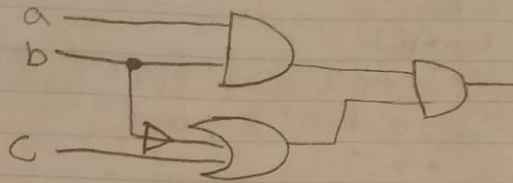


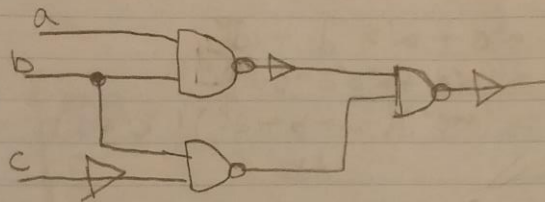
#W#Z

$$F(a,b,c) = (ab)(b'+c)$$

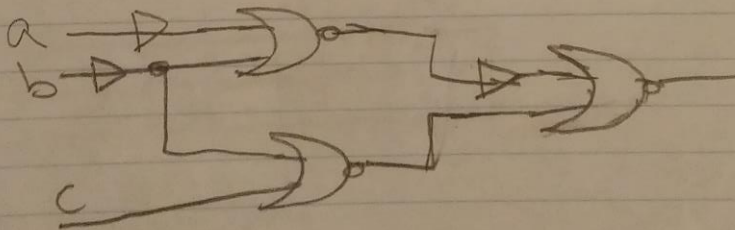
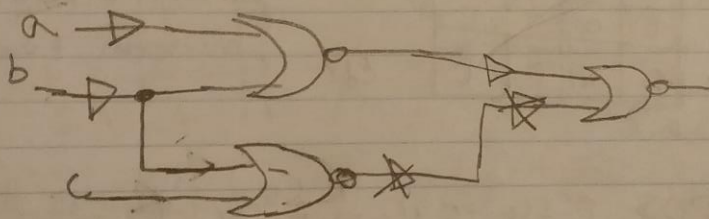
a)



b)



c)



$$F = abc + a'b$$

$$a) F' = (abc + a'b)'$$

$$(a'b'c') + (a+b')$$

$$a'b'c' + b'a' + c'a' + a'b' + b'b' + b'c'$$

$$0 + b'(a + a' + c') + ac'$$

$$b' + ac'$$

$$b) F = a'c + a'b'd + cd'$$

$$F' = (a'c + a'b'd + cd')'$$

$$= (a+c')(a+b+d')(c'+d)$$

AB

| | | | | | |
|----|----|-----|----|----|----|
| | | 00 | 01 | 11 | 10 |
| AB | 00 | 1 | 1 | 1 | 1 |
| | 01 | 0 | 1 | 1 | 1 |
| CD | 11 | 0 | 0 | 1 | 1 |
| | 10 | 0 | 0 | 0 | 0 |
| | | a'c | | | |

which is already the
minimal form

$$\text{so POS } F' = (a+c')(a+b+d')(c'+d)$$

$$\begin{aligned}
 3. F &= (A+B+C)' \cdot C + (A+B+C) + D = A+B+C+D \\
 &= (A+B+C)' \cdot C + (A+B+C) + D \\
 &= (A+B+C)' \cdot C + A+B+C+D \\
 &= C + A+B+C+D \\
 &= A+B+C+D \\
 &= A+B+C+D \checkmark
 \end{aligned}$$

De Morgan's
Associative
covering
complementarity
idempotency

4. a)

| a | b | c | out |
|---|---|---|-----|
| 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 |
| 0 | 1 | 0 | 0 |
| 0 | 1 | 1 | 1 |
| 1 | 0 | 0 | 0 |
| 1 | 0 | 1 | 1 |
| 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 |

b. minimize

b) $a'b'c + ab'c + abc' + abc = \text{out}$

c)

| abc | 00 | 01 | 11 | 10 |
|-----|----|----|----|----|
| 0 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 1 | 1 |

$\text{out} = a'c + a'b + bc$

