

In this lab, we are interested in problem solving by exploration in a state space. This implies:

- formalizing a problem as a state space;
- implementation of an exploration algorithm.

To start, we will assume a first problem already formalized (the sliding-blocks game) and focus on setting up the algorithm. In a second step, we will focus on the formalization of a new problem (path through a maze).

We consider the Python code provided in the TP\_1.zip archive on Moodle. The class diagram for this code is shown in Figure 1. This code contains:

- An abstraction module which contains the abstract classes State, Action and Problem. The Problem class includes all the useful methods to formalize a state space, such as studied during the course. Most of these methods are static because they are common to all instances of the same problem. Only the goal method is not static because it can depend on attributes specific to an instance (for example, an explicitly defined final state, as in the sliding-blocks game).
- A module, called *taquin*, that implements each abstract class in the abstraction module. The internal implementation of these classes is not important. Only methods inherited from the abstract class should be used in the mining algorithm.
- A Node class that groups a state, a possible parent (None if none), a possible action having led to the state (None if none), a cumulative cost  $g$ , a resolution potential  $f$  whose nature varies according to the chosen exploration algorithm (Dijkstra, greedy,  $A^*$ ). To parameterize the calculation of  $f$ , each node also defines an attribute criterion which is a function associating a real to a node. Thus, the attribute  $f$  of a node is calculated as the value returned by criterion for this node.
- A skeleton of the Exploration class whose `explorer()` method will allow you to launch an exploration. The class is parameterized by an instance of a problem and a criterion function to measure the potential of a node. For the purposes of the exploration algorithm, it also contains 2 collections of nodes: one for known but not yet explored nodes (open), the other for already explored nodes (close). In addition, an attribute `n_steps` counts the number of iterations of the algorithm. This provides a useful statistic at the end of the exploration.
- Finally, the archive also contains a `main.py` file which instantiates a problem of the sliding-blocks game on a concrete case, creates and launches an exploration, then displays the result of the exploration. For now, only the cumulative cost of a node is taken into account as a criterion for choosing a new node to explore.

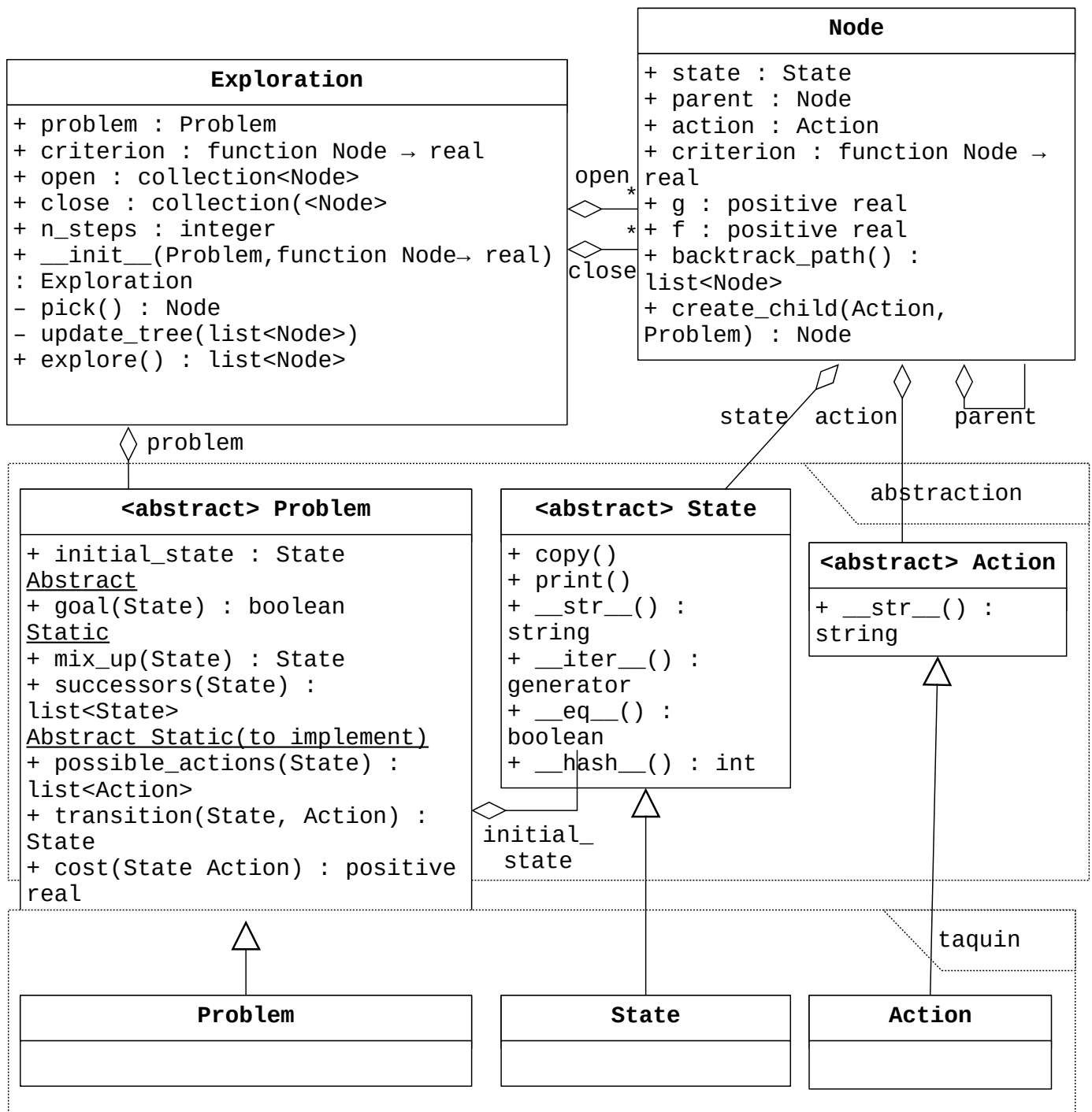


Figure 1: Class diagram of the provided code.

## Question 1

Implement the explore(), pick() and update\_tree() methods of the Exploration class.

The exploration pseudo-code is recalled by Algorithm 1.

*Note: It is proposed to implement the open and close node collections in Python dictionaries (i.e. key-value tables). As the algorithm forbids storing 2 nodes with the same state, the keys are states and the values are nodes. This choice is made to speed up the search steps in the collections.*

## Question 2

```
function explore() :  
    open : collection of nodes  
    close : collection of nodes  
  
    initialize open and close  
  
    while open is not empty  
    do  
        current_node ← pick_in_open()  
        add_in_close(current_node)  
        if is_goal(current_node)  
        then return solution  
        else  
            new_nodes ← successors(current_node)  
            update_tree(new_nodes, open, close)  
        end if  
    end while  
  
    return FAIL  
end function  
  
function update_tree(new_nodes, open, close):  
    for each new_node in new_nodes  
    do  
        if new_node already in close  
        then  
            if new_node better than old one  
            then  
                remove old node from close  
                add new_node in open  
            end if  
        else  
            if new_node already in open  
            then  
                if new_node better than old one  
                then  
                    remove old node from open  
                    add new_node in open  
                end if  
            else  
                add new_node in open  
            end if  
        end if  
    end for  
end function
```

*Algorithm 1 : Exploration pseudo-code.*

In main.py, modify the evaluation function of a node to obtain the behavior of the greedy algorithm with the Manhattan distance heuristic (provided in the taquin.problem.Problem class).

Test and compare with Dijkstra.

### **Question 3**

In `main.py`, modify the evaluation function of a node to obtain the behavior of the A\* algorithm, still with the Manhattan distance heuristic.

Test and compare with Dijkstra and the Greedy Algorithm.

### **Question 4**

In `taquin.problem.Problem`, implement the heuristic of the number of misplaced pieces (see course).

Compare its performance with the Manhattan distance heuristic on different cases, for use in A\* and/or in the greedy algorithm.

We now consider a problem of movement in a maze. For this we represent a maze as a grid in which the boxes can be empty or contain a wall. One of the empty squares corresponds to the exit from the maze. A character moves through the maze from one empty space to another (it's up to you to allow diagonal movement if you wish).

### **Question 5**

Create the State, Action and Problem classes corresponding to a problem of movement in a maze.

Test your implementation in the exploration algorithm.