

Jamboree Admission Probability Factor Mini Project

Jamboree has helped thousands of students to make it to top colleges abroad. Using GMAT, GRE or SAT scores, their unique problem-solving methods ensure maximum scores with minimum effort. They want to analyse the probability of getting into the IVY league college based on the following factors.

Following are the attributes of the dataset.

1. S.No.
2. GRE Score: GRE score out of 340.
3. TOEFL Score: TOEFL score out of 120.
4. University Rating
5. SOP: Statement of Purpose out of 5
6. LOR: Letter of Recommendation out of 5
7. CGPA: GPA out of 10
8. Research: If students have taken part in research.
9. Chance of Admission: How eligible is a student for admission.

Problem Statement:

Chances of getting admission into IVY league college based on multiple factors such as entrance test scores, GPA, etc.

```
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
from scipy.stats import norm

df=pd.read_csv("jamboree_admission.csv")
df=df.drop('Serial No.',axis=1)
df.head(10)
```

→

	GRE Score	TOEFL Score	University Rating	SOP	LOR	CGPA	Research	Chance of Admit	
0	337	118		4	4.5	4.5	9.65	1	0.92
1	324	107		4	4.0	4.5	8.87	1	0.76
2	316	104		3	3.0	3.5	8.00	1	0.72
3	322	110		3	3.5	2.5	8.67	1	0.80
4	314	103		2	2.0	3.0	8.21	0	0.65
5	330	115		5	4.5	3.0	9.34	1	0.90
6	321	109		3	3.0	4.0	8.20	1	0.75
7	308	101		2	3.0	4.0	7.90	0	0.68
8	302	102		1	2.0	1.5	8.00	0	0.50
9	323	108		3	3.5	3.0	8.60	0	0.45

◀ ▶

```
df.shape, df.info()
```

→

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 500 entries, 0 to 499
Data columns (total 8 columns):
 #   Column           Non-Null Count  Dtype  
 --- 
 0   GRE Score        500 non-null    int64  
 1   TOEFL Score      500 non-null    int64  
 2   University Rating 500 non-null    int64  
 3   SOP              500 non-null    float64 
 4   LOR              500 non-null    float64 
 5   CGPA             500 non-null    float64 
 6   Research          500 non-null    int64  
 7   Chance of Admit  500 non-null    float64 
dtypes: float64(4), int64(4)
```

```
memory usage: 31.4 KB  
((500, 8), None)
```

```
print(df["GRE Score"].value_counts(),df["TOEFL Score"].value_counts(),df["University Rating"].value_counts(),df["SOP"].value_counts(),df["LO
```

GRE Score

GRE Score	Count
312	24
324	23
316	18
321	17
322	17
327	17
311	16
320	16
314	16
317	15
325	15
315	13
308	13
323	13
326	12
319	12
313	12
304	12
300	12
318	12
305	11
301	11
310	11
307	10
329	10
299	10
298	10
331	9
340	9
328	9
309	9
334	8
332	8
330	8
306	7
302	7
297	6
296	5
295	5
336	5
303	5
338	4
335	4
333	4
339	3
337	2
290	2
294	2
293	1

Name: count, dtype: int64 TOEFL Score

TOEFL Score	Count
110	44
105	37
104	29
107	28
106	28
112	28
103	25

GRE Score

GRE Score	Count
49	29
29	5
9	9
184	2
61	1

```
df.describe()
```

	GRE Score	TOEFL Score	University Rating	SOP	LOR	CGPA	Research	Chance of Admit
count	500.000000	500.000000	500.000000	500.000000	500.000000	500.000000	500.000000	500.000000
mean	316.472000	107.192000	3.114000	3.374000	3.48400	8.576440	0.560000	0.72174
std	11.295148	6.081868	1.143512	0.991004	0.92545	0.604813	0.496884	0.14114
min	290.000000	92.000000	1.000000	1.000000	1.00000	6.800000	0.000000	0.34000
25%	308.000000	103.000000	2.000000	2.500000	3.00000	8.127500	0.000000	0.63000
50%	317.000000	107.000000	3.000000	3.500000	3.50000	8.560000	1.000000	0.72000
75%	325.000000	112.000000	4.000000	4.000000	4.00000	9.040000	1.000000	0.82000
max	340.000000	120.000000	5.000000	5.000000	5.00000	9.920000	1.000000	0.97000

✓ COMMENT ON THE RANGE OF ATTRIBUTES

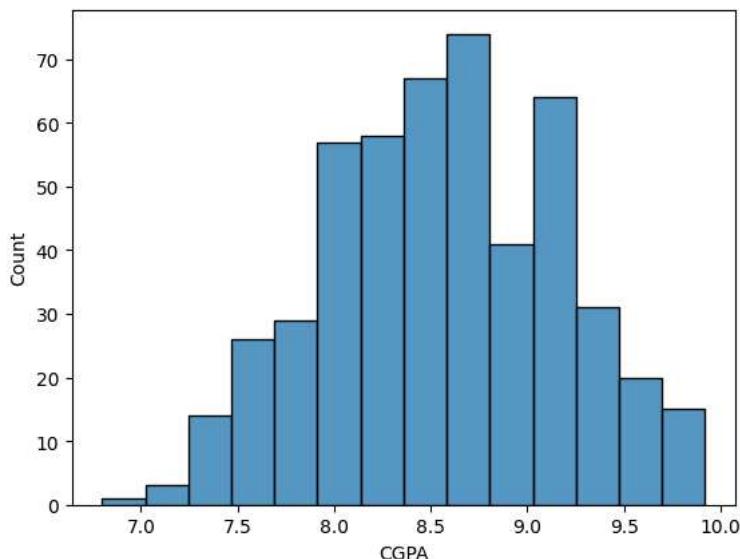
- There are 500 rows and 9 columns.
- Column names are 'Serial No.','GRE Score','TOEFL Score','University Rating','SOP','LOR','CGPA','Research','Chance of Admit'.
- 'Serial No.','GRE Score','TOEFL Score','University Rating','Research' are all integers.
- 'SOP','LOR','CGPA','Chance of Admit' are all floating numbers.
- Statistics of the Chance to Admit columns:
 - Mean : 0.72174
 - Standard deviation : 0.14114
 - Minimum value : 0.34
 - Maximum value : 0.97
- There are 500 unique entries for checking for admission stats.
- There are only two values for research: 0 or 1, where 0 means research not done and 1 means research completed.
- Maximum chances of getting into IVY League college is 0.97 while minimum is 0.34.

UNIVARIATE AND BIVARIATE ANALYSIS

For continuous variables : DISTPLOT,COUNTPLOT,HISTOGRAM for univariate analysis

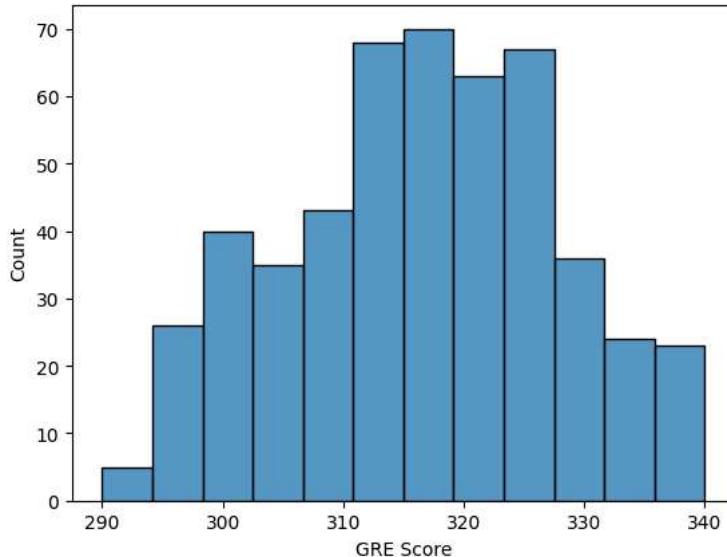
```
sns.histplot(df["CGPA"])
```

```
→ <Axes: xlabel='CGPA', ylabel='Count'>
```



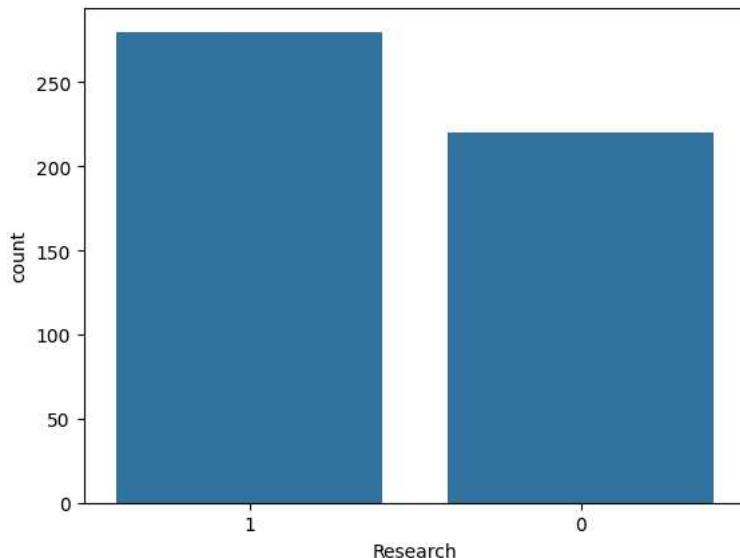
```
sns.histplot(df["GRE Score"])
```

```
↳ <Axes: xlabel='GRE Score', ylabel='Count'>
```



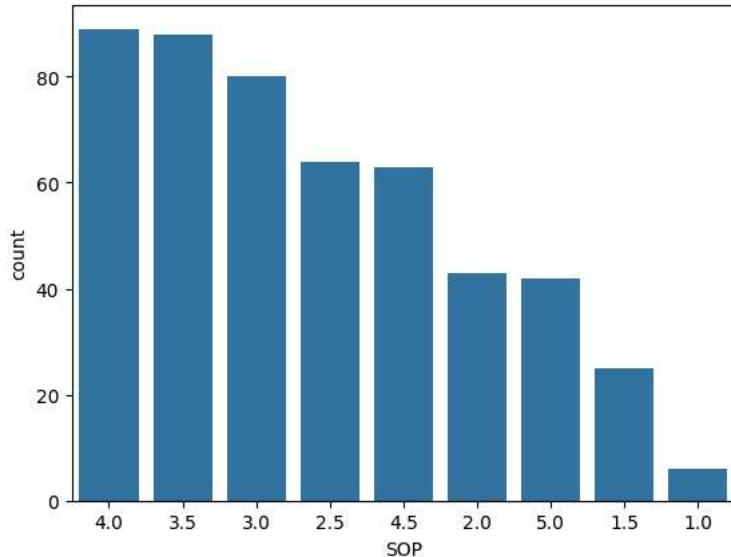
```
sns.countplot(data = df,x = "Research",order = df["Research"].value_counts().index)
```

```
↳ <Axes: xlabel='Research', ylabel='count'>
```



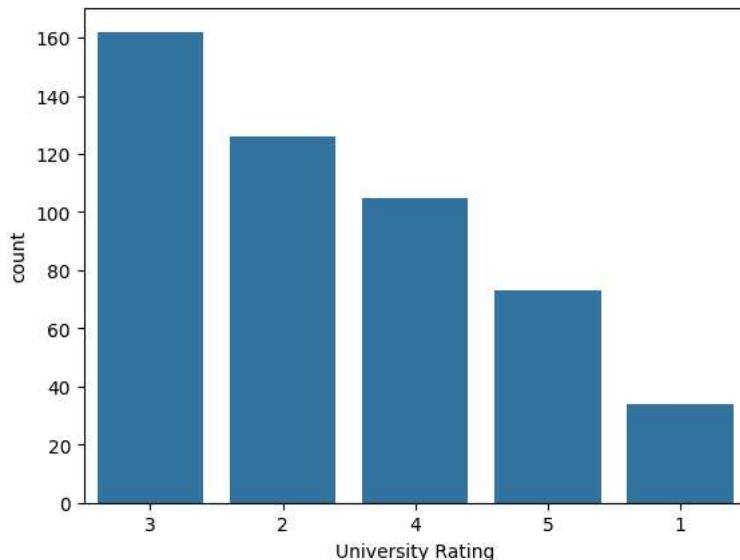
```
sns.countplot(data = df,x = "SOP",order = df["SOP"].value_counts().index)
```

```
↳ <Axes: xlabel='SOP', ylabel='count'>
```



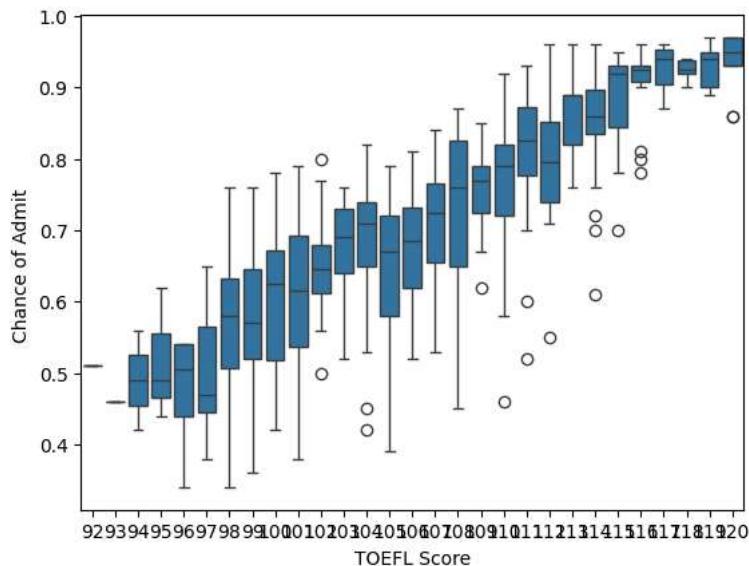
```
sns.countplot(data = df,x = "University Rating",order = df["University Rating"].value_counts().index)
```

```
↳ <Axes: xlabel='University Rating', ylabel='count'>
```



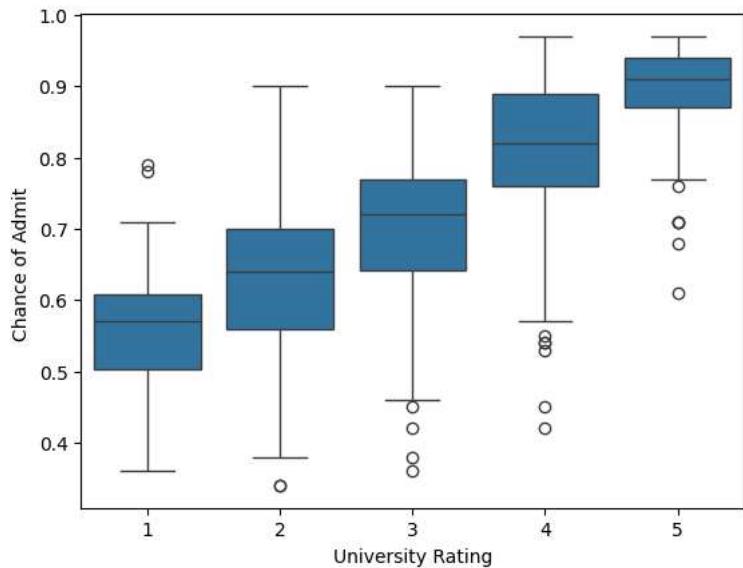
```
sns.boxplot(data = df,x = "TOEFL Score", y = "Chance of Admit ")
```

```
↳ <Axes: xlabel='TOEFL Score', ylabel='Chance of Admit '>
```



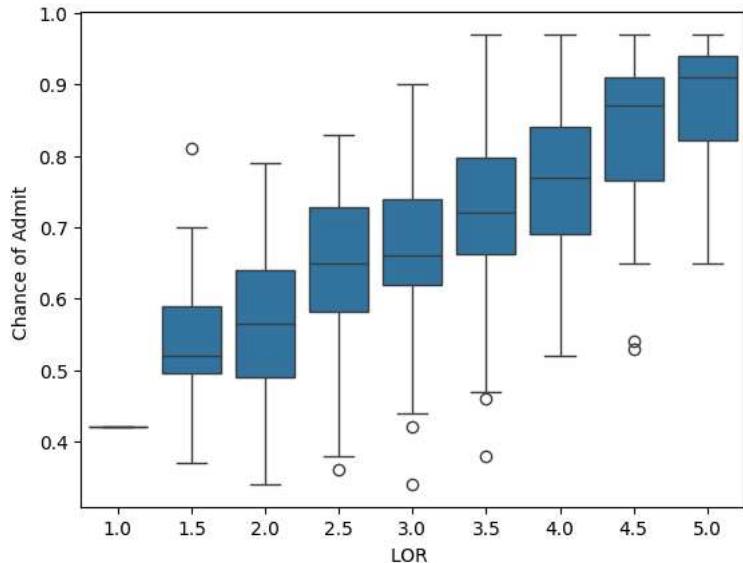
```
sns.boxplot(data = df,x = "University Rating", y = "Chance of Admit ")
```

```
↳ <Axes: xlabel='University Rating', ylabel='Chance of Admit '>
```



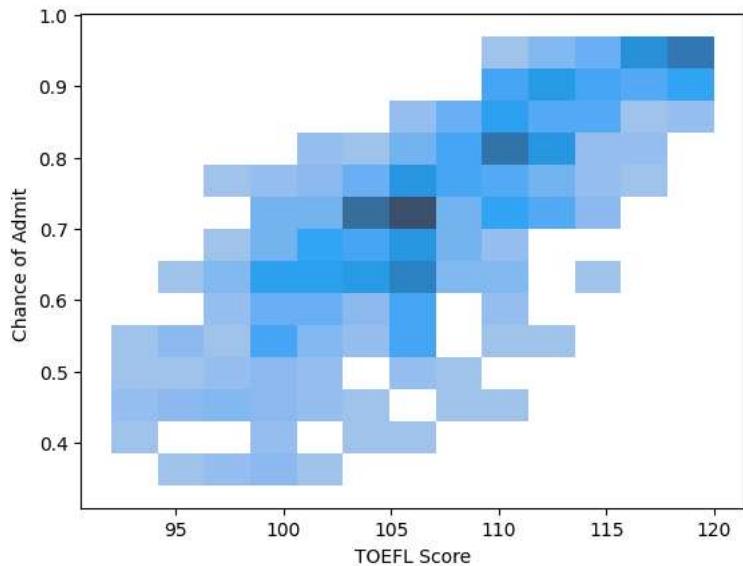
```
sns.boxplot(data = df,x = "LOR ", y = "Chance of Admit ")
```

```
↳ <Axes: xlabel='LOR ', ylabel='Chance of Admit '>
```

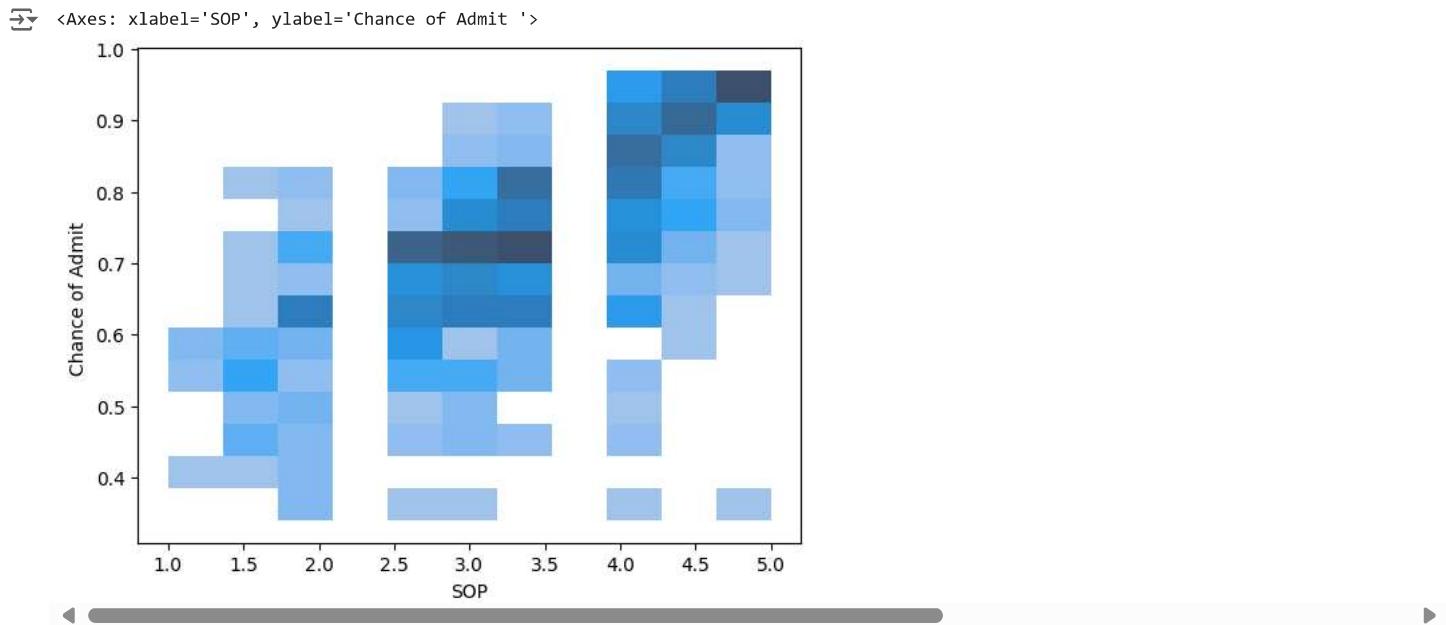


```
sns.histplot(x = df["TOEFL Score"], y = df["Chance of Admit "])
```

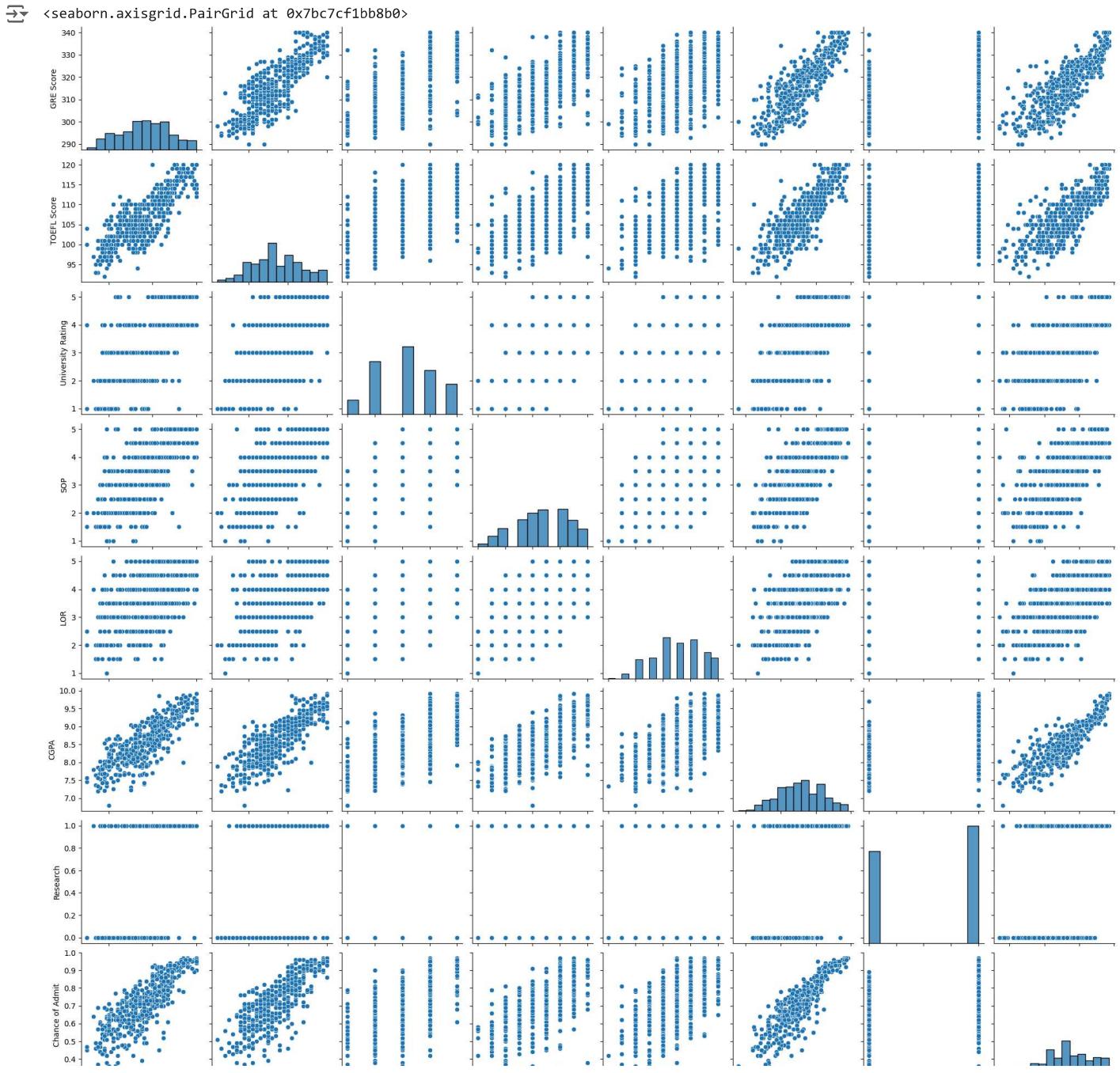
```
↳ <Axes: xlabel='TOEFL Score', ylabel='Chance of Admit '>
```



```
sns.histplot(x = df["SOP"], y = df["Chance of Admit "])
```



```
sns.pairplot(data = df)
```



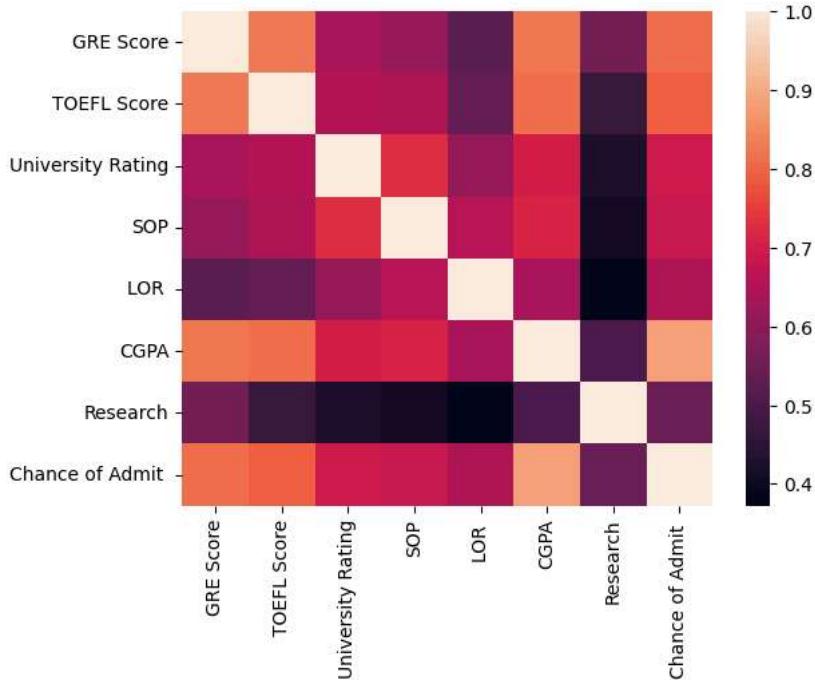
```
df1 = df.corr()
```

```
df1
```

	GRE Score	TOEFL Score	University Rating	SOP	LOR	CGPA	Research	Chance of Admit
GRE Score	1.000000	0.827200	0.635376	0.613498	0.524679	0.825878	0.563398	0.810351
TOEFL Score	0.827200	1.000000	0.649799	0.644410	0.541563	0.810574	0.467012	0.792228
University Rating	0.635376	0.649799	1.000000	0.728024	0.608651	0.705254	0.427047	0.690132
SOP	0.613498	0.644410	0.728024	1.000000	0.663707	0.712154	0.408116	0.684137
LOR	0.524679	0.541563	0.608651	0.663707	1.000000	0.637469	0.372526	0.645365
CGPA	0.825878	0.810574	0.705254	0.712154	0.637469	1.000000	0.501311	0.882413
Research	0.563398	0.467012	0.427047	0.408116	0.372526	0.501311	1.000000	0.545871
Chance of Admit	0.810351	0.792228	0.690132	0.684137	0.645365	0.882413	0.545871	1.000000

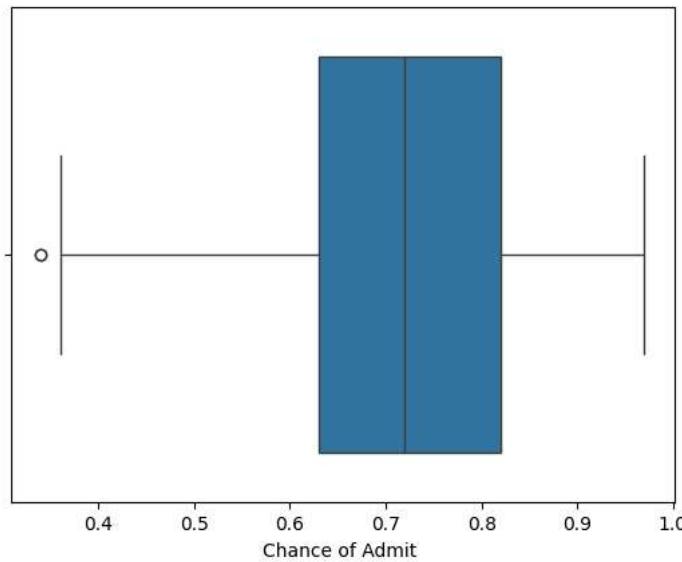
```
sns.heatmap(data = df1)
```

<Axes: >



```
# Plotting the boxplot for checking outliers
sns.boxplot(data = df,x = "Chance of Admit ")
```

<Axes: xlabel='Chance of Admit '>



```
df.groupby("Research")["Chance of Admit "].agg(["min","max","count","sum"])
```

<Table>

	min	max	count	sum
--	-----	-----	-------	-----

Research		min	max	count	sum
----------	--	-----	-----	-------	-----

0	0.34	0.89	220	139.68
1	0.36	0.97	280	221.19

1. As we can see, the minimum is not too different from those who have done research to those who haven't.
2. The rate of admission has a difference of 0.08, i.e. 8% difference in acceptance rate.
3. There is a noticeable difference in admission count between those who have/haven't done research.
4. There is a huge difference in the sum total of admission chance between the two.

```
lower_limit_95 = np.percentile(sample_survey,5)
upper_limit_95 = np.percentile(sample_survey, 95)

lower_limit_97= np.percentile(sample_survey,2.5)
upper_limit_97 = np.percentile(sample_survey, 97.5)

lower_limit_99 = np.percentile(sample_survey,0.5)
upper_limit_99 = np.percentile(sample_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,",",upper_limit_95,")")
print("The 97.5% confidence interval is : (",lower_limit_97,",",upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,",",upper_limit_99,")")
```

#differentiating on the basis of research

```
re_true= df.loc[df["Research"]== 1]  
re_false= df.loc[df["Research"]== 0]  
no_true.shape no_false.shape
```

$\Rightarrow ((280 \quad 8) \quad (220 \quad 8))$

sample size = 280

number of samples = 140

```
survey = [] # list which will store the mean of every sample
```

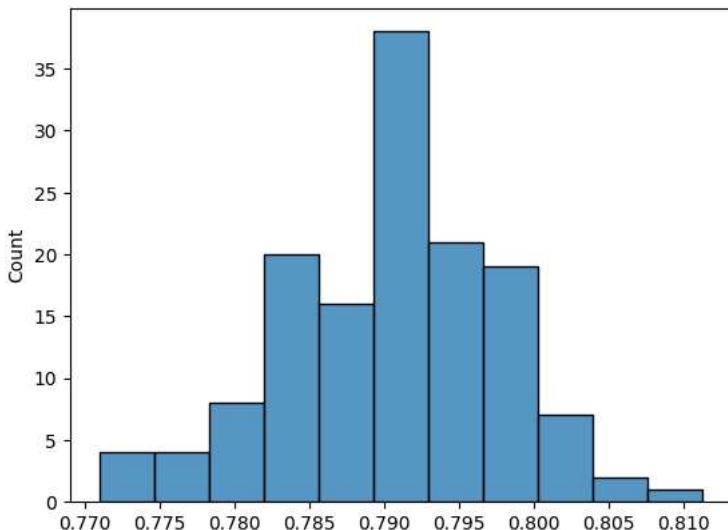
```
survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(re_true["Chance of Admit "], size = sample_size) # selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    survey.append(samples_mean) # Appending the mean into the list
```

```
print("The mean of samples are : ", survey)
```

```
sns.histplot(survey)
```

```
print("The mean of averages of samples are : ", np.mean(survey))
```

→ The mean of samples are : [0.7933571428571428, 0.7980357142857143, 0.7968928571428572, 0.7864642857142857, 0.8042142857142858, 0.79025, The mean of averages of samples are : 0.790538775510204



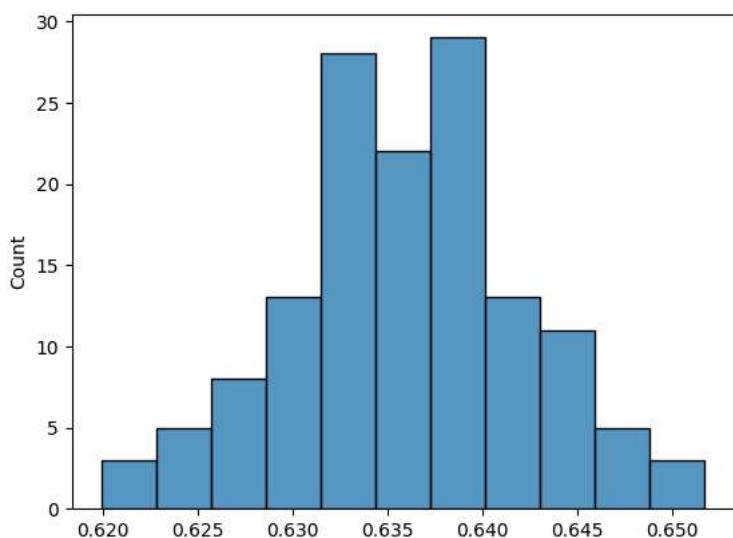
We can see that the sample size of 280 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.792.

```
sample_size = 280
number_of_samples = 140
survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(re_fa["Chance of Admit "],size = sample_size)# selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",survey)
```

```
sns.histplot(survey)
print("The mean of averages of samples are : ", np.mean(survey))

→ The mean of samples are : [0.63075, 0.6407142857142857, 0.6319999999999999, 0.631, 0.6305357142857143, 0.6355000000000001, 0.6351428571
The mean of averages of samples are : 0.6359961734693877
```



We can see that the sample size of 280 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.6375.

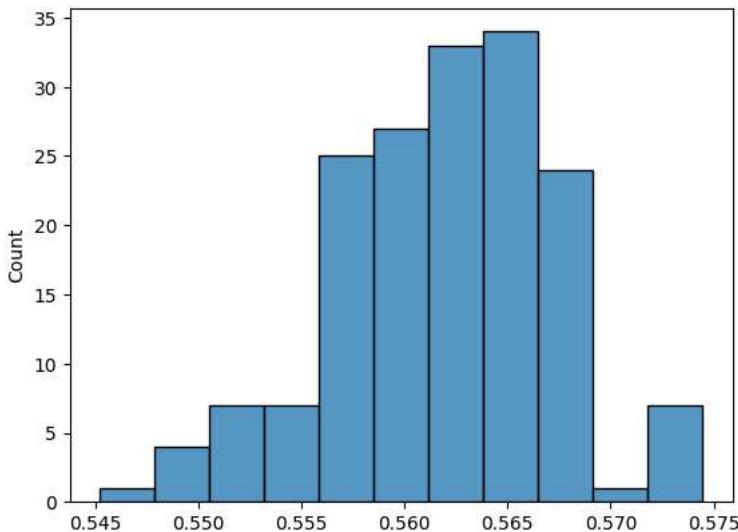
```
#differentiating on the basis of research
ur_1= df.loc[df["University Rating"]== 1]
ur_2= df.loc[df["University Rating"]== 2]
ur_3= df.loc[df["University Rating"]== 3]
ur_4= df.loc[df["University Rating"]== 4]
ur_5= df.loc[df["University Rating"]== 5]
ur_1.shape,ur_2.shape,ur_3.shape,ur_4.shape,ur_5.shape

→ ((34, 8), (126, 8), (162, 8), (105, 8), (73, 8))

sample_size = 340
number_of_samples = 170
ur1_survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(ur_1["Chance of Admit "],size = sample_size)# selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    ur1_survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",ur1_survey)
sns.histplot(ur1_survey)
print("The mean of averages of samples are : ", np.mean(ur1_survey))
```

The mean of samples are : [0.5611470588235294, 0.559, 0.5669117647058823, 0.5620882352941176, 0.568529411764706, 0.5518823529411765, 0. The mean of averages of samples are : 0.5619069204152248

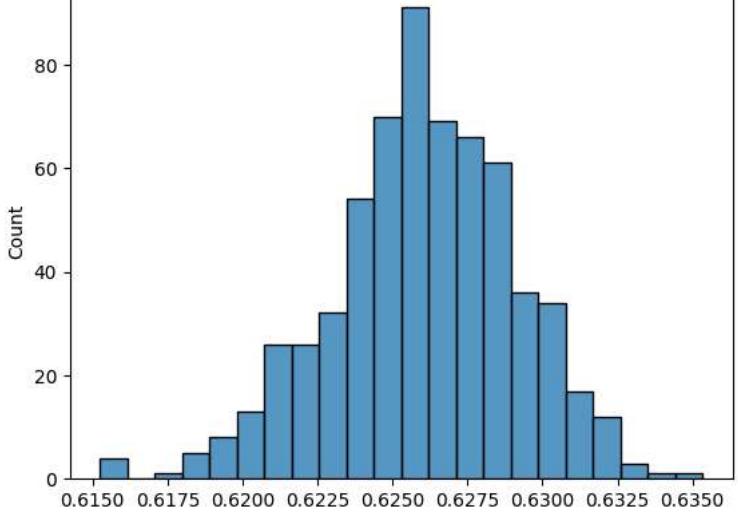


We can see that the sample size of 340 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.564.

```
sample_size = 1260
number_of_samples = 630
ur2_survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(ur2["Chance of Admit "],size = sample_size)# selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    ur2_survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",ur2_survey)
sns.histplot(ur2_survey)
print("The mean of averages of samples are : ", np.mean(ur2_survey))

→ The mean of samples are : [0.6239047619047619, 0.6245634920634922, 0.626484126984127, 0.6312222222222222, 0.6301587301587301, 0.6250238
   The mean of averages of samples are : 0.6260604686318972
```



We can see that the sample size of 1260 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.6262.

```
sample_size = 1620
number_of_samples = 810
ur3_survey = [] # list which will store the mean of every sample
```

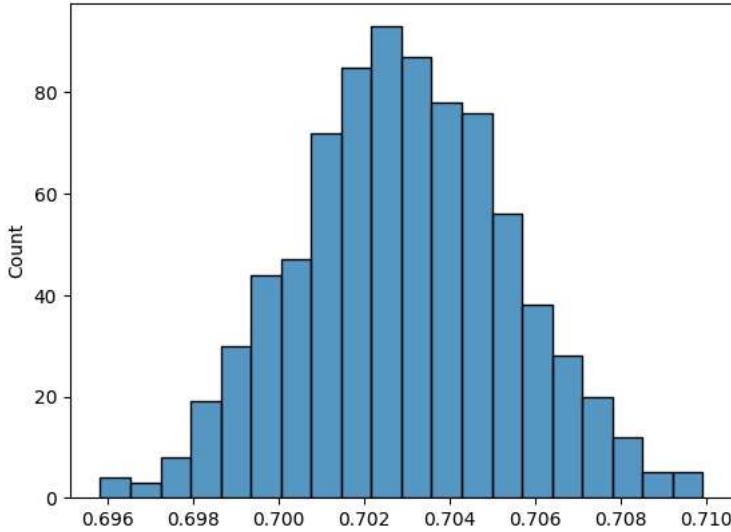
```

for sample_number in range(number_of_samples):
    samples = np.random.choice(ur_3["Chance of Admit "], size = sample_size) # selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    ur3_survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",ur3_survey)
sns.histplot(ur3_survey)
print("The mean of averages of samples are : ", np.mean(ur3_survey))

→ The mean of samples are : [0.707716049382716, 0.7011296296296298, 0.7002962962962963, 0.7036604938271603, 0.701833333333333, 0.7045802
The mean of averages of samples are : 0.7029273662551441

```



We can see that the sample size of 1620 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.7025.

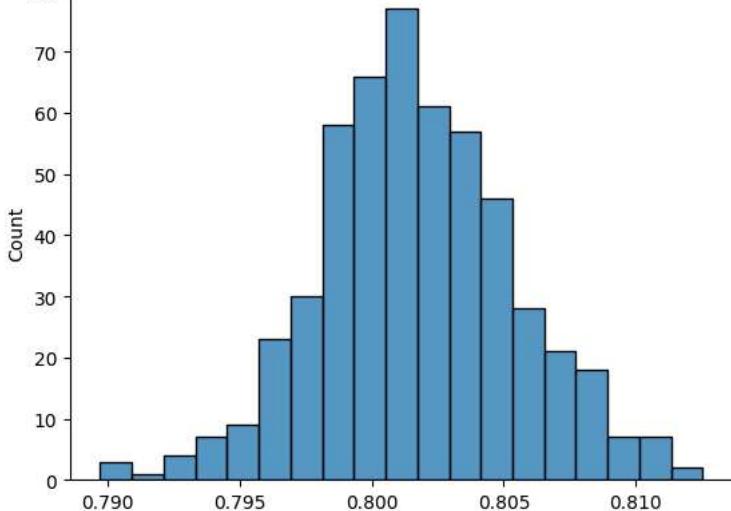
```

sample_size = 1050
number_of_samples = 525
ur4_survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(ur_4["Chance of Admit "], size = sample_size) # selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    ur4_survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",ur4_survey)
sns.histplot(ur4_survey)
print("The mean of averages of samples are : ", np.mean(ur4_survey))

→ The mean of samples are : [0.804447619047619, 0.8077428571428571, 0.8098095238095238, 0.8068095238095239, 0.8075238095238096, 0.8015619
The mean of averages of samples are : 0.8016822131519274

```

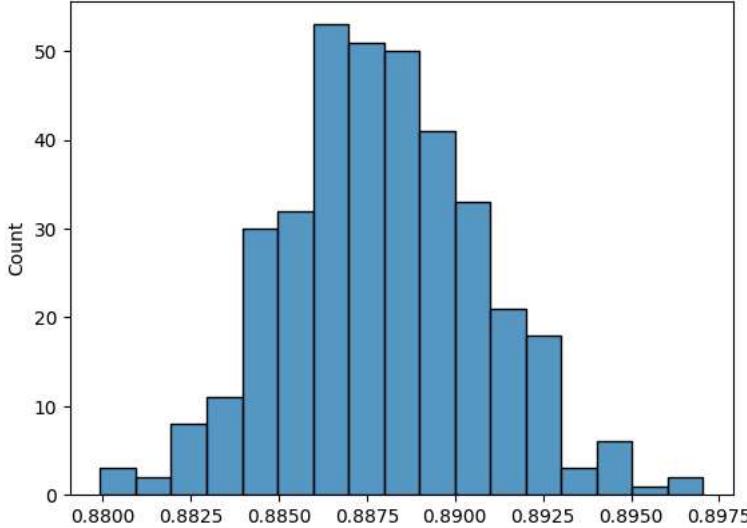


We can see that the sample size of 1050 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.801.

```
sample_size = 730
number_of_samples = 365
ur5_survey = [] # list which will store the mean of every sample
for sample_number in range(number_of_samples):
    samples = np.random.choice(ur_5["Chance of Admit "],size = sample_size)# selecting random values
    samples_mean = np.mean(samples) # calculating the mean of sample
    ur5_survey.append(samples_mean) # Appending the mean into the list

print("The mean of samples are : ",ur5_survey)
sns.histplot(ur5_survey)
print("The mean of averages of samples are : ", np.mean(ur5_survey))
```

→ The mean of samples are : [0.8864931506849313, 0.8843013698630137, 0.891027397260274, 0.8875753424657533, 0.8901917808219177, 0.8890273
The mean of averages of samples are : 0.8879577406642897



We can see that the sample size of 730 gives a normal/gaussian distribution. We can see the mean of admission chances is approximately 0.887.

```
# CONFIDENCE INTERVAL FOR university with rating 1(95%, 97.5%, 99.5%)
lower_limit_95 = np.percentile(ur1_survey,5)
upper_limit_95 = np.percentile(ur1_survey, 95)

lower_limit_97 = np.percentile(ur1_survey,2.5)
upper_limit_97 = np.percentile(ur1_survey, 97.5)

lower_limit_99 = np.percentile(ur1_survey,0.5)
upper_limit_99 = np.percentile(ur1_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,upper_limit_95,")")
print("The 97.5% confidence interval is : (",lower_limit_97,upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,upper_limit_99,")")
```

→ The 95% confidence interval is : (0.552039705882353 0.5690411764705882)
The 97.5% confidence interval is : (0.5503492647058823 0.5730124999999999)
The 99.5% confidence interval is : (0.5476708823529413 0.5738741176470589)

```
# CONFIDENCE INTERVAL FOR university with rating 2(95%, 97.5%, 99.5%)
lower_limit_95 = np.percentile(ur2_survey,5)
upper_limit_95 = np.percentile(ur2_survey, 95)

lower_limit_97 = np.percentile(ur2_survey,2.5)
upper_limit_97 = np.percentile(ur2_survey, 97.5)

lower_limit_99 = np.percentile(ur2_survey,0.5)
upper_limit_99 = np.percentile(ur2_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,upper_limit_95,")")
```

```

print("The 97.5% confidence interval is : (",lower_limit_97,upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,upper_limit_99,")")

→ The 95% confidence interval is : ( 0.6208162698412698 0.6309130952380952 )
The 97.5% confidence interval is : ( 0.6196125 0.6317166666666667 )
The 99.5% confidence interval is : ( 0.6162422619047618 0.6328727777777778 )

# CONFIDENCE INTERVAL FOR university with rating 3(95%, 97.5%, 99.5%)
lower_limit_95 = np.percentile(ur3_survey,5)
upper_limit_95 = np.percentile(ur3_survey, 95)

lower_limit_97 = np.percentile(ur3_survey,2.5)
upper_limit_97 = np.percentile(ur3_survey, 97.5)

lower_limit_99 = np.percentile(ur3_survey,0.5)
upper_limit_99 = np.percentile(ur3_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,upper_limit_95,")")
print("The 97.5% confidence interval is : (",lower_limit_97,upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,upper_limit_99,")")

→ The 95% confidence interval is : ( 0.6988910493827161 0.7071302469135802 )
The 97.5% confidence interval is : ( 0.698105864197531 0.7079217592592594 )
The 99.5% confidence interval is : ( 0.696710987654321 0.7092091666666668 )

# CONFIDENCE INTERVAL FOR university with rating 4(95%, 97.5%, 99.5%)
lower_limit_95 = np.percentile(ur4_survey,5)
upper_limit_95 = np.percentile(ur4_survey, 95)

lower_limit_97 = np.percentile(ur4_survey,2.5)
upper_limit_97 = np.percentile(ur4_survey, 97.5)

lower_limit_99 = np.percentile(ur4_survey,0.5)
upper_limit_99 = np.percentile(ur4_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,upper_limit_95,")")
print("The 97.5% confidence interval is : (",lower_limit_97,upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,upper_limit_99,")")

→ The 95% confidence interval is : ( 0.7959352380952381 0.8080857142857142 )
The 97.5% confidence interval is : ( 0.7940619047619047 0.8092266666666668 )
The 99.5% confidence interval is : ( 0.7910283809523809 0.8110708571428572 )

# CONFIDENCE INTERVAL FOR university with rating 5(95%, 97.5%, 99.5%)
lower_limit_95 = np.percentile(ur5_survey,5)
upper_limit_95 = np.percentile(ur5_survey, 95)

lower_limit_97 = np.percentile(ur5_survey,2.5)
upper_limit_97 = np.percentile(ur5_survey, 97.5)

lower_limit_99 = np.percentile(ur5_survey,0.5)
upper_limit_99 = np.percentile(ur5_survey, 99.5)

print("The 95% confidence interval is : (",lower_limit_95,upper_limit_95,")")
print("The 97.5% confidence interval is : (",lower_limit_97,upper_limit_97,")")
print("The 99.5% confidence interval is : (",lower_limit_99,upper_limit_99,")")

→ The 95% confidence interval is : ( 0.8836164383561643 0.8926328767123286 )
The 97.5% confidence interval is : ( 0.8827534246575343 0.8936986301369862 )
The 99.5% confidence interval is : ( 0.8808386301369863 0.895704383561644 )

#normalization
from sklearn.preprocessing import MinMaxScaler
scaler=MinMaxScaler()
df1=pd.DataFrame(scaler.fit_transform(df),columns=df.columns)
df1

```

	GRE Score	TOEFL Score	University Rating	SOP	LOR	CGPA	Research	Chance of Admit	
0	0.94	0.928571		0.75	0.875	0.875	0.913462	1.0	0.920635
1	0.68	0.535714		0.75	0.750	0.875	0.663462	1.0	0.666667
2	0.52	0.428571		0.50	0.500	0.625	0.384615	1.0	0.603175
3	0.64	0.642857		0.50	0.625	0.375	0.599359	1.0	0.730159
4	0.48	0.392857		0.25	0.250	0.500	0.451923	0.0	0.492063
...
495	0.84	0.571429		1.00	0.875	0.750	0.711538	1.0	0.841270
496	0.94	0.892857		1.00	1.000	1.000	0.983974	1.0	0.984127
497	0.80	1.000000		1.00	0.875	1.000	0.884615	1.0	0.936508
498	0.44	0.392857		0.75	0.750	1.000	0.522436	0.0	0.619048
499	0.74	0.750000		0.75	0.875	0.875	0.717949	0.0	0.793651

500 rows × 8 columns

```
y=df1['Chance of Admit ']
x=df1.drop('Chance of Admit ',axis=1)
y.shape, x.shape
```

```
→ ((500,), (500, 7))
```

```
from sklearn.model_selection import train_test_split
x_train,x_test,y_train,y_test=train_test_split(x,y,test_size=0.27,random_state=42)
from sklearn.linear_model import LinearRegression
model=LinearRegression()
model.fit(x_train,y_train)
model.score(x_test,y_test)
```

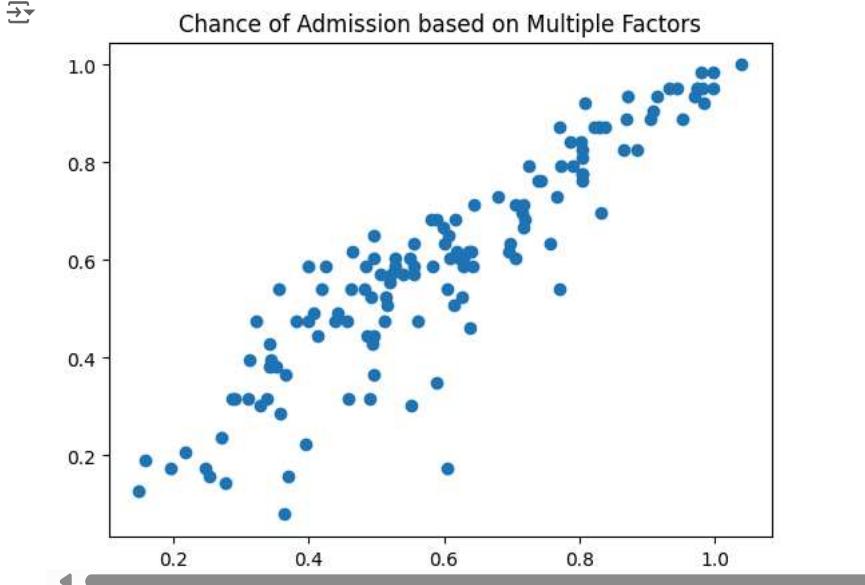
```
→ 0.8300766064752694
```

```
x_pred=model.predict(x_train)
y_pred=model.predict(x_test)
x_pred,y_pred
```

```
→ array([0.25910572, 0.76974991, 0.98911123, 0.50784282, 0.53849106,
       0.72727658, 0.44678876, 0.75845709, 0.29795751, 0.96537613,
       0.50322751, 0.99230229, 0.702859 , 0.47764739, 0.60155031,
       0.85074775, 0.50995747, 0.77951609, 0.59958673, 0.41497075,
       0.4234378 , 0.64940326, 0.73978131, 0.26986897, 0.41714091,
       0.52819931, 0.66992677, 0.61110881, 0.23680616, 0.43414324,
       0.46458278, 0.66756311, 0.40760954, 0.65409307, 0.91957004,
       0.32255533, 0.45248834, 0.56618736, 0.2285012 , 0.55747944,
       0.71737982, 0.62792175, 0.48611284, 0.74441781, 0.39642919,
       0.45500902, 0.57519179, 0.36869075, 0.71601324, 0.44333993,
       0.87869486, 0.81008056, 0.62934617, 0.76632724, 0.35075734,
       0.38053035, 0.30823593, 0.42393729, 0.2078023 , 0.55919752,
       0.73169661, 0.64496827, 0.35915568, 0.80500998, 0.27210578,
       0.67982086, 0.86437249, 0.73986702, 0.71725124, 0.56148388,
       0.62262346, 0.63691728, 0.66953913, 0.61776681, 0.34835664,
       0.59059121, 0.69755065, 0.64774576, 0.58633768, 0.56276931,
       0.28464312, 0.95422188, 0.34058313, 0.40279162, 0.86156173,
       0.79032421, 0.39012029, 0.4995276 , 0.4505752 , 0.69535987,
       0.65732294, 0.58095287, 0.51644348, 0.88485405, 0.45386718,
       0.68619102, 0.67275877, 0.36671597, 0.59045834, 0.70932247,
       0.26890613, 0.70253346, 0.43875954, 0.89601635, 0.6968151 ,
       0.58801418, 0.53785101, 0.67752599, 0.6265176 , 0.68731824,
       0.56416775, 0.98985563, 0.27340855, 0.46149703, 0.47378636,
       0.80605516, 0.58170268, 0.44410075, 0.55304474, 0.79365869,
       0.45267485, 0.5227281 , 0.78795175, 0.77729079, 0.75165113,
       0.81674341, 0.49679201, 0.26489018, 0.38844823, 1.04071417,
       0.31061082, 0.91266037, 0.82693176, 0.41675689, 0.49123245,
       0.64962995, 1.05545321, 0.6010012 , 0.69041288, 0.8577035 ,
       0.70176092, 0.38419026, 0.75842832, 0.96400251, 0.52818323,
       0.58945572, 0.55237809, 0.48707562, 0.52606317, 0.9314521 ,
       0.25804936, 0.6652035 , 0.85285534, 0.20381939, 0.32475209,
       0.48987412, 0.49661421, 0.74932732, 0.5719529 , 0.52673451,
       0.45638387, 0.7751136 , 0.81399338, 0.78572963, 0.60385233,
       0.72880622, 0.40602229, 0.79873844, 0.78660542, 0.54343605,
       0.48388094, 0.70966729, 0.50757746, 0.71400124, 0.97183667,
       0.42722122, 0.42881911, 0.71372697, 0.91257981, 0.6416571 ,
       0.86879796, 0.36432061, 0.94249727, 0.44826626, 0.82060108,
```

```
0.70742723, 0.90802797, 0.86328126, 0.66715791, 0.70931741,
0.70394639, 0.59560755, 0.71237957, 0.63112896, 0.43297484,
0.30570064, 0.8166219 , 0.81691843, 0.13312595, 0.46955908,
0.88404372, 0.60031873, 0.47556561, 0.61042237, 0.34241577,
0.43535052, 0.29535257, 0.47922269, 0.2831877 , 0.46592077,
0.50852356, 0.56623365, 0.75843361, 0.39458257, 0.64353651,
0.78344377, 0.42113215, 0.46759206, 0.52943711, 0.67021153,
0.62003456, 0.55240076, 0.87249753, 1.00376161, 0.86184508,
0.89640849, 0.33259957, 0.8996692 , 0.4409497 , 0.9582617 ,
0.93526004, 0.53772357, 0.30353588, 0.58089682, 0.96673727,
0.27748474, 0.90053959, 0.59917886, 0.77850542, 0.69069407,
0.57365295, 0.95196074, 0.78296145, 0.48218551, 0.67776241,
0.76620005, 0.40202718, 0.34048844, 0.34374938, 0.39832319,
0.65792704, 0.41638103, 0.48014166, 0.49675454, 0.49055084,
0.51125459, 0.76101796, 0.84325519, 0.82745658, 0.55340597,
0.44865773, 0.50702463, 0.95033244, 0.81946054, 0.48391244,
1.01277427, 0.51859196, 0.22100992, 0.60100469, 0.68778532,
0.50127447, 0.64011456, 0.56980697, 0.56415838, 0.59578486,
0.24772621, 0.80879838, 0.76967746, 0.50866928, 0.80130734,
0.56895312, 0.91157832, 0.70219212, 0.56633517, 0.62770743,
0.73371422, 0.69150419, 0.70950925, 0.66232878, 0.44879099,
```

```
fig=plt.figure()
plt.scatter(y_pred,y_test)
plt.title("Chance of Admission based on Multiple Factors")
plt.show()
```



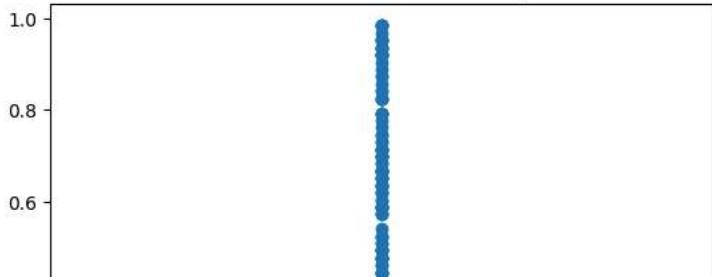
```
from sklearn.model_selection import train_test_split
x1_train,x1_test,y1_train,y1_test=train_test_split(x,y,test_size=0.27,random_state=1)
from sklearn.linear_model import Lasso
model1=Lasso(alpha=0.1)
model1.fit(x1_train,y1_train)
print(model1.score(x1_test,y1_test))
x1_pred=model1.predict(x1_train)
y1_pred=model1.predict(x1_test)
```

-0.002801601380672203

```
fig=plt.figure()
plt.scatter(y1_pred,y1_test)
plt.title("Chance of Admission Based on Multiple Factors")
plt.show()
```



Chance of Admission Based on Multiple Factors



```
from sklearn.model_selection import train_test_split
x2_train,x2_test,y2_train,y2_test=train_test_split(x,y,test_size=0.27,random_state=1)
from sklearn.linear_model import Ridge
model2=Ridge(alpha=0.1)
model2.fit(x2_train,y2_train)
print(model2.score(x2_test,y2_test))
x2_pred=model2.predict(x2_train)
y2_pred=model2.predict(x2_test)
```

→ 0.8223504909854972

```
fig=plt.figure()
plt.scatter(y2_pred,y2_test)
plt.title("Chance of Admission Based on Multiple Factors")
plt.show()
```



Chance of Admission Based on Multiple Factors