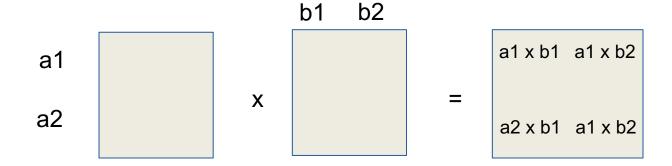
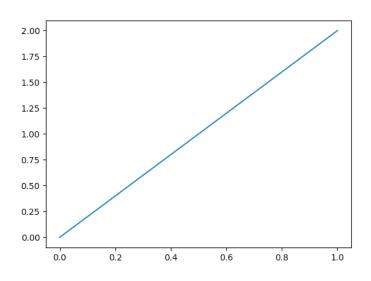
Introduction



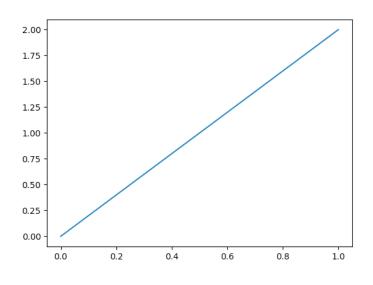
Vector Manipulations

- Row vector
- Column vector



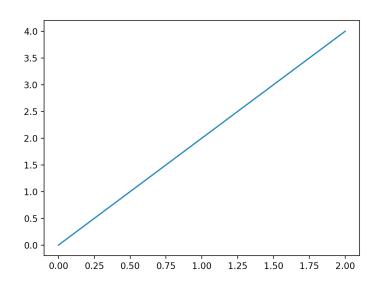
```
import matplotlib.pyplot as plt
import numpy as np
V = np.array([[0,1],[0,2]])
plt.plot(*V)
plt.show()
```

- Row vector
- Column vector



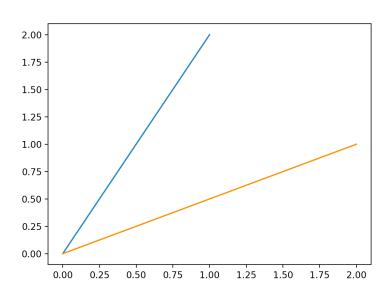
```
import matplotlib.pyplot as plt
import numpy as np
V = np.array([[0,1],[0,2]])
plt.plot(*V)
plt.show()
idenity matrix = np.array([[1,0],
                           [0,1])
plt.plot(*np.dot(V,idenity_matrix))
plt.show()
```

- Row vector
- Column vector
- Multiplication



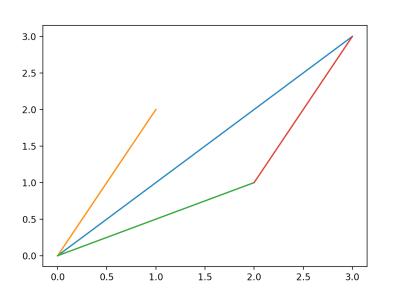
```
import matplotlib.pyplot as plt
import numpy as np
V = np.array([[0,1],[0,2]])
plt.plot(*V)
plt.show()
idenity matrix = np.array([[1,0],
                           [0,1])
plt.plot(*np.dot(V,idenity_matrix))
plt.show()
multiplication_matrix = np.array([[2,0],
                                  [0,2]])
plt.plot(*np.dot(V,multiplication_matrix))
plt.show()
```

- Row vector
- Column vector
- Multiplication
- Vector addition



```
import matplotlib.pyplot as plt
import numpy as np
V = np.array([[0,1],[0,2]])
plt.plot(*V)
V_2 = np.array([[0,2],
                [0,1])
plt.plot(*V_2)
```

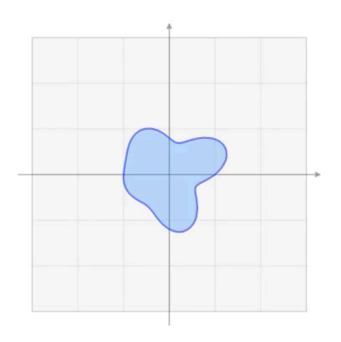
- Row vector
- Column vector
- Multiplication
- Vector addition



```
import matplotlib.pyplot as plt
import numpy as np
V = np.array([[0,1],[0,2]])
plt.plot(*V)
V_2 = np.array([[0,2],
                [0,1])
plt.plot(*V_2)
V_3 = np.array([[2,3],
                [1,3]])
plt.plot(*(V+V_2))
plt.plot(*V_3)
plt.show()
```

Affine Transformations

SVM Kernel

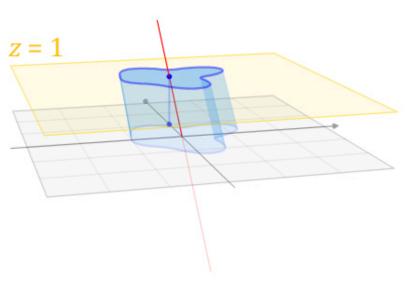


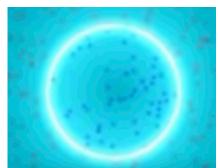
SVM with a polynomial Kernel visualization

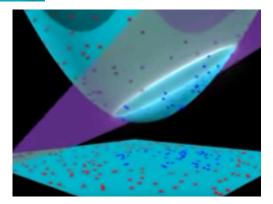
> Created by: Udi Aharoni

Affine Transformations

SVM Kernel







Eigenvector

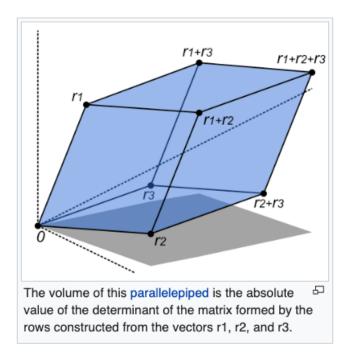
Eigenvector

- Eigenvector is a vector that only gets scaled when multiplied by M.
- Eigenvectors are linearly independent.
- If eigenvalues = zero: the matrix is singular (i.e. not invertible).

Determinant

Determinant

- Determinant describes a transformation that expands or contracts the space.
- Determinant = 0, space is entirely contracted.
- Determinant = 1, space is entirely preserved.



Principle Component Analysis

Principle Component Analysis

- Biggest eigenvalue's corresponding eigenvector is the dimension in which we see the greatest variance.
- This allows us to represent our data in a way that doesn't contort the space.

