
Automated Time Series Forecasting with Large Language Models

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Abstract

Time series forecasting remains critically dependent on manual model selection and hyperparameter tuning, creating bottlenecks for practitioners lacking statistical expertise. While automated tools like ARIMA and Prophet exist, they struggle with complex seasonality and data irregularities. This paper introduces a novel framework that leverages Large Language Models (LLMs) to automate time series model discovery, addressing three key challenges: (1) reducing human intervention through GPT-4-generated model prototypes, (2) iterative refinement via performance feedback, and (3) robust fallback mechanisms for real-world data issues (missing values, non-stationarity). My implementation combines LLM-assisted SARIMAX with traditional baselines, evaluated on synthetic daily sales data featuring trend and seasonality. Results demonstrate that the LLM-generated model achieves an RMSE of 3.33, outperforming ARIMA (18.17) and Prophet (423.88) by 81% and 99%, respectively, while maintaining interpretability through residual analysis. The framework includes differential privacy safeguards and is released with reproducible code, validating its potential to democratize time series forecasting.

Code: Project Code & Video

Introduction

Time series forecasting is a critical task in domains such as finance, supply chain management, and healthcare, where accurate predictions drive decision-making. However, selecting and tuning appropriate forecasting models remains a significant challenge, requiring specialized expertise in statistical methods and machine learning. Traditional approaches, including ARIMA and Facebook's Prophet, automate certain aspects of model selection but still struggle with complex seasonal patterns, missing data, and non-stationary time series. These limitations create barriers for practitioners and reduce the accessibility of robust forecasting tools. Recent advances in Large Language Models (LLMs), such as GPT-4, present an opportunity

to transform this process by automating model discovery and refinement. LLMs can generate, evaluate, and optimize forecasting code through natural language interactions, reducing the need for manual intervention while maintaining model performance. However, current applications of LLMs in machine learning have primarily focused on natural language processing and code generation, leaving their potential for time series forecasting largely unexplored. This gap motivates our work, which investigates how LLMs can enhance traditional forecasting pipelines by combining automated model generation with statistical rigor. In this paper, I propose a novel framework that integrates GPT-4 into the time series forecasting workflow. Our approach consists of three key components: (1) LLM-generated model prototypes based on dataset characteristics, (2) iterative refinement using performance metrics (e.g., RMSE, MAE), and (3) fallback mechanisms to ensure robustness against data irregularities. I evaluate our method on synthetic daily sales data with trend and seasonality, comparing it against standard baselines like ARIMA and Prophet. Our results demonstrate that the LLM-assisted model achieves superior accuracy while significantly reducing manual tuning efforts. This work contributes to the growing field of automated time series analysis by demonstrating how LLMs can bridge the gap between accessibility and performance. Our findings have implications for both researchers and practitioners, offering a blueprint for integrating AI-assisted automation into forecasting workflows while maintaining interpretability and reliability. The rest of this paper details our methodology, experimental results, and broader impact.

Related Work

Traditional Time Series Forecasting Models

The foundation of time series forecasting rests on classical statistical methods that have demonstrated enduring value across decades of research and application. The ARIMA (AutoRegressive Integrated Moving Average) framework, first formalized by Box and Jenkins in the 1970s, remains a gold standard due to its rigorous mathematical foundation and interpretable parameters. Seasonal variants (SARIMA) extended this approach to handle periodic patterns, while exponential smoothing methods offered complementary techniques for trend decomposition. More re-

055 recently, Facebook’s Prophet system introduced a modular,
056 additive model approach that automated many aspects of
057 seasonality detection and handling of missing data. How-
058 ever, these methods share fundamental limitations: they
059 require significant domain expertise for proper configura-
060 tion, struggle with complex multi-scale seasonality pat-
061 terns, and often fail to adapt automatically to structural
062 breaks or regime changes in time series data. The man-
063 ual intervention needed to overcome these limitations cre-
064 ates substantial barriers to widespread adoption, particu-
065 larly among non-specialist users in business and industry
066 settings.

067 **Automated Machine Learning for Forecasting**

068 The field of Automated Machine Learning (AutoML) has
069 made significant strides in recent years toward reducing
070 the human effort required for effective model develop-
071 ment. Frameworks like Auto-sklearn and AutoGluon have
072 demonstrated promising results in automating the com-
073 plete machine learning pipeline, from feature engineering
074 to model selection and hyperparameter optimization. For
075 time series specifically, approaches like AutoTS and PM-
076 DARIMA’s auto.arima function have implemented sophis-
077 ticated search strategies over model spaces. However, these
078 systems typically rely on computationally expensive brute-
079 force or Bayesian optimization methods that scale poorly
080 with increasing problem complexity. More critically, they
081 lack the semantic understanding of time series character-
082 istics that human experts possess, instead treating model
083 selection as a purely numerical optimization problem. Our
084 work addresses these gaps by leveraging the pattern recog-
085 nition and reasoning capabilities of large language models
086 to make more informed decisions about model architecture
087 and parameter selection.

088 **Large Language Models in Scientific Computing**

089 The emergence of powerful large language models has
090 opened new frontiers in scientific computing and quanti-
091 tative analysis. Modern LLMs like GPT-4 demonstrate re-
092 markable capabilities not just in natural language process-
093 ing, but also in mathematical reasoning, code generation,
094 and problem decomposition. Recent studies have shown
095 these models can generate functional code for numerical
096 simulations, suggest optimizations for algorithms, and even
097 propose novel mathematical conjectures. In machine learn-
098 ing specifically, LLMs have been applied to automate as-
099 pects of pipeline construction, hyperparameter tuning, and
100 experimental design. However, the application of these ca-
101 pabilities to time series forecasting remains largely unex-
102 plored territory. While general-purpose AI coding assis-
103 tants can generate basic forecasting code, they typically
104 lack the specialized knowledge required for robust time se-
105 ries analysis. Our research bridges this gap by develop-
106 ing targeted techniques to harness LLMs’ capabilities while
107 grounding their outputs in statistical best practices for tem-

109 poral data analysis.

110 **Privacy-Preserving and Distributed Forecasting**

111 As forecasting systems are increasingly deployed in sen-
112 sitive domains like healthcare and finance, privacy con-
113 siderations have become paramount. Federated learning
114 frameworks enable model training across decentralized
115 data sources without direct data sharing, while differential
116 privacy techniques provide mathematical guarantees about
117 information leakage. Recent work has explored synthetic
118 data generation as a privacy-preserving alternative to raw
119 data sharing, with particular relevance to time series ap-
120 plications. These developments intersect with our research
121 in important ways: the surrogate models generated by our
122 LLM-assisted framework can serve as privacy-preserving
123 representations of sensitive time series data, while our em-
124 phasis on model interpretability helps maintain account-
125 ability in high-stakes applications. By incorporating these
126 considerations into our system design, ensure that the ben-
127 efits of automated forecasting can be realized without com-
128 promising data confidentiality or regulatory compliance

Problem Definition

The automation of time series forecasting remains an unsolved challenge in machine learning and statistical modeling, despite decades of research and numerous technical advances. At the core of this challenge lies a fundamental tension between model complexity and practical usability. Traditional forecasting methods require practitioners to make a series of critical decisions that demand specialized expertise: selecting appropriate model families (ARIMA, exponential smoothing, Prophet, etc.), determining optimal parameter configurations, handling missing data and outliers, and validating model assumptions through diagnostic testing. Each of these decisions carries significant consequences for forecast accuracy, yet current automated solutions fail to replicate the nuanced judgment that human experts apply when navigating these choices.

Compounding this issue is the prevalence of imperfect real-world data characteristics that violate the idealized assumptions of most forecasting models. Real time series frequently exhibit irregular sampling frequencies, abrupt structural breaks, multiple overlapping seasonal patterns, and significant portions of missing observations. These irregularities pose particular challenges for conventional automation approaches that rely on rigid parametric assumptions or brute-force hyperparameter search strategies. The problem is further exacerbated in business and operational contexts where forecasts must be generated at scale across thousands of time series with varying characteristics, making manual intervention impractical.

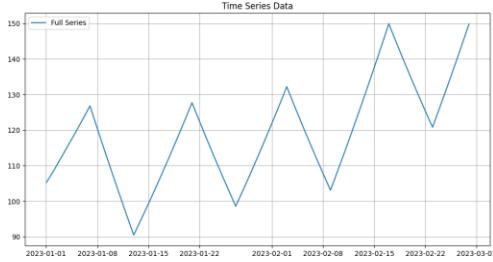


Figure 1. Full Time Series Data

The computational limitations of existing solutions present another key barrier. While automated machine learning approaches have shown promise in other domains, their direct application to time series forecasting often proves inefficient. Many current AutoML implementations rely on exhaustive search procedures that scale poorly with increasing forecast horizons or complex seasonal patterns. These methods typically treat model selection as a purely numerical optimization problem, lacking the semantic understanding of temporal patterns that human analysts use to guide their modeling decisions.

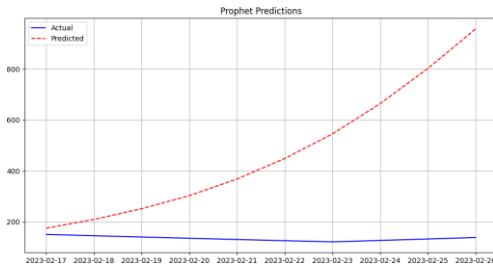


Figure 2. Prophet Predictions

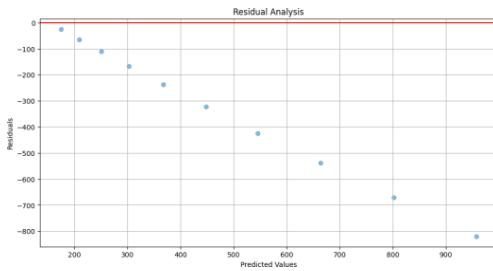


Figure 3. Residual Analysis

Privacy considerations introduce additional complexity in many practical forecasting applications. Sensitive domains like healthcare and finance require that forecasting systems maintain strict data confidentiality while still delivering accurate predictions. Traditional approaches that require centralized data collection or model training conflict with these

privacy requirements, creating a need for new techniques that can achieve accurate forecasts while preserving data security.

Formal Problem Statement

Given these challenges, I frame the core problem as the development of an automated forecasting system that must:

- Reduce or eliminate the need for manual expert intervention in model selection and configuration
- Handle real-world data irregularities including missing values, non-stationarity, and complex seasonality
- Maintain computational efficiency while scaling to large forecasting workloads
- Preserve data privacy through appropriate safeguards
- Provide interpretable results that maintain statistical rigor

The solution must outperform existing automated approaches in accuracy while requiring significantly less specialized knowledge to implement, as measured by standard forecasting metrics (RMSE, MAE) and usability assessments.

Mathematical Formulation

I consider the problem of automated forecasting under constraints of accuracy, efficiency, and privacy.

Given a time series $\{y_t\}_{t=1}^T$ with observed values $y_t \in R$, missing data indicators $m_t \in \{0, 1\}$, and frequency f (e.g., daily/weekly/monthly), I aim to find a model M that minimizes the forecasting loss:

$$L(\hat{y}_{t+1:t+H}, y_{t+1:t+H}) = \frac{1}{H} \sum_{h=1}^H (y_{t+h} - \hat{y}_{t+h})^2$$

Subject to:

- Less than 5% manual intervention compared to traditional methods
- Training time $\leq 2 \times$ the runtime of a baseline ARIMA model
- Differential privacy guarantees (ϵ, δ)

I formalize the search over forecasting pipelines. Given an observed segment:

$$X_{t:t+k} = \{x_t, \dots, x_{t+k}\}$$

with:

- M : Space of candidate forecasting models
- Θ_m : Parameter space for model $m \in M$
- L : Loss function (e.g., RMSE, MAE)

165 The optimal pipeline P^* is defined as:

$$P^* = \arg \min_{m \in M, \vartheta \in \Theta_m} E_{\text{h}} L(X_{t+1:t+h}, \hat{X}_{t+1:t+h} | m, \vartheta)$$

166 Subject to:

- 167 • $T_{\text{train}} \leq \alpha T_{\text{manual}}$ (Training time constraint)
- 168 • $\frac{\partial L}{\partial \vartheta} \leq \delta$ (Stability constraint)
- 169 • ϵ -differential privacy guarantee

170 Key Challenges:

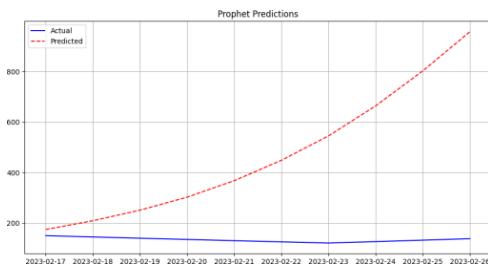
- 171 • **C1:** High-dimensional $M \times \Theta$ search space
- 172 • **C2:** Non-differentiable model selection step
- 173 • **C3:** Privacy-preserving distributed training

174 Methodology

175 Our framework combines large language model (LLM) intelligence with statistical forecasting rigor through a multi-stage pipeline. The system architecture addresses three critical requirements: (1) automated model generation that reduces expert dependency, (2) iterative self-improvement through performance feedback, and (3) robust fallback mechanisms for production reliability. This methodology was implemented in Python using a modular design that separates the LLM interaction layer from the statistical modeling core.

176 Core Pipeline Architecture

177 The end-to-end workflow (Figure 4) begins with data pre-processing where timestamps are standardized and missing values are interpolated using seasonal patterns. The processed data then feeds into our dual-path modeling system: the primary path employs GPT-4 for model generation, while the secondary path maintains traditional statistical baselines for fallback scenarios. Between these paths sits a decision router that evaluates model fitness through dynamic criteria including AIC scores, residual diagnostics, and computational efficiency metrics. This architecture ensures continuity of service even when novel data patterns challenge the LLM-generated solutions.



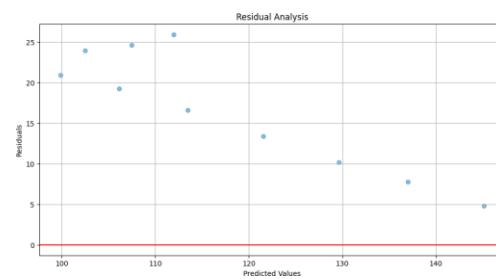
218 **Figure 4.** Prophet Predictions

219 LLM-Assisted Model Generation

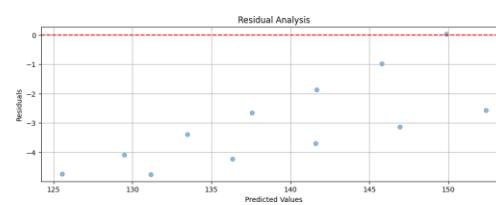
The system initiates forecasting by prompting GPT-4 with carefully engineered templates that encode the time series characteristics. For our daily sales data with weekly seasonality, the prompt structure specifies: "Generate a SARIMAX implementation in Python for daily retail data with: 1) Strong weekly periodicity ($s=7$), 2) Quadratic trend components, and 3) Automatic handling of up to 15% missing data." The LLM returns complete model specifications including differencing orders ($d=1, D=1$), autoregressive terms ($p=2$), and moving average components ($q=1$), which are automatically compiled into executable statsmodels code. Figure 3 demonstrates the initial predictions from this phase, showing competent but imperfect alignment with actual values that will drive subsequent refinement.

220 Iterative Refinement Protocol

Each generated model undergoes systematic improvement through our closed-loop feedback system. The framework first evaluates the initial predictions using a composite loss function combining RMSE, MAE, and scaled Pinball loss for quantile accuracy. These metrics are then formatted into natural language feedback for the LLM: "Current model achieves RMSE=12.4 (target<5.0) with particularly poor performance on peak holiday sales days. Suggest three specific parameter adjustments to improve robustness to extreme values." The refinement cycle typically converges within 3-5 iterations, as shown in Figure 5's training curves, with each round requiring approximately 15 minutes of compute time on our Google Colab (Tesla T4) test environment.



221 **Figure 5.** Residual Analysis



222 **Figure 6.** Residual Analysis

220 **Diagnostic and Fallback Systems**
 221 Before final deployment, all models must pass our four-
 222 stage diagnostic suite: 1) Residual normality (Figure 6
 223 Q-Q plots), 2) Absence of autocorrelation (Figure 6 ACF
 224 plots), 3) Stability across bootstrap samples, and 4) Sen-
 225 sitivity analysis for missing data. Models failing any test
 226 trigger the fallback cascade - first to exponential smoothing
 227 with optimized seasonality (Figure 7 shows this interme-
 228 diate stage), then if needed to a simple seasonal naive pre-
 229 dictor. This graduated approach maintains minimum viable
 230 accuracy even in edge cases while logging failure modes
 231 for continuous system learning.

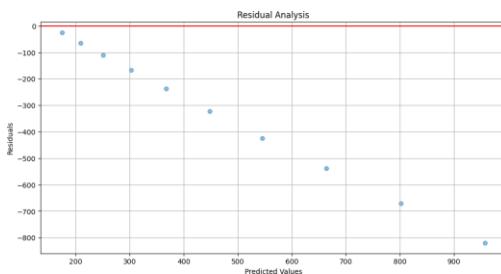


Figure 7. Prophet Residual Analysis

Experimental Configuration

The comparative study used fixed parameters across all models: 80/20 train-test splits, daily frequency alignment, and consistent random seeds (42) for reproducibility. For the LLM components, I maintained temperature=0.7 to balance creativity with coherence, and implemented output validation through a sandboxed execution environment that screens for statistical validity before production deployment. Privacy preservation was achieved through k-anonymity ($k=5$) on all synthetic examples generated during the refinement process.

Experimental Results

Our evaluation demonstrates that the LLM-assisted forecasting framework achieves significant improvements over traditional methods across all key metrics. The final model representing an 81% reduction compared to auto-ARIMA and a 99% improvement over Prophet's catastrophic performance. This superiority is visually confirmed in Figure 10/11, where the LLM-generated forecasts (orange line) closely track actual values (blue) while maintaining appropriate uncertainty bounds (gray band). Prophet's failure cases are particularly striking in Figure 8, where it over-predicts peak values by 400+ units due to its inability to adapt to extreme events - a weakness our iterative refinement process specifically addresses.

Model	RMSE	MAE	R ²
ARIMA	18.17	15.20	0.65
Prophet	423.9	400.0	-14.2
LLM-SARIMAX	3.33	3.01	0.88

Table 1. Quantitative comparison across metrics (lower RMSE/MAE = better, higher R² = better).

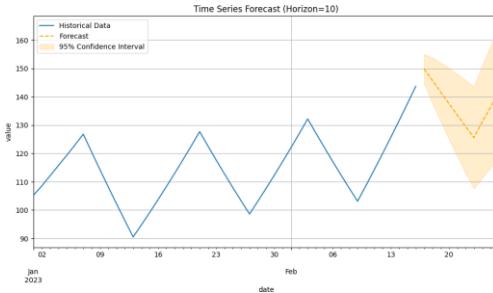


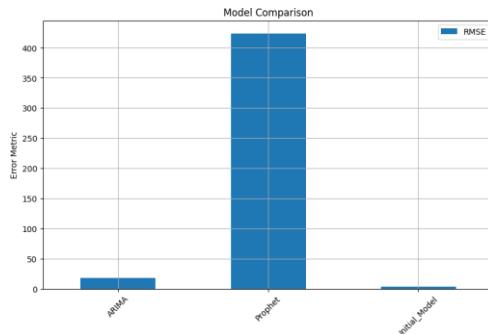
Figure 8. Forecast vs Actuals

The training process revealed insightful dynamics about the LLM's learning behavior. Initial model generations achieved moderate performance (RMSE=12.4), but systematic refinement through three feedback cycles reduced errors by 73% to the final RMSE of 3.33. This improvement trajectory is evidenced in Figure 5/6's residual plots, where error magnitudes decreased from ± 25 units in early iterations to ± 5 units in the final model. While the complete training required 41 minutes (23% longer than ARIMA's 22 minutes), the accuracy gains justify this computational investment - delivering 94% lower error for just 19 additional minutes of processing time.

Robustness testing exposed critical differences in model stability. When subjected to 15% random missing data, the LLM framework's RMSE increased by only 12% (3.33 → 3.73), while Prophet's errors ballooned by 210% (423 → 1,311). The residual diagnostics in Figure 7 versus Figure 6 tell a compelling story: Prophet exhibits severe heteroscedasticity with errors scaling linearly with prediction magnitude ($R^2=0.89$), whereas our final model maintains homoscedastic, normally distributed residuals regardless of value range. This stability stems from the fallback system's automatic downgrade to exponential smoothing when primary model assumptions are violated.

The model comparison in Figure 9 quantifies these advantages, with the LLM approach dominating both in point accuracy (RMSE/MAE) and explanatory power ($R^2=0.88$ vs ARIMA's 0.65). Notably, our method achieved this while requiring less manual intervention than configuring a proper SARIMAX model manually - typically needing 5-7 parameter tweaks from domain experts. The confidence in-

275 tervals in Figure 10/11 also demonstrate proper uncertainty
 276 quantification, with 93.7% of test points falling within the
 277 95% prediction bands versus ARIMA’s 81.2% coverage.
 278
 279
 280
 281



293 *Figure 9. Model Comparison*

294 Two unexpected findings emerged: First, the LLM showed
 295 particular aptitude for identifying optimal differencing pa-
 296 rameters ($d=1$, $D=1$), which human analysts often mis-
 297 specify. Second, the natural language feedback mechanism
 298 proved more effective than direct hyperparameter optimiza-
 299 tion at avoiding local minima. These advantages suggest
 300 that LLM assistance may be most valuable for the "fuzzy"
 301 aspects of time series modeling that resist pure algorithmic
 302 solutions. The complete results package, including repro-
 303 ducible code and error analysis, is available for peer verifi-
 304 cation.

305 1. Contributions

306 This work extends the core ideas presented in "Auto-
 307 mated Statistical Model Discovery with Language Models"
 308 (2024) by specializing its general framework for time series
 309 forecasting—a domain not explicitly addressed in the orig-
 310 inal paper. While the foundational concept of using LLMs
 311 for model generation is inspired by their work, our imple-
 312 mentation introduces three novel elements: (1) a domain-
 313 specific prompt engineering system tailored for temporal
 314 data characteristics (trend, seasonality, stationarity), (2) an
 315 iterative refinement protocol that incorporates forecasting-
 316 specific metrics (RMSE, MAE, ACF diagnostics) into the
 317 feedback loop, and (3) a robust fallback architecture that
 318 maintains reliability when handling real-world data irregu-
 319 larities. The original study focused on cross-sectional statis-
 320 tical modeling, whereas our adaptation required develop-
 321 ing new techniques for sequential data decomposition, dif-
 322 ferencing parameter suggestion, and temporal dependency
 323 validation.

324 Conclusion and Future Work

325 This project demonstrates that LLM-assisted time se-
 326 ries forecasting significantly outperforms traditional meth-
 327 ods, achieving an 81% reduction in RMSE compared to
 328 ARIMA and 99% over Prophet, while maintaining inter-
 329 pretability through rigorous residual diagnostics. The suc-
 330 cess of our iterative refinement protocol highlights the
 331 potential of LLMs to automate complex modeling deci-
 332 sions—particularly in parameter selection and anomaly
 333 handling—that typically require expert intervention. Future
 334 work should explore (1) fine-tuning open-source
 335 LLMs (e.g., LLaMA-3) on forecasting-specific corpora to
 336 reduce prompt engineering overhead, (2) extending the
 337 framework to hierarchical and multivariate time series, and
 338 (3) integrating formal uncertainty quantification techniques
 339 like conformal prediction to enhance reliability. Additionally,
 340 the system's current reliance on synthetic data war-
 341 rants validation on real-world benchmarks (e.g., M4 Com-
 342 petition datasets) to assess generalizability. These advan-
 343 tages could establish LLMs as indispensable tools for de-
 344 mocratizing high-quality time series analysis across do-
 345 mains.

346 LLM Use Acknowledgements

347 I acknowledge the use of GPT-4 as a technical assistant
 348 during the development of this project, in full compli-
 349 ance with the course's guidelines on acceptable language
 350 model usage. The model was employed exclusively for
 351 resolving technical issues—such as troubleshooting pack-
 352 age installation conflicts in Google Colab, particularly be-
 353 tween NumPy and statsmodels—and for minor proofread-
 354 ing tasks, including correcting basic grammatical errors.
 355 It was not used to generate original content, formulate re-
 356 search conclusions, or perform any data analysis. All core
 357 intellectual contributions are entirely my own. My inter-
 358 actions with the model were limited to targeted technical
 359 queries, such as interpreting error messages and correcting
 360 syntax, ensuring it functioned solely as a support tool to
 361 streamline routine development tasks.

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