

Homework4

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6.99) a. $x = (2453.7 - 2403.7) / (880 / 10) = 0.5687$ $p(x > .5687) = 0.2877$ The p-value is greater than the alpha-value, so its no significant

b. $x = (2453.7 - 2403.7) / (880 / \text{rt}(500)) = 1.2705$ $p(x > 1.2705) = 0.102$ Same reason as above. The p-value is less than the alpha-value.

c. $x = (2453.7 - 2403.7) / (880 / \text{rt}(2500)) = 2.8409$ $p(z > 2.8409) = .0023$ The p-value (.0023) is less than alpha-value (.05), so we reject the null hypothesis and accept the alternative hypothesis.

6.120) a. $P(\text{Type 1}) = P(p_0(x = 0 \mid x = 1 \mid x = 2)) = .1 + .1 + .2 = .4$

b. $P(\text{Type 2}) = P(p_1(x = 3 \mid x = 4 \mid x = 5 \mid x = 6)) = .1 + .1 + .1 + .1 = .4$

7.22) a. Degrees pf freedom = $n - 1 = 16 - 1 = 15$

b. Critical values = 2.131 and 2.249

c. 0.02 and 0.025

d. both p-values (0.02 and 0.025) are below the alpha-value (0.05), so reject the null hypothesis. both p-values (0.02 and 0.025) are below the alpha-value (0.01), so no reject the null hypothesis.

e. 0.024137

7.23) a. 26

b. Critical Values = 1.703, 2.01, and 2.056

c. Two sided test, 0.05 and 0.10

d. It is not significant at either 5% or 1%

e. 0.0549

7.71)

a.

The t distribution is appropriate because there are no outliers or major skewness, and it is normal.

b.

c. let $m = \mu$ in $H_0: m_1 = m_2$ $H_a: m_1 \neq m_2$

d. $t = (.571 - 2.118) / (\sqrt{(.73^2)/.4 - (1.244^2) / .7}) = -4.306$ p-value = 0

The p-value (0) which is less than alpha, so we reject the null hypothesis.

e. $(.571 - 2.118) \pm ((2.16) * \sqrt{((.330)^2)/14 - ((1.244)^2)/17})$

7.89) a. let ' m ' = μ in mb - breast fed mF - formula $H_0: m_B = m_F$ $H_a: m_B > m_F$

b. 95% confidence interval: $(3.3 - 12.4) \pm 2.101 * \sqrt{((1.7)^2) / 23 + ((1.8)^2) / 19}$ I am 95% confident that the true difference is between .2434 and 2.0434

c. The samples are a simple random sample and a normal population.

7.102) $H_0: sd_1 = sd_2$ $H_1: sd_1 \neq sd_2$

a. $F = .38$

b. $F(\text{critical}) = (n_1 - 1, n_2 - 1) = 2.54$

c. The f-value is not critical

7.122) a.

b. mean = $-.853$ $s^2 = 1.611$ $t = -2.13$ $p = .062$ $df = 9$

c. There seems to be no difference

8.71) proportion of female juvenile references = number of chances (x_1) / number of observed (n_1) = $48/60 = 0.8$

std.err for females: 0.0516

proportion of MALE juvenile references = number of chances (X_1) / number of observed (N_1) = $52 / 132 = 0.392$

std.err for male: 0.0425

b. 90% confidence interval $p_1 = .8$ $n_1 = 60$ $p_2 = .394$ $n_2 = 132$ 90% confidence interval = (0.296, 0.5161)

I am 90% confidence that there will be 29.6% to 51.61% more juvenile females than juvenile males relative to the population

c. $x = 5.2197$ so p is 0