Deep Reinforcement Learning and Control

# Learning from demonstrations and task rewards

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## Learning from demonstrations

### **Pros**

- Can much accelerate trial-and-error learning by suggesting good actions to try
- Can help us train initial safe policies, to deploy in the real world

### Cons

- Time consuming
- May include suboptimal, noise and diverse ways to perform the task
- When you imitate, you cannot surpass the "expert".

## Learning from task rewards

### **Pros**

- Cheap supervision
- Optimizes the right end task, as encoded in the task rewards

### Cons

- Super sample inefficient impossible to have in the real world right now
- Initial policy is random thus unsafe to deploy in the real world

#### Goals

- More sample efficient that RL alone
- Good/safe initial performance
- Outperform the human expert

### Challenges for kinesthetic demonstrations

Handling expert sub optimality

### Additional challenges for learning from video demonstrations

- requires visual perception
- requires handling mismatch between imitator and demonstrator action spaces

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### Challenges for kinesthetic demonstrations

Handling expert sub optimality

Additional challenges for learning from video demonstrations

- requires visual perception
- requires handling mismatch between imitator and demonstrator action spaces

- Initialize the replay buffer with demos (which will be later either removed, or kept forever) and start your model-free RL method
- Pre-train the model-free RL method (a policy and a consistent with it value function) with a demonstration only buffer, then fine-tune it.
- Combine imitation and task rewards
- Exploit the temporal structure, and step progressively earlier and earlier in time along a trajectory, to solve progressively longer horizon tasks, as opposed to solving them at once.

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# Learning Montezuma's Revenge from a Single Demonstration

Tim Salimans
OpenAI, Google Brain

Richard Chen
OpenAI, Happy Elements Inc.

- What makes model-free RL hard is distant in time and sparse rewards
- Insights:
  - Do not imitate the trajectory actions! Just reset from a state along the trajectory instead from the initial state.
  - Reset progressively earlier in time. Make the task easier to solve by decomposing it into a curriculum of subtasks requiring short action sequences.

### The hopelessness of learning from distant rewards

Imagine we need 5 steps till the first reward (getting a key).

```
p(\text{get first key}) = p(\text{get down ladder 1}) * p(\text{get down rope}) * 
p(\text{get down ladder 2}) * p(\text{jump over skull}) * p(\text{get up ladder 3}).
```

Taking uniformly random actions (naive exploration) in Montezuma's Revenge only produces a reward about once in every half a million steps. This probability decreases

- as the number of actions increases and
- the time-horizon till reward increases.

#### reset to a state from the demo

#### Algorithm 1 Demonstration-Initialized Rollout Worker

```
1: Input: a human demonstration \{(\tilde{s}_t, \tilde{a}_t, \tilde{r}_t, \tilde{s}_{t+1}, \tilde{d}_t)\}_{t=0}^T, number of starting points D, effective
    RNN memory length K, batch rollout length L.
 2: Initialize starting point \tau^* by sampling uniformly from \{\tau - D, \dots, \tau\}
 3: Initialize environment to demonstration state \tilde{s}_{\tau^*}
 4: Initialize time counter i = \tau^* - K
 5: while TRUE do
         Get latest policy \pi(\theta) from optimizer
 6:
         Get latest reset point \tau from optimizer
 7:
 8:
         Initialize success counter W = 0
         Initialize batch \mathcal{D} = \{\}
 9:
         for step in 0, \ldots, L-1 do
10:
             if i > \tau^* then
11:
                  Sample action a_i \sim \pi(s_i, \theta)
12:
13:
                   Take action a_i in the environment
                  Receive reward r_i, next state s_{i+1} and done signal d_{i+1}
14:
15:
                  m_i = \text{TRUE}
                                                                                          ▶ We can train on this data
                                                     ▶ Replay demonstration to initialize RNN state of policy
              else
16:
                  Copy data from demonstration a_i = \tilde{a}_i, r_i = \tilde{r}_i, s_{i+1} = \tilde{s}_{i+1}, d_i = d_i.
17:
                  m_i = \text{FALSE}
                                                                ▶ We should mask out this transition in training
18:
              end if
19:
              Add data \{s_i, a_i, r_i, s_{i+1}, d_i, m_i\} to batch \mathcal{D}
20:
              Increment time counter i \leftarrow i+1
21:
              if d_i = \text{TRUE} then
22:
                  if \sum_{t \geq \tau^*} r_t \geq \sum_{t \geq \tau^*} \tilde{r}_t then W \leftarrow W + 1
                                                                                                   ▶ As good as demo
23:
24:
25:
                  Sample next starting starting point \tau^* uniformly from \{\tau - D, ..., \tau\}
26:
27:
                   Set time counter i \leftarrow \tau^* - K
28:
                  Reset environment to state \tilde{s}_{\tau^*}
              end if
29:
30:
         end for
         Send batch \mathcal{D} and counter W to optimizer
32: end while
```

#### Algorithm 2 Optimizer

# Reset time point to earlier in time

Solve the subtask from  $\tau$  till T with standard model-free RL

I do not start from scratch!
I start from the policy
learnt from the previous
time segment

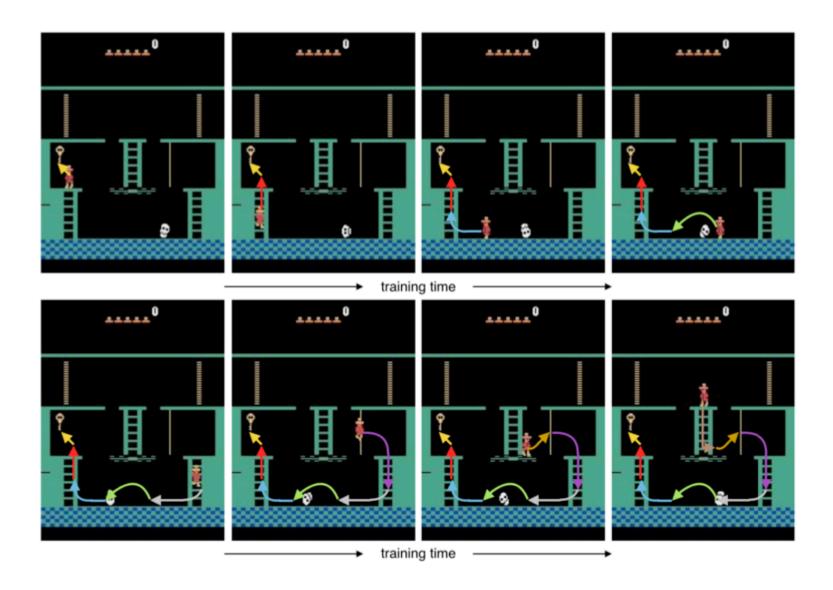


Figure 1: Impression of our agent learning to reach the first key in Montezuma's Revenge using RL and starting each episode from a demonstration state. When our agent starts playing the game, we place it right in front of the key, requiring it to only take a single jump to find success. After our agent has learned to do this consistently, we slowly move the starting point back in time. Our agent might then find itself halfway up the ladder that leads to the key. Once it learns to climb the ladder from there, we can have it start at the point where it needs to jump over the skull. After it learns to do that, we can have it start on the rope leading to the floor of the room, etc. Eventually, the agent starts in the original starting state of the game and is able to reach the key completely by itself.

Approach	Score
Count-based exploration (Ostrovski et al. [2017])	3,705.5
Unifying count-based exploration (Bellemare et al. [2016])	6,600
DQfD (Hester et al. [2017])	4,739.6
Ape-X DQfD (Pohlen et al. [2018])	29,384
Playing by watching Youtube (Aytar et al. [2018])	41,098
Ours	74,500

Table 1: Score comparison on Montezuma's Revenge

- Initialize the replay buffer with demos (which will be later either removed, or kept forever) and start your model-free RL method
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# Off-policy RL

- Off-policy RL learns from data collected under a behavioral policy different than the current policy. In what we have seen thus far, "offpolicy" transitions are generated from earlier versions of the current policy, they are thus heavily correlated to the current policy. Not that much off-policy after all.
- Batch RL learns from a fixed experience buffer that does not grow with data collected from a near on policy exploratory policy. This is truly offpolicy..

Thing to remember: off-policy RL (e.g., Q learning or DDPG)do not work with truly off policy experience tuples.

### Off-policy model-free RL from demonstrations

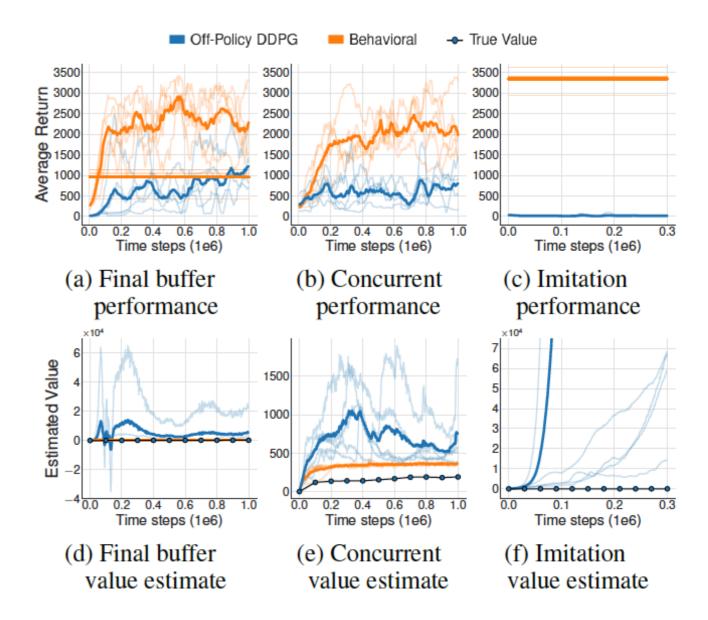
- Problem with this?
- Convergence of off-policy methods relies on the assumption of visiting each (s,a) pair infinitely many times. Demonstrations are highly biased transitions of the environment, and violate that assumption.
- The states and actions in the demonstrations generally have higher Q-values than other states and actions. Q-learning will push up Q(s; a) in a sampled state s. However, since the values or the bad actions are not observed, the Q-function has no way of knowing whether the action itself is good, or whether all actions in that state are good, so the demonstrated action will not necessarily have a higher Q-value than other actions in the demonstrated state.

# Truly off policy RL does not work

Final buffer: We train a DDPG agent for 1 million time steps, adding N (0, 0.5) Gaussian noise to actions for high exploration, and store all experienced transitions. This collection procedure creates a dataset with a diverse set of states and actions, with the aim of sufficient coverage.

Concurrent: We concurrently train the off-policy and behavioral DDPG agents, for 1 million time steps. To ensure sufficient exploration, a standard N (0, 0.1) Gaussian noise is added to actions taken by the behavioral policy. Each transition experienced by the behavioral policy is stored in a buffer replay, which both agents learn from. As a result, both agents are trained with the identical dataset.

Imitation: A trained DDPG agent acts as an expert, and is used to collect a dataset of 1 million transitions, and populates a buffer, from which the off policy agent learns.



- DDPG (behavioral): (what we have seen in the course) a DDPG policy based on which
  actions are selected (with small exploration noise) and the experience buffer is populated
- (Truly) Off-policy DDPG: a DDPG policy that uses experience tuples from the buffer, it does not influence in any way the data collected in the buffer

Conclusion: The DDPG update rule does not work anymore when used on data NOT collected based on the exploratory version of the policy.

- Initialize the replay buffer with demos (which will be later either removed, or kept forever) and start your model-free RL method
- Pre-train the model-free RL method with a demonstration only buffer, then fine-tune it using both demo+reinforcement
- Combine imitation and task rewards
- Exploit the temporal structure, and step progressively earlier and earlier in time along a trajectory, to solve progressively longer horizon tasks, as opposed to solving them at once.

# Idea: add a supervised margin loss

Standard DQN loss: 
$$\mathcal{L}_{QL}(Q) = \left[ \underbrace{\left[ R(s,a) + \gamma \max_{a'} Q(s',a') \right] - Q(s,a)}_{\text{target}} \right]^2$$

The margin loss ensures the expert action has higher Q (by a margin) than the rest of the actions.

$$\mathcal{L}_{margin}(Q) = \left( \max_{a \in A} [Q(s, a) + \ell(a_E, a)] - Q(s, a_E) \right)^2$$

$$\ell(a_E, a_E) = 0$$
 and  $\ell(a_E, a) > 0$ ,  $a \neq a_E$ 

This extra loss permits to pretrain solely on demo buffer in the beginning (truly off policy)

Deep Q learning from demonstrations, Hester et al.

## V1.0: add a margin loss

#### Algorithm 1 Deep Q-learning from Demonstrations.

1: Inputs:  $\mathcal{D}^{replay}$ : initialized with demonstration data set,  $\theta$ : weights for initial behavior network (random),  $\theta'$ : weights for target network (random),  $\tau$ : frequency at which to update target net, k: number of pre-training gradient updates

```
gradient updates
for steps t ∈ {1, 2, ... k} do
Sample a mini-batch of n transitions from D<sup>replay</sup> with prioritization
Calculate loss J(Q) using target network
Perform a gradient descent step to update θ
if t mod τ = 0 then θ' ← θ end if
end for
for steps t ∈ {1, 2, ...} do
Sample action from behavior policy a ~ π<sup>εQθ</sup>
Play action a and observe (s', r).
```

10: Play action a and observe (s', r). 11: Store (s, a, r, s') into  $\mathcal{D}^{replay}$ , overwriting oldest self-generated transition if over capacity

12: Sample a mini-batch of n transitions from  $\mathcal{D}^{replay}$  with prioritization

13: Calculate loss J(Q) using target network

14: Perform a gradient descent step to update  $\theta$ 

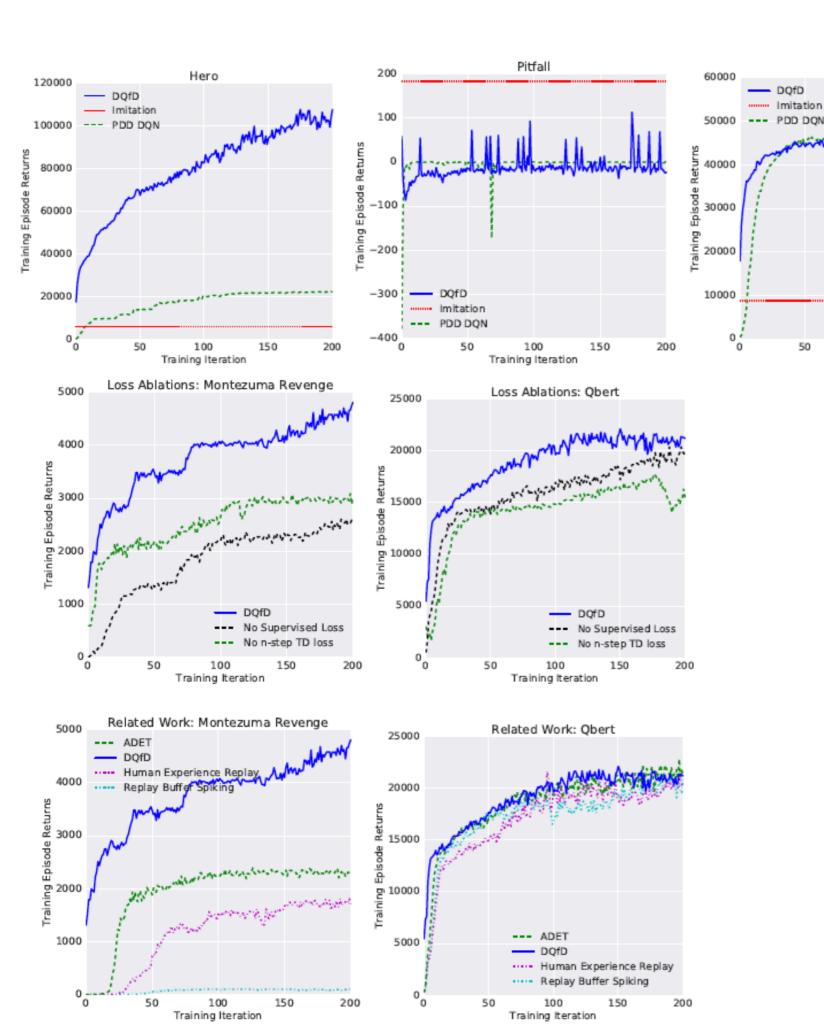
15: if  $t \mod \tau = 0$  then  $\theta' \leftarrow \theta$  end if

16:  $s \leftarrow s'$ 

17: end for

Pretraining only with demos (using DQN and classification losses)

Fine-tuning jointly with demo+self generated transition in the replay buffer



Outperforms both RL alone (PDD DQN) and imitation alone

Margin loss essential

150

Road Runner

Training Iteration

Outperforms both just initializing the replay buffer with demos (RBS) as well as keeping demos around in the buffer (HER).

Deep Q learning from demonstrations, Hester et al.

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# Reinforcement and Imitation Learning for Diverse Visuomotor Skills

Yuke Zhu<sup>†</sup> Ziyu Wang<sup>‡</sup> Josh Merel<sup>‡</sup> Andrei Rusu<sup>‡</sup> Tom Erez<sup>‡</sup> Serkan Cabi<sup>‡</sup> Saran Tunyasuvunakool<sup>‡</sup> János Kramár<sup>‡</sup> Raia Hadsell<sup>‡</sup> Nando de Freitas<sup>‡</sup> Nicolas Heess<sup>‡</sup> <sup>†</sup>Computer Science Department, Stanford University, USA <sup>‡</sup>DeepMind, London, UK

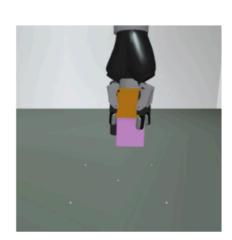
Input: 30 kinesthetic trajectories (sequences of (s,a,r)) for each of the tasks.



block lifting



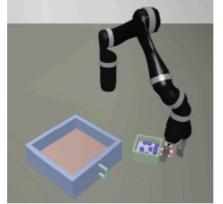
block stacking



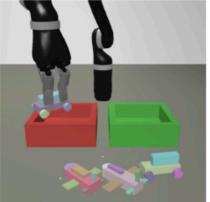
clearing table with blocks



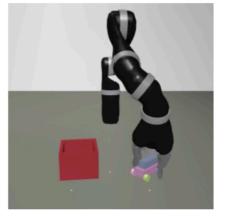
block lifting (real)



pouring liquid



order fulfillment



clearing table with a box



block stacking (real)

# Reinforcement and Imitation Learning for Diverse Visuomotor Skills

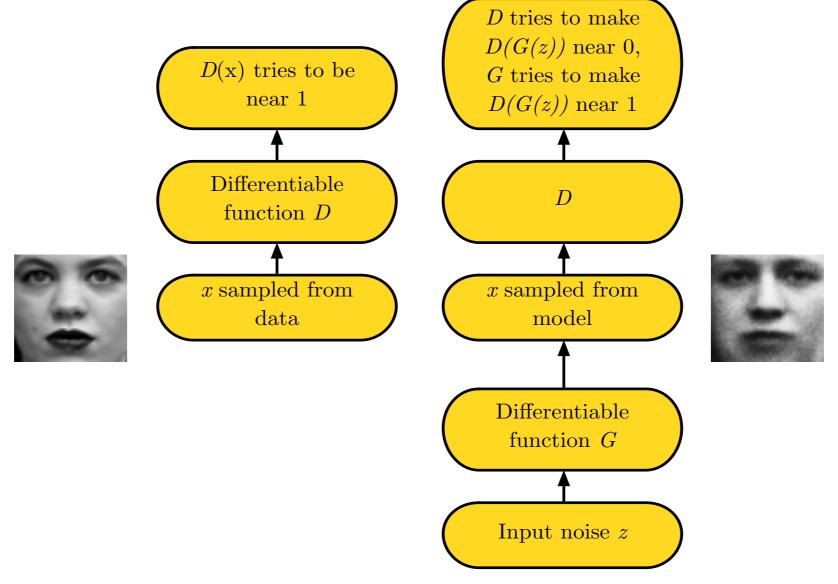
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- Start episodes by setting the world in states of the demonstration trajectories. Have we seen this before?
- Combine imitation and task rewards
- Asymmetric actor-critic: the value network takes as input the low-dim state
  of the system and the policy is trained from pixels. What is the benefit of
  this?
- Co-train the policy CNN with auxiliary tasks: map images to object locations with regression and minimize L2 loss. Any object detection/semantic labelling task would work, e.g., learning to detect the robot's gripper is also a useful auxiliary task for training the visual features.
- Sim2REAL via domain randomization.

## Combining imitation and task rewards

$$r(s, a) = \lambda r_{GAIL}(s, a) + (1 - \lambda) r_{task}(s, a), \quad \lambda \in [0, 1].$$

### Generative adversarial networks



(Goodfellow 2016)

$$\min_{G} \max_{D} V(D, G) = \mathbb{E}_{x \sim p_{data}(x)}[\log D(x)] + \mathbb{E}_{z \sim p_{z}(z)}[\log(1 - D(G(z)))]$$

### **Generative Adversarial Imitation Learning**

#### Jonathan Ho

Stanford University hoj@cs.stanford.edu

#### Stefano Ermon

Stanford University ermon@cs.stanford.edu

#### NIPS 2016

#### Algorithm 1 Generative adversarial imitation learning

- 1: **Input:** Expert trajectories  $\tau_E \sim \pi_E$ , initial policy and discriminator parameters  $\theta_0, w_0$
- 2: **for**  $i = 0, 1, 2, \dots$  **do**
- 3: Sample trajectories  $\tau_i \sim \pi_{\theta_i}$
- 4: Update the discriminator parameters from  $w_i$  to  $w_{i+1}$  with the gradient

$$\hat{\mathbb{E}}_{\tau_i}[\nabla_w \log(D_w(s, a))] + \hat{\mathbb{E}}_{\tau_E}[\nabla_w \log(1 - D_w(s, a))]$$
(17)

5: Take a policy step from  $\theta_i$  to  $\theta_{i+1}$ , using the TRPO rule with cost function  $\log(D_{w_{i+1}}(s,a))$ . Specifically, take a KL-constrained natural gradient step with

$$\hat{\mathbb{E}}_{\tau_i} \left[ \nabla_{\theta} \log \pi_{\theta}(a|s) Q(s,a) \right] - \lambda \nabla_{\theta} H(\pi_{\theta}),$$
where  $Q(\bar{s}, \bar{a}) = \hat{\mathbb{E}}_{\tau_i} \left[ \log(D_{w_{i+1}}(s,a)) \mid s_0 = \bar{s}, a_0 = \bar{a} \right]$ 
(18)

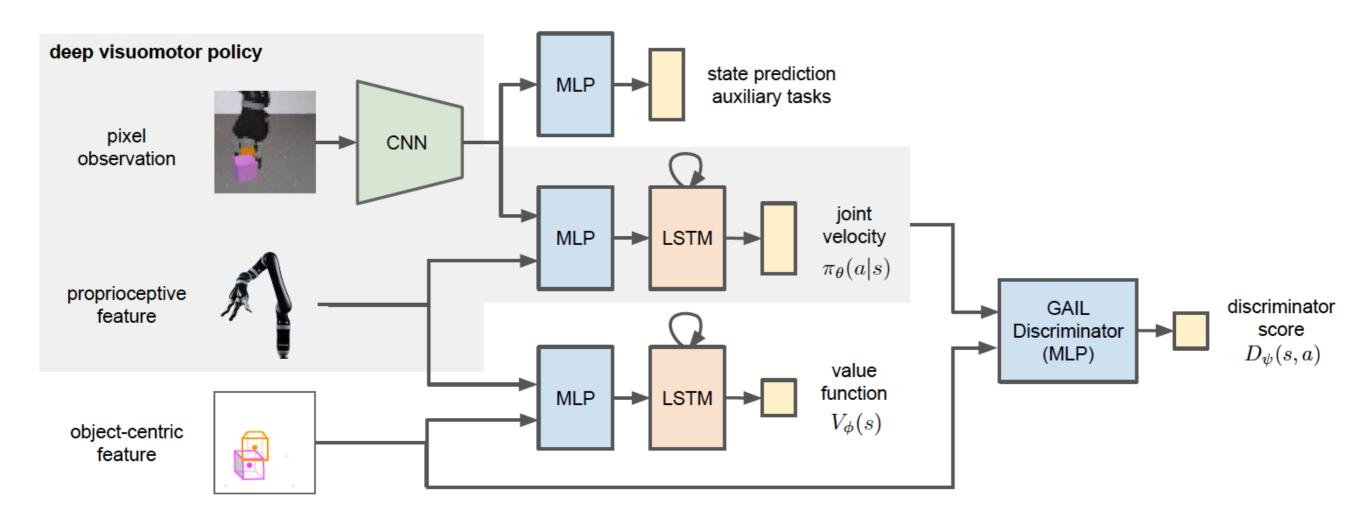
6: end for

# Combining imitation and task rewards

$$\min_{G} \max_{D} V(D, G) = \mathbb{E}_{x \sim p_{data}(x)}[\log D(x)] + \mathbb{E}_{z \sim p_{z}(z)}[\log(1 - D(G(z)))]$$

$$r(s, a) = \lambda r_{GAIL}(s, a) + (1 - \lambda) r_{task}(s, a), \quad \lambda \in [0, 1].$$

$$r_{GAIL}(s, a) = -\log(1 - D(s, a))$$



The discriminator takes as input (s,a) tuples and predicts whether they come from a demonstration or the trained policy.

The state only contains the object state, not the gripper state, why?

