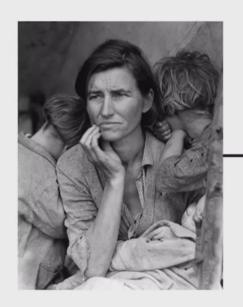
Cycle GANs

Deep Fake

Image To Image Translation



Transformation

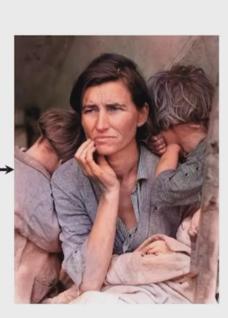


Image To Image Translation



Paired Image To Image Translation

Day to night

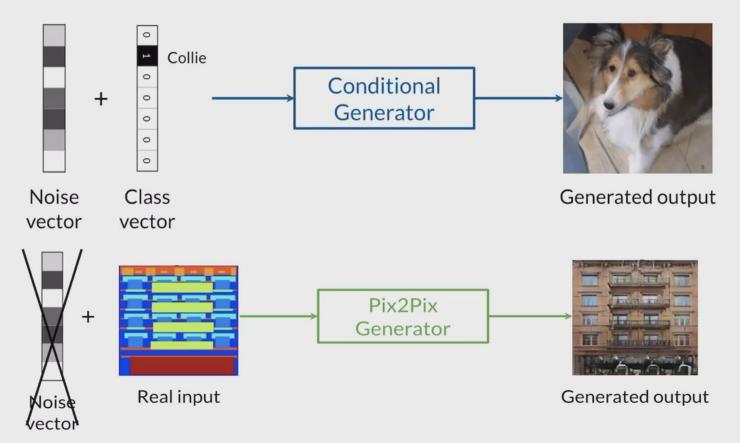




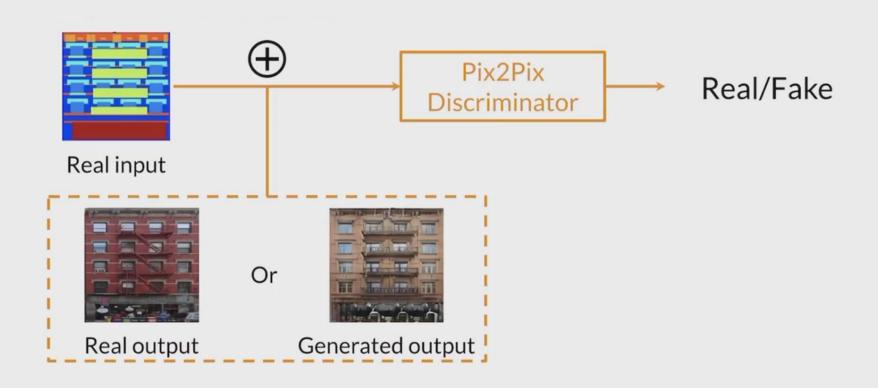
Edges to photo



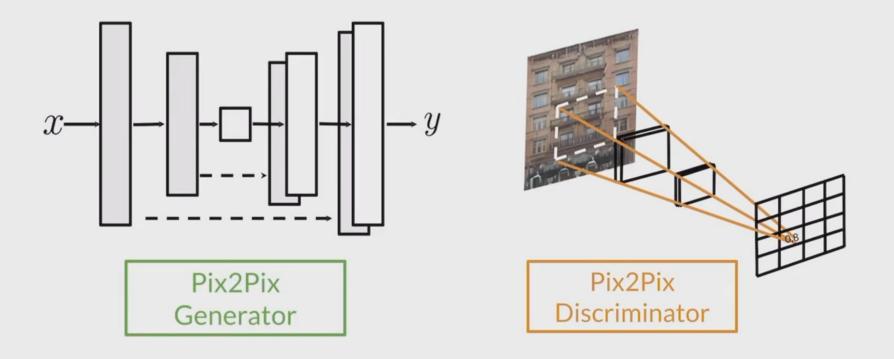
Pix2Pix



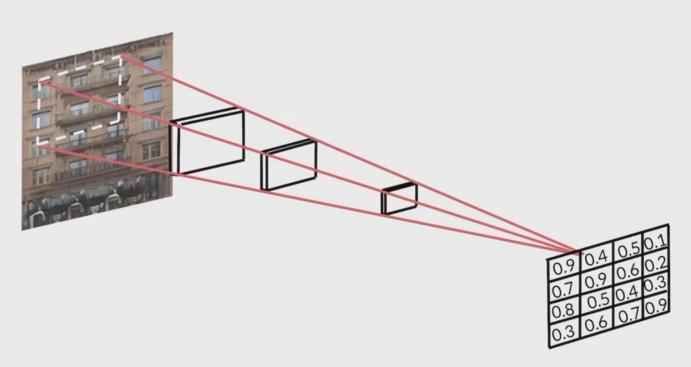
Pix2Pix Discriminator



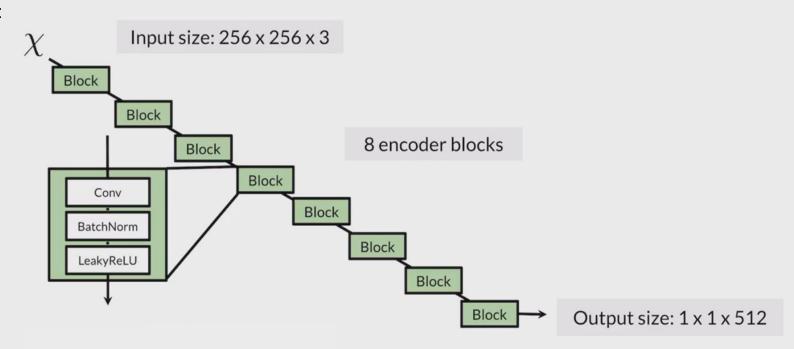
Pix2Pix Upgrade



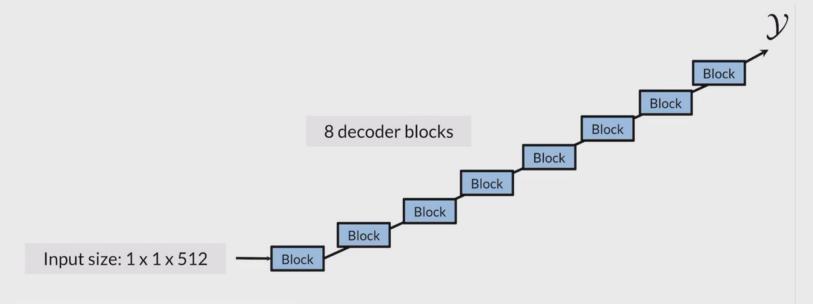
Discriminator:



Encoder:



Decoder:



Generator:

Same input & output size: 256 x 256 x 3 Block Block

Additional Loss Term

$$\min_{g} \max_{c}$$
 Adversarial Loss + λ * Other loss term

Pixel Distance Loss Term

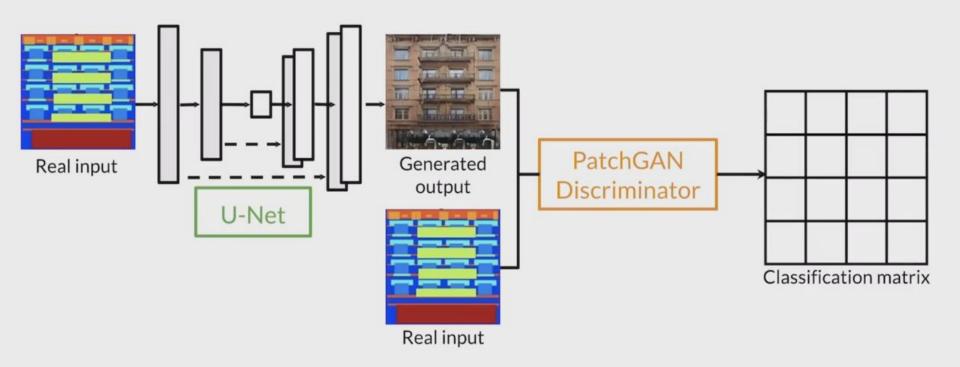
$$\sum_{i=1}^{n}$$
 Generated output $\sum_{\text{Real output}}$

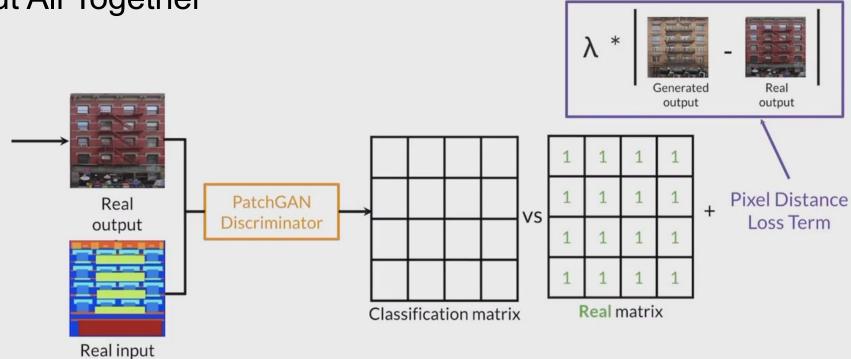
 $\displaystyle \min_{g} \displaystyle \max_{c}$ Adversarial Loss + λ * Pixel loss term

Pix2Pix Generator Loss

BCE Loss +
$$\lambda \sum_{i=1}^{n} \left| \sum_{i=1}^{n} \right|$$

BCE Loss +
$$\lambda \sum_{i=1}^{n}$$
 | generated_output - real_output





Paired vs Unpaired

Edges to photo



Paired generation

Monet to photo



Unpaired generation

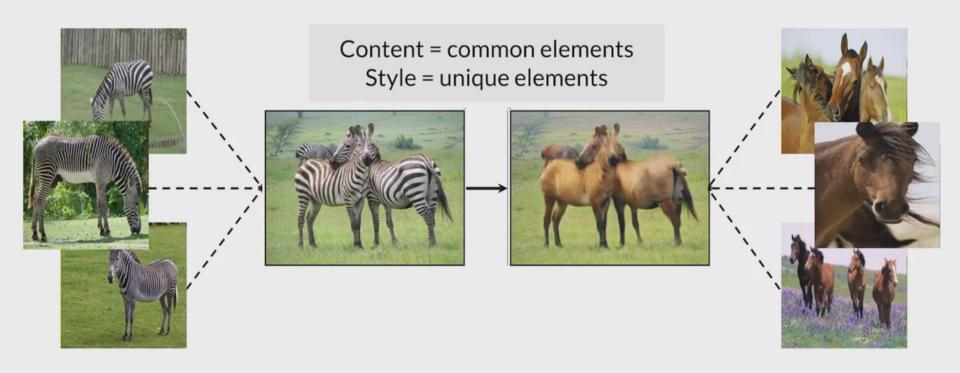
Paired vs Unpaired

 x_i y_i Paired Unpaired images images

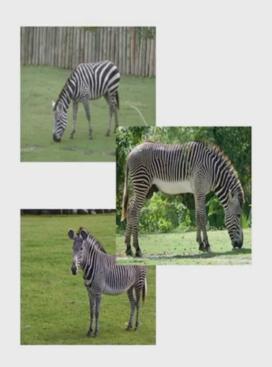
Unpaired Images

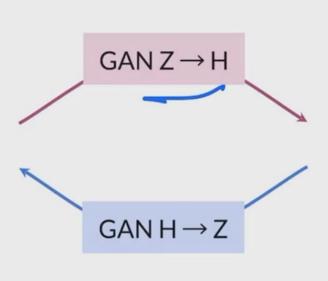


Mapping Between Two Piles



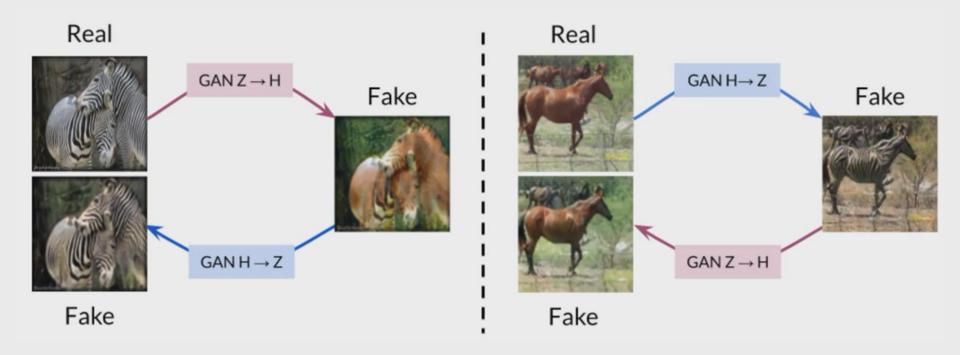
Cycle GANs







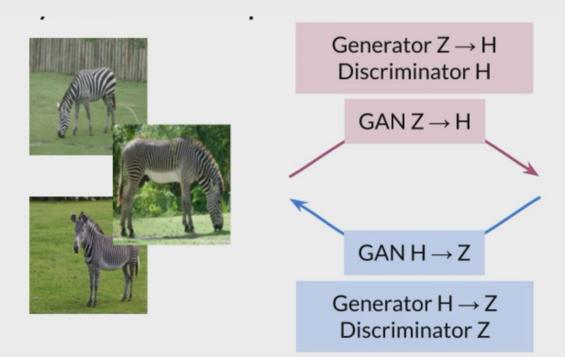
Two GANs



Two GANs

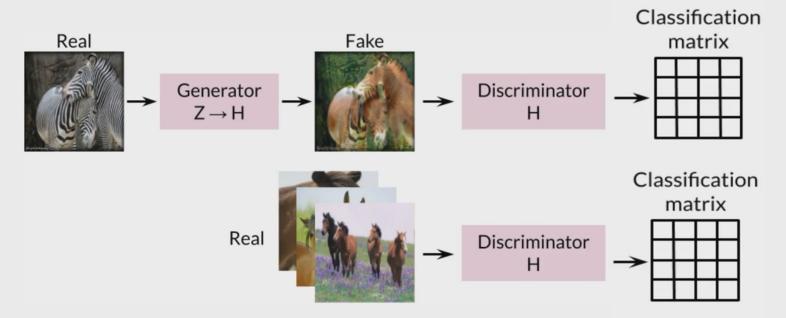
- Two GANs, four components
 - Two generators
 - Two discriminators

Two GANs

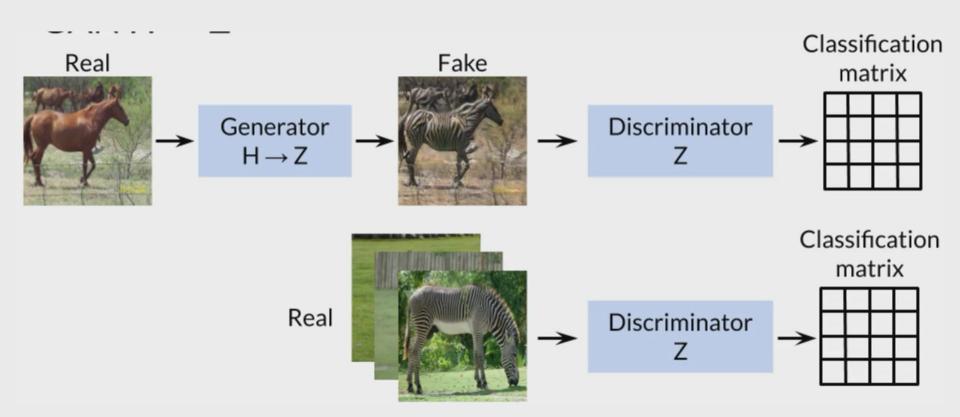




GAN Z to H



GAN H to Z



Cycle Consistency Loss

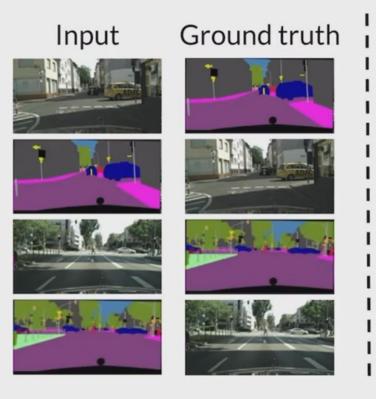


Cycle Consistency Loss is the sum of both directions

Cycle Consistency Loss

Adversarial Loss $+ \lambda * Cycle Consistency Loss$

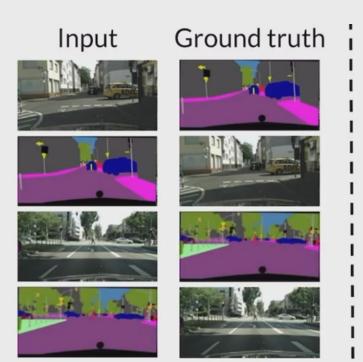
Ablation Studies





Without Adversarial GAN Loss, outputs are not realistic

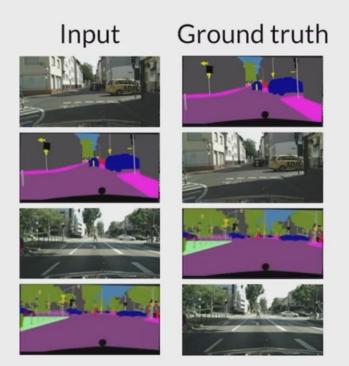
Ablation Studies



GANs alone

Without Cycle Consistency Loss, outputs show signs of mode collapse

Ablation Studies

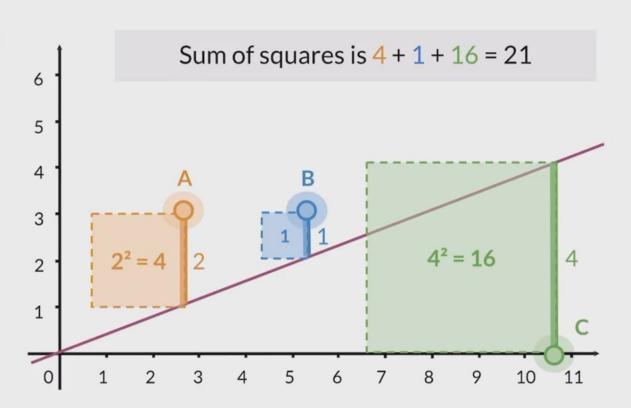




CycleGAN uses both
Adversarial Loss and
Cycle Consistency Loss

Adversarial Loss

Least Squares

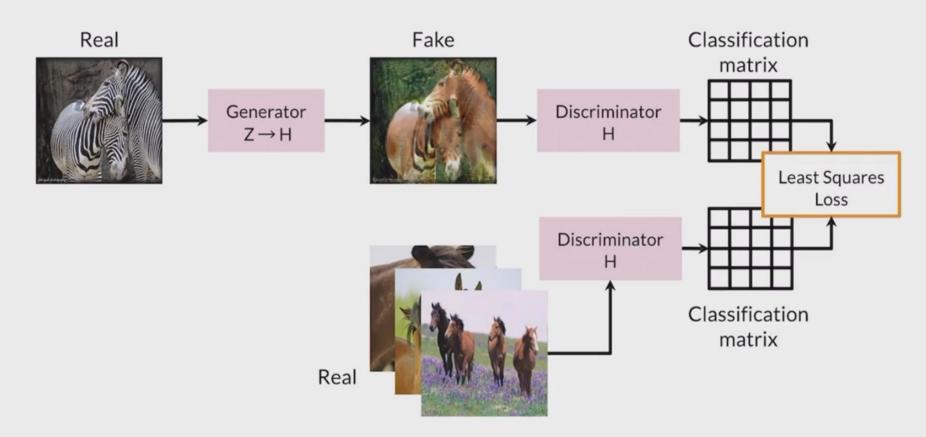


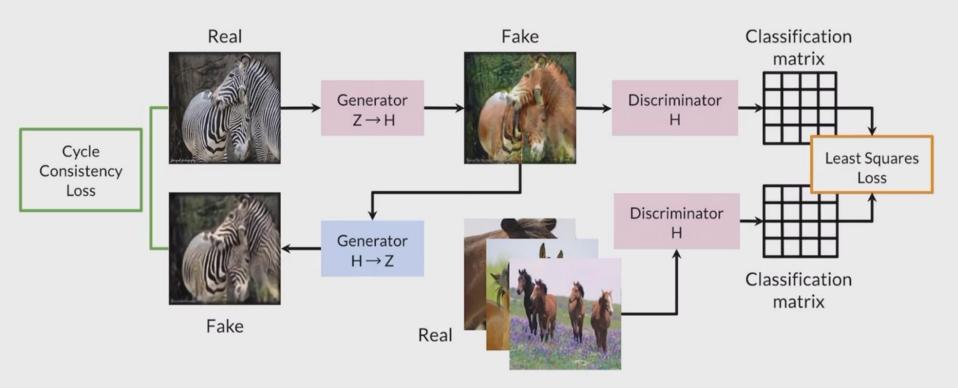
Adversarial Loss: Discriminator

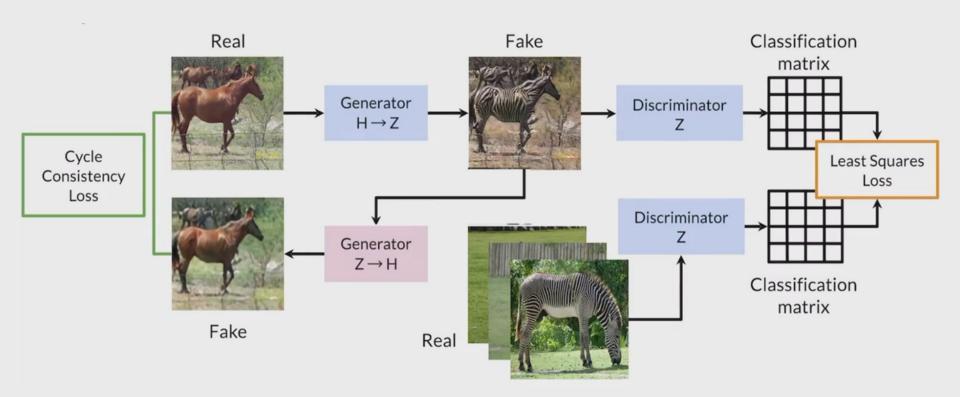
$$\mathbb{E}_{oldsymbol{x}}ig[(D(oldsymbol{x})-1)^2ig]+\mathbb{E}_{oldsymbol{z}}ig[(D(G(oldsymbol{z})))^2ig]$$

Generator Loss

$$\mathbb{E}_{oldsymbol{z}}ig[(D(G(oldsymbol{z}))-1)^2ig]$$







Identity Loss

