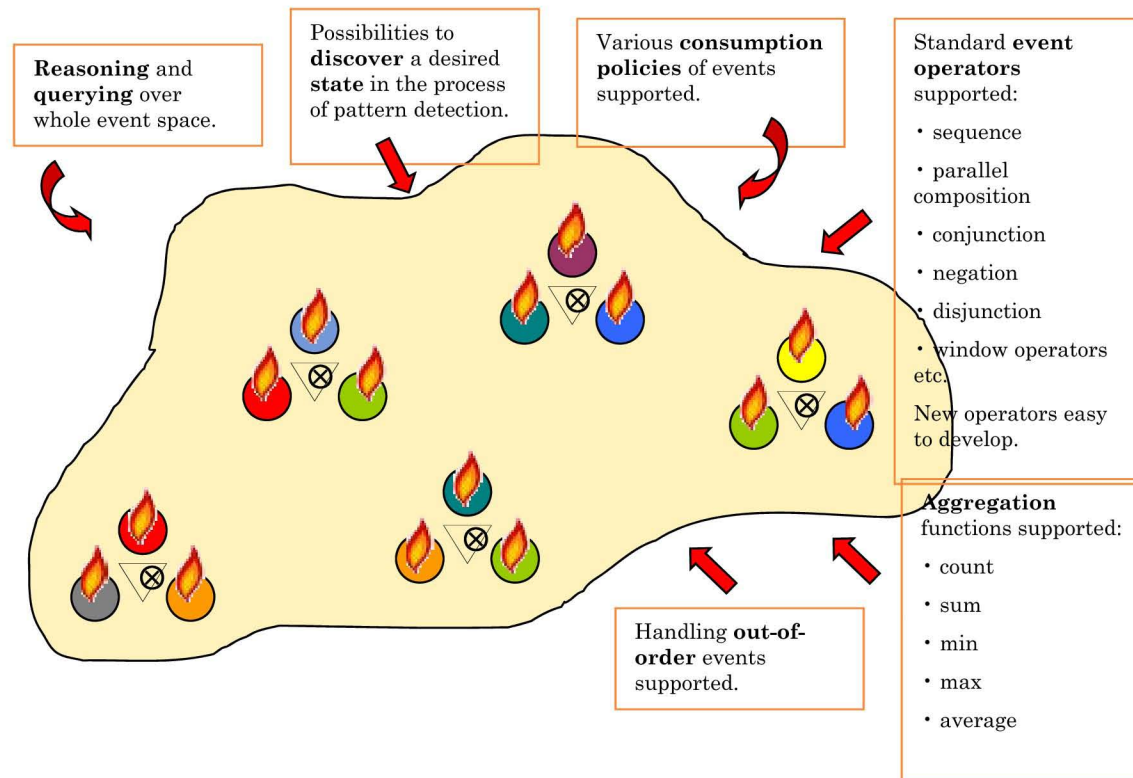


ETALIS LANGUAGE FOR COMPLEX EVENT PROCESSING

- **Data-driven with declarative semantics** complex event processing
- Complex events are *derived* from simpler events by means of *deductive* rules
- **Combines detection of complex events and reasoning over states**
- ETALIS is implemented in Prolog and runs on [XSB](#), [YAP](#), [SWI](#), and [SICStus](#).



ETALIS LANGUAGE FOR COMPLEX EVENTS

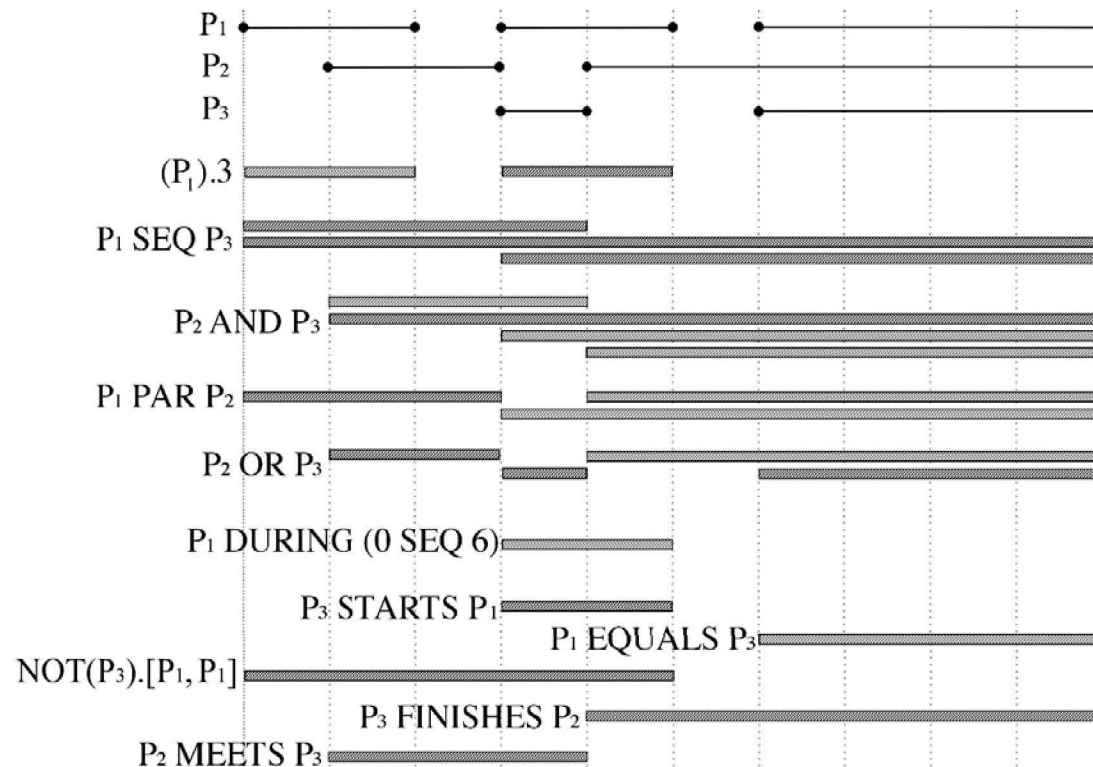
event patterns

$$P ::= \text{pr}(t_1, \dots, t_n) \mid P \text{ WHERE } t \mid q \mid (P).q \\ \mid P \text{ BIN } P \mid \text{NOT}(P).[P, P]$$

event rule

$$\text{pr}(t_1, \dots, t_n) \leftarrow p$$

Composition Operators



event stream $\varepsilon : \text{Ground} \rightarrow 2^{\mathbb{Q}^+}$

variable assignment is a mapping $\mu : \text{Var} \rightarrow \text{Con}$

interpretation $\mathcal{I} : \text{Ground} \rightarrow 2^{\mathbb{Q}^+ \times \mathbb{Q}^+}$

$q_1 \leq q_2$ for every $\langle q_1, q_2 \rangle \in \mathcal{I}(g)$ for all $g \in \text{Ground}$

Given an event stream ε , an interpretation \mathcal{I} is called a *model* for a rule set \mathcal{R} – written as $\mathcal{I} \models_{\varepsilon} \mathcal{R}$ – if the following conditions are satisfied:

C1 $\langle q, q \rangle \in \mathcal{I}(g)$ for every $q \in \mathbb{Q}^+$ and $g \in \text{Ground}$ with $q \in \varepsilon(g)$

C2 for every rule $\text{atom} \leftarrow \text{pattern}$ and every variable assignment μ we have

$\mathcal{I}_{\mu}(\text{atom}) \subseteq \mathcal{I}_{\mu}(\text{pattern})$ where \mathcal{I}_{μ} is inductively defined as

pattern	$\mathcal{I}_{\mu}(\text{pattern})$
$\text{pr}(t_1, \dots, t_n)$	$\mathcal{I}(\text{pr}(\mu^*(t_1), \dots, \mu^*(t_n)))$
$p \text{ WHERE } t$	$\mathcal{I}_{\mu}(p)$ if $\mu^*(t) = \text{true}$ \emptyset otherwise.
q	$\{\langle q, q \rangle\}$ for all $q \in \mathbb{Q}^+$
$(p).q$	$\mathcal{I}_{\mu}(p) \cap \{\langle q_1, q_2 \rangle \mid q_2 - q_1 = q\}$
$p_1 \text{ SEQ } p_2$	$\{\langle q_1, q_4 \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_3, q_4 \rangle \in \mathcal{I}_{\mu}(p_2) \text{ and } q_2 < q_3\}$
$p_1 \text{ AND } p_2$	$\{\langle \min(q_1, q_3), \max(q_2, q_4) \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_3, q_4 \rangle \in \mathcal{I}_{\mu}(p_2)\}$
$p_1 \text{ PAR } p_2$	$\{\langle \min(q_1, q_3), \max(q_2, q_4) \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_3, q_4 \rangle \in \mathcal{I}_{\mu}(p_2) \text{ and } \max(q_1, q_3) < \min(q_2, q_4)\}$
$p_1 \text{ OR } p_2$	$\mathcal{I}_{\mu}(p_1) \cup \mathcal{I}_{\mu}(p_2)$
$p_1 \text{ EQUALS } p_2$	$\mathcal{I}_{\mu}(p_1) \cap \mathcal{I}_{\mu}(p_2)$
$p_1 \text{ MEETS } p_2$	$\{\langle q_1, q_3 \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_2, q_3 \rangle \in \mathcal{I}_{\mu}(p_2)\}$
$p_1 \text{ DURING } p_2$	$\{\langle q_3, q_4 \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_3, q_4 \rangle \in \mathcal{I}_{\mu}(p_2) \text{ and } q_3 < q_1 < q_2 < q_4\}$
$p_1 \text{ STARTS } p_2$	$\{\langle q_1, q_3 \rangle \mid \langle q_1, q_2 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_1, q_3 \rangle \in \mathcal{I}_{\mu}(p_2) \text{ and } q_2 < q_3\}$
$p_1 \text{ FINISHES } p_2$	$\{\langle q_1, q_3 \rangle \mid \langle q_2, q_3 \rangle \in \mathcal{I}_{\mu}(p_1) \text{ and } \langle q_1, q_3 \rangle \in \mathcal{I}_{\mu}(p_2) \text{ and } q_1 < q_2\}$
$\text{NOT}(p_1).[p_2, p_3]$	$\mathcal{I}_{\mu}(p_2 \text{ SEQ } p_3) \setminus \mathcal{I}_{\mu}(p_2 \text{ SEQ } p_1 \text{ SEQ } p_3)$

Given an interpretation \mathcal{I} and some $q \in \mathbb{Q}^+$, we let $\mathcal{I}|_q$ denote the interpretation defined by $\mathcal{I}|_q(g) = \mathcal{I}(g) \cap \{\langle q1, q2 \rangle \mid q2 - q1 \leq q\}$.

Given two interpretations \mathcal{I} and \mathcal{J} , we say that \mathcal{I} is *preferred* to \mathcal{J} if there exists a $q \in \mathbb{Q}^+$ with $\mathcal{I}|_q \subset \mathcal{J}|_q$.

A model \mathcal{I} is called *minimal* if there is no other model preferred to \mathcal{I} .

Incremental Detection of Composed Events – Compiled rules in Prolog

Algorithm 5.2 Conjunction.

Input: event binary goal $ie_1 \leftarrow a \text{ AND } b$.

Output: event-driven backward chaining rules for AND operator.

Each event binary goal $ie_1 \leftarrow a \text{ AND } b$ is converted into: {

$a(T_1, T_2) : -for_each(a, 1, [T_1, T_2]).$

$a(1, T_3, T_4) : -goal(a(-, -), b(T_1, T_2), ie_1(-, -)), retract(goal(a(-, -), b(T_1, T_2), ie_1(-, -))),$

$T_5 = min\{T_1, T_3\}, T_6 = max\{T_2, T_4\},$

$ie_1(T_5, T_6).$

$a(2, T_1, T_2) : -\neg(goal(a(-, -), b(T_1, T_2), ie_1(-, -))),$

$assert(goal(b(-, -), a(T_1, T_2), ie_1(-, -))).$

$b(T_3, T_4) : -for_each(b, 1, [T_3, T_4]).$

$b(1, T_3, T_4) : -goal(b(-, -), a(T_1, T_2), ie_1(-, -)), retract(goal(b(-, -),$

$a(T_1, T_2), ie_1(-, -))), T_5 = min\{T_1, T_3\}, T_6 = max\{T_2, T_4\},$

$ie_1(T_5, T_6).$

$b(2, T_1, T_2) : -\neg(goal(b(-, -), a(T_1, T_2), ie_1(-, -))), assert(goal(a(-, -),$

$b(T_1, T_2), ie_1(-, -))).$

}

“The Fast Flower Delivery Use Case”, *accompanying the book “Event Processing In Action”, by Opher Etzion and Peter Niblett, Manning Publications, 2009.*

http://code.google.com/p/etalis/wiki/Fast_Flower_Delivery_Use_Case

All 5 phases: bid, assignment, delivery process, ranking evaluation, activity monitoring.

```
% Phase 1: Bid Phase
% Multiplier: multiply the event "delivery_request_enriched" for each driver
% delivery_request_enriched_multiplied/6
delivery_request_enriched_multiplied(DeliveryRequestId,DriverId,StoreId,
    ToCoordinates,DeliveryTime,MinRank)<-
    delivery_request_enriched(DeliveryRequestId,StoreId,ToCoordinates,
        DeliveryTime,MinRank) event_multiply
    driver_record(DriverId,_Ranking).

% gps_location_translated/3
gps_location_translated(DriverId,Rank,Region)<-
    gps_location(DriverId,coordinates(SNHemisphere,Latitude,
        EWHemisphere,Longitude)) where
        ( driver_record(DriverId,Rank),
            gps_to_region(coordinates(SNHemisphere,Latitude,
                EWHemisphere,Longitude),Region) ).

% bid_request/5
bid_request(DeliveryRequestId,DriverId,StoreId,ToCoordinates,DeliveryTime)<-
    -
    ( delivery_request_enriched_multiplied(DeliveryRequestId,DriverId,
        StoreId,ToCoordinates,DeliveryTime,MinRank) and
        gps_location_translated(DriverId,Rank,Region) )
    where ('=<(MinRank,Rank), gps_to_region(ToCoordinates,Region)).
...
```

```
% Phase 2: Assignment Phase
% startAssignment/4
exceptionAlarm(startAssignment(DeliveryRequestId,StoreId,ToCoordinates,
    DeliveryTime),Time)<-
    delivery_request_enriched(DeliveryRequestId,StoreId,ToCoordinates,
        DeliveryTime,_MinRank) where (start_assignment_time(Time)).

% start_automaticAssignment/4
start_automaticAssignment(DeliveryRequestId,StoreId,ToCoordinates,
    DeliveryTime)<-
    startAssignment(DeliveryRequestId,StoreId,ToCoordinates,DeliveryTime)
    where store_record(StoreId,_MinRank,automatic).

% start_manualAssignment/4
start_manualAssignment(DeliveryRequestId,StoreId,ToCoordinates,DeliveryTime)<-
    startAssignment(DeliveryRequestId,StoreId,ToCoordinates,DeliveryTime)
    where store_record(StoreId,_MinRank>manual).

consumable_pick_first(DeliveryRequestId,StoreId,ToCoordinates,DeliveryTime,
    MinRank)<-
    delivery_request_enriched(DeliveryRequestId,StoreId,ToCoordinates,
        DeliveryTime,MinRank) where store_record(StoreId,_MinRank,automatic).

assignment(DeliveryRequestId,StoreId,ToCoordinates,DeliveryTime,DriverId,
    ScheduledPickupTime)<-
    ((consumable_pick_first(DeliveryRequestId,StoreId,ToCoordinates,
        DeliveryTime,MinRank) seq
        delivery_bid(DeliveryRequestId,DriverId,CurrentCoordinates,
            ScheduledPickupTime) ) and
        start_automaticAssignment(DeliveryRequestId,StoreId,ToCoordinates,
            DeliveryTime)).
...
```



