

1.The rules that must be followed when writing a program are called ____.

- a.syntax
- b.punctuation
- c.key words
- d.operators

syntax

2.A(n) ____ program translates a high-level language program into a separate machine language program.

- a.assembler
- b.compiler
- c.translator
- d.utility

compiler

3.The ____ translates an assembly language program to a machine language program.

- a.assembler
- b.compiler
- c.translator
- d.interpreter

assembler

4.A(n) ____ is a set of instructions that a computer follows to perform a task.

- a.compiler
- b.program
- c.interpreter
- d.programming language

program

5.Which of the following error can a compiler check?

- a. Syntax Error
- b. Logical Error

- c. Both Logical and Syntax Error
- d. Compiler cannot check errors

Syntax Error

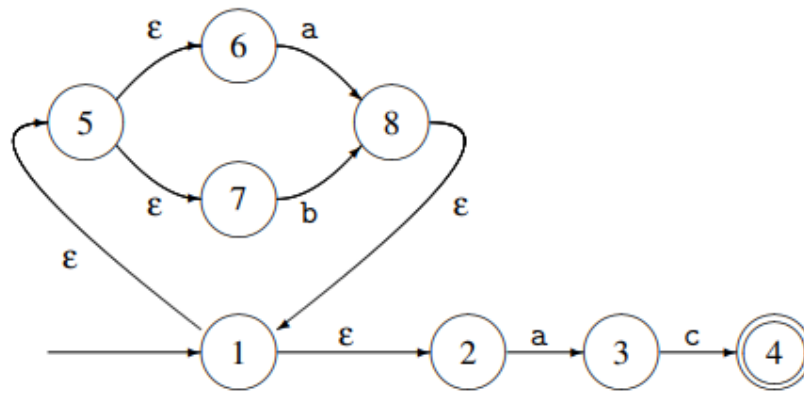
6. Which of the following phase of the compiler is Syntax Analysis?

- a. Second
- b. Third
- c. First
- d. All of the mentioned

Second

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- 1. compilers are translators. **(true)**
 - 2. rules of CFG are mostly not recursive. **(false)**
 - 3. syntax of a language is specified by a CFG. **(true)**
 - 4. A lexical analyzer checks whether a given program satisfies the rules implied by a CFG or not. **(false)**
 - 5. For simplicity, a token may have a single attribute which holds the required information for that token. **(true)**
 - 6. Sentence and word are also used in terms of string. **(true)**
 - 7. We can give names to regular expressions, and we can use these names as symbols to define other regular expressions. **(true)**
 - 8. we may use a deterministic or non-deterministic automaton as a lexical analyzer. **(true)**
 - 9. Both deterministic and non-deterministic finite automaton recognize regular sets. **(true)**
 - 10. Epsilon- transitions are allowed in NFAs. In other words, we can move from one state to another one without consuming any symbol. **(true)**
 - 11. We may convert a regular expression into a DFA (without creating a NFA first). **(true)**
 - 12. in converting a NFA to DFA, the start state of DFA is epsilon-closure ($\{s_0\}$). **(true)**

Convert From NFA to DFA:



Ans:

$$\begin{aligned}
 move(s'_0, a) &= \epsilon\text{-closure}(\{t \mid s \in \{1, 2, 5, 6, 7\} \text{ and } s^a t \in T\}) \\
 &= \epsilon\text{-closure}(\{3, 8\}) \\
 &= \{3, 8, 1, 2, 5, 6, 7\} \\
 &= s'_1
 \end{aligned}$$

$$\begin{aligned}
 move(s'_0, b) &= \epsilon\text{-closure}(\{t \mid s \in \{1, 2, 5, 6, 7\} \text{ and } s^b t \in T\}) \\
 &= \epsilon\text{-closure}(\{8\}) \\
 &= \{8, 1, 2, 5, 6, 7\} \\
 &= s'_2
 \end{aligned}$$

$$\begin{aligned}
 move(s'_0, c) &= \epsilon\text{-closure}(\{t \mid s \in \{1, 2, 5, 6, 7\} \text{ and } s^c t \in T\}) \\
 &= \epsilon\text{-closure}(\{\}) \\
 &= \{\}
 \end{aligned}$$

$$\begin{aligned}
 move(s'_1, a) &= \epsilon\text{-closure}(\{t \mid s \in \{3, 8, 1, 2, 5, 6, 7\} \text{ and } s^a t \in T\}) \\
 &= \epsilon\text{-closure}(\{3, 8\}) \\
 &= \{3, 8, 1, 2, 5, 6, 7\} \\
 &= s'_1
 \end{aligned}$$

$$\begin{aligned}
 move(s'_1, b) &= \epsilon\text{-closure}(\{t \mid s \in \{3, 8, 1, 2, 5, 6, 7\} \text{ and } s^b t \in T\}) \\
 &= \epsilon\text{-closure}(\{8\}) \\
 &= \{8, 1, 2, 5, 6, 7\} \\
 &= s'_2
 \end{aligned}$$

$$\begin{aligned}
 move(s'_1, c) &= \epsilon\text{-closure}(\{t \mid s \in \{3, 8, 1, 2, 5, 6, 7\} \text{ and } s^c t \in T\}) \\
 &= \epsilon\text{-closure}(\{4\}) \\
 &= \{4\} \\
 &= s'_3
 \end{aligned}$$

$$\begin{aligned}
 move(s'_2, a) &= \epsilon\text{-closure}(\{t \mid s \in \{8, 1, 2, 5, 6, 7\} \text{ and } s^a t \in T\}) \\
 &= \epsilon\text{-closure}(\{3, 8\}) \\
 &= \{3, 8, 1, 2, 5, 6, 7\} \\
 &= s'_1
 \end{aligned}$$

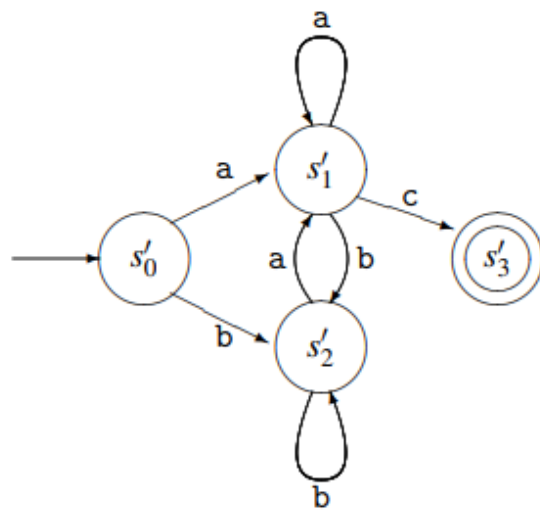
$$\begin{aligned}
 move(s'_2, b) &= \epsilon\text{-closure}(\{t \mid s \in \{8, 1, 2, 5, 6, 7\} \text{ and } s^b t \in T\}) \\
 &= \epsilon\text{-closure}(\{8\}) \\
 &= \{8, 1, 2, 5, 6, 7\} \\
 &= s'_2
 \end{aligned}$$

$$\begin{aligned}
 \text{move}(s'_2, c) &= \varepsilon\text{-closure}(\{t \mid s \in \{8, 1, 2, 5, 6, 7\} \text{ and } s^c t \in T\}) \\
 &= \varepsilon\text{-closure}(\{\}) \\
 &= \{\}
 \end{aligned}$$

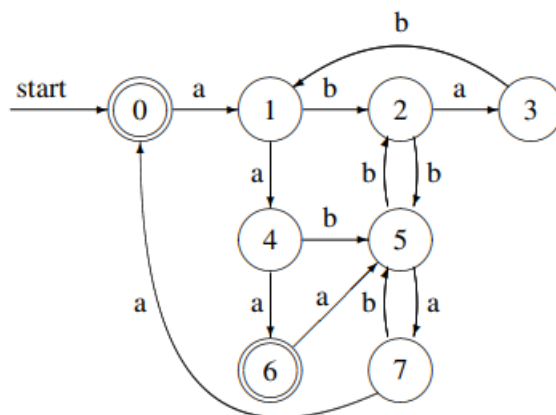
$$\begin{aligned}
 \text{move}(s'_3, a) &= \varepsilon\text{-closure}(\{t \mid s \in \{4\} \text{ and } s^a t \in T\}) \\
 &= \varepsilon\text{-closure}(\{\}) \\
 &= \{\}
 \end{aligned}$$

$$\begin{aligned}
 \text{move}(s'_3, b) &= \varepsilon\text{-closure}(\{t \mid s \in \{4\} \text{ and } s^b t \in T\}) \\
 &= \varepsilon\text{-closure}(\{\}) \\
 &= \{\}
 \end{aligned}$$

$$\begin{aligned}
 \text{move}(s'_3, c) &= \varepsilon\text{-closure}(\{t \mid s \in \{4\} \text{ and } s^c t \in T\}) \\
 &= \varepsilon\text{-closure}(\{\}) \\
 &= \{\}
 \end{aligned}$$



Minimize:



$$G_1 = \{0, 6\}$$

$$G_2 = \{1, 2, 3, 4, 5, 7\}$$

G_1	a	b
0	G_2	—
6	G_2	—

G_2	a	b
1	G_2	G_2
2	G_2	G_2
3	—	G_2
4	G_1	G_2
5	G_2	G_2
7	G_1	G_2

$$G_1 = \{0, 6\}$$

$$G_3 = \{1, 2, 5\}$$

$$G_4 = \{3\}$$

$$G_5 = \{4, 7\}$$

G_3	a	b
1	G_5	G_3
2	G_4	G_3
5	G_5	G_3

$$G_1 = \{0, 6\}$$

$$G_4 = \{3\}$$

$$G_5 = \{4, 7\}$$

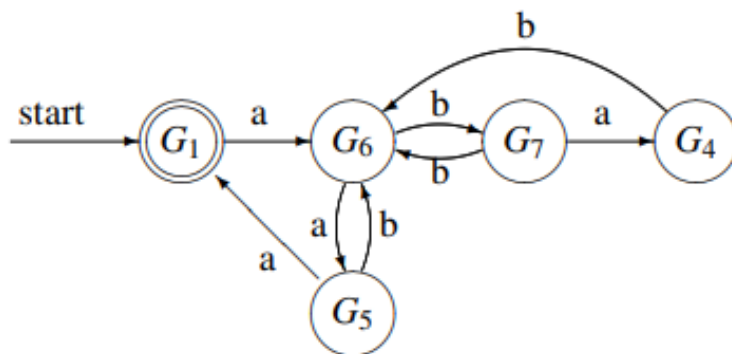
$$G_6 = \{1, 5\}$$

$$G_7 = \{2\}$$

G_5	a	b
4	G_1	G_6
7	G_1	G_6

G_6	a	b
1	G_5	G_7
5	G_5	G_7

G_1	a	b
0	G_6	—
6	G_6	—

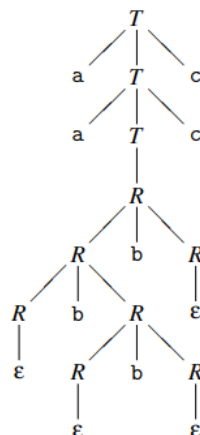


Prove:

$$\begin{array}{lcl} T & \rightarrow & R \\ T & \rightarrow & aTc \\ R & \rightarrow & \\ R & \rightarrow & RbR \end{array}$$

aabbbcc

Ans:

$$\begin{aligned} & \underline{T} \\ \Rightarrow & a\underline{T}c \\ \Rightarrow & aa\underline{T}cc \\ \Rightarrow & aa\underline{R}cc \\ \Rightarrow & aa\underline{R}bRcc \\ \Rightarrow & aa\underline{R}bRbRcc \\ \Rightarrow & aab\underline{R}bRcc \\ \Rightarrow & aab\underline{R}bRbRcc \\ \Rightarrow & aabb\underline{R}bRcc \\ \Rightarrow & aabbbb\underline{R}cc \\ \Rightarrow & aabbbbcc \end{aligned}$$


Left Recursion:

$$\begin{array}{lcl} E & \rightarrow & E + T \mid T \\ T & \rightarrow & T * F \mid F \\ F & \rightarrow & (E) \mid \mathbf{id} \end{array}$$

Ans:

$$\begin{array}{lcl} E & \rightarrow & T \ E' \\ E' & \rightarrow & + \ T \ E' \mid \epsilon \\ T & \rightarrow & F \ T' \\ T' & \rightarrow & * \ F \ T' \mid \epsilon \\ F & \rightarrow & (\ E) \mid \text{id} \end{array}$$

Eliminate Left Recursion:

$$\begin{array}{l|l} S \rightarrow A a & b \\ A \rightarrow A c & S d \mid \epsilon \end{array}$$

Ans:

$$A \rightarrow A c \mid A a d \mid b d \mid \epsilon$$
$$\begin{array}{l} S \rightarrow A a \mid b \\ A \rightarrow b d A' \mid A' \\ A' \rightarrow c A' \mid a d A' \mid \epsilon \end{array}$$