE											
	1	CASE R22-01											

NL	12	NSI	31	NSO	30	FT	2	FN	-1				
W	2.36	PI	14.70	P0	14.65	T1	540.00	T0	510.84	HI	.0140	HO	.0075
	BYPASS FACTOR	1.117	Q	33.19									

## COMPONENT VCOMP

NL	1	NSI	21	NSO	2	FT	3	FN	-22				
W	.87	PI	91.16	P0	158.61	T1	539.62	T0	596.76	HI	114.7567	HO	122.2768
NL*****	NSI	1	NSO	2	FT	0	FN	0					
W	0.00	PI	.87	P0	158.61	T1	158.61	T0	596.76	HI	596.7638	HO	122.2768
	SHAFT	1	PR	1.7400	EFF	.8500	HP	-.18					
	*AECS*	REFRIGERANT TEST CASE											
	1	CASE R22-01											

TIME E 148.17  
FLOW RATE(S)-LB/MIN  
PRESSURE(S)-PSI

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DATE 01/24/82

( 1 )	118.41	( 2 )	119.49	( 3 )	120.57	( 4 )	121.65	( 5 )	122.73	( 6 )	123.81	( 7 )	124.89
( 8 )	107.34	( 9 )	108.41	( 10 )	109.48	( 11 )	110.56	( 12 )	111.64	( 13 )	112.72	( 14 )	113.80
( 16 )	91.15	( 17 )	92.01	( 18 )	92.81	( 19 )	93.61	( 20 )	94.36	( 21 )	95.16	( 22 )	95.95
( 25 )	292.34	( 26 )	293.70	( 27 )	294.43	( 28 )	295.16	( 29 )	295.79	( 30 )	296.42	( 31 )	297.75
( 31 )	14.70	( 32 )	15.33	( 33 )	15.86	( 34 )	16.40	( 35 )	16.94	( 36 )	17.48	( 37 )	17.91

### TEMPERATURE(S)-DEG R

( 1 )	596.76	( 2 )	595.32	( 3 )	595.32	( 4 )	606.48	( 5 )	606.61	( 6 )	639.81	( 7 )	586.51
( 8 )	572.28	( 9 )	537.44	( 10 )	537.44	( 11 )	537.44	( 12 )	505.94	( 13 )	505.94	( 14 )	505.94
( 16 )	570.09	( 17 )	506.03	( 18 )	506.03	( 19 )	509.92	( 20 )	539.62	( 21 )	666.48	( 22 )	666.48
( 25 )	537.44	( 26 )	540.00	( 27 )	540.00	( 28 )	540.39	( 29 )	540.00	( 30 )	509.62	( 31 )	510.84
( 31 )	540.00	( 32 )	595.40	( 33 )	595.40	( 34 )	586.61	( 35 )	586.61	( 36 )		( 37 )	

### HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1 )	122.2768	( 2 )	122.0000	( 3 )	121.2436	( 4 )	131.2436	( 5 )	53.6323	( 6 )	53.6323	( 7 )	120.3020
( 8 )	43.4167	( 9 )	32.7933	( 10 )	32.7933	( 11 )	32.7933	( 12 )	32.7933	( 13 )	32.7933	( 14 )	97.5887
( 16 )	120.1495	( 17 )	32.7933	( 18 )	32.7933	( 19 )	109.3639	( 20 )	114.7567	( 21 )	114.7567	( 22 )	131.2436
( 25 )	32.7933	( 26 )	0.0000	( 27 )	0.0000	( 28 )	0.0000	( 29 )	.0150	( 30 )	.0073	( 31 )	.0075
( 31 )	.0140	( 32 )	122.0138	( 33 )	122.0138	( 34 )	53.6323	( 35 )	53.6323	( 36 )		( 37 )	

### STATE VARIABLE(S)

( 1 )	6	( 2 )	6	( 3 )	6	( 4 )	1
-------	---	-------	---	-------	---	-------	---

STATE VARIABLE(S) ( 1 ) 7.93570E+03 ( 2 ) 1.10027E+03 ( 3 ) 1.09952E+03 ( 4 ) 2.36157E+00

ERROR VARIABLE TYPE(S) ( 1 ) 2 ( 2 ) 2 ( 3 ) 2 ( 4 ) 4

ERROR VARIABLE(S) ( 1 ) -3.21961E-10 ( 2 ) -1.17447E-03 ( 3 ) 7.34117E-03 ( 4 ) -1.37507E-02

SOLUTION CONVERGED IN 5 TRY(S)

① ERROR(S) DETECTED

CASE END

match

2.00E-  
001?

## **Appendix B: Sample for the Skillful Use of the Maximum-Rate-of-Descent Method**

### **B.1. Introduction**

With this modification of AECS, we have given the user a new tool, the Maximum-Rate-of-Descent (MRD) method, by which he might obtain a solution otherwise unattainable. The method gives the user more control over the direction of the solution. It also gives him more information on the progress of the solution, so that he can estimate whether a solution is attainable or at least so that he can see the direction of the solution and thereby devise improved initial guesses. However, because the user has more control with the MRD method, he also requires more skill.

The purpose of this appendix is to give the user an example that shows some aspects of the MRD method and its skillful use.

### **B.2. Description of the Example**

We choose as our example problem the simple refrigeration loop defined in Section 4 for the COP component. The loop consists of a vapor compressor, a condenser, an expansion valve, and an evaporator. This example was solved in Section 4 with the Newton-Raphson method, the only method available on AECS before our modification. This same example was further analyzed in Section 16 with the MRD method, as the sample case for SOLN, the new solution component.

### **B.3. Application of the MRD Method**

We will consider in this appendix MRD2 only, because it is probably the most useful MRD tool in diagnosing difficulties with the Newton-Raphson method. MRD2 permits the user to develop a graphical image of the solution process but does not confine the direction of the solution to one state-variable at a time, as does MRD1. MRD changes all variables at once, so envisioning the process is frequently too difficult. Recall that, in Section 16, the MRD2 method was applied and the output was listed in detail. In this appendix, we will present the computational results in graphical form only; however, one- and two-dimensional variations will be considered: MRD1 (one dimension, i.e., one state variable changing at each iteration) and MRD2 (two state variables changing at each iteration). One AECS "try" consists of a change in all state variables, so that, if NSV equals the number of state variables, there are NSV iterations per try in MRD1 and NSV/2 iterations per try in MRD2. In MRD, there is one iteration per try.

The results of our first attempt at an MRD solution were unsatisfactory, but did indicate a remedy. The sample problem has two state variables (so the MRD and MRD2 results would be identical): the control-valve flow-resistance factor, AK, and the air flow rate through the evaporator, Wair. Because the solution could be somewhere between AK of 0 and 2000 and Wair between 1 to 3, we chose as scale

factors 1000 for AK and 1 for Wair. The results of the MRD2 solution are illustrated in Exhibit B-1, along with the results of the Newton-Raphson solution. After 26 tries, the RMS error is 2.7 (Exhibit B-1), whereas Newton-Raphson gives an RMS error of 0.00003 after 6 tries. The MRD2 solution is also quite far from the Newton-Raphson solution.

The cause of the slow convergence of MRD2 is evident: the successive MRD2 steps oscillate between AK of 1120 and AK of 1170, with slight changes being made in Wair. The scale factor for AK was poorly chosen, because the solution range is not 0 to 2000, but approximately 1120 to 1170.

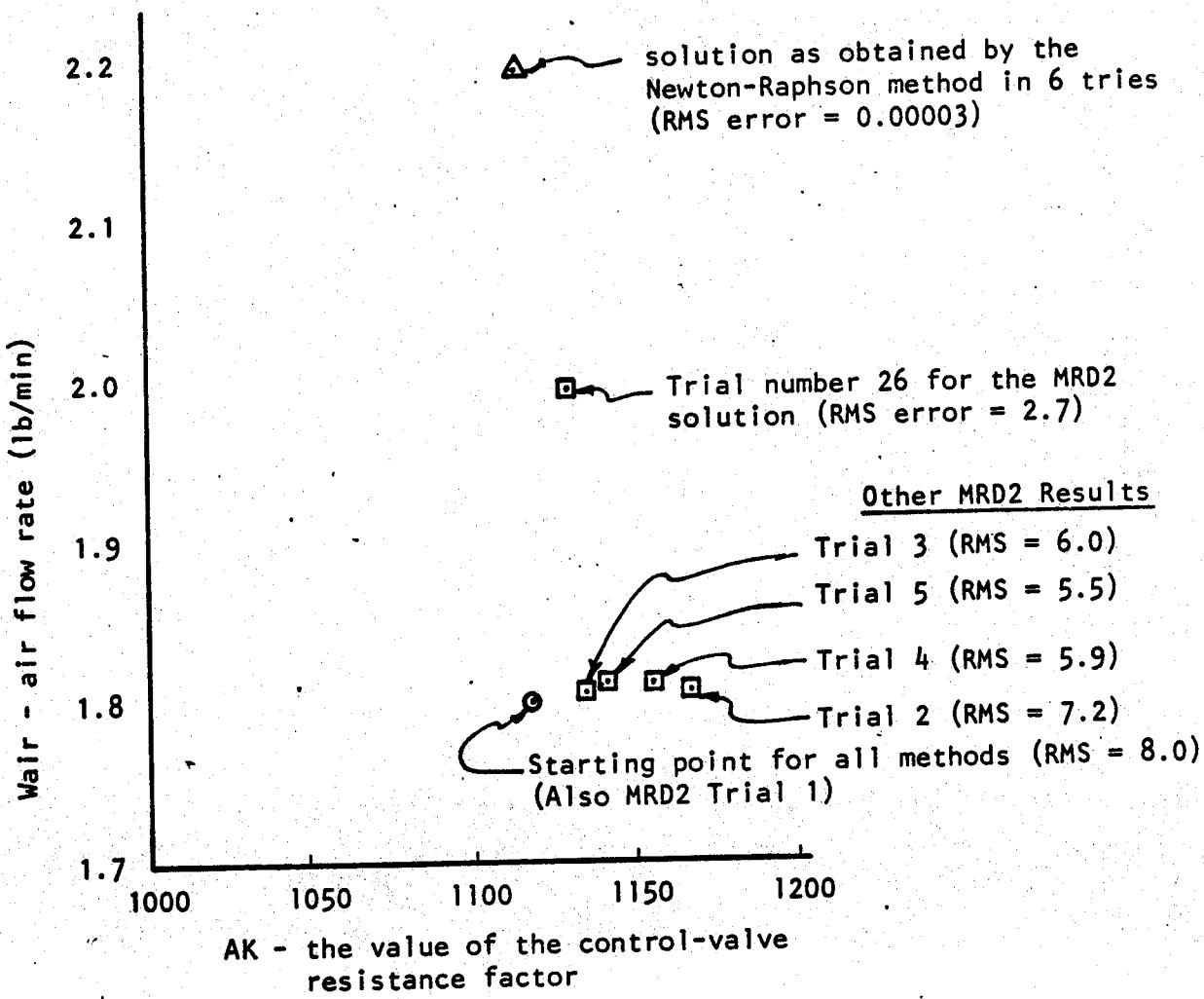
By reducing the scale factor for AK from 1000 to 40, we were able to obtain the results depicted in Exhibit B-2. MRD2 converged after 26 tries, agreeing with the Newton-Raphson solution, although the RMS error was still higher than that of Newton-Raphson (recall that an RMS error less than 1.0 indicates that, on the average, each error variable is acceptably small, but not that each error variable individually is acceptably small). The importance of the scale factor is evident.

Our method of selecting the scale factor is typical of the process that would be used in unfamiliar cases. We made our best estimate, then examined the range in each state variable as the solution progressed. We changed our scale factors to reflect this range, and re-ran the AECS program with the new scale factors. Notice that the MRD1 method could also have been used to determine the range of variation in either state variable, so suitable scale factors could have been established (equal to the range) with MRD1. In this case, with a scale factor of 40, the MRD1 method converges in 10 tries (Exhibit B-3).

This example is almost trivial. Your immediate reaction is probably that MRD2 is not helpful, because the Newton-Raphson method is obviously superior. Indeed it is --- if it converges. The MRD methods are to be used only if Newton-Raphson does not converge.

Therefore, you should first attempt to solve the problem with the Newton-Raphson method. If it fails, and you cannot readily determine why, then analyze the causes with the MRD methods. Once you have a good estimate of the solution, as obtained with MRD, then obtain the final solution with Newton-Raphson. However, do not be surprised if the Newton-Raphson method never converges. We have encountered such cases with a system consisting only of two RINLETS, a CVALVE, an NRCLR, and a SENSOR, when 5 degrees of superheat were desired. Apparently the Newton-Raphson linearization process is too crude when the refrigerant is near the saturation line.

**Exhibit B-1: Graphical Representation of the MRD2 Solution with the AK Scale Factor of 1000**



**Exhibit B-2: Graphical Representation of the MRD2 Solution with the AK Scale Factor of 40**

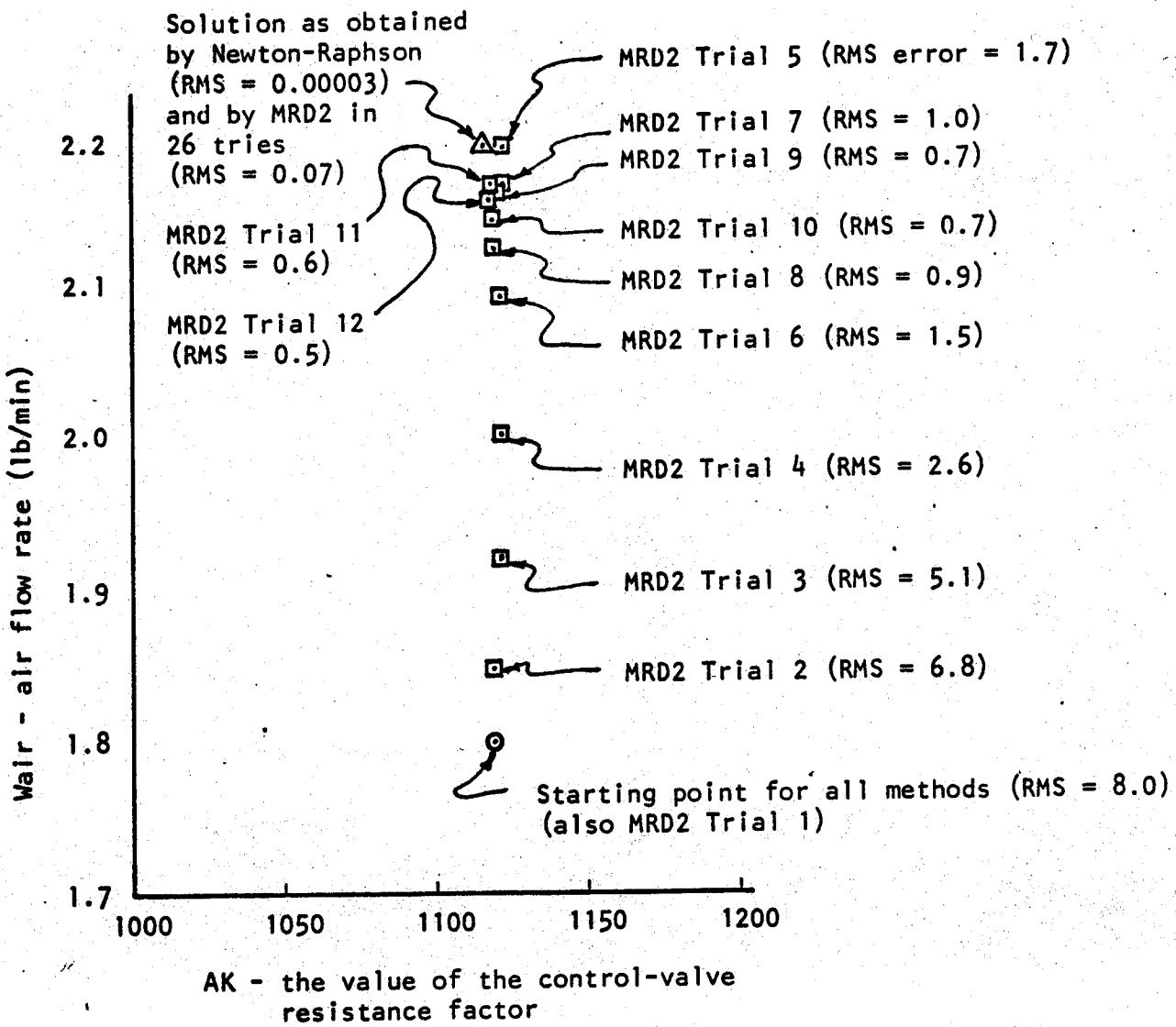
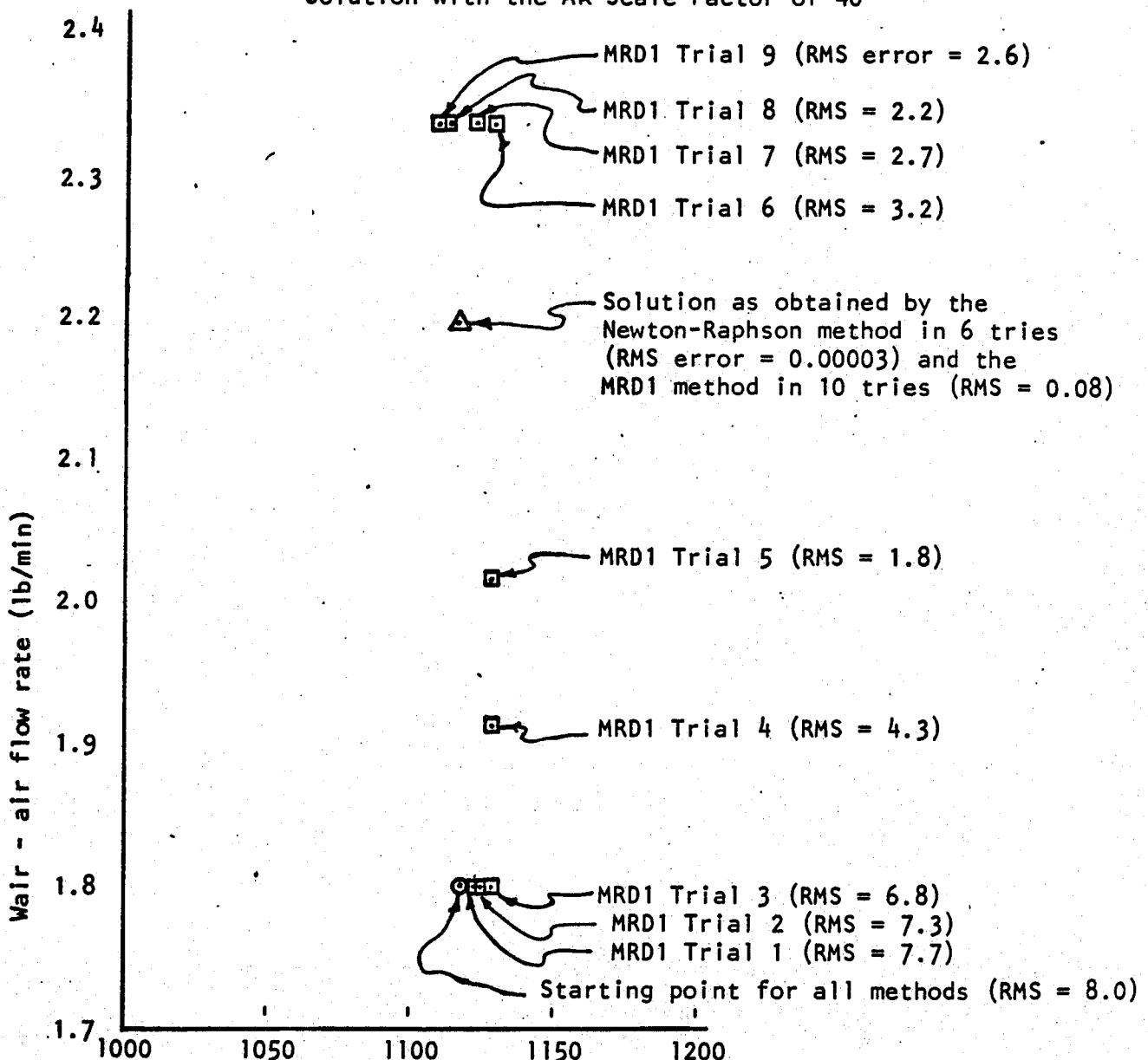


Exhibit B-3: Graphical Representation of the MRD1 Solution with the AK Scale Factor of 40



AK - the value of the control-valve resistance factor

## Appendix C: Some Notes on Entering the Tables

### C.1. Introduction

The previously existing AECS manuals have extensive sections on the entry of data in tables. However, we have found two aspects of the data entry that are not clearly defined in the previous documentation:

1. The 33 dimensional tables with many input points; and
2. The -1 dimensional table with few input points.

In this appendix, we describe how these tables should be entered.

### C.2. The 33-Dimensional Table

Suppose you have a table giving  $Y(X,Z)$ , with six values of  $X$  and two values of  $Z$ . The table must be entered in the following form:

X1	X2	X3	X4
X5	X6		
X1'	X2'	X3'	X4'
X5'	X6'		
Z1	Z1'		
Y11	Y21	Y31	Y41
Y51	Y61	Y11'	Y12'
Y13'	Y14'	Y15'	Y16'

where, for example,  $Y_{21}$  is  $Y$  at  $X_2$  and  $Z_1$  and  $Y_{21}'$  is  $Y$  at  $X_2'$  and  $Z_1'$ . Notice that the  $X$  values for two different values of  $Z$  cannot be on the same line, whereas the  $Y$  values for two different values of  $Z$  must be on the same line.

### C.3. The -1 Dimensional Table

Suppose you have an array of values, such as the weighting factors for the error variables. Because the program is designed for more than one error variable, a -1 dimensional table must be used. A potential problem arises, however, if there is only one state or error variable, so the -1 dimensional table has only one entry.

If there is only one entry in a -1 dimensional table, the user must enter the value 2 for the number of points (NPTS) on the TABID card. In all other cases, the number of points (NPTS) should be equal to the number of entries in the table. The AECS computational technique for -1 dimensional tables is based on an interpolation procedure. Therefore, the table-look-up routine must have at least two values between which to interpolate.

## Appendix D: Typical Characteristics for Compressors, Expanders and Pumps

### D.1. Introduction

For the convenience of the AECS user, we present in this section typical characteristics of refrigerant compressors, expanders and pumps. The performances are presented in dimensionless form, but examples are given to show how to convert the dimensionless forms to the dimensional forms required for AECS input.

The component characteristics presented in this appendix are hypothetical. Because we did not undertake a study of existing equipment, we were not able either to devise a baseline component characteristic or to verify the scaling laws. However, the hypothetical characteristics are consistent with the phenomena that occur in equipment of this type.

### D.2. Refrigerant Pumps

Two sets of characteristics are presented for pumps: one for positive-displacement pumps and another for dynamic pumps. The positive-displacement pumps could include gear, vane, or piston types. The dynamic pumps can be centrifugal, axial or combinations.

The volume of fluid delivered by a positive displacement pump is nearly independent of the pressure difference from inlet to outlet. However, as the pressure difference increases, the amount of fluid leaking from the outlet back to the inlet through the seals increases. A typical positive-displacement pump might have the characteristics shown in Exhibit D-1.

**Exhibit D-1: Typical Values of Flow Rate, Pressure Increase and Efficiency for a Positive-Displacement Pump Operating at the Rated Shaft Speed**

Ratio of Flow Rate to Flow Rate at Rated Conditions	Ratio of Pressure Increase to Pressure Increase at Rated Conditions	Ratio of Efficiency to Efficiency at Rated Conditions
0.0	2.50	0.00
0.1	2.00	0.20
0.2	1.90	0.38
0.3	1.80	0.54
0.4	1.70	0.68
0.5	1.40	0.70
0.6	1.33	0.80
0.7	1.26	0.88
0.8	1.17	0.94
0.9	1.09	0.98
1.0	1.00	1.00
1.1	0.73	0.80
1.2	0.00	0.00

The ratios presented in Exhibit D-1 are based on the pump running at the rated shaft speed. The pressure rise is independent of shaft speed, but the flow rate is proportional to shaft speed. The efficiency can be assumed to be independent of shaft speed.

Example D-1: Suppose we have a system with a flow rate of 100 lbs per minute and we need a pump to produce a 250 psi pressure increase at a shaft speed of 25000 rpm. We assume that we can find a pump with exactly these ratings and that its nominal efficiency is 85%. To develop the tables for AECS, we first convert the values in Exhibit D-1 for the nominal shaft speed. To simplify the example, we will represent the pump with only 4 values of the flow rate: 0.0, 0.5, 1.0, and 1.2. We multiply each of these values by 100 lb/min to obtain the dimensional flow rates. The corresponding pressure rises are obtained by multiplying the values in Exhibit D-1 by 250 psi to obtain 625, 350, 250 and 0. The corresponding efficiencies are obtained by multiplying the values in Exhibit D-1 by 85% to obtain 0.0, 0.595, 0.85 and 0.0. We should also enter data for shaft speeds greater than and less than the nominal 25000 rpm, so that the input data will cover all possible operating conditions. At 12500 rpm (half of 25000 rpm), the flow rates will be half, so the flows will be 0, 25, 50 and 60 lb/min. The efficiencies and pressure rises remain the same. We also enter the data for 50000 rpm (twice 25000 rpm), so the flow rates will be 0, 100, 200 and 240. The performance of the pump can therefore be represented by the data in Exhibit D-2. When entered in AECS format, 33 dimensional tables will be required.

**Exhibit D-2: Values of Flow Rate, Pressure Increase and Efficiency for Example D-1**

Flow Rate (lb/min)	Shaft Speed (rpm)					
	12500		25000		50000	
	Press. Rise	Eff.	Press. Rise	Eff.	Press. Rise	Eff.
0	625	0.000	625	0.000	625	0.000
25	350	0.595				
50	250	0.850	350	0.595		
60	0	0.000				
100			250	0.850	350	0.595
120				0	0.000	
200						250 0.850
240	0	0.000	0	0.000	0	0.000

Notes: AECS interpolates 33-dimensional tables in a potentially unrealistic manner. To avoid the lack of realism, we have entered data at the maximum flow rate for all three speeds. If we did not, AECS would interpolate to obtain the pressure rise at 100 lb/min and 15000 rpm, for example, by extrapolating the 12500 rpm data (linearly) to obtain -1000 psi. AECS would then interpolate between the -1000 and +250 psi (linearly) to obtain -250 psi, a unrealistic value, at 20000 rpm. With the data point at 240 lb/min, AECS will get 150 psi.

Dimensionless data for dynamic pumps can be represented similarly (Exhibit D-3). However, the conversion to dimensional form differs, because the pressure rise is no longer independent of shaft speed. Instead, the pressure rise increases with the square of the shaft speed. The flow rate is again proportional to the rpm.

**Exhibit D-3: Typical Values of Flow Rate, Pressure Increase and Efficiency for a Dynamic Pump**

Ratio of Flow Rate to Flow Rate at Rated Conditions	Ratio of Pressure Increase to Pressure Increase at Rated Conditions	Ratio of Efficiency to Efficiency at Rated Conditions
0.0	1.20	0.00
0.1	1.19	0.12
0.2	1.18	0.24
0.3	1.17	0.35
0.4	1.16	0.46
0.5	1.15	0.58
0.6	1.14	0.68
0.7	1.12	0.78
0.8	1.10	0.88
0.9	1.08	0.95
1.0	1.00	1.00
1.1	0.55	0.50
1.2	0.00	0.00

**Example D-2:** Suppose we need to characterize a pump having a flow rate of 200 lb/min and a pressure increase of 100 psi at a rated speed of 10000 rpm. We assume that the pump efficiency at these conditions will be 85%. Again, for convenience, we represent the pump at the dimensionless flow rates of 0, 0.5, 1.0 and 1.2 (the dimensional values of 0, 100, 200 and 240 lb/min). The corresponding pressure rises at 10000 rpm will be 120, 115, 100 and 0, as found by multiplying the dimensionless pressure rises by 100 psi. The corresponding efficiencies are found by multiplying the dimensionless values by 85% to obtain 0.0, 0.493, 0.85 and 0.0. At 5000 rpm, the flows will be 0, 50, 100 and 120. The corresponding pressure rises, which are proportional to the square of the shaft speed, will be one-quarter of the values at 10000 rpm, or 30, 28.75, 25 and 0. The efficiencies remain unchanged. Exhibit D-4 summarizes the results.

**Exhibit D-4: Values of Flow Rate, Pressure Increase and Efficiency for Example D-2**

Flow Rate (lb/min)	Shaft Speed (rpm)					
	5000		10000		20000	
	Press. Rise	Eff.	Press. Rise	Eff.	Press. Rise	Eff.
0	30	0.000	120	0.000	480	0.000
50	29	0.493				
100	25	0.850	115	0.493		
120	0	0.000				
200			100	0.850	460	0.493
240			0	0.000		
400					400	0.850
480	0	0.000	0	0.000	0	0.000

### D.3. Vapor Compressors

The dimensionless characteristics of a vapor compressor are the same as those for the refrigerant pump (Exhibits D-1 and D-3). The conversion to AECS input differs slightly because the input data for the compressor is the pressure ratio rather than the pressure rise. To obtain the pressure ratio, the following formula is used:

$$\text{Pressure ratio} = 1 + (\text{Pressure rise}) / (\text{Inlet pressure})$$

Therefore, a two-step conversion to AECS format is required. The dimensionless pressure rise is first converted to a dimensional rise. Then the pressure rises are converted to pressure ratios using the above formula.

**Example D-3:** Suppose the data of Example D-2 were to be applied to a vapor compressor having an inlet pressure of 20 psi. Then each pressure rise in Exhibit D-4 is divided by 20 psi and 1.0 is added to the result. The input data would appear as shown in Exhibit D-5.

**Exhibit D-5: Values of Flow Rate, Pressure Ratio and Efficiency for Example D-3**

Flow Rate (lb/min)	Shaft Speed (rpm)					
	5000		10000		20000	
	Press. Ratio	Eff.	Press. Ratio	Eff.	Press. Ratio	Eff.
0	2.50	0.000	7.00	0.000	25.0	0.000
50	2.45	0.493				
100	2.25	0.850	6.75	0.493		
120	1.00	0.000				
200			6.00	0.850	24.0	0.493
240			1.00	0.000		
400					21.0	0.850
480	1.00	0.000	1.00	0.000	1.0	0.000

#### D.4. Expanders

The dimensionless data for the expanders (Exhibit D-6) must be converted to AECS input in a manner similar to that for the vapor compressor. The dimensionless data for the expander is the same for positive-displacement expanders and for dynamic machines. In preparing the AECS input, the pressure decreases are converted to pressure ratios by the formula:

$$\text{Pressure ratio} = 1 - (\text{pressure decrease}) / (\text{inlet pressure})$$

where the inlet pressure is the high pressure. We assume that the valves (nozzles and ports) limit the flow, so the flow rate is proportional to the square root of the pressure decrease at any speed. Ideally, the shaft speed is proportional to the flow rate.

**Exhibit D-6: Typical Dimensionless Values of Flow Rate, Pressure Decrease and Efficiency for Expanders**

Ratio of Flow Rate to Flow Rate at Rated Conditions	Ratio of Pressure Decrease to Pressure Decrease at Rated Conditions	Ratio of Efficiency to Efficiency at Rated Conditions
0.0	0.00	0.00
0.2	0.04	0.20
0.4	0.16	0.40
0.6	0.36	0.60
0.8	0.64	0.80
0.9	0.81	0.90
1.0	1.00	1.00
1.1	1.40	0.75
1.3	2.00	0.50
1.5	3.00	0.30

**Example D-4:** Suppose we have a system with a flow rate of 100 lbs per minute and we need an expander operating with an inlet pressure of 250 psia and an outlet pressure of 50 psia (a pressure decrease of 200 psi) at a shaft speed of 25000 rpm. We assume that we can find an expander with exactly these ratings and that its nominal efficiency is 85%. To develop the tables for AECS, we first convert the values in Exhibit D-6 for the nominal shaft speed. To simplify the example, we attempt to represent the expander with only 4 values of the flow rate: 0.0, 0.6, 1.0, and 1.3. We multiply each of these values by 100 lb/min to obtain the dimensional flow rates. The corresponding pressure rises are obtained by multiplying the values in Exhibit D-6 by the pressure decrease of 200 psi to obtain 0, 72, 200 and 400. However, the 400 psi decrease exceeds the inlet pressure (250 psia), so we cannot have a flow-rate ratio of 1.3. Instead, at a 250 psi pressure decrease, the pressure-decrease ratio is 250/200 = 1.25, which corresponds to a 1.06 flow-rate ratio (as obtained by linear interpolation). Therefore, the flow rates to be used at the nominal speed are 0, 60, 100 and 106 lb/min. The corresponding pressure

decreases are 0, 72, 200 and 250. The above formula can be used to convert these to pressure ratios of 1, 0.712, 0.2 and 0.0. The corresponding efficiencies are 0, 0.51, 0.85 and 0.84, as found by multiplying the dimensionless values by 0.85, the nominal efficiency.

To continue Example D-4, we must compute the expander characteristics at two other shaft speeds. We choose 12500 and 40000 rpm. The flow is proportional to the shaft speed and the pressure decrease is proportional to the square of the shaft speed, so at 12500 rpm, the flow rates are 0, 30, 50 and 65 lb/min (the last being for a flow-rate ratio of 1.3). The corresponding pressure decreases are 0, 18, 50 and 100 (pressure ratios of 1, 0.93, 0.8 and 0.6) and the efficiencies are 0, 0.51, 0.85 and 0.43. At 40000 rpm, the flow rates would be 0, 96, 160 and 208 and pressure decreases would be 0, 184, 512 and 640 (pressure ratios of 1, 0.26, -1.05 and -1.56). Only the first two are possible with a 250 psia inlet pressure. Therefore, the AECS input would appear as shown in Exhibit D-7. A 33-dimensional table is required. Notice that we again enter the pressure ratios for the highest flow rates and for all shaft speeds, to avoid the difficulties that can be encountered with the AECS interpolation routines.

**Exhibit D-7: Values of Flow Rate, Pressure Increase and Efficiency for Example D-4 (Expander)**

Flow Rate (lb/min)	Shaft Speed (rpm)					
	12500		25000		40000	
	Press. Ratio	Eff.	Press. Ratio	Eff.	Press. Ratio	Eff.
0	1.00	0.00	1.00	0.00	1.00	0.000
30	0.93	0.51				
50	0.80	0.85				
60			0.71	0.51		
65	0.60	0.43				
100			0.20	0.85		
106			0.00	0.84		
120	0.00	0.00	0.00	0.00	0.26	0.51

## Appendix E: Application to a Power Cycle

### E.1. Introduction

As part of the requirements of the contract, the refrigerant subroutines were to be applied to a combined power and refrigeration cycle such as shown in Exhibit E-1. In particular, a cooling load of 6600 Btu/min was chosen. The purpose of this appendix is to present the steps taken to analyze the system and to present the final result.

### E.2. Thermodynamic Analysis

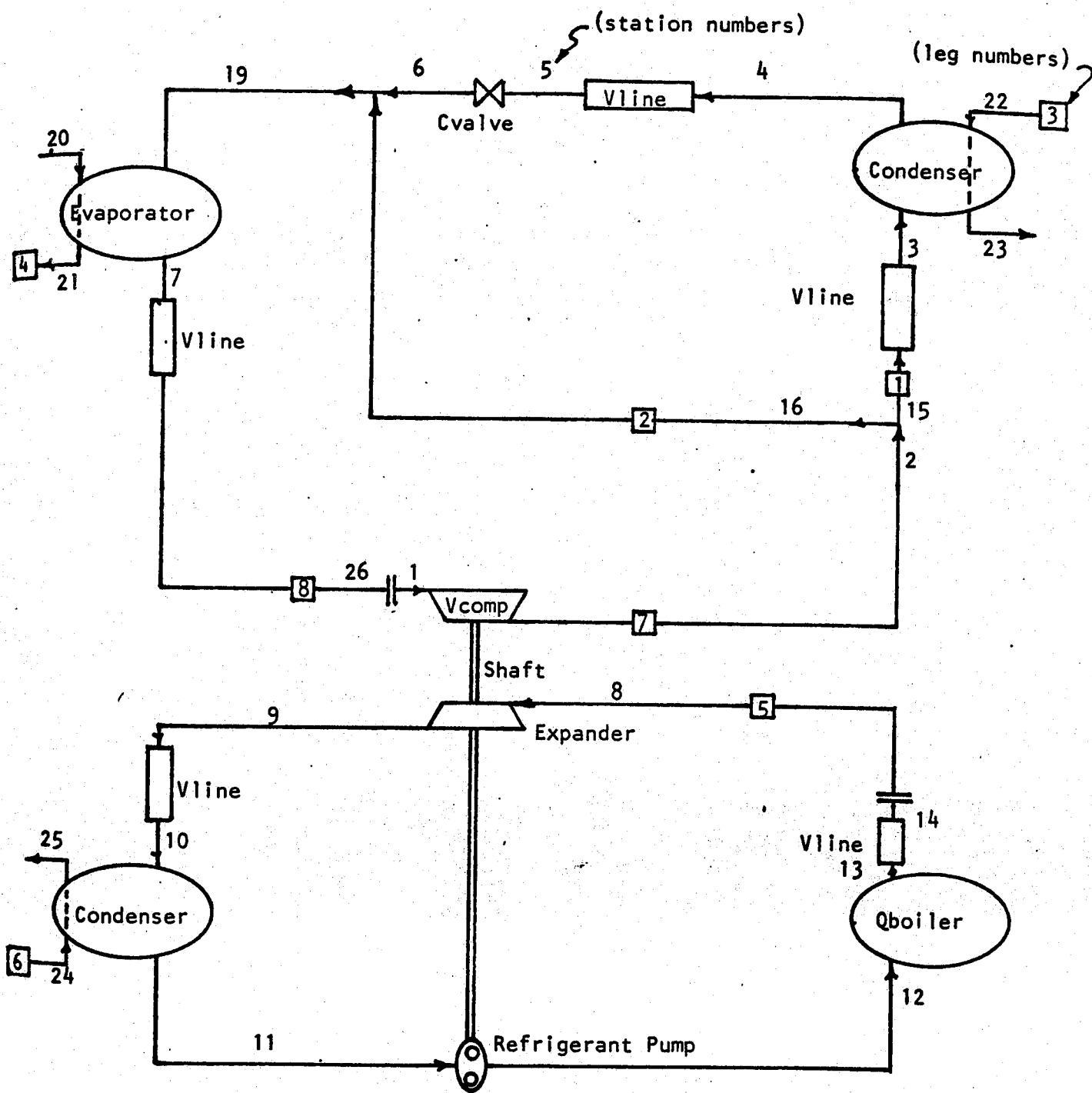
The first step in analyzing the system is to estimate the thermodynamic states at each station in the cycle. With the aid of the refrigerant-properties program developed under this contract, the states can be determined in approximately 30 minutes. The results are shown in Exhibit E-2.

Exhibit E-2: Estimated Thermodynamic States

Station	Flow Rate lb/min	Pressure psia	Temperature R	Enthalpy Btu/lb	Specific Volume cu.ft./lb	Entropy Btu/lb-R
Refrigeration Cycle (R-22)						
1*	100	77.0	500.00	108.59	0.7191	0.22234
2(ideal)		245.0		121.19		0.22234
2	100	245.0	619.98	123.41	0.2607	0.22594
3	100	244.5		123.41		
4	100	244.0	570.00	42.55	0.0144	0.08508
5	100	244.0		42.55		
6	100	78.0	496.02	42.55	0.1868	0.08894
7	100	78.0	500.00	108.53	0.7086	0.22195
Power Cycle (R-11)						
8*	100	280.0	800.00	132.62	0.1798	0.20437
9(ideal)		30.0		112.45		0.20437
9	100	30.0	639.99	115.48	1.5962	0.20918
10	100	29.5		115.48		
11	100	29.0	570.00	30.87	0.0112	0.06270
12(ideal)		281.0		31.39		
12	100	281.0		31.48		
13	100	281.0	800.00	132.58	0.1750	

Notes: The refrigeration effect is  $Q=100*(H_7-H_6)=6598$  Btu/min. The compressor input is  $W=100*(H_2-H_1)=1482$  Btu/min. The turbine output is  $WT=100*(H_8-H_9)*0.85=1457$  Btu/min. The pump input is  $WP=100*(H_{12}-H_{11})=61$  Btu/min. The heat input to the boiler is  $QB=100*(H_{13}-H_{12})=10119$  Btu/min. Turbine, pump and compressor efficiencies were assumed to be 85%. The AECS solution will correct for the slight imbalance in powers. Stations marked with an \* were the stations at which the thermodynamic analysis was started.

Exhibit E-1: Flow Diagram for the Combined Refrigeration-Power Cycle



### E.3. Equipment Sizes

With the thermodynamic states into and out of each component now known, the sizes of each of the components can be determined. We proceed with the components in the order of the thermodynamic states, starting with Station 1.

#### Vapor Compressor

We will choose the compression ratio for the vapor compressor as 245/77, or 3.182. A map will not be required. We will assume a mechanical efficiency of 95%. The efficiency must be entered as a function of shaft speed (RPM) and flow rate (CFM). The flow rate will be approximately  $100 \times 0.7191 = 71.91$  CFM.

The data of Exhibit D-3 will be used to characterize the compressor, except with the flow rate expressed in cfm. Because the pressure ratio is fixed, only the efficiency needs to be considered. We will use the flow-rate ratios of 0, 0.8, 1.0 and 1.2 (0, 57.53, 71.91 and 86.29 cfm) at 25000 rpm. The corresponding efficiencies are 0, 0.748, 0.85 and 0, based on a nominal efficiency of 85%. The flow rates at 12500 rpm are 0, 28.77, 35.96 and 43.15 cfm; the efficiencies are unchanged. The flow rates at 50000 rpm are 0, 115.06, 143.82 and 172.58 cfm; the efficiencies are again unchanged.

#### Refrigerant Line

The refrigerant vapor lines will be selected to give a vapor velocity of 50 ft/sec. The flow rate at the outlet of the compressor is 26.07 CFM, so the line must have a diameter of 0.105 feet.

#### Condenser

The air into the condenser is assumed to be moisture-free and at 550 R so that the implied effectiveness, based on a condensing temperature of 570.6 R, is approximately  $100 \times (H_3 - H_4) / (W_{air} \times 0.24 \times (570.6 - 550))$ . For an effectiveness of 0.65,  $W_{air} = 1636 \text{ lb/min}$  (123 CFM). The pressure drop on the air side will be assumed at 0.02 psi for this flow rate and to be proportional to the square of the flow rate. The refrigerant flow rate is 26.07 CFM at the inlet. If the inlet velocity is limited to 100 ft/sec, the flow area on the refrigerant side must be 0.0044 square feet. The friction factor will be assumed as a constant 0.004.

#### Refrigerant Line

The flow rate in the liquid line leaving the condenser is 1.44 CFM. If we limit the liquid velocity to 3 ft/sec, the diameter of the line must be 0.101 feet.

### Throttling Valve

The pressure drop in the throttling valve is given by the formula

$$P_{in} - P_{out} = AK * (lb/min)^{**2}$$

For a flow rate of 100 lb/min and a pressure drop of  $245-77=168$  psi, AK would be 0.0168.

### Evaporator

Dry air is assumed to enter the evaporator at 550 R. The heat transfer rate is 6598 Btu/min. The air flow rate is assumed to be 800 lb/min. Based on the evaporation temperature of 495.3 R, the effectiveness is computed to be  $6598/(800*0.24*(550-495.3))=0.628$ . This is the design-point value. The effectiveness is assumed to vary linearly, with the effectiveness being 1.0 when the flow rate is zero. Because the air is dry, the effectiveness is equal to  $1.-BF$ , where BF is the bypass factor. Therefore, the design-point value of the bypass factor is 0.372. The air-side pressure drop is assumed to be 0.02 psi at the design flow rate and is assumed to be proportional to the square of the flow rate. The flow area on the refrigerant side is selected to give an evaporator-outlet velocity of 50 ft/sec, so the required area is 0.024 square feet. The friction factor is assumed to be a constant 0.004.

### Refrigerant Line

The diameter of the pipe at the refrigerant outlet is selected to give a vapor velocity of 25 ft/sec, so its area must be 0.048 square feet and its diameter, 0.247 feet.

### Expander

Although we will assume the pressure ratio is fixed for the expander, we will still need both the flow table (as a function of pressure ratio and shaft speed) and the efficiency table (as a function of flow rate and shaft speed). The design shaft speed must be the same as for the directly driven compressor, 25000 RPM. We can use the dimensionless characteristics for the expander presented in Exhibit D-6. The inlet flow rate is 17.98 cfm and the pressure decrease,  $280 - 30 = 250$  psi. We will characterize the efficiency at dimensionless flow rates of 0, 1.0 and 1.5 (0, 17.98 and 26.97 cfm) at 25000 rpm. The corresponding efficiencies are 0, 0.85 and 0.255, based on a nominal efficiency of 85%. At a shaft speed of 12500 rpm, the flow rates are 0, 8.99 and 13.49 cfm and the efficiencies are unchanged. At 50000 rpm, the flow rates are 0, 35.96 and 53.94 cfm and the efficiencies are unchanged. At these flow rates, the pressure decreases are 0, 250 and 750 psi, (0, 1 and 3 as read from Exhibit D-6, multiplied by the nominal pressure decrease of 250 psi). From the formula for expanders, we obtain the corresponding pressure ratios. For example, a pressure decrease of 250 psi gives a pressure ratio of  $1-250/280 = 0.107$ . The three pressure ratios are, therefore, 1.0, 0.107, and -1.68. The negative pressure ratio is not physically possible, so only the first two are used in the input tables.

The outlet flow rate of 159.62 cfm could give rise to an appreciable outlet-velocity loss. We select an exit speed of 100 fps to get an outlet area of  $159.62 / (60 * 100) = 0.027$  square feet. If the outlet area is equal to the diameter of the expander, then the diameter must be 0.185 feet. The corresponding enthalpy loss is  $(100 * 100) / (2 * 32.2 * 778) = 0.2 \text{ Btu/lb}$  which is a tolerable value.

The input data card calls for the diameter to be entered, as well as the mechanical efficiency, which is assumed to be 95%.

### Refrigerant Line

The exhaust refrigerant line has a flow rate of 159.62 CFM. We limit the velocity to 25 ft/sec, so the diameter of the line must be 0.368 feet.

### Condenser

The condensing temperature at 29 psia is approximately 572.2 R. The air inlet temperature to the condenser is assumed to be 550 R. The effectiveness is assumed to be 0.65, based on the condensing temperature. Therefore, the air outlet temperature is 564.4 R. To remove the 8461 Btu/min requires an air flow rate of 2448 lb/min. The pressure drop on the air side is assumed to be proportional to the square of the flow rate and to be 0.02 psia at 2448 lb/min. The effectiveness is assumed to vary linearly with flow rate, being 1.0 at a flow rate of zero. The refrigerant-side friction factor is assumed to be constant at 0.004. The flow area on the refrigerant side is selected to give an inlet velocity of 50 ft/sec, so the area is 0.053 square feet.

### Refrigerant Pump

The refrigerant pump is assumed to be positive-displacement pump, with the dimensionless characteristics being given in Exhibit D-1. The design flow rate is 100 lb/min. The pressure rise at design is approximately  $281-29=252$  psi. The design speed is 25000 rpm. These conditions are close enough to the Example D-1 (Appendix D), that we can use the values presented in Exhibit D-2 directly. The rated output of the driver is required for the mechanical-efficiency table, which we take as a constant 95%. Nominally, 1.44 HP is required, so we extend the table from 0. to 5. HP.

### Boiler

The heat input to the boiler is 10110 Btu/min. The outlet flow rate is 17.5 CFM. We will assume the friction factor is a constant 0.004, and the Colburn factor, 0.004. The flow area is selected to give an outlet velocity of 5 ft/sec, so  $AF=0.06 \text{ sq.ft.}$  Under these conditions, the heat-transfer coefficient at the vapor exit is:

$$h = 0.004 * G * CP = 0.004 * 100 * 0.19 = 0.076 \text{ Btu/min-sf-R}$$

The outlet flow rate of 159.62 cfm could give rise to an appreciable outlet-velocity loss. We select an exit speed of 25 fps to get an outlet area of  $159.62/(60*25) = 0.11$  square feet. The corresponding enthalpy loss is

$$(25*25)/(2*32.2*778) = 0.01 \text{ Btu/lb}$$

which is negligible.

We enter the displacement as 0.0365 cubic feet, the ratio of the outlet area to the displacement to the  $2/3$  power (approximately the outlet area) as 1.0, and the mechanical efficiency as 95%.

#### Refrigerant Line

The exhaust refrigerant line has a flow rate of 159.62 CFM. We limit the velocity to 25 ft/sec, so the diameter of the line must be 0.368 feet.

#### Condenser

The condensing temperature at 29 psia is approximately 572.2 R. The air inlet temperature to the condenser is assumed to be 550 R. The effectiveness is assumed to be 0.65, based on the condensing temperature. Therefore, the air outlet temperature is 564.4 R. To remove the 8461 Btu/min requires an air flow rate of 2448 lb/min. The pressure drop on the air side is assumed to be proportional to the square of the flow rate and to be 0.02 psia at 2448 lb/min. The effectiveness is assumed to vary linearly with flow rate, being 1.0 at a flow rate of zero. The refrigerant-side friction factor is assumed to be constant at 0.004. The flow area on the refrigerant side is selected to give an inlet velocity of 50 ft/sec, so the area is 0.053 square feet.

#### Refrigerant Pump

The refrigerant pump is assumed to be a positive-displacement pump, with the dimensionless characteristics being given in Exhibit D-1. The design flow rate is 100 lb/min. The pressure rise at design is approximately  $281-29=252$  psi. The design speed is 25000 rpm. These conditions are close enough to the Example D-1 (Appendix D), that we can use the values presented in Exhibit D-2 directly. The rated output of the driver is required for the mechanical-efficiency table, which we take as a constant 95%. Nominally, 1.44 HP is required, so we extend the table from 0. to 5. HP.

#### Boiler

The heat input to the boiler is 10110 Btu/min. The outlet flow rate is 17.5 CFM. We will assume the friction factor is a constant 0.004, and the Colburn factor, 0.004. The flow area is selected to give an outlet velocity of 5 ft/sec, so  $AF=0.06$  sq.ft. Under these conditions, the heat-transfer coefficient at the vapor exit is:

$$h = 0.004 * G * CP = 0.004 * 100 * 0.19 = 0.076 \text{ Btu/min-sf-R}$$

Therefore, the required heat-transfer area for a 50 °F temperature difference would be 2660 sq.ft., if all of the heat transfer were in the vapor phase. In the boiling region,  $h=1.5$  would be typical, so the required heat-transfer area would be 135 sq.ft. We will assume 150 sq.ft. If the heat exchanger surface has 300 sq.ft. of heat exchanger surface per cubic foot of volume, then the length of the heat exchanger would be

$$L = 150 / (300 * 0.06) = 8.3 \text{ feet.}$$

The hydraulic diameter corresponding to 300 sq.ft./cu.ft. would be approximately

$$DH = 4/300 = 0.013 \text{ feet.}$$

#### Refrigerant Line

The line from the boiler to the expander carries 17.5 CFM. If we limit the velocity to 50 ft/sec, the diameter of the line must be 0.086 feet.

#### E.3. State and Error Variables

Our initial reasoning for the selection of state and error variables was as follows. The air flow rate through the evaporator will be fixed, under the assumption that the cooling load is a requirement of the system. The two control valves in the refrigeration loop will give one state variable each. The refrigerant flow rate and the split ratio will be selected as a state variable so that the enthalpy at the end of the loop will balance that at the beginning and so that the pressures will balance at the merge. The error variables will be the differences between the pressures and enthalpies at the loop start and end and the air temperature leaving the evaporator, as controlled by the hot-gas bypass valve. In the power loop, the outlet temperature from the boiler will be sensed and controlled by the flow rate in the power loop. Therefore, the simulation will have 5 state variables and 5 error variables.

In attempting to implement our initial reasoning, we found difficulties with the hot-gas-bypass valve and the corresponding line, because the flow through these was so small that we consistently had arithmetic errors (underflows). Therefore, we switched from the valve and line combination to having the split be fixed and not requiring a pressure balance at the merge (a control valve would eventually be used to achieve the pressure balance in a physical system). We thereby reduced the number of state and error variables to 3.

To achieve the desired cooling, we found that controlling the thermodynamic states was inadequate. AECS did not converge with either the Newton-Raphson technique or the MRD techniques. The MRD techniques did arrive at a minimum error, but it was unacceptably large.

First we separated the refrigerant loop from the power loop and studied the refrigerant loop by itself. Examination of the MRD results indicated that our heat exchangers were not large enough to handle the loads. Therefore, we reduced the number of error variables to the pressure balance at the loop end, which we controlled by the expansion valve flow factor (State Variable 1). The solution was obtained immediately (by Newton-Raphson) and we could see the shortfall of the heat exchangers. First, we increased the effectiveness of the condenser, until the expected outlet enthalpy was obtained (Exhibit E-2). Then we decreased the bypass factor of the evaporator until the enthalpies at the loop end balanced. To obtain the final solution, we reinstated the requirement that the enthalpies balance and we made the refrigerant flow a state variable.

We next examined the power loop by itself. Again we relaxed the loop balancing requirements so we could study the performance of the heat exchangers. The shaft speed was set as a state variable so the pump could balance the pressures; however, we did not require an enthalpy balance. The solution converged immediately and we saw that more heat had to be supplied to the boiler (the system efficiency was lower than computed from the data of Exhibit E-2). We adjusted the boiler input to achieve the enthalpy balance. The shaft speed remained the only state variable (the solution gave 25247 rpm).

The two separate loops were combined to obtain the final solution. We retained the shaft speed and control valves as state variables, but we switched from the refrigerant-loop flow rate to the refrigerant-loop split ratio for the third state variable. (Newton-Raphson did not converge when the flow rate was retained as the third state variable.) The pressures were required to balance at the ends of the loops; the enthalpy was required to balance at the end of the refrigeration loop. However, the separate analysis of the power loop showed that the enthalpy would balance at the end of loop in the power cycle; therefore, we did not need the enthalpy balance as another error variable.

#### E.4. Input Data Cards

The input data for the refrigerant loop as run by itself are presented in Exhibit E-3; the data cards for the power loop, in Exhibit E-4; and the data cards for the combined system, in Exhibit E-5.

#### E.5. Computational Results

The solution, as obtained with the Newton-Raphson method, is presented in Exhibit E-6. The thermodynamic analysis of Section E.2 is seen to give similar results, although the thermodynamic analysis does not include the equipment characteristics to the exactness of the AECS analysis. This case demonstrates that the simulation can solve combined power and refrigeration cycles.

Exhibit E-3: Input Cards for the Refrigeration Loop

PERFORM  
 TITLE EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
 CASEA POWER 0000 6 15 1  
 CASEB 0 0 0 0 0  
 CASEC 0.0 14.696 530.  
 CASED 0.0  
 PARAM 65  
 VALUES 1 100. 77. 500. 108.59 25000.  
 VALUES 6 3.182 0.95 0.9936 0.0 0.105  
 VALUES 11 2.0 0.0 4.0 530.0 1871.0  
 VALUES 16 14.7 550. 0.0 0.0044 0.101  
 VALUES 21 10.0 0.0 3.0 550.0 0.0001  
 VALUES 26 0.01694 0.024 10.0 0.247 2.0  
 VALUES 31 800.0 14.696 550.0 0.0 100.0  
 VALUES 36 280.0 800.0 132.62 0.107 0.95  
 VALUES 41 0.0017 1.0 2.0 0.368 1.0  
 VALUES 46 2448.0 14.696 550.0 0.0 0.053  
 VALUES 51 102.4 478.8 25000. 1.44 0.06  
 VALUES 56 10110.0 8.3 150.0 0.013 800.0  
 VALUES 61 0.086 5.0 570.0 0.20 1.3  
 LOOPS 10 7 1 8 26 3 -221000 1 2 3 4  
 SHAFT 20 1 0 5  
 VCOMP 30 7 1 2 1 0 6 1 1 7 0  
 SPLIT 40 7 2 1 15 2 16 0 8  
 VLINE 50 1 15 3 -1 9 10 11 12 13 14  
 INLET 60 3 220000 15 16 17 18 2 -1  
 COND 70 1 3 4 3 22 23 0 2 2 3 19  
 VLINE 80 1 4 5 -1 9 20 21 22 23 24  
 CVALVE 90 1 5 6 0 25 26  
 MERGE 120 1 6 2 16 8 19 0  
 INLET 125 4 200000 31 32 33 34 2 -1  
 EVAP 130 8 19 7 4 20 21 0 4 4 5 27 0  
 VLINE 150 8 7 26 -1 9 29 30 9 9 24  
 LOOPE 160 7 1 8 260101  
 SCRN 170 0 1 1 64 65  
 TABID 1 51 -1 0 0 0 0 3  
 TABT SCALE FACTORS FOR ERROR VARIABLES (TCOND OUT, LOOPE P AND H)  
 TABV 0.1 0.1 0.1  
 TABID 1 50 -1 0 0 0 0 3  
 TABT SCALE FACTORS FOR STATE VARIABLES (SPLIT, COND AIR, CVALVE)  
 TABV 1.0 0.003  
 TABID 1 6 33 0 0 280001 5 0 1010001 3  
 TABT EFFICIENCY OF VAPOR COMPRESSOR (CFM, RPM)  
 TABV 0.0 28.77 35.96 43.15  
 TABV 173.  
 TABV 0.0 57.53 71.91 86.29  
 TABV 173.  
 TABV 0.0 115.06 143.82 172.58  
 TABV 173.  
 TABV 12500. 25000. 50000.  
 TABV 0.0 0.748 0.85 0.0

TABV	0.0	0.0	0.748	0.85			
TABV	0.0	0.0	0.0	0.748			
TABV	0.85	0.0	0.0				
TABID	2	1	2	0	0	410001	4
*ABT AIR-SIDE PRESSURE DROP FOR REFRIG CONDENSER (LB/MIN)							
TABV	0.0	0.0	1000.	0.0075			
TABV	2000.	0.0299	3000.	0.0673			
TABID	2	5	2	0	0	410001	4
*ABT AIR-SIDE EFFECTIVENESS FOR REFRIG CONDENSER (LB/MIN)							
TABV	0.0	1.0	3000.	0.786			
TABV	6000.	0.572	9000.	0.358			
TABID	3	1	2	0	0	420001	4
*ABT REFRIG-SIDE PRESSURE DROP FOR REFRIG CONDENSER (CFM OF VAPOR)							
TABV	0.0	0.0	50.0	0.125			
TABV	100.0	0.50	200.0	2.0			
TABID	4	1	2	0	0	410001	4
*ABT AIR-SIDE PRESSURE DROP FOR REFRIG EVAP (LB/MIN)							
TABV	0.0	0.0	400.0	0.005			
TABV	800.0	0.02	1600.0	0.08			
TABID	4	5	2	0	0	410001	4
*ABT AIR-SIDE BYPASS FACTOR FOR REFRIG EVAP (LB/MIN)							
TABV	0.0	0.0	400.0	0.186			
TABV	800.0	0.3608	1600.0	0.744			
TABID	5	2	2	0	0	420001	4
*ABT REFRIG-SIDE PRESSURE DROP FOR REFRIG EVAP (CFM OF VAPOR)							
TABV	0.0	0.0	50.0	0.125			
TABV	100.0	0.5	200.0	2.0			
ENDCASE							
ENDJOB							
END							

Exhibit E-4: Input Cards for the Power Loop

EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE											
PERFORM											
:ITLE	POWER	0000	2	9	1						
:ASEA		0	0	0	0						
:ASEB		0.0	14.696		530.						
:ASEC											
:ASED											
PARAM	65										
.ALUES	1	100.	77.	500.	108.59	25000.					
.ALUES	6	3.182	0.95	1.0	0.0	0.105					
.ALUES	11	2.0	0.0	4.0	530.0	1636.					
.ALUES	16	14.7	550.	0.0	0.0044	0.101					
.ALUES	21	10.0	0.0	3.0	550.0	0.0001					
.ALUES	26	0.0168	0.024	5.0	0.247	2.0					
.ALUES	31	800.0	14.696	550.0	0.0	100.0					
.ALUES	36	280.0	800.0	132.62	0.107	0.95					
.ALUES	41	0.0365	1.0	2.0	0.368	1.0					
.ALUES	46	2200.0	14.696	550.0	0.0	0.053					
.ALUES	51	102.4	478.8	25000.	1.44	0.06					
VALUES	56	10839.0	8.3	150.0	0.013	800.0					
VALUES	61	0.086	5.0								
VALUES	170	5	8	5	14	3 -110000	35	36	37	38	
LOOPS											
SHAFT	175	1	1	5							
IPAND	180	5	8	9	1	0	39	6	40	41	42
VLINE	190	5	9	10		-1	9	44	45	9	9
INLET	200	6	240000	46	47	48	49	2	-1		14
COND	210	5	10	11	6	24	25	0	7	7	8
RPMP	220	5	11	12	1	9	9	9	8	8	8
GBOILR	230	5	12	13	0	10	10	55	56	57	58
VLINE	250	5	13	14		-1	9	61	62	9	9
LOOPC	260	5	8	5	140100						
TABID	6	8	33	0	0	1010001	2	0	1020001	3	
TABT											
EXPANDER FLOW RATE VS. PRESSURE RATIO AND RPM											
TABV	0.107		1.0								
TABV	0.107		1.0								
TABV	0.107		1.0								
TABV	12500.		25000.	50000.							
TABV	8.99		0.0	17.98	0.0						
TABV	35.96		0.0								
TABID	6	7	33	0	0	1010001	4	0	1020001	3	
TABT											
EXPANDER EFFICIENCY VS. CFM AND RPM											
TABV	0.0		8.99	13.49	55.0						
TABV	0.0		17.98	26.97	55.0						
TABV	0.0		35.96	53.95	55.0						
TABV	12500.		25000.	50000.							
TABV	0.0		0.85	0.255	0.0						
TABV	0.0		0.85	0.255	0.0						

TABV 0.0 0.85 0.255 0.0  
 TABID 7 1 2 0 0 410001 4  
 TABT AIR-SIDE PRESSURE DROP FOR POWER CONDENSER (LB/MIN)  
 TABV 0.0 0.0 1224. 0.005  
 TABV 2448. 0.02 3672. 0.08  
 TABID 7 5 2 0 0 410001 4  
 TABT AIR-SIDE EFFECTIVENESS FOR POWER CONDENSER (LB/MIN)  
 TABV 0.0 1.0 1224. 0.825  
 TABV 2448. 0.65 3672. 0.475  
 TABID 8 1 2 0 0 420001 4  
 TABT TWO-PHASE-SIDE PRESSURE DROP FOR POWER CONDENSER (CFM OF VAPOR)  
 TABV 0.0 0.0 50.0 0.25  
 TABV 100.0 1.0 200.0 4.0  
 TABID 9 8 33 0 0 1020001 5 0 1010001 3  
 TABT PRESSURE-RISE TABLE FOR POWER-CYCLE PUMP VS. LB/MIN, RPM  
 TABV 0.0 25.0 50.0 60.0  
 TABV 250.0  
 TABV 0.0 50.0 100.0 120.0  
 TABV 250.0  
 TABV 0.0 100. 200. 240.  
 TABV 250.0  
 TABV 12500. 25000. 50000.  
 TABV 625. 350. 250. 0.0  
 TABV 0.0 625. 350. 250.  
 TABV 0.0 0.0 625. 350.  
 TABV 250. 0.0 0.0  
 TABID 9 9 33 0 0 1020001 5 0 1010001 3  
 TABT EFFICIENCY TABLE FOR POWER-CYCLE PUMP VS LB/MIN, RPM  
 TABV 0.0 25. 50. 60.  
 TABV 250.  
 TABV 0.0 50. 100. 120.  
 TABV 250.  
 TABV 0.0 100. 200. 240.  
 TABV 250.  
 TABV 12500. 25000. 50000.  
 TABV 0.0 0.595 0.85 0.0  
 TABV 0.0 0.0 0.595 0.85  
 TABV 0.0 0.0 0.0 0.595  
 TABV 0.85 0.0 0.0  
 TABID 9 10 2 0 0 1010001 2  
 TABT MECHANICAL EFFICIENCY TABLE FOR POWER-CYCLE PUMP (HP/HPR)  
 TABV 0.0 0.85 5.0 0.85  
 TABID 10 32 2 0 0 210001 2  
 TABT FRICTION-FACTOR OF BOILER (REYNOLDS NUMBER)  
 TABV 0.0 0.004 1000000. 0.004  
 TABID 10 33 2 0 0 210001 2  
 TABT COLBURN-FACTOR OF BOILER (REYNOLDS NUMBER)  
 TABV 0.0 0.004 1000000. 0.004

ENDCASE  
ENDJOB

Exhibit E-5: Input Cards for the Combined Refrigeration and Power Loops

```

PERFORM
TITLE EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE
CASEA POWER 0000 8 26 1
CASEB 0 0 0 0 0
CASEC 0.0 14.696 530.
CASED 0.0
PARAM 65
VALUES 1 100. 77. 500. 108.59 25000.
VALUES 6 3.182 0.95 0.9936 0.0 0.105
VALUES 11 2.0 0.0 4.0 530.0 1871.
VALUES 16 14.7 550. 0.0 0.0044 0.101
VALUES 21 10.0 0.0 3.0 550.0 0.0001
VALUES 26 0.01694 0.024 10.0 0.247 2.0
VALUES 31 800.0 14.696 550.0 0.0 100.0
VALUES 36 280.0 800.0 132.62 0.107 0.95
VALUES 41 0.0365 1.0 2.0 0.368 1.0
VALUES 46 2200.0 14.696 550.0 0.0 0.053
VALUES 51 102.4 478.8 25000. 1.44 0.06
VALUES 56 10836.2 8.3 150.0 0.013 800.0
VALUES 61 0.086 5.0 570.0 0.20 1.3
LOOPS 10 7 1 8 26 3 -2200000 1 2 3 4
SHAFT 20 1 1 5
VCOMP 30 7 1 2 1 0 6 1 1 7 0
SPLIT 40 7 2 1 15 2 16 1 8
VLINE 50 1 15 3 -1 9 10 11 12 13 14
INLET 60 3 2200000 15 16 17 18 2 -1
COND 70 1 3 4 3 22 23 0 2 2 3 19
VLINE 80 1 4 5 -1 9 20 21 22 23 24
CVALVE 90 1 5 6 0 25 26
ERGE 120 1 6 2 16 8 19 0
INLET 125 4 2000000 31 32 33 34 2 -1
EVAP 130 8 19 7 4 20 21 0 4 4 5 27 0
VLINE 150 8 7 26 -1 9 29 30 9 9 24
LOOPC 160 7 1 8 260101
LOOPS 170 5 8 5 14 3 -1100000 35 36 37 38
FAND 180 5 8 9 1 0 39 6 40 41 42 0 9
VLINE 190 5 9 10 -1 9 44 45 9 9 14
INLET 200 6 2400000 46 47 48 49 2 -1
COND 210 5 10 11 6 24 25 0 7 7 8 50
PMP 220 5 11 12 1 9 9 9 8 8 8 8
BOILR 230 5 12 13 0 10 10 55 56 57 58 59 0
VLINE 250 5 13 14 -1 9 61 62 9 9 14
LOOPC 260 5 8 5 140100
TABID 1 6 33 0 0 280001 5 0 1010001 3
TABT EFFICIENCY OF VAPOR COMPRESSOR (CFM, RPM)
TABV 0.0 28.77 35.96 43.15

```

TABV	173.			
TABV	0.0	57.53	71.91	86.29
TABV	173.			
TABV	0.0	115.06	143.82	172.58
TABV	173.			
TABV	12500.	25000.	50000.	
TABV	0.0	0.748	0.85	0.0
TABV	0.0	0.0	0.748	0.85
TABV	0.0	0.0	0.0	0.748
TABV	0.85	0.0	0.0	
TABID	2 1 2 0 0	410001	4	
TABT	AIR-SIDE PRESSURE DROP FOR REFRIG CONDENSER (LB/MIN)			
TABV	0.0	0.0	1000.	0.0075
TABV	2000.	0.0299	3000.	0.0673
TABID	2 5 2 0 0	410001	4	
TABT	AIR-SIDE EFFECTIVENESS FOR REFRIG CONDENSER (LB/MIN)			
TABV	0.0	1.0	3000.	0.786
TABV	6000.	0.572	9000.	0.358
TABID	3 1 2 0 0	420001	4	
TABT	REFRIG-SIDE PRESSURE DROP FOR REFRIG CONDENSER (CFM OF VAPOR)			
TABV	0.0	0.0	50.0	0.125
TABV	100.0	0.50	200.0	2.0
TABID	4 1 2 0 0	410001	4	
TABT	AIR-SIDE PRESSURE DROP FOR REFRIG EVAP (LB/MIN)			
TABV	0.0	0.0	400.0	0.005
TABV	800.0	0.02	1600.0	0.08
TABID	4 5 2 0 0	410001	4	
TABT	AIR-SIDE BYPASS FACTOR FOR REFRIG EVAP (LB/MIN)			
TABV	0.0	0.0	400.0	0.186
TABV	800.0	0.3608	1600.0	0.744
TABID	5 2 2 0 0	420001	4	
TABT	REFRIG-SIDE PRESSURE DROP FOR REFRIG EVAP (CFM OF VAPOR)			
TABV	0.0	0.0	50.0	0.125
TABV	100.0	0.5	200.0	2.0
TABID	6 8 33 0 0	1010001	2 0 1020001	3
TABT	EXPANDER FLOW RATE VS. PRESSURE RATIO AND RPM			
TABV	0.107	1.0		
TABV	0.107	1.0		
TABV	0.107	1.0		
TABV	12500.	25000.	50000.	
TABV	8.99	0.0	17.98	0.0
TABV	35.96	0.0		
TABID	6 7 33 0 0	1010001	4 0 1020001	3
TABT	EXPANDER EFFICIENCY VS. CFM AND RPM			
TABV	0.0	8.99	13.49	55.0
TABV	0.0	17.98	26.97	55.0
TABV	0.0	35.96	53.95	55.0
TABV	12500.	25000.	50000.	
TABV	0.0	0.85	0.255	0.0
TABV	0.0	0.85	0.255	0.0

TABV 0.0 0.85 0.255 0.0  
 TABD 7 1 2 0 0 410001 4  
 TABT AIR-SIDE PRESSURE DROP FOR POWER CONDENSER (LB/MIN)  
 TABV 0.0 0.0 1224. 0.005  
 TABV 2448. 0.02 3672. 0.08  
 TABD 7 5 2 0 0 410001 4  
 TABT AIR-SIDE EFFECTIVENESS FOR POWER CONDENSER (LB/MIN)  
 TABV 0.0 1.0 1224. 0.825  
 TABV 2448. 0.65 3672. 0.475  
 TABD 8 1 2 0 0 420001 4  
 TABT TWO-PHASE-SIDE PRESSURE DROP FOR POWER CONDENSER (CFM OF VAPOR)  
 TABV 0.0 0.0 50.0 0.25  
 TABV 100.0 1.0 200.0 4.0  
 TABD 9 8 33 0 0 1020001 5 0 1010001 3  
 TABT PRESSURE-RISE TABLE FOR POWER-CYCLE PUMP VS. LB/MIN AND RPM  
 TABV 0.0 25.0 50.0 60.0  
 TABV 250.0  
 TABV 0.0 50.0 100.0 120.0  
 TABV 250.0  
 TABV 0.0 100.0 200.0 240.0  
 TABV 250.0  
 TABV 12500. 25000. 50000.  
 TABV 625. 350. 250. 0.0  
 TABV 0.0 625. 350. 250.  
 TABV 0.0 0.0 625. 350.  
 TABV 250. 0.0 0.0  
 TABD 9 9 33 0 0 1020001 5 0 1010001 3  
 TABT EFFICIENCY TABLE FOR POWER-CYCLE PUMP VS. LB/MIN AND RPM  
 TABV 0.0 25.0 50.0 60.0  
 TABV 250.  
 TABV 0.0 50.0 100.0 120.0  
 TABV 250.  
 TABV 0.0 100.0 200.0 240.0  
 TABV 250.  
 TABV 12500. 25000. 50000.  
 TABV 0.0 0.595 0.85 0.0  
 TABV 0.0 0.0 0.595 0.85  
 TABV 0.0 0.0 0.0 0.595  
 TABV 0.85 0.0 0.0  
 TABD 9 10 2 0 0 1010001 2  
 TABT MECHANICAL EFFICIENCY TABLE FOR POWER-CYCLE PUMP VS. HP  
 TABV 0.0 0.85 5.0 0.85  
 TABD 10 32 2 0 0 210001 2  
 TABT FRICTION-FACTOR OF BOILER (REYNOLDS NUMBER)  
 TABV 0.0 0.004 1000000. 0.004  
 TABD 10 33 2 0 0 210001 2  
 TABT COLBURN-FACTOR OF BOILER (REYNOLDS NUMBER)  
 TABV 0.0 0.004 1000000. 0.004

ENDCASE

ENDJOB

LG0123

\*AECS\* GENERAL ECS PROGRAM  
1 CASE PERFOR

TIME M 3.18 SEC.  
\*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
1 CASE PERFOR

TIME Z 3.28

EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
\*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
1 CASE POWER

CASE POWER  
ATM P 14.70

ATM T 530.00

8 LEG(S) 26 STATION(S)

0. ALTITUDE  
\*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
1 CASE POWER

PARAMETER TABLE

	65	VALUE (S)
( 1 )	1.00000E+02	( 2 ) 7.70000E+01
( 7 )	9.50000E-01	( 8 ) 9.93600E-01
( 13 )	4.00000E+00	( 14 ) 5.30000E+02
( 19 )	4.00000E-03	( 20 ) 1.01000E-01
( 25 )	1.00000E-04	( 26 ) 1.69400E-02
( 31 )	8.00000E+02	( 32 ) 1.46960E+01
( 37 )	8.00000E+02	( 38 ) 1.32620E+02
( 43 )	2.00000E+00	( 44 ) 3.68000E-01
( 49 )	0.	( 50 ) 5.30000E-02
( 55 )	6.00000E-02	( 56 ) 1.08362E+04
( 61 )	8.60000E-02	( 62 ) 5.00000E+00

\*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
1 CASE POWER

COMPONENT(S)

1	6	8	12	16	20	24	28	32	36	40	44	48	52	56	60	64	68	72	76	80
LOOPS	10	7	1	8	26	3	-22	0	1	2	3	4	0	0	0	0	0	0	0	0
SHAFT	20	1	1	5	8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

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Exhibit E-6: Complete AECS Output for the Combined Refrigeration/Power System

**STATE/ERROR VARIABLE(S)      3**  
**\*AECS\*      EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE**  
**1      CASE POWER**

22 BEGOTTEN

PERMANENT TABLE 22 10

פֶּרֶז אַיִלָּנוֹן

PERMANENT TABLE

PERMANENT TABLE 11 10

TABLE I  
6  
AT HADDO  
COMBRECCOR / SEM. DOM)

NDIM	33	1ST	0	RELN	28	EXTRAP	0	INTERP	1	NPTS	5
ARGUMENT	1	TYPE	0	RELN	101	EXTRAP	0	INTERP	1	NPTS	3
ARGUMENT	2	TYPE	0	RELN	101	EXTRAP	0	INTERP	1	NPTS	3

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0.	5.75300E+01	7.19100E+01	8.62900E+01
1.73000E+02			
0.	1.15060E+02	1.43820E+02	1.72580E+02
1.73000E+02			
1.25000E+04	2.50000E+04	5.00000E+04	
0.	7.48000E-01	8.50000E-01	0.
0.	0.	7.48000E-01	8.50000E-01
0.	0.	0.	7.48000E-01
8.50000E-01	0.	0.	

TABLE 2<sup>1</sup>  
TITLE/AIR-SIDE PRESSURE DROP FOR REFRIG CONDENSER (LB/MIN)

NDIM	2	1ST	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT	1	TYPE	0								
0.	0.	0.	0.			1.00000E+03	7.50000E-03				
2.00000E+03				2.99000E-02	3.00000E+03		6.73000E-02				

TABLE 2<sup>5</sup>  
TITLE/AIR-SIDE EFFECTIVENESS FOR REFRIG CONDENSER (LB/MIN)

NDIM	2	1ST	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT	1	TYPE	0								
0.	1.00000E+00	3.00000E+03	7.86000E-01								
6.00000E+03	5.72000E-01	9.00000E+03	3.58000E-01								

TABLE 3<sup>1</sup>  
TITLE/REFRIG-SIDE PRESSURE DROP FOR REFRIG CONDENSER (CFM OF VAPOR)

NDIM	2	1ST	0	RELN	42	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT	1	TYPE	0								
*AEC5*	EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE										
1	CASE POWER										
0.	0.	5.00000E+01	5.00000E+01			5.00000E+01	1.25000E-01				
1.00000E+02				5.00000E-01	2.00000E+02		2.00000E+02				

TABLE 4<sup>1</sup>  
TITLE/AIR-SIDE PRESSURE DROP FOR REFRIG EVAP (LB/MIN)

NDIM	2	1ST	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT	1	TYPE	0								

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0.	0.	4.000000E+02	5.000000E-03
8.000000E+02	2.000000E-02	1.600000E+03	8.000000E-02

TABLE 4  
TITLE/AIR-SIDE BYPASS FACTOR FOR REFRIG EVAP (LB/MIN)

NDIM	2	IST	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT 1		TYPE	0								
0.	0.	0.	4.000000E+02	1.860000E-01							
8.000000E+02	2.000000E-02	3.600000E-01	1.600000E+03	7.440000E-01							

TABLE 5  
TITLE/REFRIG-SIDE PRESSURE DROP FOR REFRIG EVAP (CFM OF VAPOR)

NDIM	2	IST	0	RELN	42	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT 1	<th>TYPE</th> <td>0</td> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th>	TYPE	0								
0.	0.	0.	5.000000E+01	1.250000E-01							
1.000000E+02	5.000000E-01	2.000000E+02	2.000000E+00								

TABLE 6  
TITLE/EXPANDER FLOW RATE VS. PRESSURE RATIO AND RPM

NDIM	33	IST	0	RELN	101	EXTRAP	0	INTERP	1	NPTS	2
ARGUMENT 1		TYPE	0	RELN	102	EXTRAP	0	INTERP	1	NPTS	3
1.070000E-01	1.070000E-01	1.000000E+00	1								
1.070000E-01	1.070000E-01	1.000000E+00	1								
1.250000E+04	1.250000E+04	2.500000E+04	5.000000E+04	1							
8.990000E+00	8.990000E+00	0.	1.798000E+01	0.	1.798000E+01	0.	1.798000E+01	0.	1.798000E+01	0.	1
3.596000E+01	3.596000E+01	0.	0.	0.	0.	0.	0.	0.	0.	0.	1

TABLE 6  
TITLE/EXPANDER EFFICIENCY VS. CFM AND RPM

NDIM	33	IST	0	RELN	101	EXTRAP	0	INTERP	1	NPTS	4
ARGUMENT 1	<th>TYPE</th> <td>0</td> <td>RELN</td> <td>102</td> <td>EXTRAP</td> <td>0</td> <td>INTERP</td> <td>1</td> <th>NPTS</th> <td>3</td>	TYPE	0	RELN	102	EXTRAP	0	INTERP	1	NPTS	3
*AECS*	EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE	1	CASE POWER	1							
0.	8.990000E+00	1.349000E+01	5.500000E+01								

0.	1.79800E+01	2.69700E+01	3.30000E+01
0.	3.59600E+01	5.39500E+01	5.50000E+01
1.25000E+04	2.50000E+04	5.00000E+04	
0.	8.50000E-01	2.55000E-01	0.
0.	8.50000E-01	2.55000E-01	0.
0.	8.50000E-01	2.55000E-01	0.

TABLE 7<sup>1</sup>  
TITLE/AIR-SIDE PRESSURE DROP FOR POWER CONDENSER (LB/MIN)

NDIM	2	1ST ARGUMENT	0	TYPE	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
0.	0.	0.	0.	0.	0.	0.	0.	1.22400E+03	5.00000E-03	8.00000E-02			
2.44800E+03	2.00000E-02	2.00000E-02	3.67200E+03	3.67200E+03									

TABLE 7<sup>5</sup>  
TITLE/AIR-SIDE EFFECTIVENESS FOR POWER CONDENSER (LB/MIN)

NDIM	2	1ST ARGUMENT	0	TYPE	0	RELN	41	EXTRAP	0	INTERP	1	NPTS	4
0.	1.00000E+00	1.00000E+00	1.22400E+03	8.25000E-01									
2.44800E+03	6.50000E-01	6.50000E-01	3.67200E+03	4.75000E-01									

TABLE 8<sup>1</sup>  
TITLE/TWO-PHASE-SIDE PRESSURE DROP FOR POWER CONDENSER (CFM OF VAPOR)

NDIM	2	1ST ARGUMENT	0	TYPE	0	RELN	42	EXTRAP	0	INTERP	1	NPTS	4
0.	0.	0.	0.	0.	0.	0.	0.	5.00000E+01	2.50000E-01	4.00000E+00			
1.00000E+02	1.00000E+00	1.00000E+00	2.00000E+02	4.00000E+00									

TABLE 9<sup>8</sup>  
TITLE/PRESSURE-RISE TABLE FOR POWER-CYCLE PUMP VS. LB/MIN AND RPM

NDIM	33	1ST ARGUMENT	0	TYPE	0	RELN	102	EXTRAP	0	INTERP	1	NPTS	5
0.	2.50000E+02	2.50000E+02	5.00000E+01	6.00000E+01									
NDIM	33	1ST ARGUMENT	0	TYPE	0	RELN	101	EXTRAP	0	INTERP	1	NPTS	3
0.	2.50000E+02	5.00000E+01	1.00000E+02	1.20000E+02									
2.50000E+02	2.50000E+02	5.00000E+01	6.00000E+01	8.00000E+01									

0. 1.00000E+02 2.00000E+02 2.40000E+02  
2.50000E+02

\*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
1 CASE POWER

1.25000E+04	2.50000E+04	5.00000E+04
6.25000E+02	3.50000E+02	2.50000E+02
0. 0.	6.25000E+02	3.50000E+02
0. 0.	0.	6.25000E+02
2.50000E+02	0.	3.50000E+02

TABLE 9 TITLE/EFFICIENCY TABLE FOR POWER-CYCLE PUMP VS. LB/MIN AND RPM

NDIM	33	1ST TYPE	0	RELN 102	EXTRAP 0	INTERP 0	1	NPTS	3
ARGUMENT 1			0	RELN 101	EXTRAP 0	INTERP 0	1	NPTS	3
ARGUMENT 2			0						
0.	2.50000E+01	5.00000E+01	6.00000E+01						
2.50000E+02	5.00000E+01	1.00000E+02	1.20000E+02						
2.50000E+02	1.00000E+02	2.00000E+02	2.40000E+02						
2.50000E+02	2.50000E+04	5.00000E+04							
0.	5.95000E-01	8.50000E-01	0.						
0.	0.	5.95000E-01	8.50000E-01						
0.	0.	0.	5.95000E-01						
0.	0.	0.	0.						

TABLE 9 MECHANICAL EFFICIENCY TABLE FOR POWER-CYCLE PUMP VS. HP

NDIM	2	1ST TYPE	0	RELN 101	EXTRAP 0	INTERP 0	1	NPTS	2
ARGUMENT 1			0						
0.	8.50000E-01	5.00000E+00	8.50000E-01						

TABLE 10 32 TITLE/FRICITION-FACTOR OF BOILER (REYNOLDS NUMBER)

NDIM	2	1ST TYPE	0	RELN 21	EXTRAP 0	INTERP 0	1	NPTS	2
ARGUMENT 1			0						
0.	8.50000E-01	5.00000E+00	8.50000E-01						

0. 4.00000E-03 1.00000E+06 4.00000E-03

TABLE 10 33  
TITLE/COLBURN-FACTOR OF BOILER (REYNOLDS NUMBER)

NDIM	2	IST	0	RELN	21	EXTRAP	0	INTERP	1	NPTS	2
ARGUMENT 1											
0.											
*AECS*	EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE										
1	CASE POWER										
TIME P	3.61										
SVT	( -1) 7 ( 2) 5 ( -3) 6										
EVT	( -1) 2 ( -2) 4 ( -3) 2										
PASS	1										
S.V.											
( -1) 2.500000E+04 ( 2) 9.93600E-01 ( 3) 1.69400E-02											
E.V.											
( -1)-7.52063E+00 ( 2) 6.31001E+00 ( 3) 9.88496E-01											
W											
( -7) 1.000000E+02 ( 8) 1.000000E+02 ( 1) 9.93600E+01 ( 2) 6.400000E-01 ( 3) 1.87100E+03 ( 4) 8.000000E+02											
( -5) 1.000000E+02 ( 6) 2.200000E+03											
P											
( -1) 7.700000E+01 ( 26) 8.452006E+01 ( 2) 2.45014E+02 ( 15) 2.45014E+02 ( 16) 2.45014E+02 ( 3) 2.45007E+02											
( -22) 1.470000E+01 ( 4) 2.52419E+02 ( 23) 1.46730E+01 ( 5) 2.52417E+02 ( 6) 8.51786E+01 ( 19) 8.51786E+01											
( -20) 1.46960E+01 ( 7) 8.45211E+01 ( 21) 1.46760E+01 ( 8) 2.800000E+02 ( 14) 2.79012E+02 ( 9) 2.99600E+01											
( -10) 2.99598E+01 ( 24) 1.46960E+01 ( 11) 2.90988E+01 ( 25) 1.46790E+01 ( 12) 2.79099E+02 ( 13) 2.79018E+02											
T											
( -1) 4.99996E+02 ( 26) 5.01034E+02 ( 2) 6.20038E+02 ( 15) 6.20038E+02 ( 16) 6.20038E+02 ( 3) 6.20038E+02											
( -22) 5.500000E+02 ( 4) 5.66926E+02 ( 23) 5.68130E+02 ( 5) 5.66926E+02 ( 6) 5.01034E+02 ( 19) 5.01034E+02											
( -20) 5.500000E+02 ( 7) 5.01034E+02 ( 21) 5.18701E+02 ( 8) 8.00005E+02 ( 14) 7.99732E+02 ( 9) 6.42328E+02											
( -10) 6.42328E+02 ( -24) 5.500000E+02 ( 11) 5.65627E+02 ( 25) 5.66397E+02 ( 12) 5.66063E+02 ( 13) 7.99732E+02											
H											
( -1) 1.08590E+02 ( -26) 1.02280E+02 ( 2) 1.23421E+02 ( 15) 1.23421E+02 ( 16) 1.23421E+02 ( 3) 1.23421E+02											
( -22) 0. ( -4) 4.15934E+01 ( 23) 0. ( 5) 4.15934E+01 ( 6) 4.15934E+01 ( 19) 4.21171E+01											

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( 1) 0. 7) 1.02E+02 ( 2) 1.02E+02 ( 8) 1.32620E+02 ( 14) 1.32620E+02  
 ( 1) 1.19473E+02 ( 2) 0. ( 11) 2.99371E+01 ( 25) 0. ( 12) 3.05640E+01 ( 13) 1.32603E+02  
 ( 0) 0. ( 0) 0.  
 \*AECS\* EXAMPLE CASE FOR POWER CYCLE AND REFRIGERATION CYCLE  
 1 CASE POWER

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TIME E 5.35

FLOW RATE(S)-LB/MIN

( 1) 99.80 ( 2)	100.00 ( 8)	100.00 ( -)
( 7) 100.00 ( 8)	100.00 ( -)	100.00 ( -)

PRESSURE(S)-PSI

( 1) 77.00 ( 2)	245.01 ( 3)	245.01 ( 4)	252.49 ( 5)	252.49 ( 6)
( 7) 77.00 ( 8)	280.00 ( 9)	29.96 ( 10)	29.96 ( 11)	29.10 ( 12)
( 13) 280.01 ( 14)	280.00 ( 15)	245.01 ( 16)	245.01 ( 19)	77.83 ( 20)
( 21) 14.68 ( 22)	14.70 ( 23)	14.67 ( 24)	14.70 ( 25)	14.68 ( 26)
( 0) 0.00 ( 0)	0.00 ( -)	0.00 ( -)	0.00 ( -)	77.00 ( -)

TEMPERATURE(S)-DEG R

( 1) 500.00 ( 2)	620.35 ( 3)	620.35 ( 4)	568.10 ( 5)	568.10 ( 6)
( 7) 500.28 ( 8)	800.00 ( 9)	642.88 ( 10)	642.88 ( 11)	565.88 ( 12)
( 13) 800.02 ( 14)	800.02 ( 15)	620.35 ( 16)	620.35 ( 19)	495.90 ( 20)
( 21) 515.42 ( 22)	550.00 ( 23)	568.13 ( 24)	550.00 ( 25)	566.40 ( 26)
( 0) 0.00 ( 0)	0.00 ( -)	0.00 ( -)	0.00 ( -)	500.28 ( -)

HUMIDITY(S)/ENTHALPY(S)-LBW/LBA / BTU/LB

( 1) 108.5900 ( 2)	123.4875 ( 3)	123.4875 ( 4)	41.9569 ( 5)	41.9569 ( 6)
( 7) 108.5880 ( 8)	132.6200 ( 9)	115.9176 ( 10)	115.9176 ( 11)	30.0073 ( 12)
( 13) 132.6228 ( 14)	132.6228 ( 15)	123.4875 ( 16)	123.4875 ( 19)	42.1163 ( 20)
( 21) 0.0000 ( 22)	0.0000 ( 23)	0.0000 ( 24)	0.0000 ( 25)	0.0000 ( 26)
( 0) 0.0000 ( 0)	0.0000 ( -)	0.0000 ( -)	0.0000 ( -)	108.5880 ( -)

STATE VARIABLE TYPE(S)

( 1) 7 ( 2)	5 ( 3)	6 ( -)
-------------	--------	--------

STATE VARIABLE(S)

( 1) 2.52469E+04 ( 2)	9.98045E-01 ( 3)	1.75346E-02 ( -)
-----------------------	------------------	------------------

ERROR VARIABLE TYPE(S)

( 1) 2 ( 2)	4 ( 3)	2 ( -)
-------------	--------	--------

ERROR VARIABLE(S)

( 1)-2.12693E-03 ( 2)	2.03341E-03 ( 3)	0. ( -)
-----------------------	------------------	---------

SOLUTION CONVERGED IN 6 TRY(S)

## UNCLASSIFIED

*COMMENTS HAVE  
BEEN INCORPORATED*

SUBROUTINE QBLRPP	28410000
COMMON /CC/ C(400)	28420000
EQUIVALENCE (IRCD,C(45)),(IW,C(27)),(IP,C(28)),(IT,C(29))	28430000
*,(IH,C(30)),(SCR(1),C(151)),(GC,C(370)),(JC,C(371))	28440000
*,(ICPP,C(88)),(IFP,C(22)),(OUT,C(7)),(IGA,C(35))	28450000
*,(PASS,C(17)),(IEVT,C(48)),(IEV,C(49)),(ITAD,C(54))	28460000
*,(IFB,C(55)),(ISN,C(38))	28470000
DIMENSION SCR(30)	28480000
INTEGER OUT,PASS	28490000
REAL L,MU,K,JC,ME,MI,MP	28500000
EQUIVALENCE (SCR(1),NL),(SCR(2),NSI),(SCR(3),NSO)	28510000
*,(SCR(4),IOP),(SCR(5),FFT),(SCR(6),COT),(SCR(7),AF)	28520000
*,(SCR(8),Q),(SCR(9),L),(SCR(10),AH),(SCR(11),DH)	28530000
DIMENSION MU(2),CPY(2),V(2),PR(2),T(5),TW(5),HT(5),DP(2)	28540000
*,K(2)	28550000
COMMON /DC/ DZ(2),D(3201)	28560000
DIMENSION ID(2)	28570000
EQUIVALENCE (ID(1),D(1))	28580000
*,(D(51),T(1)),(D(56),TW(1)),(D(61),HT(1))	28590000
*,(D(71),HFG),(D(72),ST),(D(73),PT)	28600000
*,(D(75),TIN),(D(76),W),(D(77),IRET),(D(78),CO)	28610000
*,(D(79),FF),(D(81),VR),(D(82),DV)	28620000
*,(D(83),SL),(D(84),HSAT),(D(86),TSAT)	28630000
*,(D(87),X1),(D(88),X2),(D(89),TNB),(D(90),DD)	28640000
*,(D(91),FD),(D(92),B),(D(93),EM),(D(94),RS)	28650000
C 1 COMP CODE	28660000
C 2 LEG NO	28670000
C 3 INLET STATION NO	28680000
C 4 OUTLET STATION NO	28690000
C 5 OPTION NO	28700000
C 6 FRICTION FACTOR TABLE	28710000
C 7 COLBURN FACTOR TABLE	28720000
C 8 HEAT EXCHANGER FLOW AREA	28730000
C 9 HEAT INPUT RATE IN (BTU/MIN)	28740000
C 10 HEAT EXCHANGER FLOW PATH LENGTH (FEET)	28750000
C 11 HT EXCHG/HT TRANSFER AREA INCLUDING FINS (SQUARE FEET)	28760000
C 12 HEAT EXCHANGER HYDRAULIC DIAMETER	28770000
C 13 ERROR VARIABLE OPTION	28780000
C*** ERROR-VARIABLE OPTION: 0 IF NO ERROR VARIABLE; 1 IF SUPERHEAT	28790000
C 14 ERROR VARIABLE INDEX	28800000
C 15 MAXIMUM BOILER WALL TEMPERATURE	28810000
C*** SET UP INTERNAL VARIABLES IN TERMS OF STORED ARRAY	28820000
IRCD = IRCDB(15)	28830000
NL=ID(IRCD+2)	28840000
NSI=ID(IRCD+3)	28850000
NSO=ID(IRCD+4)	28860000
IOP=ID(IRCD+5)	28870000
IF (ID(IRCD+13).EQ.0) GO TO 107	28880000
TMAX=D(ID(IRCD+15))	28890000
JEVI=ID(IRCD+14)	28900000
107 CONTINUE	28910000
LOCT=ID(IFB+NL)	28920000
LOCT=ID(LOCT+3)	28930000
AF=D(ID(IRCD+8))	28940000
Q=D(ID(IRCD+9))	28950000
L=D(ID(IRCD+10))	28960000
AH=D(ID(IRCD+11))	28970000
DH=D(ID(IRCD+12))	28980000
C*** COMPUTE THE SATURATION PROPERTIES	28990000
TSAT=VTS(LOCT,D(IP+NSI))	29000000

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C*** COMPUTE THE TRANSPORT PROPERTIES BASED ON INLET CONDITIONS 29010000
C$ MOVE "TIN" DEFINITION UP AND USE "TIN" (WAS "TSAT") FOR FLUID PROPS 29020000
C$ LEAVE TSAT FOR VAPOR PROPERTIES 29030000
    TIN=D(IP+NSI) 29040000
    CPY(1)=VCPF(LOCT,D(IP+NSI),TIN) 29050000
    CPY(2)=VCPV(LOCT,D(IP+NSI),TSAT) 29060000
    MU(1)=VVISCF(LOCT,D(IP+NSI),TIN) 29070000
    MU(2)=VVISCV(LOCT,D(IP+NSI),TSAT) 29080000
    K(1)=VCOND(LOCT,D(IP+NSI),TIN) 29090000
    K(2)=VCONDV(LOCT,D(IP+NSI),TSAT) 29100000
    V(1)=1.0/VDL(LOCT,TIN) 29110000
    V(2)=VSV('QBLRPP 1',LOCT,D(IP+NSI),TSAT) 29120000
    HFG=VHFG(LOCT,D(IP+NSI),TSAT,V(2)) 29130000
    ST=VST(LOCT,TSAT) 29140000
    PT=VDPDT(LOCT,D(IP+NSI)) 29150000
    W=D(IW+NL) 29160000
C$ ADD TO INITIALIZE (WAS SOMETIMES BEING PASSED 29170000
C$ FROM PREVIOUS COMPONENT) 29180000
    XE=0.0 29190000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX 29200000
    IRITE=1 29210000
    IF (IRITE .NE. 1) GO TO 9010 29220000
    WRITE (OUT,9911) 29230000
9911 FORMAT(' ',/) 29240000
    WRITE (OUT,9011) 29250000
9011 FORMAT(' *****WRITE 9011 FROM "QBLRPP" *****') 29260000
    * , '*****') 29270000
    WRITE (OUT,9012) AF , Q , L , AH 29280000
    * , DH , TSAT , CPY(1), CPY(2) 29290000
    * , MU(1) , MU(2) , K(1) , K(2) 29300000
    * , V(1) , V(2) , HFG , ST 29310000
    * , PT , TIN , W , D(IP+NSI) 29320000
    * , D(IH+NSI) 29330000
9012 FORMAT(' AFLOW =', E12.5, ' QRATE =', E12.5, ' LFLOW =', E12.5 29340000
    * , AHTRAN=', E12.5,/, ' DHYD =', E12.5, ' TSAT =', E12.5 29350000
    * , CPY(1)=' , E12.5, ' CPY(2)=' , E12.5,/, ' MU(1) =', E12.5 29360000
    * , MU(2) =', E12.5, ' K(1) =', E12.5, ' K(2) =', E12.5 29370000
    * ,/, ' V(1) =', E12.5, ' V(2) =', E12.5, ' HFG V2=', E12.5 29380000
    * , ' ST =', E12.5,/, ' PTDPDT=', E12.5, ' TIN =', E12.5 29390000
    * , ' W =', E12.5, ' P IN =', E12.5,/, ' H IN =', E12.5 29400000
9010 CONTINUE 29410000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX 29420000
    DO 1 I = 1,2 29430000
1 PR(I)=3600.*CPY(I)*MU(I)/K(I) 29440000
    IRET=-1 29450000
C*** COMPUTE THE REYNOLDS NUMBER AS THE INDEPENDENT VARIABLE 29460000
    G=W/AF/60.0 29470000
C*** BASED ON 100% LIQUID FLOW 29480000
    D(IGA+21)=G*DH/MU(1) 29490000
C*** USE TULP FOR COLBURN FACTOR, THEN COMPUTE HEAT TRANSFER COEFF. 29500000
    CO=TLUP(ID(IRCD+7)) 29510000
    HT(1)=CO*60.*G*CPY(1)/PR(1)**.67 29520000
C*** USE TULP FOR FRICTION FACTOR 29530000
    FF=TLUP(ID(IRCD+6)) 29540000
C*** COMPUTE VOLUME RATIO AND SLIP FOR LATER TWO-PHASE COMPUTATIONS 29550000
    VR=V(2)/V(1) 29560000
    DV=1.0-1.0/VR 29570000
    SL=SQRT(SQRT(VR-1.)) 29580000
C*** COMPUTE PRESSURE DROP AS IF 100% LIQUID FLOW 29590000
    DP(1)=4.*FF*L*G*G*V(1)/(2.*DH*GC) 29600000

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C\*\*\* REPEAT THE ABOVE COMPUTATIONS AS IF 100% VAPOR FLOW 29610000  
D(IGA+21)=G\*DH/MU(2) 29620000  
CO=TLUP(ID(IRCD+7)) 29630000  
HT(5)=CO\*60.\*G\*CPY(2)/PR(2)\*\*.67 29640000  
FF=TLUP(ID(IRCD+6)) 29650000  
DP(2)=4.\*FF\*L\*G\*V(2)/(2.\*DH\*GC) 29660000  
C\*\*\* DETERMINE WHICH FLUID-PHASE IS FLOWING AT THE INLET 29670000  
HSAT=VH(LOCT,D(IP+NSI),TSAT,V(2))-HFG 29680000  
TIN=D(IT+NSI) 29690000  
C\$XX29700000  
IRITE=1 29710000  
IF (IRITE .NE. 1) GO TO 9020 29720000  
REF=G\*DH/MU(1) 29730000  
D(IGA+21)=REF 29740000  
COLBF=TLUP(ID(IRCD+7)) 29750000  
FFF=TLUP(ID(IRCD+6)) 29760000  
REV=G\*DH/MU(2) 29770000  
D(IGA+21)=REV 29780000  
COLBV=TLUP(ID(IRCD+7)) 29790000  
FFV=TLUP(ID(IRCD+6)) 29800000  
VHPTV2=VH(LOCT,D(IP+NSI),TSAT,V(2)) 29810000  
QPSIF=DP(1)\*DH/(4.\*FFF\*L)/144. 29820000  
QPSIV=DP(2)\*DH/(4.\*FFV\*L)/144. 29830000  
WRITE (OUT,9021) 29840000  
9021 FORMAT(' WRITE 9021 FROM "QBLRPP" ') 29850000  
WRITE (OUT,9022) PR(1), PR(2), G, REF 29860000  
\*, COLBF, HT(1), FFF, VR 29870000  
\*, DV, SL, DP(1), REV 29880000  
\*, COLBV, HT(5), FFV, DP(2) 29890000  
\*, HSAT, TIN, VHPTV2, QPSIF 29900000  
\*, QPSIV 29910000  
9022 FORMAT(' PR(1) =', E12.5, ' PR(2) =', E12.5, ' G =', E12.5 29920000  
\*, REF =', E12.5,/, ' COLBF =', E12.5, ' HT(1) =', E12.5 29930000  
\*, FFF =', E12.5, ' VR =', E12.5,/, ' DV =', E12.5 29940000  
\*, SL =', E12.5, ' DP(1) =', E12.5, ' REV =', E12.5 29950000  
\*, /, ' COLBV =', E12.5, ' HT(5) =', E12.5, ' FFV =', E12.5 29960000  
\*, ' DP(2) =', E12.5,/, ' HSAT L=', E12.5, ' TIN =', E12.5 29970000  
\*, ' VHPTV2=', E12.5, ' QPSIF =', E12.5,/, ' QPSIV =', E12.5) 29980000  
9020 CONTINUE 29990000  
C\$XX30000000  
C\*\*\* IN LIQUID-ONLY REGION AT INLET OR NOT? 30010000  
IF(D(IH+NSI)-HSAT)360,332,332 30020000  
C\*\*\* IN TWO-PHASE REGION AT INLET OR ALL VAPOR? 30030000  
332 IF(D(IH+NSI)-HSAT-HFG)333,1272,1272 30040000  
C\*\*\* IN TWO-PHASE REGION AT INLET 30050000  
333 XI=(D(IH+NSI)-HSAT)/HFG 30060000  
C\$XX30070000  
IRITE=1 30080000  
IF (IRITE .NE. 1) GO TO 9023 30090000  
C APPROX FOR Q HERE IS GOOD ONLY FOR TWO-PHASE 30100000  
XILIM1=AMIN1(1.,XI) 30110000  
QVAP=1/64.4 \* V(2) \* (XILIM1\*G)\*\*2/144. 30120000  
WRITE (OUT,9024) 30130000  
9024 FORMAT(' WRITE 9024 FROM "QBLRPP" ... TWO PHASE AT INLET ') 30140000  
WRITE (OUT,9025) XI, QVAP 30150000  
9025 FORMAT(' XI =', E12.5, ' QVAP =', E12.5) 30160000  
9023 CONTINUE 30170000  
C\$XX30180000  
TIN=TSAT 30190000  
X1=0.0 30200000

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X2=0.0 30210000  
GO TO 750 30220000  
C\*\*\* IN LIQUID-ONLY REGION AT INLET 30230000  
360 XI=0.0 30240000  
C\$\$ (OLD CODE FAILED TO CONSIDER THE POSSIBILITY OF ALL-LIQUID 30250000  
C\$\$ FORCED CONVECTION HEATING UP TO TSAT AND THEN SATURATED 30260000  
C\$\$ BOILING STARTING THERE. IF THERE WAS NO NUCLEATE (SUBCOOLED) 30270000  
C\$\$ BOILING, IT ASSUMED THERE WAS NO TWO-PHASE FLOW AT ALL.) 30280000  
30290000  
C\*\*\* COMPUTE FLUID TEMPERATURE (T) AND WALL TEMPERATURE (TW) AT OUTLET 30300000  
C\*\*\* ASSUMING LIQUID-ONLY FORCED CONVECTION HEATING ALL THE WAY 30310000  
~~T(1)=TIN+Q/(W\*CPY(1))~~ TSCNVC 30320000  
~~TW(1)=T(1)+Q/(AH\*HT(1))~~ TW5CNVC 30330000  
C\$ THIS COMMENT USED TO SAY SEE IF FLUID REACHED THE "TNB" BEFORE EXIT. 30340000  
C\$ SINCE TNB IS GREATER THAN TSAT (OBVIOUS FROM EQUATION), HOW CAN 30350000  
C\$ TFLUID BE GREATER THAN TNB (AND ALSO TSAT) AND STILL BE SUBCOOLED? 30360000  
C\$ OBVIOUSLY THEY MEANT "TWALL", NOT "TFLUID", BUT THAT WASN'T WHAT 30370000  
C\$ WAS CODED TO COMPUTE "X1". 30380000  
C\$ 30390000  
C\$ 30400000  
C\*\*\* DETERMINE TEMPERATURE AT WHICH NUCLEATE BOILING BEGINS (TNB) 30410000  
C AND DETERMINE IF WALL REACHES THE TEMPERATURE BEFORE OUTLET 30420000  
~~DELT=TW(5)-T(1)~~ DT5CNVC = TW5CNVC - 30430000  
~~TW(6)=TALIN=TIN+DELT~~ TW1CNVC = TIN + DT5CNVC 30440000  
IF (Q) 420, 425, 425 30450000  
420 TNB=9999. 30460000  
GO TO 428 30470000 TSAT=330  
425 TNB=TSAT+SQRT(8.\*60.\*ST\*Q/(K(1)\*AH\*PT)) 30480000  
428 CONTINUE 30490000 TNB=340  
C\$ WAS X1=(TNB-TIN)\*W\*CPY(1)\*L/Q-W\*CPY(1)\*L/(HT(1)\*AH) 30500000  
C\*\*\* FIND X AT WHICH NUCLEATE BOILING WOULD BEGIN X1NUC=.2L 30510000 X1NUC=.2L  
X1NUC=(1. - (TW(4)-TNB)/(TW(5)-TWALIN)) \* L 30520000  
C\*\*\* FIND X AT WHICH BULK BOILING WOULD BEGIN (TSAT IS REACHED) 30530000 (500-340)  
C\*\*\* IF FORCED-CONVECTION HEATED ALL THE WAY. 30540000 (500-300)  
X1SAT=(TSAT-TIN)/(T(5)-TIN) \* L = ~~330-280~~ = ~~500-280~~ = ~~220~~ = .25L 30550000  
C WRITE(OUT,\*), T(1), TW(1), TNB, X1 30560000 = (1-.8)\*L  
C\$XX 30570000  
IRITE=1 30580000 = .2L ✓  
IF (IRITE .NE. 1) GO TO 9030 30590000  
WRITE (OUT,9031) 3060000  
9031 FORMAT(' WRITE 9031 FROM "QLRPP" ') 30610000  
WRITE (OUT,9032) T(1), TW(1), TNB, X1 30620000  
\*, X1NUC, X1SAT, TWALIN 30630000  
9032 FORMAT(' T(1) =', E12.5, ' TW(1) =', E12.5, ' TNB =', E12.5 30640000  
\*, ' X1 =', E12.5, /, ' X1NUC =', E12.5, ' X1SAT =', E12.5 30650000  
\*, ' TWALIN =', E12.5) 30660000  
9030 CONTINUE TW1CNVC 30670000  
C\$XX 30680000  
IF(TNB-TWALIN)430,450,450 30690000  
C\*\*\* NUCLEATE BOILING BEGINS IMMEDIATELY AT THE INLET 30700000  
430 X1=0.0 30710000  
GO TO 485 30720000  
C\*\*\* NO NUKE BOILING BEFORE TSAT REACHED (455); OR X1NUC (451) LESS THAN L 30730000  
450 IF(X1SAT-X1NUC)455,455,451 30740000  
C\*\*\* X1NUC IS LESS THAN X1SAT, BUT IS X1NUC LESS THAN L? 30750000  
451 IF(TW(1)-TNB)455,480,480 30760000  
C\*\*\* NO NUCLEATE BOILING, BUT IS LIQUID EXIT TEMP BELOW TSAT OR ABOVE? 30770000  
455 IF(TW(1)-TSAT)460,460,477 30780000  
C\*\*\* TEXIT BELOW TSAT, THERE IS NO BOILING WITHIN THE BOILER 30790000  
460 X1=L 30800000

L-X1NUC

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X2=0. 30810000  
 X3=0. 30820000  
 XE=0. 30830000  
 T(5)=T(1) ~~T 5 CNVC~~ 30840000  
 TW(5)=TW(1) ~~TW 5 CNVC~~ 30850000  
 GO TO 1310 30860000  
 C\*\*\* FORCED CONV. HEATS TEXIT TO ABOVE TSAT; WILL BE TWO-PHASE FLOW 30870000  
 477 X1=X1SAT 30880000  
 X2=0. 30890000  
 T(1)=TSAT ~~TSAT + DT 5 CNVC~~ 30900000  
 TW(1)=T(1)+Q/(HT(1)\*AH) ~~TSAT + DT 5 CNVC~~ 30910000  
 T(2)=TSAT 30920000  
 TW(2)=TW(1) 30930000  
 GO TO 750 30940000  
 C\*\*\* THERE IS FORCED-CONVECTION HEATING FOLLOWED BY NUCLEATE BOILING 30950000  
 480 X1=X1NUC 30960000  
 T(1)=TIN+Q\*X1/(L\*W\*CPY(1)) 30970000  
 TW(1)=T(1)+Q/(HT(1)\*AH) 30980000  
 C\*\*\* COMPUTE THE LENGTH OF THE NUCLEATE-BOILING REGION 30990000  
 C\*\*\* ALSO ENTRY FOR NUCLEATE BOILING IMMED AT INLET 31000000  
 CS WAS 485 X2=XSAT-X1 31010000  
 485 X2=X1SAT-X1 31020000  
 IF(X2.GE.(L-X1))X2=L-X1 31030000  
 C\*\*\* COMPUTE THE BUBBLE DEPARTURE DIAMETER (DD) IN FEET 31040000  
 490 DD=4.65E-4\*SQRT(GC/GC\*ST\*V(1)/DV)\*(VR\*CPY(1)\*TSAT/HFG) 31050000  
 \*\*\*1.25 31060000  
 C\*\*\* COMPUTE THE FREQUENCY OF DEPARTURE OF BUBBLES, 1/SEC. 31070000  
 FD=.6\*SQRT(SQRT(ST\*GC\*GC\*V(1)\*DV))/DD 31080000  
 C\*\*\* ASSUME THE SURFACE FACTORS: B(SURFACE COFFICIENT); EM (EXPONENT 31090000  
 C RELATING THE NUMBER OF NUCLEATION SITES GO THE TEMPERATURE 31100000  
 C DIFFERENCE); AND RS(RADIUS, FT., OF SMALLEST SITE) 31110000  
 B=400. 31120000  
 EM=2.0 31130000  
 RS=0.0001 31140000  
 C\*\*\* COMPUTE THE NUMBER OF NUCLEATION SITES PER SQ. FT. 31150000  
 C\*\*\* JC=778.28 PER LINE 265 OF FORT(FTB1S) 31160000  
 XN=B\*(JC\*RS\*HFG\*(TNB-TSAT)/(2.\*TSAT\*ST\*V(2)))\*\*EM 31170000  
 C\*\*\* COMPUTE THE POOL BOILING HEAT-TRANSFER COEFFICIENT 31180000  
 HP=3.5\*(K(1)/DD/60.)\*XN\*DD\*DD 31190000  
 HP=HP\*SQRT(PR(1))\*SQRT(FD\*DD\*DD/(V(1)\*MU(1))) 31200000  
 CSXX 31210000  
 IRITE=1 31220000  
 IF (IRITE .NE. 1) GO TO 9040 31230000  
 WRITE (OUT,9041) 31240000  
 9041 FORMAT(' WRITE 9041 FROM "QBLRPP" ') 31250000  
 WRITE (OUT,9042) X1 , T(1) , TW(1) , X2 31260000  
 \* , DD , FD , B , EM 31270000  
 \* , RS , XN , HP 31280000  
 9042 FORMAT(' X1 =', E12.5, ' T(1) =', E12.5, ' TW(1) =', E12.5 31290000  
 \* , ' X2 =', E12.5, /, ' DD =', E12.5, ' FD =', E12.5 31300000  
 \* , ' B =', E12.5, ' EM =', E12.5, /, ' RS =', E12.5 31310000  
 \* , ' XN =', E12.5, /, ' HP =', E12.5) 31320000  
 9040 CONTINUE 31330000  
 CSXX 31340000  
 IF(IRET)500,500,980 31350000  
 C\*\*\* COMPUTE THE COMBINED CONVECTION/BOILING COEFFICIENT 31360000  
 500 HT(2)=(HP\*HP+HT(1)\*HT(1))/(2.\*HP) 31370000  
 C\*\*\* ITERATIVELY COMPUTE THE WALL TEMPERATURE IN THE NUCLEATE REGION 31380000  
 A1=HP/(TNB-TSAT)\*\*2 31390000  
 A0=2.0\*(Q/(A1\*AH))\*\*2 31400000

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A1=4.0*((HT(1)/A1)**2)/3.0          31410000
S0=SQRT(A0*A0-A1**3)                31420000
C$WAS XX=ABS((A0-S0)/(A0+S0))       31430000
C$WAS IF(XX-.0001)650,670,670        31440000
C$      SIMPLIFY AND MAKE SURE NO NEGATIVE # IS RAISED TO A POWER 31450000
      IF(A0-S0)650,670,670            31460000
650 U=(A0+S0)**(1./3.)              31470000
      GO TO 680                      31480000
670 U=(A0+S0)**(1./3.)+(A0-S0)**(1./3.) 31490000
680 TC=(SQRT(U)+SQRT(U-4.*(U/2.-SQRT((U/2.)**2-.75*A1))))/2. 31500000
      T(2)=TSAT                      31510000
      TW(2)=TSAT+TC                  31520000
      TW(5)=TW(2)                    31530000
      X3=0.0                          31540000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX31550000
      IRITE=1                         31560000
      IF (IRITE .NE. 1) GO TO 9050    31570000
      WRITE (OUT,9051)                 31580000
9051 FORMAT(' WRITE 9051 FROM "QBLRPP"      ')
      WRITE (OUT,9052) IRET , HT(2) , A0 , A1 31600000
      * , S0 , XX , U , TC           31610000
      * , T(2) , TW(2) , TW(5) , XE  31620000
9052 FORMAT(' IRET =', I4,8X, ' HT(2) =', E12.5, ' A0 =', E12.5 31630000
      * , ' A1 =', E12.5, /, ' S0 =', E12.5, ' XX =', E12.5 31640000
      * , ' U =', E12.5, ' TC =', E12.5, /, ' T(2) =', E12.5 31650000
      * , ' TW(2) =', E12.5, ' TW(5) =', E12.5, ' XE CHK=', E12.5 31660000
9050 CONTINUE                         31670000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX31680000
C*** GO TO 1280 IF THE EXIT IS 100% LIQUID (NO NET BOILING) 31690000
C$ WAS IF(X2.GE.(L-X1))GO TO 1280 31700000
      IF(X2.GE.(L-X1-.0001))GO TO 1280 31710000
C*** STARTING REGION 3: BULK BOILING 31720000
      750 XC=1.0                      31730000
C*** COMPUTE THE DRYOUT POSITION 31740000
      X3=W*(CPY(1)*(TSAT-TIN)+HFG*(1.0-XI))*L/Q-X1-X2 31750000
C*** COMPUTE THE EXIT QUALITY 31760000
      XE=(Q/W-CPY(1)*(TSAT-TIN))/HFG+XI 31770000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX31780000
      IRITE=1                         31790000
      IF (IRITE .NE. 1) GO TO 9053    31800000
      WRITE (OUT,9054)                 31810000
9054 FORMAT(' WRITE 9054 BULK BOILING-DRYOUT POSITION FROM "QBLRPP"') 31820000
      WRITE (OUT,9055) X3 , XE          31830000
9055 FORMAT(' X3DRYO=', E12.5, ' XE =', E12.5) 31840000
9053 CONTINUE                         31850000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX31860000
      IF(XE-1.)830,820,820            31870000
C*** FILM-BOILING OR VAPOR-ONLY HEATING OCCUR 31880000
      820 XE=1.0                      31890000
      GO TO 1140                      31900000
C*** COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH FILM BOILING OCCURS 31910000
C$WAS COMPUTE THE CRITICAL EXIT QUALITY ABOVE WHICH VAPORIZATION OCCURS 31920000
      830 XC=JC*HFG*(XE-XI)/L        31930000
C$      NEED TO USE "REF" HERE AS ON P 97 COSTELLO 31940000
C$      CODE USED OLD "REV" VALUE... LINE BELOW SHOULD FIX 31950000
      D(IGA+21)=G*DH/MU(1)          31960000
      XC=1.04-1.14E-5*(D(IGA+21)*D(IGA+21)*XC)**.375 31970000
C*** COMPUTE LENGTH OF THE BULK-BOILING REGION (X3) 31980000
      X3=X3*(XC-XI)/(1.0-XI)        31990000
      IF (X3.LT.0.0) X3=0.0          32000000

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IF(X3.GT.(L-X1-X2))X3=L-X1-X2 32010000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32020000
  IRITE=1 32030000
  IF (IRITE .NE. 1) GO TO 9060 32040000
  WRITE (OUT,9061) 32050000
9061 FORMAT(' WRITE 9061 FROM "QBLRPP"      ') 32060000
  WRITE (OUT,9062) X3 , XE , XC 32070000
9062 FORMAT(' X3 =', E12.5, ' XE =', E12.5, ' XC =', E12.5) 32080000
9060 CONTINUE 32090000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32100000
  IF(XE.GE.XC)GO TO 1140 32110000
C*** COMPUTE THE TWO-PHASE PARAMETER 32120000
  TT=(1.0/XE-1.0)**0.9*SQRT(DP(1)/DP(2)) 32130000
  X3=L-X1-X2 32140000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32150000
  IRITE=1 32160000
  IF (IRITE .NE. 1) GO TO 9070 32170000
  WRITE (OUT,9071) 32180000
9071 FORMAT(' WRITE 9071 XE LESS THAN XC FROM "QBLRPP"      ') 32190000
  WRITE (OUT,9072) TT , X3 32200000
9072 FORMAT(' TT =', E12.5, ' X3 =', E12.5) 32210000
9070 CONTINUE 32220000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32230000
C*** GO TO 1090 IF XE AND TT INDICATE THE RANGE FOR ELLERBROOK'S FORMULA 32240000
  IF(XE.GT.0.7.OR.TT.LT.0.01)GO TO 1090 32250000
C*** USE CHEN'S FORMULA 32260000
  F=1.0+1.88/TT**0.8 32270000
  Y=F*(G*DH/MU(1)*(1.0-XE))**0.8/10000. 32280000
  S=EXP(-Y) 32290000
C*** COMPUTE TNB AS A FIRST APPROXIMATION TO THE WALL TEMPERATURE 32300000
C THEN GO TO 490 TO COMPUTE THE POOL-BOILING HEAT-TRANSFER COEFF. 32310000
  TNB=TSAT+SQRT(.8*60.*ST*Q/(K(1)*AH*PT)) 32320000
  IRET=1 32330000
  GO TO 490 32340000
C*** COMPUTE THE BULK-BOILING COEFFICIENT WITH CHEN'S FACTORS 32350000
  980 HT(3)=F*HT(1)+S*HP 32360000
C*** COMPUTE THE WALL TEMPERATURE AT THE END OF THE TWO-PHASE REGION 32370000
C UNDER THE ASSUMPTION THAT EM IS APPROXIMATELY 2.0 32380000
  A1=HP/(TNB-TSAT)**2 32390000
  A0=Q/(AH*S*A1*2.0) 32400000
  A1=F*HT(1)/(3.0*S*A1) 32410000
  S0=SQRT(A0*A0+A1**3) 32420000
  T(3)=TSAT 32430000
  TW(3)=TSAT+(A0+S0)**(1./3.)-(S0-A0)**(1./3.) 32440000
  TW(5)=TW(3) 32450000
  T(5)=TSAT 32460000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32470000
  IRITE=1 32480000
  IF (IRITE .NE. 1) GO TO 9080 32490000
  WRITE (OUT,9081) 32500000
9081 FORMAT(' WRITE 9081 CHEN''S FORMULA FROM "QBLRPP"      ') 32510000
  WRITE (OUT,9082) F , Y , S , TNB 32520000
  * , IRET , A0 , A1 , S0 32530000
  * , T(3) , TW(3) , TW(5) , T(5) 32540000
  * , HT(3) 32550000
9082 FORMAT(' F =', E12.5, ' Y =', E12.5, ' S =', E12.5 32560000
  * , ' TNB =', E12.5, /, ' IRET =', I4,8X, ' A0 =', E12.5 32570000
  * , ' A1 =', E12.5, ' S0 =', E12.5, /, ' T(3) =', E12.5 32580000
  * , ' TW(3) =', E12.5, ' TW(5) =', E12.5, ' T(5) =', E12.5, /, 32590000
  * , ' HT(3) =', E12.5) 32600000

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9080 CONTINUE                                         32610000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32620000
C*** GO TO 1320 TO COMPUTE THE TWO-PHASE PRESSURE DROP   32630000
    GO TO 1320                                         32640000
C$      THE ELLERBROOK FORMULA GIVES AN H LOWER THAN FOR FILM BOILING 32650000
C$      AND LOWER THAN "HT(5)" (ALL VAPOR). IS SOMETHING WRONG OR IS 32660000
C$      ELLERBROOK JUST A DAMN FLAKE??                 32670000
C*** ELLERBROOK'S FORMULA FOR THE HEAT-TRANSFER COEFFICIENT 32680000
1090 Y=2.35-ALOG(TT)*( .266+.0255*ALOG(TT))          32690000
    HT(3)=HT(5)*(Q/(AH*60.*G*HFG))**.4*EXP(Y)        32700000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32710000
    IRITE=1                                         32720000
    IF (IRITE .NE. 1) GO TO 9090                     32730000
    WRITE (OUT,9091)                                  32740000
9091 FORMAT(' WRITE 9091 ELLERBROOK''S HT(3) FORMULA FROM "QBLRPP"') 32750000
    WRITE (OUT,9092) Y      , HT(3)                  32760000
9092 FORMAT(' Y      =', E12.5, ' HT(3) =', E12.5) 32770000
9090 CONTINUE                                         32780000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32790000
    GO TO 1180                                         32800000
C*** XE>XCRIT OR XE>1. SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS 32810000
C$WAS SO FILM BOILING OR VAPOR-ONLY HEATING OCCURS             32820000
1140 HT(3)=HT(5)*(XE+SL/VR*(1.0-XE))**0.8                32830000
C*** FLUID AND WALL TEMPERATURES AT THE END OF THE TWO-PHASE REGION 32840000
C$WAS 1180 T(3)=TSAT+(Q*(X3+X2+X1)/W/L-CPY(1)*(TSAT-TIN)-HFG*(XE-XI)) 32850000
C$           /CPY(2)                                32860000
C$                                         32870000
C$      CERTAINLY WHILE TWO-PHASE, T=TSAT!!!            32880000
1180 T(3)=TSAT                                         32890000
    TW(3)=T(3)+Q/(AH*HT(3))                          32900000
    T(5)=T(3)                                         32910000
    TW(5)=TW(3)                                       32920000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX32930000
    IRITE=1                                         32940000
    IF (IRITE .NE. 1) GO TO 9100                     32950000
    WRITE (OUT,9101)                                  32960000
9101 FORMAT(' WRITE 9101 FILM BOIL OR VAPOR ONLY HEATING "QBLRPP"') 32970000
    WRITE (OUT,9102) T(3)      , HT(3)      , TW(3)      , T(5)      32980000
    *           ,TW(5)      , X1       , X2       , X3       32990000
    *           ,XI       , XE       ,           ,           33000000
9102 FORMAT(' T(3)      =', E12.5, ' HT(3)      =', E12.5, ' TW(3)      =', E12.5 33010000
    *           ,T(5)      =', E12.5, /, ' TW(5)      =', E12.5, ' X1       =', E12.5 33020000
    *           ,X2       =', E12.5, ' X3       =', E12.5, /, ' XI       =', E12.5 33030000
    *           ,XE       =', E12.5)                   33040000
9100 CONTINUE                                         33050000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX33060000
C*** IF VAPOR-ONLY FLOW DOES NOT OCCUR, GO TO 1320 TO COMPUTE DELTA P 33070000
    IF(XE.LT.1.0)GO TO 1320                         33080000
C*** COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW               33090000
    T(5)=(Q/W-CPY(1)*(TSAT-TIN)-HFG*(1.0-XI))/CPY(2)+TSAT          33100000
    XE=1.0                                         33110000
    TW(5)=T(5)+Q/(AH*HT(5))                           33120000
C$XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX33130000
    IRITE=1                                         33140000
    IF (IRITE .NE. 1) GO TO 9110                     33150000
    WRITE (OUT,9111)                                  33160000
9111 FORMAT(' WRITE 9111 VAPOR ONLY HEATING "QBLRPP"')          33170000
    WRITE (OUT,9112) T(5)      , XE      , TW(5)      33180000
9112 FORMAT(' T(5)      =', E12.5, ' XE      =', E12.5, ' TW(5)      =', E12.5) 33190000
9110 CONTINUE                                         33200000

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C\$XX33210000  
 GO TO 1320 33220000  
 C\*\*\* COMPUTE OUTLET CONDITIONS FOR VAPOR-ONLY FLOW FROM INLET TO OUTLET 33230000  
 1272 T(5)=TIN+Q/W/CPY(2) 33240000  
 TW(5)=T(5)+Q/AH/HT(5) 33250000  
 XI=1.000 33260000  
 C\$ ADD 144 FACTOR; DO NOT COMPUTE "D(IP+NSO)" HERE AND LINE 1475 33270000  
 XDP=DP(2)/144. 33280000  
 C\$ D(IP+NSO)=D(IP+NSI)-DP(2)/144. 33290000  
 C\$XX33300000  
 IRITE=1 33310000  
 IF (IRITE .NE. 1) GO TO 9120 33320000  
 WRITE (OUT,9121) 33330000  
 9121 FORMAT(' WRITE 9121 VAPOR ONLY INLET TO OUTLET "QBLRPP"') 33340000  
 WRITE (OUT,9122) T(5) , TW(5) 33350000  
 9122 FORMAT(' T(5) =', E12.5, ' TW(5) =', E12.5) 33360000  
 9120 CONTINUE 33370000  
 C\$XX33380000  
 GO TO 1475 33390000  
 C\*\*\* COMPUTE THE OUTLET TEMPERATURE FOR NO NET VAPOR GENERATION 33400000  
 C\$ WAS 1280 T(5)= TIN+Q/(AH\*CPY(1)) 33410000  
 1280 T(5)= TIN+Q/(W\*CPY(1)) 33420000  
 1310 PB=0.0 33430000  
 C\$XX33440000  
 IRITE=1 33450000  
 IF (IRITE .NE. 1) GO TO 9130 33460000  
 WRITE (OUT,9131) 33470000  
 9131 FORMAT(' WRITE 9131 TOUT FOR NO NET VAPOR GENERATED "QBLRPP"') 33480000  
 WRITE (OUT,9132) T(5) , PB 33490000  
 9132 FORMAT(' T(5) =', E12.5, ' PB =', E12.5) 33500000  
 9130 CONTINUE 33510000  
 C\$XX33520000  
 GO TO 1350 33530000  
 C\*\*\* COMPUTE THE TWO-PHASE PRESSURE DROP BY FAC. INC. CORRELATION 33540000  
 C OF BAROCZY'S GRAPHICAL CORRELATION 33550000  
 1320 PF=0.25\*ALOG10(DP(1)/DP(2)) 33560000  
 PB=XE\*\*.7/1.7-(1-XE)\*\*2.3/2.3+(1.-(1.-XE)\*\*3.3)/(3.3\*2.3\*XE) 33570000  
 C\*\*\* COMPUTE THE FRICTION PRESSURE DROP 33580000  
 PB=-XE\*\*1.65\*PF/2.65+(1.0+PF)\*PB 33590000  
 1350 FP=DP(1)\*(X1+X2)/L+(DP(1)+PB\*(DP(2)-DP(1)))\*X3/L 33600000  
 FP=FP+DP(2)\*(1.-(X1+X2+X3)/L) 33610000  
 IF(XE) 1382,1382,1385 33620000  
 C\*\*\* ADD THE MOMENTUM PRESSURE DROP 33630000  
 1382 MP=0.0 33640000  
 GO TO 1470 33650000  
 1385 VE=XE/(XE+SL\*(1.0-XE)/VR) 33660000  
 IF(VE-1.0)1388,1386,1386 33670000  
 1386 ME=VR 33680000  
 GO TO 1390 33690000  
 1388 ME=((1.-XE)/(1.-VE))\*\*2\*(1.-VE\*(1.-SL\*SL/VR)) 33700000  
 1390 IF(XI)1395,1395,1400 33710000  
 1395 MI=1.0 33720000  
 GO TO 1440 33730000  
 1400 VI=XI/(XI+SL\*(1.0-XI)/VR) 33740000  
 IF(VI-1.0)1430,1425,1425 33750000  
 1425 MI=VR 33760000  
 GO TO 1440 33770000  
 1430 MI=((1.-XI)/(1.-VI))\*\*2\*(1.-VI\*(1.-SL\*SL/VR)) 33780000  
 1440 MP=G\*G\*V(1)\*(ME-MI)/GC 33790000  
 1470 XDP=(FP+MP)/144. 33800000

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1475 D(IP+NSO)=D(IP+NSI)-XDP 33810000  
 CXX 33820000  
 IRITE=1 33830000  
 IF (IRITE .NE. 1) GO TO 9140 33840000  
 XFPPSI= FP/144. 33850000  
 XMPPSI= MP/144. 33860000  
 WRITE (OUT,9141) 33870000  
 9141 FORMAT(' WRITE 9141 DELTA P CALC FROM "QBLRPP" ') 33880000  
 WRITE (OUT,9142) PF , PB , FP , XE 33890000  
 \* , VE , ME , MI , VI 33900000  
 \* , MP , XMPPSI , XDP , XFPPSI 33910000  
 \* , X1 , X2 , X3 33920000  
 9142 FORMAT(' PF =', E12.5, ' PB =', E12.5, ' FP =', E12.5 33930000  
 \* , XE =', E12.5, /, ' VE =', E12.5, ' ME =', E12.5 33940000  
 \* , MI =', E12.5, ' VI =', E12.5, /, ' MP =', E12.5 33950000  
 \* , XMPPSI=', E12.5, ' XDP =', E12.5, ' XFPPSI=', E12.5, /, 33960000  
 \* , X1 =', E12.5, ' X2 =', E12.5, ' X3 =', E12.5) 33970000  
 9140 CONTINUE 33980000  
 CXX 33990000  
 IF (D(IP+NSO).GT.0.0)GO TO 1476 34000000  
 WRITE(OUT,7655) D(IP+NSO),D(IP+NSI) 34010000  
 7655 FORMAT('\*+\* OUTLET PRESSURE IN QBOILER WAS',E14.7, 34020000  
 \* ' RESET PRESSURE TO INLET VALUE',E14.7) 34030000  
 XDP=0.0 34040000  
 D(IP+NSO)=D(IP+NSI) 34050000  
 1476 CONTINUE 34060000  
 C\$ IS 34070000  
 D(IH+NSO)=D(IH+NSI)+Q/W 34080000  
 C\$ WAS: 34090000  
 C\$ C\$WAS IF(T(5)-TSAT)1478,1479,1479 34100000  
 C\$ IF(T(5)-TSAT)1478,14785,1479 34110000  
 C\$ 1478 D(IH+NSO)=VHLIQ(LOCT,D(IP+NSI),T(5)) 34120000  
 C\$ GO TO 1480 34130000  
 C\$ C\$ NEW LINE BELOW CALCULATES EXIT ENTHALPY WHEN TWO-PHASE AT 34140000  
 C\$ 14785 D(IH+NSO)=HSAT+XE\*HFG 34150000  
 C\$ GO TO 1480 34160000  
 C\$ 1479 VV=VSV('QBLRPP 2',LOCT,D(IP+NSO),T(5)) 34170000  
 C\$ D(IH+NSO)=VH(LOCT,D(IP+NSO),T(5),VV) 34180000  
 C\$ 1480 CONTINUE 34190000  
 C\$ D(IT+NSO)=T(5) 34200000  
 CXX 34220000  
 IRITE=1 34230000  
 IF (IRITE .NE. 1) GO TO 9150 34240000  
 WRITE (OUT,9151) 34250000  
 9151 FORMAT(' WRITE 9151 ASSIGN HOUT AND TOUT FROM "QBLRPP" ') 34260000  
 WRITE (OUT,9152) T(5) , VV , TSAT , HSAT 34270000  
 \* , XE , HFG 34280000  
 9152 FORMAT(' T(5) =', E12.5, ' VV =', E12.5, ' TSAT =', E12.5 34290000  
 \* , HSAT =', E12.5, /, ' XE =', E12.5, ' HFG =', E12.5) 34300000  
 9150 CONTINUE 34310000  
 CXX 34320000  
 IF (ID(IRCD+13).EQ.0) GO TO 1579 34330000  
 IF(PASS.NE.1) GO TO 1577 34340000  
 ID(IEVT+JEVI)=3 34350000  
 1577 IF (TMAX.GE.TSAT) GO TO 1576 34360000  
 WRITE(OUT,1580) TMAX,TSAT,TW(5) 34370000  
 1580 FORMAT(5X,'WARNING FROM QBOILER: ERROR VARIABLE CANNOT BE '/  
 \* ' CONTROLLED BECAUSE THE CONTROLLED WALL TEMPERATURE OF',E17.7/ 34380000  
 \* ' IS LESS THAN THE SATURATION TEMPERATURE OF',E17.7/ 34390000  
 \* ' 34400000

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\*' THE WALL TEMPERATURE IS',E17.7) 34410000  
1576 IF(T(5).GT.TSAT)GO TO 1578 34420000  
  WRITE(OUT,1590)XE 34430000  
1590 FORMAT(5X,'WARNING FROM QBOILER: TWO PHASE FLUID AT OUTLET', 34440000  
  \*' PROBABLY CANNOT CONTROL WALL TEMP. EXIT QUALITY IS',E12.4) 34450000  
1578 D(IEV+JEVI) = (TMAX-TW(5))/XE 34460000  
1579 CONTINUE 34470000  
1485 FORMAT(' OVERALL: DP,TW(5),T(5)',3F10.3) 34480000  
  IF (IFP.NE.1.OR. ICPP.NE.0) GO TO 99 34490000  
  CALL PIOP(1,NL,NSI,NSO) 34500000  
  CALL LINES(2) 34510000  
  WRITE(OUT,1581) ID(ISN+NSO),TW(5) 34520000  
1581 FORMAT(5X,'BOILER AT STATION NO.',I4,' HAS A MAXIMUM WALL ', 34530000  
  \*' TEMPERATURE OF',E15.5,' DEGREES R') 34540000  
C\$XX34550000  
  WRITE(OUT,9581) XI, XE 34560000  
9581 FORMAT(' INLET QUAL=', F8.3, ' EXIT QUAL=', F8.3) 34570000  
C\$XX34580000  
99 CONTINUE 34590000  
  RETURN 34600000  
C   QBLRPP 34610000  
  END 34620000

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