[Breiman]

- $\{g_1, \ldots, g_N\}$  = space of all weak classifiers
- then can write  $F(x) = \sum_{t} \alpha_t h_t(x) = \sum_{j=1}^{N} \lambda_j g_j(x)$
- want to find  $\lambda_1, \ldots, \lambda_N$  to minimize

$$L(\lambda_1,\ldots,\lambda_N) = \sum_i \exp\left(-y_i \sum_j \lambda_j g_j(x_i)\right)$$

- AdaBoost is actually doing coordinate descent on this optimization problem:
  - initially, all  $\lambda_j = 0$
  - each round: choose one coordinate  $\lambda_j$  (corresponding to  $h_t$ ) and update (increment by  $\alpha_t$ )
  - choose update causing biggest decrease in loss
- powerful technique for minimizing over huge space of functions