

EE213 Term Project Pre-Design Report

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1 Introduction and Project Objective

In this document, the design approaches proposed for given term project of EE213. The term-project requirements can be basically summarized that, students are expected to design an experiment to measure the distance of a light source. It is given that the component "LDR (Light Dependent Resistor)" will be used as the sensor element. Also the basic passive components, Op-Amps and laboratory equipments are in the scope of use. The physical appearance of a photoresistor is given in the Figure 1.



Figure 1: The physical appearance of the LDR component

As students, we are expected to prepare a proper experiment procedure including Pre-Lab work and testing phases. There are two measurement solutions to be proposed. The first one is constructed on the basic working principle of the photoresistor and properties of constant light sources. The second one is based on modified version of the Time of Flight solution which widely used in industrial distance measurement devices. Both proposals share the same objective of to be able to characterize light dependent resistor. Also the preliminary measurements and experiment results for the both approach is reported.

2 Proposal 1

In this section the first proposal is described.

2.1 Linear Approach

In this approach, the linear behavior of the LDR component against light intensity is aimed to be used. The setup simply includes a light source , an LDR and a multimeter connected to that LDR. The circuit schematic is given in the Figure 2.

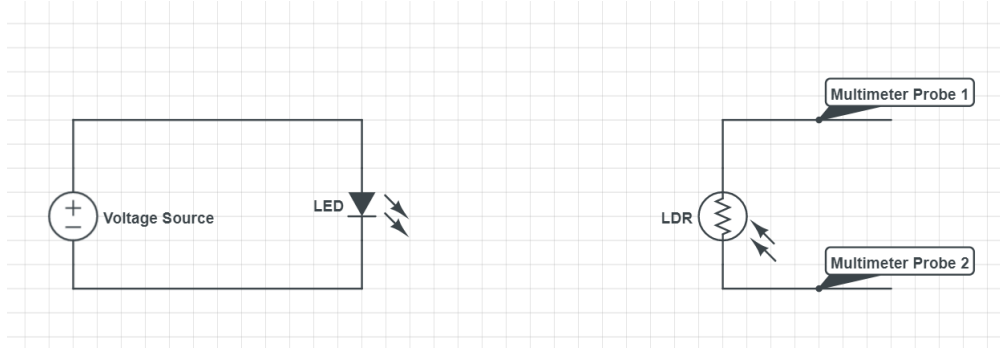


Figure 2: The circuit constructed for the proposal 1

2.1.1 Light Intensity and Distance Relation

From the fundamentals of physics it is stated that the the light intensity caused by a single light source drops by inverse square of its distance. This is also illustrated in Figure 3.

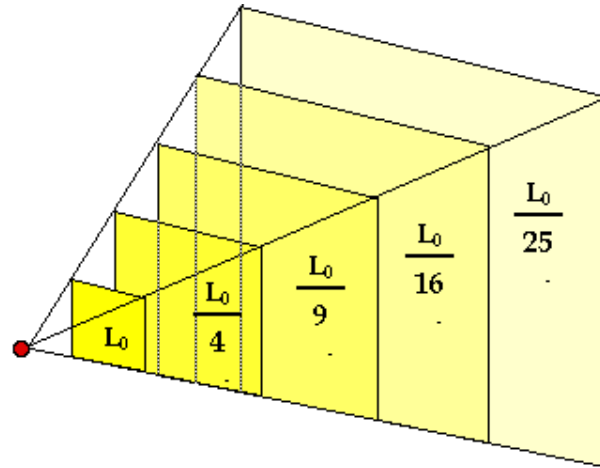


Figure 3: The visual illustration of the light intensity distance relation (Source:NASA)

This relation also mathematically modelled by the equation:

$$lightintensity = \frac{1}{distance^2}$$

2.1.2 The LDR Component

The Light Dependent Resistor(frequently abbreviated as LDR), is a semiconductor component so that its resistance changes when the illumination on its surface change. The resistance curve of an LDR is given in the Figure 4.

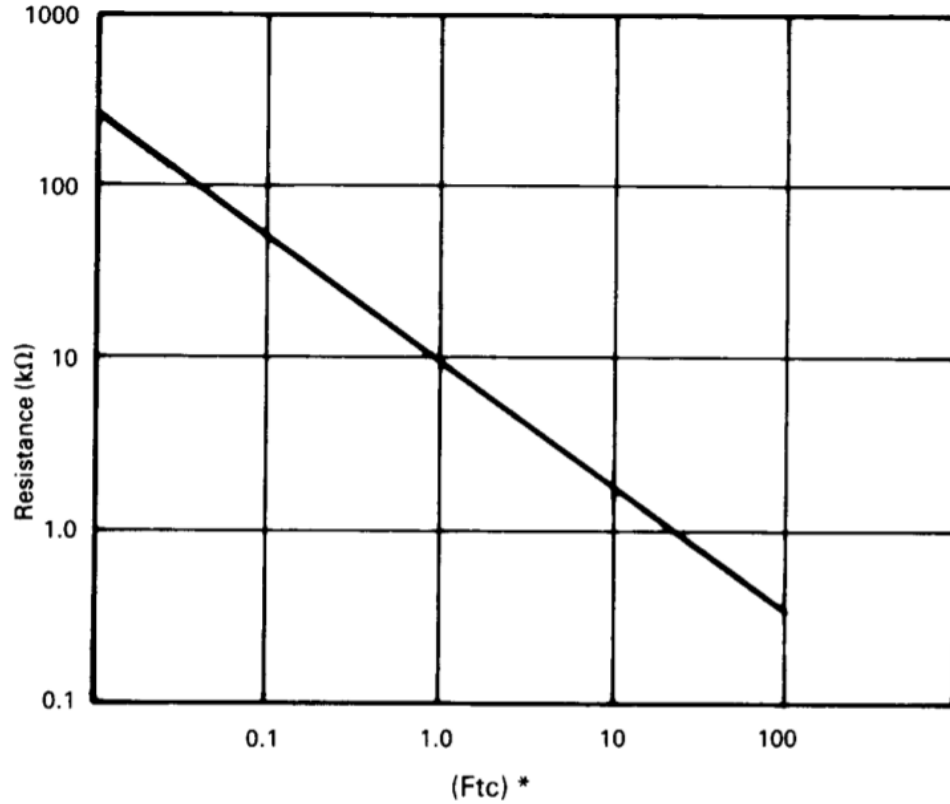


Figure 4: Resistance versus illumination for an LDR. (1 ftc = 10.764 lumens)

Although it seems this linear curve makes process pretty straightforward, it is not so. The real life conditions (which we can not omit ambient light) makes the calibration phase more crucial.

2.2 Preliminary Measurements

Preliminary measurements constitutes the base for the equations given in the section 2.3 . The setup given in the Figure 2 is set. Then different resistance measurements are made on two different ambient light setup while the light source is placed on the known distance. The distance increased gradually while measuring. Then obtained data plotted. The plot is given in the Figure 5.

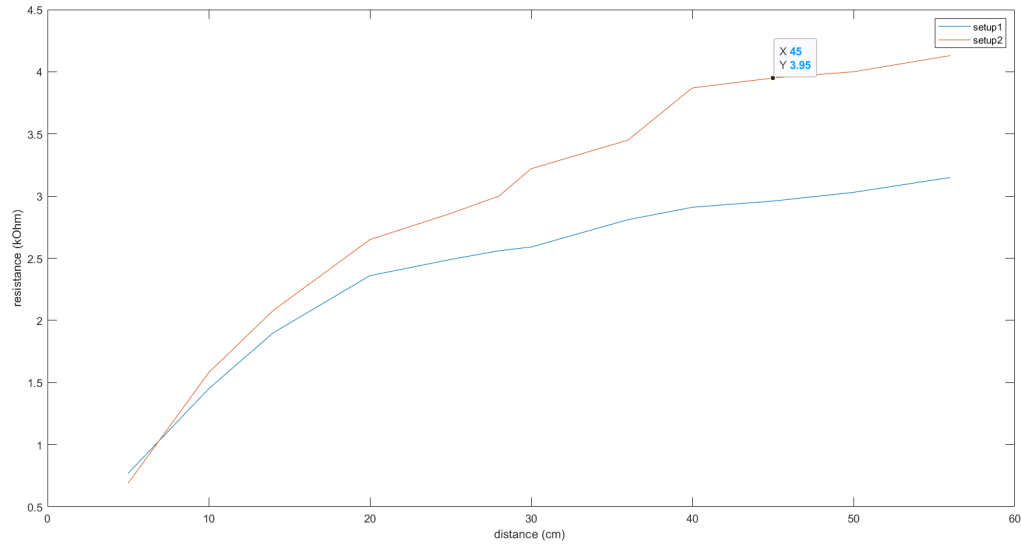


Figure 5: Plot of measurements made at two different setup

Then different equations are fitted to these curves. Second degree polynomial fits are given in Figure 6 and Figure 7.

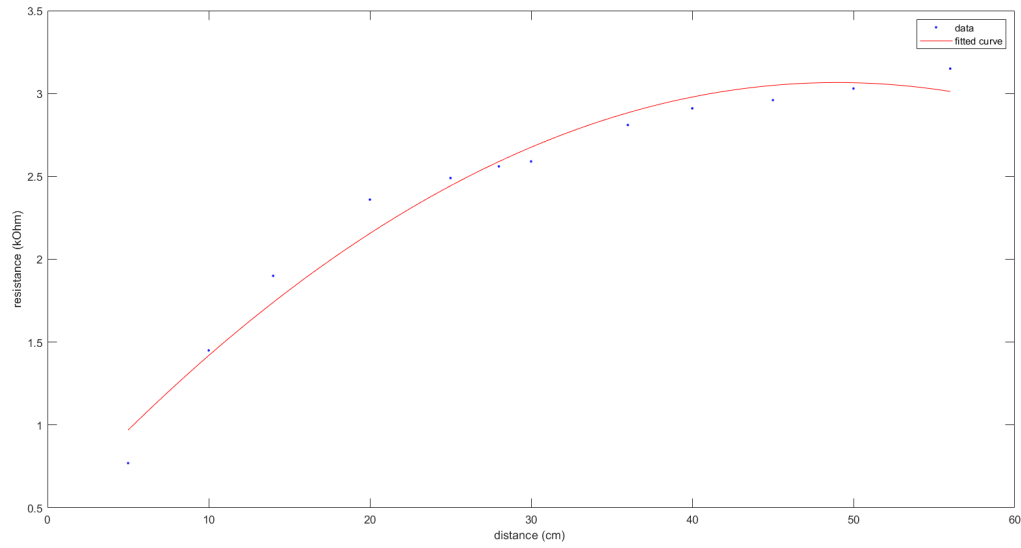


Figure 6: Second degree polynomial fit for first setup

Equation of the Figure 6 is,

$$-0.2807x^2 + 0.6648x + 2.672$$

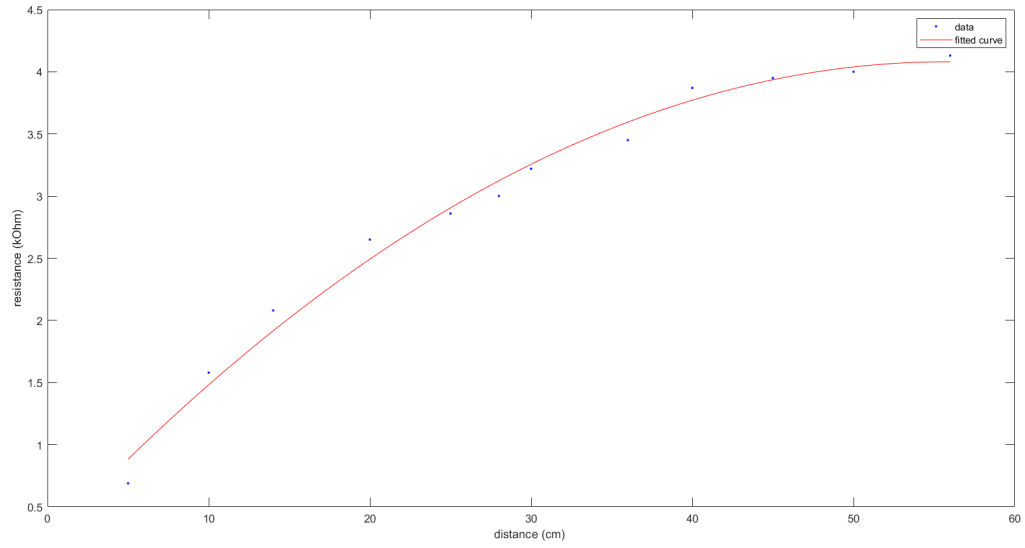


Figure 7: Second degree polynomial fit for second setup

Equation of the Figure 7 is,

$$-0.3206x^2 + 1.032x + 3.251$$

Third degree polynomial fits are given in Figure 8 and Figure 9

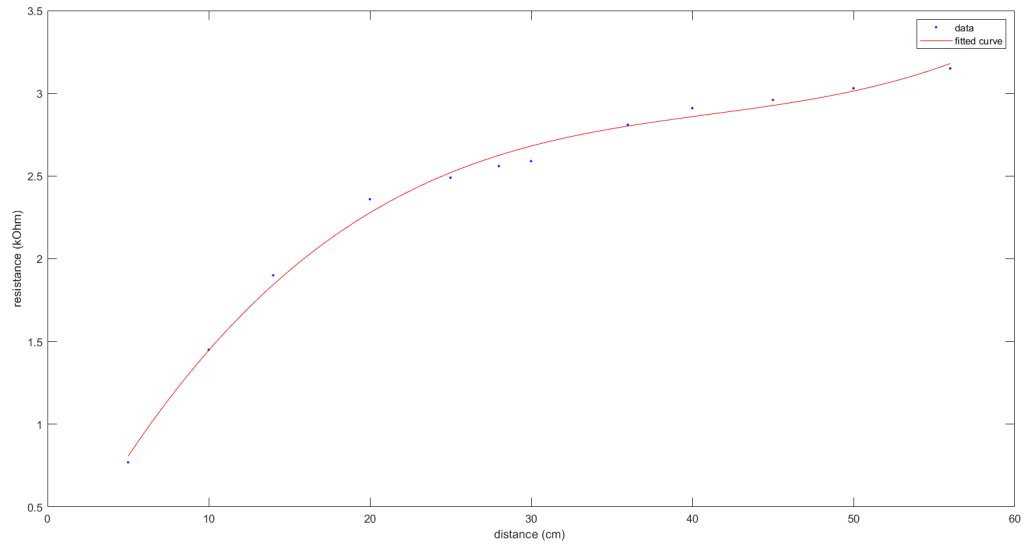


Figure 8: Third degree polynomial fit for first setup

Equation of the Figure 8 is,

$$0.1407x^3 - 0.2941x^2 + 0.416x + 2.679$$

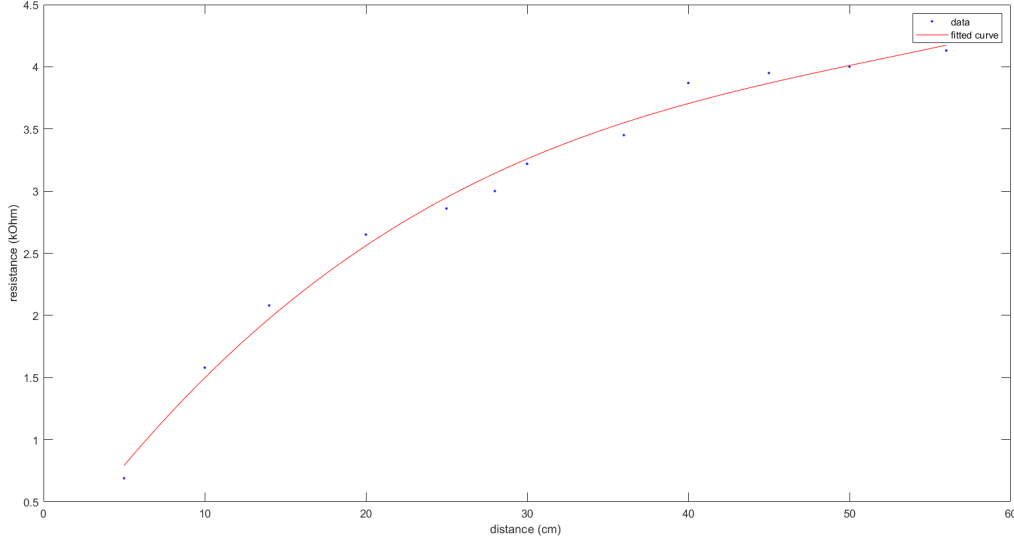


Figure 9: Third degree polynomial fit for second setup

Equation of the Figure 9 is,

$$0.07847x^3 - 0.3281x^2 + 0.8929x + 3.254$$

Then the equation variables are analyzed then the calibration parameters are determined. The best generalization is looked like the third degree polynomial fit of the second setup.

2.3 Calibration Process

This measurement technique requires a calibration procedure since the light source conditions may differ as well as surrounding light conditions. So, for this process a ruler is needed. Using a ruler the light source should be placed a certain point (e.g. 30 centimeter, this value needed to be fixed before lab manual preparation) and the measurement should be made and recorded using multimeter. This value probably would not match the original calculation plot. So the necessary shift needed to be done to continue the measurement only with resistance value. Therefore the calibration parameter α needed to be adjusted on the equation.

$$0.07847x^3 - 0.3281x^2 + 0.8929x + \alpha$$

2.4 Distance Measurement Calculations

The measurements are ready to be made after necessary data is collected in the calibration phase. Distance data can be obtained from the equation. The x value corresponds the distance. Since the third degree polynomial might be hard to solve, the equation can be plotted and the plot can be used as measurement map. On the other hand all these approximations may done again to have an equation which results directly the distance in centimeters (a.k.a.

inverted plot and new equation fit).

$$0.07847x^3 - 0.3281x^2 + 0.8929x + \alpha$$

On the other hand all these approximations may be done again to have an equation which results directly the distance in centimeters (a.k.a. inverted plot and new equation fit).

3 Proposal 2

In this section the second proposal is described.

3.1 Time of Flight Approach

The Time of Flight approach, usually abbreviated as ToF, is a widely used technique in industrial object distance detection sensors. Those sensors include a laser light source and a photodiode (or another type of fast-switching photodetector sensor). The illustration for the sensors is given in the Figure 10.

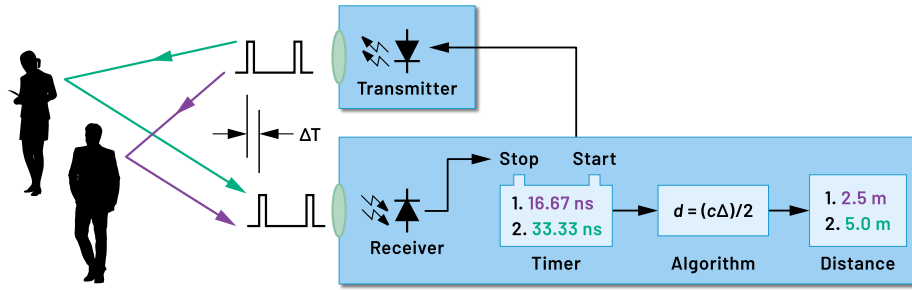


Figure 10: Simplified diagram of ToF measurement sensors (Source:Analog Devices)

A pulsed signal is propagated from the laser and the returning beam is detected by the sensor. Then the phase shift or time difference between the transmitted and received pulse is used to calculate the distance by the equation. In real world products, this approach is pretty useful, requires a lot less time to calibrate, and measures quite accurately. In this report indirect ToF method is meant. The equation used for this calculation is;

$$distance = \frac{c(speed\ of\ light) \varphi(phase\ shift)}{4\pi f_m(frequency)}$$

Since the phase shift may not be measurable by certain range the maximum range is described by;

$$maxrange = \frac{c}{2f_m}$$

3.1.1 Different Case

Since we need to create an experiment which students measure the distance of the light source, not the object that reflects light, it is necessary not using same equation. The new

equation which multiplied with 2 is now became,

$$distance = \frac{c(speed - of - light)\varphi(phase - shift)}{2\pi f_m(frequency)}$$

3.1.2 Limitations

There are plenty of different limitations that makes this approach tricky to adapt. Firstly, the LDR component is not a fast switching, responsive component because of the delay caused by the capacitance of the LDR. Secondly, the LDR component is working with visible light which makes the ambient light important for the measurements. Those limitations needed to be eliminated. Therefore the signal needed to be processed and speed of light parameter in the calculation needed to be converted a time constant that should be pinned in the calibration procedure. The new equation is now became,

$$distance = \frac{\tau(time - constant)\varphi(phase - shift)}{2\pi f_m(frequency)}$$

3.2 Preliminary Results

To create an experiment setup with the approach of Time of Flight, the circuit given in the Figure 11 is constructed.



Figure 11: Circuit constructed for the proposal 2

A square waveform or ,if possible, pulses needed to supplied by signal generator. To obtain signal representaions and test the circuit, data are captured with different distances and resistances. Because of the time limitation in laboratory only square waveform is used. In these measurements 5mm red LED is used as light source. The plot of first capture is given in the Figure 12.

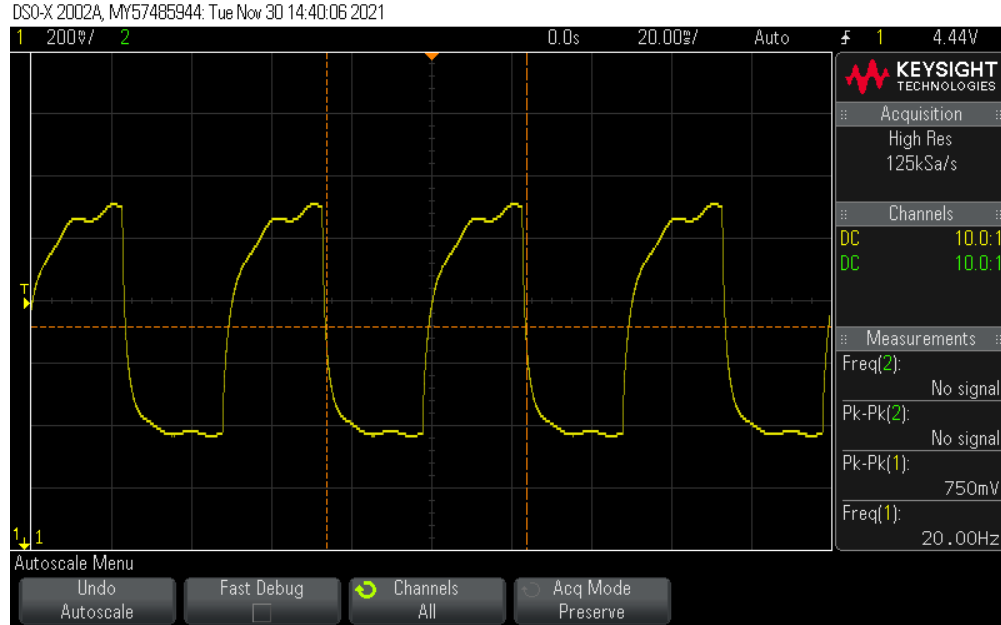


Figure 12: First capture

The variables of the first capture is given in the Table 1.

Table 1: Variables of the first capture

Distance	Frequency	Resistor	Voltage Source
5mm	20Hz	100 Ω	5V

The plot of second capture is given in the Figure 13.

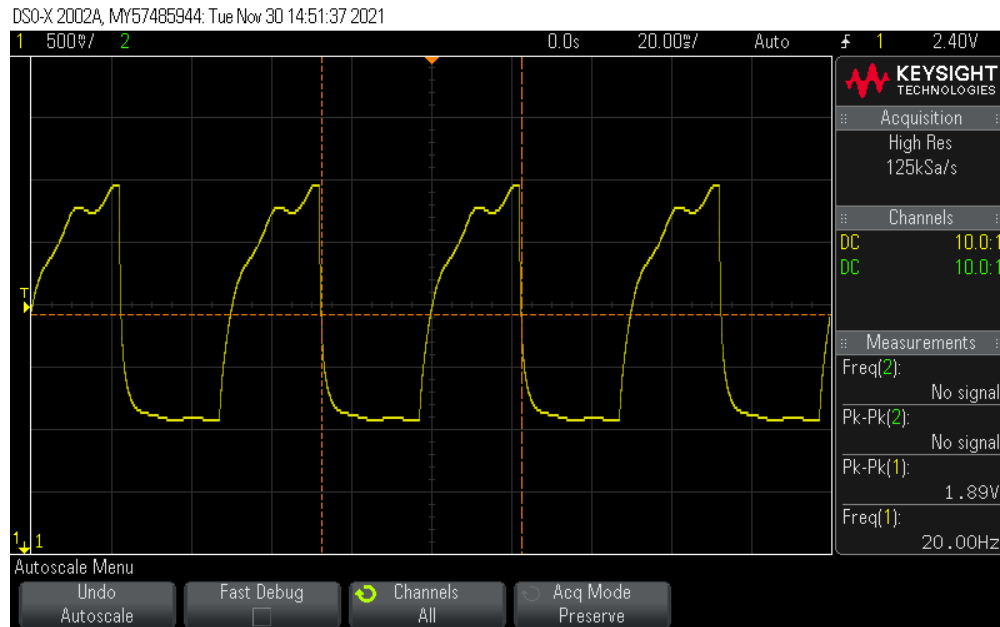


Figure 13: Second capture

The variables of the second capture is given in the Table 2.

Table 2: Variables of the first capture

Distance	Frequency	Resistor	Voltage Source
5mm	20Hz	1k Ω	5V

The plot of third capture is given in the Figure 14.

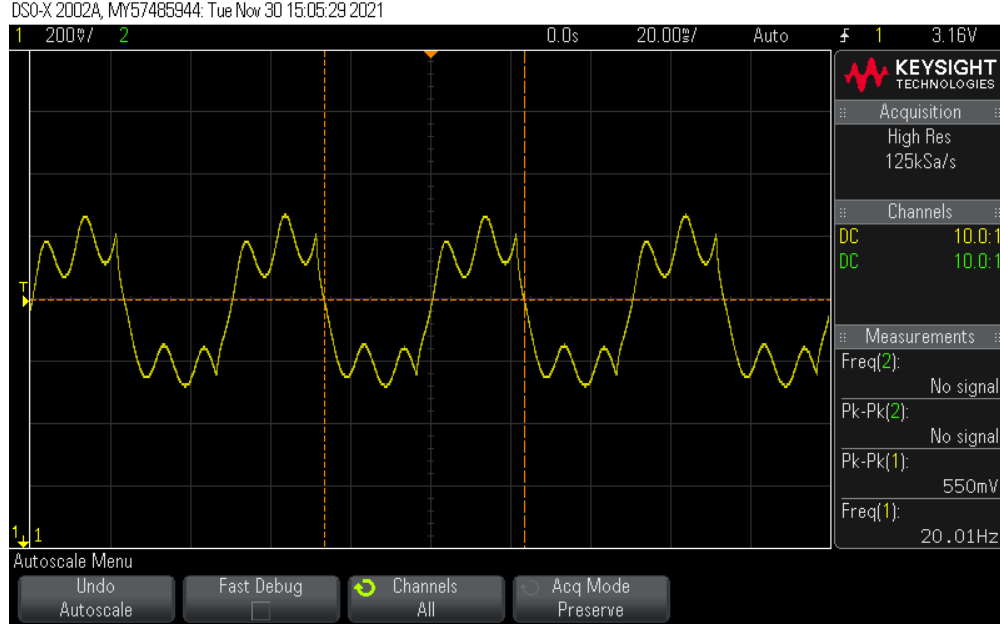


Figure 14: Third capture

The variables of the third capture is given in the Table 3.

Table 3: Variables of the first capture

Distance	Frequency	Resistor	Voltage Source
5 cm	20Hz	1k Ω	5V

These preliminary results shows us that to compare the generated signal with the obtained signal a filter should be applied because the amplitude and the waveform of the received signal is variable. So using matlab a threshold which equates the lower values to 0 and the higher values to V_{peak} of the signal generator output needed to be used in order to have a proper square waveform. Half of the sum of minimum and maximum values can be used as the threshold value of one distance measurement. As an example filtered plot of capture 1 is given in the Figure 15.

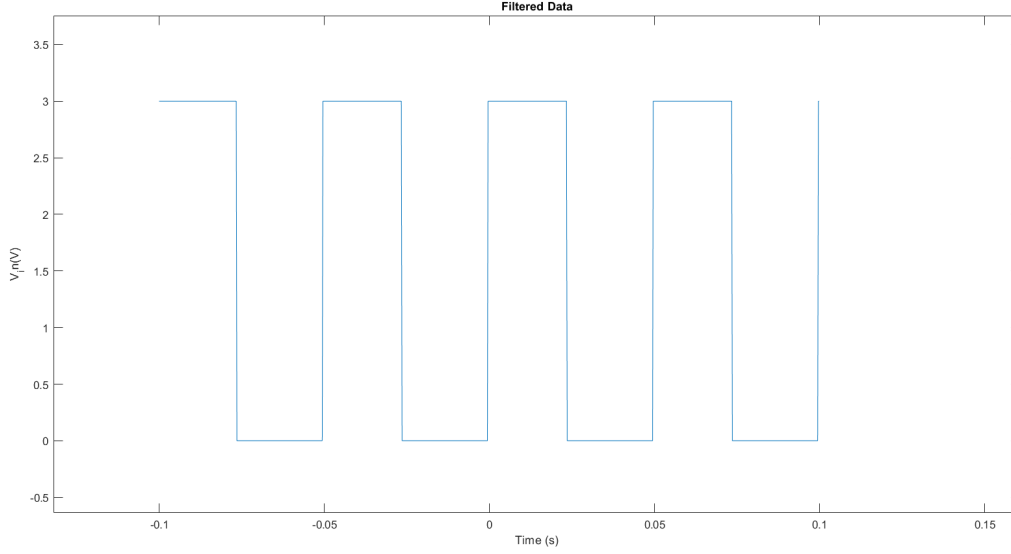


Figure 15: Filtered plot of first capture

3.2.1 Phase Shift/Time Difference

To calculate phase shift the phase shift of the falling edges (or raising edges) of the both signal needed to be calculated on the processed signal via MATLAB. On the other hand cursors of the oscilloscope can also be used.

3.3 Calibration Process

This calibration process includes two parts. The first one is the time constant calibration the second one is the circuit supply voltages.

3.3.1 Time Constant Calibration

The light source should be placed using a ruler. Then the phase shift should be obtained via MATLAB. Then using the equation, the time constant should be determined.

$$\tau(\text{calibration} - \text{parameter} - \text{time} - \text{constant}) = \frac{d(\text{known} - \text{distance})2\pi f_m(\text{frequency})}{\varphi(\text{phase} - \text{shift})}$$

3.3.2 Supply Voltages and Resistances Calibration

This calibration procedure is not a proper step. Once the values are determined by the instructor the values can be fixed. The supply voltage and the pot value of the resistive circuit should be adjusted so that the voltage portion of LDR relatable with the V_{peak} of the signal generator output in order to compare it visually in oscilloscope screen. Also V_{peak} of the signal generator output should be adjusted so that the light source (LED) is at its maximum power setting, so the illumination on the LDR would be maximum.

3.4 Distance Measurement Calculations

After the calibration step, the setup is ready to measure the distance of a light source using the equation,

$$distance = \frac{\tau(time - constant)\varphi(phase - shift)}{2\pi f_m(frequency)}$$

To summarize this approach and the experiment sequence, student will use the signal generator , oscilloscope , computer and the MATLAB instruments and will have a chance to characterize LDR component.

4 Conclusion

In conclusion, two proposed measurement methods are discussed in terms of preliminary measurements and inferences. Both methods have pros and cons. First method is easier to build ,but since it is directly related to the resistance value its accuracy is matter of question. Second method seems more complicated ,but it is not only promise accuracy but also includes proper laboratory work. On the contrary, due to requirement for the precise time intervals method have possibility to fail in laboratory conditions. There are strong light source dependency for the both methods, but second method includes the elimination of this dependency in a sense. The further investigations will be done and one of the methods will be chosen for the laboratory manual. To sum up, there are proposed two different approaches for the measurement of the distance of a light source and they are evaluated.