

Check connectivity.

There are two points for each color. These points can be:

- 1. connected (status=1)
- 2. connectable (status=2)
- 3. not connectable (status=3)

For each color on the board return their status.

Vocabulary

- Test: rows cols $numberOfPoints\ Point_1\ Point_2\ ...\ Point_{numberOfPoints}\ numberOfPaths\ Path_1\ Path_2\ ...\ Path_{numberOfPaths}$
 - 0<= numberOfPaths <= numberOfPoints/2
 - all the paths are valid
 - test has the same format as an input from level 3 or 4.

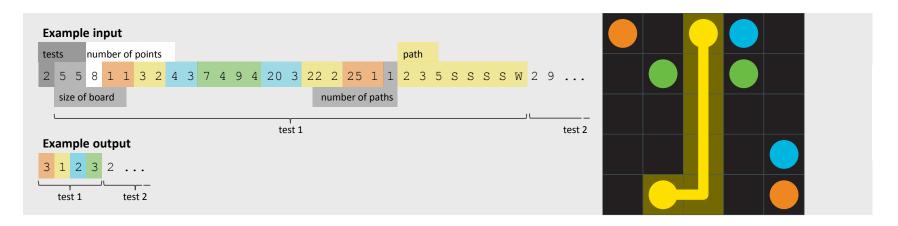


Input

- $numberOfTests\ test_1\ test_2\ ...\ test_{numberOfTests}$

Output >

 $\hbox{-} S_{\text{test1,c1}} S_{\text{test1,c2}} \dots S_{\text{test1,cnumberOfPoints/2}} \dots S_{\text{testnumberofTest,c1}} \dots S_{\text{testnumberOfTestsc,numberOfPoints/2}} \\$



© Catalysts GmbH



The question, *Can they be connected*? must be answered given the current state of the board. This state is read from the input, and does not change.

In this example: yellow is connected, and both red and blue can be connected.

You don't have to consider the case: *If blue is connected, then red becomes unconnectable.*

