

# Unsupervised Learning

## Letting Data Speak for Itself

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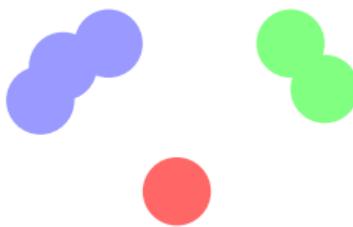
# Introduction

# What is Unsupervised Learning?

- No labels, no target  $y$ .
- Goal: discover hidden structure in  $X = \{x_1, \dots, x_n\}$ .
- Typical tasks:
  - Group similar points (clustering).
  - Compress data (dimensionality reduction).
  - Find co-occurrence patterns (association rules).
  - Detect unusual points (anomalies).

# The Party Analogy

- You arrive at a party with no name tags.
- After a while, you notice:
  - Group A: talking about football.
  - Group B: discussing cameras.
  - A few people alone (outliers).
- Your brain does clustering, anomaly detection, and compression.



figureClusters and outlier.

# Clustering

# Clustering Goals

- Partition data into groups (clusters).
- Points in same cluster: similar.
- Points in different clusters: dissimilar.

Main families:

- Centroid-based (k-means).
- Hierarchical (dendrograms).
- Density-based (DBSCAN).

# k-means Clustering

## Objective

Given  $K$  clusters, minimize:

$$J = \sum_{i=1}^n \sum_{k=1}^K r_{ik} \|x_i - \mu_k\|^2$$

## Algorithm:

- ① Initialize  $K$  centroids  $\mu_k$ .
- ② Assign each point to nearest centroid.
- ③ Update each  $\mu_k$  as mean of its points.
- ④ Repeat until convergence.

# k-means Illustration

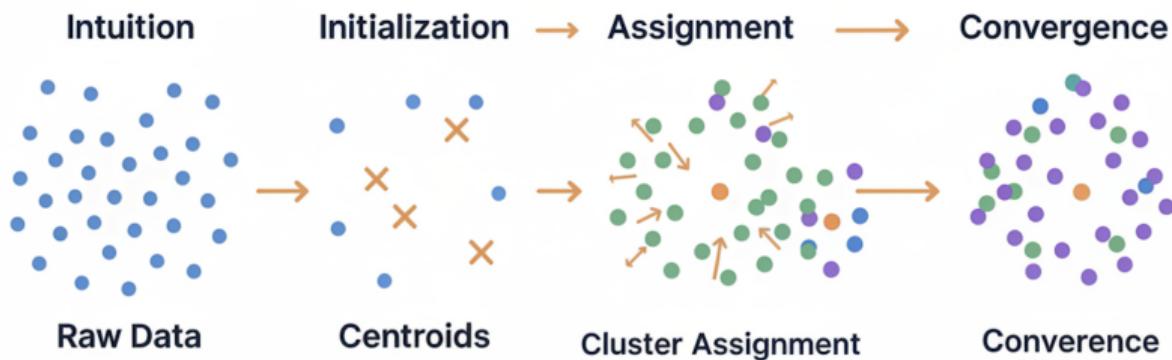


Figure: k-means iterations: assignment and centroid update.

# Hierarchical & Density-based Clustering

## Hierarchical (Agglomerative)

- Start with each point as its own cluster.
- Merge closest clusters step by step.
- Visualized with a dendrogram.
- Cut at chosen height  $\rightarrow K$  clusters.

## DBSCAN

- Defines clusters as dense regions.
- Parameters:  $\varepsilon$ ,  $\text{minPts}$ .
- Finds arbitrary shapes.
- Naturally labels noise/outliers.

# Dimensionality Reduction

# Why Reduce Dimensionality?

- High-dimensional data is hard to visualize and learn from.
- Many features may be redundant or noisy.
- Dimensionality reduction:
  - Compresses data to  $q \ll d$ .
  - Speeds up models.
  - Helps visualization and understanding.

# PCA: Principal Component Analysis

- Finds directions of maximum variance.
- Given covariance matrix  $\Sigma$ :

$$\Sigma v_j = \lambda_j v_j$$

- First components  $v_1, \dots, v_q$  capture most variance.
- Projection:  $z_i = V_q^\top x_i$ .

## PCA Illustration

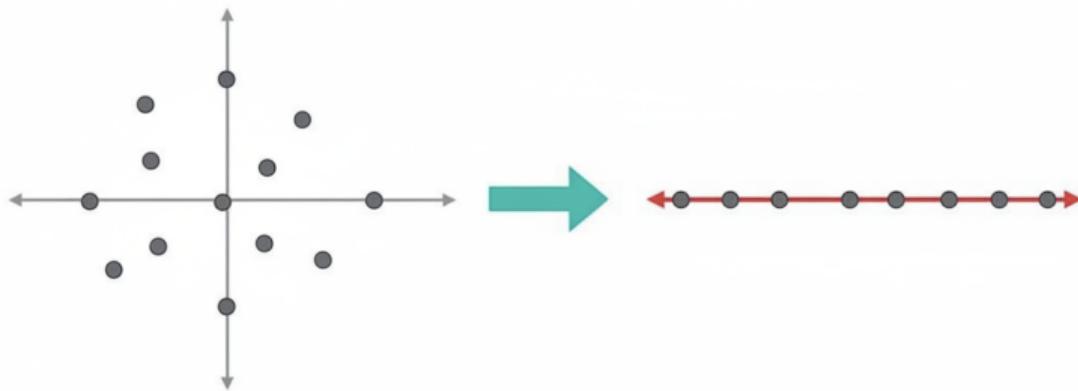


Figure: Data projected onto first principal component.

# Nonlinear Methods: t-SNE & UMAP

## t-SNE

- Preserves local neighborhoods.
- Great for 2D visualization of clusters.
- Not ideal for global distances or features.

## UMAP

- Graph-based manifold learning.
- Often preserves more global structure.
- Fast and scalable for large datasets.

# Association Rules

# Market Basket Patterns

- Data: transactions  $T = \text{sets of items}$ .
- Goal: find rules of the form

$$X \Rightarrow Y$$

e.g.  $\{\text{Diapers}\} \Rightarrow \{\text{Beer}\}$ .

Quality measures:

- **Support:** frequency of  $X \cup Y$ .
- **Confidence:**  $P(Y|X)$ .
- **Lift:** how much  $X$  increases chance of  $Y$ .

# Apriori Algorithm

- ① Find all frequent single items (support  $\geq \text{min\_supp}$ ).
- ② Generate candidate itemsets of size 2, 3, ... .
- ③ Prune candidates whose subsets are not frequent.
- ④ From frequent itemsets, generate rules with:
  - High confidence.
  - High lift.

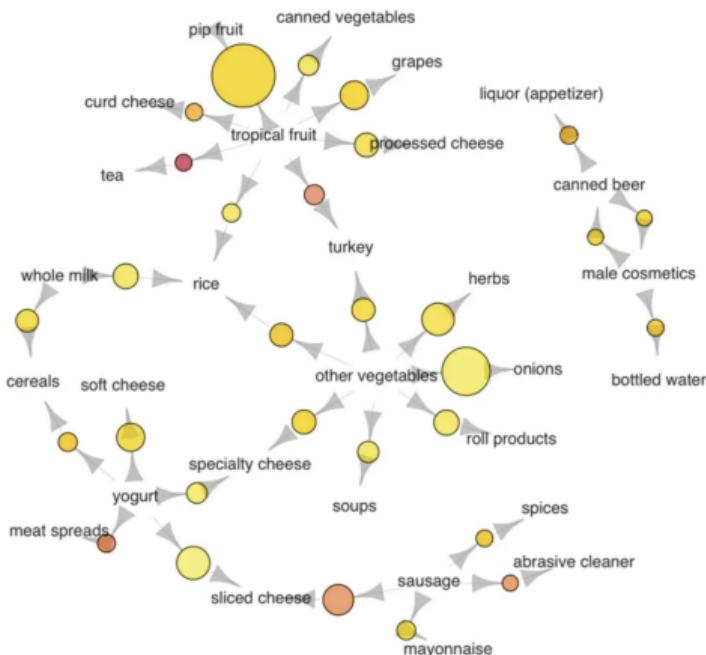


figure From transactions to frequent itemsets and rules.

# Beyond the Basics

# Anomaly Detection

- Anomalies = rare, unusual points.
- Important for:
  - Fraud detection.
  - Network intrusion.
  - Fault detection.
- Unsupervised approaches:
  - Distance-based (far from neighbors).
  - Density-based (LOF).
  - One-Class SVM, Isolation Forest.

# Representation Learning & Autoencoders

- Learn compact latent representation  $z$  without labels.
- Autoencoder:

$$x \rightarrow \text{Encoder} \rightarrow z \rightarrow \text{Decoder} \rightarrow \hat{x}$$

- If  $z$  is low-dimensional:
  - Acts like nonlinear PCA.
  - $z$  can be used for clustering, visualization, or as features.

# Conclusion

# Advantages & Limitations

## Advantages

- No labels needed.
- Strong exploratory power.
- Useful preprocessing for supervised ML.

## Limitations

- No ground truth for evaluation.
- Sensitive to hyperparameters.
- Results may be hard to interpret.

# Thank You!

*"Let the data tell you its story."*

Questions?