```
y = a*y(-1) + b*y(+2) - c*w(+1) + zy;
x = alpha*x(+1) + beta*y + zx;
w = x(+1) - zw;
zy = rhozy*zy(-1) + shk zy;
zx = rhozx*zx(-1) + shk_zx;
zw = rhozw*zw(-1) + rhozw*zw(-2) + shk zw;
parsed model
0 = a*y\_m1 + b*aux\_y\_lead\_p1 - c*w\_p1 + zy-y;
0 = alpha*x_1 + beta*y + zx -x;
0 = x p1 - zw-w;
0 = \text{rhozy*zy\_m1} + \text{shk\_zy -zy};
0 = rhozx*zx_m1 + shk_zx -zx;
0 = {\tt rhozw*zw\_m1 + rhozw1*aux\_zw\_lag\_m1 + shk\_zw-zw};
0 = -aux zw lag + zw m1;
0 = -aux y lead + y p1;
Variables initial order y,w, x, zy, zx, zw, aux zw lag, aux y lead,
```

$$D = \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

How to order the variables:

Backward looking exogenous variables:

All columns in A for these variables are zero, and

All columns of other variables on these variables are zero in B and C.

Backward looking endogenous variables:

All columns in A for those variables are zero.

Forward looking variables:

All columns in C for those variables are zero.

Static variables:

All columns in A, B for those variables are zero.

The idea is then

- ${\bf 1}$) Eliminate static variables by substituting out them:
- 2) On the remaining variables order them as: backward looking exogenous states zy, zx, zw follow by forward/backward endogenous variables y,w, x.
- 3) Order equations for the backward exogenous variables first. In this case, we don;t have the other equations variables in any way. Just move the equations for the exogenous variables firts.