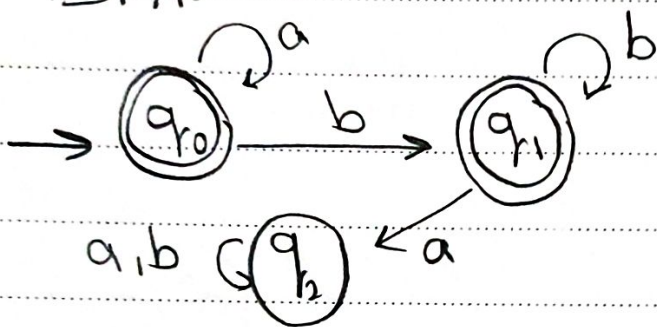


## Theory sec "2"

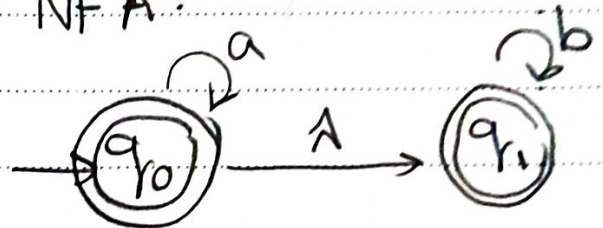
\* Draw NFA and DFA of the following languages:

①  $L = \{ a^n b^m; n, m \geq 0 \}$

DFA:

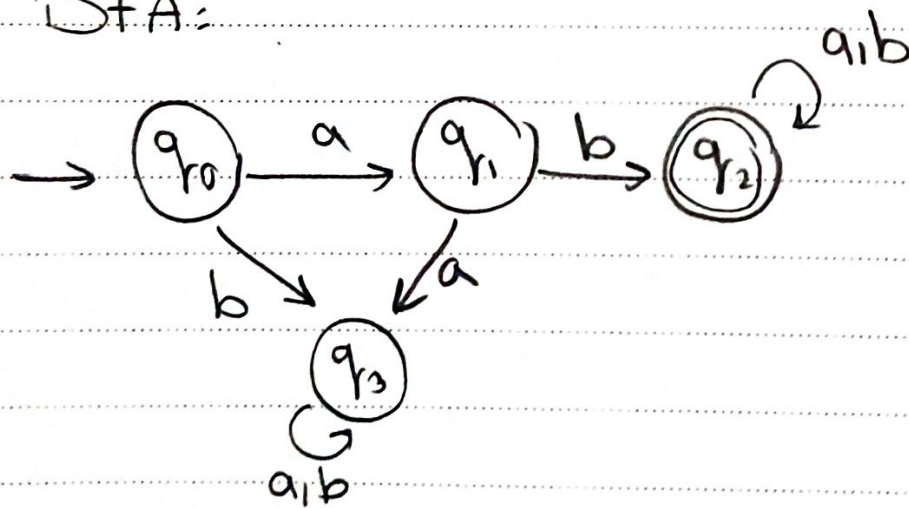


NFA:

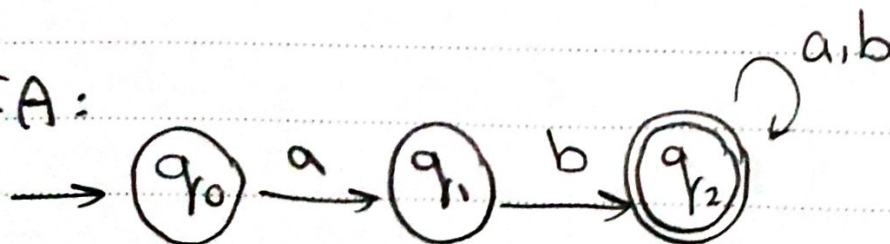


②  $L \subseteq \{a, b\}^*$  with prefix "ab"

DFA:

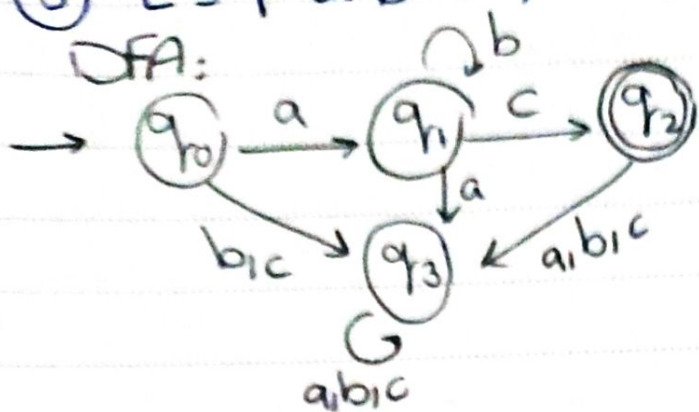


NFA:

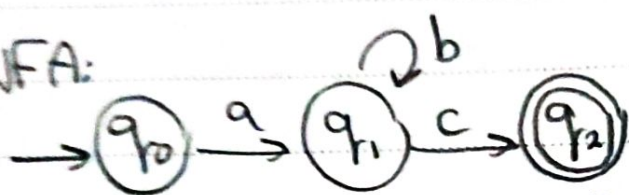


③  $L = \{ a b^n c ; n \geq 0 \}$

DFA:

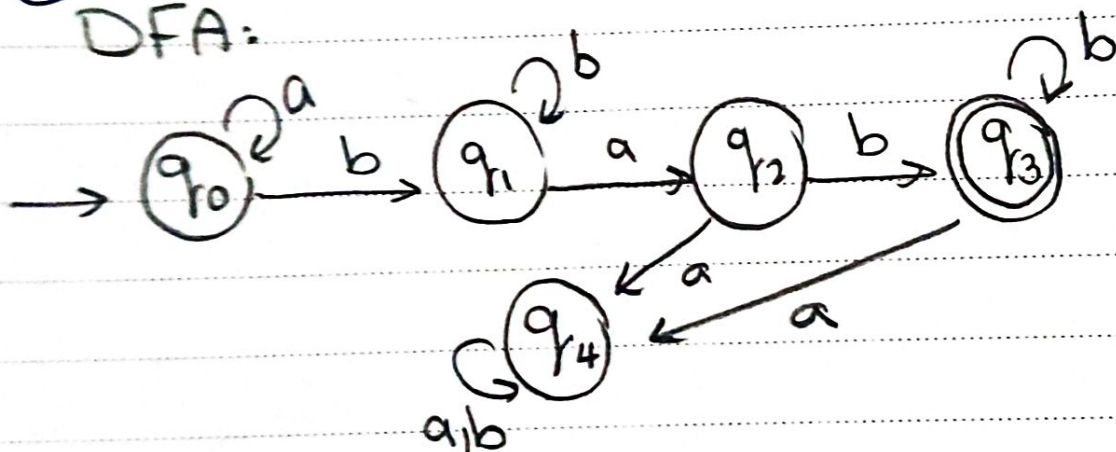


NFA:

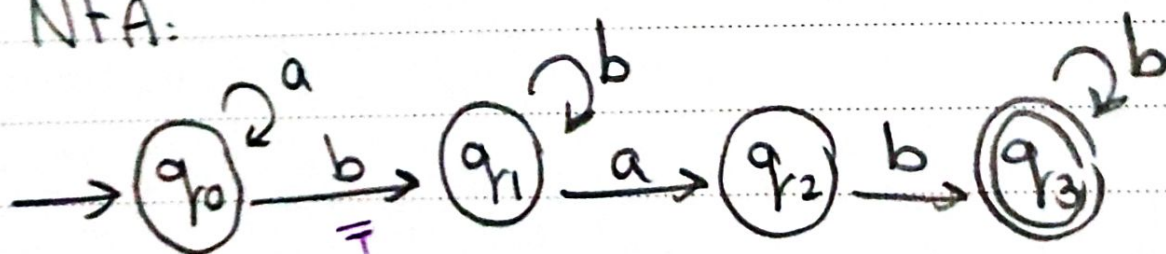


④  $L = \{ a^n b^m a b b^j ; m \geq 1 ; n, j \geq 0 \}$

DFA:



NFA:

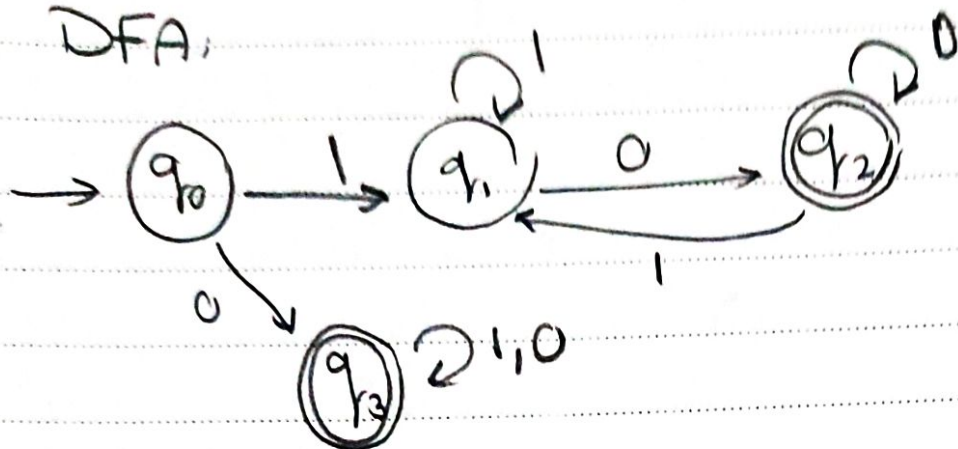


Can I replace this "b" with "1", why?

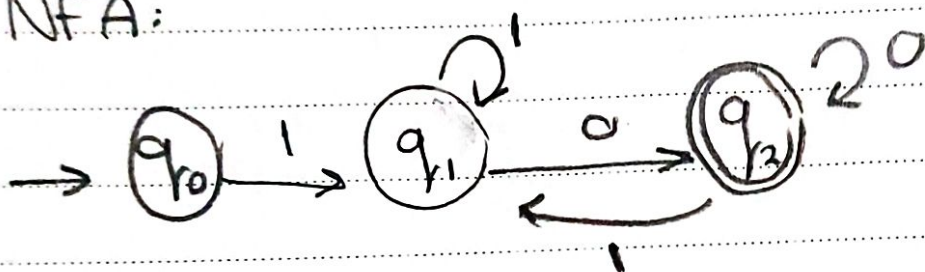


⑤  $L \Sigma = \{0,1\}$  accepts those string which starts with 1 and ends with 0.

DFA:

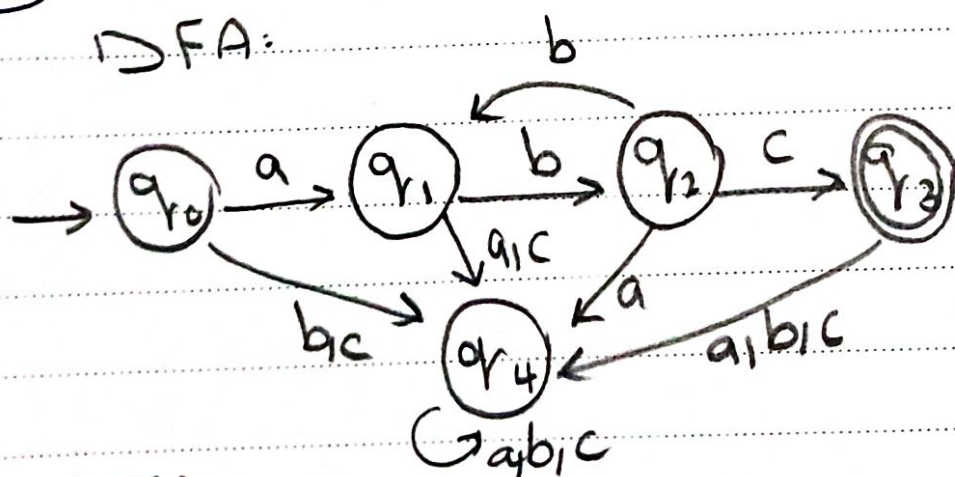


NFA:



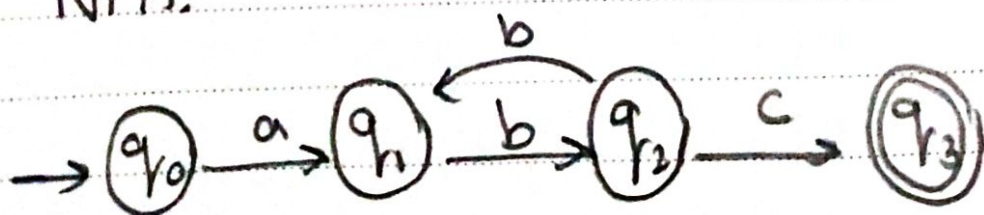
⑥  $L = \{a b^{2n+1} c : n \geq 0\}$

DFA:



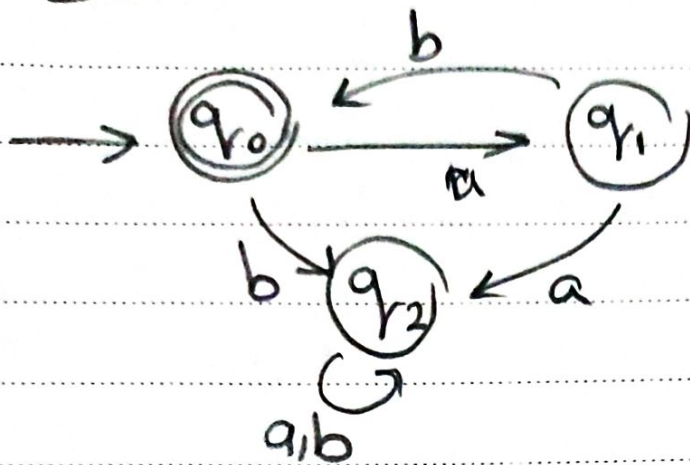
n	
0	abc
1	abbbbc
2	abbbbbbc

NFA:

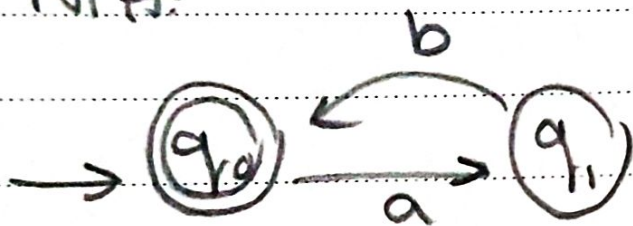


⑦  $L = \{ (ab)^n : n \geq 0 \}$

DFA:



NFA:



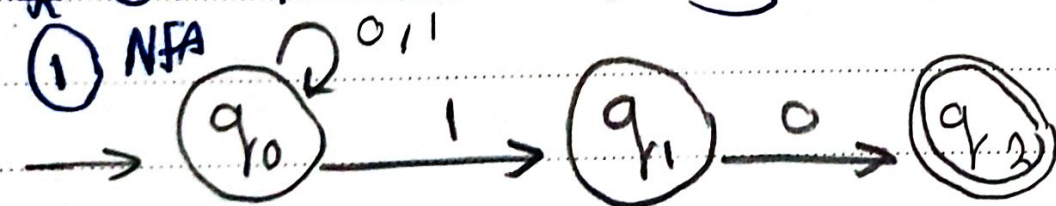


## Convert from NFA to DFA:

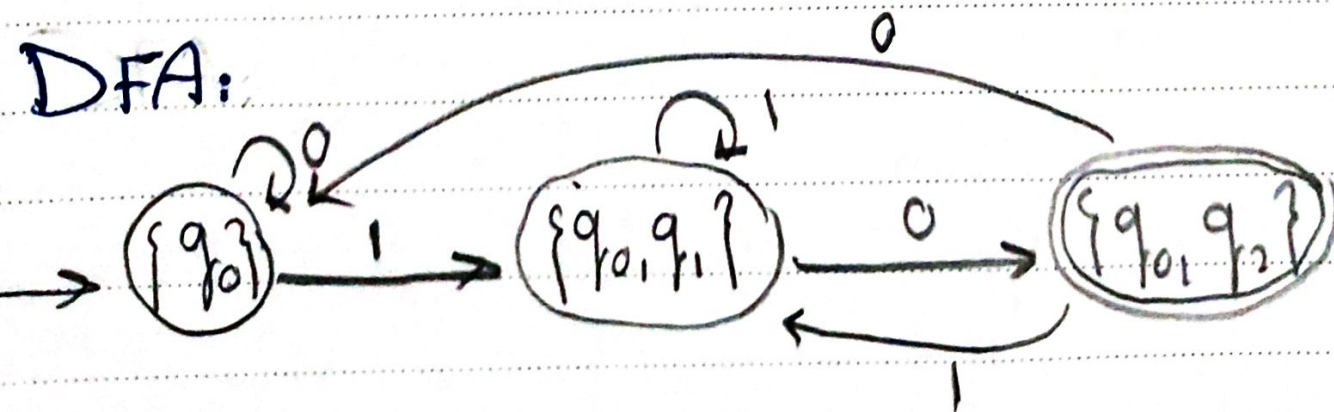
→ Steps:

- ① Create a new DFA with start state of NFA
- ② for each state in DFA, find the set of states it can reach on a given input symbol.
- ③ if set of states obtained in step 2 is not already a state in the DFA, Add it.
- ④ Repeat step 2 and 3 until no more new states added to DFA.
- ⑤ final state in the DFA is an accepting state if it contains at least one accepting state from NFA.

\* Convert the following NFA to DFA:



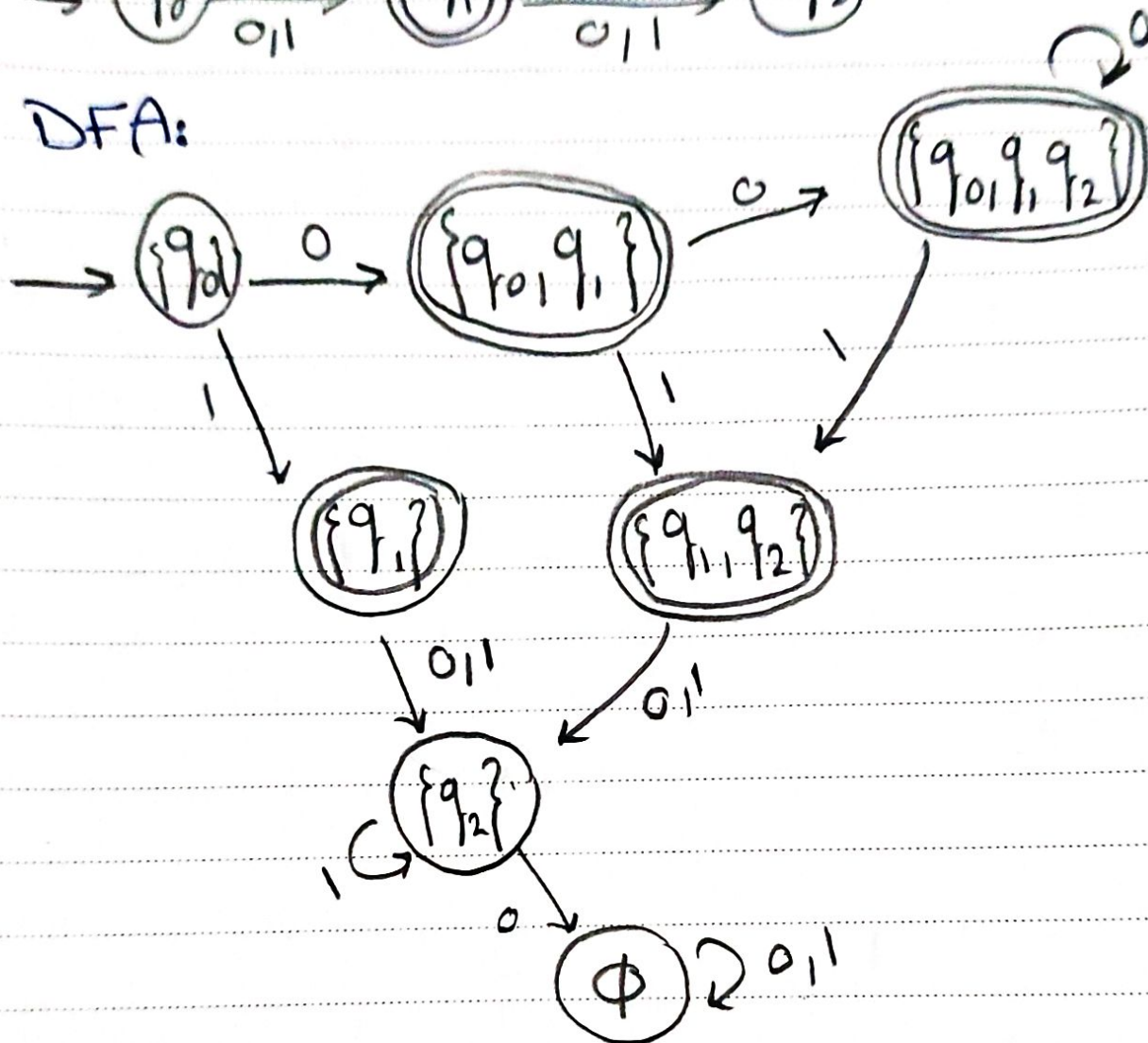
DFA:



② NFA:



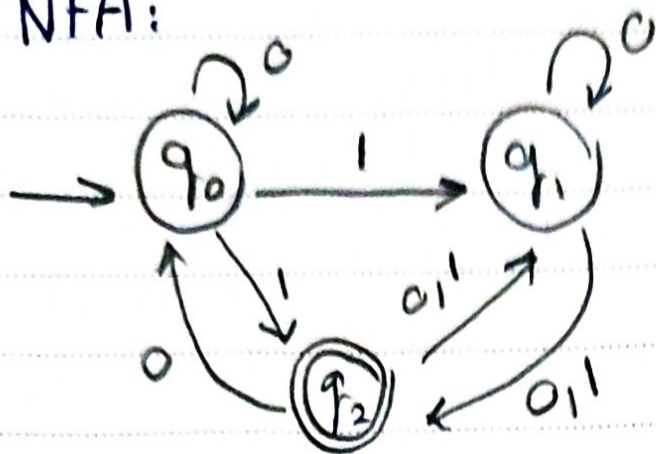
DFA:



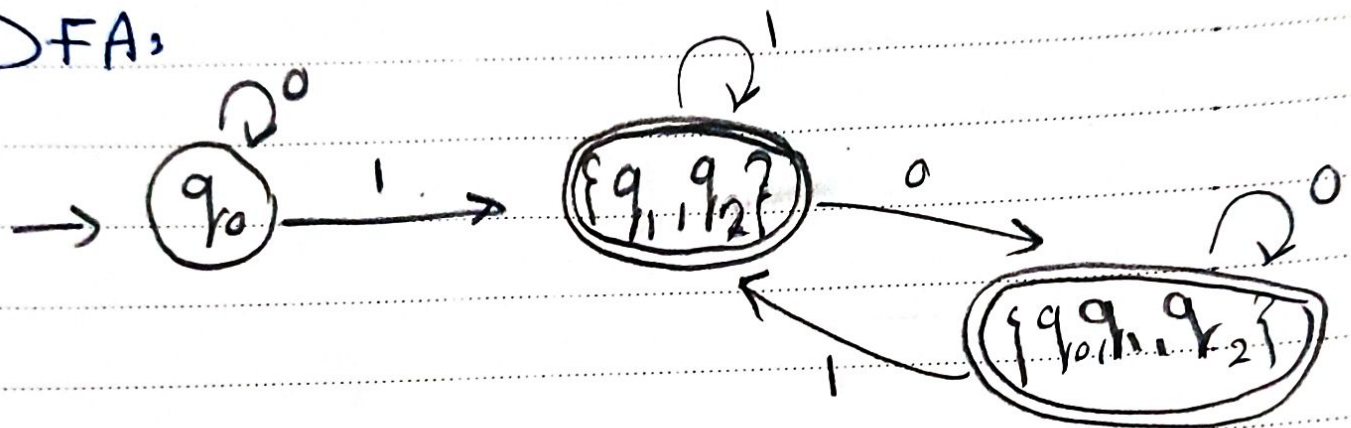
- $\text{move}(q_0, 0) = q_0, q_1$  ,  $\text{move}(q_1, 0) = q_2$
- $\text{move}(q_0, 1) = q_1$  ,  $\text{move}(q_1, 1) = q_2$
- $\text{move}(q_1, 0) = q_2$  ,  $\text{move}(q_2, 0) = \phi$
- $\text{move}(q_1, 1) = q_2$  ,  $\text{move}(q_2, 1) = q_2$
- $\text{move}(q_0, 0) = q_0, q_1$  ,  $\text{move}(q_1, 0) = q_2$  ,  $\text{move}(q_2, 0) = \phi$
- $\text{move}(q_0, 1) = q_1$  ,  $\text{move}(q_1, 1) = q_2$  ,  $\text{move}(q_2, 1) = q_2$



③ NFA:



DFA:



$$\text{move}(q_1, 0) = q_1, q_2, \quad \text{move}(q_2, 0) = q_0$$

$$\text{move}(q_1, 1) = q_2, \quad \text{move}(q_2, 1) = q_1$$

$$\text{move}(q_0, 0) = q_0, \quad \text{move}(q_1, 0) = q_1, q_2, \quad \text{move}(q_2, 0) = q_1, q_2$$

$$\text{move}(q_0, 1) = q_1, q_2, \quad \text{move}(q_1, 1) = q_2, \quad \text{move}(q_2, 1) = q_1$$