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Project: Predicting Boston Housing Prices
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Description

This dataset is sourced from the UCI Machine Learning Repository and concerns housing values in the suburbs of Boston.

Content • Number of Instances: 506

Attribute Information

Proportion of non-retail business acres per town. INDUS CHAS Nitric oxides concentration (parts per 10 million). NOX Average number of rooms per dwelling. Proportion of owner-occupied units built prior to 1940. AGE Weighted distances to five Boston employment centres. DIS Index of accessibility to radial highways. RAD Full-value property-tax rate per \$10,000. TAX PTRATIO Pupil-teacher ratio by town.

Percentage of the population with lower socioeconomic status. LSTAT

Usage This dataset is often used for: 1. Regression problems to predict MEDV (housing price).

34.7

33.4

18.7 394.63 2.94

18.7 394.63

18.7 396.90 5.33

2.94

18.7 396.90 5.33 36.2

Expected Learning Outcomes • Normalize data using StandardScaler. Perform a train-test split.

Instructions

2. Exploratory data analysis and feature engineering practice.

• Build a machine learning pipeline. • Evaluate a regression model using MSE and (R^2). # Prepare Tools import pandas as pd

import numpy as np import matplotlib.pyplot as plt import seaborn as sns import sklearn.linear_model import sklearn.metrics import sklearn.preprocessing

import sklearn.pipeline import sklearn.datasets

In [30]: # Your code here

3 0.03237 0.0

3 0.03237 0.0

21.6 2 34.7 3 33.4 4 36.2

Hint:

Out[33]: 0 24.0

4 0.06905 0.0 2.18

4 0.06905 0.0 2.18

Step 1: Load and Explore the Dataset 1. Load the Boston Housing Prices dataset using ../data/housing.csv. • Display the first 5 rows of the dataset as a pandas DataFrame. Assign the features to (X) and the target variable (MEDV) to (y). Hint: • Use pd.DataFrame to convert the dataset into a DataFrame.

• The target variable can be accessed via df.MEDV.

df = pd.read_csv('../data/housing.csv')

2.18

2.18

In [33]: y.head() #This is dependet varaible (Y)

Name: MEDV, dtype: float64

In [34]: #Normalize the Features using StandardScaler

#initialize the standardscaler

from sklearn.preprocessing import StandardScaler

from sklearn.model_selection import train_test_split

df.head() CRIM ZN INDUS CHAS NOX RM AGE DIS RAD TAX PTRATIO B LSTAT MEDV **0** 0.00632 18.0 2.31 0 0.538 6.575 65.2 4.0900 15.3 396.90 0 0.469 6.421 78.9 4.9671 1 0.02731 0.0 7.07 2 242 17.8 396.90 9.14 21.6 0 0.469 7.185 61.1 4.9671 17.8 392.83 **2** 0.02729 0.0 7.07

0 0.458 6.998 45.8 6.0622

0 0.458 7.147 54.2 6.0622 3 222

1A) Assign the feature (X) and the target variable (MEDV) to (Y)

3 222

3 222

3 222

In [31]: x = df.drop('MEDV', axis = 1)y= df['MEDV'] In [32]: x.head() #This is independet variable (x) CRIM ZN INDUS CHAS NOX RM AGE DIS RAD TAX PTRATIO B LSTAT 0 0.538 6.575 65.2 4.0900 **0** 0.00632 18.0 2.31 1 296 15.3 396.90 4.98 **1** 0.02731 0.0 7.07 0 0.469 6.421 78.9 4.9671 17.8 396.90 9.14 **2** 0.02729 0.0 7.07 0 0.469 7.185 61.1 4.9671 17.8 392.83

0 0.458 6.998 45.8 6.0622

0 0.458 7.147 54.2 6.0622

Step 2: Normalize the Features 2. Use StandardScaler to normalize the features in (X). • Apply normalization only after splitting the data into training and testing sets.

• First, perform train-test split using train_test_split.

2A) scale the X data using standardscaler

scaler = StandardScaler() #fit the scaler on the training and test data (X) scaler.fit(x_train) scaler.fit(x_test) #Transform both training and testing x_train_scaled = scaler.transform(x_train) x_test_scaled = scaler.transform(x_test) Step 3: Split the Data 3. Split the dataset into training and testing sets with an 80-20 split.

• Assign the result to variables $X_{\mathrm{train}}, X_{\mathrm{test}}, y_{\mathrm{train}}, y_{\mathrm{test}}.$

In [35]: from sklearn.model_selection import train_test_split

#split the data into train and test

In [36]: print("**This is Training set**")

This is y train (404,)

This is Test set This is x test (102, 13) This is y test (102,)

print(f'This is x train {x_train.shape}') print(f'This is y train {y_train.shape}') print("") print("**This is Test set**") print(f'This is x test {x_test.shape}') print(f'This is y test {y_test.shape}') **This is Training set** This is x train (404, 13)

■ Use train_test_split from sklearn.model_selection.

Step 4: Create a Pipeline 4. Build a pipeline that includes: • StandardScaler for normalization. • LinearRegression for fitting the model. • Fit the pipeline to the training data.

from sklearn.pipeline import Pipeline from sklearn.preprocessing import StandardScaler from sklearn.linear_model import LinearRegression pipeline = Pipeline([('scaler', StandardScaler()), # First step: StandardScaler for normalization ('model', LinearRegression()) # Second step: LinearRegression for model fitting

Fit the pipeline to the training data

pipeline.fit(x_train, y_train)

• Use Pipeline from sklearn.pipeline.

► LinearRegression

4C) Interpret the coef

4A) Create pipeline

In [37]: # Create a Pipeline

Out[37]: •

Step 5: Evaluate the Model 5. Use the pipeline to make predictions on the test data. • Evaluate the model using: Mean Squared Error (MSE). ■ R-squared ((R^2)).

Model Coefficients: [-0.90993944 1.22792296 -0.02371233 0.85736904 -2.23765701 2.20948448

0.05613783 - 3.8096152 2.67329749 - 1.87344214 - 2.09548097 0.90396745

In [39]: from sklearn.metrics import mean_squared_error, r2_score # predict on the test data y_pred = pipeline.predict(x_test) # Calculate the Mean Squared Error (MSE) mse = mean_squared_error(y_test, y_pred)

> # Calculate R-squared (R2) r2 = r2_score(y_test, y_pred)

Print the results

Hint:

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plt.figure(figsize=(8, 6))

plt.scatter(y_test, y_pred, color='blue')

MSE (20.93) indicates that the model still has errors in predicting house prices, but this value alone is not enough to assess how good the model is. R² (0.75) shows that 75% of the variation in house prices can be explained by the model, while the remaining 25% may be influenced by other factors not captured in the model.

6. Create a scatter plot comparing the predicted prices vs actual prices for the test data.

Step 6: Visualize the Results (Optional)

• Use plt.scatter from matplotlib.pyplot.

Make predictions on the test set using the pipeline y_pred = pipeline.predict(x_test) #This is the model that i build # Create a scatter plot

plt.show() **Actual vs Predicted Prices** 50

10 40 50 20 30 **Actual Prices** Visual Key Variables Influencing Y In [41]: import matplotlib.pyplot as plt import numpy as np # Names of the features

Importance

plt.tight_layout() # Adjust layout for better spacing

plt.show()

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Features TEST THE MODEL In [42]: new_data = [[100, 18, 6, 0, 0.4, 42, 4.5, 5, 302, 15, 10, 8, 1]] # Example of new data with 13 features # Normalize the new data (same as the scaling done during training) new_data_normalized = scaler.transform(new_data) # Normalize the new data if necessary # Make the prediction using the model prediction = pipeline.predict(new_data_normalized) # Predict using the trained model # Print the predicted house price print("Predicted House Price:", prediction) Predicted House Price: [247.35078205] C:\Users\User\AppData\Local\Programs\Python\Python313\Lib\site-packages\sklearn\base.py:493: UserWarning: X does not have valid feature names, but StandardScaler was fitted with feature names

SAVE THE MODEL In [49]: import joblib

Print the equation

Save pipeline file joblib.dump(pipeline, 'model_pipeline.pkl') # can change the name file if want print("Model has already been save") Model has already been save LOAD THE MODEL

loaded_pipeline = joblib.load('model_pipeline.pkl') # Make sure the filename is correct or provide the full path if necessary

" + ".join(["{:.2f}*x{}".format(coeff, i) for i, coeff in enumerate(coefficients, start=1)]))

USE MODEL AND MAKE PREDICT In [52]: # New data for prediction

In [50]: # Load the saved model / You can also load another notebook

print("Model has already been loaded")

Model has already been loaded

Make prediction using the loaded model prediction = loaded_pipeline.predict(new_data) # Print the prediction result print("Predicted Value:", prediction) Predicted Value: [172.77812893]

In [43]: # Retrieve coefficients and intercept from the Linear Regression model

coefficients = pipeline.named_steps['model'].coef_ intercept = pipeline.named_steps['model'].intercept_

print("Equation: y = {:.2f} + ".format(intercept) +

Feature Description CRIM Per capita crime rate by town. Proportion of residential land zoned for lots over 25,000 sq.ft.

Charles River dummy variable (= 1 if tract bounds river; 0 otherwise). (1000(Bk - 0.63)²), where (Bk) is the proportion of blacks by town. Median value of owner-occupied homes in \$1000's (Target variable).

You will build a linear regression model to predict housing prices using the Boston Housing Prices dataset. Complete each task step-by-step as outlined below.

• Fit the scaler on the training data only and transform both training and testing data.

x_train, x_test, y_train, y_test = train_test_split(x,y, test_size=0.2, random_state=44)

Pipeline StandardScaler 4B) Show the COEF In [38]: from sklearn.linear_model import LinearRegression # Optional: Check the model's coefficients print("Model Coefficients:", pipeline.named_steps['model'].coef_)

• Use mean_squared_error and r2_score from sklearn.metrics. 5A) Evaluate the model using MSE and R2

Coefficient -1.00213533: This means that if the first feature (CRIM - crime rate per capita) increases by one unit, the house price (MEDV target) is expected to decrease by 1.002 units (in the same units as the target MEDV).

Coefficient 3.14523956: This means that if the sixth feature (RM - average number of rooms) increases by one unit, the house price is expected to increase by 3.145 units.

print("Mean Squared Error (MSE):", mse) print("R-squared (R2):", r2) Mean Squared Error (MSE): 20.93275021868356 R-squared (R^2): 0.7521800808693159 5B) Interpret the data meaning

6A) Visualize actual and prediction line using scatter plot In [40]: #Visualize the Results import matplotlib.pyplot as plt

In summary, this model can be considered to perform reasonably well because it explains almost 75% of the variation in house prices. However, there is still 25% that cannot be explained, which could be improved by adding more data or using a more advanced model.

plt.plot([min(y_test), max(y_test)], [min(y_test), max(y_test)], color='red', linestyle='-') # Line for perfect prediction plt.title('Actual vs Predicted Prices') plt.xlabel('Actual Prices') plt.ylabel('Predicted Prices')

Predicted Prices

features = ['CRIM', 'ZN', 'INDUS', 'CHAS', 'NOX', 'RM', 'AGE', 'DIS', 'RAD', 'TAX', 'PTRATIO', 'B', 'LSTAT'] importances = [-1.00213533, 0.69626862, 0.27806485, 0.7187384, -2.0223194, 3.14523956, -0.17604788, -3.0819076, 2.25140666, -1.76701378, -2.03775151, 1.12956831, -3.61165842] # Generate colors automatically using a colormap colors = plt.cm.viridis(np.linspace(0, 1, len(features))) # Plot the bar chart plt.figure(figsize=(10, 6)) plt.bar(features, importances, color=colors) plt.xlabel('Features') plt.ylabel('Importance') plt.title('Feature Importances in Dataset') plt.xticks(rotation=45)

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Feature Importances in Dataset

C:\Users\User\AppData\Local\Programs\Python\Python313\Lib\site-packages\sklearn\base.py:493: UserWarning: X does not have valid feature names, but StandardScaler was fitted with feature names warnings.warn(THE EQUATION

Equation: y = 22.59 + -0.91*x1 + 1.23*x2 + -0.02*x3 + 0.86*x4 + -2.24*x5 + 2.21*x6 + 0.06*x7 + -3.81*x8 + 2.67*x9 + -1.87*x10 + -2.10*x11 + 0.90*x12 + -4.16*x13

new_data = [[100, 18, 6, 0, 0.4, 42, 4.5, 5, 302, 15, 10, 8, 99]] # Example of new data

C:\Users\User\AppData\Local\Programs\Python\Python313\Lib\site-packages\sklearn\base.py:493: UserWarning: X does not have valid feature names, but StandardScaler was fitted with feature names