

## 1 Q1

Possible to use the **var-decl** rule as well instead of manually checking that  $i$  is not in context.

$$\frac{\begin{array}{c} \Gamma \vdash_e e0 : int \quad \forall_{\tau'} : (l, i : \tau') \notin \Gamma \\ \Gamma, (l, i : int) \vdash_e e1 : bool \quad \Gamma, (l, i : int) \vdash_s s1 \\ \Gamma, (l, i : int) \vdash_{sl} s2 \end{array}}{\Gamma \vdash_s \text{for } (int\ i = e0; e1; s1)\ s2}$$

## 2 Q2

Assume  $\Gamma' = \{(return : int[]) , (y : int[])\}$  and  $\Gamma = \{(return : int[])\}$

$$\frac{\begin{array}{c} \frac{\overline{\Gamma' \vdash_e 2 : int}}{\Gamma' \vdash_e \text{new } int[2] : \tau} \quad \frac{\frac{(l, y : int[]) \in \Gamma'}{\Gamma' \vdash_e y : \tau_1[]} \quad \frac{\overline{\Gamma' \vdash_e 1 : int} \quad \overline{\Gamma' \vdash_e 1 : int} \quad \overline{int \prec int}}{\Gamma' \vdash_e 1 : \tau_2} \quad \frac{\overline{int \prec int}}{\tau_2 \prec \tau_1} \quad \frac{A}{\Gamma' \vdash_s \text{return } y} \quad \frac{\overline{\Gamma' \vdash_{sl} \epsilon}}{\Gamma' \vdash_{sl} \text{return } y;} \\ \hline \Gamma' \vdash_s \text{new } int[2] \quad \Gamma' \vdash_s y[1] = 1 \quad \Gamma' \vdash_{sl} y[1] = 1; \text{return } y; \\ \hline \Gamma' \vdash_{sl} y = \text{new } int[2]; y[1] = 1; \text{return } y; \\ \forall_{\tau'} : (l, y : \tau') \notin \Gamma \end{array}}{\Gamma \vdash_{sl} int[]\ y; y = \text{new } int[2]; y[1] = 1; \text{return } y;}$$

*Rest for A*

$$\frac{(l, y : int[]) \in \Gamma' \quad (return : int[]) \in \Gamma' \quad int[] \prec int[]}{\Gamma' \vdash_e y : \tau_1 \quad (return : \tau_2) \in \Gamma' \quad \tau_1 \prec \tau_2}$$