

Let p_list be a list of M persons where person X is also included. For now, let's consider a person to be a class as described:

```
Class Person {  
    Set <Activity> Interest;  
}
```

We construct an interest set S from all person in p_list .

$S = \Phi$

For each p in p_list

$I = p.Interest;$

$S = S \cup I$

End For

Let, S contain total N activities of interest. We will be using these N activities as features during the training phase. We construct a matrix F of dimension $M \times N$ as defined below:

$$F(i, j) = \begin{cases} 1, & \text{if } j - \text{th activity is in } i - \text{th persons interest set} \\ 0, & \text{otherwise} \end{cases}$$

Training:

We employ either of the two methods mentioned below:

Method 1:

We can employ this method for training when we do not have explicit knowledge about which person is happy and which person is sad.

We assume that people chose the activities that tend to make them happier. We assign weight to each activity and construct the weight vector W of dimension $N \times 1$ as described below:

$$W(i) = \text{number of people with } i - \text{th activity in the interest set}$$

Our hypothesis h is an $M \times 1$ vector given by

$$h = FW$$

We find a critical value λ from the dataset for person X and define happiness as,

$$\begin{cases} m - th \text{ person is happy if } h(m) > \lambda \\ m - th \text{ person is sad otherwise} \end{cases}$$

Method 2:

We can use this method if we have a prior knowledge about which person is happy and which person is sad. We then use a label vector **Y** of dimension Mx1

$$Y(i) = \begin{cases} 1, & \text{if } i - th \text{ person is happy} \\ 0, & \text{if } i - th \text{ person is sad} \end{cases}$$

Unlike in the previous method, now we use training phase to determine the parameter **W**. The hypothesis vector **h** is defined as,

$$h = FW$$

Now that we can train **W**, we do not need a second parameter λ . We simply define

$$\begin{cases} m - th \text{ person is happy if } h(m) \geq 0 \\ m - th \text{ person is sad otherwise} \end{cases}$$

In other words, $\lambda = 0$ for this method.

We may use regularized logistic regression to determine **W** using mean squared error as cost function. Any other suitable method such as Decision Tree, SVM, Neural Network etc. may also be employed.

After training, we use the parameter **W** and prediction **h(X)** to outline an algorithm to make a sad person X happy.

Algorithm to make sad person X happy

We use an algorithm similar to Simulated-Annealing as described below:

Function Make-Happy (Person X)

For i= 1: maxiter

Remove-Interest(X)

Add-Interest(X)

End For

If ($h(X) < \lambda$) then this person refuses to be happy. Recommend professional help.

End Function

Function Remove-Interest(Person X)

$I = X.\text{Interest}$

$T = 0$

 For each interest i in I

 Try to remove i from I

 If it is successful, then calculate $h(X)$.

 If $h(X)$ increases after the removal of i then commit.

 Else with probability $\exp(-T * (\text{random number between } [0,1]))$ commit

 Else discard removal of i

$T = T + 1$

 End For

End Function

Function Add-Interest (Person X)

$I = X.\text{Interest}$

 If ($\text{size}(I) == N$) then no more interest to add. Return.

 Else

 Randomly select set A containing k interests from S , higher W values of the interest will have higher probability of being picked.

$I = I \cup A$

End Function

Remarks:

Method 2 does not make any assumption about a person's interest and it may be more accurate when some interests of the people tend to cause sadness/unhappiness (such as drugs).

Method 1 will be more effective in cases where we want to rely on data to determine whether a person is sad or happy since method 2 requires a prior knowledge of a person's state of happiness which may be prone to error.