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SAHKEY AGARWAL

ECEN 602

# MIDSEM

Q:1 a) frequency = 4 kHz.

SNR = 99 dB. (Assuming it is given in dB).

Using Shannon capacity theorem we have.

$$\text{Capacity} = W \log(1 + \text{SNR})$$

Converting it to n

$$\text{SNR}_{\text{dB}} = 10 \log(\text{SNR})$$

$$99 = 10 \log_{10}\left(\frac{S}{N}\right)$$

$$\frac{S}{N} = 10^{9.9}$$

$$\therefore \text{Capacity} = W \log_2(1 + 10^{9.9})$$

$$= 4 \times 10^3 \log_2(1 + 10^{9.9})$$

$$= 4 \times 10^3 \log_{10}$$

$$= 4 \times 10^3 \times 32.88$$

$$= 131.54 \text{ kHz.}$$

① To ensure we can transmit a 5 kHz signal <sup>②</sup>  
→ make sure sampling rate is  $2 \times 5 \text{ kHz}$ .

② assuming SNR is the actual value not in dB.

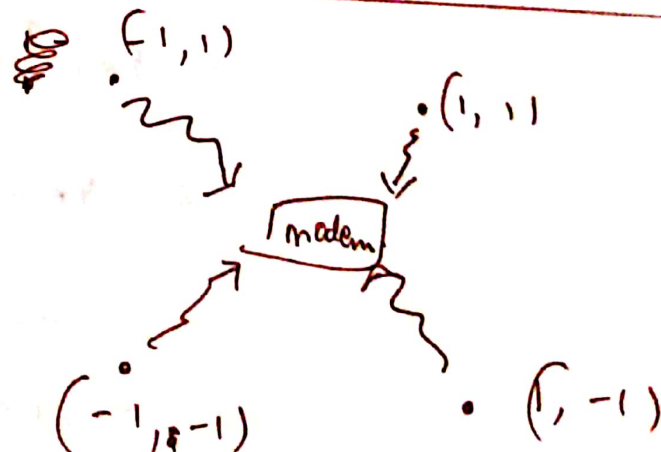
$$C = 4 \text{ kHz} \cdot \log(1 + 99) \\ = 26.57 \text{ kHz}.$$

To ensure 5 kHz is digitally transmitted

① sampling rate should be at least  $2 \times 5 = 10 \text{ kHz}$   
(Nyquist theorem)

② Since max capacity in both cases is more than 5 kHz we can transmit it if Nyquist theorem is satisfied.

Q: 1(b)

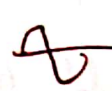



→ Assuming the modem can receive data from ③  
all 4 constellations we can have 2 bits/pulse.  
i.e. 2400 bits per second.

∴ the modem can receive  $2400 \times 2$   
 $= 4800 \text{ bps}$ .

Q: 1 c. Digital transmission is preferred over  
analog transmission because of following  
reasons:-

① Distortion, ② noise, & ③ power requirements

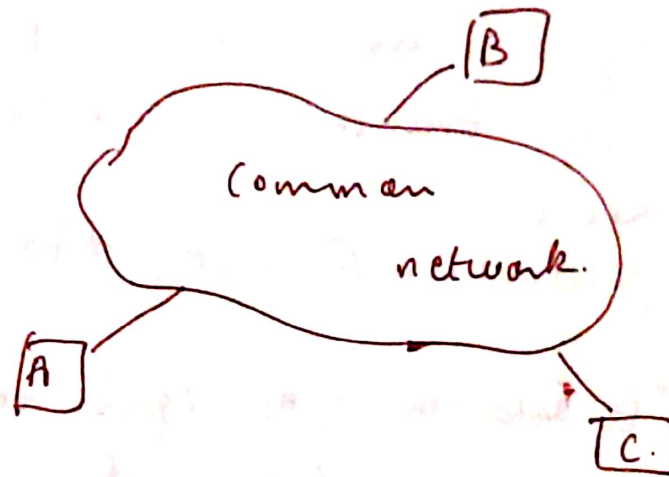
↳ ① Distortion:- ① As signals move across the  
channel their shapes get  
distorted. i.e.  
a signal  may become 

② ~~with~~ If the signal is a digital  
signal it is easy to recreate  
as compared to analog signal  
based on power levels of 0's & 1's

③ noise:- ① In case of the noise gets added  
to the signal, It is difficult to  
separate noise from analog signal. ~~Simple~~ Simple

Q. If amplifier amplification would increase the noise level & thus make signal weaker. with Digital signals it is easy to separate noise & data. (4)

Q: 1 d.



- \* To transmit any signal between two nodes there should be a channel between them.
- \* In case of multiple users, a common channel is shared amongst a small ~~use~~ no. of users. it could be in Time, B.W. or wavelength.
- \* They ~~could~~ could share the network in
  - (a) Static ~~channel~~ channelization way.
  - (b) Dynamic ~~net~~ way
    - ~~the~~ scheduling
    - Random access.



(a) static channelization:- The channel is <sup>(5)</sup> predecided i.e. how it will be shared amongst users. for eg:- in FM radio the frequency bands are divided ~~into~~ no other ~~the~~ user can access someone's slot. (It does not depend on flow of traffic)

(b) Dynamic way:- <sup>→ In dynamic way the channel is</sup> shared according to the flow of traffic.

Scheduling

The channel is shared after some central controller or the network nodes give control for the node to Tx.

Eg:- Token ring.  
where the token acts as control mechanism.

Random access

The channel is shared (i.e. \* users can send packets as & when they require with control protocols in case of collision  
Eg:- ALOHA.)

④

(i) FM radio:- It is statically scheduled & slots are predetermined so behavior of C doesn't impact.

(ii) Ethernet:- It uses CSMA/CD for control access. As the traffic of C ↑ more collision would occur & throughput would ↓ preferred when network traffic is low. & vice versa.

(iii) Telephone network:- Again slots are divided. So traffic of C does not affect the performance. Slots may be wasted if C is not transmitting.

(iv) Wifi network:- As traffic from C ↑ RTS signals would increase from C & thus it would cause others to wait. Thus as traffic from C ↑ performance ↓ & vice versa.

Q: 3(a) since  $q_s$  &  $q_e$  are start & end of frames, ~~as~~ The data <sup>starting</sup> ~~containing~~ with 'q' ~~there~~ must be protected. Thus

when ever we encounter 'q' we will add a character 'X' post that.

So the final transmitted data would be.

"q<sub>s</sub> The q<sub>x</sub>ueen stood in the q<sub>x</sub>ueue with a q<sub>x</sub>ill in her q<sub>x</sub>uiver q<sub>e</sub>."

at receiver this 'x' would be removed

(b)

$$\text{info} = \begin{matrix} & 7 & 6 & 5 & 4 & & 3 & 2 & 1 & 0 \\ & 1 & 0 & 1 & 0 & & 0 & 1 & 1 & 1 \end{matrix}$$

$$x^7 + x^5 + x^2 + x^1 + x^0$$

$$\text{gen} = x^3 + 1$$

$$\text{info} \times \text{gen power} = (x^7 + x^5 + x^2 + x^1 + x^0) x^3$$

$$= x^{10} + x^8 + x^5 + x^4$$

dividing by the generator polynomial

$$\begin{array}{r}
 x^7 + x^5 + x^4 + 1 \\
 \hline
 x^3 + 1 \overline{) x^{10} + x^8 + x^5 + x^4 + x^3} \\
 \underline{x^{10} + x^7 + x^4 + x^3} \phantom{+ 1} \\
 x^8 + x^5 + x^4 \\
 \underline{x^8 + x^5} \phantom{+ x^4} \\
 x^4 \\
 \underline{x^4} \\
 0 + x^3 \\
 \underline{x^3} \\
 1
 \end{array}$$

$\therefore$  adding  $x^0$  we get

$$10100111000101$$

Q: 3c

generator polynomial =  $x^3 + \dots$

what we send is.

$$(info). \quad g(x) + r(x).$$

i.e.  $i(x) \cdot x^{(n-k)}$

puts  $(n-k)$  low order positions.



now  $i(n) = g(n) \cdot q(n) + r(n)$  ④

$\uparrow$                        $\uparrow$   
 quotient          remainder

So  $g(n)$  has degree  $(n-k)$ . ~~let~~  
 let error pattern be  $d(n)$

~~$g(n)$  cannot divide  $d(n)$~~

$g(n)$  cannot divide  $d(n)$  if

$$\deg(g(n)) > \deg(d(n)).$$

Since the division will not be possible with degrees  $> n-k$ ,

①  $n-k$  or less degree errors will be detected.

Q: 4  
Info @ node.

(a)

(19)

	A	B	C	D	E	F
A	0	$\infty$	3	8	$\infty$	$\infty$
B	$\infty$	0	$\infty$	$\infty$	2	$\infty$
C	3	$\infty$	0	$\infty$	1	6
D	8	$\infty$	$\infty$	0	2	$\infty$
E	$\infty$	2	1	2	0	$\infty$
F	$\infty$	$\infty$	6	$\infty$	$\infty$	0

(b)

	A	B	C	D	E	F
A	0	$\infty$	3	8	4(C)	9(C)
B	$\infty$	0	3(E)	4(E)	2	$\infty$
C	3	3	0	3(E)	1	6
D	8	4(C)	3(E)	0	2	$\infty$
E	4(C)	2	1	2	0	7(C)
F	9(C)	$\infty$	6	$\infty$	7(E)	0

not heard updated

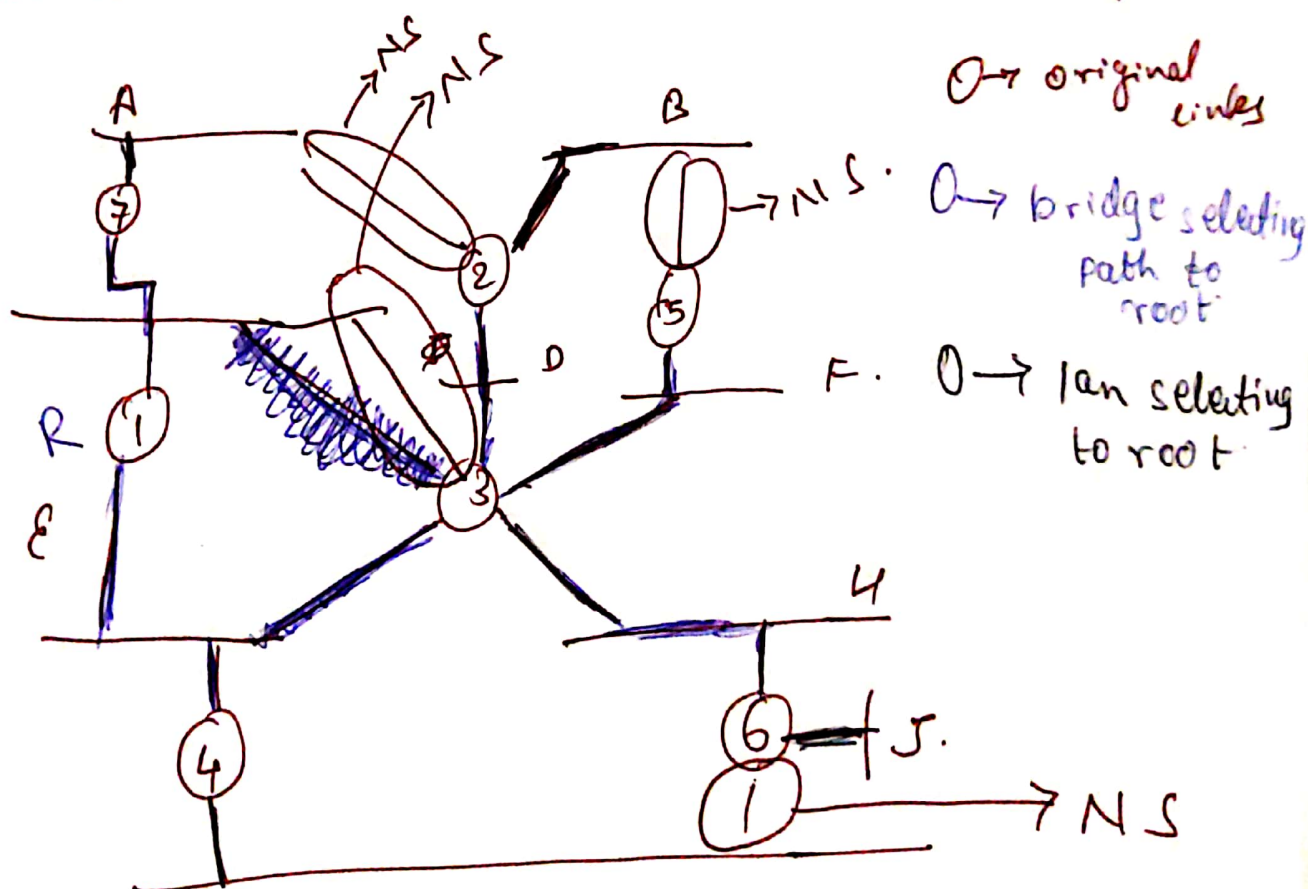
Assuming all nodes hear initial node in step (a)  
in alphabetical order A  $\rightarrow$  F.

①

	A	B	C	D	E	F
A	0	6 (E)	3	6 (E)	4	9 (C)
B	6 (EC)	0	3 (E)	4 (E)	2	9 (EC)
C	3	3 (E)	0	3 (E)	1	6
D	6 (EC)	4 (E)	3 (E)	0	2	9 (EC)
E	4 (C)	2	1	2	0	7 (C)
F	9 (C)	9 (EB)	6	9 (CE)	7 (C)	0

②

Q: selecting root node as ① & each bridge's connection to root as below & lower order in case of same hops.



① first selected Bridges to root node 1

② then ~~create~~ created actual network with lans.

(13)

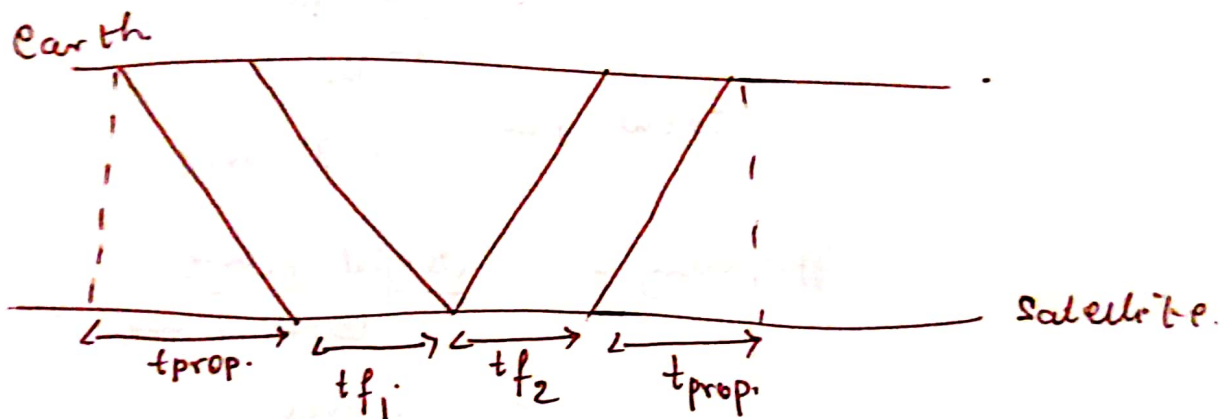
Q.2

frame = 1000 bits.

seq no :- 3 bit.

sequence  
no :- 3 bits.1 Mbps  $\rightarrow$  up link.100 kbps  $\rightarrow$  down link.One way  
delay = 6ms.max O.W.  $\rightarrow$  ?

max O.W.



$$\text{total time} = t_{prop} + t_{f1} + t_{f2} + t_{prop} \quad (\text{assuming zero processing time})$$

$$\text{total time} = 10 \times 10^{-3} + \frac{1000}{1 \times 10^6} + \frac{1000}{100 \times 10^3} + 10 \times 10^{-3}$$

$$= 2 \times 10^{-2} + 10^{-3} + 10^{-3} + 2 \times 10^{-2}$$

$$= 31 \text{ ms} \quad 31 \text{ ms}$$



(a) stop & wait.

↳ frame loss probability = 1%.

∴ total time

would be  $\frac{\text{Total}}{1 - (\frac{1}{100})}$

$$= \frac{31 \text{ ms}}{1 - \frac{1}{100}}$$

$$\text{Total time} = 31.31 \text{ ms.}$$

$$\therefore \text{Efficiency} = \frac{\text{useful time}}{\text{total time}}$$

$$= \frac{1 \text{ ms}}{31.31 \text{ ms}}$$

$$= 0.031$$

$$\therefore \text{max B.w. on the uplink} = 31.938 \text{ Kbps}$$

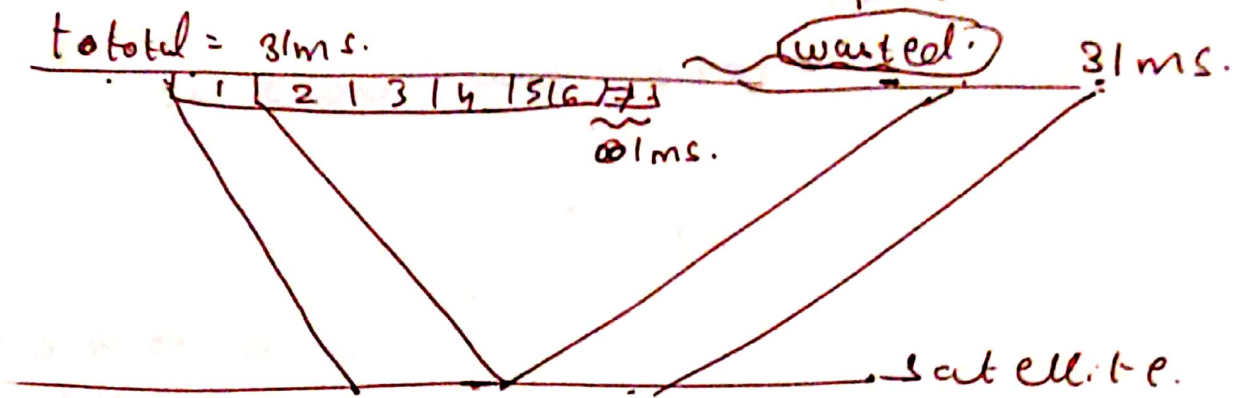
$$\text{max B.w. on the downlink} = 310 \text{ Kbps}$$

(b) Go-back N with no losses.

sequence bits = 3.

(15)

$\therefore$  max window = 7.  
on uplink.



$$\therefore \text{wasted time} = 31\text{ms} - 7 \times 1\text{ms} \\ = \cancel{30.3\text{ms}} \quad \cancel{25} \quad 24\text{ms}$$

i.e. we cannot send more packets until we get ack for first one.

$$\therefore \text{Efficiency} = \frac{7 \times 1}{\cancel{30.3} \quad 0.1 + 30.3} \\ = \frac{7 \times 1}{\cancel{30.3} \quad 24} \\ = \cancel{0.02} \quad 0.29.$$

$$\therefore \text{BW:- uplink} = 290 \text{ KHz} \\ \text{downlink} = 29 \text{ KHz}.$$

for selective reject

(10)

for selective reject the

- total time would be.

$$\frac{t_f + \text{wasted time}}{(1 - p_f)}$$

$$= \frac{1 \text{ ms} + \cancel{24 \times 1 \text{ ms}} (31 - 4)}{1 - \frac{1}{100}}$$

as no of bits are only 3  
max = 4 frames from 1 side.

$$= \cancel{27.27 \text{ ms.}}$$

$$\therefore \text{Efficiency} = \frac{1}{27.27}$$
$$= 0.036$$

$$\text{max BW on uplink} = 36.66 \text{ kHz}$$

$$\text{max BW on downlink} = 3.61 \text{ kHz.}$$

$$\rightarrow (0.036 \times 10^5)$$

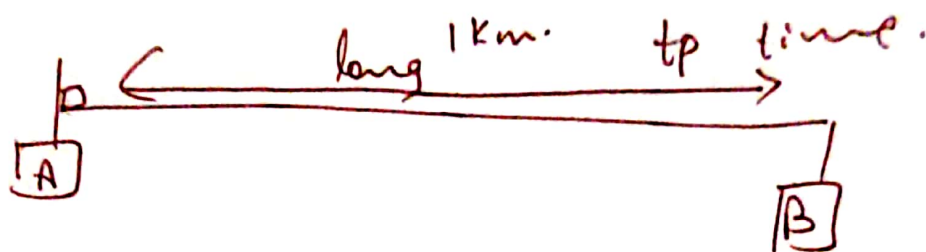
Q.5

$$d = 1 \text{ km.}$$

$$Bw = 10 \text{ Mbps.}$$

$$10^6 \times 200 \text{ m / sec} = 0.2$$

$$f_{\text{ran}} = 256 \text{ bits}$$



$$t_f = 0.0256 \text{ ms.}$$

$$t_p = 5 \text{ ms.}$$

- ① Since the transmission time is very small compared to the propagation time, it is possible that the packets from A & B could collide ~~just~~ at any point. i.e.

- ②  $\therefore$  effective ~~so~~ <sup>throughput</sup> would be.

$$10 \times 10^6 \times \frac{1}{255} \times 0.184 = 7215 \text{ frames/sec.}$$