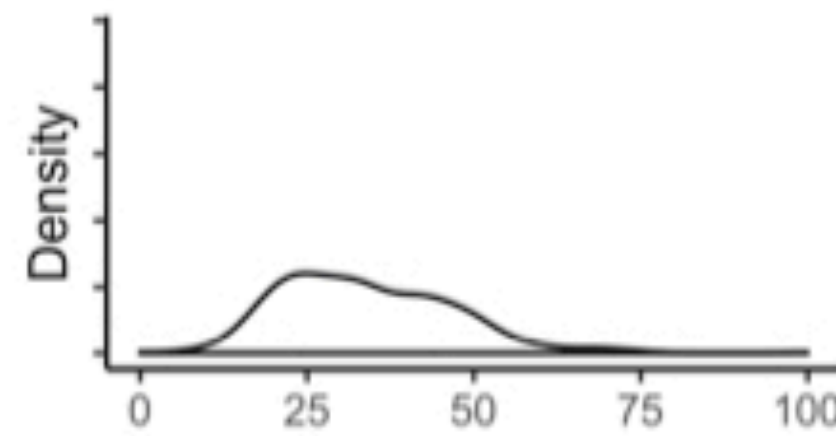
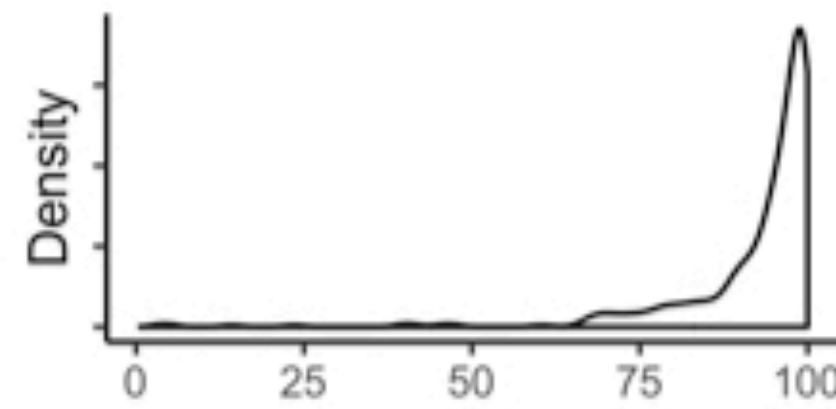
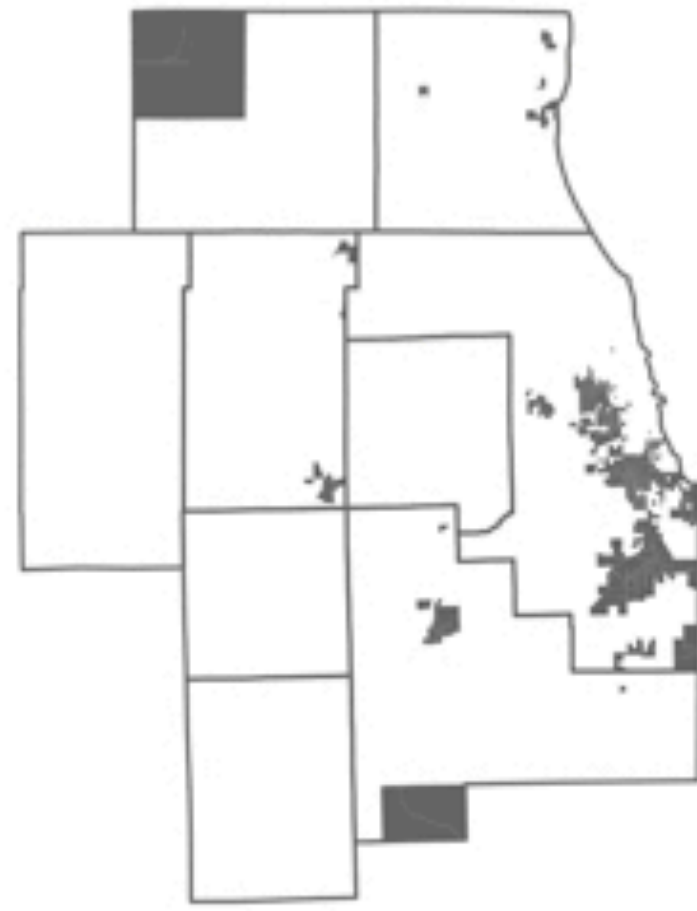
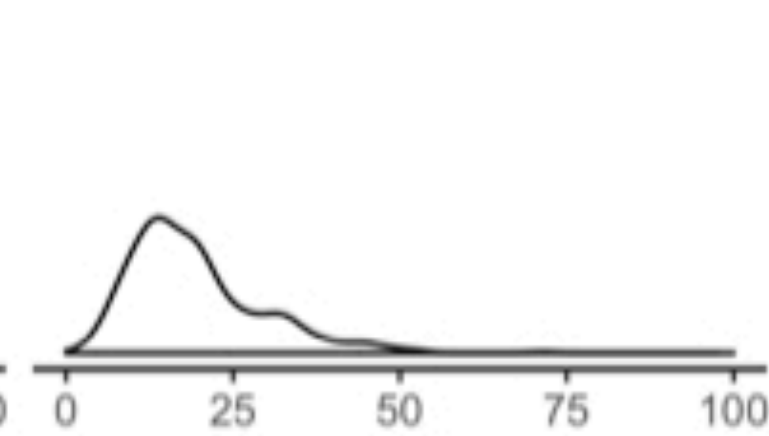
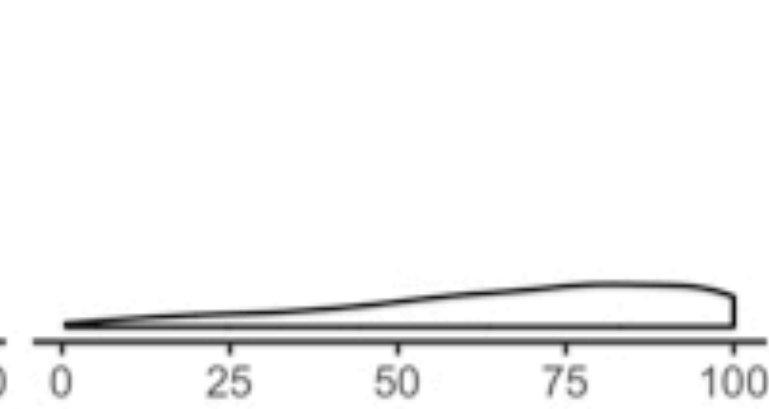
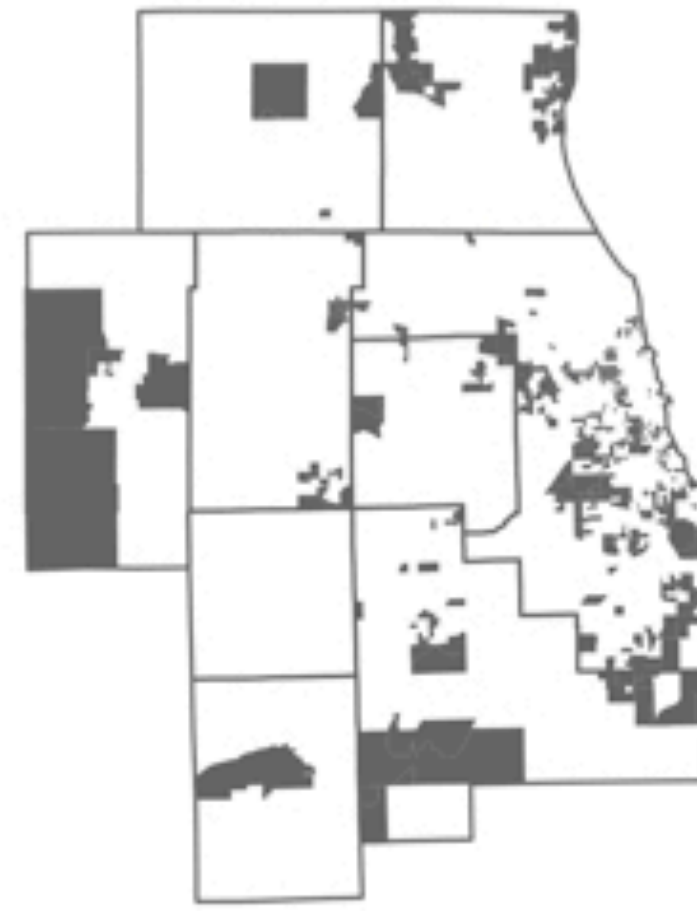


1st Quintile



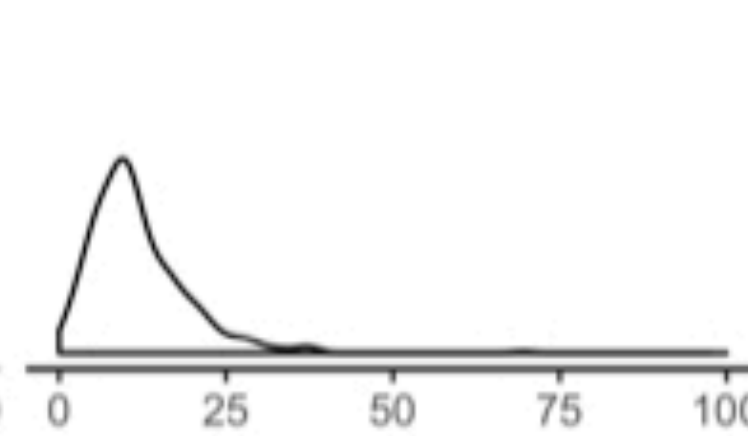
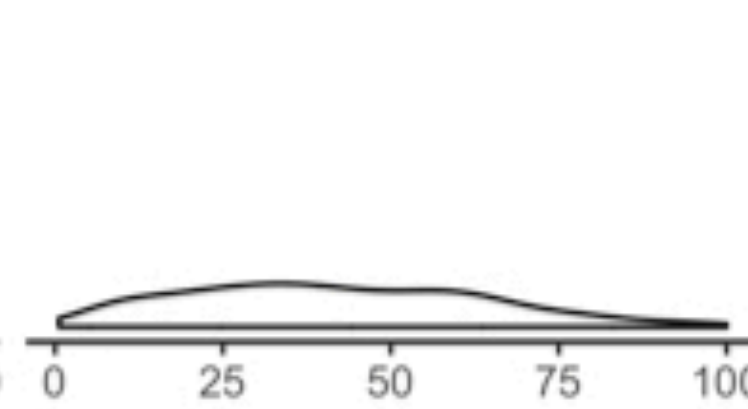
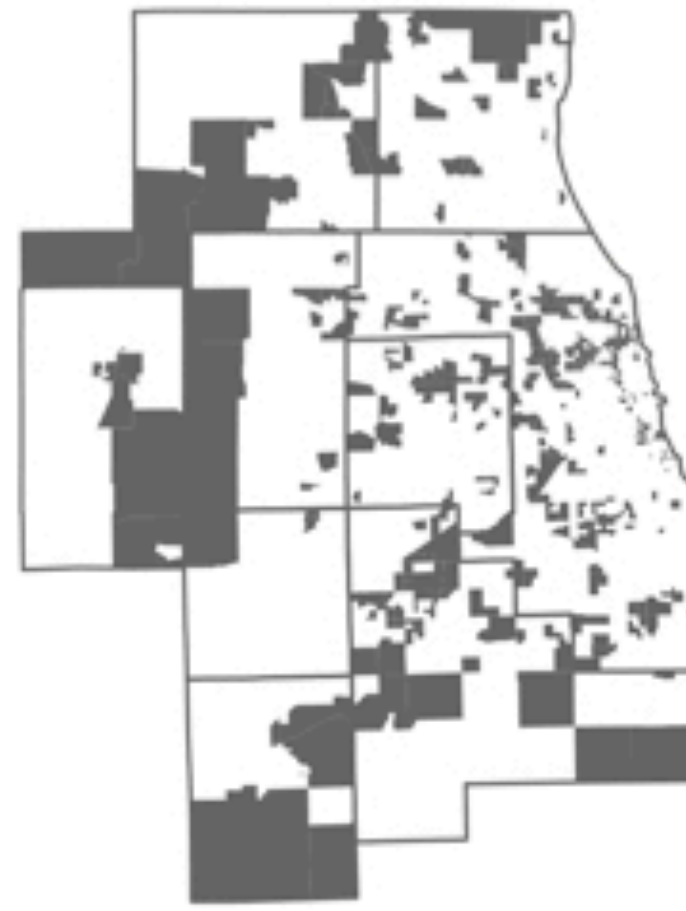
Population: 1,425,237
 Mean Score: 18.51
 Avg. Distance (km): 7.31
 Percent Nonwhite: 92.61%
 Poverty Rate: 34.00%

2nd Quintile



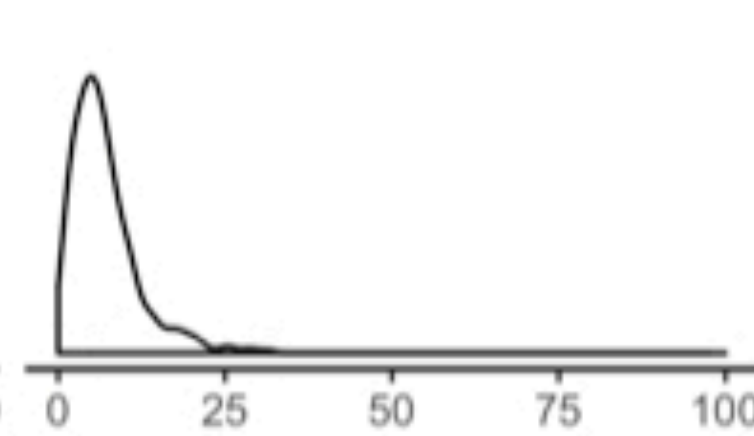
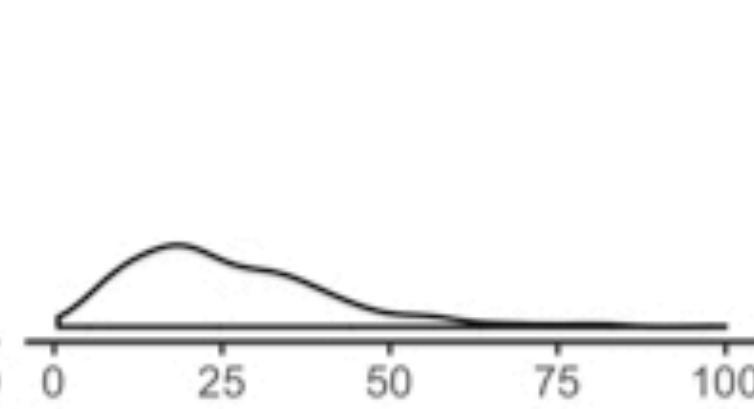
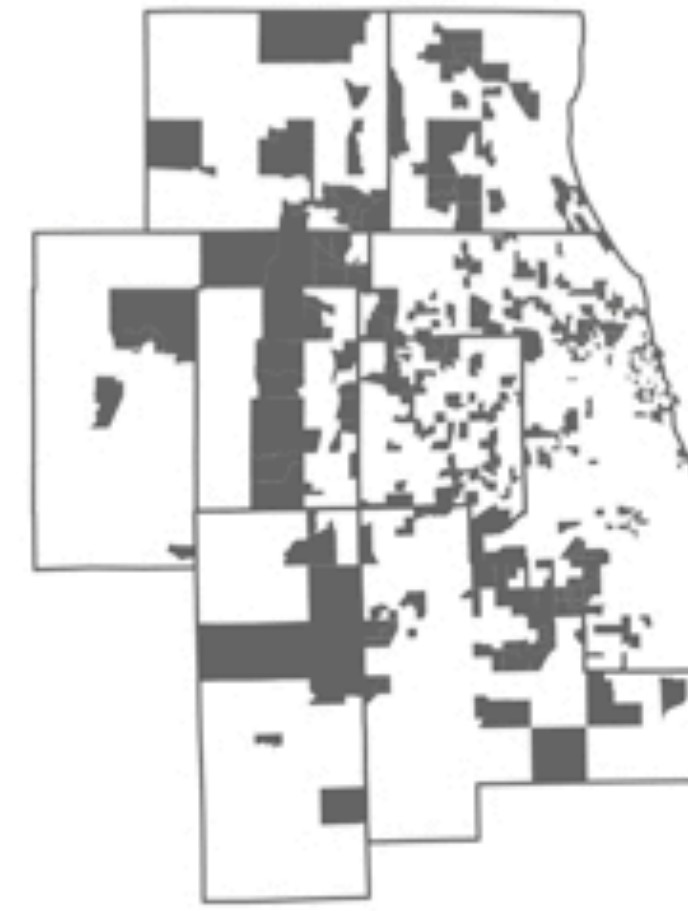
Population: 1,644,607
 Mean Score: 37.37
 Avg. Distance (km): 9.28
 Percent Nonwhite: 67.04%
 Poverty Rate: 19.32%

3rd Quintile



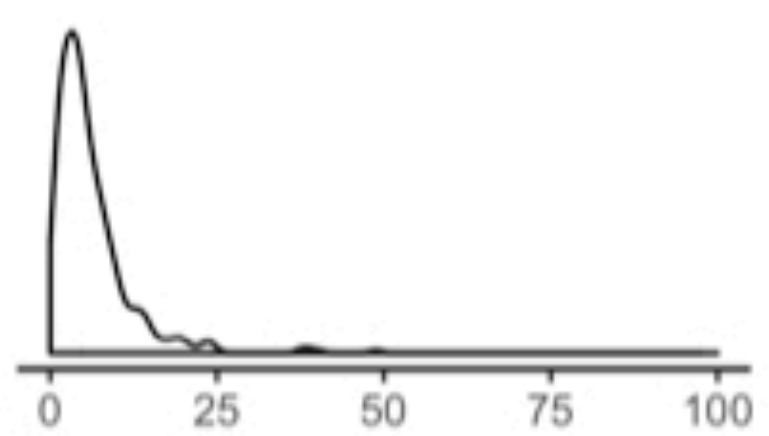
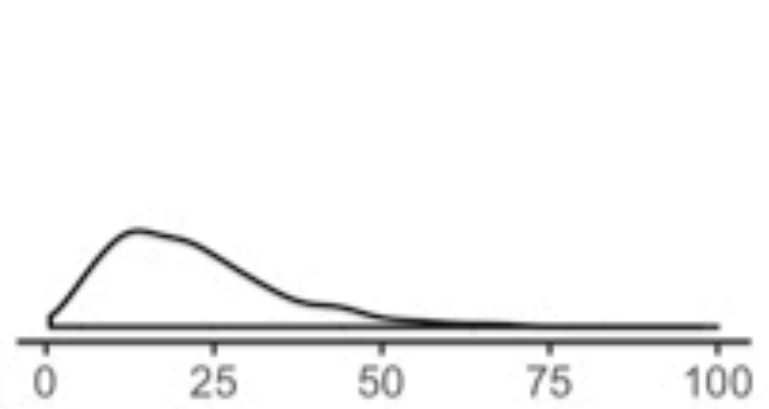
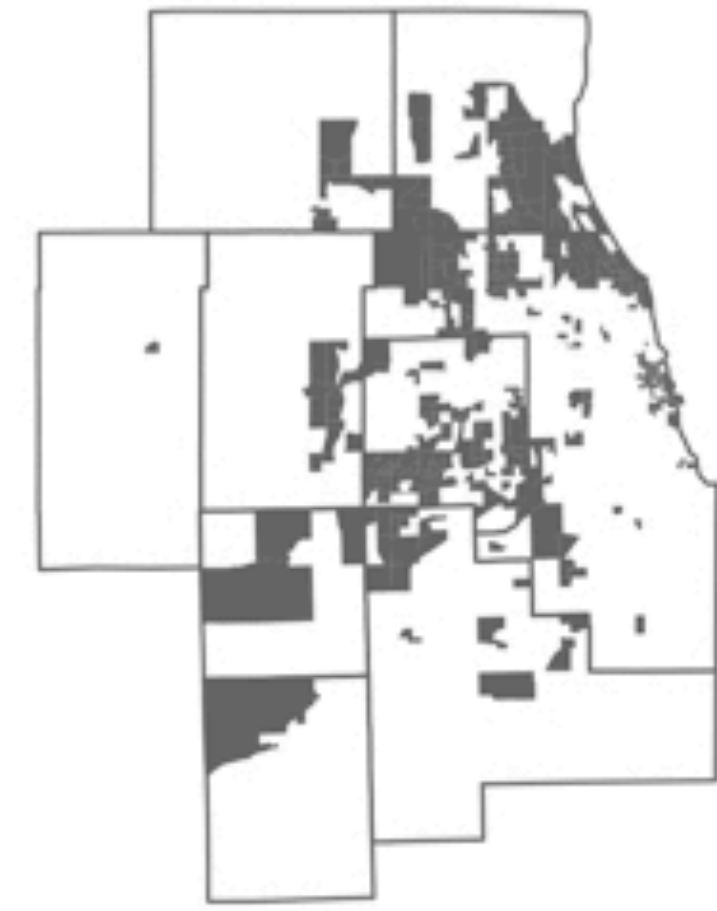
Population: 1,799,489
 Mean Score: 53.99
 Avg. Distance (km): 10.80
 Percent Nonwhite: 41.64%
 Poverty Rate: 11.73%

4th Quintile



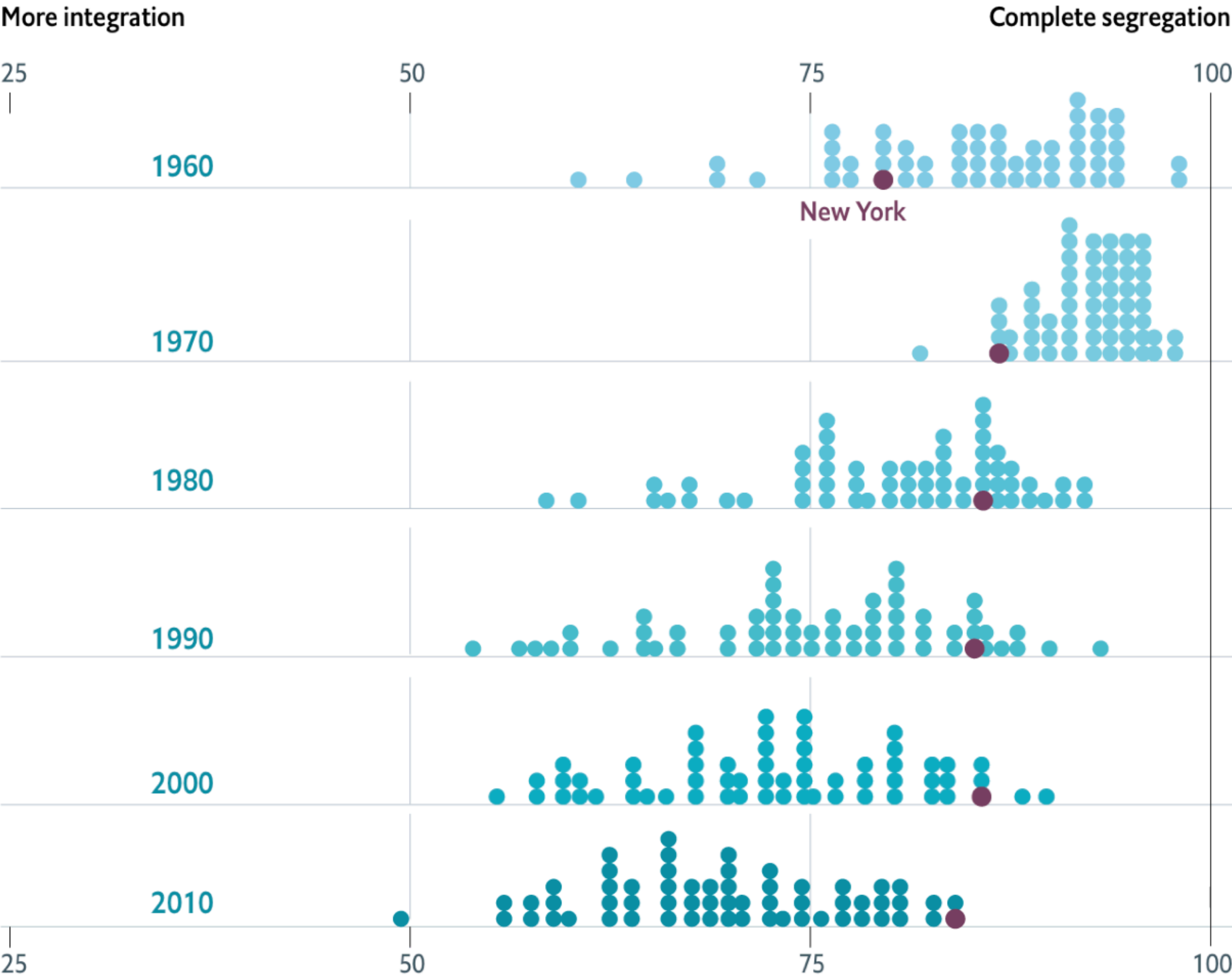
Population: 1,885,846
 Mean Score: 68.56
 Avg. Distance (km): 11.10
 Percent Nonwhite: 26.03%
 Poverty Rate: 6.93%

5th Quintile



Population: 1,831,430
 Mean Score: 81.17
 Avg. Distance (km): 10.30
 Percent Nonwhite: 21.80%
 Poverty Rate: 6.04%

Distribution of black-white segregation in 60 largest metro areas



The **index of dissimilarity** is a [demographic](#) measure of the evenness with which two groups are distributed across component geographic areas that make up a larger area. The index score can also be interpreted as the [percentage](#) of one of the two groups included in the calculation that would have to move to different geographic areas in order to produce a distribution that matches that of the larger area. The index of dissimilarity can be used as a measure of segregation.

The basic formula for the index of dissimilarity is:

$$\frac{1}{2} \sum_{i=1}^N \left| \frac{a_i}{A} - \frac{b_i}{B} \right|$$

where:

- a_i = the population of group A in the i^{th} area, e.g. census tract
- A = the total population in group A in the large geographic entity for which the index of dissimilarity is being calculated.
- b_i = the population of group B in the i^{th} area
- B = the total population in group B in the large geographic entity for which the index of dissimilarity is being calculated.

The index of dissimilarity is applicable to any [categorical variable](#) (whether demographic or not) and because of its simple properties is useful for input into multidimensional scaling and clustering programs. It has been used extensively in the study of [social mobility](#) to compare distributions of origin (or destination) occupational categories.