Department of Electrical,
Computer, & Biomedical Engineering
Faculty of Engineering
& Architectural Science

ELE 532
Signals & Systems I

Laboratory Assignment 1

Working with MATLAB Functions, Visualization of Signals, and Signals Properties

Objective

In Lab 1 you will work with simple MATLAB functions and explore key MATLAB features such as *algorithm vectorization* and *array indexing*. You will use MATLAB to operate on signals and will visualize the effects of these operations.

Preparation

Read *Lathi, Section B.7 MATLAB: Elementary Operations*, pp. 42–53 and *Lathi, Chapter 1*, sections 1–5, pp. 64–95. Note that MATLAB has an extensive on-line help facility; you can obtain help on the MATLAB command you want to use by typing

`>> help` *command*

at the MATLAB prompt. You can also access all on-line MATLAB manuals and documentation either by selecting *Help/Product Help* from the menu bar or by typing

`>> doc`

at the MATLAB prompt.

Lab Assignment

A. Anonymous functions and plotting continuous functions

Problem A.1 [0.5 Marks] Section 1.11-1, page 126. Generate and plot the graphs as shown in Figures 1.46 and 1.47 on page 127.

Problem A.2 [1 Mark] Plot the function e^{-t} for t taking on integer values contained in $-2 \leq t \leq 2$; you can generate these values using the MATLAB command `tt=[-2:2]`.

Problem A.3 [0.5 Marks] Compare the results of Problem A.2 with Figure 1.46 in Problem A.1.

B. Time shifting and time scaling

Problem B.1 [1 Mark] Section 1.11-2, page 128. Generate and plot $p(t)$ as shown in Figure 1.50 on page 129.

Problem B.2 [2 Marks] Use $p(t)$ defined in Problem B.1 to generate and plot functions $r(t) = tp(t)$ and $n(t) = r(t) + r(-t + 2)$.

Problem B.3 [2 Marks] Plot the following two signals: $n_1(t) = n(\frac{1}{2}t), n_2(t) = n_1(t + \frac{1}{2})$.

Problem B.4 [2 Marks] Plot the following two signals: $n_3(t) = n(t + \frac{1}{4}), n_4(t) = n_3(\frac{1}{2}t)$.

Problem B.5 [2 Marks] Compare $n_4(t)$ and $n_2(t)$; explain any observed differences and/or similarities.

C. Visualizing operations on the independent variable and algorithm vectorization

Problem C.1 [0.5 Marks] Section 1.11-3, *Lathi, Matlab Session 1*, page 130. Follow the steps in Section 1.11-3, but instead generate $g(t) = f(t)u(t)$ where $f(t) = e^{-2t}\cos 4\pi t$.

Problem C.2 [0.5 Marks] Using $g(t)$ as described in Problem C.1, generate and plot $s(t) = g(t+1)$ for $t = [0 : 0.01 : 4]$.

Problem C.3 [0.5 Marks] Plot $s_\alpha(t) = e^{-2}e^{-\alpha t}\cos(4\pi t)u(t)$ for $\alpha \in \{1, 3, 5, 7\}$ in one figure for $t = [0 : 0.01 : 4]$. For this plot you can use the `for` command for a loop structure (to learn more about this command type `help for` at the MATLAB prompt). Also try to use matrix and vector operations to generate and plot the desired functions by following the steps of Section B.7-6, page 49.

Problem C.4 [0.5 Marks] Determine the size of the matrix $s(t)$ generated in Problem C.3.

D. Array indexing

Note: The Matlab data file `ELE532_Lab1_Data.mat` contains all data arrays (arrays **A**, **B** and **x_audio**) referenced in this section. You can download the data file from the course homepage on Blackboard. Alternatively, if you are using MATLAB on any of departmental computers, typing `load ELE532_Lab1_Data` at the MATLAB prompt will load all data arrays into your current MATLAB workspace.

Problem D.1 [0.5 Marks] Let A be a 5×4 matrix array with real-valued elements:

$$\mathbf{A} = \begin{bmatrix} 0.5377 & -1.3077 & -1.3499 & -0.2050 \\ 1.8339 & -0.4336 & 3.0349 & -0.1241 \\ -2.2588 & 0.3426 & 0.7254 & 1.4897 \\ 0.8622 & 3.5784 & -0.0631 & 1.4090 \\ 0.3188 & 2.7694 & 0.7147 & 1.4172 \end{bmatrix} \tag{1}$$

For the matrix **A** in Equation (1) implement the following operations:

(a) $\mathbf{A}(:)$

(b) $\mathbf{A}([\ 2\ \ 4\ \ 7\ ])$

(c) $[\ \mathbf{A} >= 0.2\ ]$

(d) $\mathbf{A}([\ \mathbf{A} >= 0.2\ ])$

(e) $\mathbf{A}([\ \mathbf{A} >= 0.2\ ]) = 0$

Describe the outcome of each operation stated in parts (a)–(e).

Problem D.2 [1 Mark] Let **B** be a 1024×100 data matrix representing 100 blocks of non-overlapping 1024-element input samples from a particular data source.

(a) Write a simple MATLAB program using two nested `for` loops that will set all elements of the data matrix $\mathbf{B}$ with magnitude values below 0.01 to zero:

$$\mathbf{B}(i, j) = 0, \quad \text{if } |\mathbf{B}(i, j)| < 0.01, \tag{2}$$

where $\mathbf{B}(i, j)$ is element of the data matrix $\mathbf{B}$ in i-*th* row and j-*th* column.

(b) Repeat part (a) using MATLAB's indexing features as described in Problem D.1.

(c) Use the MATLAB commands `tic` and `toc` to compare the execution time of the code you wrote in parts (a) and (b).

Problem D.3 [1 Mark] Let **x_audio** be a 20,000 sample-long row vector representing 2.5 sec of an audio signal sampled at 8 kHz. A simple data compression algorithm can be implemented by setting all elements of the data array **x_audio** with magnitude values below a threshold to zero. ***Note:*** *The actual compression algorithm will code the zero-valued samples more efficiently thus achieving a certain degree of compression. In this exercise, however, we only want to investigate the compressibility of the data array* **x_audio** *as measured by the number of samples with magnitude values below the threshold and the resulting sound quality as a function of the threshold.*

Write such a data compression algorithm and listen to the processed audio file. You may want to consider the following points:

- Do not work directly on the data array **x_audio**; otherwise after each process you will need to reload the data file. Instead, copy the data array **x_audio** to another working array and process that array.
- Devise a simple method of counting the number of elements of data array that are set to zero.
- You can listen to an audio array by using the MATLAB command `sound`. For example, if you want to listen to the original, unprocessed data array **x_audio**, issue the command `sound(x_audio,8000)` at the MATLAB prompt.