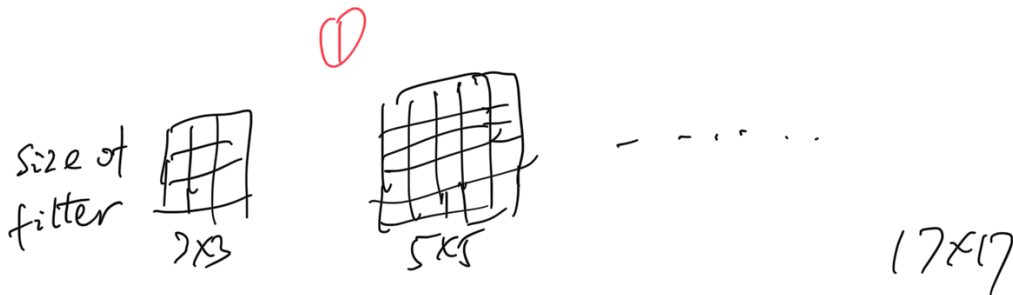
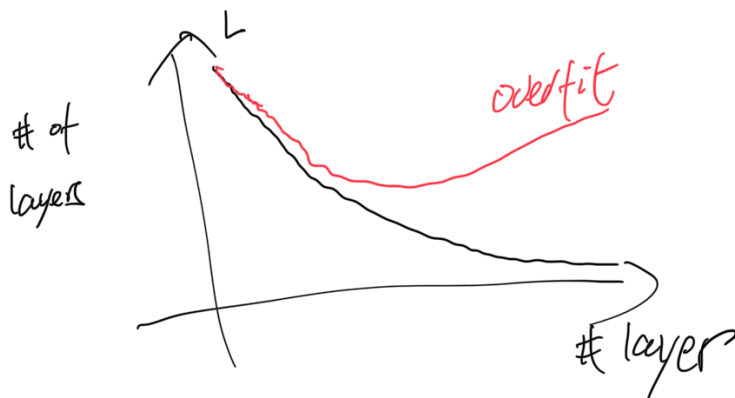


Lecture 6

Try :

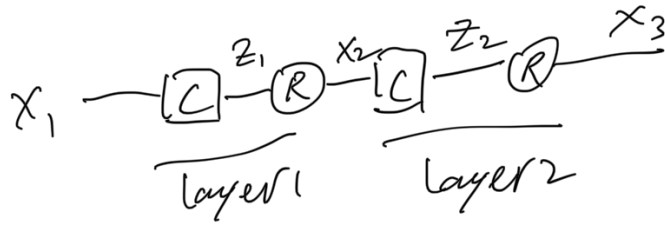
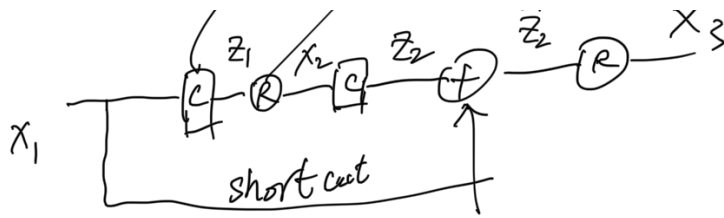
- Normalization
- Batch Normalization
- Drop out
- Augmentation
 - pixel augmentation
 - location
 - color augmentation
- Ensemble

{ affine transformation
- shift, rotate, mirror, ...
- range
brightness, contrast, saturation



ResNet

conv ReLU



$$\checkmark \hat{z}_2 = z_2 + x_1$$

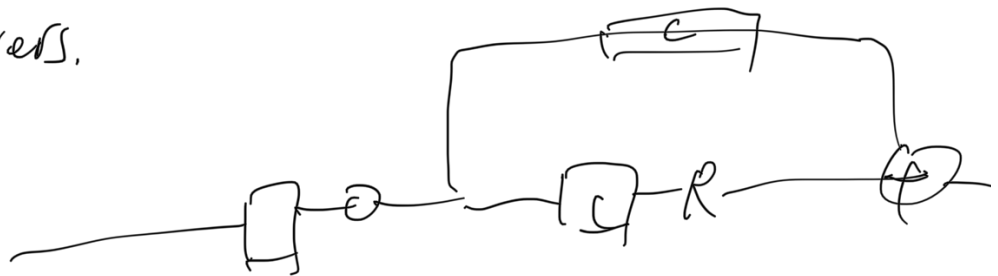
$$\Rightarrow z_2 = C(x_2)$$

$$x_2 = \text{Relu}(z_1)$$

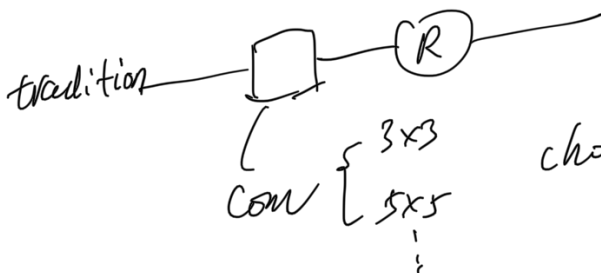
$$z_1 = C(x_1)$$



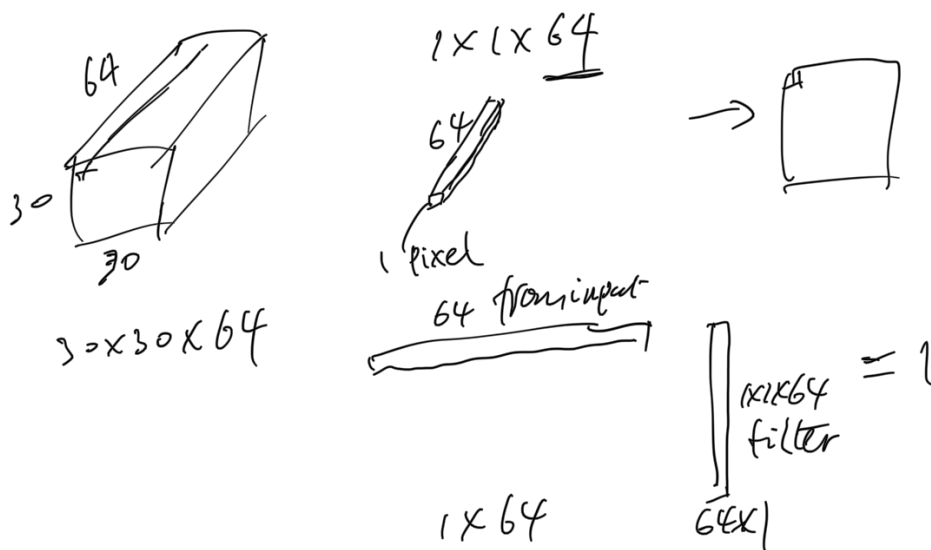
150 layers.



Inception Net



choose one for each layer

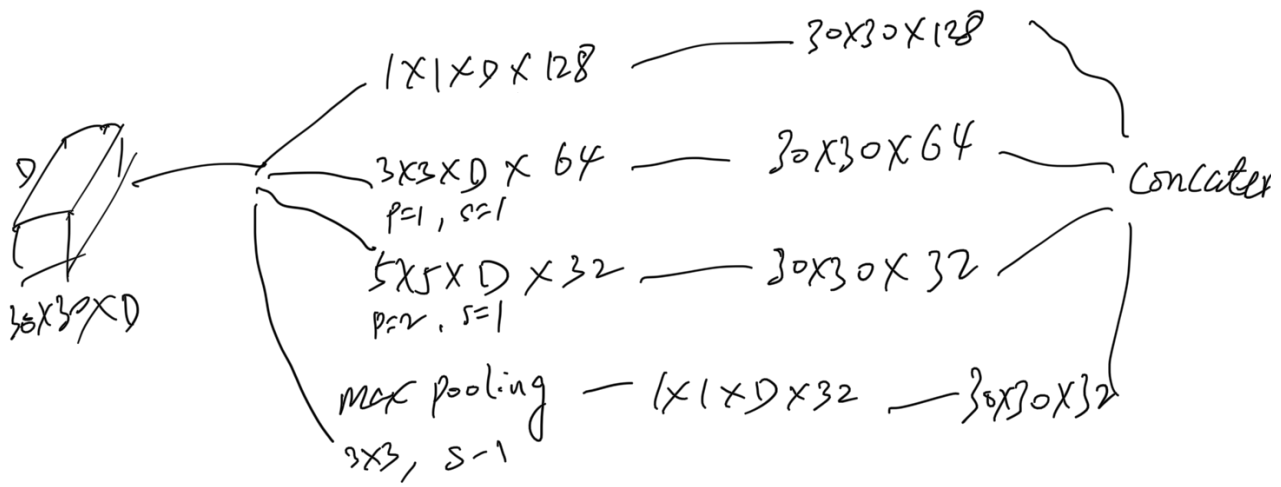


30x30x64 \otimes 3x3x64 = ~~30x30x64~~

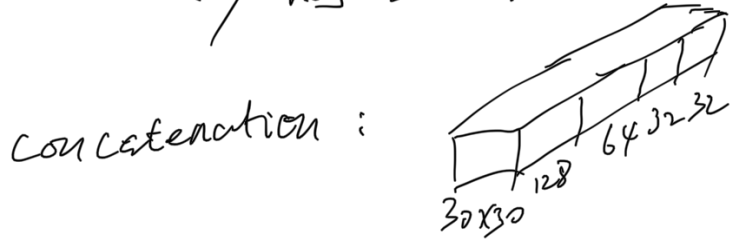
pad = 1

s = 1

128 of them = 30x30x128



lay has 256 filter



Applications :

object recognition, localization, segmentation,
human pose estimation, object pose estimation,
facial recognition.

localization :

output — bounding boxes.



$\{(C_x, C_y, w, h), s_1, s_2, \dots, s_n\}$
0.01 0.05 0.6, 0.1

possible
object types is n

R-CNN

2,000 bounding boxes.

1. Get 2,000 bounding boxes

2. Run CNNNet on each to recognize.

2,000 $[C_x, C_y, w, h]$

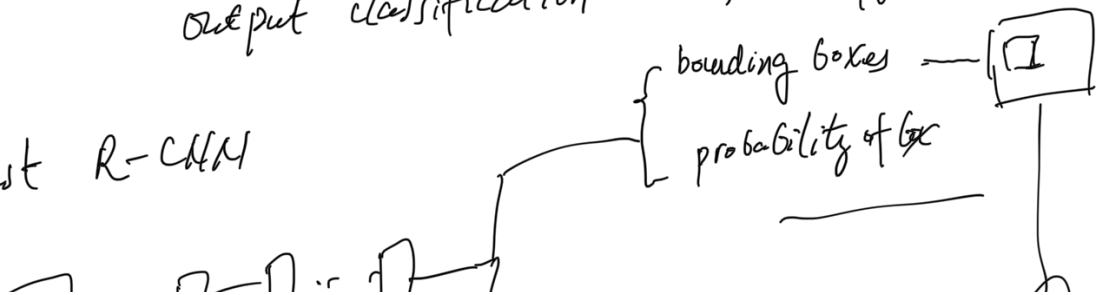
Warp, convert to a fixed size.

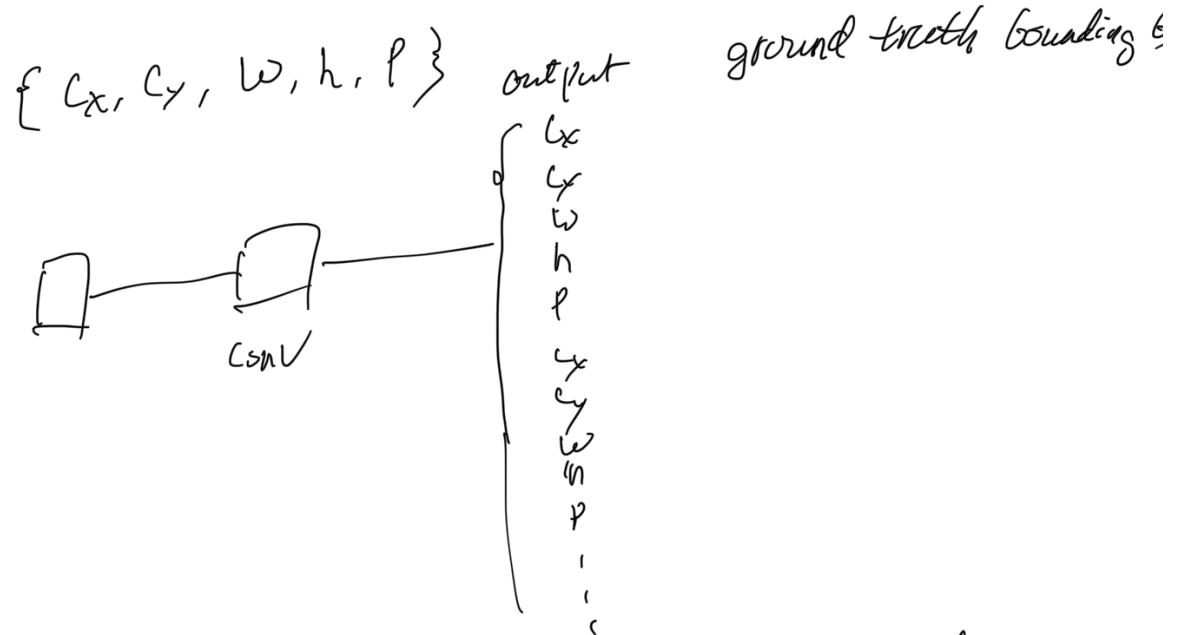
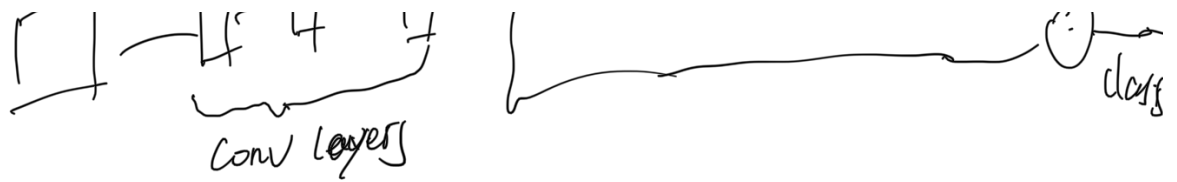
step 2 output :

for each bounding boxes.

output classification result, & offsets.

Fast R-CNN





define loss function. Based on errors in Bboxes.

Yolo :

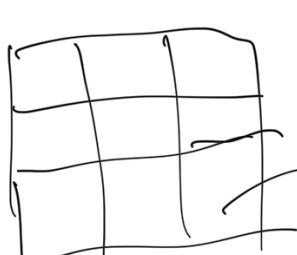
output :

A set of

$$[C_x, C_y, W, h, P, S_1, S_2, \dots, S_n]$$

Bbox
prob. B-box
classification softmax

Divide image into smaller patches.



3x3

each has potential box #
such 2

run in parallel

2 bounding boxes -

output is

$$\left[\underbrace{c_x^1, c_y^1, w^1, h^1, p^1}_{s_1^2}, \underbrace{s_1^1, s_2^1, \dots, s_n^1}_{s_2^2, \dots, s_n^2}, c_x^2, c_y^2, w^2, h^2, p^2 \right]$$

for box, $(5+n) \times 2$

$$c_x, c_y \quad L = \sum ((c_x - \hat{c}_x)^2 + (c_y - \hat{c}_y)^2)$$

box, w, h regression loss

confidence loss

fully overlap with groundth Bbox — $P=1$

proposed Bbox, $\hat{P} - 1$

not fully overlap with groundth Bbox — $P=?$

you give you P

$$P = \frac{A \cap B}{A \cup B}$$