$$\text{maximize} \quad \sum_{t=1}^{48} \sum_{\Omega \in \omega} \gamma_{(\omega)}^{(t)} \left[\sum_{u \in \mathcal{L}} \sum_{m \in BM_u} \alpha_u P_{u,m}^{A(t)} - \sum_{u \in \mathcal{L}} \sum_{i \in \mathcal{S}_u} C_{u,i}^{DR(t)} P_{u,i(\omega)}^{DR(t)} \right]$$

$$+\sum_{u\in\mathcal{L}}\lambda_{u(\omega)}^{(t)Bal+}P_{u(\omega)}^{(t)Bal+} - \sum_{u,\in\mathcal{L}}\lambda_{u(\omega)}^{(t)Bal-}P_{u(\omega)}^{(t)Bal-}$$

$$\tag{1}$$

subject to
$$0 \le P_{u,i(\omega)}^{DR(t)} \le \overline{P_{u,i(\omega)}^{DR(t)}}, \ \forall u, t \in \mathcal{L}, \ \forall i \in \mathcal{S}_u, \forall \omega \in \Omega$$
 (2)

$$0 \le P_{u,i(\omega)}^{DR(t)} \le \overline{P_{u,i(\omega)}^{DR(t)}}, \ \forall u, t \in \mathcal{L}, \ \forall i \in \mathcal{S}_u, \forall \omega \in \Omega$$

$$\sum_{i \in \mathcal{S}_u} P_{u,i}^{DR(t)} - P_{u(\omega)}^{(t)Bal+} + P_{u(\omega)}^{(t)Bal-} = \sum_{m \in BM_u} P_{u,m}^{A(t)}, \ \forall u, t \in \mathcal{L}, \ \forall \omega \in \Omega$$

$$(3)$$

$$P_{u(\omega)}^{(t)Bal+}P_{u(\omega)}^{(t)Bal-} = 0, \ \forall u, t \in \mathcal{L}, \ \forall \omega \in \Omega$$
 (4)

$$0 \le P_{u(\omega)}^{(t)Bal+}, P_{u(\omega)}^{(t)Bal-}, \lambda_{u,m}^{A(t)}, \ \forall u, t \in \mathcal{L}, \ m \in BM_u, \ \forall \omega \in \Omega$$
 (5)

minimize
$$\sum_{u \in \mathcal{L}} \sum_{m \in BM_u} \lambda_{u,m}^{A(t)} P_{u,m}^{A(t)} + \sum_{u \in \mathcal{L}} \sum_{o \in BO_u} \lambda_{u,o}^{G(t)} P_{u,o}^{G(t)} - \sum_{u,t \in \mathcal{L}} \sum_{n \in BN_u} \lambda_{u,n}^{D(t)} P_{u,n}^{D(t)}$$
(6)

subject to
$$\sum_{m \in BM_u} P_{u,m}^{A(t)} + \sum_{o \in BO_u} P_{u,o}^{G(t)} - \sum_{n \in BN_u} P_{u,n}^{D(t)}$$

$$-\sum_{v \in \mathcal{L}} B_{uv} (\theta_u^{(t)} - \theta_v^{(t)}) = 0, \ \forall u, t \in \mathcal{L}$$

$$(7)$$

$$-f_{uv}^{max} \le B_{uv}(\theta_u^{(t)} - \theta_v^{(t)}) \le f_{uv}^{max}, \ \forall u, v, t \in \mathcal{L}$$

$$\tag{8}$$

$$0 \le P_{u,m}^{A(t)} \le p_{u,m}^{A(t)}, \ \forall m \in BM_u, \forall u, t \in \mathcal{L}$$

$$\tag{9}$$

$$0 \le P_{u,o}^{G(t)} \le p_{l,o}^{G(t)}, \ \forall o \in BO_u, \forall u, t \in \mathcal{L}$$

$$\tag{10}$$

$$0 \le P_{u,n}^{D(t)} \le p_{l,n}^{D(t)}, \ \forall n \in BN_u, \forall u, t \in \mathcal{L}$$

$$\tag{11}$$

$$\theta_{n=1} = 0, \tag{12}$$

目的関数 0.1

$$\sum_{t=1}^{48} \left[-\sum_{u \in \mathcal{L}} \sum_{o \in BO_u} \lambda_{u,o}^{G(t)} P_{u,o}^{G(t)} + \sum_{u \in \mathcal{L}} \sum_{n \in BN_u} \lambda_{u,n}^{D(t)} P_{u,n}^{D(t)} - \sum_{u,v \in \mathcal{L}} \rho_{uv}^{min} f_{uv}^{max} + \sum_{u,v \in \mathcal{L}} \rho_{uv}^{max} f_{uv}^{max} \right] \\
- \sum_{u,v \in \mathcal{L}} \sum_{m \in BM_u} 2\phi_{uv,m}^{Amax} p_{u,m}^{A(t)} - \sum_{u,v \in \mathcal{L}} \sum_{o \in BO_u} \phi_{uv,o}^{Gmax} p_{u,o}^{G(t)} - \sum_{u,v \in \mathcal{L}} \sum_{n \in BN_u} \phi_{uv,n}^{Dmax} p_{u,n}^{D(t)} - \sum_{u,v \in \mathcal{L}} \sum_{i \in \mathcal{S}_u} C_{u,i}^{DR(t)} P_{u,i(\omega)}^{DR(t)} \right]$$
(OBJ)

不等式制約条件 0.2

$$-P_{u,m}^{A(t)} \le 0 \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-1)

$$P_{u,m}^{A(t)} \le p_{u,m}^{A(t)} \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-2)

$$-\phi_{u,m}^{Amin} \le 0 \qquad \forall u, t \in \mathcal{L}, \forall n \in BM_u$$
 (m-3)

$$-\phi_{u,m}^{Amax} \le 0 \qquad \forall u, t \in \mathcal{L}, \forall n \in BM_u$$
 (m-4)

$$\phi_{u,m}^{Amin(t)} - Mu_{u,m}^{Amin(t)} \le 0 \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-5)

$$P_{u,m}^{A(t)} + Mu_{u,m}^{Amin(t)} \le M \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-6)

$$\phi_{u,m}^{Amax(t)} - Mu_{u,m}^{Amax(t)} \le 0 \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-7)

$$-P_{u,m}^{A(t)} + Mu_{u,m}^{Amax(t)} \le M - p_{u,m}^{A(t)} \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u$$
 (m-8)

$$-P_{u,o}^{Q(C)} \leq p_{u,o}^{G(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-1}) \\ P_{t,o}^{Q(C)} \leq p_{u,o}^{G(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-2}) \\ -\phi_{u,o}^{Cmin} \leq 0 \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-3}) \\ -\phi_{u,o}^{Cmin} \leq 0 \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-4}) \\ \phi_{u,o}^{Gmin(C)} - Mu_{u,o}^{Gmin(C)} \leq 0 \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-5}) \\ P_{u,o}^{C(C)} + Mu_{u,o}^{Cmin(C)} \leq M \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-5}) \\ P_{u,o}^{C(C)} + Mu_{u,o}^{Cmin(C)} \leq M \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-7}) \\ \phi_{u,o}^{Gmax(C)} - Mu_{u,o}^{Gmax(C)} \leq M - p_{u,o}^{G(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-7}) \\ -P_{t,o}^{G(C)} + Mu_{u,o}^{Cmax(C)} \leq M - p_{u,o}^{G(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-8}) \\ -P_{u,o}^{D(C)} \leq p_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-8}) \\ -P_{u,o}^{D(C)} \leq p_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-8}) \\ -P_{u,o}^{D(C)} \leq p_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BO_u \qquad (\text{o-8}) \\ -P_{u,o}^{D(C)} \leq p_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-1}) \\ -P_{u,o}^{D(C)} \leq p_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-2}) \\ -\phi_{u,o}^{D(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-3}) \\ \phi_{u,o}^{D(C)} - Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-5}) \\ \phi_{u,o}^{D(C)} - Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-6}) \\ \phi_{u,o}^{D(C)} - Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-7}) \\ -P_{u,o}^{D(C)} + Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in BN_u \qquad (\text{n-7}) \\ -P_{u,o}^{D(C)} - P_{u,o}^{D(C)} + Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L} \qquad (\text{rho-1}) \\ -\rho_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L} \qquad (\text{rho-2}) \\ \rho_{u,o}^{Domin(C)} - Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L} \qquad (\text{rho-2}) \\ \rho_{u,o}^{Domin(C)} - Mu_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L} \qquad (\text{rho-3}) \\ \rho_{u,o}^{Domin(C)} = P_{u,o}^{D(C)} \leq P_{u,o}^{D(C)} \leq P_{u,o}^{D(C)} \qquad \forall u, t \in \mathcal{L} \qquad (\text{rho-3}) \\ \rho_{u,o}^{Domin(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in \mathcal{D} \qquad (\text{pDR-1}) \\ -P_{u,o}^{D(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o \in \mathcal{D} \qquad (\text{pDR-1}) \\ -P_{u,o}^{D(C)} \leq O \qquad \forall u, t \in \mathcal{L}, \forall o$$

等式制約 0.3

$$-\sum_{m \in BM_u} P_{u,m}^{A(t)} + \sum_{i \in \mathcal{S}_u} P_{u,i}^{DR(t)} - P_{u(\omega)}^{(t)Bal+} + P_{u(\omega)}^{(t)Bal-} = 0 \qquad \forall u, t \in \mathcal{L}, \ \forall \omega \in \Omega$$
 (eq-1)

$$\sum_{m \in BM_u} P_{u,m}^{A(t)} + \sum_{o \in BO_u} P_{u,o}^{G(t)} - \sum_{n \in BN_u} P_{u,n}^{D(t)} - \sum_{v \in \mathcal{L}} B_{uv} (\theta_u^{(t)} - \theta_v^{(t)}) = 0$$
 $\forall u, t \in \mathcal{L}$ (eq-2)

$$\theta_{u=1} = 0 \tag{eq-3}$$

$$\lambda_{u,m}^{A(t)} - \phi_{u,m}^{Amin(t)} + \phi_{u,m}^{Amax(t)} + \alpha_u^{(t)} = 0 \qquad \forall u, t \in \mathcal{L}, \forall m \in BM_u \qquad \text{(eq-4)}$$

$$\lambda_{u,o}^{G(t)} - \phi_{u,o}^{Gmin(t)} + \phi_{u,o}^{Gmax(t)} + \alpha_u^{(t)} = 0 \qquad \qquad \forall u,t \in \mathcal{L}, \forall o \in BO_u \qquad \text{(eq-5)}$$

$$\lambda_{u,n}^{D(t)} - \phi_{u,n}^{Dmin(t)} + \phi_{u,n}^{Dmax(t)} - \alpha_{u}^{(t)} = 0 \qquad \forall u, t \in \mathcal{L}, \forall n \in BN_{u} \qquad (eq-6)$$

$$B_{uv}(-\alpha_{u}^{(t)} - \rho_{uv}^{min(t)} + \rho_{uv}^{max(t)} - \rho_{uv}^{min(t)} + \rho_{uv}^{max(t)}) + (\gamma)_{u=1} = 0 \qquad \forall u, t \in \mathcal{L} \qquad (eq-7)$$

$$B_{uv}(-\alpha_u^{(t)} - \rho_{uv}^{min(t)} + \rho_{uv}^{max(t)} - \rho_{uv}^{min(t)} + \rho_{uv}^{max(t)}) + (\gamma)_{u=1} = 0$$
 $\forall u, t \in \mathcal{L}$ (eq-7)