Concurrent Computing

Lecturers:

Prof. Majid Mirmehdi Dr. Tilo Burghardt

Dr. Daniel Page

majid@cs.bris.ac.uk) tilo@cs.bris.ac.uk page@cs.bris.ac.uk

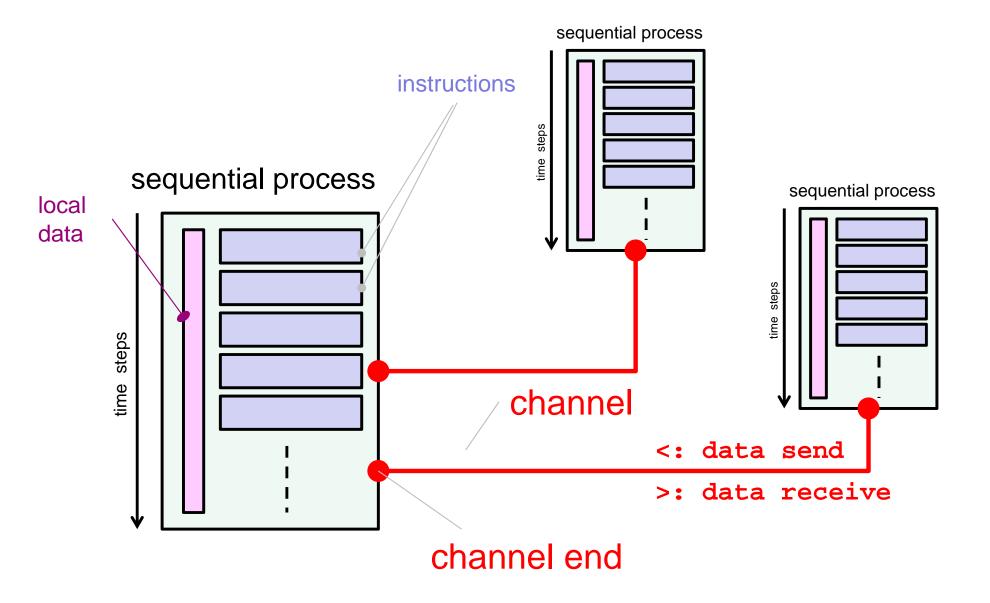
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LECTURE MM4

BASICS OF
CONCURRENT
SYSTEM DESIGN

The Building Blocks: Processes and Channels

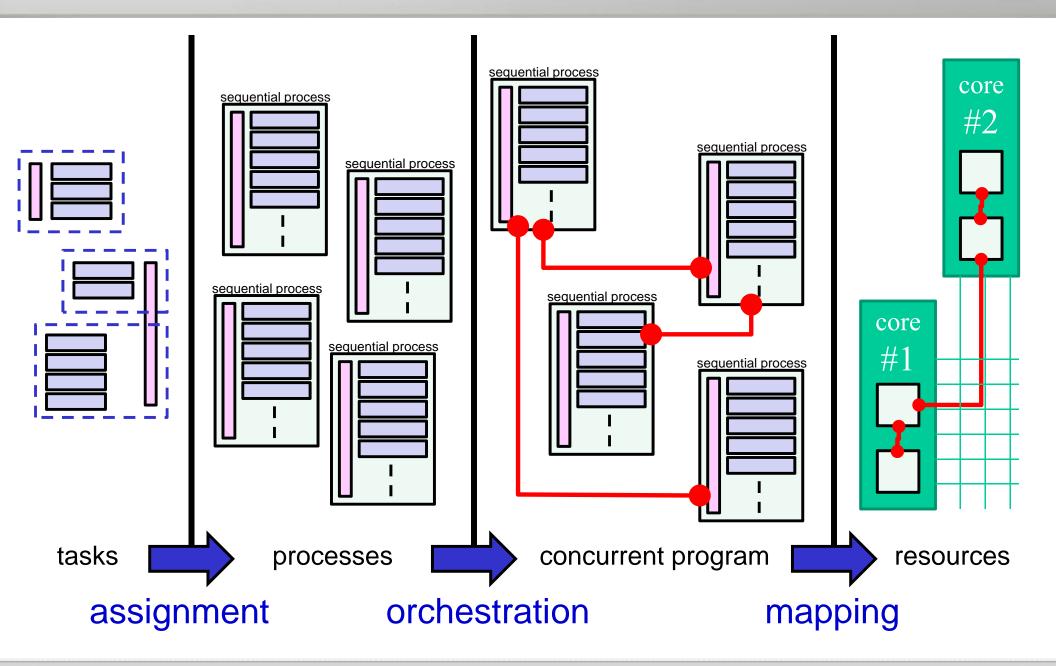


Stages in Designing a Concurrent System

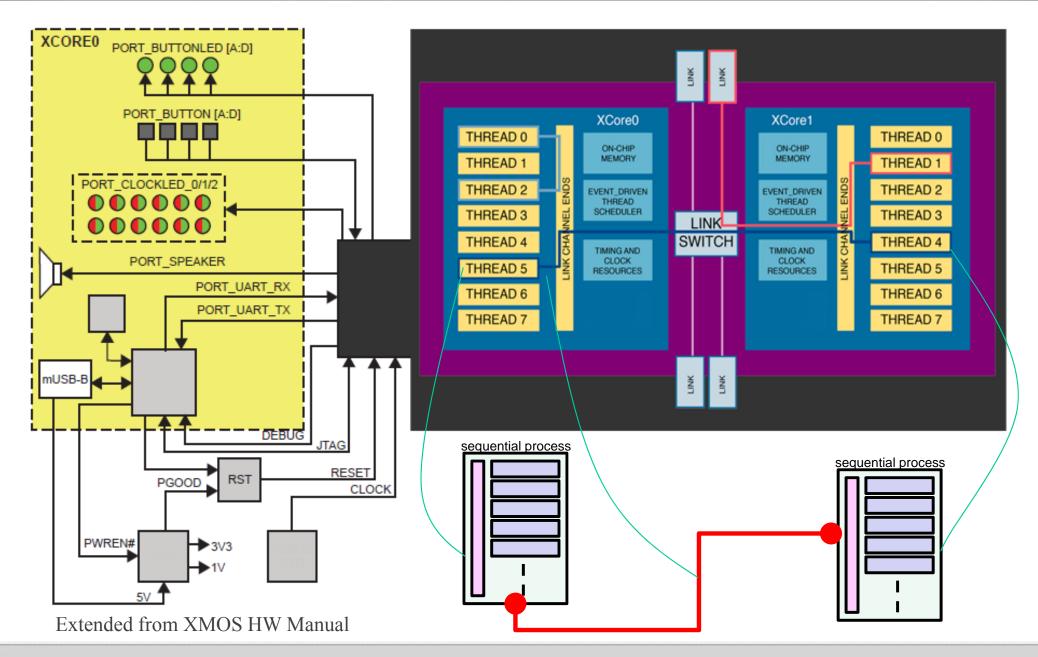
Three fundamental stages:

- Assignment of application tasks to processes
- Orchestration of processes into a concurrent program
- Mapping of program onto available resources

Stages in Designing a Concurrent System



Mapping to Hardware on XMOS XS-1



Basic Example: Distance Evaluation

- Assume that the task is to design a concurrent system that uses two processes efficiently in order to calculate distances between:
 - ▶ **patrol locations** stored in an array **A**
 - ► emergency locations stored in an array B

and finally outputs the 2D result array C

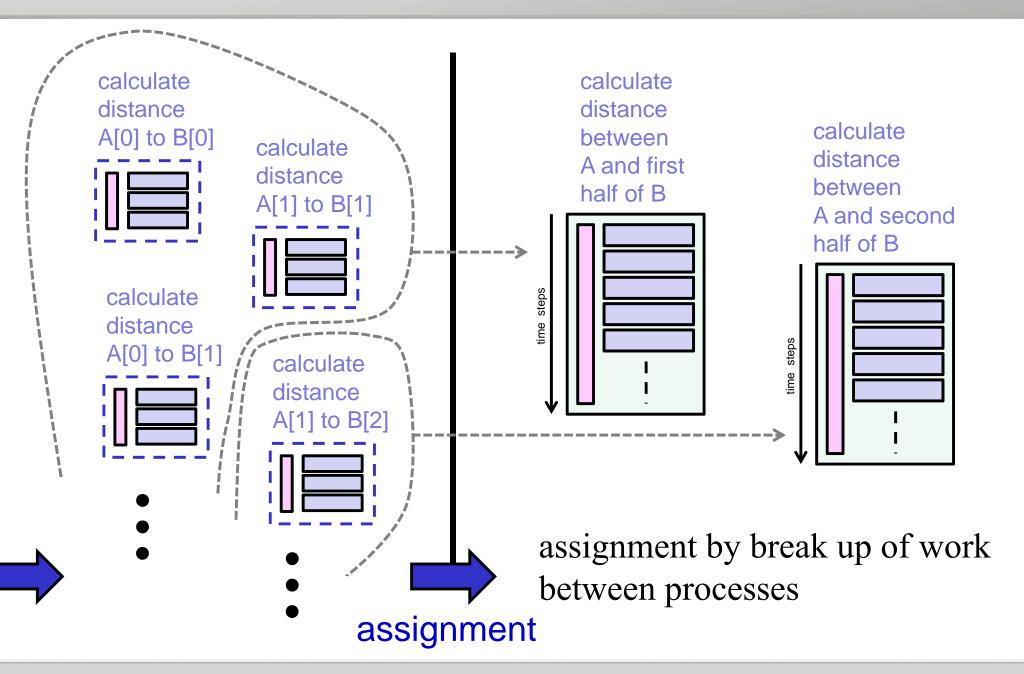
Problem Decomposition & Task Assignment

Creation of Process Candidates

(i.e. identifying tasks and partitioning the task space into processes by bundling tasks)

- → Criteria: minimum coupling, maximum compactness
 - Goal: clustering tasks of similar functionality demanding similar data portions
 - Analogy: design of objects in OO programming
- → Target: balance work and reduce communication during runtime
 - application often hints at good process candidates

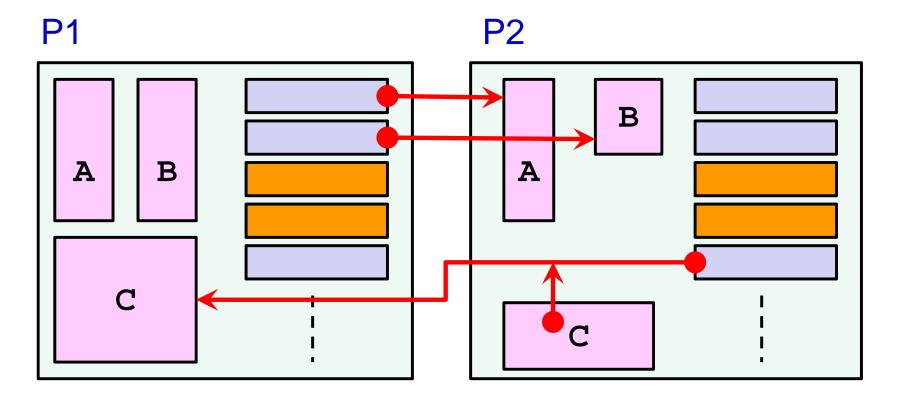
Example Task Assignment



Basic Example: Process Orchestration

• Orchestration: determine communication strategy and channels

- e.g. P1 sends data to P2
 P1 and P2 compute
- P2 sends output to P1



Concurrent XC Fragment showing Data Flow

```
// process P1 (fragment)
                                          // process P2 (fragment)
void processOne(chanend ch) {
                                         void processTwo(chanend ch) {
 point A[4]={...}; //init A
                                           point A[4]; //allocate local memory
 point B[4]={...}; //init B
                                           point B[2];
  int C[4][4]={...}; //init C
                                           int C[4][2]={...};
  // send data to process two
                                            // receive data from process one
  for (int i = 0; i < 4; i++)
                                           for (int i = 0; i < 4; i++)
    ch <: A[i];
                                             ch :> A[i];
                                           for (int i = 0; i < 2; i++)
  for (int i = 0; i < 2; i + +)
    ch <: B[i];
                                             ch :> B[i];
  // calculate some distances
                                            // calculate some distances
  for (int i = 0; i < 4; i++)
                                           for (int i = 0; i < 4; i++)
    for (int j = 2; j < 4; j++)
                                             for (int j = 0; j < 2; j + +)
      C[i][j] = dist(A[i], B[j]);
                                                C[i][j] = dist(A[i], B[j]);
  // receive results
                                            // send results
                                           for (int i = 0; i < 4; i++)
  for (int i = 0; i < 4; i++)
    for (int j = 0; j < 2; j++)
                                              for (int j = 0; j < 2; j++)
      ch :> C[i][i];
                                                ch <: C[i][i]:
   .. //output result C
                                              channel ch
```

Trade-off: Parallelisation vs. Communication

- in the example, distance calculations between points are independent of each other (...and thus, can be parallelised easily...'embarrassingly' parallel)
- Dividing work over N processes does not lead to N-times speedup as there are communication demands:
 - e.g. copy of A needs to be sent to all processors +
 copy of subset of B to each processor + results need collecting
- → COMMUNICATION is <u>NOT</u> free...

...it creates overheads and takes time!

Impact of Granularity: Fine vs. Coarse

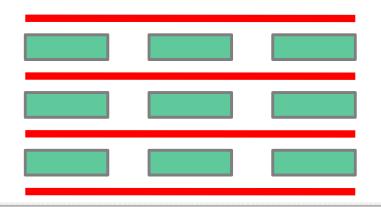
computation is typically separated by periods of communication

Fine-grain System

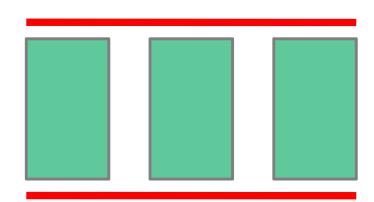
- Small computation to communication ratio
- Little computational work between communication stages
- Less opportunity for computation enhancement
- High communication overhead
- Good for reactive & dynamic problems

Coarse-grain System

- Large computation to communication ratio
- Big blocks of computational work between communications
- More opportunity for performance increase due to large blocks
- Hard to load balance efficiently



compute communicate



Dependencies: Limits to Performance Scalability

- So far, we have focussed on problems that are easily divided into parallel threads ... an important design issue is **Data Dependency!**
- Example:

$$A = B + C$$

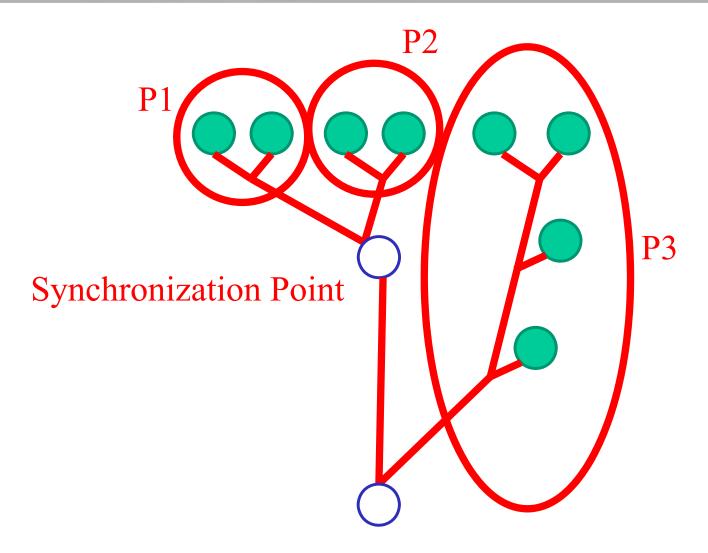
$$D = A + A$$

$$E = D / C$$

One computation can not proceed until another is complete.

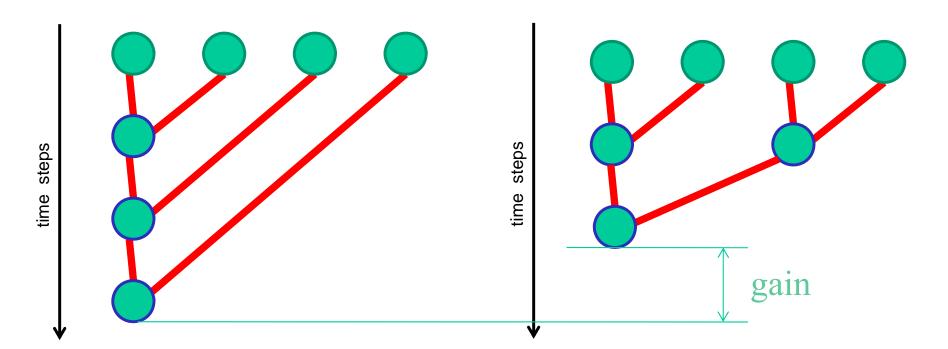
- Dependencies between (interim) results enforce waiting at synchronisation points...
- Ordering and balancing of calculations can help minimise idle waiting for results...

Analysing Data Dependency: Reduction Graphs



Synchronization Point

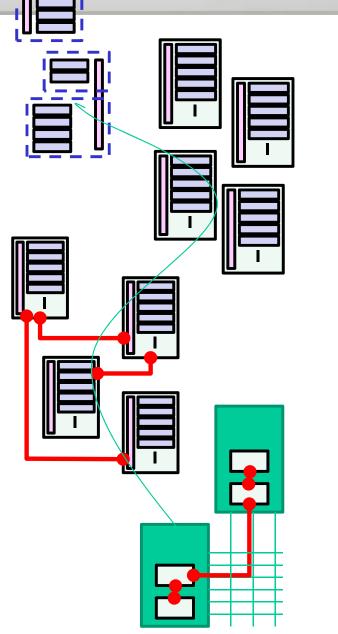
Serial Reduction vs. Tree Reduction

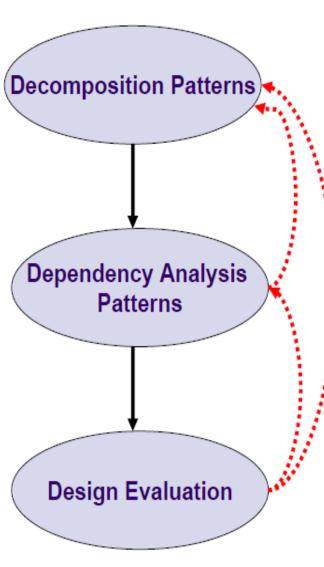


- Good for non-associative combination of interim values
- Usually followed by broadcast of result

- Good for associative combination of interim values
- N steps for 2^N elements
- Especially efficient when only one task needs result

Design Space for Concurrent Systems





- Processes formed are at right granularity?
- Processes are compact operating on local data?
- Communication dependencies are well reduced?
- Expected message *traffic is low*?
- Hardware *supports* approach well?

Bernstein's Criteria for Task Independency

(What can be parallelised?)



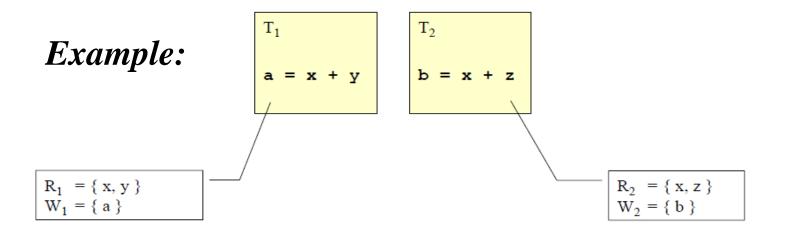
A J Bernstein

 $R_i \rightarrow \text{set of memory locations read (input) by task } T_i$

 $W_j \rightarrow$ set of memory locations written to (output) by task T_j

Two tasks T_1 and T_2 are independent if:

- input to T₁ is not part of output from T₂
- input to T₂ is not part of output from T₁
- outputs from T_1 and T_2 do not overlap



$$R_1 \cap W_2 = \phi$$

$$R_2 \cap W_1 = \phi$$

$$W_1 \cap W_2 = \phi$$