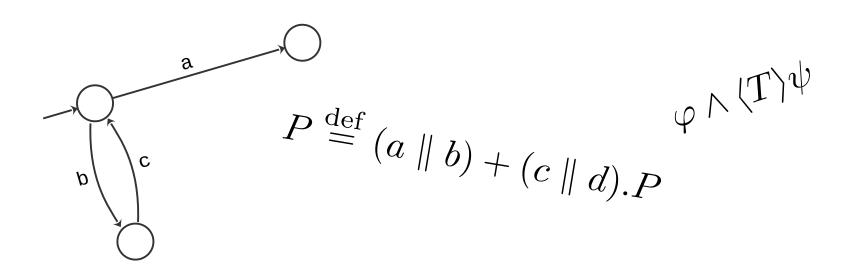
## Formalism: Process Algebras

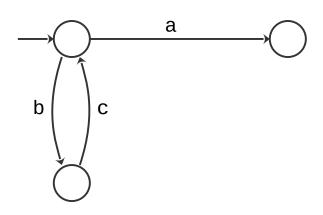


CTCT Short Talk. Paper: "A process algebra with global variables"



# Concurrent System Model: **Labeled Transition Systems**

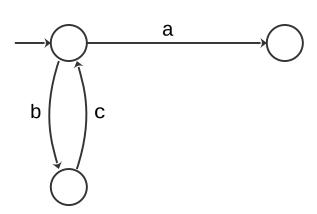




# Concurrent System Model: **Labeled Transition Systems**



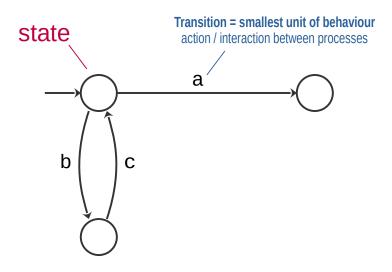
 Behaviour described as transitions between states



### **Labeled Transition Systems**



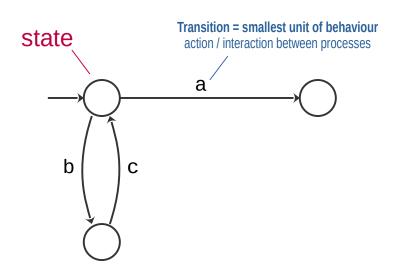
 Behaviour described as transitions between states



### **Labeled Transition Systems**



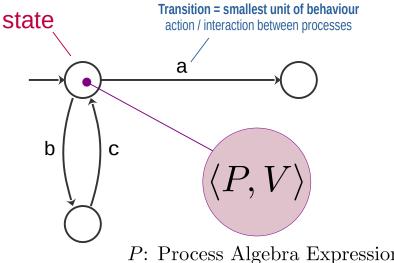
- Behaviour described as transitions between states
- Where comes the process algebra in?



### **Labeled Transition Systems**



- Behaviour described as transitions between states
- Where comes the process algebra in?



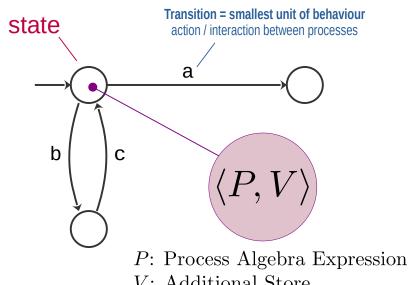
P: Process Algebra Expression

V: Additional Store

### **Labeled Transition Systems**



- Behaviour described as transitions between states
- Where comes the process algebra in?
  - Process algebra expressions give the states and the possible transitions



V: Additional Store



#### **Primitives**



abstract actions

variable assignments



#### **Primitives**

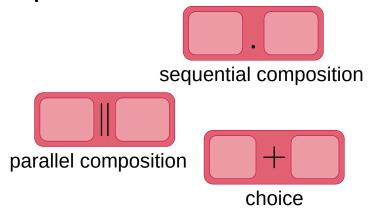


abstract actions

 $oxed{assign(v,d)}$ 

variable assignments

#### Operators





#### **Primitives**

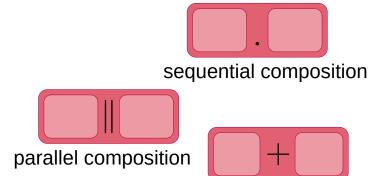


abstract actions

 $oxed{assign(v,d)}$ 

variable assignments

Operators



choice

Recursive Definitions / "Calls"

$$\langle \text{name} \rangle \stackrel{\text{def}}{=}$$





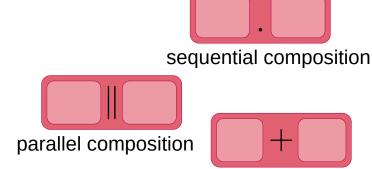
#### **Primitives**



actions

assign(v,d) variable assignments

Operators



Recursive Definitions / "Calls"

$$\langle \text{name} \rangle \stackrel{\text{def}}{=}$$

 $\langle \text{name} \rangle$ 



"Assign 42 to v and perform action a in parallel, then repeat."

choice

## **Analysis Tools**



e.g. to check bisimilarity of expressions etc.

# Algebraic laws & equational reasoning

Commutativity of choice

$$P + Q = Q + P$$

e.g.

Right-distributivity of choice and sequentialization

$$(P+Q).R = P.R + Q.R$$

**⇒** directly analyze expressions

### **Analysis Tools**



e.g. to check bisimilarity of expressions etc.

# Algebraic laws & equational reasoning

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**⇒** directly analyze expressions

### Hennessy-Milner logic

Classical connectives of logic

$$\vee, \wedge, \neg$$

special connectives to inspect future transitions

$$[T]\varphi,\langle T\rangle\varphi$$

**⇒** analyze transition system states





+ **abstracts** from details, **focuses** on communication and synchronization



- + **abstracts** from details, **focuses** on communication and synchronization
- + induced transition systems visualize expressions
  - no direct graphical modeling



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- + induced transition systems visualize expressions
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- states only modeled implicitly (intermediate states easier to model in e.g. petri nets)



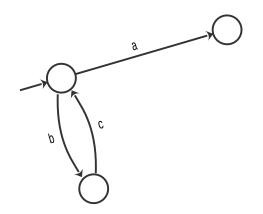
- + abstracts from details, focuses on communication and synchronization
- + induced transition systems visualize expressions
- no direct graphical modeling
- states only modeled implicitly (intermediate states easier to model in e.g. petri nets)
- interleavings instead of true concurrency



- + **abstracts** from details, **focuses** on communication and synchronization
- + induced transition systems visualize expressions
- no direct graphical modeling
- states only modeled implicitly (intermediate states easier to model in e.g. petri nets)
- interleavings instead of true concurrency
- + slighty closer to actual programming languages than purely graphical formalisms
- not as close to real programming languages, like formalisms of active objects / actors (e.g. ABS)

## Thank you for listening!





$$P \stackrel{\text{def}}{=} (a \parallel b) + (c \parallel d).P$$

Any questions?

$$\varphi \wedge (T)\psi$$