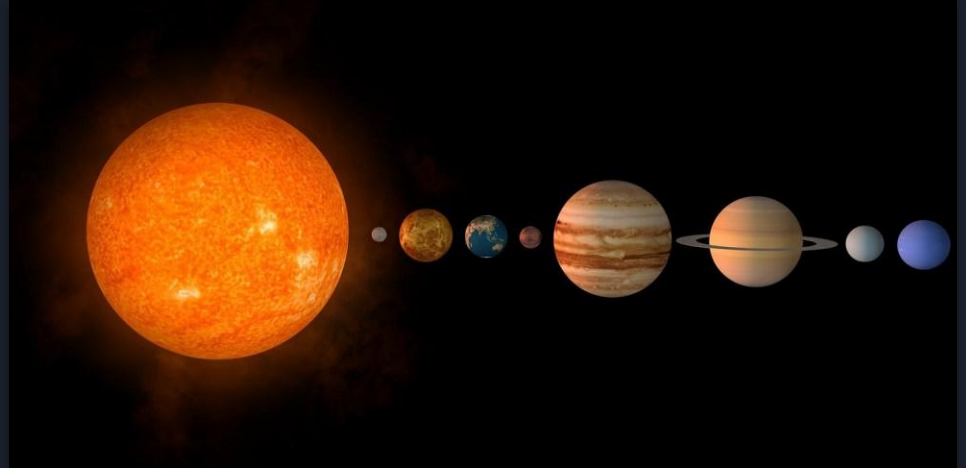


# Systeme solaire OpenGL/C3GA

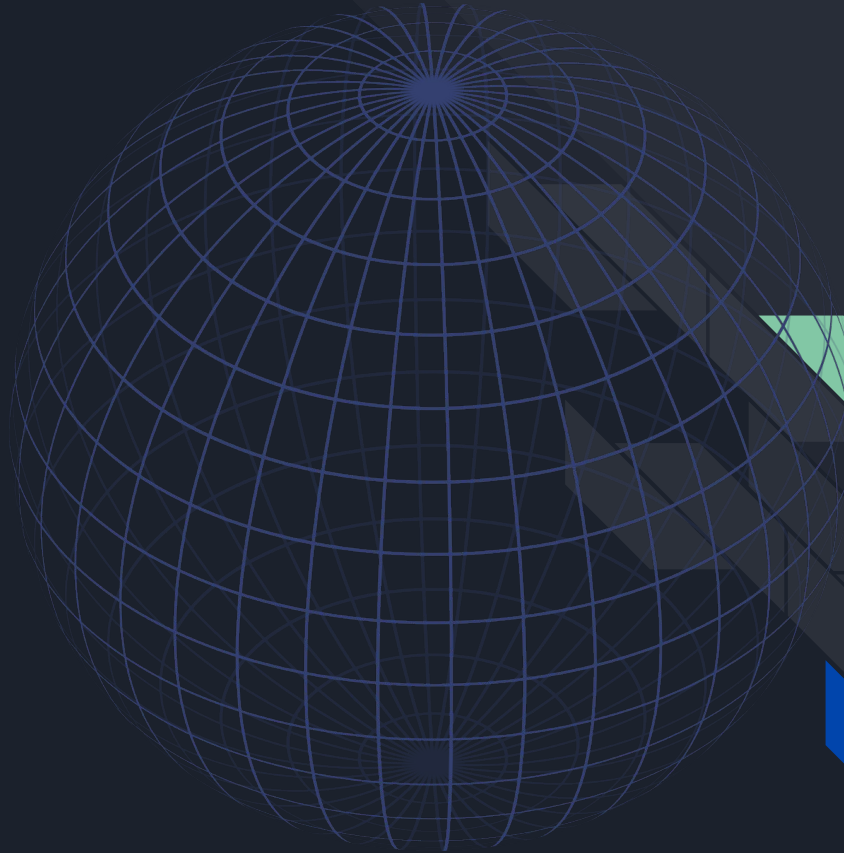
BEN HAMOUDA Amel  
HERBRETEAU Amélie

# Sommaire

- La sphère
- Les transformations
  - Translation
  - Scale
  - Rotation
- Les astres
- Démo

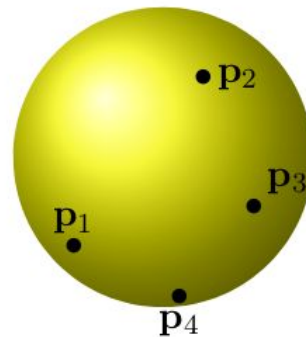


# La sphère



# Formule C3GA

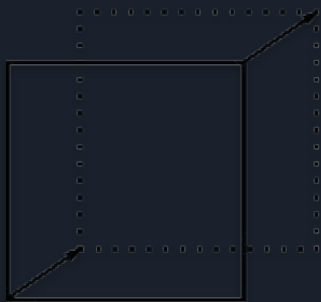
## Application



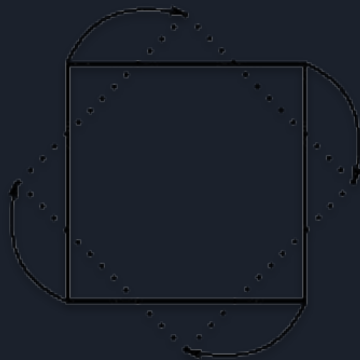
sphere:  $\mathbf{S} = \mathbf{p}_1 \wedge \mathbf{p}_2 \wedge \mathbf{p}_3 \wedge \mathbf{p}_4$

```
c3ga::Mvec<double> Sphere::sphere(float Rsphere) {  
    c3ga::Mvec<double> x1, x2, x3, x4, p1, p2, p3, p4;  
    c3ga::Mvec<double> dualSphere;  
    x1 = (0.0 * c3ga::e1<double>()) + (0.0 * c3ga::e2<double>()) + (Rsphere * c3ga::e3<double>());  
    p1 = c3ga::e0<double>() + x1 + (0.5 * x1.quadraticNorm()*c3ga::ei<double>());  
  
    x2 = (0.0 * c3ga::e1<double>()) + (0.0 * c3ga::e2<double>()) + (-Rsphere * c3ga::e3<double>());  
    p2 = c3ga::e0<double>() + x2 + (0.5 * x2.quadraticNorm()*c3ga::ei<double>());  
  
    x3 = (Rsphere * c3ga::e1<double>()) + (0.0 * c3ga::e2<double>()) + (0.0 * c3ga::e3<double>());  
    p3 = c3ga::e0<double>() + x3 + (0.5 * x3.quadraticNorm()*c3ga::ei<double>());  
  
    x4 = (0.0 * c3ga::e1<double>()) + (Rsphere * c3ga::e2<double>()) + (0.0 * c3ga::e3<double>());  
    p4 = c3ga::e0<double>() + x4 + (0.5 * x4.quadraticNorm()*c3ga::ei<double>());  
  
    s = (p1 ^ p2 ^ p3 ^ p4);  
    return s;  
}
```

# Les transformations



Translation

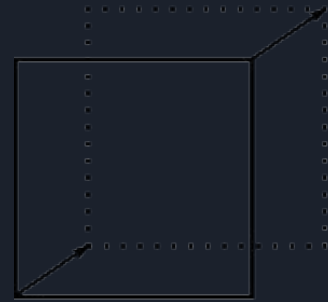


Rotation



Scaling

# Translation



Formule C3GA

$$T_x O_x T^{-1}$$

Avec  $T = 1 - \frac{1}{2}te_{\infty}$ , où  $\mathbf{t}$  est le vecteur de translation et  $\mathbf{O}$  l'objet à traduire.

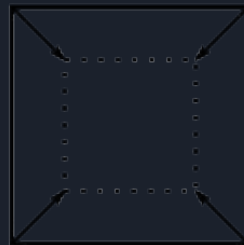
Application

```
c3ga::Mvec<double> Transformation::translate(c3ga::Mvec<double> vect, double facteur, c3ga::Mvec<double> translation) {
    c3ga::Mvec<double> translator = 1 - 0.5 * translation * c3ga::ei<double>() * facteur;
    vect = translator * vect * translator.inv();
    return vect;
}

glm::vec3 Transformation::applyTranslationX(Sphere sphere) {
    c3ga::Mvec<double> s = sphere.getSphere();
    return glm::vec3(abs(s[c3ga::E0123]) + abs(s[c3ga::E123i]) + abs(s[c3ga::E0123i]), 0, 0);
}
```



# Scale



Formule C3GA

$$D \times O \times D^{-1}$$

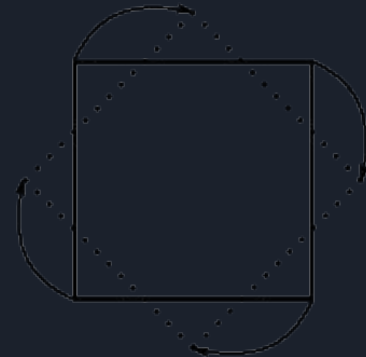
Avec  $D = 1 - \frac{1-s}{1+s} e_{o\infty}$ , où  $s$  est le facteur de scale et  $O$  l'objet à scaler.

Application

```
c3ga::Mvec<double> Transformation::scale(c3ga::Mvec<double> vect, double scale) {
    c3ga::Mvec<double> dilator = 1. - ((1. - scale) / (1. + scale)) * c3ga::e0i<double>();
    vect = dilator * vect * dilator.inv();
    vect.roundZero(1.0e-10);
    return vect;
}

glm::vec3 Transformation::applyScale(Sphere sphere) {
    c3ga::Mvec<double> s = sphere.getSphere();
    return glm::vec3(s[c3ga::E0123], s[c3ga::E0123], s[c3ga::E0123]);
}
```

# Rotation



## Formule C3GA

$$\mathbf{R} \times \mathbf{O} \times \mathbf{R}^{-1}$$

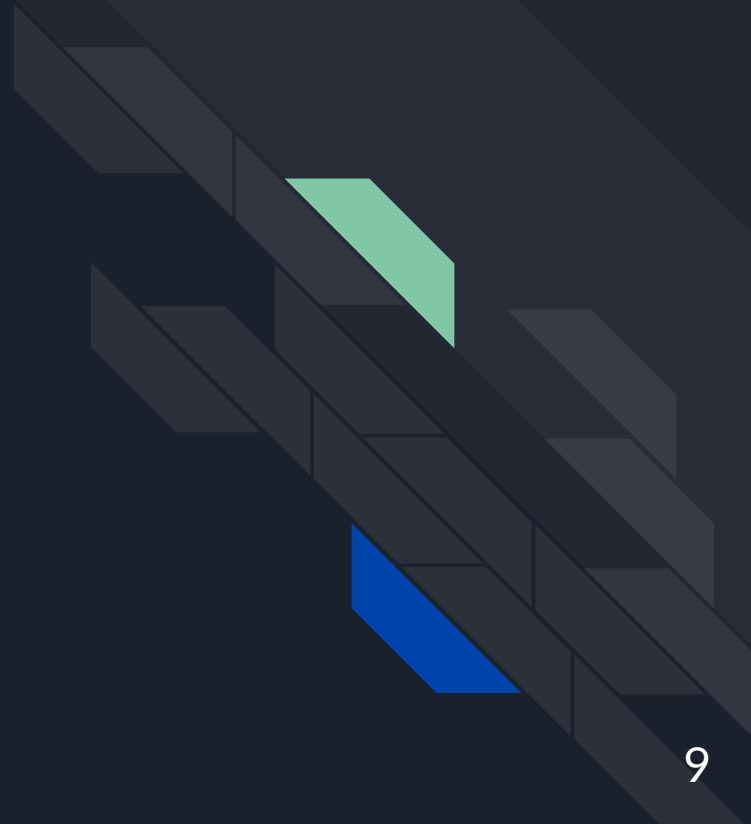
Avec  $\mathbf{R} = \cos(\frac{1}{2}\alpha) - \mathbf{B} \sin(\frac{1}{2}\alpha)$ , où  $\alpha$  est l'angle de rotation,  $\mathbf{B}$  le bi-vecteur associé à l'axe de rotation et  $\mathbf{O}$  l'objet à rotater.

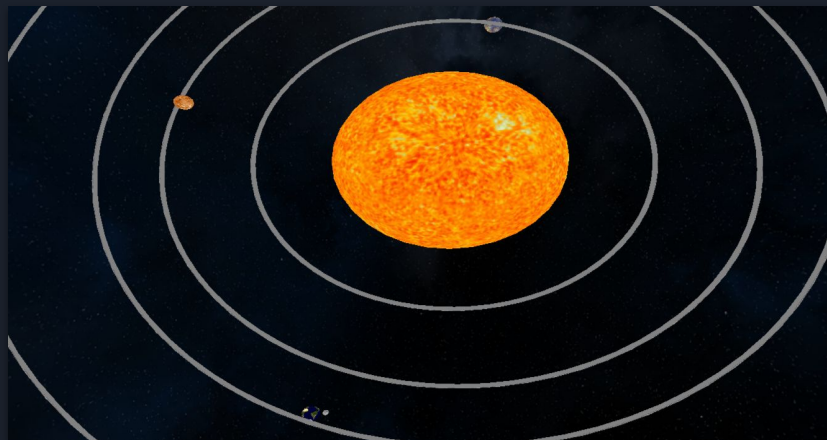
## Application

```
c3ga::Mvec<double> Transformation::rotate(c3ga::Mvec<double> vect, double angle, c3ga::Mvec<double> biVect) {  
    c3ga::Mvec<double> rotor = cos(0.5 * angle * M_PI / 180) - biVect * sin(0.5 * angle * M_PI / 180);  
    vect = rotor * vect * rotor.inv();  
    vect.roundZero(1.0e-10);  
    return vect;  
}  
  
glm::vec3 Transformation::applyRotation(Sphere sphere) {  
    c3ga::Mvec<double> s = sphere.getSphere();  
    return glm::vec3(s[c3ga::E0123], s[c3ga::E0123], s[c3ga::E0123]);  
}
```

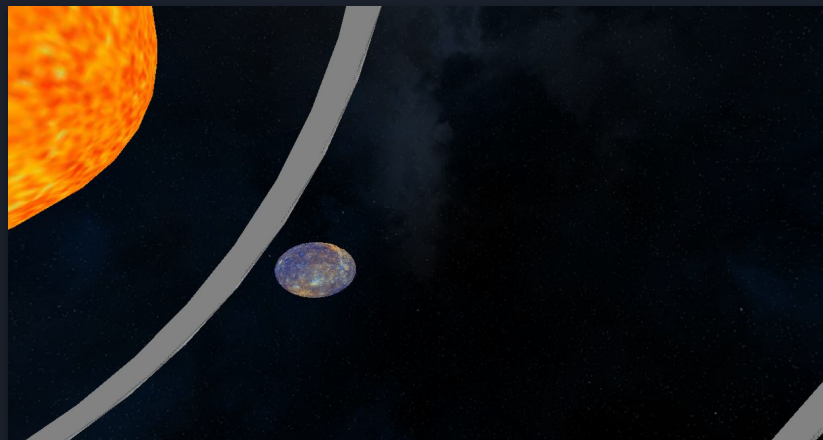


# Les astres

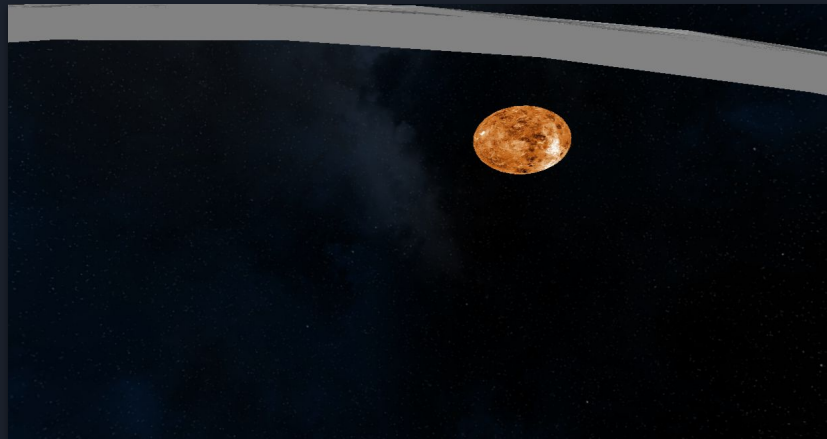




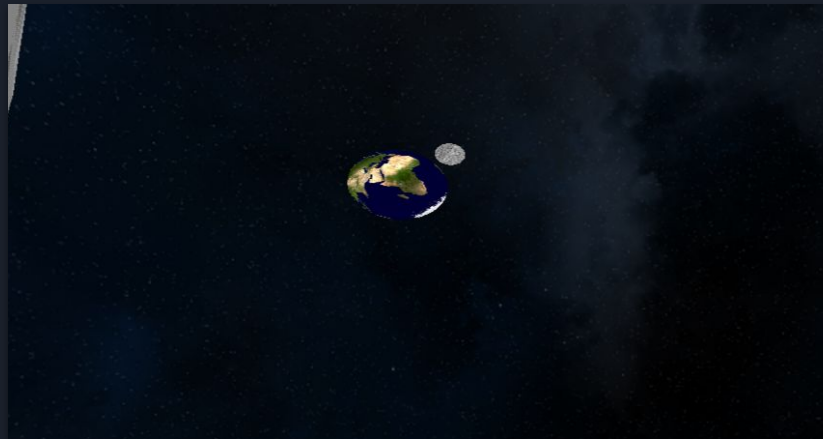
Soleil



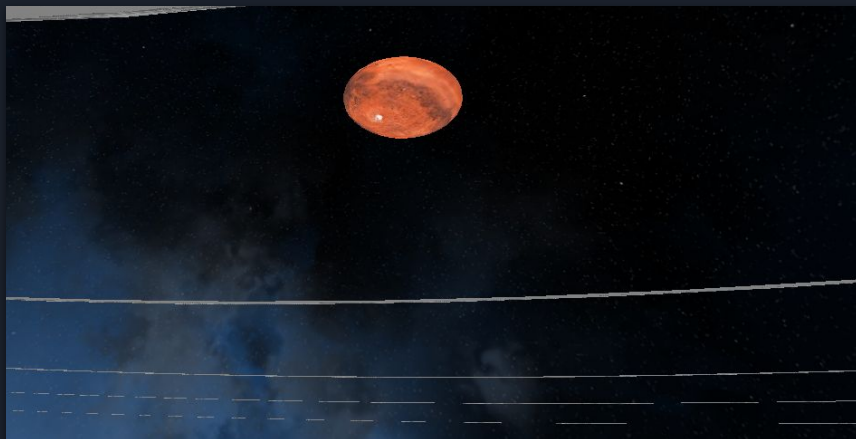
Mercure



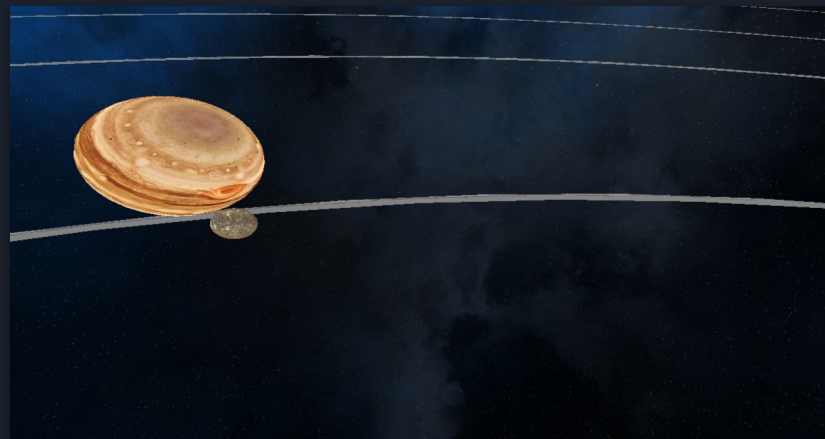
Vénus



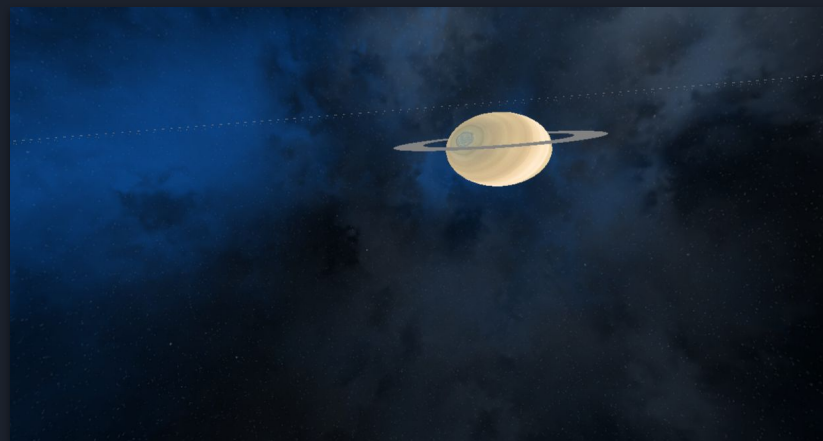
Terre et Lune



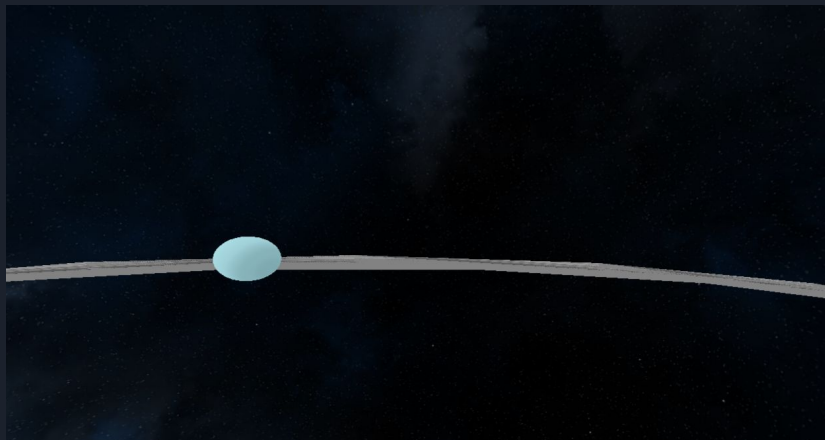
Mars



Jupiter et Callisto



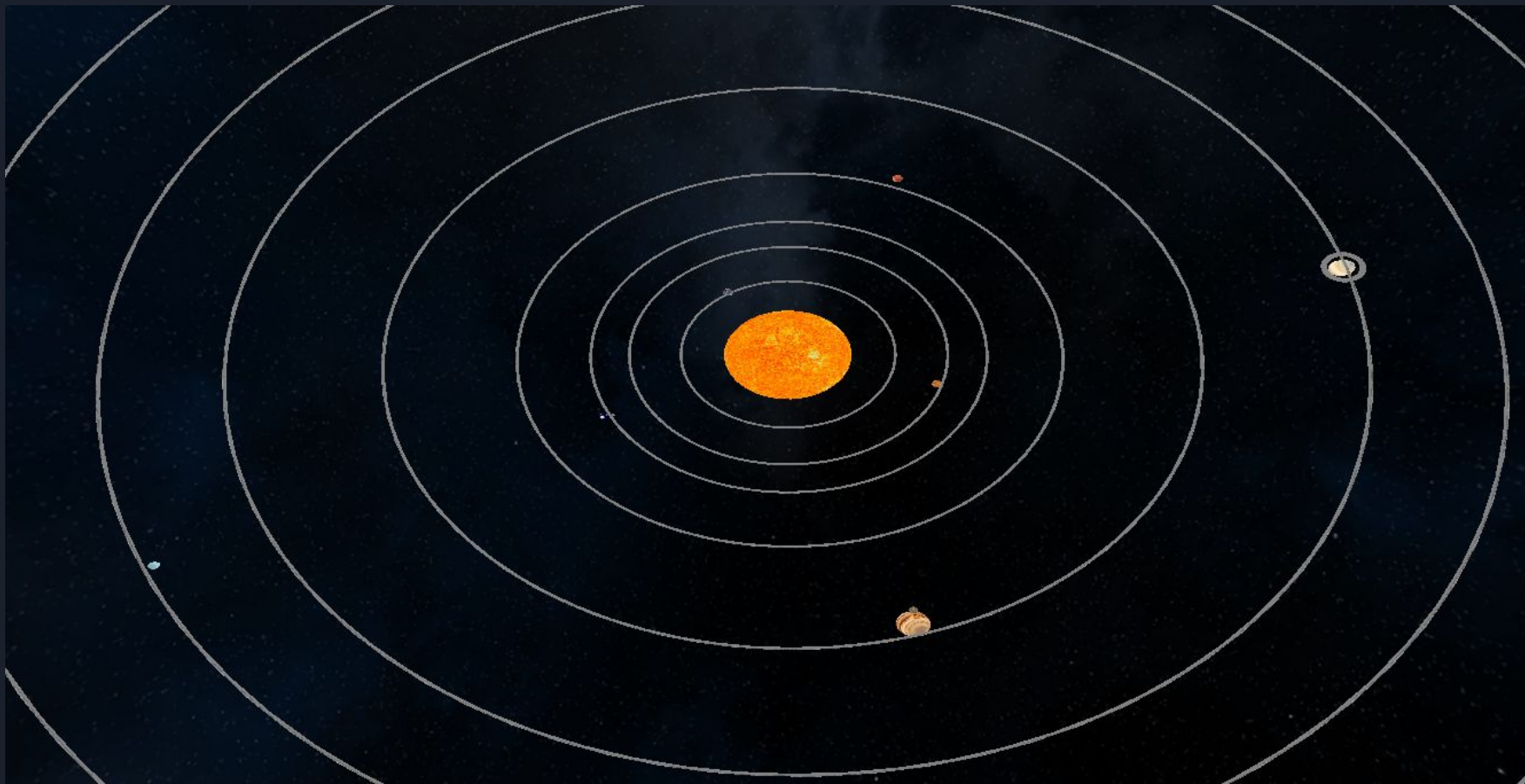
Saturne



Uranus



Neptune



Systeme solaire

# Démo du projet