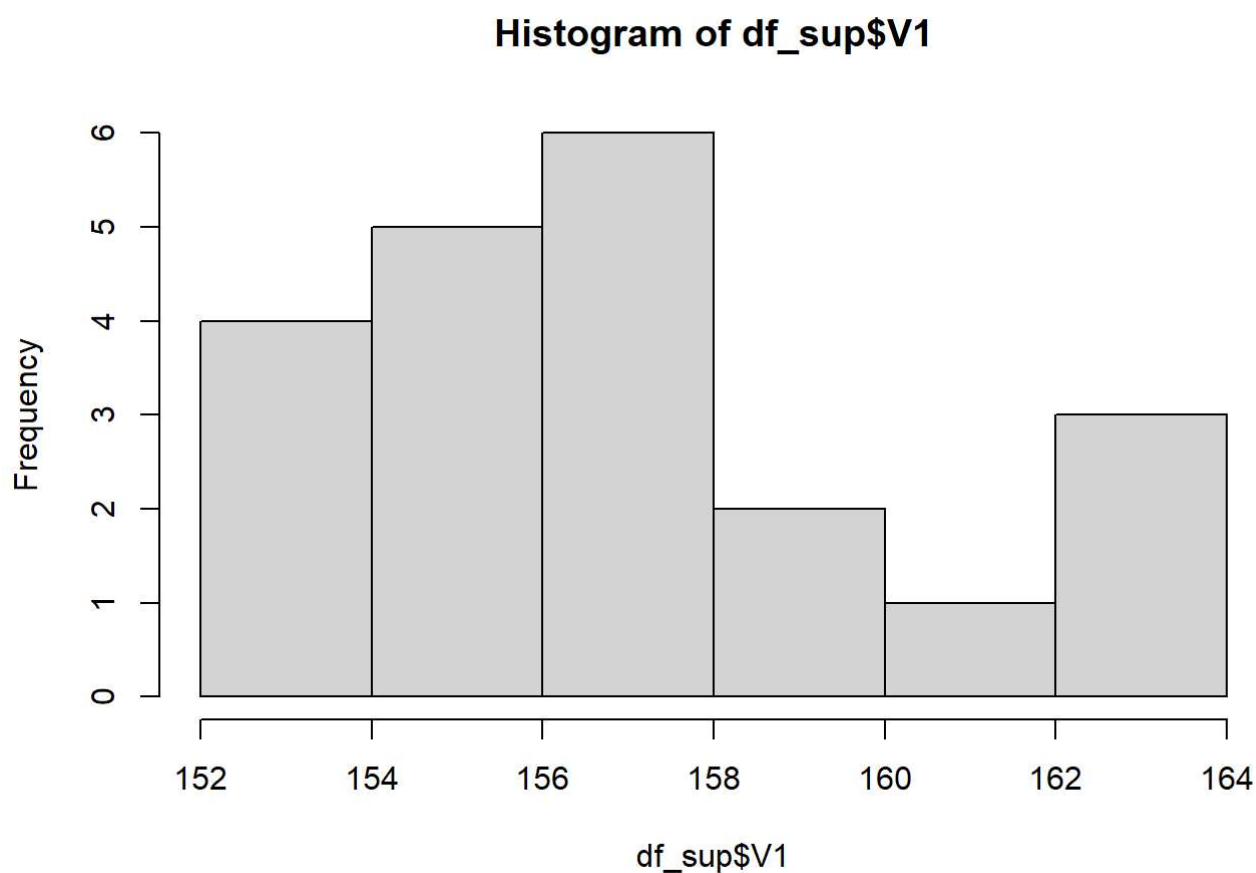


Guia 3.1 ejercicio 4

```
df_sup = read.table("C:\\Users\\Dell7400\\Documents\\Ale\\Facu\\Multivariado\\datos\\supervivientes.txt")
df_no_sup = read.table("C:\\Users\\Dell7400\\Documents\\Ale\\Facu\\Multivariado\\datos\\no_supervivientes.txt")

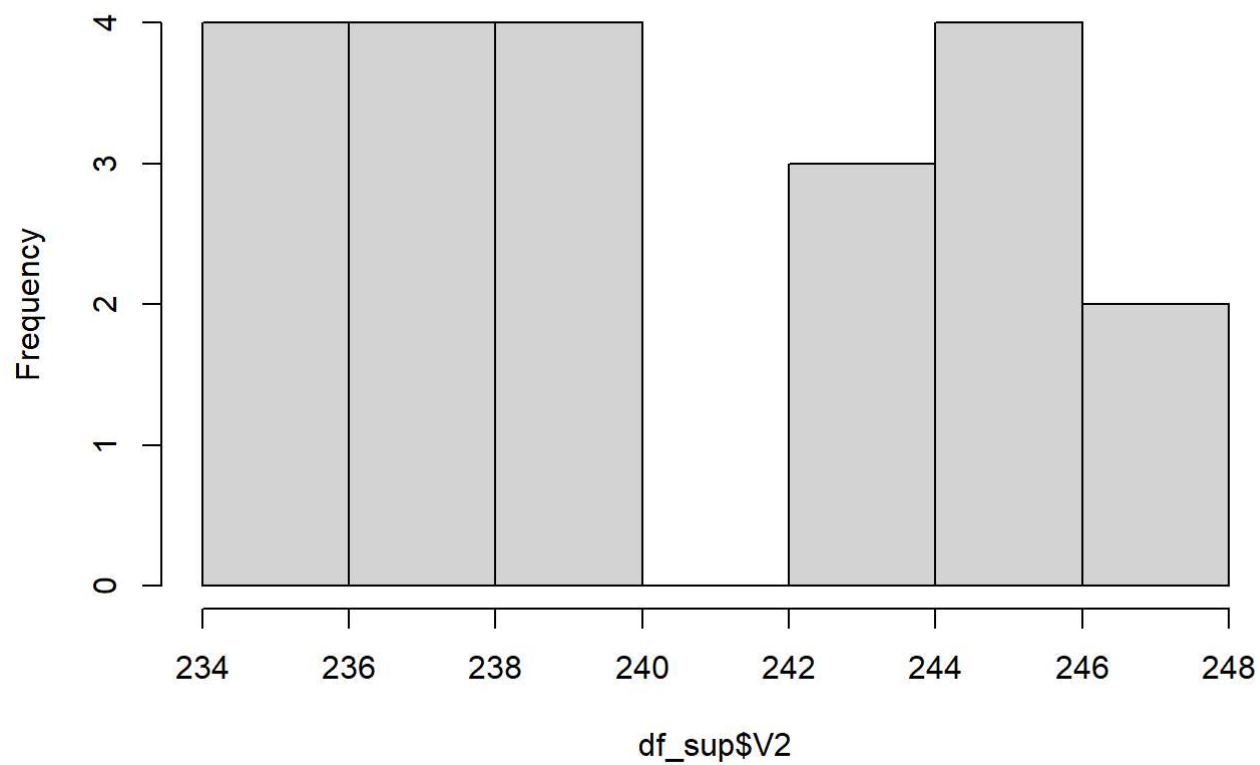
# veamos primero la pinta de los datos

hist(df_sup$V1)
```



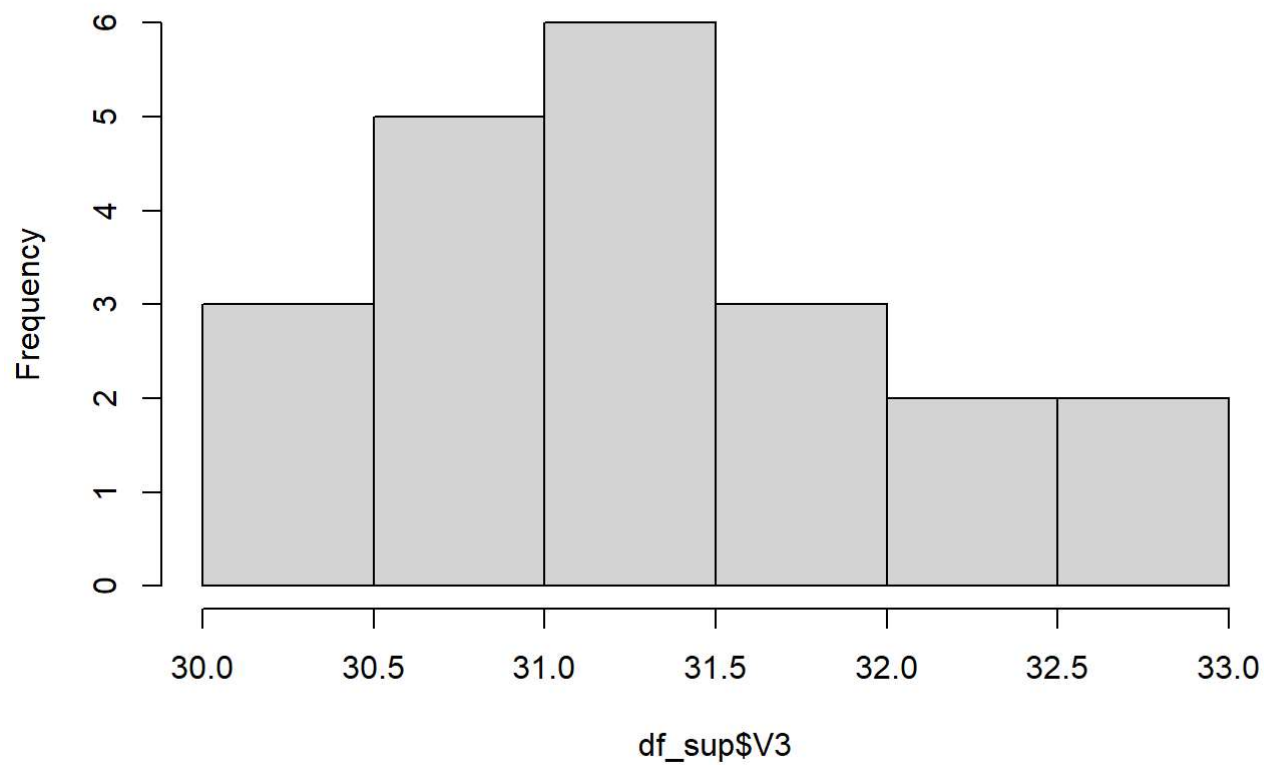
```
hist(df_sup$V2)
```

Histogram of df_sup\$V2



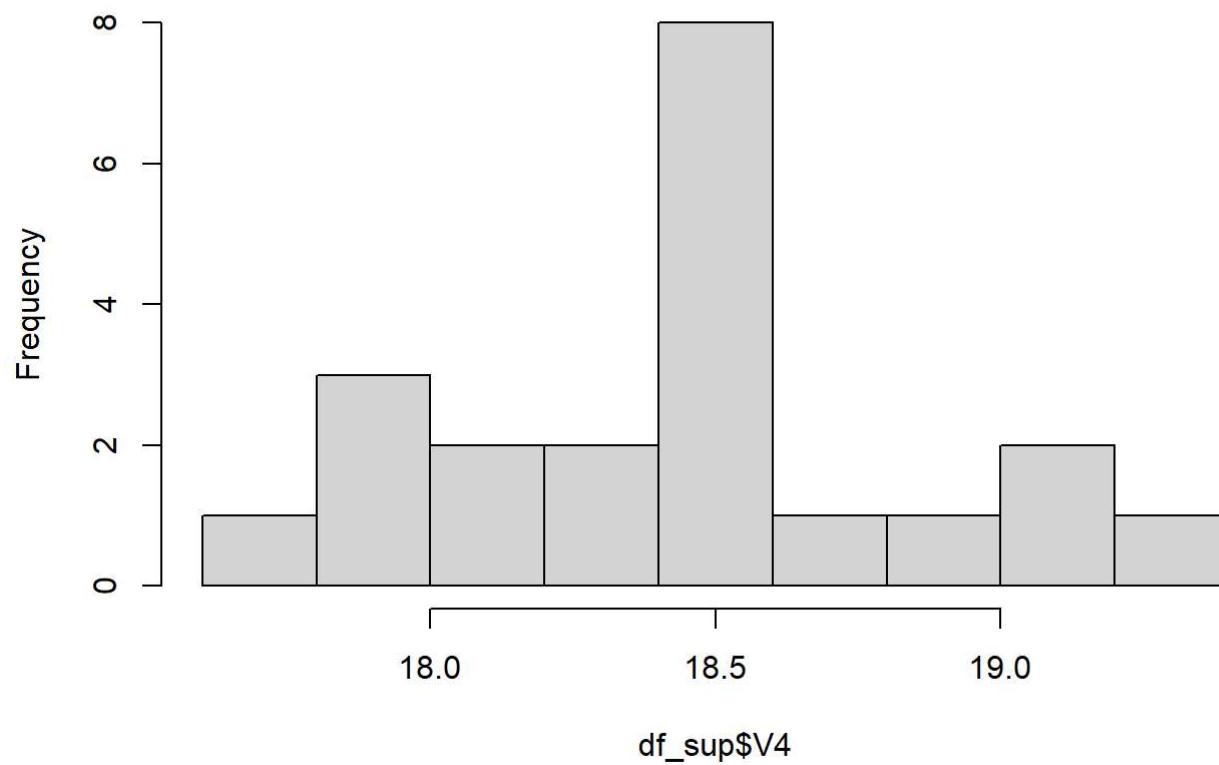
```
hist(df_sup$V3)
```

Histogram of df_sup\$V3



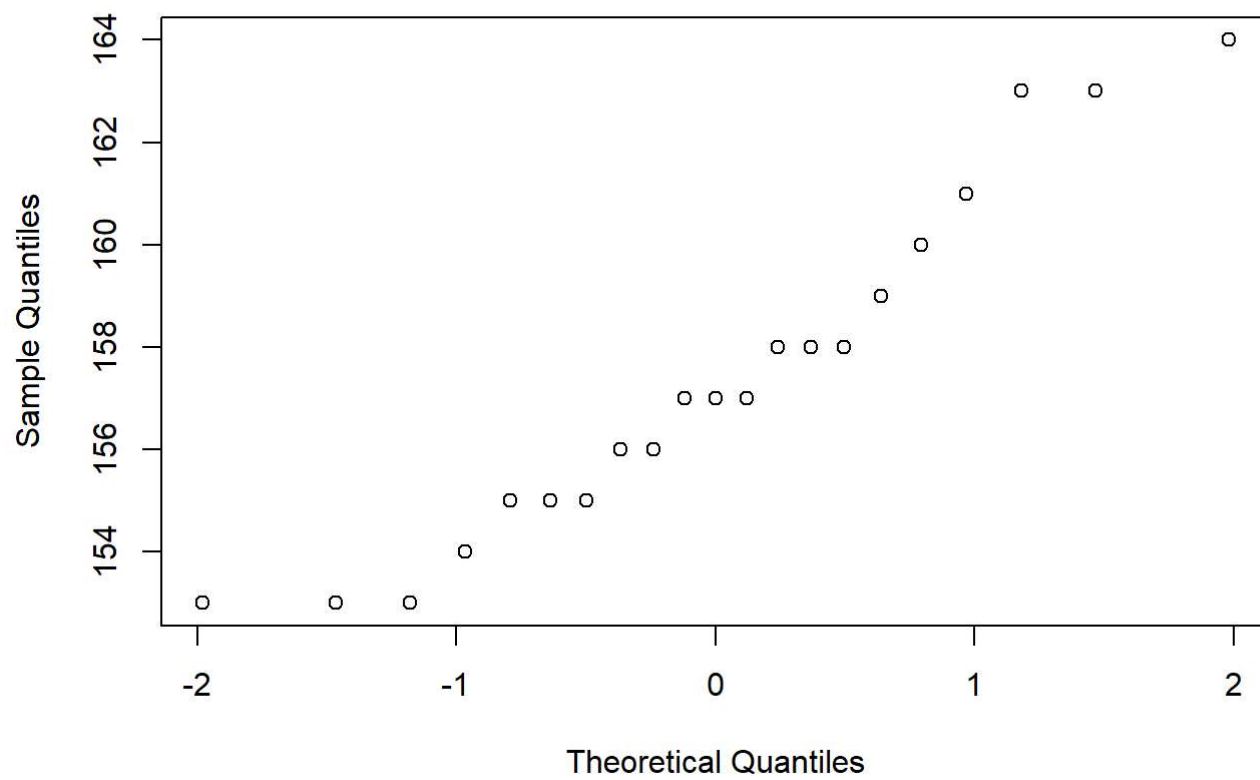
```
hist(df_sup$V4)
```

Histogram of df_sup\$V4



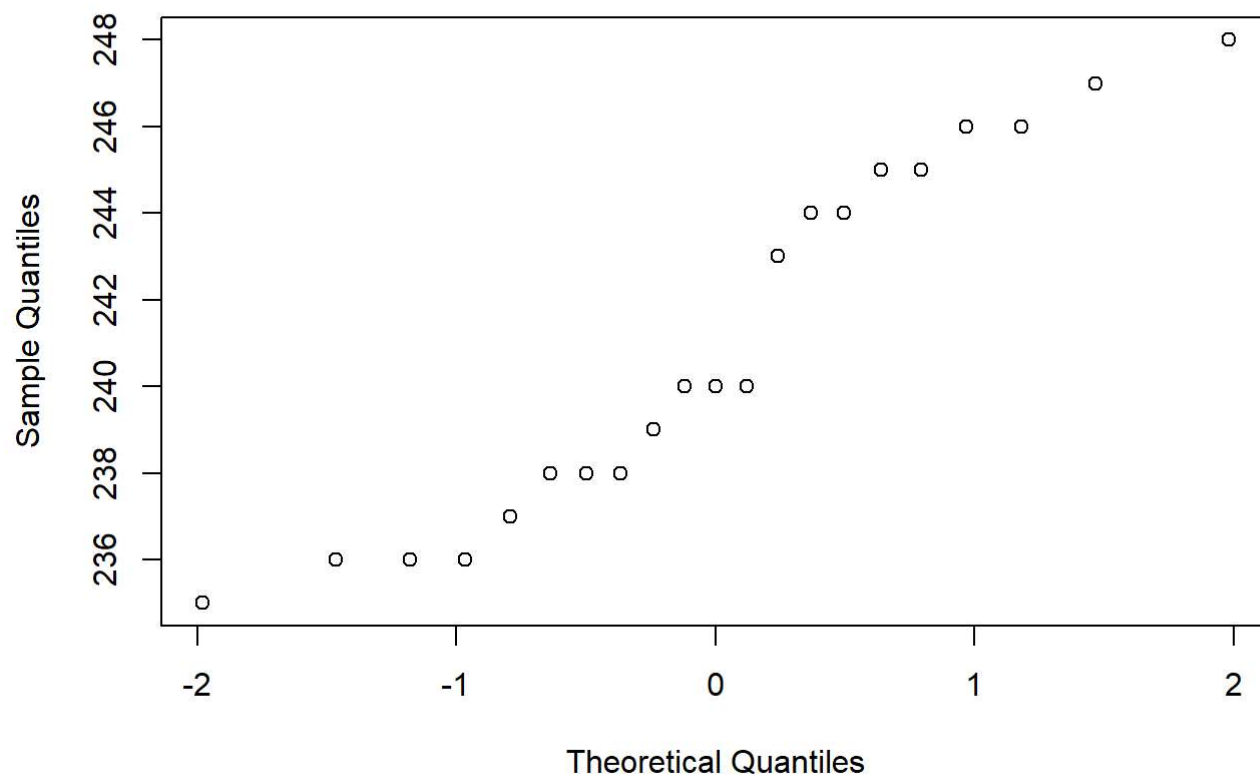
```
qqnorm(df_sup$V1)
```

Normal Q-Q Plot



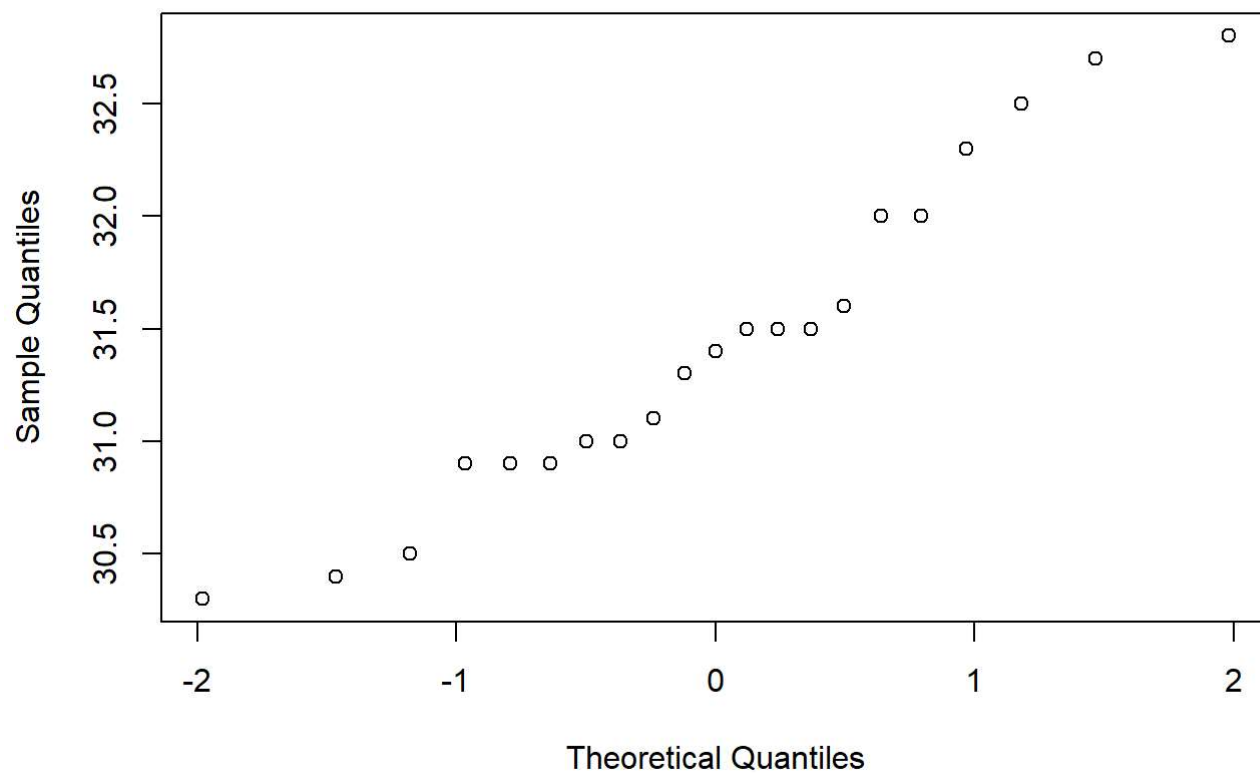
```
qqnorm(df_sup$V2)
```

Normal Q-Q Plot



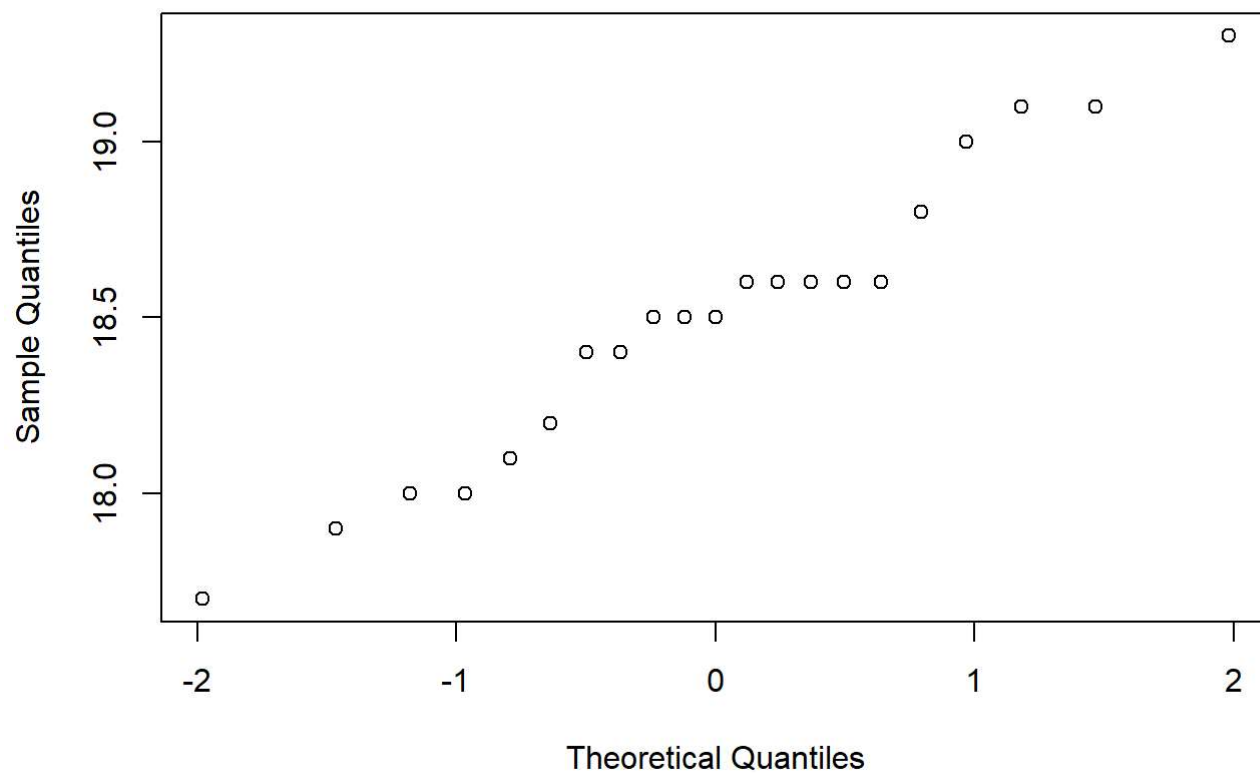
```
qqnorm(df_sup$V3)
```

Normal Q-Q Plot



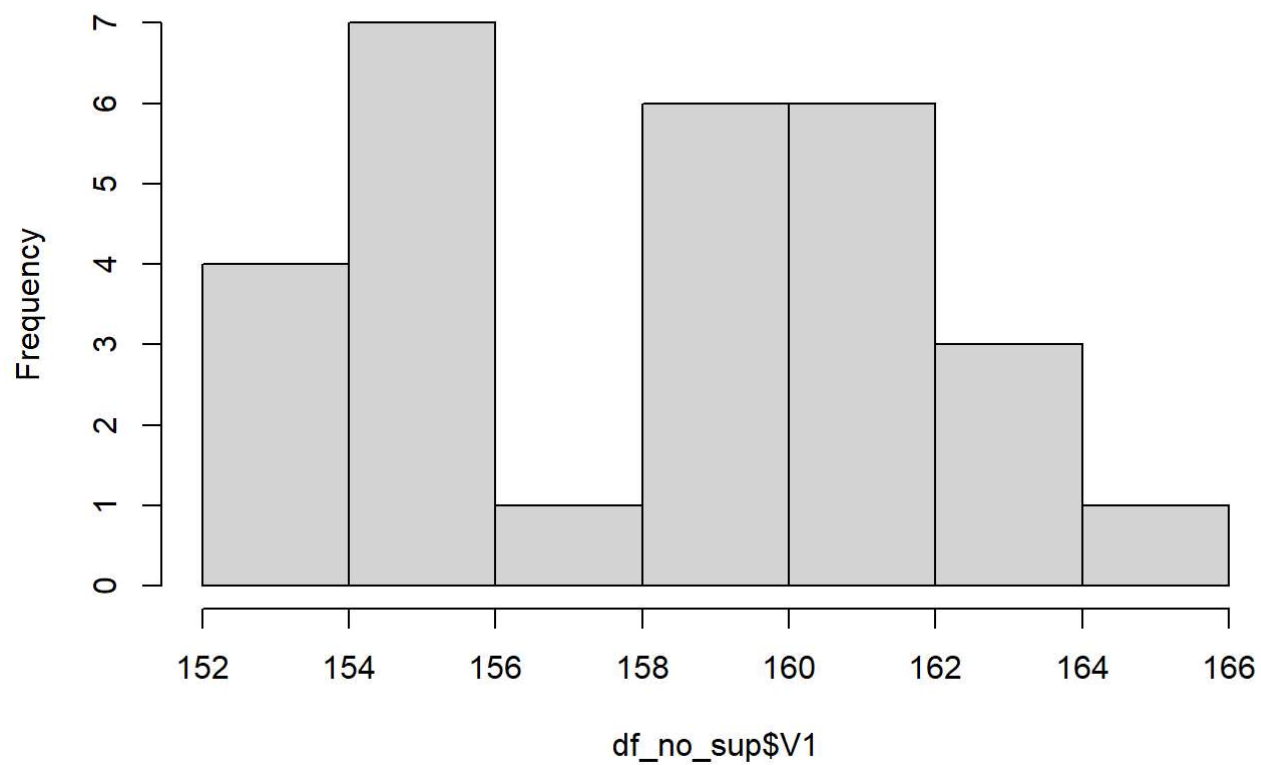
```
qqnorm(df_sup$V4)
```

Normal Q-Q Plot



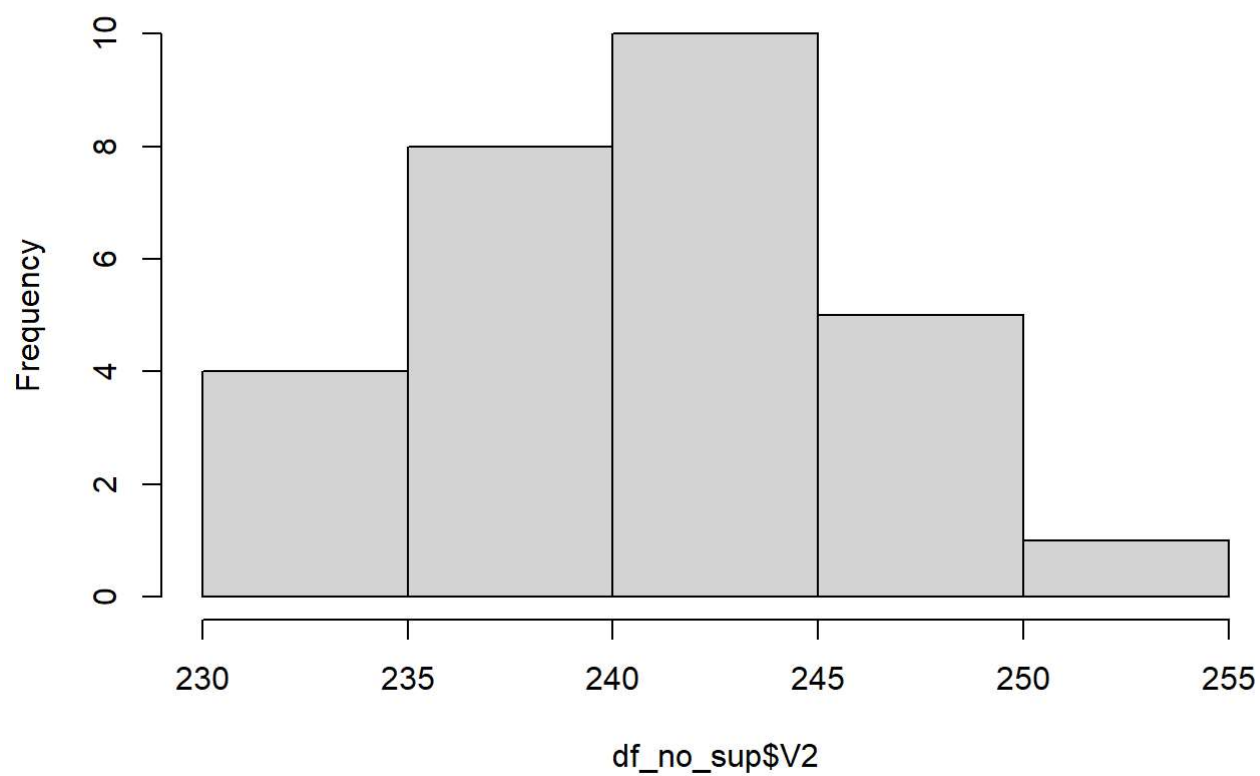
```
hist(df_no_sup$V1)
```


Histogram of df_no_sup\$V1



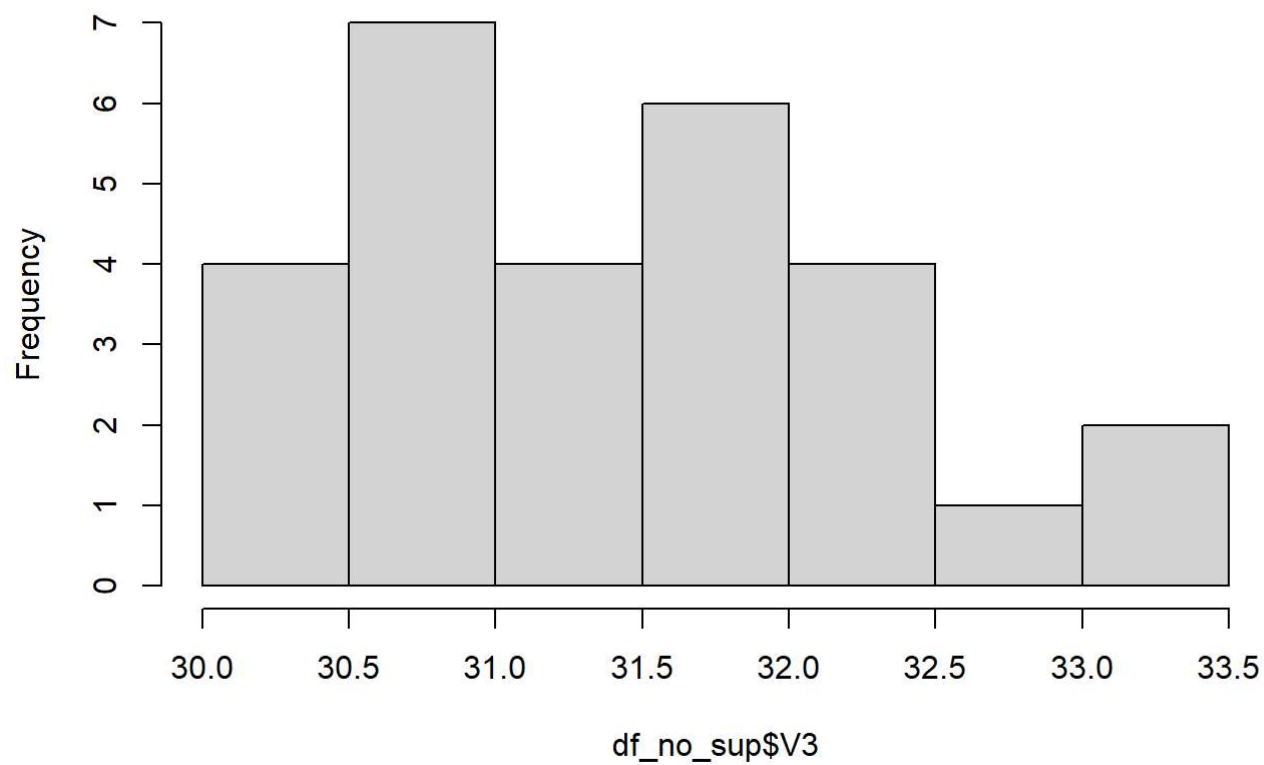
```
hist(df_no_sup$V2)
```

Histogram of df_no_sup\$V2



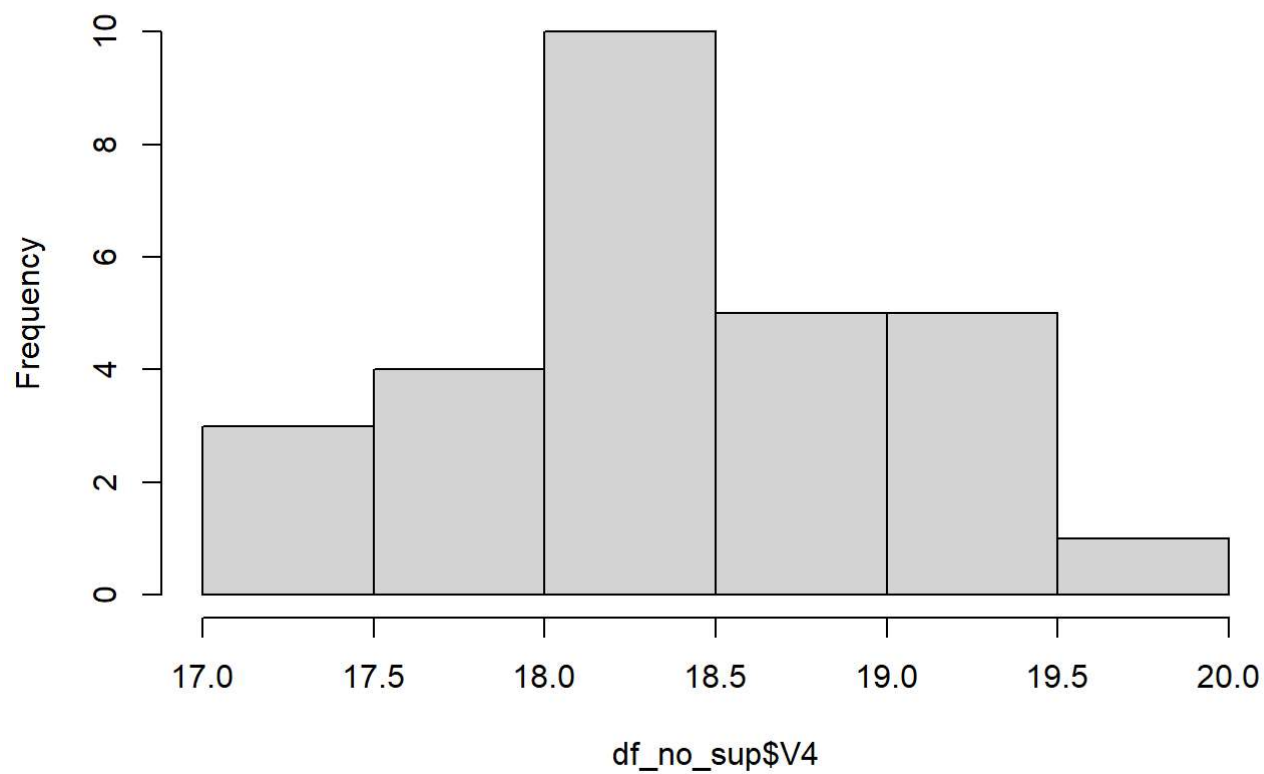
```
hist(df_no_sup$V3)
```

Histogram of df_no_sup\$V3



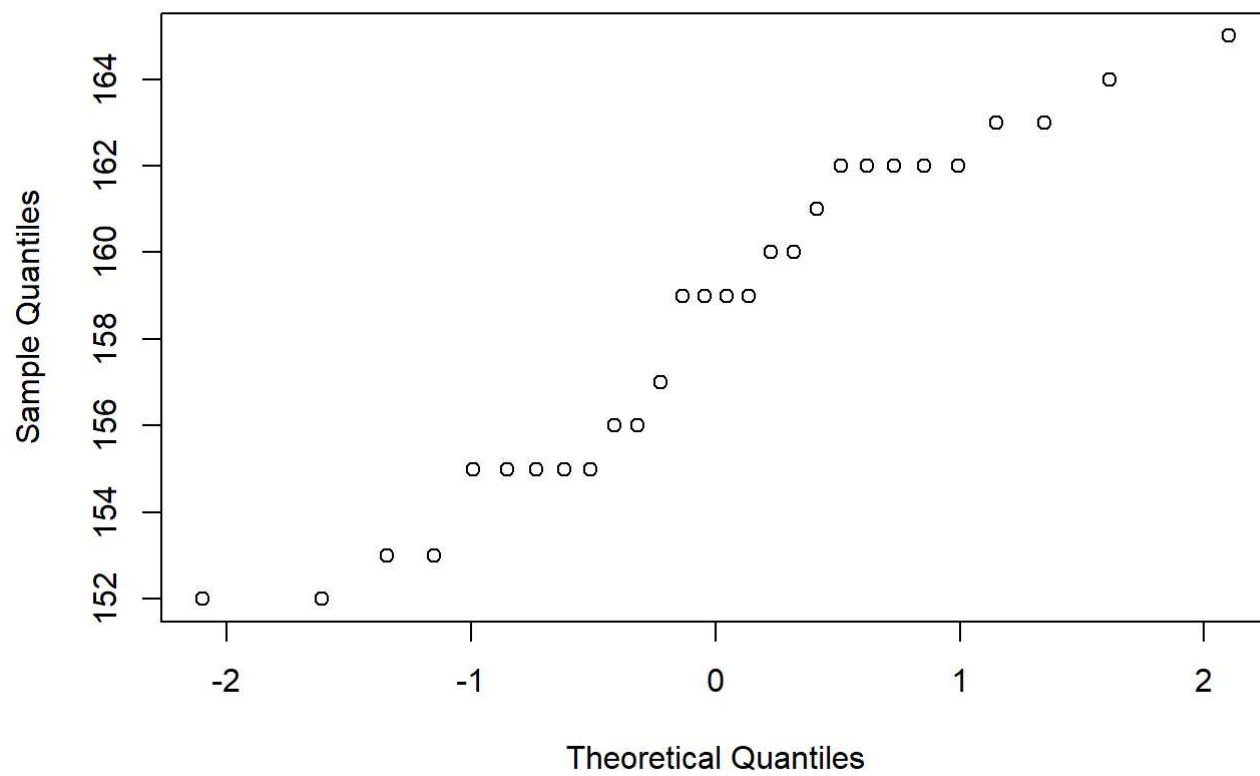
```
hist(df_no_sup$V4)
```

Histogram of df_no_sup\$V4



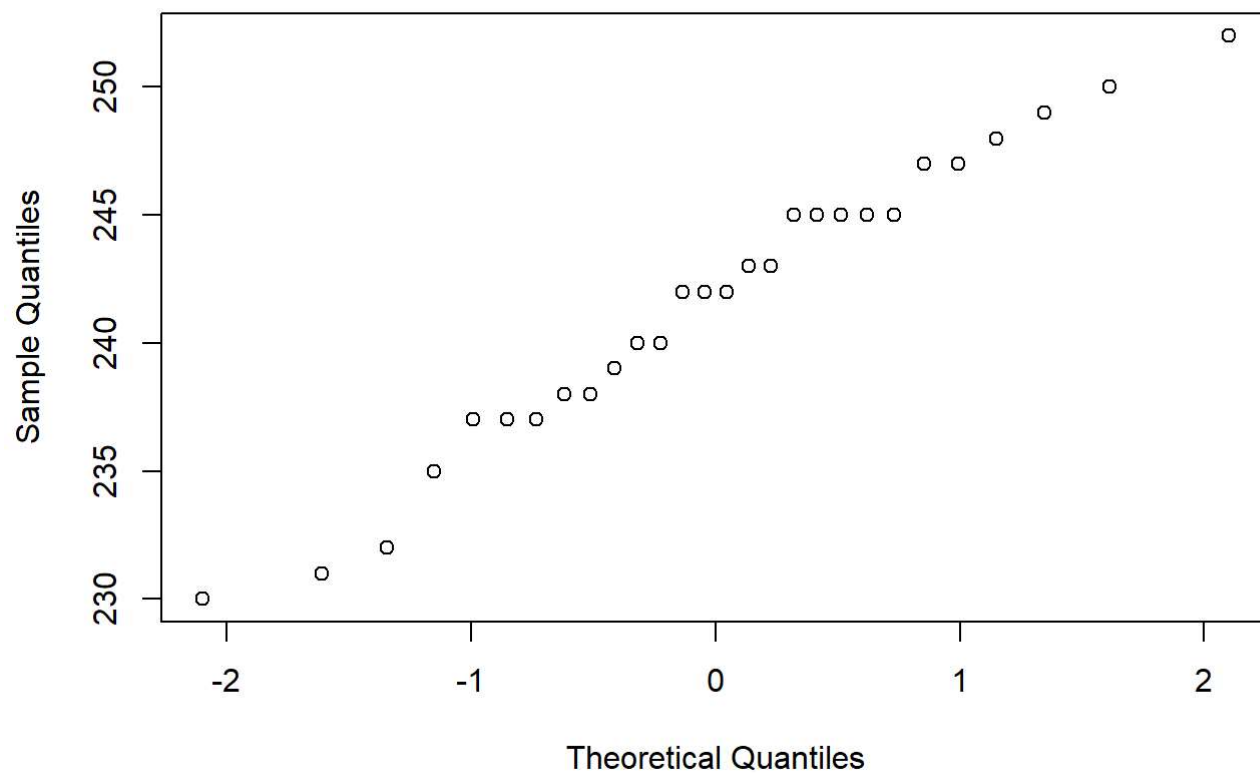
```
qqnorm(df_no_sup$V1)
```

Normal Q-Q Plot



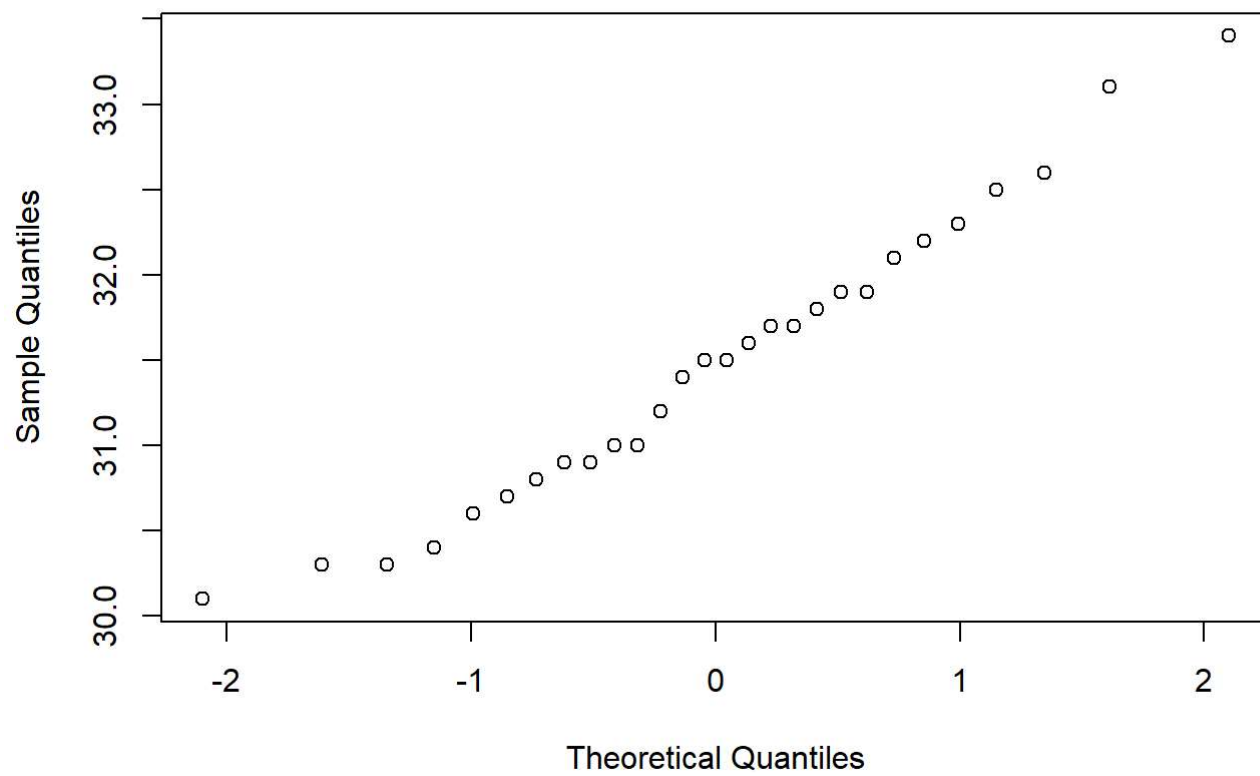
```
qqnorm(df_no_sup$V2)
```

Normal Q-Q Plot



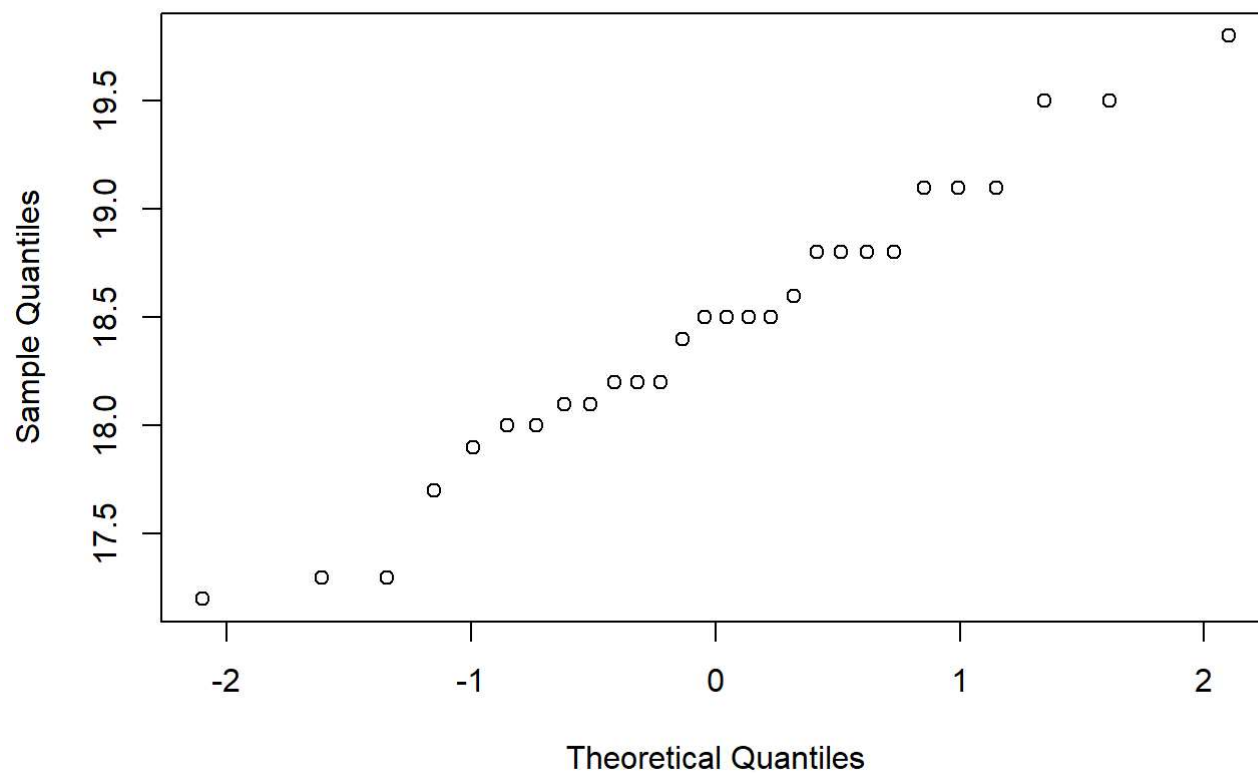
```
qqnorm(df_no_sup$V3)
```

Normal Q-Q Plot

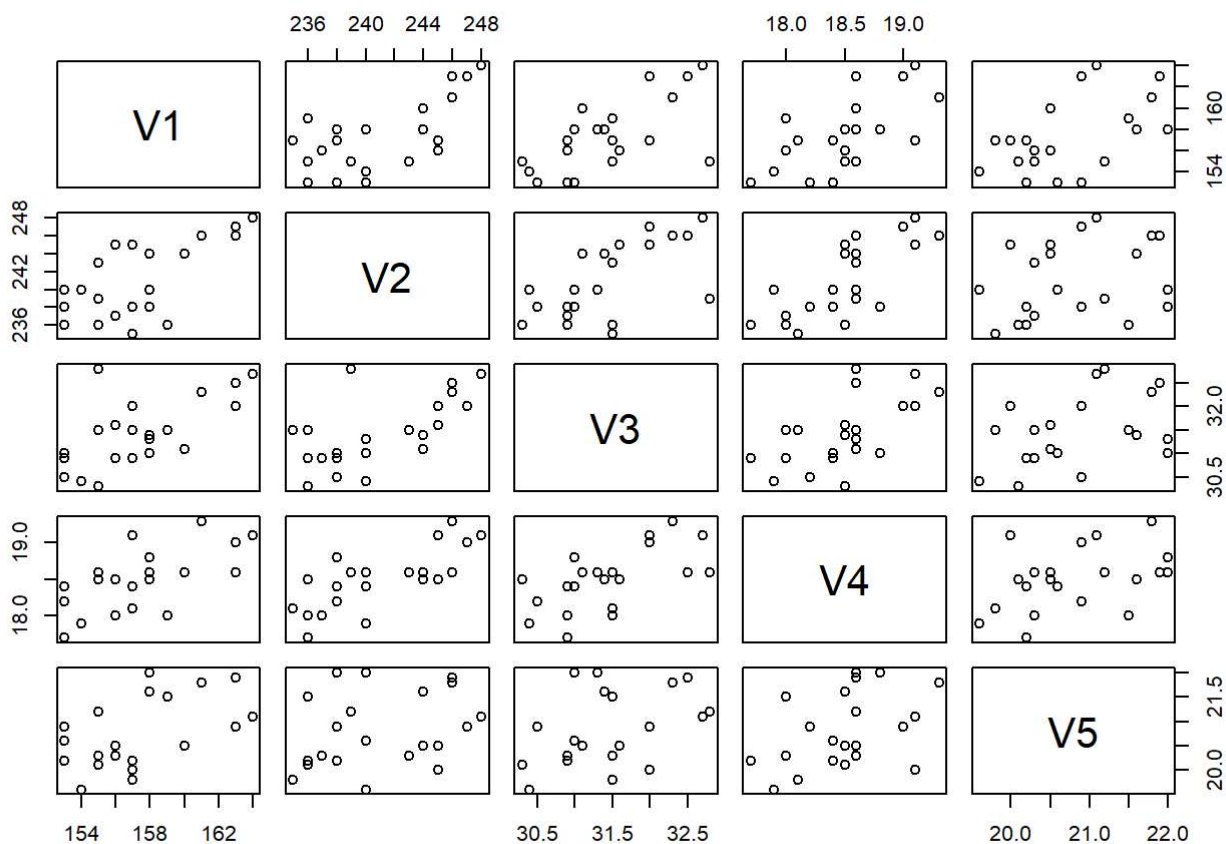


```
qqnorm(df_no_sup$V4)
```

Normal Q-Q Plot



```
# En forma univariada pocas parecieran ser normales  
  
# de todas formas, no hay que confiarse, son pocos datos  
  
# Veamos un grafico bivariado  
  
plot(df_sup)
```

dependiendo el par de variables que vemaos, parecieran tener forma de elipse, posiblemente con mas observaciones

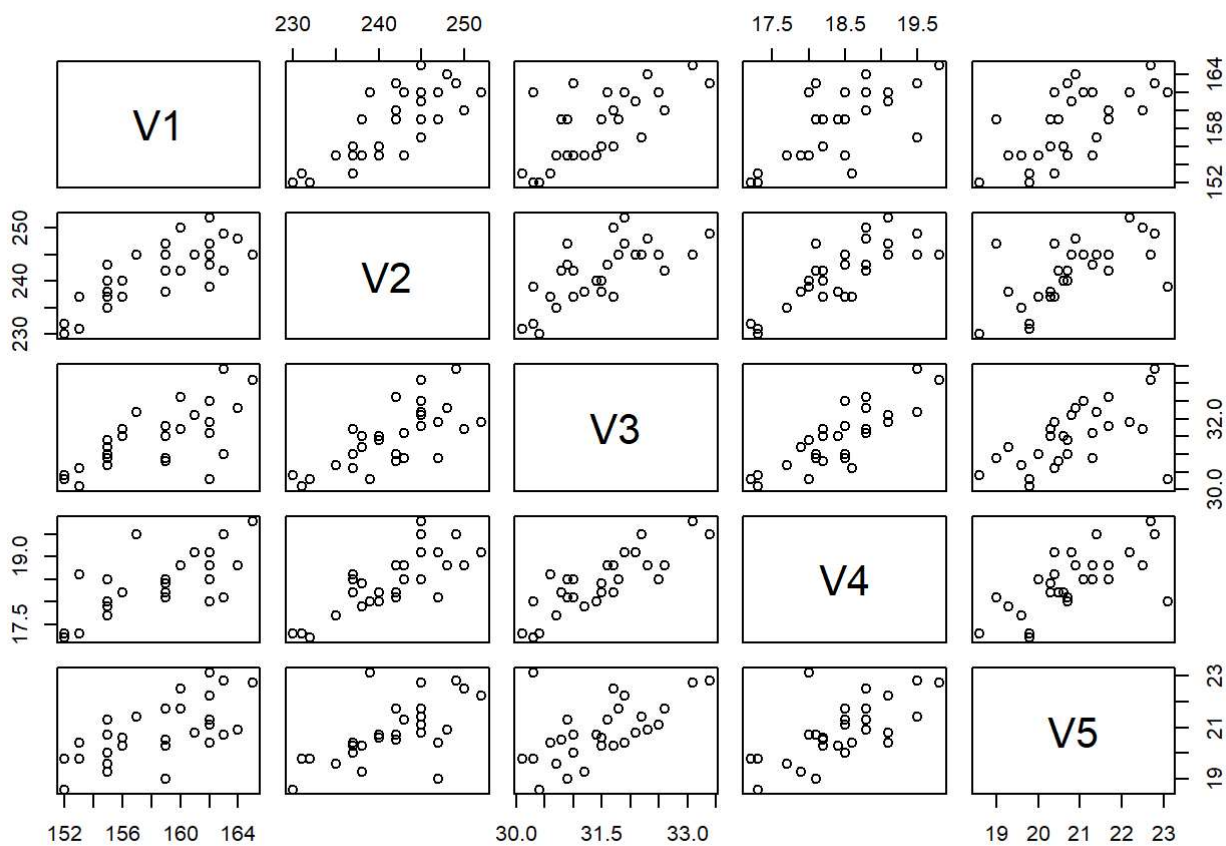
```
plot(df_no_sup)
```

en este caso, La gran mayoria de par de variables tienen forma de elipse, al menos dos a dos p parecieran ser normales

Hagamos un test de shapiro wilks para analizar la normalidad conjunta, tomando alfa 0.05

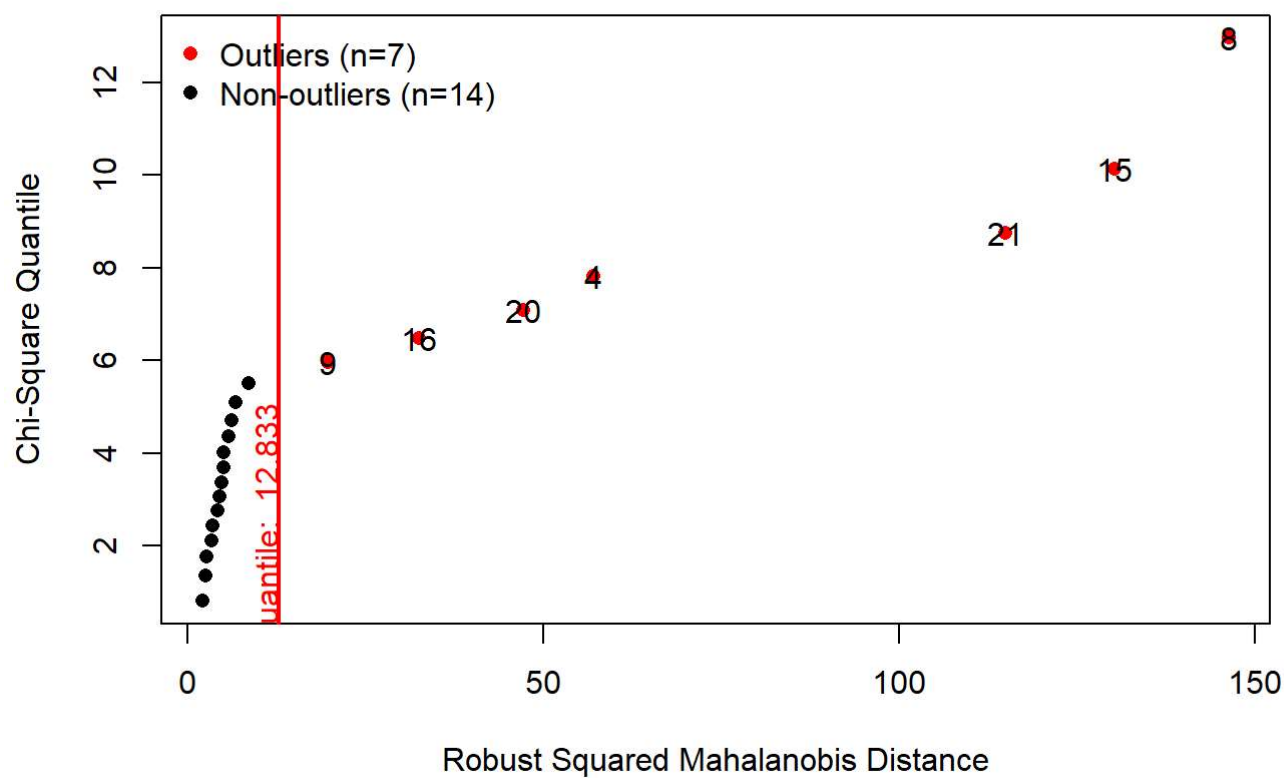
```
alfa = 0.05
```

```
library(MVN)
```



```
test_sup = mvn(df_sup, mvnTest = "hz", multivariateOutlierMethod = "quan")
```

Chi-Square Q-Q Plot



```
pvalue_sup = test_sup$multivariateNormality[3]
```

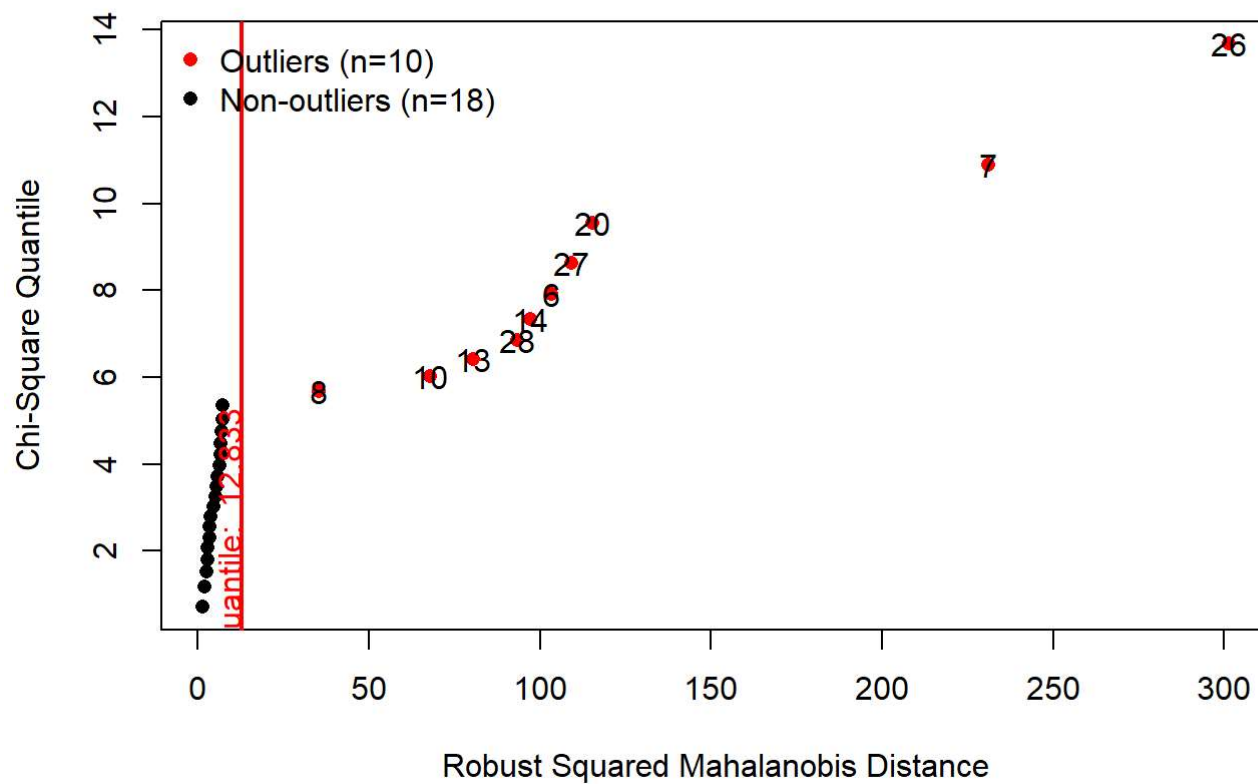
```
ifelse(pvalue_sup<alfa,"rechazo, no hay normalidad","no rechazo, hay normalidad multivariada")
```

```
##      p value
```

```
## [1,] "no rechazo, hay normalidad multivariada"
```

```
test_no_sup = mvn(df_no_sup, mvnTest = "hz", multivariateOutlierMethod = "quan")
```

Chi-Square Q-Q Plot



```
pvalue_no_sup = test_no_sup$multivariateNormality[3]
```

```
ifelse(pvalue_no_sup<alfa,"rechazo, no hay normalidad","no rechazo, hay normalidad multivariada")
)
```

```
##      p value
## [1,] "no rechazo, hay normalidad multivariada"
```

Al parecer hay normalidad multivariada en ambas muestras, procedemos a construir los estadísticos de Hotelling suponiendo

#- Normalidad en los vectores aleatorios e independencia entre muestras

#- Igualdad de matriz de varianzas y covarianzas

```
n1 = nrow(df_sup)
n2 = nrow(df_no_sup)
```

```
df_1_medias = apply(df_sup,2,mean)
df_2_medias = apply(df_no_sup,2,mean)
```

```
resta = df_1_medias-df_2_medias
```

```
s1 = cov(df_sup)
s2 = cov(df_no_sup)
```

```
s = ((n1-1)*s1+(n2-1)*s2)/(n1+n2-2)
```

construyo el valor del estadístico To_2

```
To_2 = ((n1*n2)/(n1+n2))*t(resta)%%solve(s)%%resta
```

```
p = ncol(df_sup)
```

```
Fo= ((n1+n2-p-1)/((n1+n2-2)*p)) * To_2
```

#busco el fractil de la t student cn p,n1+n2-p-1 grados de libertad

```
gl1 = p
gl2 = n1+n2-p-1
```

```
Fcritico = qf(0.99, gl1, gl2, lower.tail = T, log.p = F)
```

```
ifelse(Fo>Fcritico,"Rechazo Ho, no hay igualdad entre los vectores de medias","No Rechazo Ho, hay igualdad entre los vectores de medias")
```

```
##      [,1]
## [1,] "No Rechazo Ho, hay igualdad entre los vectores de medias"
```

#b

#La combinación lineal del componente de medias es donde se alcanza el supremo, entonces

```
solve(s)%%resta
```

```
##           [,1]  
## V1 -0.15532570  
## V2 -0.02649058  
## V3 -0.09285760  
## V4  1.03247387  
## V5  0.06932512
```