Math 4075

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TRADING STRATEGY IN SOYABEAN FUTURES

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Outline

- ➤Intro and Background
- ➤ Statistical Tests & Trend-Following Characterization
- >Implementation Details
- ➤ Strategy & Optimization
- > Risk, Return & Other Results
 - >First four years
 - ➤In sample/out of sample
- **≻**Conclusions

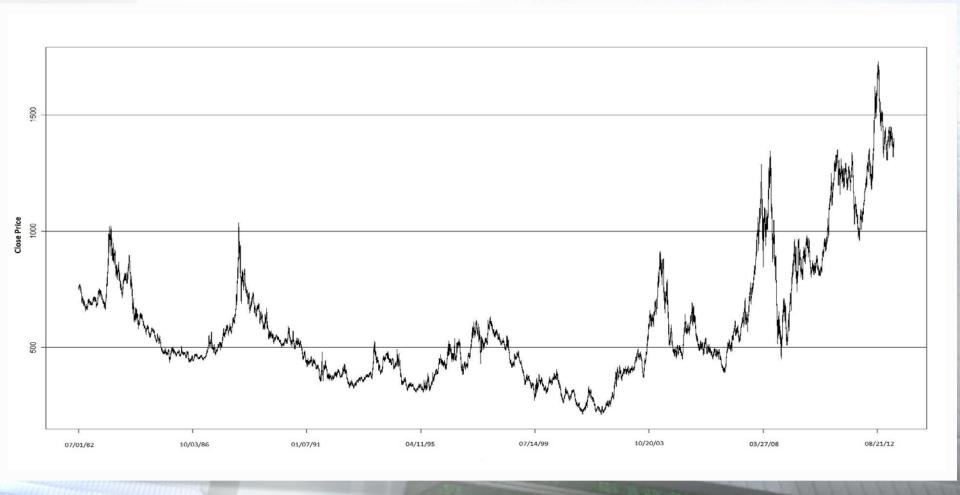
Introduction

Why is there a market for Soybeans?

- Soybeans are used globally for everything from poultry feedstock to vegetable oil.
- ✓ The US dominates the market, accounting for over 50% of global production. Brazil is the next biggest producer, with 20% of global production.
- ✓ You've probably enjoyed unripened soybeans from the pod (edamame)

Soybean Futures Market Specifications			
TickData Ticker	SY		
Exchange	CBOT-CME		
Currency	USD		
Contract Value	71,850		
Contract Size	5,000 bushels (~136 metric tons)		
Point Value	50		
Tick Size	12.50/contract		
Data from	7/1/1982		
Pit Session	9:30 - 13:15		
Bid/Ask spread	12.5		
Slippage	24		

SY Historicals 1982-2013



[Variance Ratio Test Results]

$$\rho_{1} = corr(\Delta p_{1}, \Delta p_{2})$$

$$\Delta p_{1} = p(t+\tau) - p(t)$$

$$\Delta p_{2} = p(t+2\tau) - p(t+\tau)$$

$$VR(q) = \frac{Var(q)}{q \cdot Var(1)}$$

$$VR(q) = \frac{1}{q} \cdot Var(1)$$

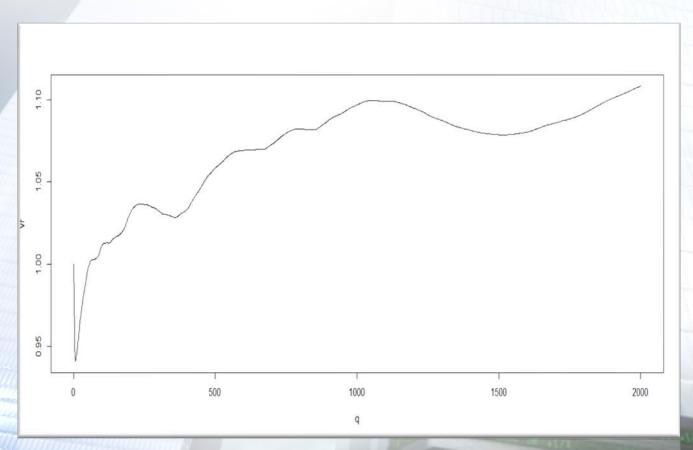
$$VR(q) = 1 + 2 \cdot \sum_{k=1}^{q-1} (1 - \frac{k}{q}) \cdot \rho_{k}$$

If VR>1, trend following

If VR=1, random walk

If VR<1, mean reversion

[Variance Ratio Test Results]

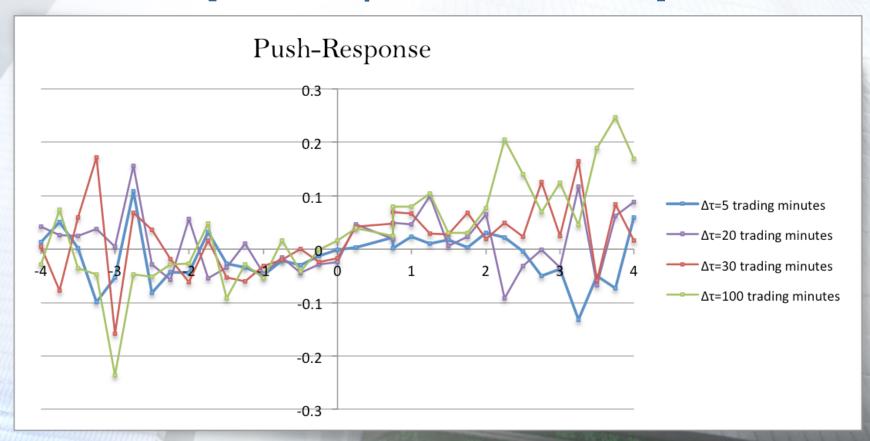


The results of the Variance Ratio Test shows mean reversion in short term and trend following thereafter (VR>1)

$$p(t)-p(t-\tau)$$
 \Longrightarrow Push
 $p(t+\tau)-p(t)$ \Longrightarrow Response
 $P(y|x)=\frac{P(x,y)}{P(x)}$ \Longrightarrow Conditional mean response of a 'push' $\langle y \rangle_x = \int dy \cdot y \cdot P(y|x)$

For trend-following property, we look to have on average a positive response following a positive push, and a negative response following a negative push, thus, giving us a positive-sloping data curve.

[Push Response Test Results]



Assumptions

- ✓ There are 45 5-minute OHLC bars in one trading day, and 252 trading days per year
- ✓ Transaction cost remains fixed over the entire time period (7/1/1982 – 4/18/2013) (SLPG=\$24)
- √ Trading size for each trade is 1 contract
- ✓ An open position must be closed before another trade is initiated
- ✓ No adjustments are made to the risk-free rate or the inflation rate over our time period

Language Selection: Mathematica

• Pro's:

Good parallelization support

Some functions can be downcompiled to C for speed

Attractive output

Support for many programming paradigms



Language Selection: Mathematica

- Con's:
 - Runs on the Java Virtual Machine---no access to the native instruction set on x86 chips= slow
 - Low efficiency for procedural programming
 - Language designed for pure functional programming (Map[], Scan[], NestList[], etc)

Modularity and Parallelization



- Code runs on several machines simultaneously for speed
- Independent results stored in .dat files and passed between clustered machines

Very easy to distribute processing in Mathematica

MainLoop=Compile[Function[foo; bar; Magic. Parallelization->True, CompilationTarget->"C"

Timing and Efficiency

- First effort ran in polynomial time O(nk)
- Main function now runs in linear time time O(n)
 - After much blood, sweat, and tears
- Still didn't finish all the computations we wanted



Brute-force discrete optimization: in sample

- Divide the parameter space into a grid
- Sweep the grid, optimize for net profit/max drawdown ratio

Optimization Details

- Channel length varied from 10 to 490 in increments of 10
- Channel length also varied from 500 to 10,000 in increments of 100
- Stop percentage varied from 0.001 to 0.1 in increments of .001.
- Produce contour plots for easy data visualization



The main code

Main loop

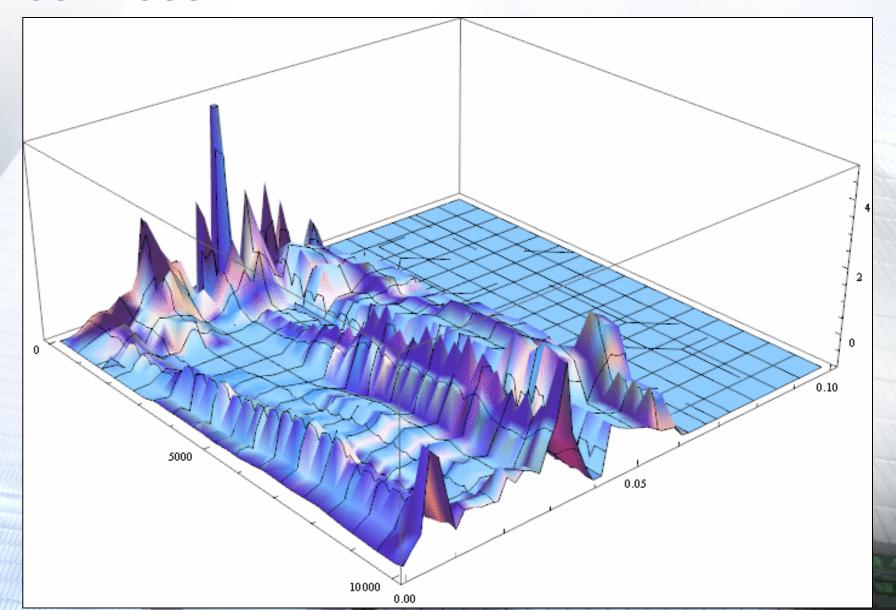
```
RoAList = {};
 ChNum = Position[ChLengthList, ChLength][[1, 1]];
  (*!!!!!!!!!!!!!!
  HHList = Join[Table[HHExt4[[i, ChNum]], {i, 1 + 6 Month, Length[HHExt4]}], Table[HHExt5[[i, ChNum]], {i, 1, Length[HHExt5]}],
      Table[HHExt6[[i, ChNum]], {i, 1, Length[HHExt6]}], Table[HHExt7[[i, ChNum]], {i, 1, Length[HHExt7]}],
      Table[HHExt8[[i, ChNum]], {i, 1, Length[HHExt8]}]];
 LLList = Join[Table[LLExt4[[i, ChNum]], {i, 1 + 6 Month, Length[LLExt4]}], Table[LLExt5[[i, ChNum]], {i, 1, Length[LLExt5]}],
      Table[LLExt6[[i, ChNum]], {i, 1, Length[LLExt6]}], Table[LLExt7[[i, ChNum]], {i, 1, Length[LLExt7]}],
      Table[LLExt8[[i, ChNum]], {i, 1, Length[LLExt8]}]];
   MPTemp = 0; MP = 0; Equity = 0; TargetPrice = 0; EntryPrice = 0; PrevPeak = 0; PrevTrough = 0; DD = 0; EquityMax = 0; MaxDD = 0;
     If[Equity > EquityMax, EquityMax = Equity;];
      DD = Equity - EquityMax;
      If [DD < MaxDD, MaxDD = DD;];</pre>
      If [MP == 0, {
         If[HighList[[i]] > HHList[[i]] && OpenList[[i]] < HHList[[i]], {MPTemp = +1; EntryPrice = HHList[[i]];}];</pre>
         If[HighList[[i]] > HHList[[i]] & \& OpenList[[i]] > HHList[[i]], \\ & ([i]) > HHList[[i]); \\ & ([i]) > HHList[[i]) > HHList[[i]) > HHList[[i]); \\ & ([i]) > HHList[[i]) > HHList[[i]] > 
         If[LowList[[i]] < LLList[[i]] && OpenList[[i]] > LLList[[i]], {MPTemp = -1; EntryPrice = LLList[[i]];}];
         If[LowList[[i]] < LLList[[i]] & OpenList[[i]] \leq LLList[[i]], \{MPTemp = -1; EntryPrice = OpenList[[i]]; \}];
       }];|
      If[MP == +1, {
          PrevPeak = EntryPrice;
         If[CloseList[[i-1]] > PrevPeak, PrevPeak = CloseList[[i-1]];];
         TargetPriceRaw = PrevPeak (1 - StpPct);
         TargetPrice = (Quotient[TargetPriceRaw, 0.25] + Quotient[Mod[TargetPriceRaw, 0.25], 0.125]) * 0.25;
         If[TargetPrice ≥ LowList[[i]] && TargetPrice ≤ OpenList[[i]], {Equity = Equity + PL[TargetPrice, EntryPrice]; MPTemp = 0;}];
         If[TargetPrice ≥ LowList[[i]] && TargetPrice > OpenList[[i]], {Equity = Equity + PL[OpenList[[i]], EntryPrice]; MPTemp = 0;}];
       }];
      If[MP = -1, \{
          PrevTrough = EntryPrice;
         If[CloseList[[i-1]] < PrevTrough, PrevTrough = CloseList[[i-1]];];</pre>
         TargetPriceRaw = PrevTrough (1 + StpPct);
         TargetPrice = (Quotient[TargetPriceRaw, 0.25] + Quotient[Mod[TargetPriceRaw, 0.25], 0.125]) * 0.25;
         If[TargetPrice \le HighList[[i]] && TargetPrice \ge OpenList[[i]], {Equity = Equity + PL[EntryPrice, TargetPrice]; MPTemp = 0;}];
         If[TargetPrice < HighList[[i]] && TargetPrice < OpenList[[i]], {Equity = Equity + PL[EntryPrice, OpenList[[i]]]; MPTemp = 0;}];</pre>
       }];
      MP = MPTemp;
      , {i, 1, 48 Month, 1}];
    RoA = Equity / Abs [MaxDD];
    RoAList = Append[RoAList, {ChLength, StpPct, RoA}];
    , {StpPct, 0.001, 0.08, 0.001}]
  , {ChLength, 500, 10000, 100}]
```

Import the data and select the interval of interest

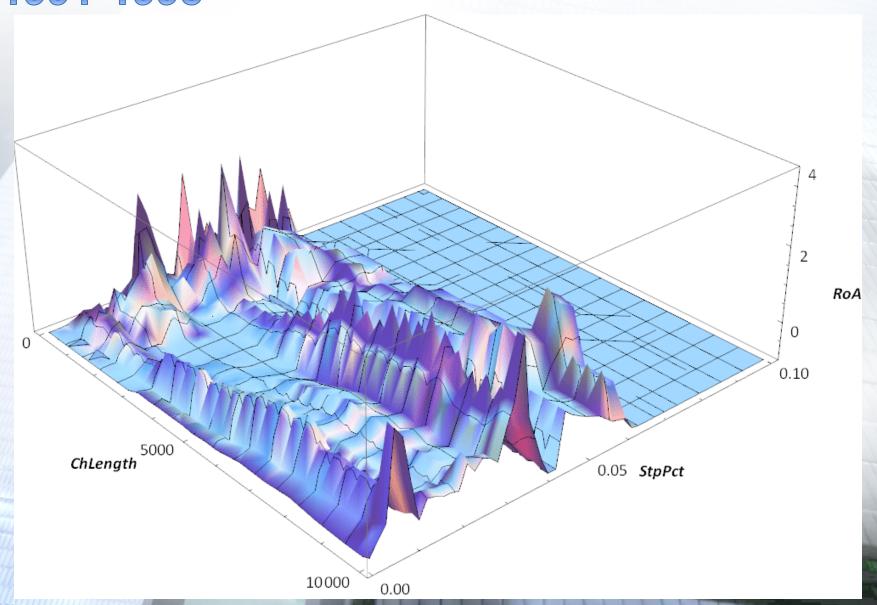
. Set the maximal and minimal channel length and steps in which we jump



Optimization Histogram: 4-year in sample 1984-1988

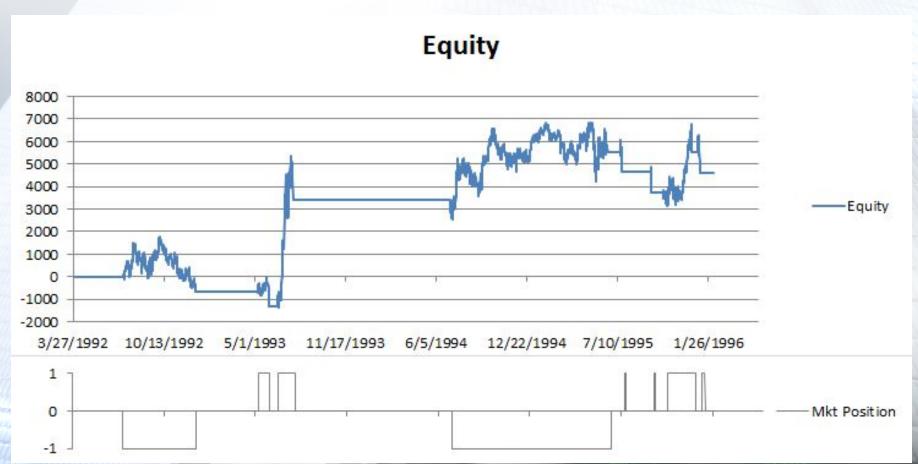


Optimization Histogram: 4-year in sample 1991-1995



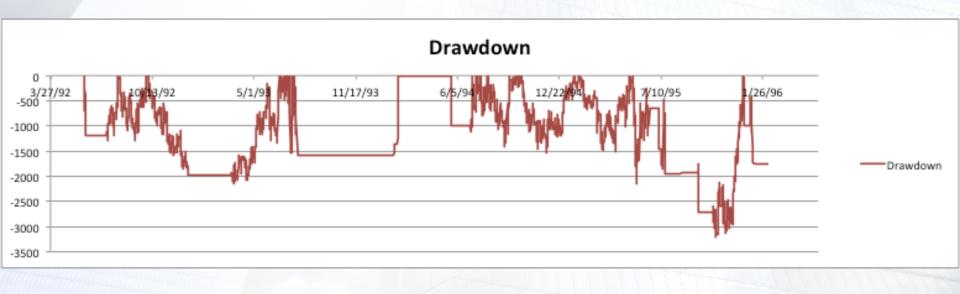
Risk, Returns & Other Results

Equity Curve (ChLength =9700)



Risk, Returns & Other Results

Drawdown(ChLength =9700)



In sample/out of sample table:

t/tau	3 months	3 months 6 months 9 months			
4 years	1.2	0.55	0.84	-0.84	
3 years	0.84	0.6	-1	-0.23	
2 years	0.86	0.86	0.9	-0.9	
1 year	-0.7	1.06	0.64	-0.41	

Risk, Returns & Other Results

Performance Metrics		
Net Profit	4633.86	
Max Drawdown	3204.65	
Average Drawdown	1131.14	
NP/MDD	1.44598006	
Long Trade	8.60%	
Short Trade	32.80%	
Annual Return	82%	
Std of Return	11%	
Sharpe Ratio	7.45	

Conclusions

- ✓ Optimal parameters are generally near:
 - ✓ Stop Percentage = 3.5%
 - ✓ Channel Length = 9700
 - ✓ This produces a RoA near 3.5
 - ✓ This market changes slowly in time
 - ✓ But it's still necessary to update your strategy regularly

Future work

- Improve speed of code
- Possibly re-implement in a fast procedural language or a LISP for speed improvement
 - C?
 - ANSI Common Lisp?
- Run more RoA calculations
- More backtesting as new market data emerges