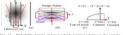
TABLE II CONFUSION MATRIX OF CAR AND

The authors would be the property of the contribution of the contr materiana. Tehn bragame 14 No. Two bragames 4 No.

The bragame is the control of the control of the minimum and the control of the minimum and the control of the control o





$$\begin{aligned} & = \mu(x, \{(X, Z, T, T) \in C) \\ & = \int_{Z} v(Z) \left(x - \frac{T_{X}}{Z}\right) & (15) \\ & = \int_{Z} p(Z) p\left(x - \frac{T_{X}}{Z}, w - \frac{T_{X} - xT_{X}}{Z}\right) dZ \\ & = \int_{Z} p(Z) p\left(x - \frac{xX}{J}, T_{X}, \frac{T_{X} - xT_{X}}{Z}\right) dZ \\ & = \int_{Z} p(Z) p\left(x - \frac{xZ}{J}, T_{X}, T_{X} - \frac{Xv + xT_{X}}{Z}\right) dZ \\ & \times \left| \frac{|Z|^{2}}{J} dZ & |sec (9)| \\ & = \int_{Z} p(Z) p\left(x - \frac{xZ}{J} | Z \right) \\ & \times p\left(T_{X}, T_{X} - \frac{Zv + xT_{X}}{Z} | Z \right) \left| \frac{|Z|^{2}}{J} dZ \\ & \times T_{X}, T_{X}, \text{ independent} \\ & = \int_{Z} p(Z) p\left(x - \frac{xZ}{J} | Z \right) \\ & \times \left\{ \int_{T} p(T_{X}) p\left(T_{X} - \frac{Zv + xT_{X}}{J} | T_{X}, Z \right) dT_{X} \right\} \\ & \times \left| \frac{|Z|}{J} \right| dZ \end{aligned}$$

$$Buggerian$$

Filling in probability distributions of $p(T_x)$, p(Z), and $p(T_y)$, can obtain p(x,v|C) as

can obtain
$$g(x, v(C))$$
 as
$$p(x, v(C)) = C_2 \int_{Z} \int_{Z} e^{-\frac{1}{2} \frac{2\pi^2 T_1^{2/2}}{2T_2^{2/2}}} e^{-\frac{T_1^2 T_1^{2/2}}{2T_2^2}} e^{\frac{T_1^2}{2T_2^2}} \times e^{-\frac{T_1^2}{2T_2^2}} \int_{Z}^{2\pi^2 T_1^{2/2}} \frac{dx_1 dx_2}{|x|^2} e^{-\frac{T_1^2}{2T_2^2} \frac{T_1^2}{2T_2^2}} e^{-\frac{T_1^2}{2T_2^2} \frac{T_1^2}{2T_2^2}} \times \left| \frac{Z}{Z} \right|^2 dT_1 dZ$$

$$= C_2 \int_{Z} \int_{Z} e^{-\frac{T_1^2}{2T_2^2} \frac{T_1^2}{2T_2^2}} e^{-\frac{T_1^2}{2T_2^2} \frac{T_1^2}{2T_2^2}} e^{-\frac{T_1^2}{2T_2^2}} e^{-\frac{T_1^2}{2$$

where C_2 is a constant for normalization, $\int_v \int_{\mathbb{R}} p(x, v|C) dx dv = 1$. Fig. 12(b) shows this likelih

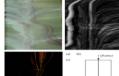


Fig. 6. Examples of different profiles. (a) An intensity profile from tree background and a red cur. (b) A profile from horizental line segments. (c) A profile of intensity peaks in a night scene before a cur stops (i.i.i book





Fig. 7. Tracing centers of line segment clusters. (Left) Profiled distribution of line segments and its smoothed distribution. (Right) An example of trace center (in neurals) coordarpade with traces.

Let us model the motion with probability to determine the state of a tracked object with the HMM. We assign two hidden states to a trace at any time instance t: car and background, which are denoted by C, and B. The observations are image

$$i(x, v|C)$$

$$= \int_{\mathbb{R}^{d}} p(R_{\psi}) \int_{\mathbb{R}^{d}} p(Z)p\left(X = \frac{\pi Z}{f} | Z\right)$$

$$\times \left\{ \int_{\mathbb{R}^{d}} p(T_{\tau})p\left(T_{\tau} = \frac{Zv + T_{\tau}}{f} + \frac{\pi^{2} + f^{2}}{f} ZR_{\psi}|T_{\tau}, Z, R_{\psi} \right) \right.$$

$$\times \left[\frac{|Z|}{f} \right]^{d} dT_{\tau} \right\} dZdR_{\omega}. \quad (17)$$

C. Occurrence of Target Vehicles in Comera Frame
The vertical profiling of intensity and features in video
frames has facilitated target tracking. Here, we examine the
properties of the profiling of the profile of target vehicles. Using the same vehicle pdf in the previous
subsection, we will compute the probability of partner at each
Because the mapping from X, Y, Z to x, y is not a one-stoone relation, the probability p(x, y)(x) is computed to
the probability p(x, y)(x) is computed to.















P(
$$C_t$$
) + P(B_t) = 1.

$$P(C_t|B_{t-1}) = 0.5$$
 $P(B_t|B_{t-1}) = 0.5$
 $P(C_t|C_{t-1}) = 0.8$ $P(B_t|C_{t-1}) = 0.2$. (20)

 $P(C_{t-1})P(C_t|C_{t-1})p(x(t), v(t)|C_t)$. (21)

n, the probability as background is

 $P(B_{\ell}) = \max \left[P(B_{\ell-1})P(B_{\ell}|B_{\ell-1})p(x(t), v(t)|B_{\ell})\right]$ $P(C_{\ell-1})P(B_{\ell}|C_{\ell-1})p(x(t), v(t)|B_{\ell})$. (22)

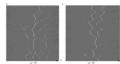
If $P(C_i) > P(B_i)$, then the trace is considered as a car at we f and as background otherwise. The identity of a trace to the state of the state of the state of the state of the minimum duration of time. Otherwise, such a short trace is nowed as noise; we assume that a target vehicle will not sowed as noise; we assume that a target vehicle will not seembles a new FMM. The calculated trace identity may uncertain at the beginning due to lack of evidence. The backlink will increase as the trace is constantly tracked and

to avoid a quick decreasing of the
$$P(C_t)$$
 and $P(B_t)$ value

probability will increase as the trace is constantly transled and conducted.

As we track all the traces in the profiles during valshed by the conduction of the conduction o







relation processing to simultaneously identity and track icles.

In the following, we will give an overview and describe gen-assumptions in Section III. We introduce feature detection tracking in Section III. We investigate the relation properties with the properties of the processing of the properties of the stiffication of feature trajectory as a vehicle or background fection V. Experimental results and discussion are given in tion VI.

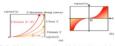
Vehicle Detection and Tracking in Car Video Based on Motion Model

eri, Hongyuan Cai, Member, IEEE, Jiang Yu Zheng, Senior Mihran Twervan, Senior Member, IEEE





$$v(t) = \frac{fXV}{Z^{2}(t)} = \frac{Vx^{2}(t)}{fX}$$
 for $V > 0$.



$$p_{\beta}(\beta) = p_{\chi} \left(f^{-1}(\beta)\right) \left| \frac{\partial f^{-1}(\beta)}{\partial \beta} \right| \text{ or } p_{\beta}(\beta) = \frac{p_{\chi} \left(f^{-1}(\beta)\right)}{\left| \frac{\partial f(\chi)}{\partial \chi} \right|}$$
(9)

toop
$$X$$
 over the Vendes except, where a catalact as
$$p(x,v|B) = p(x,v|(X,Z) \in B) \qquad (10)$$

$$= \int\limits_{X} p(X)p\left(x,v|X,(X,Z) \in B\right) \qquad Cound. Prob.$$

$$= \int\limits_{X} p(X)p\left(Z(x,v),V(x,v)|X\right) \qquad \left|\sum_{X} \frac{|X|^2}{2} dX \qquad [see (9), (1), and (8)]\right|$$

Vehicle Detection and Tracking in Car Video Based on Motion Model



$$\begin{aligned} &Replace\ p(x,v)\ with\ p(Z,V)\ and\\ &compute\ Aradian \end{aligned}$$

$$&=\int_{\mathbb{R}}p(X)p\left(Z(x,v)|X\right)p\left(V(x,v)|X\right)\\ &\times\left|\frac{|Z|^2}{x^2}\right|^2dX \qquad Z,V\ independent\\ &-\int_{\mathbb{R}}p(X)p\left(Z-\frac{fX}{x}|X\right)\\ &\times p\left(V-\frac{vfX}{x}|X\right)\frac{fX}{x^2}|^2dX\ |\operatorname{sec}\left(1\right)\operatorname{and}\left(16\right).\end{aligned}$$

Because p(Z) is invariant in the Z-direction, as depicted in g. 8(a), p(Z) can be moved out of the integral above as a natant. With input original probability distributions of X and, the likelihood pdf for background becomes

skelihood pdf for background becomes

$$p(x, v|B) = C_b \int_{S} p(X)p\left(V = \frac{v|X}{x^2} \mid X\right)$$

$$\times \left| \frac{fX}{x^2} \right|^2 dX \qquad [sec (10)$$

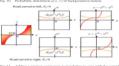
$$= C_b \int_{S} \left(1 - e^{-\frac{v|X}{x^2}} - e^{-\frac{(v|X-x-y)}{x^2}}\right)$$

$$\times \left| \frac{fX}{x^2} \right|^2 dX \qquad (11)$$

$$p(X) = \frac{1 - \exp(-X^2/2D^2)}{1 + |X|}. \tag{12}$$
The likelihood pdf of the background is then
$$p(x, v|B) = C_1 \int_{\mathbb{R}} \frac{1 - e^{-\frac{v_0^2}{2D^2}}}{|X| + 1 + e^{-\frac{v_0^2}{2D^2}}} \left| \frac{fX}{x^2} \right|^2 dX \tag{13}$$

where C_{ij} is a constant for mornalization. Let C_{ij} be some C_{ij} in a constant for mornalization C_{ij} is a constant C_{ij} for C_{ij} and C_{ij} for C_{ij} for





to include all the possible values of
$$R_s(t)$$
 in normal distribution to include all the possible values of $R_s(t)$ in normal distribution to include $R_s(t) = R_s(t) R$