

Predictive Analysis of Temporal and Overlapping Community Structures in Social Media

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ABSTRACT

Digital media has some observable traces named communities. Several events such as split, merge, dissolve and survive happen to communities in social media. But what are significant features to predict these events? And to which extent a feature is relevant in a social media? To answer these questions, we perform a study on community evolution analysis and prediction. We employ three overlapping community detection (OCD) algorithms from literature to the case of time-evolving networks including social, email communication and co-authorship networks. Group evolution discovery (GED) technique is applied to track the identified communities. We compare structural properties of OCD algorithms and investigate most persistent communities over time. Furthermore, static and temporal features of a community are applied to build a logistic classifier for community evolution prediction (CEP). Results reveal important features to predict events happening to a community.

Keywords

Overlapping community detection; community evolution tracking; community evolution prediction

1. INTRODUCTION

People, agents and their interactions are the smallest part of social media and bigger components can be well described by (overlapping) communities [18, 16]. As a matter of fact, communities confront various transformations such as grow, shrink, merge, split, birth and death which are caused by inscribed and circumscribed effects [2, 17]. The internal and external effects imposed to a community are pretty much significant while their meso-scopic study provides the opportunity to seize a better understanding of their alterations and purposely control their evolution [2, 9]. In this regard, we aim to know more about significant features for community evolution prediction. Moreover, how the importance varies in the context of different social networks?

To find an answer for the questions, we apply three OCD algorithms named SLPA [19], DMID [16] and AFOCS [14] on Enron email communication, Facebook and DBLP networks in approximately ten-year temporal period. We track and extract the community events such as split, merge, dissolve and survive via comparing the evolution of overlapping communities over consecutive time steps. Furthermore, we build a logistic regression model based on static and dynamic structural properties of communities like centralities, density, (dis)assortative degree mixing and influential nodes. Moreover, we analyse properties of the most persistent community over all domains to observe how community features are changing over time. Results reveal prediction accuracy of the model along with the significance of features in the prediction task. Mainly the impact of community features very much depends on how to detect communities and the context of social media.

Contribution: **Community Evolution Prediction (CEP) and Extracting Significant Structural Features** We investigate the evolution of the most persistent community over time by calculating various measures. Moreover, three categories of node level, community level and selective features are considered for the prediction task. In fact, we identify the most influential properties of communities and reveal their importance in CEP. For instance, size of a community is the most significant feature for CEP for all the events (merge, split, dissolve, survive) over all social media domains. Finally, relation between how to detect communities and prediction accuracies are investigated.

Contribution: **Overlapping Community Detection and Graph Structures** For the first time, we apply OCD for CEP because they behave more realistic. In order to comprehend the relationship between the structural properties of community definition and prediction model, three OCD algorithms are used. Number of overlapping nodes, number of communities, average community sizes are compared. Moreover, their corresponding prediction accuracies are computed. Results indicate that significance of features for CEP highly depends on how to define and detect communities.

Contribution: **CEP and the Relation to Various Social Media** The case study uses multiple datasets from different domains to understand their effect. Social, email communication and co-authorship networks are among them. The purpose of using different data resources from various domains is to observe how the importance of features depend on the context of the communities. Results indicate

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<http://10.1145/2872518.2889292>.

Features	Definition and Description
LeaderRatio	ratio of leaders
LDegCen	leaders average Degree
LClosenessCentrality	leaders average closeness
LEigenCentrality	leaders average eigenvector
SizeRatio	$S_i^P = \frac{ V_i^P }{N}$: community size
Density	$D_i^P = \left[\frac{2 E_i^P }{ V_i^P (V_i^P -1)} \right]$
Cohesion	$C_i^P = \frac{\frac{2 E_i^P }{ V_i^P (V_i^P -1)}}{\frac{ E_i^{P'} }{ V_i^P (V_i^P - V_i^{P'})}}$
Clustering Coefficient	$CC(V) = \frac{\#\Delta}{\#Triples}$
Assortative Deg Mixing	$\rho = 1 - \left(\frac{6 \sum d^2}{V(V^2-1)} \right)$ d : rank diff
Degree Centrality	$D(u) = \frac{\text{deg}(u)}{\sum_{v=1}^{n-1} sh(u,v)}$
Closeness Centrality	$C(u) = \frac{n-1}{\sum_{v \neq u} sh(u,v)}$ sh : shortest path
EigenVector Centrality	$E(u) = \frac{1}{\lambda} \sum_{v=1}^{n-1} NA_{u,v} E(v)$
ΔLeaderRatio	change in leader ratio
ΔSizeRatio	change in size
ΔDensity	change in density
ΔCohesion	change in cohesion
ΔClustering Coefficient	change in clustering coefficient
ΔDegree Centrality	change in degree
ΔCloseness Centrality	change in closeness
ΔEigenVector Centrality	change in eigenvector centrality
Previous-Survive	survive as previous event?
Previous-Merge	merge as previous event?
Previous-Split	split as previous event?
Previous-Dissolve	dissolve as previous event?

Table 1: Features used for prediction.

that significance of features more or less vary in the context of different social media.

The rest of the paper is organized as follows. In section 2, we introduce necessary literature related to our work. Then, in section 3 we propose our approach and the applied features to CEP. In section 4, we discuss about the results. Finally, we conclude in section 5.

2. RELATED WORK

Our work combines two research areas and we address them separately.

(Overlapping) Community Detection Regarding structural perspective, OCD algorithms mainly can be divided into global [13] and local methods [19, 16]. Global methods investigate the whole network of users to discover communities, however, local approaches employ properties such as random walks [8], label propagation [16], influential nodes [16], cliques [5] and so on. For instance, SLPA as a local approach [19] considers memories for each node and applies speaker-listener rules for identifying labels of nodes and assigning them to overlapping communities.

OCD algorithms are also adaptive. Nonadaptive methods [19, 16] run the algorithm on each snapshot of the graph, sometimes leading to instability, long execution time and stagnating at a local optima while merely a small portion of the graph actually changes at each time step [15]. However, adaptive techniques simply seek for graph updates such as node and edge addage/removal in order to reduce the hassle

of computing from scratch [12]. For instance, AFOCS as an adaptive two-phase method, runs a static algorithm on the initial network topology by detecting local high density clusters while it inspects only the updated nodes/edges as the input to re-evaluate the communities [14]. To enhance the reliability of our results and as well investigate the effect of structural properties in community prediction, three OCD algorithms including non-adaptive (DMID [16] and SLPA [19]) and adaptive (AFOCS [14]) are taken into account.

Community Evolution Prediction (CEP) CEP has gained much attention recently [3, 6, 9, 17]. In this problem, we are interested to observe what would be the next status of a community. One of the early works was to model growth transformations [2]. [2] employs decision trees and characteristic values such as number of friends inside and outside the community, open/closed triads, responses on posts and so on, to probabilistically predict individuals leaving and joining. Goldberg *et al.* [7] applies a linear regression model to predict on lifespan using the community properties such as size, intensity and stability as it characterised by community longevity. Brodka *et al.* [3] applied machine learning classification on historical evolution of community as training data to predict its subsequent stage in the test data. This technique has been the crucial step in the research to predict community transition rather than network individuals. A similar approach was applied on predicting blogosphere evolution [6]. Furthermore, [10] presents a framework which supports analysing evolving communities, events and interactions in twitter. It as well employs community detection techniques along with their activity evolution to investigate community interaction patterns. There is a comparative study [17] which identifies prominent features of the network for community prediction. The technique applies a community similarity function to match the communities from one time step to another. It detects occurring changes such as form, merge, split, dissolve and survive .

3. COMMUNITY EVOLUTION PREDICTION

In this section, we explain the required notations, variables and as well describe our method for prediction of time-evolving and overlapping communities. We denote a network of a social media with graph $G^t = (V^t, E^t)$ in which V^t and E^t is the set of nodes and edges at time point t . Graphs consist of middle size overlapping data structures named communities in which each of them are denoted by C_i^t at time slot t . The communities overlap, hence, $C_i^t \cap C_j^t \neq \emptyset$. The aim of the framework is to reliably predict if the community structures would dissolve, split, merge or survive. We apply logistic regression as the prediction model. If we have m training examples like (x_i, y_i) in which $i \leq m$ and x_i and y_i are feature vectors and the class label of the model, the logistic regression hypothesis function is $h_\theta(x) = \frac{1}{1+\exp(-\theta^T * x)}$ in which θ is a vector indicating the parameters of our model. In CEP, we consider one versus all classification case, for instance, we consider *survive* as one class and all other states including *split*, *merge* and *dissolve* in the other class. In fact, we consider four binary classification problems, respectively $y = (\text{survive}, \text{notsurvive})$, $y = (\text{merge}, \text{notmerge})$, $y = (\text{split}, \text{notsplit})$ and $y = (\text{dissolve}, \text{notdissolve})$. For instance, *notdissolve* includes *survive*, *split*, *merge*.

Table 2: Comparisons of number (C), average size (AvgSize) of communities and number of overlapping members (Ovl) for SLPA, DMID and AFOCS on some datasets.

	SLPA C	SLPA AvgSize	SLPA Ovl	AFOCS C	AFOCS AvgSize	AFOCS Ovl	DMID C	DMID AvgSize	DMID Ovl
Karate Club	4	10.5	0.23	0	0	0	2	15	0.43
Dolphins	3	216	0.048	34	3.3	0.008	6	25.2	0.65
PolBlogs	5	245.4	0.002	823	148	0	15	1026.2	0.839
NetScience	407	4.1	0.1656	658	4.2	0.1	61	177.31	0.55
Power	737	9.9	0.40376	4256	2.1	0.076	569	462.8	0.96
CA-GrQc	954	6.9	0.24475	2683	3.9	0.038	263	654.7	0.8051
p2p-Gnutella08	230	18.24	0.50436	5274	2.39	0.04	614	573.4	0.6803

3.1 Community Mapping

GED method [4] is used to detect possible events occurring in a network. GED interprets the temporal network as a list of time frames with graphs leading to a successive event such as continuing, splitting, merging, dissolving, forming. GED applies an *Inclusion* measure that evaluates the inclusion of one group (or community) in another which is formulated using two quantitative and qualitative factors. The inclusion factor of a community C_i in snapshot t and another community C_j in snapshot $t+1$ is represented as $I(C_i^t, C_j^{t+1})$ and is calculated as,

$$I(C_i^t, C_j^{t+1}) = \frac{|C_i^t \cap C_j^{t+1}|}{|C_i^t|} \cdot \frac{\sum_{x \in C_i^t \cap C_j^{t+1}} NI(C_i^t(u))}{\sum_{u \in C_i^t} NI(C_i^t(u))} \quad (1)$$

where $NI(C^t(u))$ is the node indicator which is any statistical metric that evaluates the node's importance within a community.

3.2 Features for Prediction

As for the prediction task, we apply different set of structural features shown in the Table 1. We consider three sets of features including node level, community level and temporal features. Node level features are computed for most influential nodes named leaders. We consider nodes with the highest 20 percent eigenvector centrality values as leaders. Node level features consider static and dynamic centrality values of leader members. We also compute static and dynamic community level features such as density, cohesion, size, average clustering coefficient, degree and closeness centrality. Dynamic features indicate change in properties regarding two consecutive snapshot of a community. Previous state of a community is taken into account as a binary variable e.g. Previous-Dissolve checks if previous state of a community is dissolve. Prediction accuracy $\frac{(TP+TN)}{(P+N)}$ is applied to evaluate the test results. TP is true positive rate and TN is true negative rates in test runs.

Regarding preprocessing of datasets, the ground truth of the classes are extracted based on the GED mapping. In other words, we extract events including survive, merge, split and dissolve based on successive network snapshots. For instance, when we observe same community at time t and $t+1$ then we consider it as a survive event. As the result of the preprocessing, GED method detected 21 survive, 31 merge, 12 split and 24 dissolve events in the Enron dataset. GED also identified 51 survive, 288 merge, 156 split

and 8870 dissolve events for Facebook communities. Finally, 146 survive, 200 merge, 187 split and 3319 dissolve were labelled for communities in DBLP. We use existing filter in WEKA like SMOTE to synthetically balance the classes.

4 RESULTS

4.1 OCD Algorithm Properties

In this section, we discuss some properties of the algorithms DMID, SLPA and AFOCS on different datasets [11, 1] including Zachary karate club (34 nodes, 78 edges, social network), Dolphins (62 nodes, 159 edges, biological network), PolBlogs (1224 nodes, 19022 edges, Internet topology network), NetScience (1461 nodes, 2742 edges, collaboration network), Power Grid (4941 nodes, 6594 edges, Technical network), General Relativity (CA-GrQ) (5242 nodes, 28968 edges, collaboration network) and Gnutella (6301 nodes, 20777 edges, peer-to-peer network). Table 2 indicates number of found communities (C), average community size (AvgSize) and percentage of overlapping nodes (Ovl). As it can be observed, percentage of overlapping nodes for DMID algorithm for almost all of the datasets including Karate Club (0.43), Dolphins (0.65), PolBlogs (0.839), NetScience (0.55), PowerGrid (0.96), CA-GrQc (0.8051) and Gnutella (0.55) is more than other two algorithms; SLPA with respectively 0.23, 0.048, 0.002, 0.1656, 0.40376, 0.24475 and 0.504 and AFOCS with respectively 0, 0.008, 0, 0.1, 0.076, 0.038, 0.04. This indicates that DMID detects communities with high overlapping part without tending to merge them. Hence, DMID has higher average community sizes than SLPA and AFOCS. For Dolphins, PolBlogs NetScience, Power, CA-GrQc and p2p-Gnutella08, AFOCS detects respectively 34, 823, 658, 4256, 2683 and 5274 communities which are more than number of communities in comparison to DMID with respectively 6, 15, 61, 569, 263 and 614 and SLPA respectively with 3, 5, 407, 737, 954 and 230 communities on these datasets. This as well confirms that AFOCS prefers to form more overlapping communities than SLPA and DMID.

4.2 Properties of the persistent community

Moreover, we analyse the largest persistent community for different datasets and algorithms. Structural features mentioned in Table 1 are considered for this. Each of the algorithms in Figure 1 has its own legend. Regarding email network, DMID, AFOCS and SLPA experience the most persistent community of longevity 5. Stabilities of detected communities are somehow similar for the longest persistent community in the Enron email network. Moreover, com-

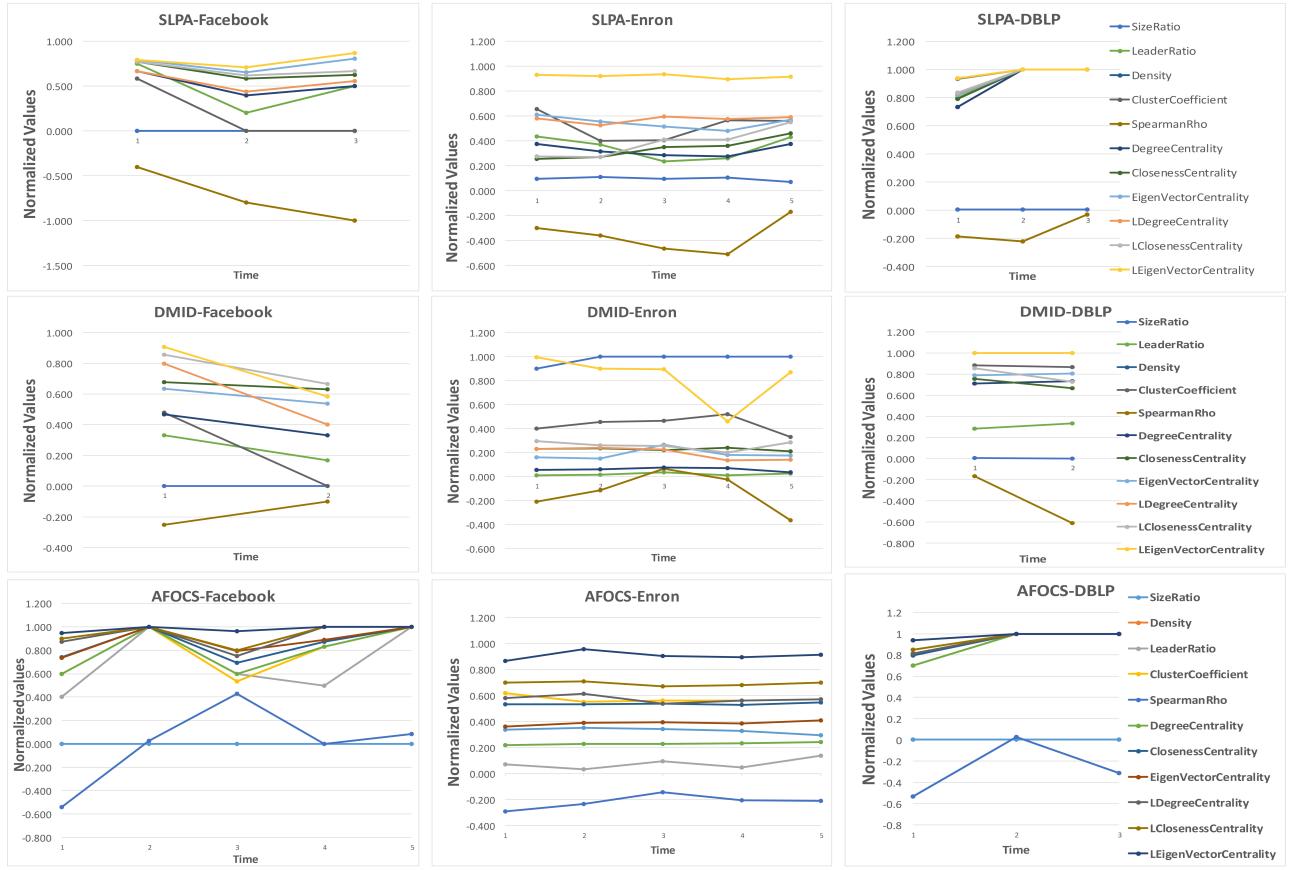


Figure 1: Different properties of the longest persistent community on different datasets based on the algorithms

munity properties are quite similar. Only SpearmanRho measure is low and somehow fluctuating in all three cases in the Enron network. This indicates that the most persistent community has disassortative degree mixing property. Therefore, disassortative degree mixing is significant for community continuation (disappearing).

Regarding the Facebook dataset, DMID, SLPA and AFOCS resulted in 2, 3 and 5 most persistent communities. This is somehow compliant with the results in Table 2 in which DMID detects bigger communities with more overlap. Due to smaller community sizes detected by AFOCS, it leads to the longest persistent community of length 5. Range of property values for DMID, SLPA and AFOCS are quite different because their persistent communities are different and would possess divergent property values.

Regarding DMID and SLPA, properties are more divergent and fluctuating in comparison to AFOCS. All of them experience high disassortative degree mixing with AFOCS having highest fluctuation of disassortative degree mixing. For DBLP also all the algorithms have smaller longevity for most persistent community with SLPA (3), DMID (2) and AFOCS (3) while most of people co-author with few people and smaller communities form. The property values for DMID are quite divergent in comparison to SLPA and AFOCS. The community has negative assortative degree mixing with abrupt fluctuations before disappearing.

4.3 Community Evolution Prediction

4.3.1 Community Prediction Accuracy

In this section, results of the prediction task are shown in Table 3 and we enumerate the important features in CEP for each of the events happening to the community. Prediction accuracies are only shown for selective features based on a wrapper method available in WEKA data mining tool library. Because they lead to better prediction accuracies so we only consider them in our discussion. Regarding Facebook, the highest prediction value for the survive event can be observed for AFOCS (82.35). This is also compliant with the results in Table 2 in which AFOCS detects smaller communities. Smaller communities are more likely to survive than bigger ones. Regarding dissolve (dead) event in Facebook, DMID has a prediction accuracy of 78.57 which is higher than selective features of SLPA-Facebook (72.82) and AFOCS-Facebook (63.28). This is because DMID detects bigger communities with more overlap than AFOCS and SLPA. So bigger communities have higher tendency to dissolve (die) than small communities. Regarding merge, SLPA-Facebook (67.83), DMID-Facebook (67.22) and AFOCS-Facebook (65.02) have approximately similar prediction accuracies regarding the merge event. Because small and big communities have similar tendency for the merge event. Finally for split, SLPA-Facebook has the prediction accuracy

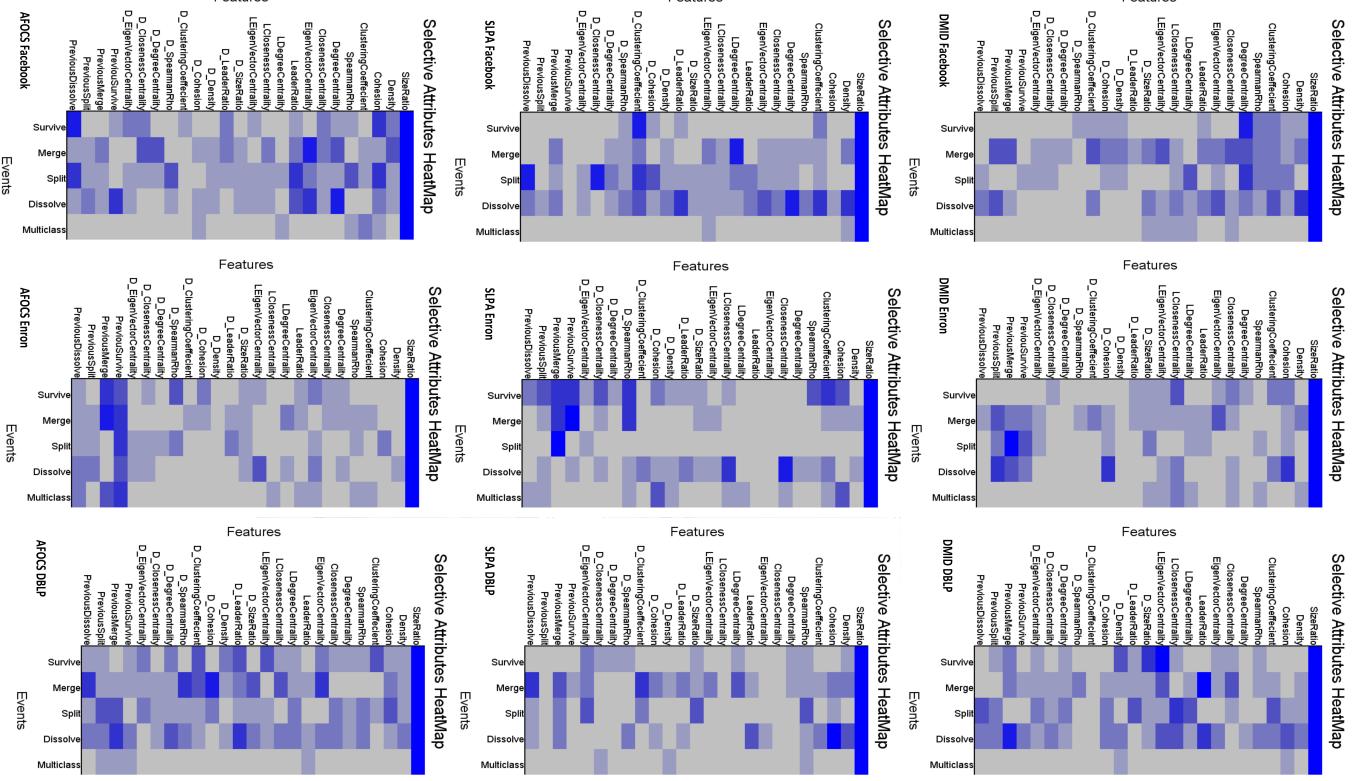


Figure 2: Comparison of important features.

of 77.94 which is higher than DMID-Facebook (63.75) and AFOCS-Facebook (66.03).

As for DBLP and the survive event, DMID (82.14) leads to higher accuracy in comparison to SLPA (67.16) and AFOCS (55.99). As for dissolve, SLPA (67.2) and DMID (66.42) are higher than AFOCS (55.99). As for merge, DMID (66.76) can better predict happening of merge event in comparison to SLPA (64.78) and AFOCS (63.62). Finally, DMID (74.29) has higher prediction accuracy in comparison to SLPA (65.56) and AFOCS (67.78) for split event. Communities in the DBLP dataset are inherently small and componentized, therefore, DMID might detect more realistic size communities and lead to higher prediction in all the events.

Regarding Enron dataset and the survive event, we have a little different pattern with DMID (88.71) and SLPA (76.92) and AFOCS (82.14). As for dissolve, SLPA (93.75) has higher prediction accuracy than DMID (88.64) and AFOCS (79.17). As for merge, DMID (95.59) has higher prediction accuracy in comparison to SLPA (78.79) and AFOCS (74.56). As for split, DMID (88.71) as well yields better prediction accuracy in comparison to SLPA (83.33) and AFOCS (81.25). In general DMID algorithm has higher prediction accuracy for Enron and DBLP datasets in all events. Moreover, its prediction accuracy for Facebook regarding dissolve and merge events is high and competitive. On the other end, use of AFOCS leads to smaller and more stable communities over time. Results indicate that prediction of community structures highly depends on how to detect communities. In other words, the same set of features lead to different pre-

diction accuracies when considering different ways of identifying communities.

4.3.2 Comparison of features

Figure 2 shows heat map of the features which are used for the prediction task. It can be observed for all of the events and all of the algorithms, size of the community is an important feature for CEP. Regarding Facebook and DMID algorithm, in most of the events centrality measures and temporal features play important role. Change in leader ratio is also important in dissolve event relating to SLPA. With AFOCS algorithm, one can observe that not only centrality measures but also the ratio of influential nodes and assortative degree mixing are more important. Assortative degree mixing provides good indicators in survive and merge of communities. For Facebook which is a social network, AFOCS provides a various range of features for the prediction task. As for Enron, only eigenvector centrality in dissolve is important. For SLPA with Enron, measures like cohesion, closeness centrality, size and density of a community are important in survive and merge events. Regarding split and dissolve only centrality and change in size of community play important role in prediction. Here, AFOCS is more similar to the SLPA and approximately the same set of features play important role.

As for DBLP and DMID algorithm, centrality measures and temporal features play important role for survive. Regarding merge, leader ratio is important. For split centrality measures and for dissolve leader ratio and temporal features are more important. As for SLPA, the situation is a little bit different and cohesion, previous merge and centrality

Table 3: Community prediction accuracy

	Survive	Dissolve	Merge	Split
SLPA-Facebook	75	72.82	67.83	77.94
DMID-Facebook	78.57	78.57	67.22	63.75
AFOCS-Facebook	82.35	63.28	65.02	66.03
SLPA-Enron	76.92	93.75	78.79	83.33
DMID-Enron	88.71	88.64	95.59	88.71
AFOCS-Enron	82.14	79.17	74.56	81.25
SLPA-DBLP	67.16	67.2	64.78	65.56
DMID-DBLP	82.14	66.42	66.76	74.29
AFOCS-DBLP	55.99	55.99	63.62	67.78

measures are important for survive. Regarding merge, centrality measure, clustering coefficient and previous merge play important role. As for split, cohesion, eigenvector centrality and leader closeness centrality are important. Centrality measures and temporal features play important role for dissolve. Regarding AFOCS in merge and survive, temporal features like change in cohesion, previous survive and previous merge are important. Regarding split, density and previous merge and for dissolve temporal features are important. Altogether, the importance of features are different in various social media and even with different algorithms. In other words, the importance of the features for the prediction task of each event and dataset very much depends on how to detect communities.

5. CONCLUSION

In this paper, we apply static and dynamic community and node level features to the case of community evolution prediction problem. First, significant features are identified for each separate event happening to the community. Size ratio is the most important feature to predict events happening to communities. Second, results indicate that community fate prediction depends on how to detect communities and dynamics of OCD algorithm. We would like to further explore the results with other algorithms and other social media e.g. open source developer and learning networks. Finally, further fine-grained investigation needs to be done for each of social media to justify observed effects.

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