

Bayesian Inference and MCMC Methods in Astrophysics

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ABSTRACT

This is the abstract of the paper. It summarizes the work in a concise form.

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1. INTRODUCTION

In the 4th century BC, Hipparchus, attempting to estimate the length of a year, found the middle of the range of a scattered set of Babylonian solstice measurements. An achievement for the time, Hipparchus's measurement marked the beginning of what would become a long standing marriage between astronomy and statistics. In the centuries to come, a number of breakthroughs in astrostatistics would continue to occur, with Brahe using the mean of a dataset to increase precision of measurements and Laplace rediscovering the work of Thomas Bayes and applying his statistical theories to astronomical problems. Most notably, in the early 1800s, Legendre developed least squares parameter estimation to model the orbit of comets (Feigelson & Babu 2004). The recurring theme was clear: progress in astronomy often hinged on solving problems of statistical estimation. By the end of the 19th century, astronomy had firmly established itself as a quantitative science, driven by the refinement of statistical methods to identify regularities in scattered measurements, fitting orbital models,

and quantifying uncertainty in the presence of noise.

The next 100 years brought two developments that reshaped this tradition: the rise of physics as the foundation of astronomy, and the advent of computing, which enabled unprecedented scales of quantitative analysis. As astronomy grew increasingly intertwined with the theories of physics, the field transformed into what we now call astrophysics. This shift expanded statistical tradition, integrating new forms of quantitative reasoning with physical modeling. This meant confronting problems such as inferring stellar parameters from noisy spectra, reconstructing galactic structures from incomplete observations, and estimating cosmological parameters from correlated datasets. Advances in computing increased the scale of the statistical analysis that was feasible to perform, and since then it has only been rising. While the early history of the field was dominated by statistical reasoning, the growth of physics and computation broadened this into what we now call quantitative analysis (QA): a synthesis of statistical inference, numerical modeling, and data-driven computation.

Today, astrophysics sits in the middle of a universe of complex statistical problems that demand new quantitative approaches and more computing power by the day. In many respects, QA has become the backbone of research in modern astrophysics, and at a pivotal moment,

as the 21st century has ushered in an unprecedented era of astronomical data generation. Sky surveys like Gaia DR3 alone provide astrometry and photometry for nearly two billion stars, plus more than ten million variable sources across dozens of types (Gaia Collaboration et al. 2023). The nineteenth data release of the Sloan Digital Sky Survey collected robust spectra data from over 6 million objects (Collaboration et al. 2025). Advances in CCD detectors will see data from sky surveys continue to grow in the next decade from an order of gigabytes to terabytes, and possibly petabytes in the future. The same trend can be seen in data from the Rubin Observatory LSST and NASA’s Solar Dynamics Observatory, which now generates over a terabyte of data per day (Borne 2009).

This data deluge makes QA indispensable. It brings not only more volume, but also qualitatively harder problems such as disentangling individual frequencies from complex signals and modeling nonlinear, degenerate parameter spaces. The ability to extract meaningful insights from these massive datasets in an organized manner is crucial for advancing our understanding of the universe. QA provides a number of powerful tools spanning statistical inference, computational algorithms, and machine learning methodologies to analyze, interpret, and model this data effectively.

Across astrophysics, there are two common structures of challenges. The first challenge is that noisy, incomplete, and often degenerate data has different estimated distributions from multiple competing theories. Though theoretical astrophysics has given us the tools to reduce these problems to estimations of physical constants, the number and complexity of parameters still poses a large challenge (Schafer 2015). The second challenge is that the large volume of data creates significant problems with computing time and power. Efficient algorithms and scalable statistical methods are required to

make analysis computationally tractable. (Huijse et al. 2014). Together, these issues create a need for QA frameworks that can both handle uncertainty in complex parameter spaces and scale efficiently with massive datasets.

Within this landscape, Bayesian inferencing via Monte Carlo Markov Chain (MCMC) methods naturally emerges as potential solution. Bayesian inference offers a principled framework for parameter estimation in complex systems, and MCMC methods provide an effective way to explore the parameter spaces by sampling from posterior distributions. For astrophysicists, this has become one of the most widely used and versatile approaches. Von Toussaint (2011) notes the growing applicability of Bayesian inferencing in physics. Computational models are becoming far more complex, and the data being analyzed is often noisy and incomplete. Bayesian methods, with their ability to incorporate prior knowledge and handle uncertainty, are well-suited to these challenges. MCMC methods, in particular, provide a practical way to sample from complex posterior distributions that arise in Bayesian analysis. This makes them invaluable for parameter estimation, model comparison, and uncertainty quantification in almost any astrophysical problem.

The rest of the paper will have the following structure: Sec. II will provide a foundational explanation of Bayesian statistics as well as the mathematical and computational methodology behind MCMC methods. Next, Sec. III will introduce three case studies within astrophysics where Bayesian inferencing and MCMC methods are being used to push research forward. These concepts include the direct detection of exoplanets, CMB parameter estimation, and gravity wave fitting. Each case study will include current challenges in the field, how Bayesian inferencing is being used to address it, the pros and cons of the approach, as well as future advancements that could be made.

152 Finally, [Sec. IV](#) will include a discussion on
 153 how Bayesian inferencing is being used through-

154 out astrophysics overall and how it can address
 155 problems in other fields as well.

2. METHODOLOGY

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