# DATA SOCIETY®

Advanced classification - logistic regresssion

"One should look for what is and not what he thinks should be."
-Albert Einstein.

#### Who we are

- Data Society's mission is to integrate Big Data and machine learning best practices across entire teams and empower professionals to identify new insights
- We provide:
  - High-quality data science training programs
  - Customized executive workshops
  - Custom software solutions and consulting services
- Since 2014, we've worked with thousands of professionals to make their data work for them



#### **Using Zoom**

#### Raise your hand if you can hear me OK.

 From the toolbar (probably on the bottom of your screen), select the button marked "Reactions" and choose the hand

# In the chat box, tell everyone what you see out the nearest window.

• From the toolbar (probably on the bottom of your screen), *select the button marked "Chat."* The chat box should appear. On smaller screens, the "Chat" button may be hiding under the "More" menu.



#### Best practices for virtual classes

- 1. Find a quiet place, free of as many distractions as possible. Headphones are recommended.
- 2. Stay on mute unless you are speaking.
- 3. Remove or silence alerts from cell phones, e-mail pop-ups, etc.
- **4.** Participate in activities and ask questions. This will be interactive!
- 5. Give your honest feedback so we can troubleshoot problems and improve the course.



## Getting to know your classmates

- Let's head into a breakout room and introduce ourselves
- You'll have 5-10 minutes to exchange your names and departments and talk about what problems you hope to solve by taking this course
- When you come back, be ready to share 1-2 topic areas that came up as project interests with the whole group!



#### Getting started: data scientists

- Data scientists are analytical data experts that have the technical skills to solve complex problems
- They can:
- Pose the right question
- 2. Wrangle data (gather, clean, and sample data to get a suitable dataset)
- 3. Manage data for easy access by the organization
- 4. Explore data to generate a hypothesis
- 5. Make predictions using statistical methods such as regression and classification
- 6. Communicate results using visualizations, presentations, and products









## Getting started: your proficiency

- You don't need to be a data scientist to have programming as part of your professional toolkit
- The level of proficiency you can achieve will depend on:
  - the problems you are trying to solve on daily basis
  - the subject matter area you are in
  - the level of complexity your programming solution demands

#### Getting started: the data science control cycle

No matter your level of proficiency, it's important to be familiar with the data science control cycle

#### Getting started: how we teach



- We'll walk through the concepts and code together, then you'll have the opportunity to answer questions and practice
- You should have the following:
  - Code files to follow along with the slides
  - Links to interactive knowledge checks
  - Exercise files (we give you 2 files and one has the answers)
- Recordings will be made available

## Getting started: Python

- In this course, we will be using the **Python** programming language, as well as a few helper packages that you should have already installed:
  - OS
  - NumPy
  - Pandas
  - Matplotlib
  - Pickle
  - Scikit-learn
- Let's start by preparing our environment

## Getting started: directory settings

- In order to maximize the efficiency of the workflow, we encode the directory structure into variables
- Let the main dir be the variable corresponding to your advanced-classification folder

```
from pathlib import Path
# Set `home_dir` to the root directory of your computer.
home_dir = Path.home()

# Set `main_dir` to the location of your `advanced-classification` folder.
main_dir = home_dir / "Desktop" / "advanced-classification"

# Make `data_dir` from the `main_dir` and remainder of the path to data directory.
data_dir = main_dir / "data"
```

## Getting started: working directory

Set the working directory to data dir

```
# Set working directory.
os.chdir(data_dir)

# Check working directory.
print(os.getcwd())

/home/[user-name]/Desktop/advanced-classification/data
```

## Getting started: loading packages

Load the packages we will be using

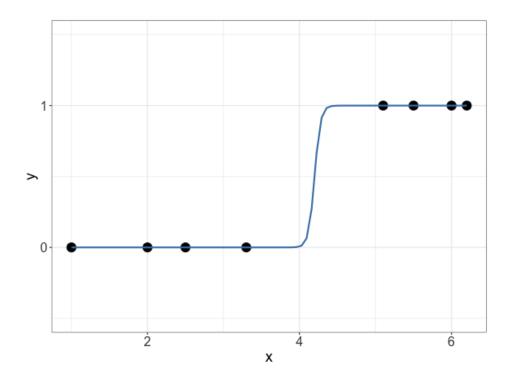
```
# Helper packages.
import os
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import pickle
# Scikit-learn package for logistic regression.
from sklearn import linear model
# Model set up and tuning packages from scikit-learn.
from sklearn.model selection import train test split
from sklearn.model selection import GridSearchCV
# Scikit-learn packages for evaluating model performance.
from sklearn import metrics
# Scikit-learn package for data preprocessing.
from sklearn import preprocessing
```

# Module completion checklist

Objective	Complete
Determine when to use logistic regression for classification and transformation of target variable	
Summarize the process and the math behind logistic regression	
Implement logistic regression on a training dataset and predict on test	
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Demonstrate tuning the model using grid search cross-validation	

#### Logistic regression: what is it?

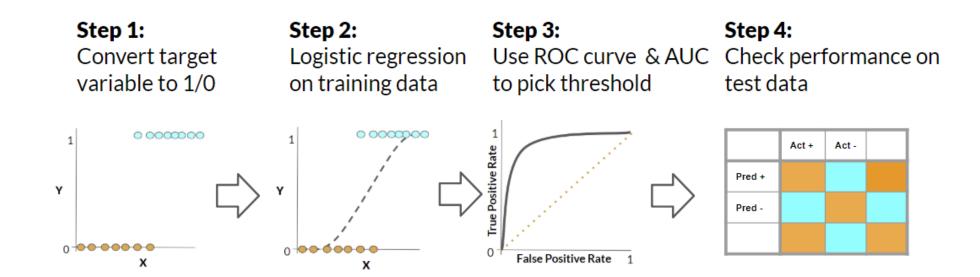
- Supervised machine learning method
- Target/dependent variable is binary (one/zero)
- Outputs the **probability** that an observation will be in the desired class (y = 1)
- Solves for coefficients to create a curved function to maximize the likelihood of correct classification
- logistic comes from the logit function (a.k.a. sigmoid function)



#### Logistic regression: when to use it?

- We use it to classify data into categories
  - Is a given email spam or not spam?
- It outputs **probabilities**, not actual class labels
  - Easily tweak its performance by adjusting a cut-off probability
  - No need to re-run the model with new parameters
- It is a well-established algorithm
  - It has implementations across many programming languages
  - We can create robust, efficient, and well-optimized models

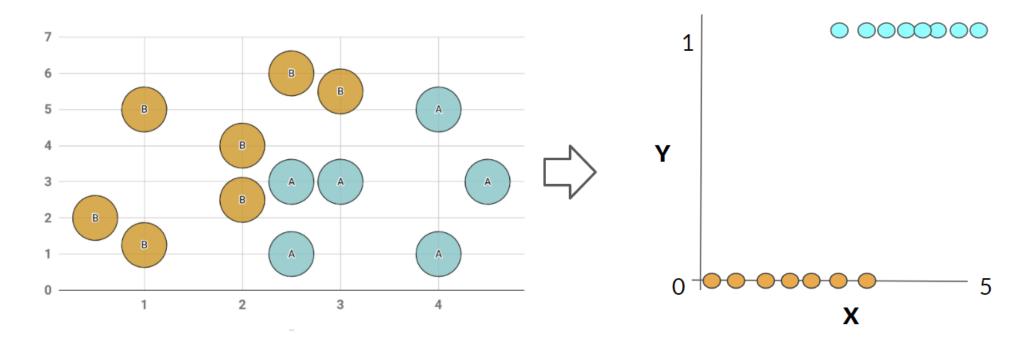
#### Logistic regression: process



## Categorical to binary target variable

Two main ways to prepare the target variable:

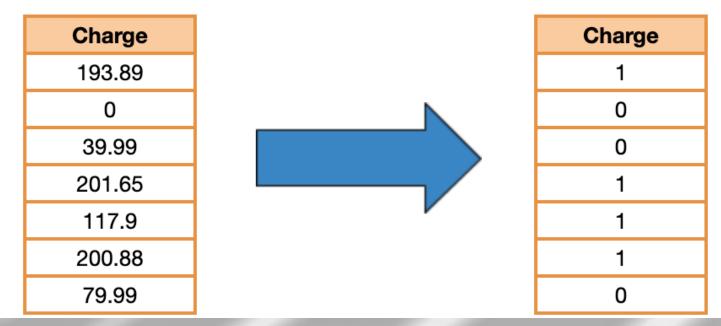
• First method: translate an existing binary variable (i.e. spam/not spam) into 1 and 0



But what if we have **continuous** data, without defined categories?

#### Continuous to binary target variable

- Second method: convert a continuous numeric variable into binary one
  - We can do this by using a threshold and labeling observations that are higher than that threshold as 1 and 0 otherwise
  - Let's say we have a column charge which indicates the cost of a product
  - If the median (threshold) for the variable charge below was 100, then any point below the median is 0, and any point above is 1



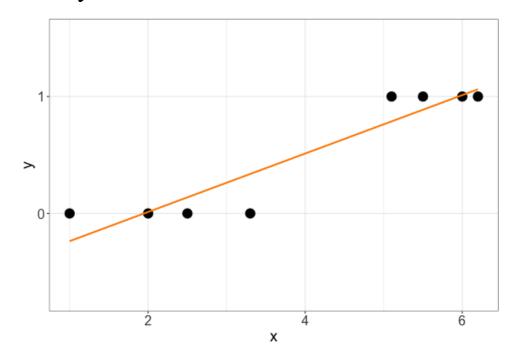
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## Linear vs logistic regression

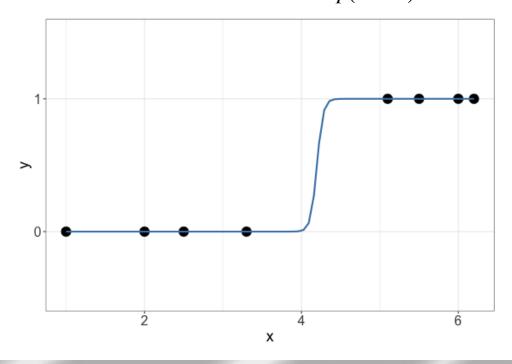
#### **Linear regression line**

- For data points  $x_1, \ldots, x_n$ , we have y = 0 or y = 1
- The function that "fits" the points is a simple line  $\hat{y} = ax + b$



#### Logistic regression curve

- For the same data points  $x_1, \ldots, x_n$ , y = 0 or y = 1
- The function that "fits" the data points is a sigmoid  $p(y=1) = \frac{exp(ax+b)}{1+exp(ax+b)}$



## Logistic regression: function

- For every value of x, we find p, i.e. probability of success, or probability that y=1
- To solve for p, logistic regression uses an expression called a **sigmoid function**:

$$p = \frac{exp(ax+b)}{1 + exp(ax+b)}$$

• We can see a very familiar equation inside of the parentheses: ax + b

## Logistic regression: a bit more math

Through some algebraic transformations that are beyond the scope of this course,

$$p = \frac{exp(ax+b)}{1 + exp(ax+b)}$$

can become

$$logit(p) = log(\frac{p}{1-p})$$

- Since p is the probability of success, 1 p is the probability of failure
- The ratio  $\left(\frac{p}{1-p}\right)$  is called the **odds** ratio it tells us the **odds** of having a successful outcome with respect to the opposite
- Why should we care?
  - Knowing this provides useful insight into interpreting the coefficients

#### Logistic regression: coefficients

• In linear regression, the coefficients in the equation can easily be interpreted

$$ax + b$$

ullet An increase in x will result in an increase in y and vice versa

#### **BUT**

- In **logistic** regression, the simplest way to interpret a positive coefficient is with an increase in likelihood
- A larger value of x increases the likelihood that y=1

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#### Research questions and datasets

- The credit card dataset will be used in class to predict which credit card holders will default
- We will start by running a model on a simple subset based on a few predictors (limit balance, demographic data)
- Then, we are going to predict the same with whole dataset

- The bank marketing dataset will be used in the exercises to predict if a client has subscribed a term deposit
- Similar to the credit card data, we will first predict using the demographic data (education, marital status, etc..)
- Then, we will include social and economic attributes to predict the subscription of term deposit

## Loading data into Python

- Let's load the entire credit card dataset
- We are now going to use the function read\_csv to read in our credit\_card\_data dataset

```
credit_card = pd.read_csv("credit_card_data.csv")
print(credit_card.head())
```

```
PAY_AMT6
       LIMIT BAL
                                PAY AMT5
                                                      default payment next month
            2\overline{0}000
1
2
3
4
           120000
                                                2000
   3 90000
4 50000
                                    1000
                                                5000
                                    1069
                                               1000
            50000
                                     689
                                                679
[5 rows x 25 columns]
```

#### Renaming target variable

Rename the target variable to 'default\_payment'

```
credit_card = credit_card.rename(columns = {'default_payment_next_month' : 'default_payment'})
print(credit_card.head())
```

```
default payment
      TITMTT BATI
                      EDUCATION
                                       PAY AMT4
                                                            PAY AMT6
                                                 PAY AMT5
           2\overline{0}000
         120000
                                           1000
                                                                2000
1
2
3
4
                                                  1000
     90000
50000
                                           1000
                                                                5000
                                                 1069
                                           1100
                                                               1000
          50000
                                           9000
                                                 689
                                                            679
[5 rows x 25 columns]
```

## The data at first glance

Look at the data types of each variable

```
# The data types.
print(credit_card.dtypes)
```

ID	int64	
LIMIT BAL	int64	
SEX -	int64	
EDUCATION	int64	
MARRIAGE	int64	
AGE	int64	
PAY 0	int64	
PAY <sup>2</sup>	int64	
PAY <sup>-</sup> 3	int64	
PAY <sup>-</sup> 4	int64	
PAY <sup>-</sup> 5	int64	
PAY <sup>-</sup> 6	int64	
BILL AMT1	float64	
BILL AMT2	int64	
BILL AMT3	int64	
BILL AMT4	int64	
BILL AMT5	int64	
BILL AMT6	int64	
PAY AMT1	int64	
PAY AMT2	int64	
PAY AMT3	int64	
PAY AMT4	int64	
PAY AMT5	int64	
PAY AMT6	int64	
default payment	int64	
dtype: object		

#### Frequency table of the target variable

Now let's check the **frequency** of 'default\_payment'

```
print(credit_card['default_payment'].value_counts())

0  23364
1  6636
Name: default_payment, dtype: int64
```

• It has **two levels**, 0 and 1, where **0** is cardholders who **did not** make a default payment

## Data prep: check for NAs

Check for NAs

```
# Check for NAs.
print(credit_card.isnull().sum())
```

We have 1 missing value in the variable column 'BILL\_AMT1'

ID LIMIT_BAL SEX EDUCATION MARRIAGE AGE PAY_0 PAY_2 PAY_3 PAY_4 PAY_5 PAY_6 BILL_AMT1 BILL_AMT2 BILL_AMT3 BILL_AMT5 BILL_AMT5 BILL_AMT5 BILL_AMT6 PAY_AMT1 PAY_AMT2 PAY_AMT2 PAY_AMT3 PAY_AMT4 PAY_AMT5 PAY_AMT6 default_payment dtype: int64	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
---	---

#### Filling missing values

• We will fill the missing value in 'BILL\_AMT1' with the mean value

```
# Fill missing values with mean
credit_card = credit_card.fillna(credit_card.mean()['BILL_AMT1'])

# Check for NAs in 'BILL_AMT1'.
print(credit_card.isnull().sum()['BILL_AMT1'])
0
```

- Now that we have filled in all NAs, we are ready to scale our predictors
- We decided to focus on limit balance and demographic data

#### Data prep: numeric variables

- We try and use numeric data as predictors
- In some cases, we can convert categorical data to integer values
- However, in this simple example, our predictors are numeric by default

Let's double check:

```
print(credit_card.dtypes.head())
```

```
ID int64
LIMIT_BAL int64
SEX int64
EDUCATION int64
MARRIAGE int64
dtype: object
```

#### Data prep: target

- The next step of our data cleanup is to ensure the target variable is binary and has a label
- Let's look at the dtype of default\_payment

```
print(credit_card.default_payment.dtypes)
int64
```

We want to convert this to bool (Boolean type) so that it's a binary class

```
credit_card["default_payment"] = np.where(credit_card["default_payment"] == 1, True, False)
# Check class again.
print(credit_card.default_payment.dtypes)
```

bool

#### Subsetting data

- Now let's subset our data so that we have only the variables we need for building our model
- We will drop the variables containing ID as they do not provide any significance for the model
- For our first model, we will only use the demographic data to predict the default\_payment.
   So, we will also remove the rest of the predictors
- Let's name this subset credit card glm

```
credit_card_glm = credit_card[["LIMIT_BAL","SEX","EDUCATION", "MARRIAGE", "AGE", "default_payment"]]
print(credit_card_glm.head())
```

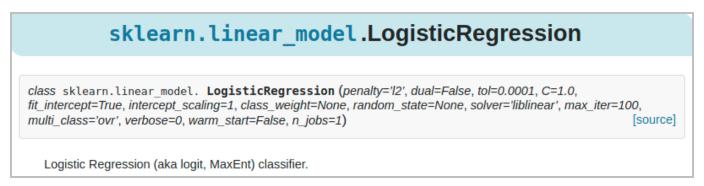
```
TITMIT BATI
                                                     default payment
                      EDUCATION
                                   MARRIAGE
        2\overline{0}000
                                                                   True
      120000
                                                                  True
                                               34
        90000
                                                                 False
3
        50000
                                                                 False
        50000
                                                                 False
```

#### Split into train and test set

- We're going to split our data into training and test sets
- We run logistic regression initially on the training data

## scikit-learn - logistic regression

 We will be using the LogisticRegression library from scikit-learn.linear\_model package



- All inputs are optional arguments, but we will concentrate on two key inputs:
  - penalty: a regularization technique used to tune the model (either 11, a.k.a. Lasso, or 12, a.k.a. Ridge, default is 12)
  - C: a regularization constant used to amplify the effect of the regularization method (a value between  $[0, \infty]$  default is 1)
- For all the parameters of the LogisticRegression function, visit scikit-learn's documentation

## Logistic regression: solvers and their penalties

We'll be using liblinear and lfbgs solvers in this module, but there are others

Solver	Behavior	Penalty
liblinear	Ideal for small datasets and one vs rest schemes	L1 and L2
lbfgs	Default solver, ideal for large data sets and multi-class problems	L2 or no penalty
newton-cg	Ideal for large data sets and multi-class problems	L2 or no penalty
sag	Works faster on large data sets and handles multi-class problems	L2 or no penalty
saga	Works faster on large data sets and handles multi-class problems	L1, L2, elastic net or no penalty

To learn more about solvers in logistic regression, visit scikit-learn's documentation

### Logistic regression: build

- Let's build our logistic regression model
- We'll use all default parameters for now as our baseline model

```
# Set up logistic regression model.
logistic_regression_model = linear_model.LogisticRegression()
print(logistic_regression_model)
```

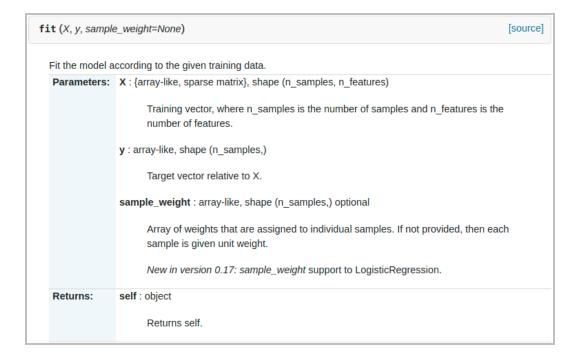
```
LogisticRegression()
```

- We can see that the default model contains C = 1 and penalty = '12'
- We will discuss what that means when we tune our model later

#### Logistic regression: fit

The two main arguments are the same as with most classifiers in scikit-learn:

- 1. X: a pandas dataframe or a numpy array of training data predictors
- 2. y: a pandas series or a numpy array of training labels



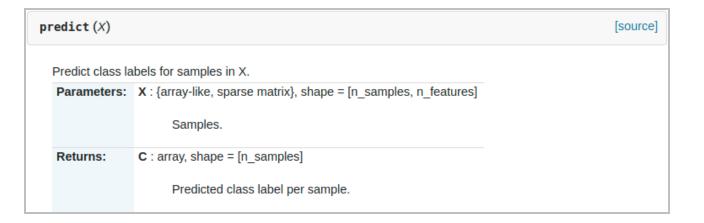
## Logistic regression: fit

- We fit the logistic regression model with X\_train and y\_train
- We will run the model on our training data and predict on test data

```
LogisticRegression()
```

### Logistic regression: predict

- The main argument is the same as with most classifiers in scikit-learn:
  - X: a pandas dataframe or a numpy array of test data predictors



#### Logistic regression: predict

- We will predict on the test data using our trained model
- The result is a vector of the predictions
- The instances yielding True are predicted to have made the default\_payment

```
# Predict on test data.
predicted_values = logistic_regression_model.predict(X_test)
print(predicted_values)
```

```
[False False False False False]
```

# Knowledge check 1



#### Exercise 1

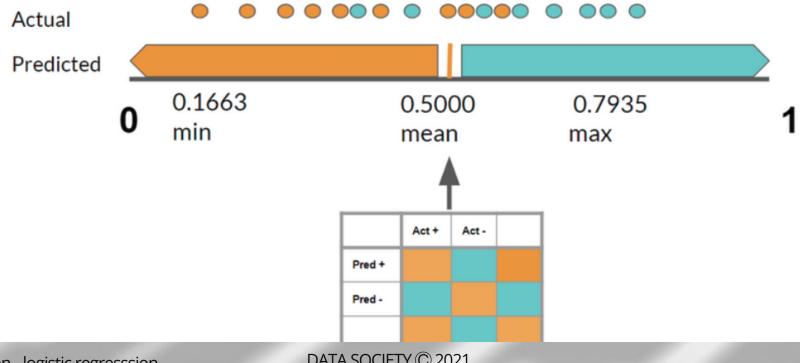


# Module completion checklist

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Determine when to use logistic regression for classification and transformation of target variable	<b>/</b>	
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#### From threshold to metrics

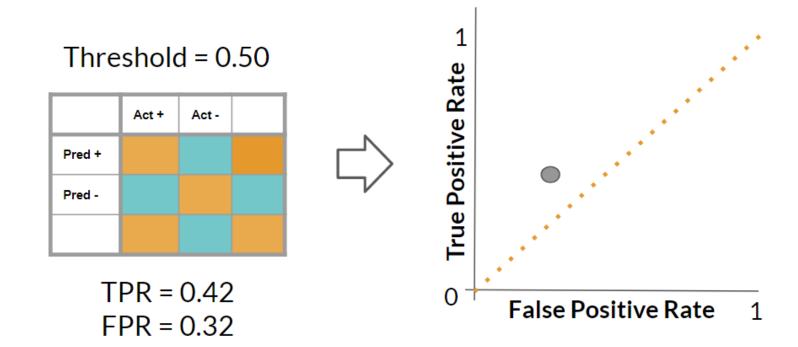
- In logistic regression, the output is a range of probabilities from 0 to 1
- But how do you interpret that as a 1 / 0 or High value / Low value label?
- You set a threshold where everything above is predicted as 1 and everything below is predicted as 0
- A typical threshold for logistic regression is 0.5 but can be any value in the range of 0 to 1



#### From metrics to a point

Each threshold can create a **confusion matrix**, which can be used to calculate a point in space defined by:

- True positive rate (TPR) on the y-axis
- False positive rate (FPR) on the x-axis

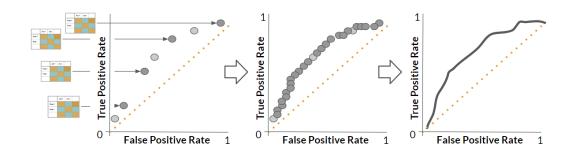


#### Confusion matrix

	Predicted Low value	Predicted High value	Actual totals
Actual low value	True negative (TN)	False positive (FP)	Total negatives
Actual high value	False negative (FN)	True positive (TP)	Total positives
Predicted totals	Total predicted negatives	Total predicted positives	Total

- True positive rate (TPR) (a.k.a. Sensitivity, Recall) = TP / Total positives
- True negative rate (TNR) (a.k.a. *Specificity*) = TN / Total negatives
- False positive rate (FPR) (a.k.a. *Fall-out, Type I Error*) = FP / Total negatives
- False negative rate (FNR) (a.k.a. *Type II Error*) = FN / Total positives
- Accuracy = TP + TN / Total
- Misclassification rate = FP + FN / Total

#### From points to a curve



- When we move thresholds, we re-calculate our metrics and create confusion matrices for every threshold
- Each time, we plot a new point in the TPR vs FPR space

#### **ROC** curve

- The receiver operating characteristic curve is a performance metric used to compare classification models to measure predictive accuracy
- The AUC (area under curve) should be above .5 to say the model is better than a random guess
- As the AUC approaches 1, the more likely the model is to maximize TPR and minimize FPR.

# scikit-learn: metrics package

#### sklearn.metrics: Metrics

See the Model evaluation: quantifying the quality of predictions section and the Pairwise metrics, Affinities and Kernels section of the user guide for further details.

The **sklearn.metrics** module includes score functions, performance metrics and pairwise metrics and distance computations.

- We will use the following methods from this library:
  - confusion matrix
  - accuracy score
  - classification\_report
  - roc curve
  - auc
- For all the methods and parameters of the metrics package, visit scikit-learn's documentation

## Confusion matrix and accuracy

Both confusion\_matrix and accuracy\_score take two arguments:

- 1. Original data labels
- 2. Predicted labels

```
# Take a look at test data confusion matrix.
conf_matrix_test = metrics.confusion_matrix(y_test, predicted_values)
print(conf_matrix_test)
```

```
[[7000 0]
[2000 0]]
```

```
# Compute test model accuracy score.
test_accuracy_score = metrics.accuracy_score(y_test, predicted_values)
print("Accuracy on test data: ", test_accuracy_score)
```

```
Accuracy on test data: 0.777777777778
```

#### Classification report

• To make interpretation of the classification\_report easier, in addition to the two arguments that confusion\_matrix takes, we can add the actual class names for our target variable

```
# Create a list of target names to interpret class assignments.
target_names = ['default_payment_0', 'default_payment_1']
```

	precision	recall	f1-score	support
default_payment_0 default_payment_1	0.78	1.00	0.88	7000 2000
accuracy macro avg weighted avg	0.39	0.50 0.78	0.78 0.44 0.68	9000 9000 9000

#### Precision

	Positive	Negative
Positive	TP	FP
Negative	FN	TN

- $PR = \frac{(TP)}{(TP+FP)}$
- A proportion of values that is truly positive out of all predicted positive values
- a.k.a. PPV positive predicted value
- What percent of your predictions were correct?

#### Recall

	Positive	Negative
Positive	TP	FP
Negative	FN	TN

- $RE = \frac{(TP)}{(TP+FN)}$
- Proportion of actual positives that is classified correctly
- a.k.a. sensitivity, hit rate, or true positive rate (TPR)
- What percent of the positive cases did you catch?

#### F1: precision vs recall

- A score that gives us a numeric value of the precision vs recall tradeoff
- What percent of positive predictions were correct?
- f1-score is calculated as a weighted harmonic mean of precision and recall
- $F1 = 2 \times \frac{(PR*RE)}{(PR+RE)}$
- The higher the F1 score, the better (the score can be a value between 0 and 1)
- Support is the actual number of occurrences of each class in y\_test

#### Pickle - what?

- Now that we have explored this model's data, we can use a function in Python called pickle to save it for later
- We pickle objects we want to save from one script/session to pull up in new scripts, without rerunning code
- It is similar to **flattening** a file
  - Pickle/saving: a Python object is converted into a byte stream
  - Unpickle/loading: the inverse operation where a byte stream is converted back into an object



#### Model champion dataframe

- Let's create a dataframe, store the accuracy and then pickle the dataframe
- This way, we can use the model\_final dataframe across all our classification algorithms to choose our final model champion!

```
metrics values model
O accuracy 0.7778 logistic
```

```
pickle.dump(model_final, open("model_final.sav","wb"))
```

#### Getting probabilities instead of class labels

```
# Get probabilities instead of predicted values.
test probabilities = logistic regression_model.predict_proba(X_test)
print(test_probabilities[0:5, :])

[[0.89322323  0.10677677]
  [0.51712316  0.48287684]
  [0.58482104  0.41517896]
  [0.6337072  0.3662928 ]
  [0.86412936  0.13587064]]

# Get probabilities of test predictions only.
test_predictions = test_probabilities[:, 1]
print(test_predictions[0:5])
```

[0.10677677 0.48287684 0.41517896 0.3662928 0.13587064]

### Computing FPR, TPR, and threshold

```
# Get FPR, TPR, and threshold values.
fpr, tpr, threshold = metrics.roc curve(y test, #<- test data labels</pre>
                                      test predictions) #<- predicted probabilities
print("False positive: ", fpr[:5])
False positive: [0. 0.00028571 0.00042857 0.00057143 0.00071429]
print("True positive: ", tpr[:5])
True positive: [0. 0.0005 0.001 0.001 0.0015]
print("Threshold: ", threshold[:5])
Threshold: [1.48287687 0.48287687 0.48287687 0.48287687 0.48287687]
```

## Computing AUC

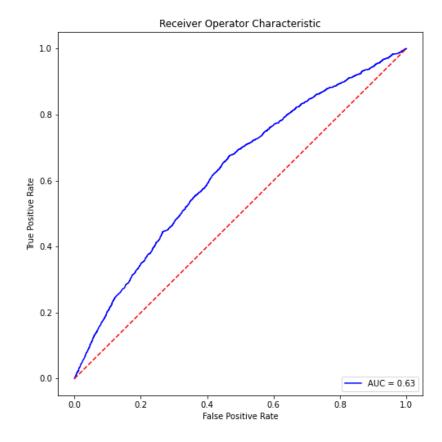
```
# Get AUC by providing the FPR and TPR.
auc = metrics.auc(fpr, tpr)
print("Area under the ROC curve: ", auc)
```

Area under the ROC curve: 0.6280798214285714

# Putting it all together: ROC plot

```
# Make an ROC curve plot.
plt.title('Receiver Operator Characteristic')
plt.plot(fpr, tpr, 'b', label = 'AUC = %0.2f' % auc)
plt.legend(loc = 'lower right')
plt.plot([0, 1], [0, 1], 'r--')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.show()
```

- Our model achieved the accuracy of about
   0.78, which is decent for a base model.
- Our estimated AUC is about 0.63
- Given that we have not done any model tuning or data transformations, this is a fair baseline that we'll use to assess future models that we'll create



# Knowledge check 2



#### Exercise 2



# Module completion checklist

Objective	Complete
Determine when to use logistic regression for classification and transformation of target variable	<b>/</b>
Summarize the process and the math behind logistic regression	<b>/</b>
Implement logistic regression on a training dataset and predict on test	<b>V</b>
Review classification performance metrics and assess results of logistic model performance	<b>V</b>
Transform categorical variables for implementation of logistic regression	
Implement logistic regression on the data and assess results of classification model performance	
Analyze the model to determine if / when overfitting occurs	
Demonstrate tuning the model using grid search cross-validation	

#### Working with categorical variables

Let's take a look at numerical variable age from our dataset

```
print(credit_card.AGE.head())

0    24
1    26
2    34
3    37
4    57
Name: AGE, dtype: int64
```

• We are going to convert age to a **categorical variable with 3 levels**, to analyze varying subscription to term deposit between age groups

#### Working with categorical variables

Let's see the frequency of each level in age

• As regression analysis is used with **numeric or continuous variables** to determine an outcome, how would we handle **categorical variables**?

### One-hot encoding

- It creates an artificial variable used to represent a variable with two or more distinct levels or categories
- It represents categorical predictors as binary values, 0 or 1
- Often used for regression analysis

ID	Pet
1	Dog
2	Cat
3	Cat
4	Dog
5	Fish



ID	Dog	Cat	Fish
1	1	0	0
2	0	1	0
3	0	1	0
4	1	0	0
5	0	0	1

### Reference category

- The number of dummy variables necessary to represent a single attribute variable is equal to the **number of levels (categories) in that variable minus one**
- One of the categories is omitted and used as a base or reference category
- The reference category, which is not coded, is the category to which all other categories will be compared
- The biggest group / category will often be the reference category

### Dummy variables in Python

- data is a pandas Series or Dataframe
- drop\_first indicates whether to get k-1
   dummies out of k categorical levels

#### pandas.get dummies

pandas.get\_dummies(data, prefix=None, prefix\_sep='\_', dummy\_na=False, columns=None, sparse=False, drop\_first=False, dtype=None) [source]

Convert categorical variable into dummy/indicator variables

data: array-like, Series, or DataFrame

prefix: string, list of strings, or dict of strings, default None

String to append DataFrame column names. Pass a list with length equal to the number of columns when calling get\_dummies on a DataFrame. Alternatively, *prefix* can be a dictionary mapping column names to prefixes.

prefix\_sep : string, default '\_'

If appending prefix, separator/delimiter to use. Or pass a list or dictionary as with

dummy\_na: bool, default False

Add a column to indicate NaNs, if False NaNs are ignored.

Parameters:

columns: list-like, default None

Column names in the DataFrame to be encoded. If *columns* is None then all the columns with *object* or *category* dtype will be converted.

sparse : bool, default False

Whether the dummy-encoded columns should be be backed by a **sparseArray** (True) or a regular NumPy array (False).

drop first : bool, default False

Whether to get k-1 dummies out of k categorical levels by removing the first level. New in version 0.18.0.

dtype: dtype, default np.uint8

Data type for new columns. Only a single dtype is allowed.

New in version 0.23.0.

Returns:

dummies: DataFrame

## Transform age variable into a dummy variable

 We need to transform age, which is categorical variable with 3 levels, into a dummy variable and save it into a dataframe

```
# Convert 'age' into dummy variables.
age_dummy = pd.get_dummies(credit_card['AGE'], drop_first = True)
print(age_dummy.head())
```

```
60 and above Between 30 and 60
0 0 0
1 0 0
2 0 1
3 0 1
4 0 1
```

 Notice that level 30 or below, which has the highest count, has been removed and used as a reference category

## Drop age and replace with the dummy variable

Let's drop the original age column from our credit card subset and concatenate the dummy
 variables age dummy

```
# Drop `age` from the data.
credit card.drop(['AGE'], axis = 1, inplace = True)
# Concatenate `age dummy` to our dataset.
credit card = pd.concat([credit card,age dummy],axis=1)
print(credit card.head())
                            default payment 60 and above Between 30 and 60
      LIMIT BAL
           2\overline{0}000
                                       True
      120000
                                      True
  3 90000
4 50000
                                      False
                                     False
      50000
                                     False
[5 rows x 26 columns]
```

#### Transform and replace other categorical variables

 Let's transform the remaining categorical values into dummy variables and save it into a dataframe

```
# Convert 'sex' into dummy variables.
sex dummy = pd.get dummies(credit card['SEX'], prefix = 'sex', drop first = True)
# Convert 'education' into dummy variables.
education dummy = pd.get dummies(credit card['EDUCATION'], prefix = 'education', drop first = True)
# Convert 'marriage' into dummy variables.
marriage dummy = pd.get dummies(credit card['MARRIAGE'], prefix = 'marriage', drop first = True)
# Drop `sex`, `education`, `marriage` from the data.
credit card.drop(['SEX', 'EDUCATION', 'MARRIAGE'], axis = 1, inplace = True)
# Concatenate `sex dummy`, `education dummy`, `marriage dummy` to our dataset.
credit card = pd.concat([credit card, sex dummy, education dummy, marriage dummy], axis=1)
print(credit card.head())
                                       education 6 marriage 1 marriage 2 marriage 3
      LIMIT BAL PAY 0 PAY 2 ...
          2\overline{0}000
                               <sup>-</sup>2 ...
  2 120000 -1 2 ...
3 90000 0 0 ...
4 50000 0 0 ...
5 50000 -1 0 ...
1
2
3
4
[5 rows x 33 columns]
```

# Module completion checklist

Objective	Complete				
Determine when to use logistic regression for classification and transformation of target variable					
Summarize the process and the math behind logistic regression					
Implement logistic regression on a training dataset and predict on test	<b>/</b>				
Review classification performance metrics and assess results of logistic model performance					
Transform categorical variables for implementation of logistic regression	<b>/</b>				
Implement logistic regression on the data and assess results of classification model performance					
Analyze the model to determine if / when overfitting occurs					
Demonstrate tuning the model using grid search cross-validation					

#### Split into train and test set

- Let's train the logistic regression model initially on the training data and then test its performance on the test data
- We will need to split our data into 2 parts, where 70% will go to the training set, and the remaining 30% will be used for our model test

#### Logistic regression: build

# sklearn.linear\_model.LogisticRegression class sklearn.linear\_model. LogisticRegression (penalty='l2', dual=False, tol=0.0001, C=1.0, fit\_intercept=True, intercept\_scaling=1, class\_weight=None, random\_state=None, solver='liblinear', max\_iter=100, multi\_class='ovr', verbose=0, warm\_start=False, n\_jobs=1) Logistic Regression (aka logit, MaxEnt) classifier.

```
# Set up the logistic regression model.
logistic_regression_model = linear_model.LogisticRegression(solver='liblinear')
print(logistic_regression_model)
```

```
LogisticRegression(solver='liblinear')
```

- LogisticRegression function is supplied with different solvers, penalty parameters and other tuning tools, in this iteration we will use liblinear solver, which uses a coordinate descent (CD) algorithm and is well suited for one-vs-all schemes
- Take a look at Logistic regression: solvers and their penalties (slide 38)
- To learn more about function parameters, visit *scikit-learn's documentation*

#### Logistic regression: fit

- We fit the logistic regression model with X\_train and y\_train
- We will run the model on our training data and predict on test data

```
LogisticRegression(solver='liblinear')
```

#### Logistic regression: predict

- We will predict on the test data using our trained model
- The result is a **vector of the predictions**

```
# Predict on test data.
predicted_values = logistic_regression_model.predict(X_test)
print(predicted_values)
```

```
[False False False False False]
```

#### Confusion matrix and accuracy

Both confusion matrix and accuracy score take two arguments:

1. Original data labels

011

2. Predicted labels

[2000

```
# Take a look at test data confusion matrix.
conf_matrix_test = metrics.confusion_matrix(y_test, predicted_values)
print(conf_matrix_test)
[[7000 0]
```

```
# Compute test model accuracy score.
test_accuracy_score = metrics.accuracy_score(y_test, predicted_values)
print("Accuracy on test data: ", test accuracy score)
```

```
Accuracy on test data: 0.777777777778
```

#### Add accuracy score to the final scores

- So we have it, let's add this score to the dataframe model\_final that we created previously
- Let's load the pickled dataset and append the score to it

#### Accuracy on train vs accuracy on test

Take a look at the accuracy score for the training data

```
# Compute trained model accuracy score.
trained_accuracy_score = logistic_regression_model.score(X_train, y_train)
print("Accuracy on train data: ", trained_accuracy_score)

Accuracy on train data: 0.7792380952380953
```

- Did our model underperform?
- Is there a big difference in train and test accuracy?
- Most of the time, the problem lies in overfitting

# Knowledge check 3



#### Exercise 3



# Module completion checklist

Objective					
Determine when to use logistic regression for classification and transformation of target variable					
Summarize the process and the math behind logistic regression					
Implement logistic regression on a training dataset and predict on test	<b>/</b>				
Review classification performance metrics and assess results of logistic model performance	<b>V</b>				
Transform categorical variables for implementation of logistic regression					
Implement logistic regression on the data and assess results of classification model performance	<b>V</b>				
Analyze the model to determine if / when overfitting occurs					
Demonstrate tuning the model using grid search cross-validation					

#### When overfitting occurs

- An overfitted model usually shows a drastically higher accuracy in the training data because it doesn't generalize well to new data
- Creating a model that fits training data **too well** will lead to poor generalization and, hence, poor performance on new data. It can happen for a number of reasons:
  - the model treats the **noise** as actual artifacts of the data, so when it encounters new data with new **noise**, the model will underperform
  - by using too many predictors that only contribute tiny portions to variation in our data,
     there is a higher likelihood of overfitting
  - if the training set is not an accurate representation of the data, we end up fitting the model to just a part of it, which doesn't translate well to new data

#### How to overcome overfitting

- Use so-called **soft-margin** classifiers to:
  - Make the model less prone to noise through penalization constants and other methods
  - Tune them to use the optimal parameters for best model performance
- Use **feature selection**, and/or **feature extraction** methods to:
  - Capture only few main features responsible for most variation in the data
  - Discard those that aren't as responsible
- Get more data

#### Tuning logistic regression model

- Recall the two parameters that we mentioned before:
  - penalty: a regularization technique used to tune the model (either 11, a.k.a. Lasso, or 12, a.k.a. Ridge; default is 12)
  - C: a regularization constant used to amplify the effect of the regularization method (a value between  $[0, \infty]$ ; default is 1)
- These two parameters control a so-called regularization term that adds a penalty as the model complexity increases with added variables
- They play a key role in mitigating overfitting and feature pruning

#### Regularization techniques in logistic regression

- As you may know, any ML algorithm optimizes some cost function f(x)
- In logistic regression, 11 (*Lasso*) adds a term to that function like so:

$$f(x) + C \sum_{j=1}^{n} |b_j|$$

• While 12 (*Ridge*) adds a term like so:

$$f(x) + C \sum_{j=1}^{n} b_j^2$$

- You can see that *Lasso* uses the absolute value  $b_j$ , while *Ridge* uses a squared  $b_j$
- That term, when added to the original *cost* function, **dampens** the margins of our classifier, making it more **forgiving** of the misclassification of some points that might be noise

#### Lasso vs Ridge

**Lasso (11)** 

$$C\sum_{j=1}^{n}|b_{j}|$$

- Stands for Least Absolute Shrinkage and Selection Operator
- It adds "absolute value of magnitude" of the coefficient as a penalty term to the loss function
- Shrinks (as the name suggests) the less important features' coefficients to zero, which leads to removal of some features

Ridge (12)

$$C\sum_{j=1}^n b_j^2$$

- Adds "squared magnitude" of coefficient as penalty term to the loss function
- Dampens the less important features' coefficients making them less significant, which leads to weighting of the features according to their importance

#### What is the role of C?

There are 4 scenarios that might happen with a classifier with respect to  $m{C}$ :

- 1. C = 0
  - The classifier becomes an **OLS** problem (i.e. Ordinary Least Squares, or just a strict regression without any penalization)
  - Since  $0 \times anything = 0$ , we are just left with optimizing f(x), which is a definite overfitting problem
- 2. C = small
  - We still run into an **overfitting** problem
  - Since  $oldsymbol{C}$  will not "magnify" the effect of the penalty term enough

#### What is the role of C?

#### 1. C = large

 We run into an underfitting problem, where we've weighted and dampened the coefficients too much and we made the model too general

#### 2. C = optimal

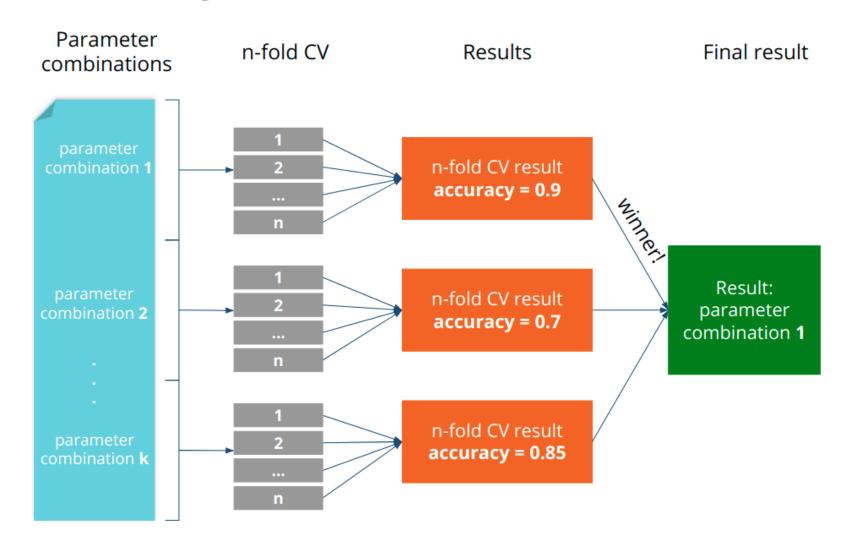
- We have a good, robust, and generalizable model that works well with new data
- Ignores most of the noise while preserving the main pattern in data

So how do we pick the right combination of parameters? We use **grid search cross-validation** to find the optimal parameters for our model!

# Module completion checklist

Objective					
Determine when to use logistic regression for classification and transformation of target variable					
Summarize the process and the math behind logistic regression					
Implement logistic regression on a training dataset and predict on test	<b>/</b>				
Review classification performance metrics and assess results of logistic model performance					
Transform categorical variables for implementation of logistic regression					
Implement logistic regression on the data and assess results of classification model performance	<b>V</b>				
Analyze the model to determine if / when overfitting occurs					
Demonstrate tuning the model using grid search cross-validation					

#### What does grid search cross-validation do?



#### scikit-learn - model\_selection.GridSearchCV

# class sklearn.model\_selection. GridSearchCV (estimator, param\_grid, scoring=None, fit\_params=None, n\_jobs=1, iid=True, refit=True, cv=None, verbose=0, pre\_dispatch='2\*n\_jobs', error\_score='raise', return\_train\_score='warn') [source] Exhaustive search over specified parameter values for an estimator. Important members are fit, predict. GridSearchCV implements a "fit" and a "score" method. It also implements "predict", "predict\_proba", "decision\_function", "transform" and "inverse\_transform" if they are implemented in the estimator used. The parameters of the estimator used to apply these methods are optimized by cross-validated grid-search over a parameter grid.

- estimator is the name of sklearn algorithm to optimize
- param grid is a dictionary or list of parameters to optimize
- cv is an int of n for n-fold cross-validation
- verbose is an int of how much verbosity in messages you want to see as the function runs

For all the methods and parameters of the model\_selection.GridSearchCV package, visit scikit-learn's documentation

#### Prepare parameters for optimization

```
# Create regularization penalty space.
penalty = ['11', '12']
# Create regularization constant space.
C = np.logspace(0, 10, 10)
print("Regularization constant: ", C)
Regularization constant: [1.00000000e+00 1.29154967e+01 1.66810054e+02 2.15443469e+03
2.78255940e+04 3.59381366e+05 4.64158883e+06 5.99484250e+07
7.74263683e+08 1.00000000e+101
# Create hyperparameter options dictionary.
hyperparameters = dict(C = C, penalty = penalty)
print(hyperparameters)
{'C': array([1.00000000e+00, 1.29154967e+01, 1.66810054e+02, 2.15443469e+03,
       2.78255940e+04, 3.59381366e+05, 4.64158883e+06, 5.99484250e+07,
       7.74263683e+08, 1.00000000e+10]), 'penalty': ['11', '12']}
```

#### Set up cross-validation logistic function

```
# Fit CV grid search.
best_model = clf.fit(X_train, y_train)
best_model
```

#### Check best parameters found by CV

```
# Get best penalty and constant parameters.
penalty = best_model.best_estimator_.get_params()['penalty']
constant = best_model.best_estimator_.get_params()['C']
print('Best penalty: ', penalty)
Best penalty: 11

Print('Best C: ', constant)

Best C: 12.91549665014884
```

- It seems like our grid search CV has found that 11 (i.e. *Lasso* regularization method) works better than the default 12 (i.e. *Ridge*)
- It also shows that the default c, which is 1, creates a big enough soft margin for our classifier

#### Predict using the best model parameters

```
# Predict on test data using best model.
best_predicted_values = best_model.predict(X_test)
print(best_predicted_values)
```

```
[False False False False False]
```

```
# Compute best model accuracy score.
best_accuracy_score = metrics.accuracy_score(y_test, best_predicted_values)
print("Accuracy on test data (best model): ", best_accuracy_score)
```

#### Predict using the best model parameters (cont'd)

```
# Compute confusion matrix for best model.
best_confusion_matrix = metrics.confusion_matrix(y_test, best_predicted_values)
print(best_confusion_matrix)
```

```
[[6814 186]
[1545 455]]
```

```
# Create a list of target names to interpret class assignments.
target_names = ['default_payment_no', 'default_payment_yes']
```

	precision	recall	f1-score	support
no	0.82	0.97	0.89	7000
yes	0.71	0.23		2000
micro avg	0.81	0.81	0.81	9000
macro avg	0.76	0.60	0.62	9000
weighted avg	0.79	0.81	0.77	9000

#### Add accuracy score to the final scores

- Let's add this score to the dataframe model\_final that we created previously
- We have already loaded the pickled dataframe, so no need to load it again
- Let's append the score to it and dump again for future use

```
metrics values model
0 accuracy 0.7778 logistic
1 accuracy 0.7778 logistic_whole_dataset
2 accuracy 0.8077 logistic_tuned
```

```
pickle.dump(model_final, open("model_final.sav","wb"))
```

#### Get metrics for ROC curve

```
# Get probabilities instead of predicted values.
best_test_probabilities = best_model.predict_proba(X_test)
print(best_test_probabilities[0:5, ])

[[0.85118308 0.14881692]
[0.86161466 0.13838534]
[0.90320762 0.09679238]
[0.37354264 0.62645736]
[0.59141147 0.40858853]]

# Get probabilities of test predictions only.
best_test_predictions = best_test_probabilities[:, 1]
print(best_test_predictions[0:5])

[[0.14881692 0.13838534 0.09679238 0.62645736 0.40858853]]
```

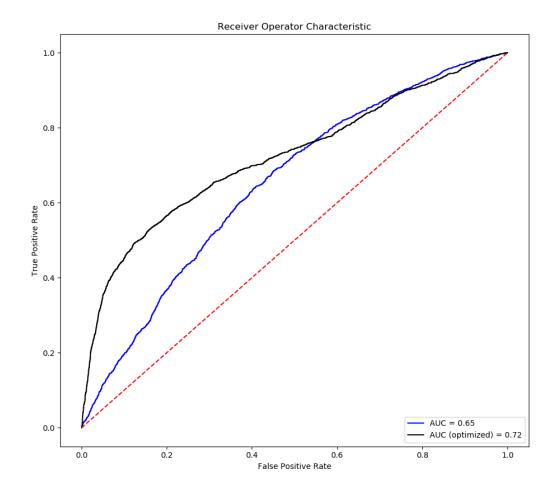
#### Get metrics for ROC curve (cont'd)

```
# Get ROC curve metrics.
best_fpr, best_tpr, best_threshold = metrics.roc_curve(y_test, best_test_predictions)
best_auc = metrics.auc(best_fpr, best_tpr)
print("Area under the ROC curve: ", best_auc)
```

Area under the ROC curve: 0.721368

#### Plot ROC curve for both models

 From the reports, we can see that the AUC and the ROC curve have improved significantly from the base model



### Knowledge check 4



#### Exercise 4



# Module completion checklist

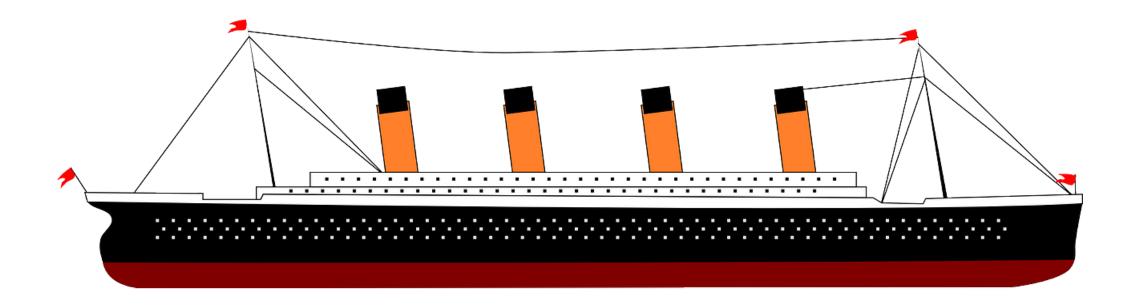
<b>Objective</b>	Complete				
Determine when to use logistic regression for classification and transformation of target variable					
Summarize the process and the math behind logistic regression					
Implement logistic regression on a training dataset and predict on test	<b>V</b>				
Review classification performance metrics and assess results of logistic model performance	<b>V</b>				
Transform categorical variables for implementation of logistic regression	<b>V</b>				
Implement logistic regression on the data and assess results of classification model performance	<b>V</b>				
Analyze the model to determine if / when overfitting occurs					
Demonstrate tuning the model using grid search cross-validation	<b>✓</b>				

#### Up next: ensemble methods

- They improve machine learning results by combining several models
- This results in better predictive performance than a single model
- We'll cover two methods: random forests and gradient boosting

#### Homework

• Read *here* about how one data scientist applied decision trees to the Titanic dataset



# This completes our module

#### **Congratulations!**

