

Deep Learning Framework Modules Documentation

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1 Modules

1.1 DataPreProcessing

DataPreProcessing module is used in manipulating data to make it suitable to be used by the framework.

1.1.1 `get_data(path, label_path = "", shuffle = False)`

Used to get feature matrix and label vector out of files.

The feature matrix is a numpy array with dimensions (N X D), where N: number of samples and D: number of features in every sample.

The label vector is a numpy array with dimensions (N X 1), where N: number of samples.

- Parameters

1. path: {'string'} The path of the file that contains the features and labels.
2. label_path: {'string'} The path of labels file if label is not included in first path.
3. shuffle: {'bool'} If True the rows will be rearranged randomly.

- Return: {'tuple'} of 2 items

1. Feature Matrix: {'numpy.array'}
2. Label Vector: {'numpy.array'}

- Limitations

1. You must input label_path if there are no labels data in first path.
2. Label column name must be 'Label' and can't be anything else.

1.1.2 `normalize(matrix)`

Used to normalize input matrix, The returned matrix has the same dimensions as the input.

- Parameters

1. matrix: {'numpy.array'} Unnormalized matrix.

- Return: {'numpy.array'} normalized matrix.

1.1.3 `split_data(X, label)`

Used to split data into training data set with it's training labels and test data set with it's test labels.

The data is split with splitting ratio 75% training data and 25% testing data.

- Parameters
 1. X: {'numpy.array'} The feature matrix.
 2. label: {'numpy.array'} The labels vector.
- Return: {'tuple'} of 4 items
 1. Training Feature Matrix: {'numpy.array'}
 2. Test Feature Matrix: {'numpy.array'}
 3. Training Label vector: {'numpy.array'}
 4. Test Label Vector: {'numpy.array'}

1.2 Saving and Importing Weights

1.2.1 `save_weights(layer_arr)`

Save a 2d array into csv file.

- Parameters
 1. layer_arr: {numpy_array} The array which holds numbers.
- Shape
 1. layer_arr: numpy array of shape (N, m) N: number of weights
- Return: {'void'}
- Example: `save_weights(np.array([[1,2,3,4,56,9,7],[3,4,6,7,8]]))`

1.2.2 `import_saved_weights()`

import a 2d array from csv file.

- Parameters
 1. model: {'model'} The structured model to be trained.
- Return: {'numpy.array'} The shape of the array is (N, m) where N: number of weights
- Example: `weights = import_saved_weights()`

1.3 Visualization

1.3.1 `__init__(self, name="the graph", line1="loss", line2="percision")`

Create a graph with a specific name and line names if there is two lines.

- Parameters
 1. name: {'string'} A string holds the graph name.
 2. line1: {'string'} A string holds the first line name.
 3. line2: {'string'} A string holds the second line name.
- Example: `p1 = visualization("graph_title","first_line","seconde_line")`

1.3.2 `add_point_to_graph(self,new_value3,it,epoch)`

Update the graph by adding the new point to it and print it and check if the final step reached we save the figure into picture and print it.

- Parameters
 1. new_value3: {'int'} The new value to be added to the graph.
 2. it: {'int'} The number of the iteration.
 3. epoch: {'int'} The iteration witch we stop at.
- Example: `p1.add_point_to_graph(5,1,100)`

1.3.3 `add_two_points_to_graph(self,new_value1,new_value2)`

Update the graph by adding two new points to it then print it.

- Parameters
 1. new_value1: {'int'} A new value to be added to the graph.
 2. new_value2: {'int'} A new value to be added to the graph.
- Example: `p1.add_two_points_to_graph(10,4)`

1.4 Activations

1.4.1 `sigmoid(Z)`

Calculate the sigmoid values and derivative of the sigmoid of the inputs.
based on the formulas:

$$A = 1/(1+e^{\hat{(-Z)}})$$

$$A_dash = A(1-A)$$

- Parameters
 1. Z: {'numpy.array'} Input matrix.

- Shape
 1. Z (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. A: {'numpy.array'} The values of sigmoid of the input, with shape (m,k) m: number of samples , k: number of neurons in current layer.
 2. A_dash: {'numpy.array'} The values of the derivative of the sigmoid related to the input, with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: result,result_der = sigmoid(np.array([4,1,-5,3]))

1.4.2 tanh(Z)

Calculate the tanh values and derivative of the tanh of the inputs.
based on the formulas:

$$A = (e^{\hat{Z}} - e^{-\hat{Z}}) / (e^{\hat{Z}} + e^{-\hat{Z}})$$

$$A_dash = 1 - A^2$$

- Parameters
 1. Z: {'numpy.array'} Input matrix.
- Shape
 1. Z (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. A: {'numpy.array'} The values of tanh of the input, with shape (m,k) m: number of samples , k: number of neurons in current layer.
 2. A_dash: {'numpy.array'} The values of the derivative of the tanh related to the input, with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: result,result_der = tanh(np.array([4,1,-5,3]))

1.4.3 relu(Z)

Calculate the relu values and derivative of the relu of the inputs :
based on the formulas:

$$A = Z \text{ if } Z \geq 0 \text{ otherwise } 0$$

$$A_dash = 1 \text{ if } Z \geq 0 \text{ otherwise } 0$$

- Parameters

1. Z: {'numpy.array'} Input matrix.
- Shape
 1. Z (m, k) m: number of samples , k: number of neurons in current layer.
 - Return: {'tuple'} of 2 items.
 1. A: {'numpy.array'} The values of relu of the input, with shape (m,k) m: number of samples , k: number of neurons in current layer.
 2. A_dash: {'numpy.array'} The values of the derivative of the relu related to the input, with shape (m,k) m: number of samples , k: number of neurons in current layer
 - Example: result,result_der = relu(np.array([4,1,-5,3]))

1.4.4 softmax(A,Y)

Calculate the softmax values and derivative of the softmax of the inputs.
based on the formulas:

$A[i] = e(Z[i]) / \sum(e(Z[j]))$ j: from 1 to number of neurons in output layer
A_dash = 1 , as it is included in the softmax loss function

- Parameters
 1. Z: {'numpy.array'} Input matrix.
- Shape
 1. Z (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. A: {'numpy.array'} The values of softmax of the input, with shape (m,k) m: number of samples , k: number of neurons in current layer.
 2. A_dash: 1
- Example: result,result_der = softmax(np.array([4,1,-5,3]))

1.5 Losses

1.5.1 mse(A,Y)

Calculate the mean square loss and derivative of the mean square loss between label and prediction.

based on the formulas:

Loss = $(1/2m) * (\sum((A-Y)^2))$

Loss_dash = $(1/m) * (A-Y)$

- Parameters
 1. A: {'numpy.array'} The activation output of the output layer.
 2. Y: {'numpy.array'} The labels of the examples.
- Shape
 1. A (m, k) m: number of samples , k: number of neurons in current layer.
 2. Y (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. Loss: {'numpy.array'} The values of loss of the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer.
 2. Loss_dash: {'numpy.array'} The values of the derivative of the loss related to the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: `result,result_der = mse(np.array([4,1,-5,3]),np.array([0,0,1,0]))`

1.5.2 nll(A,Y)

Calculate the negative log likelihood loss and derivative of negative log likelihood loss between label and prediction :

based on the formulas:

Loss = $-\log(\text{prediction}[\text{yi}])$, yi is the index of the correct label

Loss_dash = $-1/Y$

- Parameters
 1. A: {'numpy.array'} The activation output of the output layer.
 2. Y: {'numpy.array'} The labels of the examples.
- Shape
 1. A (m, k) m: number of samples , k: number of neurons in current layer.
 2. Y (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. Loss: {'numpy.array'} The values of loss of the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
 2. Loss_dash: {'numpy.array'} The values of the derivative of the loss related to the inputs , with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: `result,result_der = nll(np.array([4,1,-5,3]),np.array([0,0,1,0]))`

1.5.3 l1(A,Y)

Calculate the mean absolute loss and derivative of the mean absolute loss between label and prediction.

based on the formulas:

$$\text{Loss} = (1/m) * \sum(|A - Y|)$$

$$\text{Loss_dash} = 1 \text{ if } A - Y \geq 0 \text{ otherwise } -1$$

- Parameters
 1. A: {'numpy.array'} The activation output of the output layer.
 2. Y: {'numpy.array'} The labels of the examples.
- Shape
 1. A (m, k) m: number of samples , k: number of neurons in current layer.
 2. Y (m, k) m: number of samples , k: number of neurons in current layer.
- Return: {'tuple'} of 2 items.
 1. Loss: {'numpy.array'} The values of loss of the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
 2. Loss_dash: {'numpy.array'} The values of the derivative of the loss related to the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: result,result_der = l1(np.array([4,1,-5,3]),np.array([0,0,1,0]))

1.5.4 softmax(A,Y)

Calculate the softmax loss and derivative of the softmax between label and prediction.

based on the formulas:

$$\text{Loss} = -\log(\text{prediction}[y_i]), y_i \text{ is the index of the correct label}$$

$$\text{Loss_dash}[r] = -(1 - y_i) \text{ if } r = y_i \text{ otherwise } y_i$$

- Parameters
 1. A: {'numpy.array'} The activation output of the output layer.
 2. Y: {'numpy.array'} The labels of the examples.
- Shape
 1. A (m, k) m: number of samples , k: number of neurons in current layer.
 2. Y (m, k) m: number of samples , k: number of neurons in current layer.

- Return: {'tuple'} of 2 items.
 1. Loss: {'numpy.array'} The values of loss of the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
 2. Loss_dash: {'numpy.array'} The values of the derivative of the loss related to the inputs, with shape (m,k) m: number of samples , k: number of neurons in current layer
- Example: `result,result_der = softmax(np.array([4,1,-5,3]),np.array([0,0,1,0]))`

1.6 Layer

Encapsulate Layers parameters.

1.6.1 `__init__(self,size,activation='Identity')`

Create a Layer with a specific size and activation function.

- Parameters
 1. size: {'tuple'} of 2 items, (input size, neuron count) respectively.
 2. activation: {'string'} Specify the applied activation function on layer.
available activation functions: [Identity, ReLU, Sigmoid, Tanh, Softmax] Default: Identity.
- Shape
 1. size: numpy array of shape(N, m) N: number of features.
- Example: `layer1 = nn.Layer(size=(3,5), activation='ReLU')`

1.6.2 `forward(self,inputs)`

Calculate a forward propagation step:
based on the Linear formula: $Y = \text{activation}(X.W + b)$.

- Parameters
 1. inputs: {'numpy.array'} A numpy array with the previous layer values (or the network inputs).
- Shape
 1. inputs: numpy array of shape (1, N) N: number of features.
- Return: {'numpy.array'} The shape of the array is (1, m), A forward propagation step value after applying activation function.
- Example


```
layer = nn.Layer(size=(3,5), activation='ReLU')
result = layer.forward(np.array([4,1,-5,3]))
```

1.6.3 `__call__(self,inputs)`

Calculate a forward propagation step over one layer:
based on the Linear formula: $Y = \text{activation}(X.W + b)$.

- Parameters
 1. inputs: {'numpy.array'} A numpy array with the previous layer values (or the network inputs).
- Shape
 1. inputs: numpy array of shape (1, N) N: number of features.
- Return: {'numpy.array'} The shape of the array is (1, m), A forward propagation step value after applying activation function.
- Example

```
layer = nn.Layer(size=(3,5), activation='ReLU')
result = layer(np.array([4,1,-5,3]))
```

1.7 Model

Model class encapsulates Layers objects

1.7.1 `__init__(self,*layers)`

Create a Model with a specific number and type of Layers.

- Parameters
 1. layers: {'Layer'} Multi-valued parameter that holds one or more Layer object.
- Shape
 1. layers: (nn.Layer(N,m), nn.Layer(m,k), , nn.Layer(c,1)).
- Example

```
model = nn.Model( Layer(size=(3,5), activation='ReLU'),
Layer(size=(5,10), activation='ReLU'), Layer(size=(10,6), activation='ReLU'),
Layer(size=(6,1), activation='ReLU') )
```

1.7.2 `forward(self,inputs)`

Calculate a forward propagation step over the whole model:
based on the Linear formula: [$A = \text{activation}(\text{Layer}(x))$, $B = \text{activation}(\text{Layer}(A))$,
... $Y = \text{activation}(\text{Layer}(F))$]

- Parameters

1. inputs: {'numpy.array'} A numpy array with the network inputs.
- Shape
 1. inputs: numpy array of shape (1, N) N: number of features.
 - Return: {'numpy.array'} The shape of the array is (1, m), A forward propagation step value after applying activation function.
 - Example


```
model = nn.Model( Layer(size=(3,5), activation='ReLU'), Layer(size=(5,1),
activation='ReLU') )
model.forward(np.array([1,6,-2]))
```

1.7.3 `__call__(self,inputs)`

Calculate a forward propagation step over the whole model:
 based on the Linear formula: [A = activation(Layer(x)), B = activation(Layer(A)),
 . . . Y = activation(Layer(F))].

- Parameters
 1. inputs: {'numpy.array'} A numpy array with the network inputs.
- Shape
 1. inputs: numpy array of shape (1, N) N: number of features.
- Return: {'numpy.array'} The shape of the array is (1, m), A forward propagation step value after applying activation function.
- Example


```
model = nn.Model( Layer(size=(3,5), activation='ReLU'), Layer(size=(5,1),
activation='ReLU') )
model(np.array([1,6,-2]))
```

1.7.4 `fit(self,dataset_input,label,optimization_type,loss_type,alpha,epoch,graph_on = False)`

Executing the learning process for a given dataset.

- Parameters
 1. dataset_input: {'numpy.array'} The source inputs
 2. label: {'numpy.array'} The correct label for each example
 3. optimizatio_type: {'string'} The required learning optmization type
 4. loss_type: {'string'} The required output loss function to use
 5. alpha: {'float'} The required learning rate
 6. epoch: {'int'} The required number of iterations in learning process

- 7. graph_on: {'bool'} A boolean typed value to visualize the process
- Shape: The shape has no changes, it just changes the current values for learning
- Return: {'void'}
- Example: `model.fit(X_train,label_train,'SGD','MSE',alpha = 0.0001,epoch = 50,graph_on = True)`

1.7.5 evaluate(self,test_x,test_y,metric='Accuracy',beta=1.0)

Calculate the evaluation matrices for the testing data set.

- Parameters
 1. test_x: {'numpy.array'} A numpy array with the network testing inputs.
 2. test_y: {'numpy.array'} A numpy array with network testing true labels.
 3. metric: {'list'} Metric name(s) as string or list of strings.
avliable metrics:[Accuracy, Confusion matrix, Precision, Recall, F1 score, FBeta score], Default: Accuracy.
 4. beta: {'float'} A hyperparameter value used to calculate FBeta score.
- Shape
 1. input:
 - (a) test_x: (K, N) K:number of testing samples, N: number of features.
 - (b) test_y: (K, m) K:number of testing samples, m: number of neurons at output.
 2. output: The specified metric value(s).
beside storing all metrics in model variables as follows:
self.accuracy [0-1] value
self.confusion_matrix (2,2) matrix
self.recall [0-1] value
self.precision [0-1] value
self.f1_score [0-1] value
self.fbeta_score [0-1] value
- Example


```
P,R,F1 = model.evaluate( np.array([[1,6,-2],[3,9,12],[7,-3,4]]), np.array([[0],[1],[1]]),
metric=['Precision','Recall','F1_score','FBeta_score'], beta=0.6 )
```

1.7.6 `save(self,path = "model.NND")`

Save model Object on Disk.

- Parameters

1. path: {'string'} Path to the model to be saved. Default: "model.NND"

- Example: `model.save("my model.NND")`

1.7.7 `load(path)`

Import loaded model from Disk.

- Parameters

1. path: {'string'} Path to the model to be loaded.

- Return: {'Model'}

- Example: `model = nn.load("my model.NND")`

1.8 Optimization

1.8.1 `sgd(model,alpha,sample,dloss)`

makes one iteration on the given model using online optimization:

based on the Linear formula:

$$dl/dweights = d(loss)/d(activation_function\ n) * d(activation_function\ n)/d(prediction\ n) * d(prediction\ n)/d(Input\ n) \dots\dots * d(activation_function\ 1)/d(prediction\ 1) * d(prediction\ 1)/d(Input_dataset)$$

- Parameters

1. model: {'model'} The structured model to be trained.
2. alpha: {'float'} The learning rate.
3. sample: {'numpy.array'} One sample from the dataset.
4. dloss: {'numpy.array'} Derivative of the loss function by the activation function of the last layer.

- Shape

1. model: Object from the model class.
2. alpha: Scalar value.
3. sample: numpy.array of shape (1 x number of features).
4. dloss: numpy.array of shape (the same shape of the weights of the last layer).

- Return: {'void'} The function updates the weights and biases of the layers but doesn't return any thing.

- Example: `sgd(model , 0.1 , np.array([1 , 2 , 3 , 4]) , np.array([6]))`

1.8.2 batch(model,sample,dloss)

makes one iteration on the given model using batch optimization:
based on the Linear formula:

$$dl/dweights = d(loss)/d(activation_function\ n) * d(activation_function\ n)/d(prediction\ n) * d(prediction\ n)/d(Input\ n) \dots\dots * d(activation_function\ 1)/d(prediction\ 1) * d(prediction\ 1)/d(Input_dataset).$$

- Parameters
 1. model: {'model'} The structured model to be trained.
 2. sample: {'numpy.array'} One sample from the dataset.
 3. dloss: {'numpy.array'} Derivative of the loss function by the activation function of the last layer.
- Shape
 1. model: Object from the model class.
 2. sample: numpy.array of shape (1 x number of features).
 3. dloss: numpy.array of shape (the same shape of the weights of the last layer).
- Return: {'void'} the function accumulates the gradient of the loss wrt. weights and biases.
- Example: batch(model , np.array([1 , 2 , 3 , 4]) , np.array([6]))

1.8.3 norm(model, size_of_dataset)

This function used in the FIT function to get the norm of the LASTLAYER to compare to epsilon to stop the while loop.

- Parameters
 1. model: {'model'} The structured model to be trained.
 2. size_of_dataset: {'int'} Length of dataset to make normalization to data.
- Return: {'void'}

1.8.4 init_delta(model)

This function makes zeros of all weights_Grad(delta) matrix in begin of optimizations of every layer.

- Parameters
 1. model: {'model'} The structured model to be trained.
- Return: {'void'}

1.8.5 `update_weights_bias(model, alpha, size_of_dataset)`

This function is rule to update weights of each layer according to that rule:
 $W_{i+1} = W_i - \text{Alpha} * \text{gard}$.

- Parameters
 1. `model`: {'model'} The structured model to be trained.
 2. `alpha`: {'float'} The learning rate.
 3. `size_of_dataset`: {'int'} The length of data set.
- Return: {'void'}