

Jan 25th: Measuring the Macroeconomy

1) What drives economic growth (we don't know)

2) What causes short-run recessions / inflation

Gross Domestic Product (GDP) is the market value of final goods and services produced in an economy over a certain period of time - created during great depression

- Nominal GDP: $P_x Y$

- Year real GDP or Output, adjusted for price changes

- $\text{GDP/Capita} = \text{GDP per population}$

- GDP is a measure of national production, income and expenditure

$$Y = C + I + G + NX$$

C: consumption

I: Investment

G: government spending (excluding transfers), which are consumed / saved

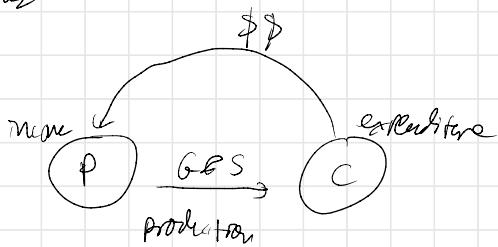
NX: Exports net from imports

- Spec a firm produces 20 tangerines

- producer: 20 tangerines

- expenditure: 20 tangerines

- income: 20 tangerines



- Consumption: Spends by consumers

- investment: saving / spent by firms on capital goods - Δ in capital stock

- government spending on stuff other than transfers

- Other important considerations of GDP

- other measures of welfare correlated but not identical

- measurements in poor countries are flawed

- informal sectors

- environment

- quality improvements

- inequality

- Despite imperfections, GDP is probably the best measure of economic well-being

- why are some countries rich and others poor?

- Drivers of long term growth

- how to counter recessions

Tour 28:

Qs:

- Why is the US rich and Mexico poor?
- LF question

Macro divided into:

- Long Run
- Short Run

Standards of living have increased dramatically. Why?

- Source of the industrial revolution?
- Great enrichment → great divergence

Growth rates: And exchange from 1 yr to the next

$$Y_{t+1} = Y_t (1 + \theta)$$

$$Y = Y_0 (1 + \theta)^t$$

$$L_t = L_0 (1 + \bar{\alpha})^t \quad L_0 = 8B$$

$$L_t = 8B (1.02)^t$$



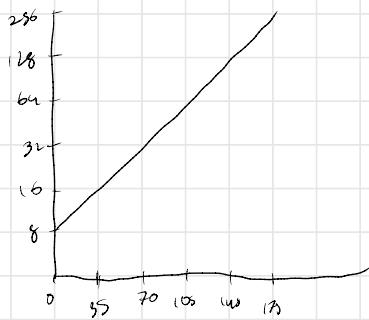
Rule of 70:

$$Y_0 \text{ to } Y_{t+1} = \frac{P}{g}, \text{ or } n\%$$

$$Y_0 = 2\%, \quad Y_1 = 35 \text{ yrs}$$

$$g = 8\%, \quad Y_1 = 14 \text{ yrs}$$

Log scale/ratio scale:



$$\frac{Y}{Y_0} = (1+g)^t$$

$$(Y/Y_0)^{1/t} = 1+g$$

$$z = (Y/Y_0)^{1/t} - 1$$

Proportionate growth rates

$$- Z = X \cdot Y, \quad g_Z = g_X + g_Y$$

$$- Z = X/Y, \quad g_Z = g_X - g_Y$$

$$- Z = X^\alpha, \quad g_Z = \alpha g_X$$

Jan 30:

4 key facts about Economic growth

- Enormous variation - poorest place have < 5% of per capita income of rich countries
- rate of growth very substantially
 - Some countries soar but others not so
- Growth rates not constant over time
 - for individual country, growth rates change drastically over time
 - until about 1800 no growth
 - Example: Philippines and SK
 - in 1960 PC GDP was 27m\$
 - later had similar developmental make up & population
 - One decade, performance diverged drastically
 - Karen: 5.1%
 - Philippines: 1.3%
- A country can change position in ranking
 - Argentina was rich now it's not
 - China and India have grown rapidly

Why?

- Models:
 - What \rightarrow it leaves out?
 - Does it fit the data?
 - A problem: past performance is no guarantee of future success
 - Institutions?

A model of production:

Notation:

- $\bar{A}, \bar{K}, \bar{L} \rightarrow$ constants/exogenous variables

Production function: Output given a set of inputs

Cobb-Douglas production function:

$$Y = F(K, L) = \bar{A} K^\alpha L^\beta ; \text{ in this case, we have } \alpha + \beta = 1$$

K: capital - non-consumed inputs not labor

L: labor - workers

$$Y = \bar{A} K^{Y_3} L^{2/3}$$

\bar{A} : Total factor productivity

Exponent sum to one - constant returns to scale

- double input \rightarrow double output

RFS: double input \rightarrow double output

Behavior of firm:

- firms seek maximal profits: $\Pi_{\text{max}}(K, L) = F(K, L) - rK - wL$

r, w in normalized price

Marginal Product of Capital MP_K: extra output to output when added an additional unit of capital, holds all else constant

- MP_K decreases as $K \uparrow \rightarrow$ Diminishing returns to capital
 - we recall "saturation"

$$Y = \bar{A} k^{2/3} \bar{C}^{1/3}; \quad Y = (k^{1/3}) (\text{constant})^{\frac{1}{3}}$$

Diminishing returns



Solve for MP_K: $\frac{dY}{dk}$

$$Y = \bar{A} k^{2/3} \bar{C}^{1/3}$$

$$\frac{dY}{dk} = \frac{2}{3} \bar{A} \bar{C}^{1/3} k^{-1/3}$$

$$= \frac{\bar{A} \bar{C}^{1/3}}{3 k^{1/3}}$$

$$= \frac{1}{3} \bar{A} \left(\frac{C}{k} \right)^{1/3} = \frac{1}{3} \frac{Y}{k}$$

MP_C = Output mit der Läder \rightarrow extra output

Diminishing returns to Capital \rightarrow workers become redundant

$$MP_C = \frac{2}{3} \frac{Y}{C} = \frac{2}{3} \bar{A} \left(\frac{C}{k} \right)^{1/3}$$

- Exogenous variable set outside model
- Endogenous variable determined inside the model
- Profit Max condition:

$$- MP_k = \frac{1}{3} \frac{Y}{L}$$

$$- MP_L = \frac{2}{3} \frac{Y}{L}$$

$MP_k > r \rightarrow$ hire a machine \rightarrow until $MP_k = r$

$MP_L > w \rightarrow$ hire a worker \rightarrow until $MP_L = w$

Feb 1st.

Recap of previous class:

$$- Y = \bar{A} K^{Y_3} L^{2/3}$$

$$- (RS) : Y(2K, 2L) = 2Y(K, L)$$

$$- Diminishing return to k; MP_k = \frac{dY}{dK} = \frac{1}{3} \frac{Y}{K}$$

- Profit max condition:

$$r = MP_k$$

$$W = MPL$$

$$- Y^* = \frac{Y^*}{L^*} = \bar{A} \left(\frac{E}{E} \right)^{Y_3} = \bar{A} k^{Y_3}$$

$$k = \frac{E}{E} = \text{capital per person}$$

- key determinants:

- higher TFP

- more capital / person

- exponents are the share of national income
that goes to each factor

$\frac{WL}{Y} = \text{share of national income going to workers}$

$$\frac{WL}{Y} = \frac{\frac{2}{3} \frac{Y}{L} \cdot L}{Y} = \frac{2}{3} = \text{exponent of } L$$

Share going to capital:

$$\frac{rK}{Y} = \frac{\frac{1}{3} \frac{Y}{L} \cdot K}{Y} = \frac{1}{3} = \text{exponent of } K$$

Analysis wealth:

- Assume every country has $\bar{A} = 1$

$$US = 1$$

$$y_{\text{China}} = 0.73^n, k_{\text{Japan}} = 0.930$$

- model seems to systematically predict that countries should be richer than they are
- our assumption that $\bar{A} = 1$ is maybe wrong
 - allows for difference in \bar{A} could improve model's fit
 - $\bar{A} \uparrow \Rightarrow$ higher efficiency of capital and labor
 - identified via the residuals

Why \bar{A} matters more: diminishing returns to capital

Approx. diff. in life in two standards \Rightarrow due to differences in TFP

$$\frac{Y_{rich}}{Y_{poor}} = 64$$

$$\frac{Y_{rich}}{Y_{poor}} = \frac{\bar{A}_{rich} \bar{k}_{rich}}{\bar{A}_{poor} \bar{k}_{poor}}$$

$$= \left(\frac{\bar{A}_{rich}}{\bar{A}_{poor}} \right) \left(\frac{\bar{k}_{rich}}{\bar{k}_{poor}} \right)^{1/3}$$

$$= (3) (5)$$

- share due to $\Delta \bar{A}$: $\frac{13}{13+5} \times 100\% = 72.28\%$

Share due to Δk : $\frac{5}{13+5} \times 100\% = 27.8\%$

Why does \bar{A} vary?

- Quality of institutions:

- soft prices & rules and regulations

- property rights

- rule of law

- contract enforcement

- stable political environment

- more civil liberties

- human capital: skills individuals have

- education & job training

- Technology

02-03: Solow Growth Model

- Framework to understand why countries are rich

$$y^t = \bar{A} k^{1/3}$$

- capital per person

- \bar{A} : total factor productivity

- institutions: property rights, rule of law, democratic government, civil liberties

- education

- technology

- institutions aren't all that matter, but they do matter a lot

- What other factors matter?

- geography

- disease burden (what types, contagious)

- agricultural output

Solow Growth Model

models how changes in capital stock affect output per person

- physical capital is all that's modeled here

Econ 1: production function at time t

$$Y_t = \bar{A} k_t^{1/3} L_t^{2/3} \rightarrow \text{hold } \bar{A} \text{ constant}$$

Econ 2: Resource constraint: where does money go?

$$Y_t = C_t + I_t$$

↓ ↓
Consumption Investment

Econ 3: capital accumulation

$$K_{t+1} = K_t + I_t - \bar{d} K_t$$

↓ ↓ ↘
current capital new capital depreciation
stock stock

$$\Delta K_t = I_t - \bar{d} K_t$$

Econ 4: labor force

$$L_t = \bar{L}$$

Econ 5: allocation of resource

$$F_t = \bar{S}^{\frac{1}{3}}$$

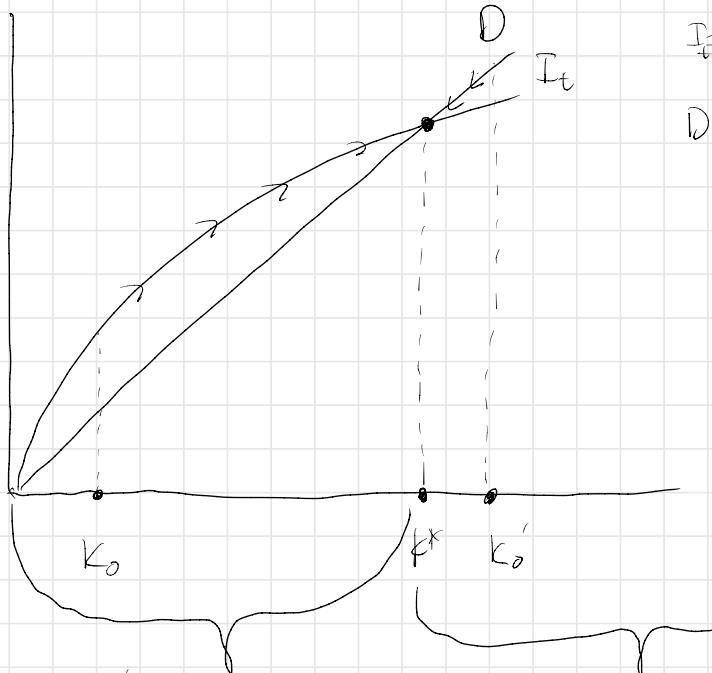
$$C_t = (1 - \bar{s}) Y_t$$

Brings us all together:

$$\begin{aligned} \Delta K_t &= \bar{S}^{\frac{1}{3}} Y_t - \bar{d} K_t \\ Y_t &= A K_t^{\frac{1}{3}} L^{\frac{2}{3}} \end{aligned} \quad \left. \begin{array}{l} \text{we cannot use these to solve} \\ \text{for } Y \text{ at any time } t, \text{ but we can find} \\ \text{the steady state} \end{array} \right\}$$

Slow Diagram:

PD

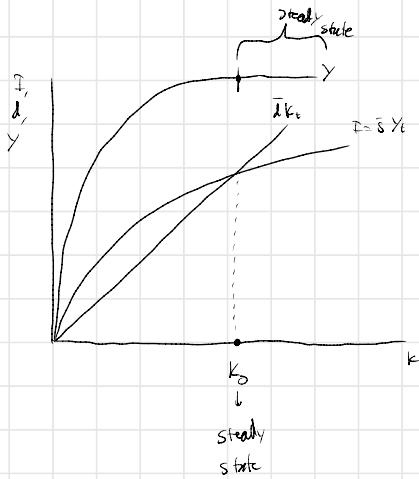


$$I_t = \bar{s} \hat{A} k_t^{3-\frac{1}{\alpha}}$$

$$D = \bar{d} k_t$$

Feb 6

- Recap: Solow Model focused on capital accumulation's effect on growth
- Production: $Y_t = \bar{A} F_t K_t^{1/3} L_t^{2/3}$
- Resource constraint: $Y_t = C_t + I_t$
- Capital accumulation: $K_{t+1} = K_t + I_t - \delta K_t$
- Labor force: $L_t = \bar{L}$
- allocation of resources: $I_t = \bar{s} Y_t$



Solow Steady State:

- key condition: steady state reached at point where depreciation = investment

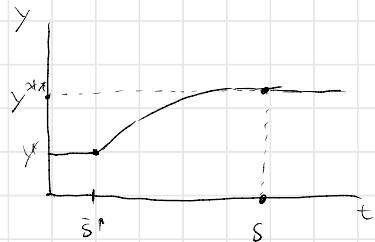
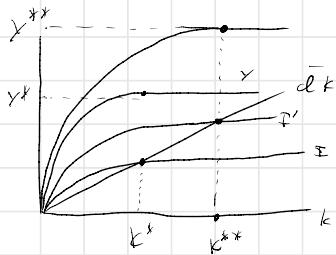
$$Y^* = \bar{A}^{3/2} \left(\frac{\bar{s}}{\delta}\right)^{1/2}$$

- can physical capital accumulation explain sustained LR GDP growth?
- No!
 - in LR we should reach steady state
 - Diminishing returns to capital!

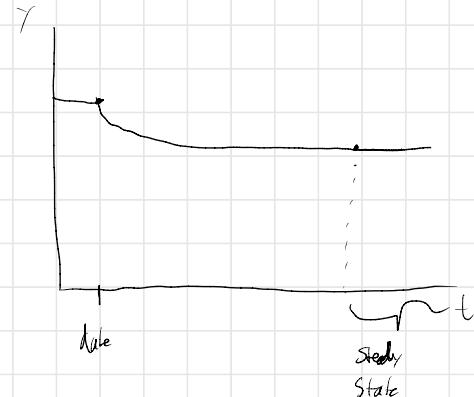
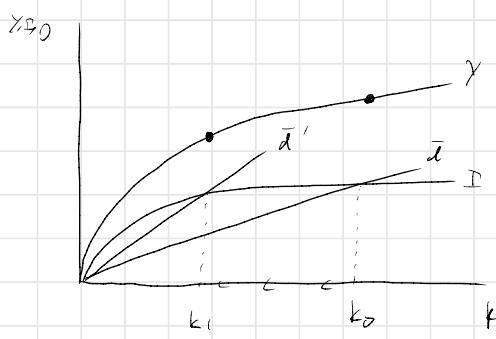
Solow Model can explain growth up to steady state

E1: Sudden increase in investment rate

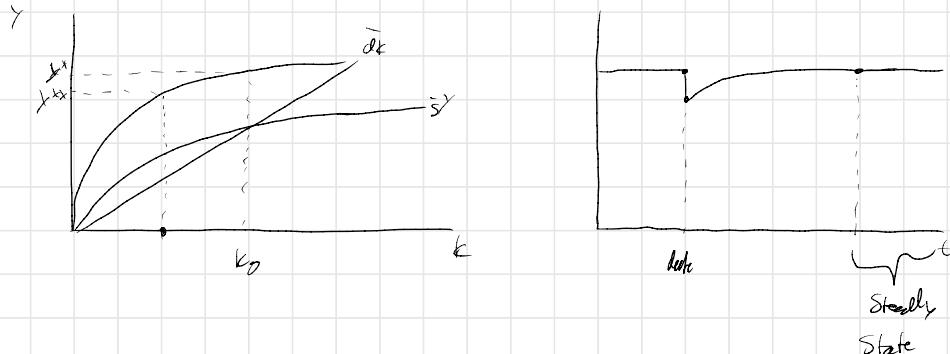
$$\bar{s} \rightarrow \bar{s}'$$



$$\bar{d} \uparrow \rightarrow \bar{d}'$$



Earthquake destroys half of the economy's capital stock



Principles of transition dynamics:

- farther from steady state \rightarrow faster growth (absolute sense)

Helps explain variation in growth rates, partly

- but many poor countries are poor not b/c they're lower than steady state, but steady state for them is much lower
- poor b/c determinants (investment, TFP) are low

$$Y^x = \bar{A} k^{1/3}$$

$$\frac{Y_{rich}}{Y_{poor}} = \frac{\bar{A}_{rich}}{\bar{A}_{poor}} \left(\frac{k_{rich}}{k_{poor}} \right)^{1/3}$$

$$b_n = 1/3 \times s$$

→ TFP determines more

$$Y = \bar{A}^{3/2} \left(\frac{\bar{S}}{\bar{J}} \right)^{1/2}$$

$$\frac{Y_{rich}}{Y_{poor}} = \left(\frac{\bar{A}_{rich}}{\bar{A}_{poor}} \right)^{3/2} \left(\frac{\bar{S}_{rich}}{\bar{S}_{poor}} \right)^{1/2} \left(\frac{\bar{J}_{poor}}{\bar{J}_{rich}} \right)^{1/2}$$

$$b_4 = (32) \times (2) \times (1)$$

↓

overheads vs. savings or depreciation

higher TFP → more k/person

Strengths & weaknesses of Solow Model:

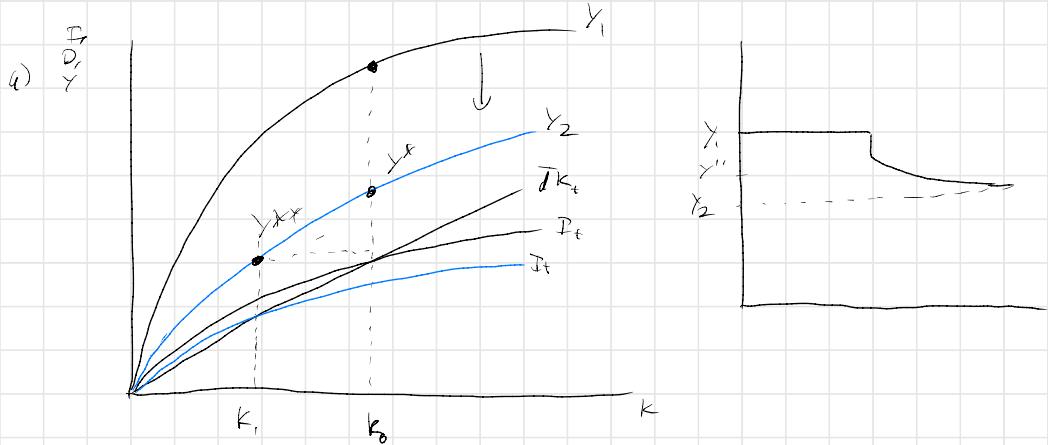
- Strengths:

- theory of output in steady state
- \bar{A}^P
- \bar{S}^P
- \bar{J}^P
- PTD: explains variation in growth rates

- Weaknesses:

- ΔF ?
- why diff. productivity growth rates
- no flexible LR growth

Feb 8



- we check that \bar{S} and \bar{d} stay constant while \bar{A} changes

- b) Venezuela ran out of US Dollars to maintain their currency peg, and to make up for the lack of dollars, Venezuela printed more bolívares

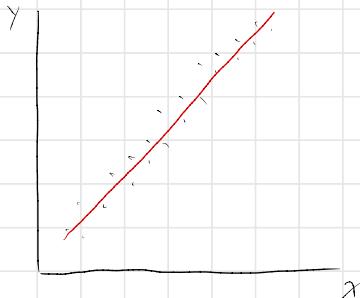
- c) Yes

$$2) \quad y = (k^{\frac{1}{3}})(m^{\frac{1}{3}})(n^{\frac{1}{3}})^{-3}$$

$$y = \frac{1}{3} g_k + \frac{1}{3} g_m - \frac{3}{4} g_n$$

$$3) \quad Y(2k, 2l) = 2(k^{\frac{1}{3}})(l^{\frac{1}{3}}) + 1 < 2Y(k, l)$$

Feb 13th



OLS: minimize residuals

$$y = \alpha + \beta x$$

Check whether statistically significant

$$\text{t-statistic: } \left| \frac{\beta}{\text{std error}} \right| > 2 \rightarrow \text{statistically significant}$$

dummy variable: use for categories

omitted variable bias: might find spurious correlation
- include control variables and R&D variable

Group Exercise: Regression Table

Determinants of State High School Graduation Rates		
	(standard errors in parentheses)	
	1910	1928
log per capita wealth	0.236 (0.090)	0.852 (0.370)
% labor force in manufacturing	-0.067 (0.034)	-0.144 (0.097)
South (0/1 dummy variable)	-0.0449 (0.010)	-0.0935 (0.030)
New England (0/1 dummy variable)	0.0444 (0.010)	0.1 (0.030)
Constant	-0.136 (0.07)	-0.468 (0.27)

Source: Goldin and Katz, "Human Capital and Social Capital," Table 1

Questions

1. What does each column represent?
HS grad rates in 1910 & 1928, regressed against diff. factors
2. What is the dependent variable?
HS grad rate
3. What are the independent variable(s)?
PC wealth, lf in manufacturing, South, NE
4. For each variable, what are?

Top #'s: Coefficients

Bottom #'s in parentheses: Standard error

For the questions below, only answer for the 1910 regression.

5. Suppose we have a state in New England with the following made-up values in 1910 (chosen so that the math is easy!): log per capita wealth = 2, % LF in manufacturing = 20% (or 0.20). What is that state's predicted graduation rate?

$\sim 36\%$

6. Suppose two states are alike in all regards, except that one state is in the South and one is in New England. What is the predicted difference in high school graduation rates between these two states?

$\sim 9\%$

7. Suppose two states are alike in all regards, except one state has 100% of its labor force in manufacturing (i.e. 1.0) and the other 0% (i.e. 0.0). What is the predicted difference in high school graduation rates between these two states?

$\sim 7\%$

8. Two states are alike in all regards, except one state has 50% of its labor force in manufacturing (i.e. 0.5) and the other 30% (i.e. 0.30). What is the predicted difference in high school graduation rates between these two states?

$\sim 1\%$

9. What variables are statistically significant?

pc wealth

Another Exercise: “Do students go to class? Should they?”

UC Berkeley professor David Romer took attendance at six meetings of his Intermediate Macro course. He regressed final class grade (on a 4.0 scale) on the fraction of class meetings attended:

	(1)
Constant	1.25 (0.27)
Fraction of meetings attended	2.19 (0.35)
Sample size	195
R ²	0.31

Source: Romer, David. "Do students go to class? Should they?" *Journal of economic perspectives* (1993): 167-174.

Questions

1. Please identify the following:

- Dependent variable: *GPA*
- Independent variable(s) *percentage of class attended*
- # students in sample: *195*
- R² (measures the fraction of the variation of the dependent variable associated with variation in the independent variable(s)): *0.31*

2. Is the variable “fraction of meetings attended” statistically significant? Why or why not?

t > 2

3. What is the predicted course grade for a student who attends

- No class meetings: *(0.25)*

- Half of class meetings: *2.3*

- All class meetings: *3.4*

4. What omitted variable might bias the results?

time spent studying

Motivation may be an omitted variable.

- Students who attend more classes may study more, so the variable on attendance may be picking up some of the effects of being more academically motivated.

To reduce omitted variable bias, David Romer estimates another regression that includes a variable designed to control for motivation: Fraction of problem sets completed.

- Students who complete more problem sets are likely more motivated and hardworking.

	(1)	(2)
Constant	1.25 (0.27)	1.07 (0.23)
Fraction of meetings attended	2.19 (0.35)	1.74 (0.46)
Fraction of problem sets completed		0.60 (0.32)
Sample size	195	195
R ²	0.31	0.33

5. Is the variable “Fraction of meetings attended” still statistically significant?

✓ ✓

02/15: Colonial Origins, AJR

- Why are countries rich or poor?
- Total factor productivity!
- Solow and production model pretty much as
Kruszewski & A
- AJR focus on institutions (rules of the game)
 - Quality of Govt
 - Private property rights
 - Second rule of law
- we know institutions matter
 - North vs. South Korea
 - East and West Germany
- Q: to what degree do institutions matter?
 - cannot do double blind RCTs b/c of ethics
- look at history and data

Problems:

- Questions of causality: institutions \rightarrow rich countries or rich countries \rightarrow institutions?
- Can't measure institutions: use PRs?
- Omitted variable bias: disease, geography, etc.

ATPs focus: settler mortality rate

- mortality rates high \rightarrow extract resources
- mortality rates low \rightarrow modeled after home country

Colonies:

- Settler colonies: large numbers of settlers, modeled after euro institutions
- Extractive colonies: take away resources

Path dependence?

- elite don't want change
- expensive to change institutions

Measur. institutions

- protection against expropriation (PRs)
- hard to measure
- bias

$$\text{OLS regression: } \log y_i = \alpha R_i + X_i' \gamma + \epsilon_i$$

\downarrow
protection
against
expropriation

Correlation $\not\rightarrow$ causation!

Identification or endogeneity problem: Reverse causality

Solution: instrumental variables

- source of mortality: malaria and y^F
- local pop were immune, though
- derive comes from Disease and Empire by Philip Curtin

$$X \rightarrow Y ?$$

- $Y \rightarrow X$, perhaps
- find Z , strongly connected to X ,
unconnected to Y other than through its effect on X

X : institutions

Y : output/capt

Z : Settler Mortality

Z should have no direct relation to Y other than
through X

- ultimately, it's just persuading the reader
- if instrument affects economic performance outside
of X , then it's less persuasive.

Criticisms:

- Alboxy (2012)
 - criticizes judgment calls AJR make about mortality data
- inconsistently select among multiple data
 - more than one mortality rate, inconsistently select
- judgment calls about neighboring countries
- limit on comparability of data
 - no distinction between battles and campaigns
- AJR becomes less significant

Feb 17

Where we have been:

- frameworks:
 - production model
 - solar model
- focused on capital / person, but mostly A
- AJR focus on differences in A

Romer growth model

- Give money from one stage to the next doubles
\$92,000,000,000,000
- p/p not sook at savings effects of compounding

What sustains growth → technological progress

Coffee cup lids: one size for all coffees

- small lid less free cup resources, reduce input costs

Big technology attracts attention, but all these smaller ones matter too!

Why countries are richer poor institutions & ideas

Taiwan: few resources and capital goods, but rich now

Institutions \rightarrow trade and foreign investment \Rightarrow knowledge

At growth frontier, must develop ideas to sustain growth

- patents
- R&D
- industrial policy?
- education

Mega-ideas: ideas to support new ideas

- Technological progress \rightarrow better allocation of scarce resources.
- Objects, transisive goods (cell phones)
- Ideas: instructions / recipes (map paper, solar electricity)

Ideas: recombine raw materials into higher and better uses

Solar panel doesn't deliver, power model can

Rivalry:

Indivisible goods: using something reduces its usefulness to someone else / others are rivals

Non-rivalrous: one person uses idea \rightarrow it's not to lose it;
ideas are non-rivalrous

Excludability: property rights over ideas do exist (patents)

Grant rights:

- patents
- R&D
- prizes
- education

Variability:

- Y_t : output
- A_t : TFP at time
- \bar{A}_t : TFP at short
- $\bar{L} = L_{yt} + L_{at}$

$$\bar{L} = L_{yt} + L_{at}$$

on part
workers idea
workers

Equation:

$$\text{Output: } Y_t = A_t + b_{yt}$$

- not simplified model

$$\text{Ideas: } \Delta A_t = \bar{A} A_t + L_{at}$$

$$\text{Labor constraint: } \bar{L} = L_{yt} + L_{at}$$

$$\text{Allocation of resources: } L_{at} = \bar{\ell} \bar{L}, \quad L_{yt} = (1 - \bar{\ell}) \bar{L}$$

fraction focused
on new ideas

Unknowns:

Y_t , A_t , L_{yt} , L_{at}

Exo vars: \bar{z} , \bar{L} , \bar{I} , \bar{A}_0

$Y_t =$

02/22

Output: $Y_t = A_t + L_{yt}$

Idea production: $\Delta A_t = A_t \bar{z} L_{at}$

Resource constraints: $L_{at} + L_{yt} = \bar{L}$

Allocation: $L_{at} = \bar{l} \bar{L}$

$$L_{yt} = (1 - \bar{l}) \bar{L}$$

Solve for y_t :

$$\textcircled{1} \quad Y_t = \frac{A_t + (1 - \bar{l}) \bar{L}}{\bar{L}} = A_t (1 - \bar{l})$$

$$\textcircled{2} \quad \sigma_A = \frac{\sqrt{A_t}}{A_t} = \sqrt{\bar{l} \bar{L}}$$

$$y_t = \bar{A}_0 (1 - \bar{l}) (1 + \bar{z} \bar{l} \bar{L})^t$$

We see that y_t grows over time at the rate of idea growth

Change \bar{L}^t

ratio
scale
 y

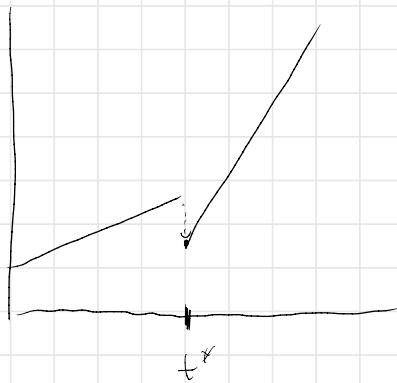


$$y = \bar{A}_0 (1-\ell) (1 + \bar{\epsilon} \bar{\ell} \bar{L})^t$$

- Level effect : change in y
- Growth effect : change in g_y

Suppose \bar{L}^t

ratio
scale
 y



level effect : y_t

growth effect : g_y

Meta-ideas : how we became rich

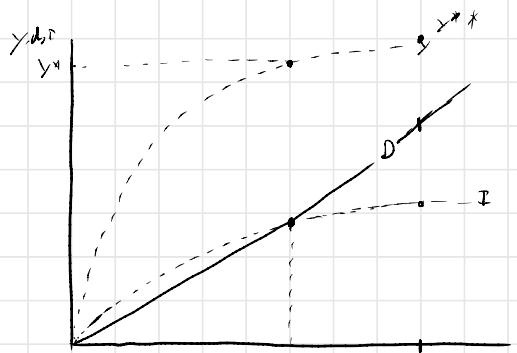
- Patent laws spur technological progress
- Impact of printing press

Idea setting more difficult to find:

- Moore's law: more researchers but seem related growth
- research productivity falling

Feb. 24.

Practice Problem:



$$k^* \rightarrow k^{**} = 400B$$



- One-time emergency aid doesn't help long-term living standard

- However, aid in real life does affect \bar{A}

Aid views:

- Big push: aid beats power to trap

- Jeffrey Sachs (blech)

- AJR:

- Bad institutions are problem

- aid won't improve fundamentals

w/o better institutions

How aid can reduce conflict

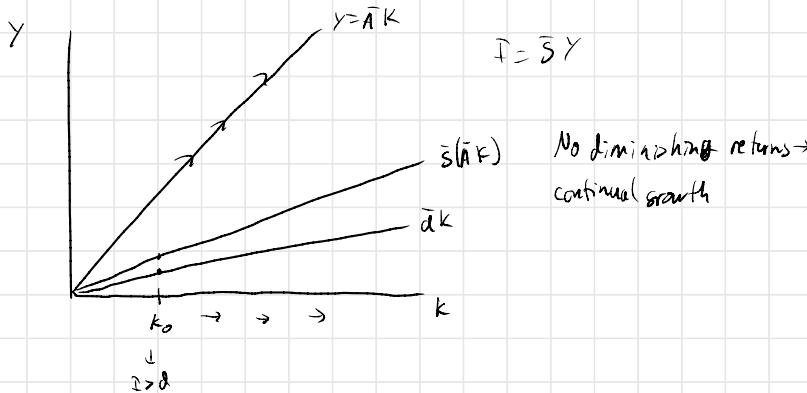
- weather shock \rightarrow power? \rightarrow violence
- technique: instrumental variables
- solution: income insurance
- Success: Botswana

Increase human capital:

- schooling \rightarrow human capital \rightarrow greater growth
- technique: randomized controlled trials
- Kenya: randomly assigned schools, awards given to top 20% of girls

A variation of the Solow Model:

$$- Y = \bar{A} K_t$$



(02)-27

Macro practice exercises

2) a) $Y = \bar{A} K^{1/3} L^{2/3}$

$$\frac{\partial Y}{\partial L} = \frac{2}{3} \bar{A} \frac{K^{1/3}}{L^{2/3}}$$

b) $\pi = \bar{A} K^{1/3} L^{2/3} - rK - wL$

c) $\frac{\partial \pi}{\partial L} = \frac{2}{3} \bar{A} \frac{K^{1/3}}{L^{2/3}} - w$

$$0 = MP_L - w$$

$$w = MP_L$$

$$3) \frac{y_1^*}{y_2^*} = \left(\frac{\bar{A}_1}{\bar{A}_2} \right)^{\frac{s_1}{s_2}} \left(\frac{\bar{s}_1}{\bar{s}_2} \right)^{\nu_2} \left(\frac{\bar{d}_2}{\bar{d}_1} \right)^{\nu_2}$$

$$= (1)^{\frac{s_1}{s_2}} (4)^{\nu_2} (1)^{\nu_2}$$

$$= 2$$

The rich country has twice the steady state
income per capita as does the poor country

March 3rd:

Why Britain?

- cheap coal

- Institutional changes

- Limited Liability Corporation

- Property rights

- Patents

- Interest rates fell

- Rising incomes

- ↑ private savings

- high wage → technology innovation

Inequality: is growth evenly distributed across society

- We want incentives to spur people to work

- Extreme levels of inequality → corrode political institutions → no more growth
(the story of Britain)

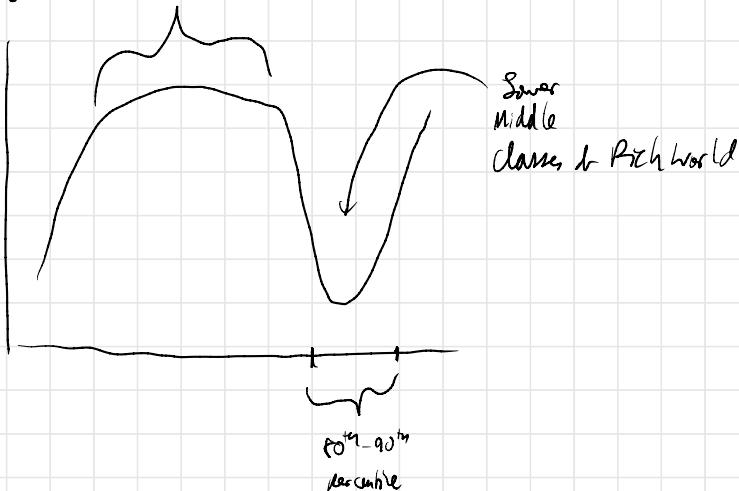
- Poverty trap; increases inequality of opportunity

- Structural barriers to competition

Trends in inequality:

- inequality has been falling due to growth in lower income countries

Elephant graph: growth in China and India



- Inequality is increasing in the US (L-R trend)
 - why?
- Starts increasing in the 1980s
 - due to labor income:
 - declining labor mobility
 - education
 - health care
 - Superstar effect: if you become really good, you get much richer
 - Superstar firms!
 - Skill-biased technological change
 - Globalization & Automation

March 6: Discrimination

Quasi-experimental evidence to measure discrimination

- Are Emily and Greg more employable than Sabrina and Jamal?

Wealth Accumulation:

- Income flow: amount earned in a yr
- Wealth: assets - liabilities, over life period

Implicit Bias: unconscious attribution of certain qualities

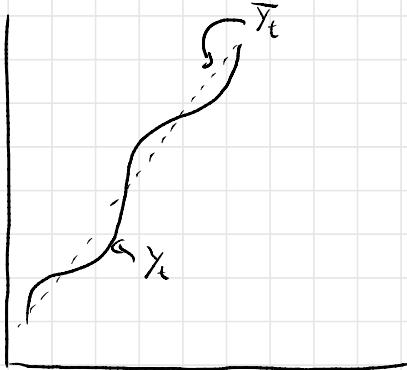
History of discriminatory policies:

- GI Bill: only available to whites
- Redlining: race \rightarrow lack of access to preferential loans
 - detail expectation of "shifting" or "infiltration"
- Housing & house values were the primary method of wealth accumulation
- Lise Cook: patents & racism
 - until Plessy, patent rates are similar, but after Plessy, patents for Af-Am fall dramatically
 - Violence spikes \rightarrow drop in patenting

March 8: The short run

1) what causes business cycles?

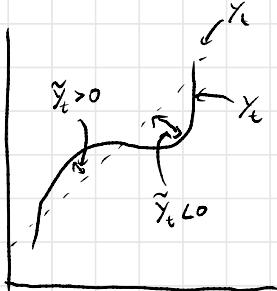
2) What policy tools can we use to counteract business cycles?



$$\text{Output gap} = \frac{Y_t - \tilde{Y}_t}{\tilde{Y}_t} = \tilde{\gamma}_t$$

$\tilde{\gamma}_t > 0$: positive output gap

$\tilde{\gamma}_t < 0$: negative output gap



Output gap is key outcome variable in short run

Most recessions last about 2 years;

- lose about 6% GDP per capita
- unemployment usually rises 2%
- but Great recession was much more severe

Key features of SR model:

- shocks cause business cycles
- COVID Recession: pandemic
- Great Recession: housing bubble burst
- 2001 Recession: Dot-com + 9/11
- Volcker Disinflation: Spiking interest rates
- Great depression: the gold standard, unit banking, stock market crash

Monetary and Fiscal policy:

- Monetary policy: central bank changes money supply and interest rates
- Fiscal policy: govt. spending and taxation policy

March 10:

- tradeoff between SP output and inflation: Phillips curve

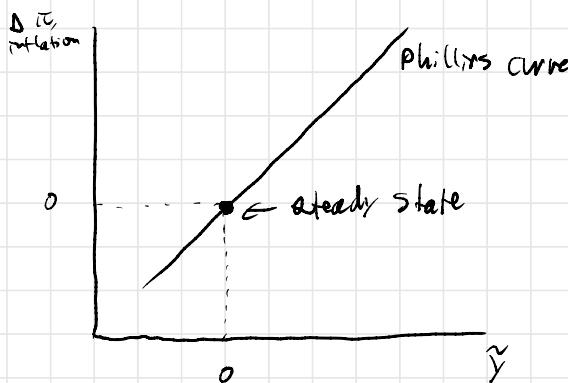
Okun's law: relationship between output and unemployment

$$U_t - \bar{U} = -\frac{1}{2} \tilde{Y}_t$$

natural
rate of
unemployment

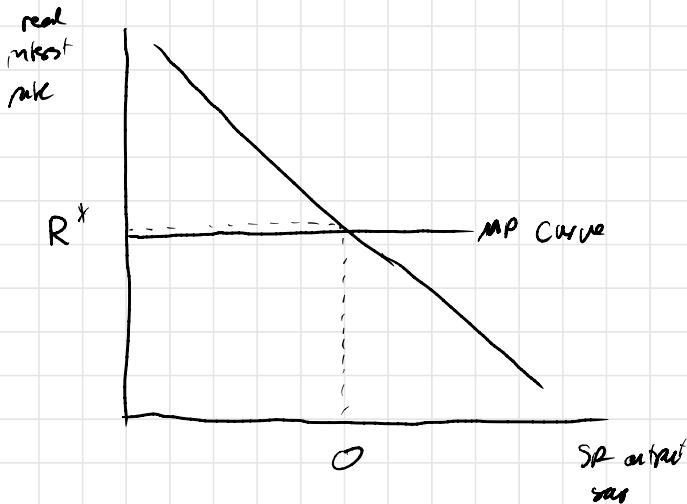
output gap

$\bar{U} \approx 4-5\%$, mostly frictional unemployment



IS Curve

- relationship between interest rate and level of output in the economy
- R : interest rate, cost of borrowing



Countercyclical monetary policy:

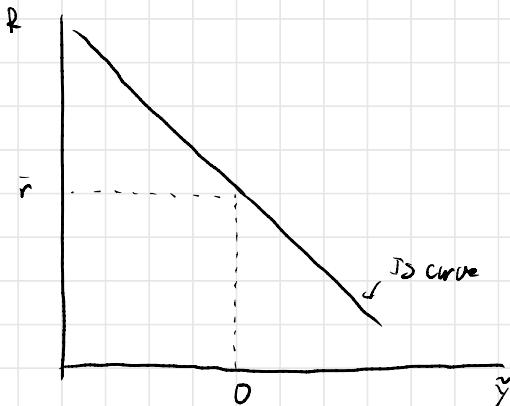
$$- \tilde{Y} > 0 \rightarrow \Delta it \uparrow \rightarrow R \uparrow$$

$$- \tilde{Y} < 0 \rightarrow \Delta it \downarrow \rightarrow R \downarrow$$

March 20

IS Curve: $\tilde{Y} = \bar{a} - \bar{b} (R_t - \bar{r})$

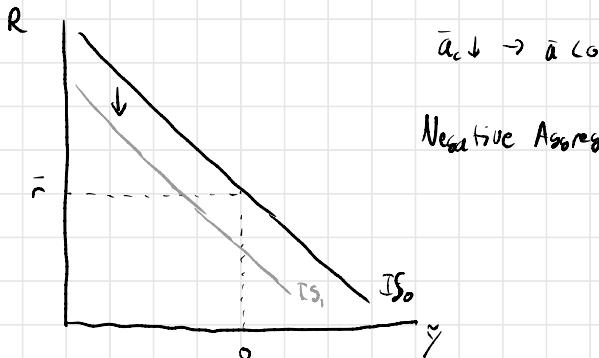
$R_t \rightarrow Y_d$



Assume $\bar{a} = 0$ at long run equilibrium, and
 $R_t = \bar{r}$

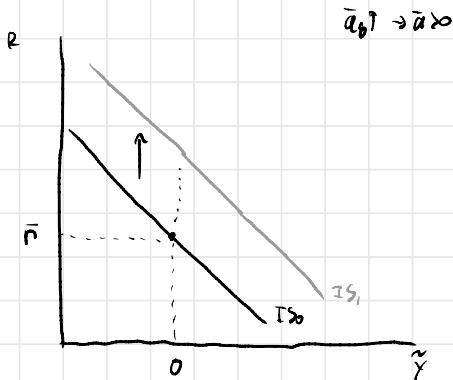
Example 1:

- consumers stop spending so much

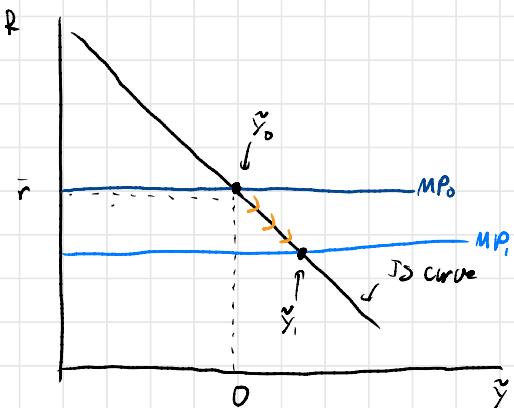


Example 2:

- Govt. Stimulus program



Monetary Policy Curve:



Countercyclical policy: $\bar{a} \downarrow \rightarrow R \downarrow \rightarrow \tilde{Y}$ returns to LRE

$\bar{a} \uparrow \rightarrow R \uparrow \rightarrow \tilde{Y}$ returns to LRE

Multiplier effect:

- Govt. spending \rightarrow increased consumption \rightarrow increased output

Incorporating the multiplier effect:

$$\frac{C_t}{Y_t} = \bar{\alpha}_c + \bar{x} \tilde{Y}_t$$

$$Y_t = C_t + I_t + G_t + \bar{E}Y_t - \bar{I}M_t$$

$$\begin{aligned}\frac{Y_t}{\bar{Y}_t} &= \frac{C_t}{\bar{Y}_t} + \frac{I_t}{\bar{Y}_t} + \frac{G_t}{\bar{Y}_t} + \frac{\bar{E}Y_t}{\bar{Y}_t} - \frac{\bar{I}M_t}{\bar{Y}_t} \\ &= \bar{\alpha}_c + \bar{x} \tilde{Y}_t + \bar{\alpha}_i \cdot \bar{b}(R_t - \bar{r}) + \bar{\alpha}_g + \bar{\alpha}_{ex} - \bar{\alpha}_{im}\end{aligned}$$

$$\tilde{Y}_t = (\bar{\alpha}_c + \bar{\alpha}_i + \bar{\alpha}_g + \bar{\alpha}_{ex} - \bar{\alpha}_{im} - 1) + \bar{x} \tilde{Y}_t - \bar{b}(R_t - \bar{r})$$

$$\tilde{Y}_t (1 - \bar{x}) = \bar{\alpha} - \bar{b}(R_t - \bar{r})$$

$$\tilde{Y}_t = \frac{\bar{\alpha} - \bar{b}(R_t - \bar{r})}{(1 - \bar{x})}$$

March 22

Monetary Policy and the Phillips Curve

Long run equilibrium \Rightarrow our starting point

\bar{Y} : potential GDP output

\bar{r} : "natural" rate of interest

\bar{u} : "natural" rate of unemployment, or Non-Accelerating Inflation Rate of Unemployment (NAIRU)

Federal Reserve targets federal funds rate

- FFR: interest rate for interbank overnight loans

Fisher Equation:

$$i = \bar{r} + \pi$$

normal real inflation rate
interest interest rate
rate rate

$$P = \$100 \quad | \quad i = 5\%$$

$$\rightarrow \$105$$

$\pi = 3\% \rightarrow \$100 \text{ at start of yr cost } \$103, \text{ so your add'l rate of return is } \$2, \text{ or } 2\%$

Alternatively, we can write it as

$$r = i - \pi$$

Ex post and Ex ante:

$$\begin{aligned} r_{\text{ex post}} &= i - \pi_{\text{actual}} \\ r_{\text{ex ante}} &= i - \pi_{\text{expected}} \end{aligned}$$

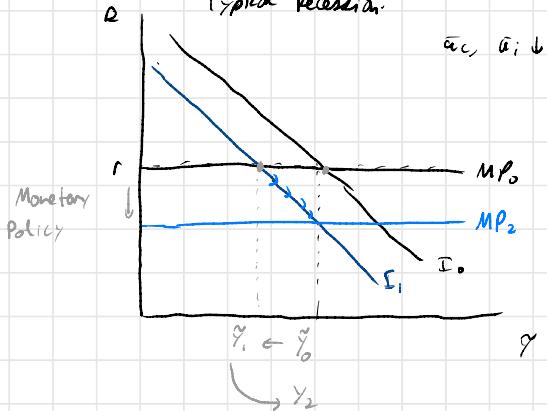
Sticky inflation assumption:

- expectations update slowly
- contracts are fixed and nominal
- menu costs - cost associated with changing prices

Example:

- 1) housing bubble bursts, \bar{a}_c and \bar{a}_i , ↓
- 2) Federal Reserve drops interest rate
- 3) Fiscal policy ↑ govt spending and ↓ taxes

Typical Recession:



Central banks cannot lower i to below zero

March 24:

The Phillips Curve

$$\bar{\pi}_t = \bar{\pi}_t^e + \bar{v} \tilde{Y}$$

Inflation rate expectations
location in Business Cycle

+
↓
price shocks
(increase in invent costs for firms)

Adaptive expectations: $\bar{\pi}_t^e = \bar{\pi}_{t-1}$

Inflation next year is equal to inflation at the previous year

$$\bar{\pi}_t = \bar{\pi}_{t-1} + \bar{v} \tilde{Y}$$

$$\Delta \bar{\pi} = \bar{v} \tilde{Y}$$

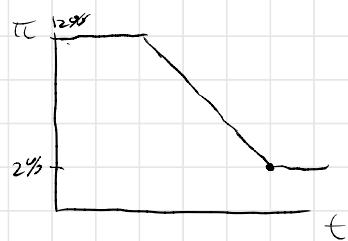
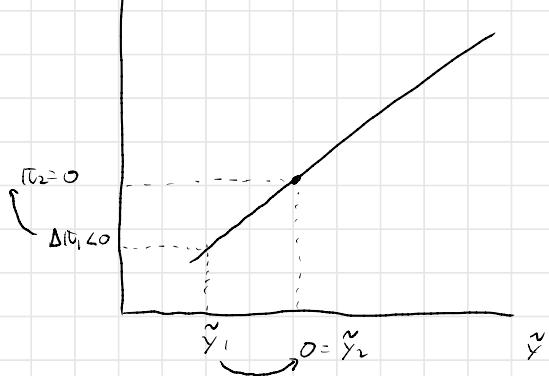
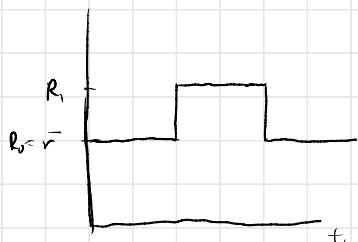
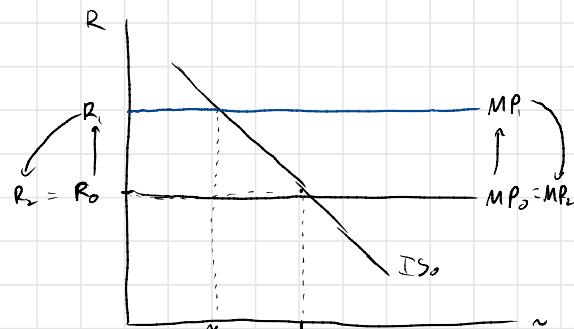
\bar{v} is the slope of the Phillips curve

Volcker Disinflation:

~ inflation rate falls

Increase interest rates \rightarrow recession \rightarrow stable inflation \rightarrow stable interest rates

Modeling the Volcker Disinflation



March 27

Fiscal Policy:

- Contractionary: govt spending ↓, taxes ↑
- Expansionary: govt spending ↑, taxes ↓

Monetary Policy:

- Contractionary: MSL, Interest rates ↑
- Expansionary: MSR, Interest rates ↓

Inflation target: 2%

$$R_t - \bar{r} = \bar{m}(\pi_t - \bar{\pi})$$

positive
constant inflation target

$$\pi_t > \bar{\pi} \rightarrow R_t > \bar{r}$$

$$\pi_t < \bar{\pi} \rightarrow R_t < \bar{r}$$

\bar{m} represents the hawkishness of the Central Bank

\bar{m} high \rightarrow Central Bank raises rates quickly if inflation soars up

\bar{m} low \rightarrow bank raises rates slowly

Aggregate Demand Curve

$$1) AD \text{ curve: } \tilde{Y}_t = \bar{a} - \bar{b}(\bar{R}_t - \bar{\pi})$$

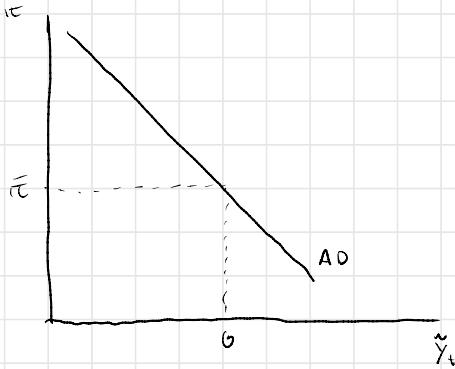
relationship between economic activity and interest rate

$$2) \text{ Monetary policy rule: } R_t - \bar{\pi} = \bar{m}(\bar{\pi}_t - \bar{\pi})$$

$$\text{Aggregate demand: } \tilde{Y}_t = \bar{a} - \bar{b}(\bar{m}(\bar{\pi}_t - \bar{\pi}))$$

$$\bar{\pi}_t \uparrow \rightarrow \tilde{Y}_t \downarrow$$

$$\text{Assume } \tilde{Y}_{t+1} = 0, \bar{a} = 0, \text{ so } \bar{R}_t = \bar{\pi} \text{ at eqn}$$



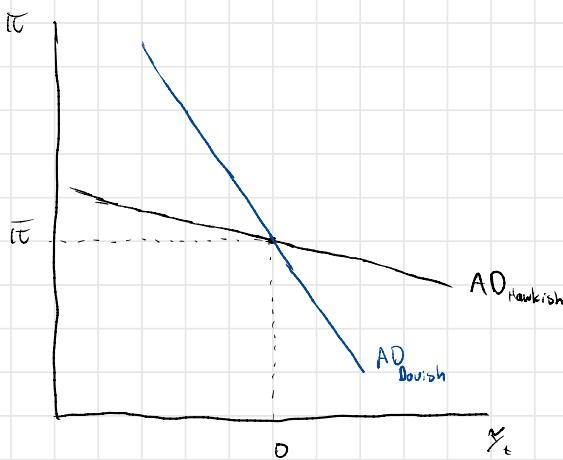
AD curve shows relationship between output and inflation, mediated through the central bank

$$\pi_t \uparrow \rightarrow R_t \uparrow \rightarrow \tilde{Y}_t \downarrow$$

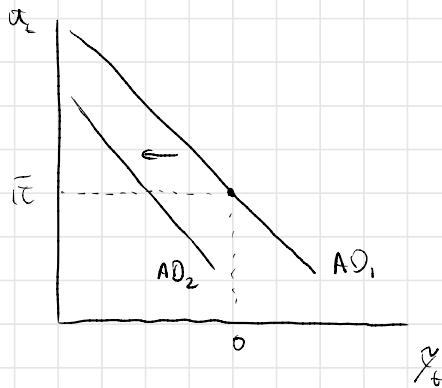
AD curve for hawkish central bank:

m high $\rightarrow Y_t$ changes more for a given change of inflation \rightarrow flatter AD Curve

m low $\rightarrow Y_t$ changes little for a given change of inflation \rightarrow Steeper AD curve



A change in $\bar{\alpha}$:

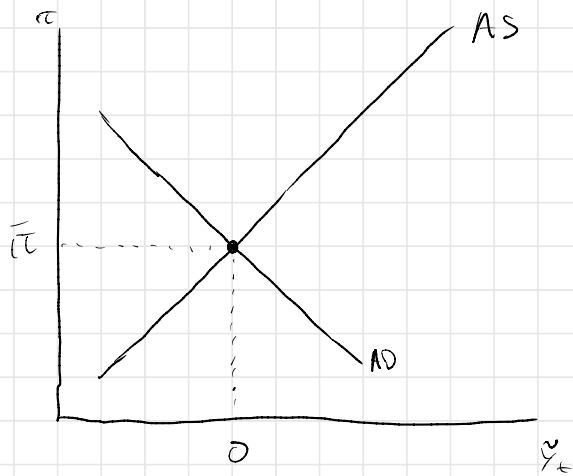


Aggregate supply = Phillips Curve

$$\pi_t = \pi_t^\epsilon + \bar{v} Y_t + \bar{\sigma}$$

$$AD: \tilde{Y} = \bar{a} - \bar{\alpha}(\pi_t - \bar{\pi})$$

$$AS: \pi_t = \pi_t^e + \bar{\alpha} \tilde{Y} + \bar{\sigma}$$



Adaptive expectations:

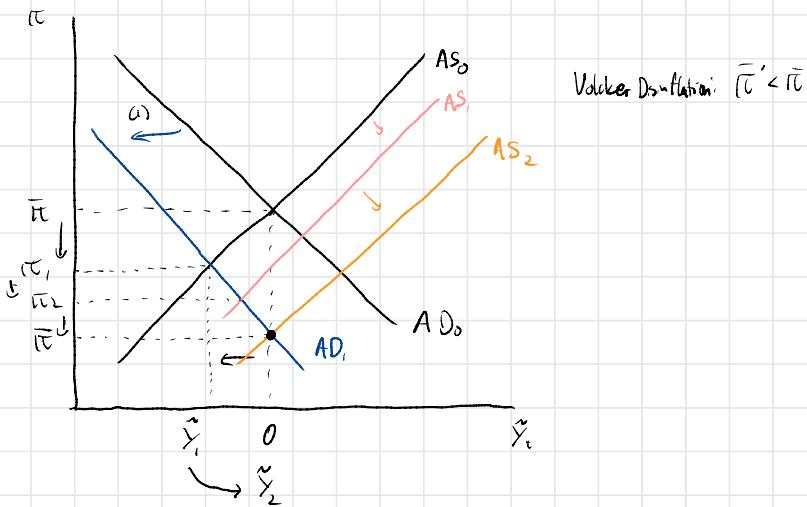
$$\pi_t^e = \bar{\pi}_{t-1}$$

Aggregate Demand - Aggregate Supply

Ex. 2:

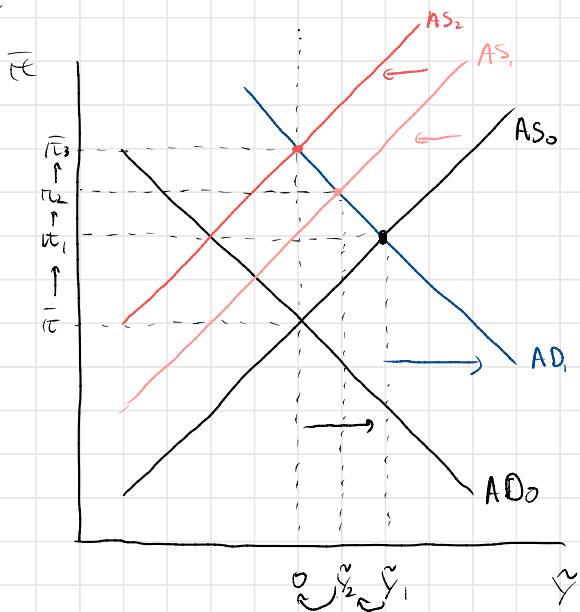
$$AD: \tilde{Y} = \bar{a} - \bar{b} \bar{\pi} (\bar{\pi}_t - \bar{\pi})$$

$$AS: \bar{\pi}_t = \bar{\pi}_t^e + \bar{\gamma} \tilde{Y}_t$$



Short run: $AD \downarrow, \tilde{Y} < 0$

Ex. 3:



March 31: How the Federal Reserve conducts monetary policy

Review short run model

$$\text{Output gap: } \tilde{Y}_t = \frac{Y_t - \bar{Y}_t}{\bar{Y}_t}$$

$$\text{Okun's Law: } U_t - U^* = -\frac{1}{2} \tilde{Y}_t$$

$$\text{IS curve: } \tilde{Y}_t = \bar{a} - \bar{b}(R_t - \bar{r})$$

(real interest rates)

MP curve: Fed sets R_f

$$\text{Policy Rule: } R_t + \bar{r} = \bar{m} (\pi_t - \bar{\pi}) + \bar{n} \tilde{Y}_t \quad (\text{Taylor Rule})$$

Dual Mandate:

- price stability
- maximum employment — output gap at zero

$$\text{AD curve: } \tilde{Y}_t = \bar{a} - \bar{b} (\bar{m} (\pi_t - \bar{\pi}) + \bar{n} \tilde{Y}_t)$$

$$\begin{aligned}\tilde{Y}_t (1 + \bar{n} \bar{b}) &= \bar{a} - \bar{b} \bar{m} (\pi_t - \bar{\pi}) \\ \tilde{Y}_t &= \left(\bar{a} - \bar{b} \bar{m} (\pi_t - \bar{\pi}) \right) \frac{1}{1 + \bar{n} \bar{b}}\end{aligned}$$

$$\text{AS Curve: } \bar{\pi}_t = \bar{\pi}_t^e + \bar{v} \tilde{Y}_t + \bar{o}$$

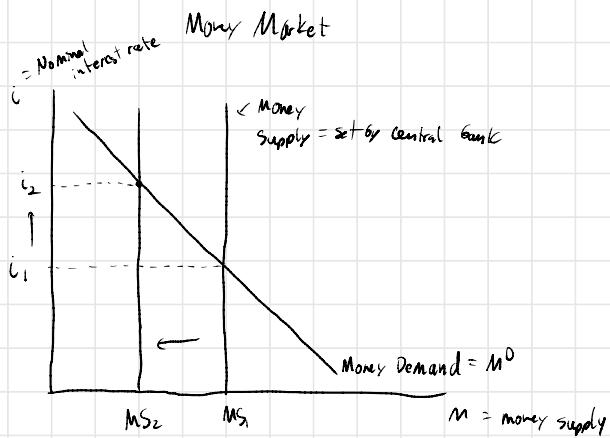
Federal Reserve structure:

- Chair
- Vice Chair
- Five governors
- Chair of FRBNY
- Four of the other remaining Reserve Bank presidents
- Non-voting reserve bank presidents

April 3: FOMC & Federal Reserve

Financial Assets collapsed	
Money	Bonds
- immediately available - can be used to buy goods and services	- interest

Nominal interest rate = opportunity cost of money (what you give up holding money instead of bonds)



How central bankers change money supply

i) Open Market Operations:

- Sell Bonds: take money out of circulation
- Buy Bonds: return money into circulation

Buy Bonds \rightarrow Demand for Bonds \uparrow

\rightarrow price of bonds \uparrow

\rightarrow interest rate \downarrow

Discount bond:

$$P_0 = \$900 \quad P_1 = \$1000$$

$$i_1 = \frac{1000}{900} - 1 = (1.11) - 1 = 11.1\%$$

$$P_2 = 950 \quad P_1 = \$1000$$

$$i_2 = \frac{1000}{950} - 1 = 5.26\%$$

2) Interest rate floor and ceiling

- Interest rate on reserves
- Discount Rate

Interest rate on reserves $\downarrow \rightarrow$ reserves \uparrow

\rightarrow loans \uparrow

$\rightarrow M \uparrow$

Federal Funds rate:

- excess reserves \rightarrow lent to other banks
- overnight loan rate = FFR

I.P.R.:

- sets floor on FFR
- No bank lends to another bank below I.P.R.

Discount rate:

- rate on loans from discount window
- ceiling on FFR

FFR and market interest rates tend
to move in tandem

April 9: Liquidity Traps

$$\text{Output gap: } \tilde{Y}_t = \frac{Y_t - \bar{Y}_t}{\bar{Y}_t}$$

$$\text{Okun's Law: } U_t - U^* = -\frac{1}{2} \tilde{Y}_t$$

$$\text{IS Curve: } \tilde{Y}_t = \bar{a} - \bar{b}(\bar{r}_t - \bar{r})$$

$$\text{MP Curve: } \tilde{U}_t = \bar{R}_t + \bar{\pi}_t$$

$$\text{Policy Rule: } R_t - \bar{r} = \bar{m} (\pi_t - \bar{\pi}) - \text{Taylor Rule: } R_t - \bar{r} = \bar{m} (\pi_t - \bar{\pi}) + \bar{n} \tilde{Y}_t$$

$$\text{AD Curve: } \tilde{Y}_t = \bar{a} - \bar{b} \bar{m} (\bar{\pi}_t - \bar{\pi})$$

$$\text{Phillips Curve / AS Curve: } \pi_t = \pi_t^e + \bar{v} \tilde{Y}_t + \bar{\sigma}$$

Liquidity trap:

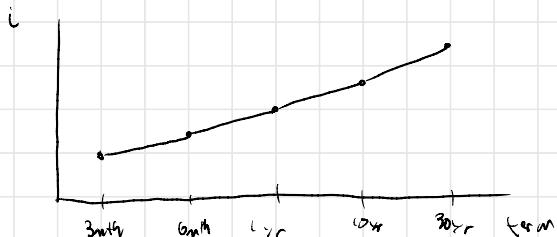
- unable to lower interest rate below zero, even if conditions recessionary?

- prime example: 2008 recession

Key Question: how else might central banks stimulate the economy?

First, Yield Curve:

- Nominal interest rate depends on term of loan:



(↑ as term ↑ as it's riskier
to borrow over longer horizone)

What else tools to stimulate economic activity?

- Quantitative Easing: buying long term bonds to affect long term interest rates

Long term interest rates are a function of future short term rates, plus risk premium

Forward guidance: commitment by central bank to keep ST rates low for a long period of time

In class practice exercises on
Automatic stabilizers

$$\tilde{Y}_t \rightarrow G \uparrow$$

$$\tilde{Y} \uparrow \rightarrow G \downarrow$$

$$\frac{G_t}{Y_t} = \bar{a}g - \bar{d}\tilde{Y}_t$$

Group Exercise: Automatic Stabilizers in our Short-Run Model

Background: Government spending tends to increase naturally when an economy slips into a recession, even without any legislated changes in fiscal policy. Why? When an economy is in recession, unemployment increases and the government automatically increases its spending on unemployment insurance and the social safety net. By contrast, government spending tends to decrease automatically when an economy enters a boom: When the economy is in a boom, unemployment decreases and the government automatically reduces its spending on unemployment insurance and the social safety net.

Government spending that automatically responds to the business cycle is referred to as “automatic stabilizers.” Why? When the economy weakens, the increase in government spending that automatically occurs helps to counteract the fall in output, thereby stabilizing the economy.

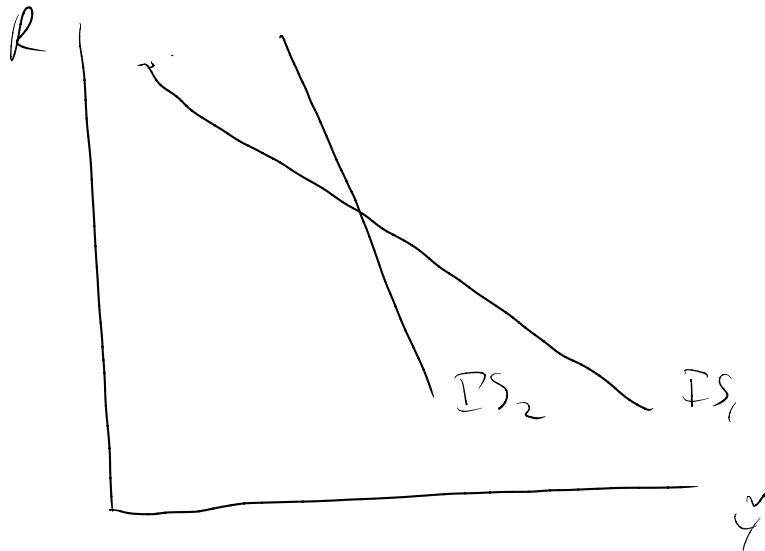
- a. How could you incorporate automatic stabilizers into our short-run model? Starting with our baseline model from class, what equation(s) would you change? Why?

$$\frac{G_t}{Y_t} = \bar{a}_g - \bar{d} \tilde{Y}_t$$

- b. Derive the IS curve in this economy.

$$\begin{aligned}\tilde{Y}_t &= \bar{a} - \bar{b}(R_t - \bar{r}) - \bar{d} Y_t \\ Y_t &= \frac{\bar{a} - \bar{b}(R_t - \bar{r})}{1 + \bar{d}}\end{aligned}$$

- c. Graph the new IS curve you derived in part (b) and show how it is different from the standard IS curve considered in class. Specifically, show how the slope of this new IS curve differs from the slope of the standard IS curve considered in class. What is the economic interpretation of the difference? (Assume that \bar{r} is the same across both IS curves.)



- d. Which IS curve shifts by more in response to a given aggregate demand shock (i.e. a given change to \bar{a}): the new IS curve (from part b) or the standard IS curve considered in class? Does your answer depend on whether the shock is a positive or negative aggregate demand shock (i.e. whether $\Delta\bar{a} > 0$ or $\Delta\bar{a} < 0$)? Explain, either mathematically or graphically.

The original IS curve shifts more since

ΔY_t isn't mediated by the $\frac{1}{1+\bar{r}}$ term

e. Now, assume that the Federal Reserve follows a particular policy rule:

$$R_t - \bar{r} = \bar{m}(\pi_t - \bar{\pi}) + \bar{n}\tilde{Y}_t$$

Does this policy rule reflect the dual mandate of the Federal Reserve? Why or why not?

The Fed seeks to keep inflation under control and maintain output close to potential

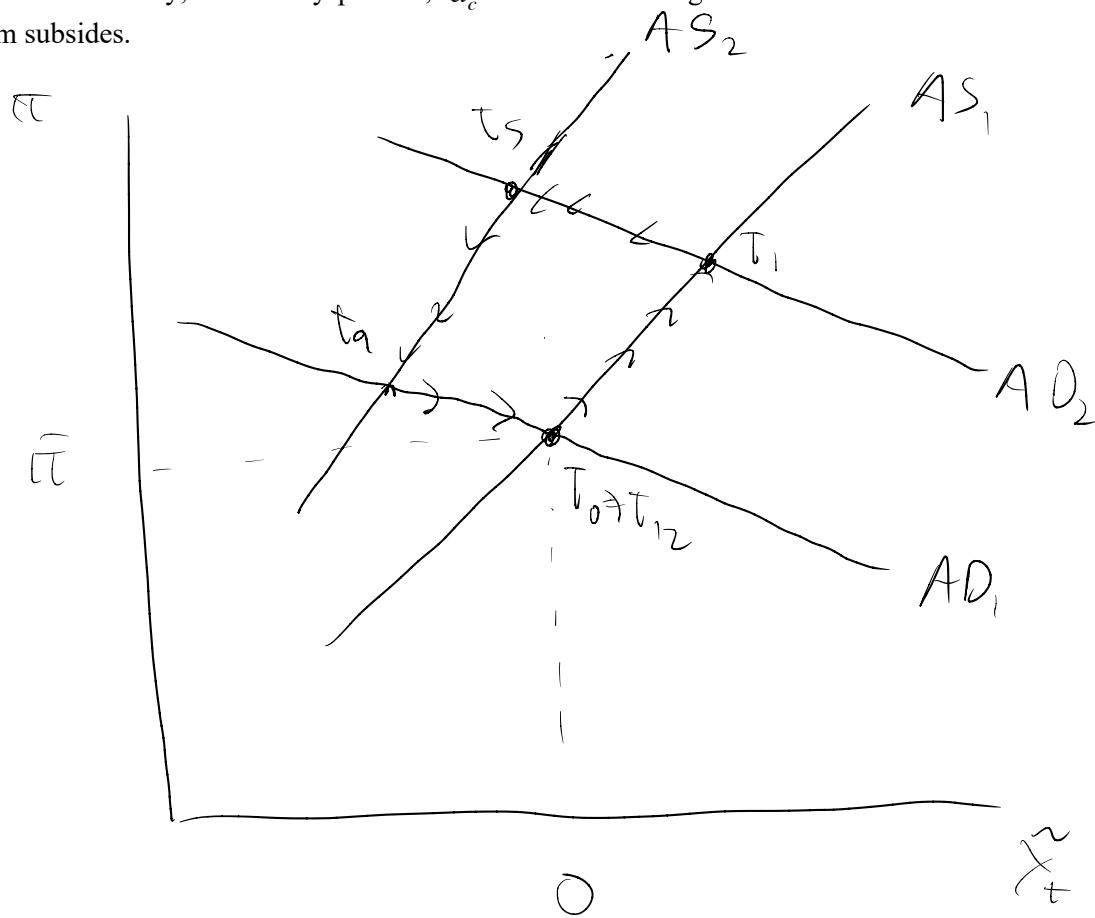
f. Using the IS curve you derived in part (a) and the policy rule from part (d), derive the new AD curve for this economy.

$$\tilde{Y}_t = \frac{\bar{a} - \bar{b}\bar{m}(\pi_t - \bar{\pi}) - \bar{b}\bar{n}\tilde{Y}_t}{1 + \bar{d}}$$

$$Y_t \left(1 + \frac{\bar{b}\bar{n}}{1 + \bar{d}} \right) = \frac{\bar{a} - \bar{b}\bar{m}(\pi_t - \bar{\pi})}{1 + \bar{d}}$$

$$Y_t = \frac{\bar{a} - \bar{b}\bar{m}(\pi_t - \bar{\pi})}{1 + \bar{d} + \bar{b}\bar{n}}$$

g. Suppose consumers suddenly become optimistic and increase their spending. You can interpret this as an increase in \bar{a}_c . Illustrate how the economy will behave over time in an AD-AS diagram. Also, please assume that eventually, after many periods, \bar{a}_c returns to its original level once the burst in consumer optimism subsides.



April 7 - 10

Automatic Stabilizers incorporation:

$$\frac{G_t}{Y_t} = \bar{\alpha}_g - \bar{\alpha} \tilde{Y}_t$$

Biden's Industrial policy:

- large checks to particular domestic industries
 - subsidies / payments
- Semiconductors: CHIPS ACT
 - "national security"
- Inflation Reduction Act:
 - also includes clean energy subsidies
 - corporate tax reform / EPS Funding
 - clean energy incentives

For the govt. better at picking winners than the market?

Great Depression & Great Recession

Recession:

NBER definition:

- significant decline in economic activity
- Depressions are also bad recessions

Great Depression was global

- Summer 1929: peak in industrial production,
after minor recession
- Industrial production fell 40%
- falling prices & Deflation

April 14,

How do we verify our model is correct?

- regress $\ln(Y) = \alpha + \beta \Delta x_t$
- x_t is the measure of the stance of monetary policy
 - level of FFR
 - $y_t \approx \text{output} / \text{GDP}$

We might think $\beta < 0$, but it's not!

- St. Louis Fed
- They found no correlation between FFR and output

Monetary policy is conducted ~~concurrently~~,

so $y_t \uparrow \rightarrow i_t \uparrow \rightarrow y_t \downarrow \rightarrow i_t \uparrow \rightarrow y_t \downarrow \rightarrow \dots$

The rise in output is correlated with high interest rates AND
low interest rates

Interest rate shocks reduce output

When to use AS-AD vs. IS-MP or Phillips curve

AD curve comes from IS curve and policy rule

- only works if central bank follows policy rule
- i.e., at liquidity trap/ZLB, cannot use AS-AD curve

Bubble: unsubstantiated overvaluation of a commodity or asset

- lax lending standards

- Banking Panics:

- Banks accept demand deposits and lend out

- channel supply of locatable funds to demand for locatable funds

- Happened ~ every 10-15 yrs until Great Depression, then
didn't happen until 2008

- loss of confidence \rightarrow Bank runs \rightarrow bailouts \rightarrow etc.

- After Great Depression:

- bank regulation

- Deposit insurance

Apr 17:

- Change in lending to 2008:
 - shadow banking
 - bank deregulation
- financial product innovation

Shadow banking sector:

- banking outside the eye of regulators
- no deposit insurance

Repo: deposit from banking or large financial institutions

- No deposit insurance
- Asymmetric info about risk of lending → can
- Banks don't in shadow banking sector
 - unwind counterparty risk

2008 Bank bailout: TARP (Troubled Asset Relief Program)

Balance Sheet:

- CMO: collateralized mortgage obligation
- bond dependent on value of mortgage

Assets	Liabilities
\$80 CMOS	\$100 Deposits
\$50 cash	\$30 Net worth

\$80 in Period 2

\$40 in Period 1

→ Financial crisis in period 1

Assets	Liabilities
\$40 CMOS	\$100 Deposits
\$20 cash	-\$10 NW

Cash injection: \$12

Assets	Liabilities
\$40 CMOS	\$100 Deposits
\$20 cash	\$2 NW
\$12 assistance	

Bank clearing in bank, sold at profit

Apr 19

Does Monetary policy matter?

- Update to Friedman and Schwartz
- shows that macro class matters

The narrative approach:

- uses information that is historical
- minutes of FOMC meetings
- non-linear statistical information to deal with reverse causality

The St. Louis Regression:

$$\Delta \ln Y_t = \hat{\alpha} + \hat{\beta} X_t + \epsilon_t$$

- Y_t : GDP

- X_t : level of FFR

$$\hat{\beta} \approx 0!$$

expected from countercyclical policy!

Friedman and Schwartz: A Monetary History of the United States

- reverse causality/identification/evidence
- Historical Narrative approach

$Y_L \rightarrow$ fewer loans $\rightarrow M_L$

$Y_F \rightarrow$ loans $\uparrow \rightarrow M_F \uparrow$

F&S use "unusual" monetary movements

Crucial experiments:

- 1920: Federal reserve jacks up interest rates, doesn't know what it's doing, no lag accounted for
- 1931: Gold outflows, Federal reserve raises interest rate to maintain the gold standard
- 1936-37: Double reserve requirements, M1 substantially up banks scramble to call loans

Decline in M causes decline in Y

strengths:

- address endogeneity problems
- money matters

weaknesses:

- identification strategy is largely a judgment call
- Two examples of mixed episodes:
 - 1933
 - 1950
- Definition too vague
- time period
- OVB: Fiscal policy changes
 - fiscal policy contraction $\rightarrow Y \downarrow$?

Poole's definition of a monetary shock:

- negative shock
- actively works to reduce inflation from excessive rates

April 21

Inflation in Turkey: 85%

Erdogan installs crony to central bank, refuses to jack up interest rates

- doesn't like high interest rates

- economic populism: thinks high interest rates increase inflation (not borne out by evidence)

- Islam: interest is exploitative

Independent central banks: incentive for politicians \neq incentive for fed officials

April 24:

Deficit: G - T over 1 yr period

2022: \$1.4T, 5.5% of GDP

Debt: accumulated deficits - accumulated surpluses

Primary spending:

- Social Security
- Medicare
- Medicaid

> half of federal spending on these

Most revenue is from income taxes (personal and corporate)

Debt ceiling: govt. isn't allowed to borrow over the limit

Market for debt:

- Demand for loans:
 - interest rate ↑ → fewer loans demanded
- Supply of loans:
 - interest rate ↓ → more loans supplied
- Equilibrium price is the prevailing interest rate

By forcing us at full employment, govt. crowds out private sector

except:

- liquidity trap
- negative output gap

April 26:

Why Health care?

- $\frac{1}{6}$ of our GDP

Market for healthcare:

- ACA, 2010

- Before ACA, $\approx \frac{1}{6}$ Americans lacked

health insurance

- Primarily 20-25 year old, little income and no
parents' health insurance

- costly

- avg. premium was \$5k for individual coverage

- tax advantages

- adverse selection: people who get insurance need it more, price ↑, spirals

- pre-existing conditions

Market Failure in Healthcare: Asymmetric information

- consumers know health history, insurance cos don't

- prices are opaque

ACA requires coverage:

- Exchanges to purchase insurance

- Companies cannot deny on the basis of pre-existing conditions

- Insurance purchase mandate - tax to 2.5% or \$695 if you don't

- Subsidized to purchase insurance

- Medicaid expansion: 40 out of 50

- Stay on parents' plan until 26

Rising healthcare costs:

- deficit↑ (unless tax↑ rise)
- crowd out private investment
- crowd out other govt. spending
- probability of debt crisis ↑

We spend a lot of money on healthcare

- not great health outcomes
- wasteful spending

Doc. notes:

- last two yrs of life,
WTP for longevity is very high, > 30% in shift that doesn't pass CBA
- Medical advancements sometimes aren't better
- fee for service
 - paid on the basis of service
 - as opposed to prepaid management
 - incentive to max. noise # of procedures

April 28:

Drivers of healthcare costs:

- Medical innovation
- Fee for service

Intl' Macroeconomics:

exchange rates price of one currency in another
- determined by S & D

- (1) 0.9 Euro - (USD)
↓ Dollar appreciation
- (2) 1 euro - 1 USD Euro depreciated

Americans prefer (2) over (1)
- goods in euros are cheaper to Americans

Appreciated currency \rightarrow $S\uparrow$, $E\downarrow$, $NX\downarrow$

$i\uparrow \rightarrow$ Dollar $\uparrow \rightarrow NX\downarrow$
(demand for dollars increases)

May 1:

(↑ → Dollars ↑ → Dollar ↑ → NX↓

$$\frac{NX_t}{Y_t} = \bar{\alpha}_n - \bar{\epsilon}_{nx} (R_t - \bar{r})$$

effect of monetary policy
on trade flows

Fixed exchange rate: rate doesn't change

Reasons:

- less volatility
- signal of macroeconomic discipline

Requirements:

- must maintain adequate currency reserves

If can't maintain fixed exchange rate,

Currency crisis ensues

Similar to run on bank, but a run on the peso