MixMatch: A Holistic Approach to Semi-Supervised Learning

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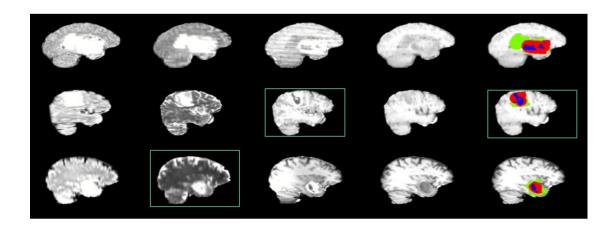
What is Semi-Supervised Learning?

• **Semi-supervised learning** is a learning problem that involves a small number of labeled examples and a large number of unlabeled examples.

It is a type of machine learning that sits between supervised and unsupervised learning.

Why Semi-Supervised Learning?

- Simply because World is full of data ====> but labeling takes time and money
- So, it will be a good thing if we use the unlabeled data effectively.



Let's go back in time a little bit before Mixmatch

Much Recent Approaches:

Many recent approaches for semi-supervised learning add a loss term which is computed on unlabeled data and encourages the model to generalize better to unseen data.

This loss term falls into one of three classes:

- **entropy minimization**: which encourages the model to output confident predictions on unlabeled data.
- **consistency regularization**: which encourages the model to produce the same output distribution when its inputs are perturbed.
- generic regularization: which encourages the model to generalize well and avoid overfitting the training data.

So, What Mixmatch did?...

previous three concepts Together =====>

They tried to use all the



In order to tackle =====>



Hence the name of the

paper ====> "Holistic approach"

The Three concepts & Mixmatch:

• **Consistency Regularization :** MixMatch utilizes a form of consistency regularization through the use of standard data **augmentation** for images (**random horizontal flips and crops**).

• **Entropy Minimization :** MixMatch also implicitly achieves entropy minimization through the use of a "sharpening" function on the target distribution for unlabeled data

 General Regularization: Mixmatch utilize MixUp as both as a regularizer (applied to labeled data points) and a semi-supervised learning method (applied to unlabeled data points).

The Algorithm:

Input: Batch of labeled examples and their one-hot labels X = ((x_b, p_b); b ∈ (1,..., B)), batch of unlabeled examples U = (u_b; b ∈ (1,..., B)), sharpening temperature T, number of augmentations K, Beta distribution parameter α for MixUp.
 for b = 1 to B do

- $\hat{x}_b = \operatorname{Augment}(x_b)$ // Apply data augmentation to x_b for k = 1 to K do
- $\hat{u}_{b,k} = \operatorname{Augment}(u_b) \ // \ Apply \ k^{th} \ round \ of \ data \ augmentation \ to \ u_b$ $\mathbf{end} \ \mathbf{for}$
- 7: $\bar{q}_b = \frac{1}{K} \sum_k \mathrm{p_{model}}(y \mid \hat{u}_{b,k}; \theta)$ // Compute average predictions across all augmentations of u_b 8: $q_b = \mathrm{Sharpen}(\bar{q}_b, T)$ // Apply temperature sharpening to the average prediction (see eq. [7]) 9: **end for**
- 0: $\hat{\mathcal{X}} = ((\hat{x}_b, p_b); b \in (1, ..., B))$ // Augmented labeled examples and their labels
- 1: $\hat{\mathcal{U}} = ((\hat{u}_{b,k}, q_b); b \in (1, \dots, B), k \in (1, \dots, K))$ // Augmented unlabeled examples, guessed labels 2: $\mathcal{W} = \text{Shuffle}(\text{Concat}(\hat{\mathcal{X}}, \hat{\mathcal{U}}))$ // Combine and shuffle labeled and unlabeled data
- 3: $\mathcal{X}' = \left(\operatorname{MixUp}(\hat{\mathcal{X}}_i, \mathcal{W}_i); i \in (1, \dots, |\hat{\mathcal{X}}|)\right)$ // Apply MixUp to labeled data and entries from \mathcal{W}
- 4: $\mathcal{U}' = (\operatorname{MixUp}(\hat{\mathcal{U}}_i, \mathcal{W}_{i+|\hat{\mathcal{X}}|}); i \in (1, \dots, |\hat{\mathcal{U}}|))$ // Apply MixUp to unlabeled data and the rest of \mathcal{W} 5: **return** $\mathcal{X}', \mathcal{U}'$

Sharpening:

$$Sharpen(p,T)_i := p_i^{rac{1}{T}} / \sum_{j=1}^L p_j^{rac{1}{T}}$$

- This step is inspired by the success of entropy minimization in semi-supervised learning.
- Given the average prediction over augmentations a sharpening function is applied to reduce the entropy of the label distribution.
- T (temperature) is a hyper-parameter to adjust this categorical distribution.

Mix up:

$$egin{aligned} \lambda &\sim \mathrm{Beta}(lpha,lpha) \ \lambda' &= \mathrm{max}(\lambda,1-\lambda) \ x' &= \lambda' x_1 + (1-\lambda') \, x_2 \ p' &= \lambda' p_1 + (1-\lambda') \, p_2 \end{aligned}$$

They used MixUp for semi-supervised learning.

Unlike past work for SSL they mix both labeled examples and unlabeled examples with label guesses.

They defined a slightly modified version of MixUp, because they needed to preserve the order of the

batch to compute individual loss components appropriately , they did this using the second equation

Which ensures that x' is closer to x_1 than to x_2 .

Experiments

They did the Experiments on:

- 1- CIFAR10 dataset
- 2 CIFAR100 dataset
- 3- SVHN
- 4- STL10

Implementation details and Results:

- They used the "Wide ResNet-28" model .instead of decaying the learning rate, they
 evaluated models using an exponential moving average of their
 parameters with a decay rate of 0.999. Second, they applied a weight decay of 0.0004 at
 each update for the Wide ResNet-28 model.
- on CIFAR-10 with 250 labels, they reduced the error rate by a factor of 4 (from 38% to 11%)
- On CIFAR-10 with 4000 labels the accuracy was 93.76.

My Experiments

I've implemented Mixmatch and applied it on CIFAR 10 dataset with:

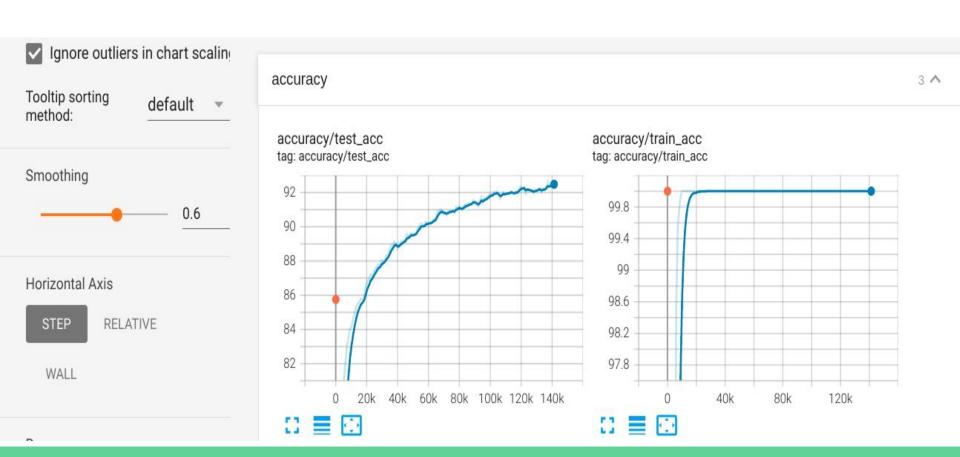
- 1. 250 labeled data
- 2. 1000 labeled data
- 3. 4000 labeled data



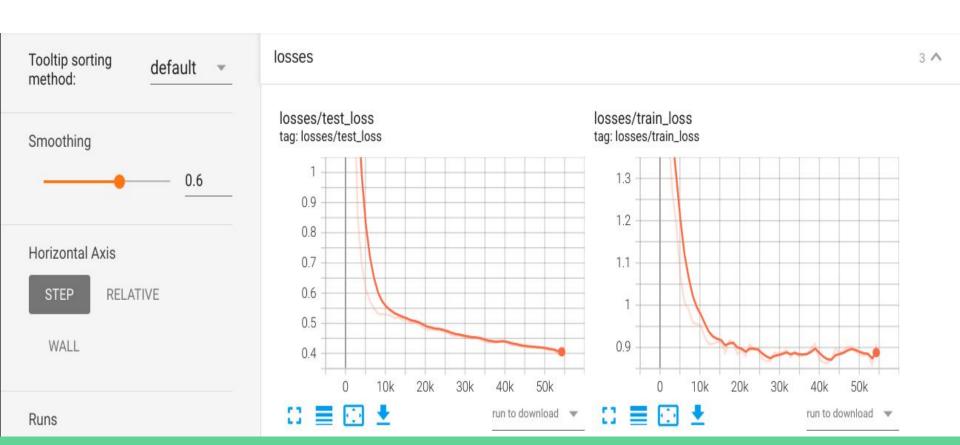




Graphs:



Graphs:



Comparison:

Number of Labels	250	1000	4000
Paper	88.92	92.25	93.76
This Code	86.7	90.2	92.5

Thanks For Your Attention!

