

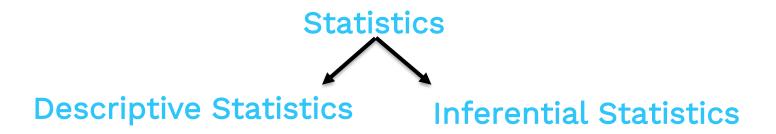


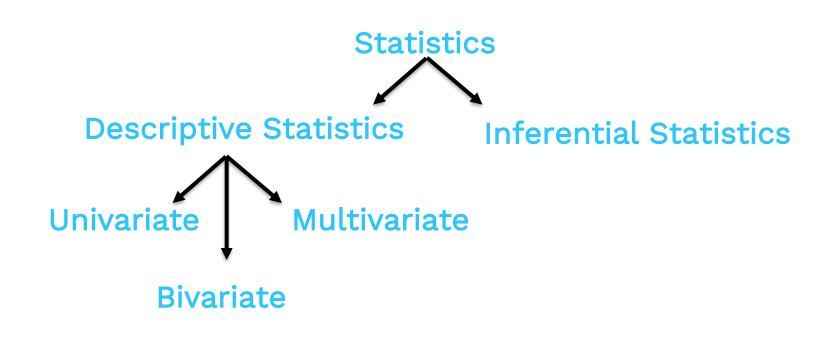
**Statistics Foundation** 

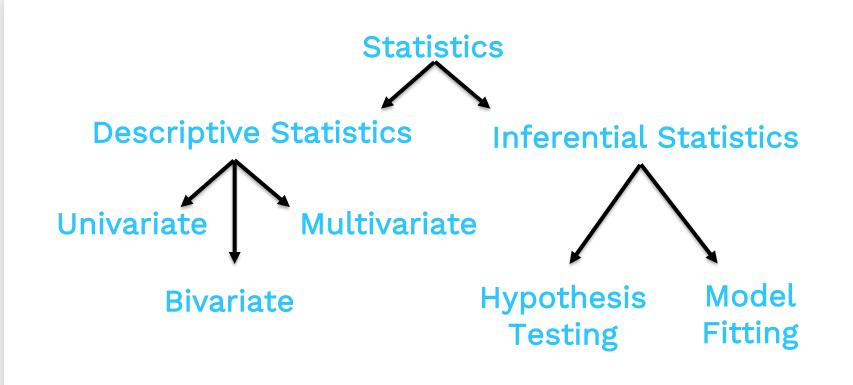
JANUARY, 07 2020 | SAO PAULO

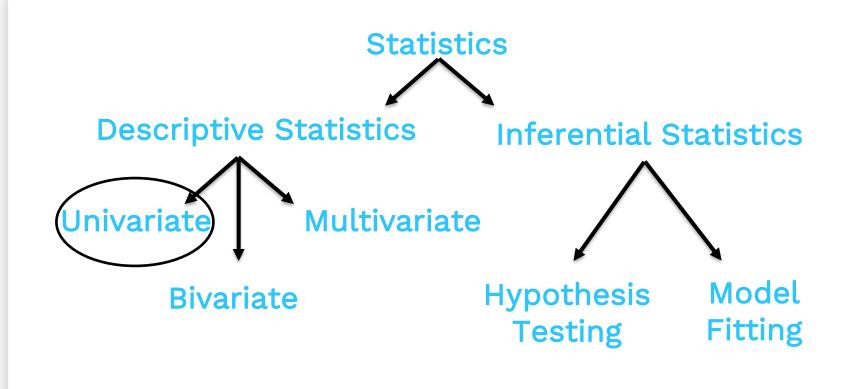














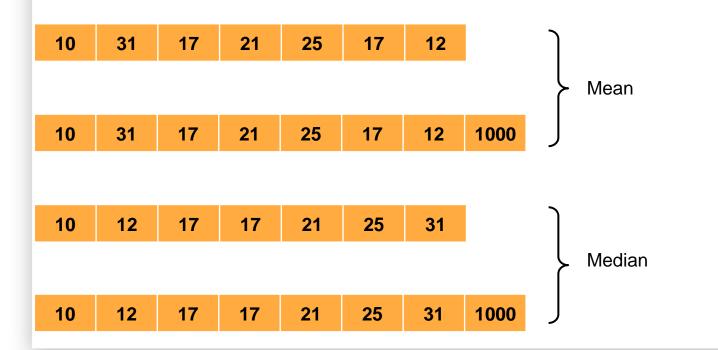
Measures of Central Tendency:

Which is the single best value to represent your data.

Mean, Median, Mode

Harmonic mean, geometric mean

### Descriptive Statistics - Mean and Median



### Descriptive Statistics - Mean and Median

$$Mean = \frac{10 + 31 + 17 + 21 + 25 + 17 + 12}{7}$$

$$Mean = 19$$

$$Mean = \frac{10 + 31 + 17 + 21 + 25 + 17 + 12 + 1000}{8}$$

$$Mean = 141,625$$

**10 12 17 17 21 25 31 1000** 
$$Median = \frac{17+21}{2} = 19$$

### Descriptive Statistics - Mean and Median

$$Mean = \frac{10 + 31 + 17 + 21 + 25 + 17 + 12}{7}$$

$$Mean = 19$$

$$Mean = \frac{10 + 31 + 17 + 21 + 25 + 17 + 12 + 1000}{8}$$

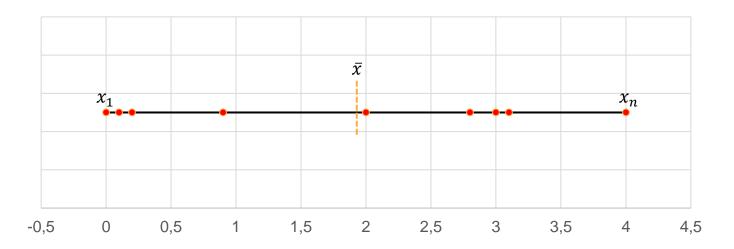
 $Arithmetic\ Mean = 141,625$ 

**10 12 17 17 21 25 31 1000** 
$$Median = \frac{17+21}{2} = 19$$

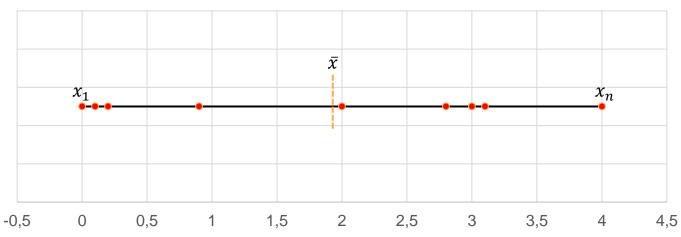
- Measures of Dispersion:

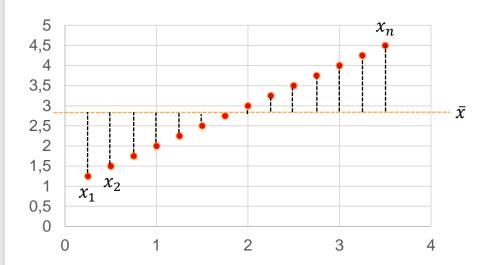
How the data varies? How do they jump around?

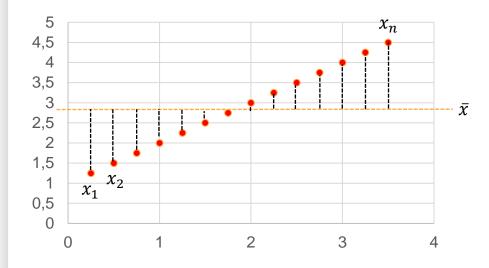
Variance, Standard Deviation, Range, InterQuartile Range











Mean Deviation =  $(x_i - \overline{x})$ 

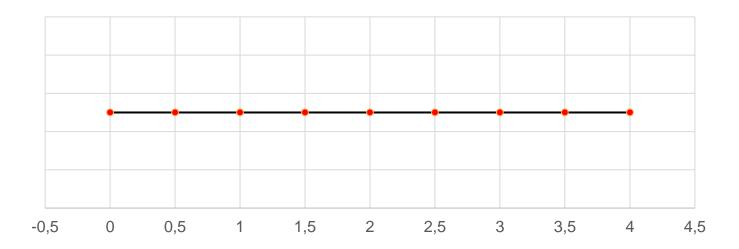
Squared Mean Deviation =  $(x_i - \overline{x})^2$ 

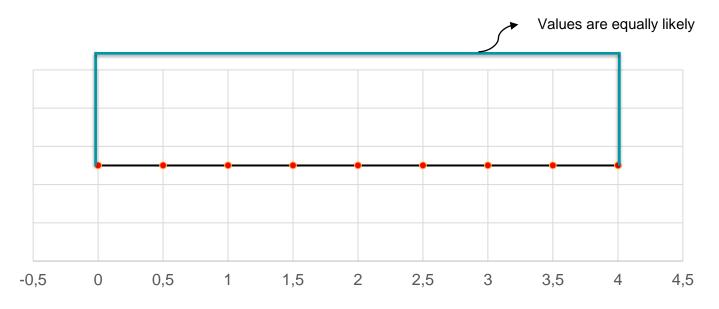
Variance = 
$$\frac{\sum (x_i - \overline{x})^2}{n}$$

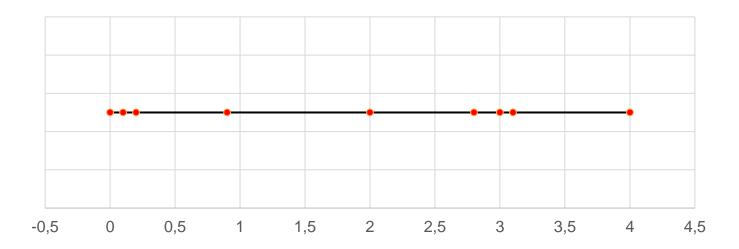
Variance = 
$$\frac{\sum (x_i - \overline{x})^2}{n-1}$$

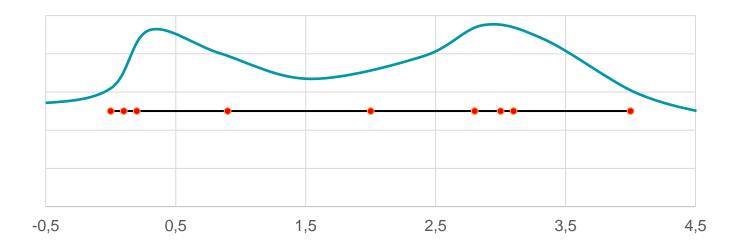
- Gaussian Normal Distribution:

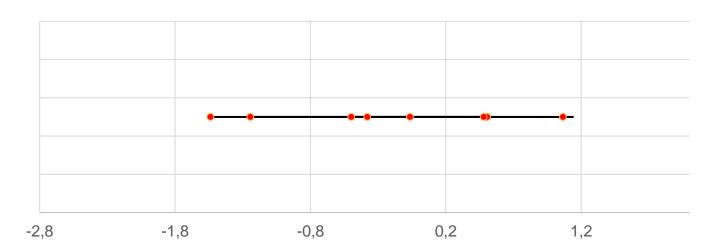
Distribution is a formula that tells you how likely a particular value is to occur in your data.



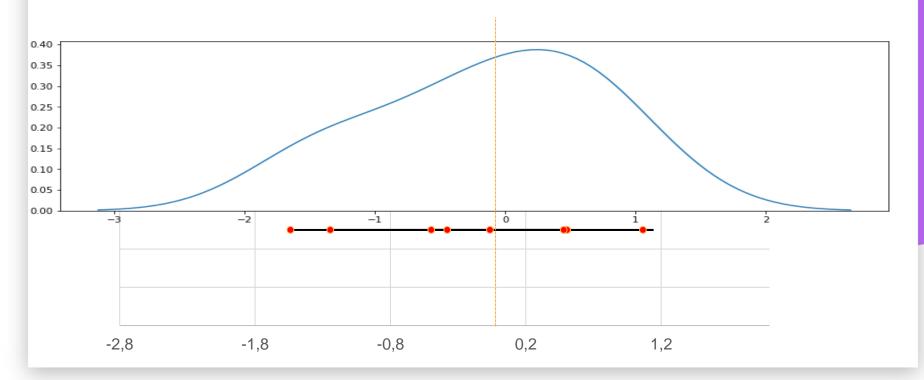




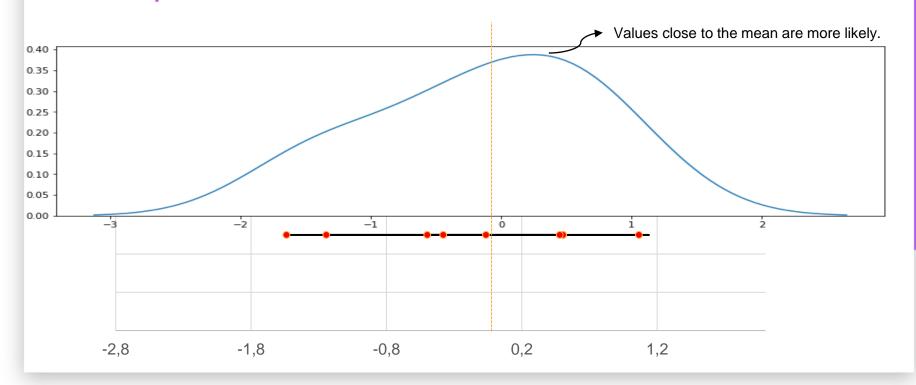


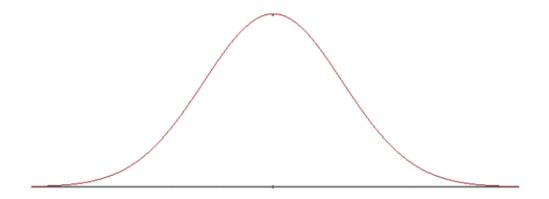


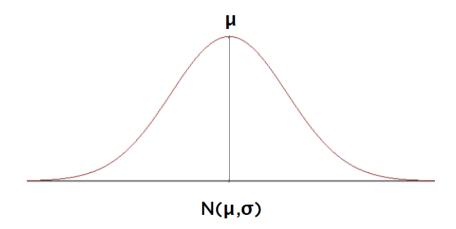
### Descriptive Statistics - <a href="https://galtonboard.com/probabilityexamplesinlife">https://galtonboard.com/probabilityexamplesinlife</a>

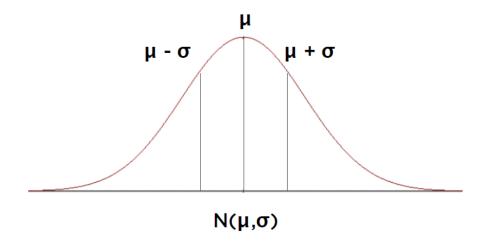


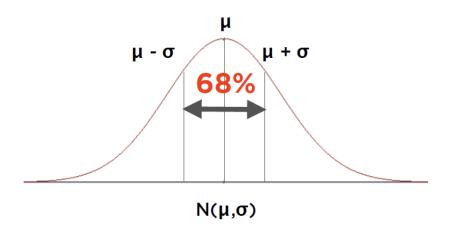
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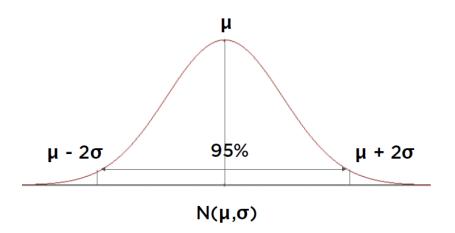


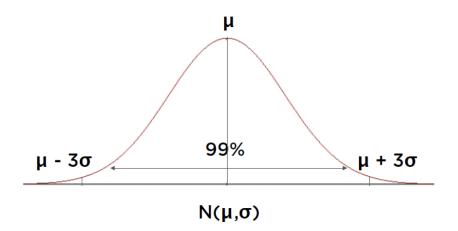








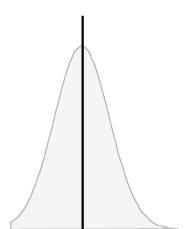




Effect of  $\sigma$ 

Low  $\sigma$ :

Values closer to the mean



High  $\sigma$ :

Values far away from the mean

