









Contents:

- > Data-driven algorithms vs. Earth system model simulations
- > Inferring causation from time series
- > Inferring causation from spatial cross sections
- > Temporally or spatially?
- > Spatial Empirical Dynamic Modeling









	Data-driven algorithms	Earth system model simulations
Approach	Data-centric, based on statistical methods	Mechanistic, based on physical laws
Туре	Correlation-based	Causality from system dynamics
Strengths	Flexibility, applicability to complex data	Deep understanding of system behavior
Limitations	May miss underlying causal mechanisms	Computationally expensive, requires high-quality data
Example	GCT(Granger Causality Test); CCM(Convergent Cross Mapping)	CESM(Community Earth System Model);WRF(Weather Research and Forecasting Model);

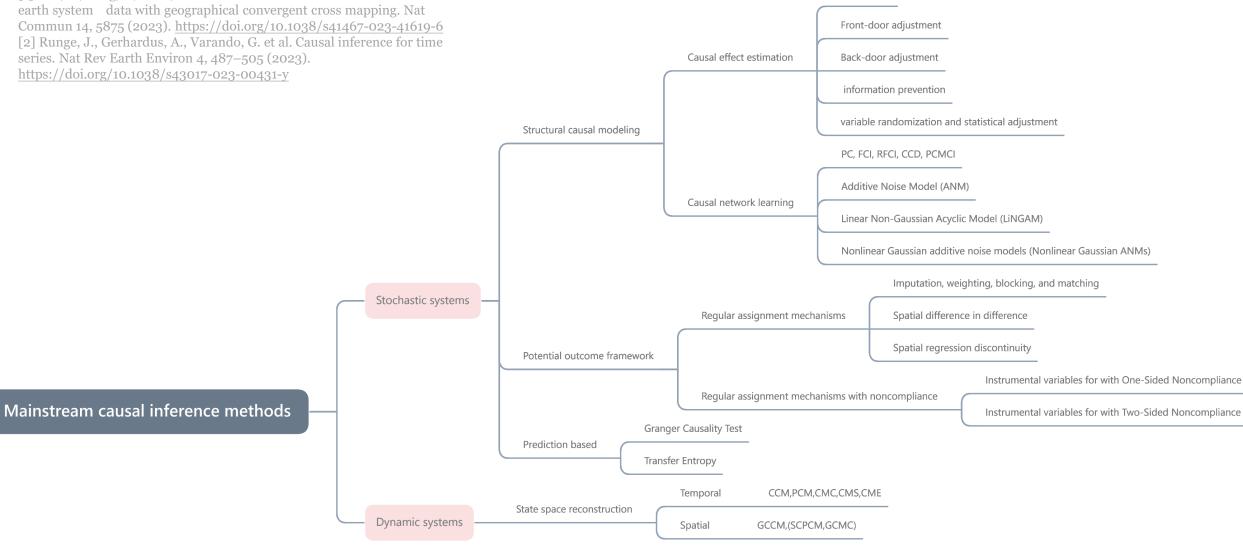








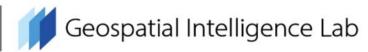
[1] Gao, B., Yang, J., Chen, Z. et al. Causal inference from cross-sectional



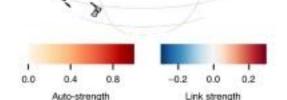




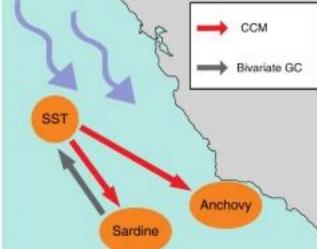




Do calculus



Correlation



Runge, J., Bathiany, S., Bollt, E. et al. Inferring causation from time series in Earth system sciences. Nat Commun 10, 2553 (2019). https://doi.org/10.1038/s4 1467-019-10105-3

-1.0 -0.5 0.0 0.5 1.0

Link strength

Inferring causation from time series

a: Tropical climate example showing dependencies between surface pressure anomalies in the West Pacific and temperature anomalies in the Central and East Pacific, with a multivariate causal method identifying the Walker circulation.

b: Arctic climate example highlighting how sea ice concentrations in the Barents and Kara seas influence the winter Arctic Oscillation via tropospheric mechanisms and the stratospheric Polar vortex.

c: Ecology example showing that sardine and anchovy abundances are influenced by sea surface temperatures, with convergent cross mapping revealing a stronger causal relationship than Granger causality.



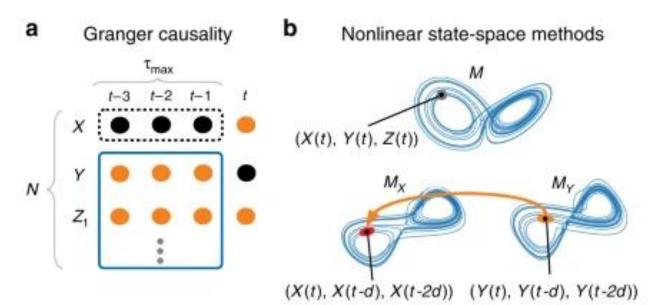
Bivariate GC



Ecology example



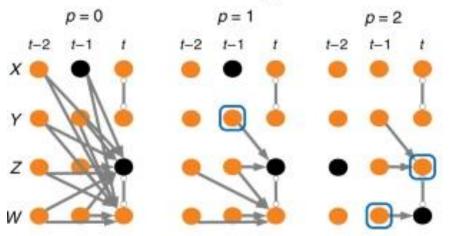




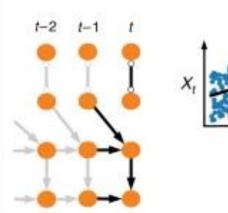
Runge, J., Bathiany, S., Bollt, E. *et al.* Inferring causation from time series in Earth system sciences. *Nat Commun* 10, 2553 (2019). https://doi.org/10.1038/s4 1467-019-10105-3

C Causal network learning algorithms

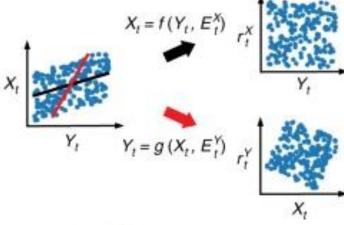
Skeleton discovery phase



Orientation phase



d Structural causal models







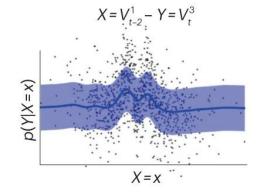




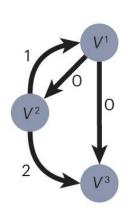
a Observational SCM

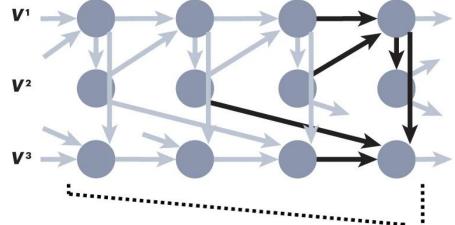
 $V_t^1 := f^1 (pa(V_t^1), \eta_t^1)$ $V_t^2 := f^2 (pa(V_t^2), \eta_t^2)$ $V_t^3 := f^3 (pa(V_t^3), \eta_t^3)$

t - 3



t-1

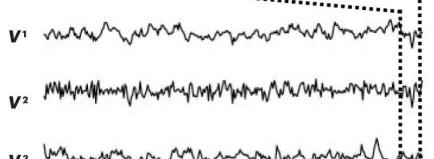




t-2

Runge, J., Gerhardus, A., Varando, G. et al. Causal inference for time series. Nat Rev Earth Environ 4, 487–

505 (2023). https://doi.org/10.103 8/s43017-023-00431-y

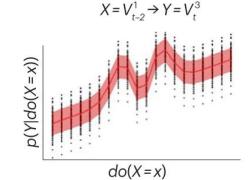


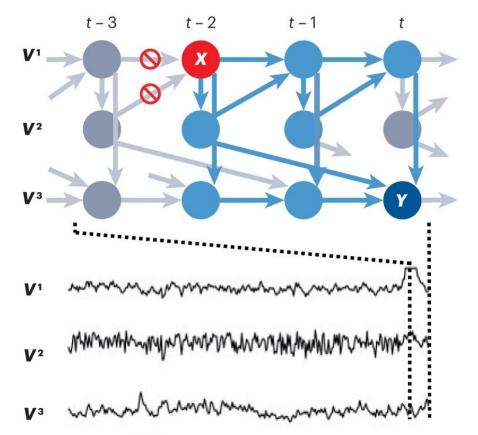
b Intervened SCM

 $\begin{cases} \mathbf{v}_{t'}^{1} & \text{if } t' = t - 2 \\ f^{1} & (pa(\mathbf{V}_{t'}^{1}), \eta_{t'}^{1}) \text{ otherwise} \end{cases}$

$$V_t^2 := f^2 (pa(V_t^2), \eta_t^2)$$

 $V_t^3 := f^3 (pa(V_t^3), \eta_t^3)$



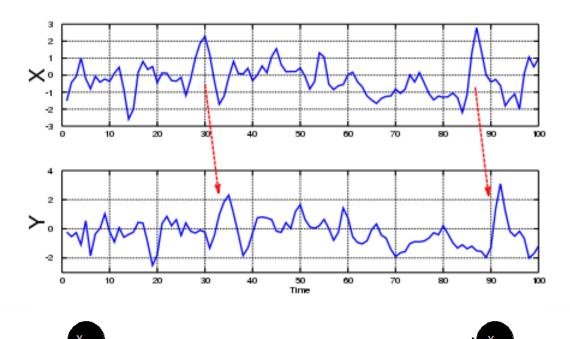


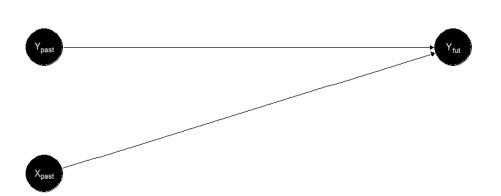












Granger Causality

$$Y(t) = \alpha_1 Y(t-1) + error_1(t) \tag{1}$$

$$Y(t) = \alpha_1 Y(t-1) + \beta_1 X(t-1) + error_2(t)$$
 (2)

- A F-test is performed with *the null hypothesis* of Y(t) equals to model (1) against *the alternative hypothesis* of Y(t) equals to model (2).
- We say that *X* Granger causes *Y* if we reject the null hypothesis.

$$Y(t) = \sum_{j=1}^{p} \alpha_j Y(t-j) + error_1(t)$$

$$Y(t) = \sum_{j=1}^{p} \alpha_{j} Y(t-j) + \sum_{j=1}^{p} \beta_{j} X(t-j) + error_{2}(t)$$









```
# Which came first: the chicken or the egg?
# US chicken population and egg production
# An annual time series from 1930 to 1983.
df = as.data.frame(lmtest::ChickEgg)
head(df)
#> chicken egg
#> 1  468491 3581
#> 2  449743 3532
#> 3  436815 3327
#> 4  444523 3255
#> 5  433937 3156
#> 6  389958 3081
```

```
cor.test(df$chicken,df$egg)
#>
   Pearson's product-moment correlation
#>
#> data: df$chicken and df$egg
\#> t = -1.4327, df = 52, p-value = 0.1579
#> alternative hypothesis: true correlation
is not equal to 0
#> 95 percent confidence interval:
#> -0.43969371 0.07689656
#> sample estimates:
#>
          cor
#> -0.1948765
```









```
#----- Granger Causality Test ------
## chickens granger-cause eggs?
lmtest::grangertest(egg ~ chicken, order = 3, data = df)
#> Granger causality test
#>
#> Model 1: egg ~ Lags(egg, 1:3) + Lags(chicken, 1:3)
#> Model 2: egg ~ Lags(egg, 1:3)
#> Res.Df Df F Pr(>F)
#> 1 44
#> 2 47 -3 0.5916 0.6238
## eggs granger-cause chickens?
lmtest::grangertest(chicken ~ egg, order = 3, data = df)
#> Granger causality test
#>
#> Model 1: chicken ~ Lags(chicken, 1:3) + Lags(egg, 1:3)
#> Model 2: chicken ~ Lags(chicken, 1:3)
#> Res.Df Df F Pr(>F)
#> 1 44
#> ---
#> Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

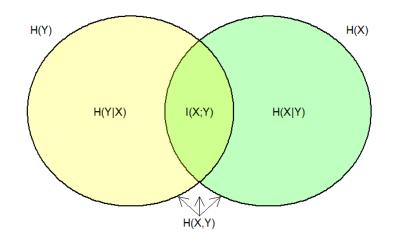


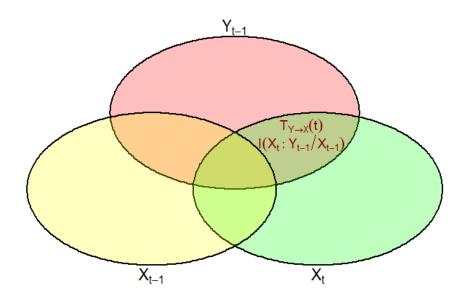






Transfer Entropy





$$H(X) = -\sum_{x \in X} p(x) \log_2 p(x)$$

$$T_{Y\to X}(t) = I(X_t: Y_{t-1}|X_{t-1})$$

$$= H(X_t|X_{t-1}) - H(X_t|X_{t-1}Y_{t-1}')$$

$$= \sum_{t=0}^{\infty} p(x_t, x_{t-1}, y_{t-1}) * \log_2 \frac{p(x_t|x_{t-1}y_{t-1}')}{p(x_t|x_{t-1})}$$

- Transfer entropy can be considered a non-parametric equivalent of Granger Causality(it also works for nonlinear categorical variables).
- The mutual information between both is symmetric (undirected), but the experimentally introduced time delay allows for establishing directionality.









```
#----- Transfer Entropy
df = as.data.frame(lmtest::ChickEgg)
# Method1: Continuous Transfer Entropy using the Kraskov estimation
## TE: chickens -> eggs
NlinTS::te_cont(df\$egg, df\$chicken, p = 3, q = 3, k = 6, normalize = F)
#> [1] 0.007843137
## TE: eggs -> chickens
NlinTS::te_cont(df\$chicken, df\$egg, p = 3, q = 3, k = 6, normalize = F)
#> [1] 0.5748366
# Method2: Pre-discretization
chicken disc = sdsfun::discretize vector(df$chicken,n = 5,method = 'natural')
egg_disc = sdsfun::discretize_vector(df$egg,n = 5,method = 'natural')
## TE: chickens -> eggs
NlinTS::te_disc(egg_disc, chicken_disc, p = 3, q = 3, normalize = TRUE)
#> [1] 0.2670127
## TE: eggs -> chickens
NlinTS::te_disc(chicken_disc, egg_disc, p = 3, q = 3, normalize = TRUE)
#> [1] 0.2745098
```

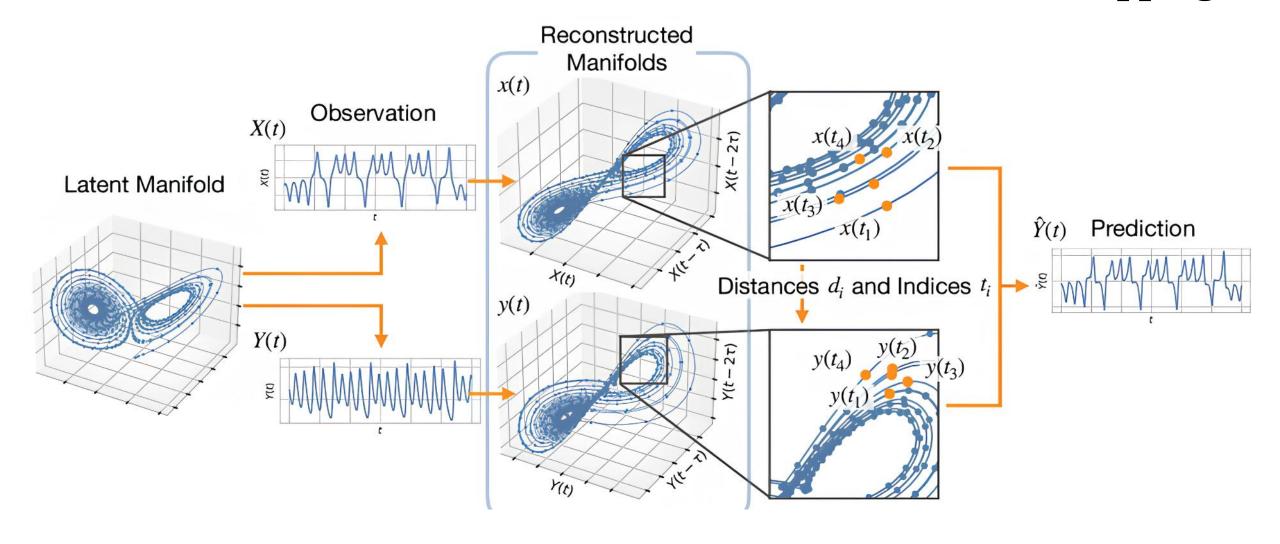








Cross Mapping

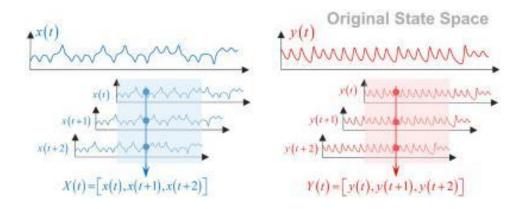




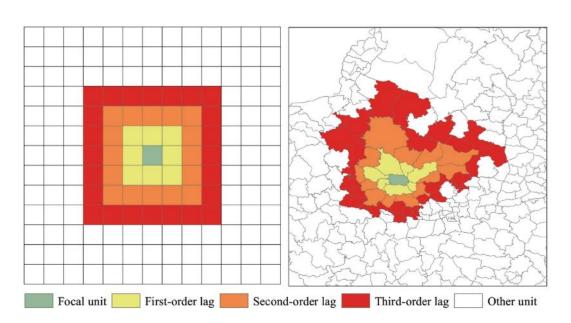




Time series and spatial cross-sectional embeddings



$$\mathbf{X} = \begin{bmatrix} x_1 & x_2 & \cdots & x_E \\ x_2 & x_3 & \cdots & x_{E+1} \\ \vdots & \vdots & \ddots & \vdots \\ x_{n-E+1} & x_{n-E+2} & \cdots & x_n \end{bmatrix}$$



$$\mathbf{X} = \begin{bmatrix} \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j}^{(1)} & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j}^{(2)} & \cdots & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j}^{(k)} \\ \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j+1}^{(1)} & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j+1}^{(2)} & \cdots & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{i-j+1}^{(k)} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{n-m}^{(1)} & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{n-m}^{(2)} & \cdots & \frac{1}{m} \sum_{j=1}^{m} \mathbf{x}_{n-m}^{(k)} \end{bmatrix}$$







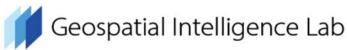


```
# temporal embeddings:
chickegg = as.data.frame(lmtest::ChickEgg)
m1 = stats::embed(chickegg$chicken,dimension = 3)
head(m1,5)
                                                      [,1] [,2] [,3]
#> [1,] 436815 449743 468491
   [2,] 444523 436815 449743
   [3,] 433937 444523 436815
                                                                                 600000
                                                                               550000
#> [4,] 389958 433937 444523
#> [5,] 403446 389958 433937
                                                                         350000
# spatial embeddings:
columbus = sf::read sf(system.file("shapes/columbus.gpkg", package="spData"))
m2 = spEDM::embedded(columbus, target = "CRIME", E = 3, tau = 0)
head(m2,5)
#>
           [,1] [,2] [,3]
#> [1, ] 15.72598 24.71427 41.55964
   [2,] 18.80175 26.24684 44.57868
   [3,] 30.62678 29.41175 43.45135
   [4,] 32.38776 34.64648 37.95647
#> [5,] 50.73151 40.46533 34.43484
```









Simplex Projection

S-Mapping

distances_j =
$$\sqrt{\sum_{k=1}^{E} (x_{i+k-1} - x_{j+k-1})^2}$$

neighbors = order(distances)[2: (E + 1)]

$$w_j = \exp\left(-\frac{\text{distance}_j}{\text{min.distance}}\right)$$

$$\sum_{i=1}^{N} w_i : Y_{i+1}$$

$$\hat{x}_{i+1} = \frac{\sum_{j \in \text{neighbors}} w_j \cdot x_{j+1}}{\sum_{j \in \text{neighbors}} w_j}$$

distances_j =
$$\sqrt{\sum_{k=1}^{E} (x_{i+k-1} - x_{j+k-1})^2}$$
$$w_j = \exp\left(-\frac{\theta \cdot \text{distance}_j}{\overline{\text{distance}}}\right)$$
$$\mathbf{A} = [\mathbf{X}, \mathbf{w}]$$

$$\mathbf{A} = [\mathbf{X}, \mathbf{w}]$$

$$\mathbf{map} = V \cdot \Sigma^{-1} \cdot U^{T}$$

$$\hat{x}_{i+1} = \mathbf{map}^{T} \cdot [\mathbf{x}_{i}, 1]$$







```
# simplex proojection
spEDM:::RcppSimplexForecast(m2,columbus$CRIME,1:49,1:49,4)
       17.70104 19.93840 30.16243 33.07348 52.18022 30.18953 13.01769 38.77808
        32.23513 31.48435 59.09663 56.54921 52.37962 55.85027 45.97856 56.90080
        32.00166 42.04745 57.18469 11.72599 40.22695 33.58007 19.03443 43.43395
       61.19662 41.27700 47.49645 57.54308 60.16271 60.75822 16.88356 18.35503
       38.45912 19.50335 36.89147 16.98435 42.51416 53.16424 17.19591 16.21441
       17.43940 17.79455 35.36479 30.37855 27.84116 18.27504 18.16851 26.01435
#> [49] 22.38665
# s-mapping
spEDM:::RcppSMapForecast(m2,columbus$CRIME,1:49,1:49,4,theta = 0.1)
         1.627749e+02 1.386350e+03 1.322136e+03 1.712858e+03 -3.264970e+03
        -4.801324e+02 4.574963e+02 -3.206982e+03 -1.089545e+03
                                                                3.597287e+02
        -6.972924e+01 4.814860e+03 -2.115798e+02
                                                 3.454839e+02 -1.318667e+03
         6.773236e+02 -4.492509e+02 1.091786e+03 -2.059843e+02
                                                                2.330649e+02
        -1.940220e+02
                      7.405511e+02 -9.607234e+02 -9.933905e+02
                                                                3.984855e+03
        4.145653e+02 -3.183077e+03 -1.776549e+03 8.340536e+02
                                                                2.323735e+03
        3.861250e+02 -4.719258e+02 -1.072537e+03 2.790086e-02
                                                                5.645311e+03
   [36]
        2.159156e+02
                      2.532053e+03 -3.401927e+03 -4.756470e+02 -1.735974e+02
         1.671329e+03 -3.355987e+01 -3.302869e+02 -1.042772e+03
                                                                9.089417e+02
#> [46] -5.821938e+02 -7.604911e+01 1.389021e+03 -1.093324e+04
```









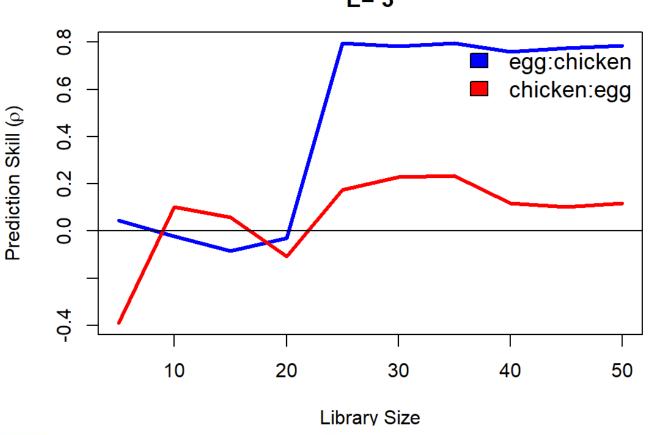
```
# convergent cross-mapping
```

chickegg = as.data.frame(lmtest::ChickEgg)

ccmres

```
LibSize egg:chicken chicken:egg
#>
               0.04364260 -0.39121891
#> 1
           10 -0.02381291
#> 2
                           0.10223896
#> 3
           15 -0.08433760
                          0.05800941
           20 -0.03005538 -0.10681737
#> 4
               0.79516487
                          0.17436527
#> 5
               0.78193136
                          0.22865146
#> 6
           30
#> 7
           35
               0.79522593
                           0.23369108
#> 8
           40
               0.75874122
                          0.11634096
                           0.10142964
#> 9
           45
               0.77645014
#> 10
           50
               0.78570387
                           0.11601891
```

egg:chicken : chicken:egg E= 3



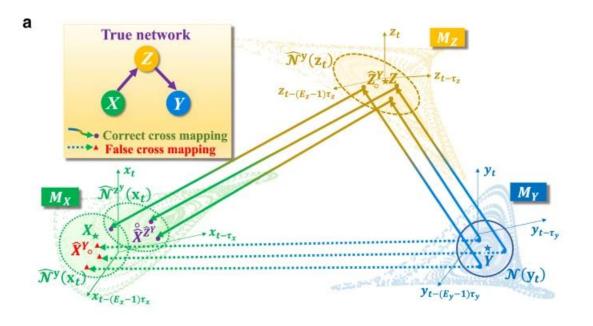




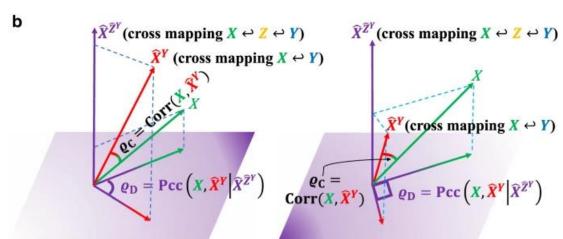


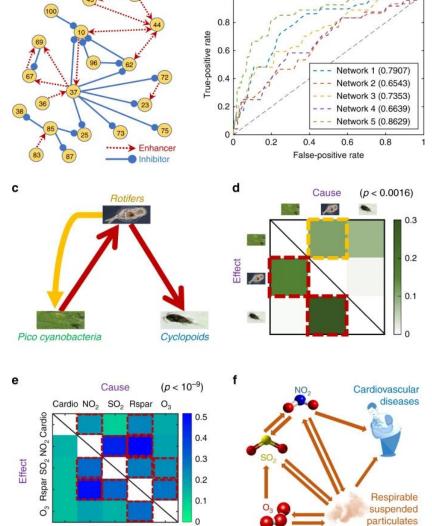


Partial Cross Mapping



Leng, S., Ma, H., Kurths, J. et al. Partial cross mapping eliminates indirect causal influences. Nat Commun 11, 2632 (2020). https://doi.org/10.1038/s41467-020-16238-0





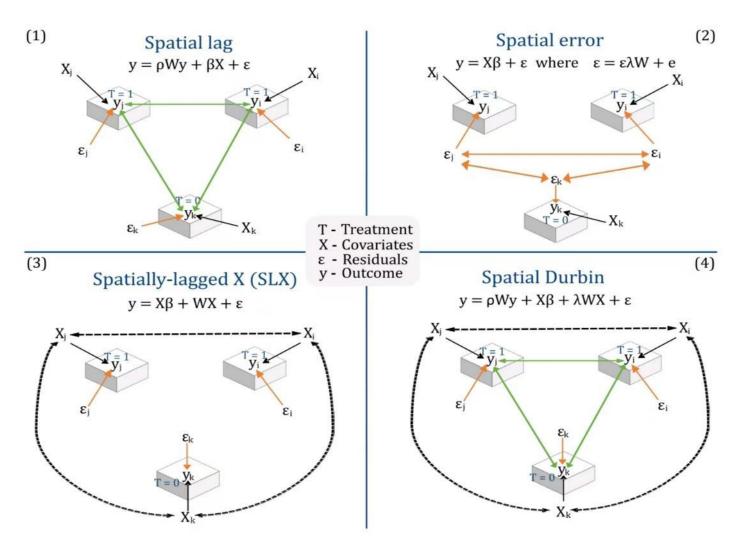








Inferring causation from spatial cross sections



Spatial Difference-in-differences

$$y_i t = \alpha_0 + \alpha_1 X_i t + \alpha_2 D_i t + \alpha_3 T_i t + \alpha_4 D_i t T_i t + \varepsilon_i t$$

$$ATE(x) = E[y|X = x, D = 1, T = 1] - E[y|X = x, D = 0, T = 1] - E[y|X = x, D = 1, T = 0] - E[y|X = x, D = 0, T = 0].$$

Akbari, K., Winter, S. and Tomko, M. (2023), Spatial Causality: A Systematic Review on Spatial Causal Inference. Geogr Anal, 55: 56-89. https://doi.org/10.1111/gean.12312

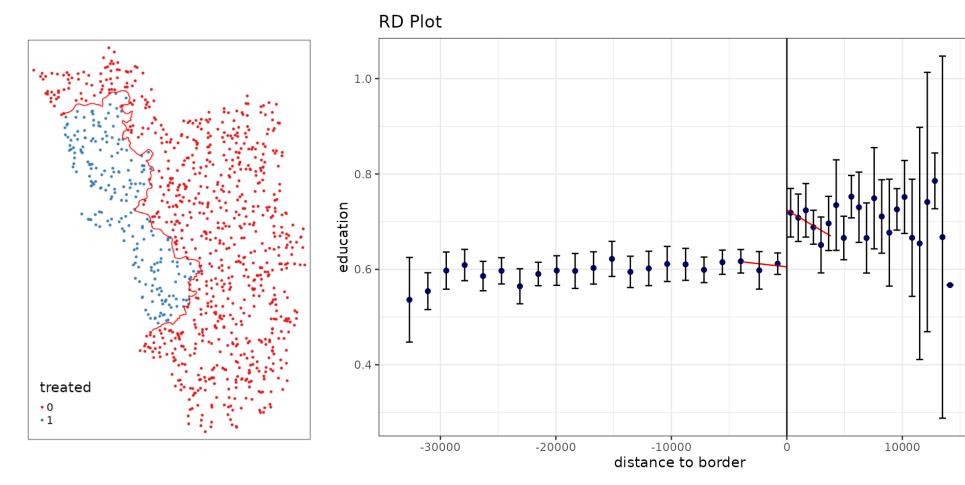








Spatial Regression Discontinuity Designs



$$y_i = \beta_0 + \beta_1 D_i + \beta_2 \operatorname{dist}_i + \beta_3 D_i \times \operatorname{dist}_i + \sum_{s=1}^{S} \gamma_b \operatorname{seg}_i^s + v_i' \phi + \epsilon_i$$

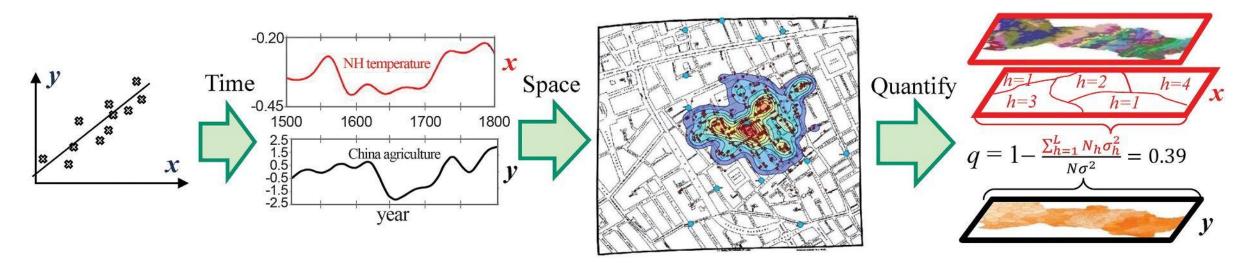








Spatial Stratified Heterogeneity



a. Correlation between 2 pairs of points

b. Consistency & causality between two time series

c. Coupling & causality between two spatial patterns

d. Coupling & causality between two spatial patterns

Wang, J., Haining, R., Zhang, T., Xu, C., Hu, M., Yin, Q., ... Chen, H. (2024). Statistical Modeling of Spatially Stratified Heterogeneous Data. *Annals of the American Association of Geographers*, 114(3), 499–519. https://doi.org/10.1080/24694452.2023.2289982









```
# geographical detector
columbus = sf::read sf(system.file("shapes/columbus.gpkg", package="spData"))
gdverse::opgd("HOVAL ~ CRIME", data = columbus, discnum = 3:15)
#> *** Optimal Parameters-based Geographical Detector
                 Factor Detector
#>
#>
#> | variable | 0-statistic | P-value
#> |:----:|:----:|:----:|
#> | CRIME | 0.5885002 | 0.03009555
gdverse::opgd("CRIME ~ HOVAL", data = columbus, discnum = 3:15)
#> *** Optimal Parameters-based Geographical Detector
                 Factor Detector
#>
#>
#> | variable | Q-statistic | P-value
#> |:----:|:----:|:----:
#> | HOVAL | 0.627518 | 0.001022616
```









a. Cu concentration **b.** Industry c. Nightlight 40latitude latitude 0.6 0.4 0.2 0.0 400 300 200 100 longitude longitude longitude e. Industry d. Cu concentration f. Nightlight g. Cu-Industry h. Cu-Nightlight Industry xmap Cu Nightlight xmap Cu Cu xmap Industry Cu xmap Nightlight 0.4 $\rho^{0.3}$ $\rho^{0.6}$ 0.2 0.1 0.2 75

Geographical Convergent Cross Mapping

$$\hat{Y}_{s} \mid M_{x} = \sum_{i=1}^{L+1} (\omega_{si} Y_{si} \mid M_{x})$$

$$dis(\psi(x,s_i),\psi(x,s))$$

$$= \frac{1}{L} \left(|h_{si}(x) - h_{s}(x)| + \sum_{k=1}^{L-1} a \, bs \big[h_{si(k)}(x), h_{s(k)}(x) \big] \right)$$

$$weight\big(\psi(x,s_i),\psi(x,s)\big) = \exp\left(-\frac{dis\big(\psi(x,s_i),\psi(x,s)\big)}{dis\big(\psi(x,s_1),\psi(x,s)\big)}\right)$$

$$\omega_{si} \mid M_x = \frac{weight(\psi(x, s_i), \psi(x, s))}{\sum_{i=1}^{L+1} w \, eight(\psi(x, s_i), \psi(x, s))}$$

$$\rho = \frac{Cov(Y, \hat{Y})}{\sqrt{Var(Y)Var(\hat{Y})}}$$

Gao, B., Yang, J., Chen, Z. et al. Causal inference from cross-sectional earth system data with geographical convergent cross mapping. Nat Commun 14, 5875 (2023). https://doi.org/10.1038/s41467-023-41619-6









```
# geographical convergent cross mapping
columbus = sf::read sf(system.file(
"shapes/columbus.gpkg", package="spData"))
spEDM::simplex(columbus, target = "HOVAL",
               lib = 1:49
#> The suggested embedding dimension E for
variable HOVAL is 6
#>
                   rho
                            mae
                                     rmse
          1 0.02078897 17.72059 23.91022
#>
          2 0.13227442 14.94268 21.20952
          3 0.30246001 13.70158 18.66540
          4 0.14412367 15.07788 20.40852
#>
          5 0.17810605 15.14727 20.34214
          6 0.33371524 13.96825 18.88074
#>
    [6,]
          7 0.30107433 13.43619 19.09429
#>
    [8,]
          8 0.29861812 13.51815 19.13343
          9 0.29555999 13.55432 19.17256
         10 0.29555999 13.55432 19.17256
```

```
spEDM::simplex(columbus, target = "CRIME",
               lib = 1:49
#> The suggested embedding dimension E for
 variable CRIME is 5
                  rho
                            mae
                                     rmse
          1 0.5064332 10.752317 15.45595
          2 0.5832484
                       9.753875 14.06003
          3 0.6026672 10.093884 13.82248
          4 0.6174598 10.269995 13.71842
          5 0.6313140
                       9.808677 13.45584
          6 0.6285516
                       9.832107 13.58268
          7 0.6299036
                       9.787748 13.55552
          8 0.6304351
                       9.769181 13.54919
          9 0.6303645
                       9.770848 13.55023
        10 0.6303645
                       9.770848 13.55023
```







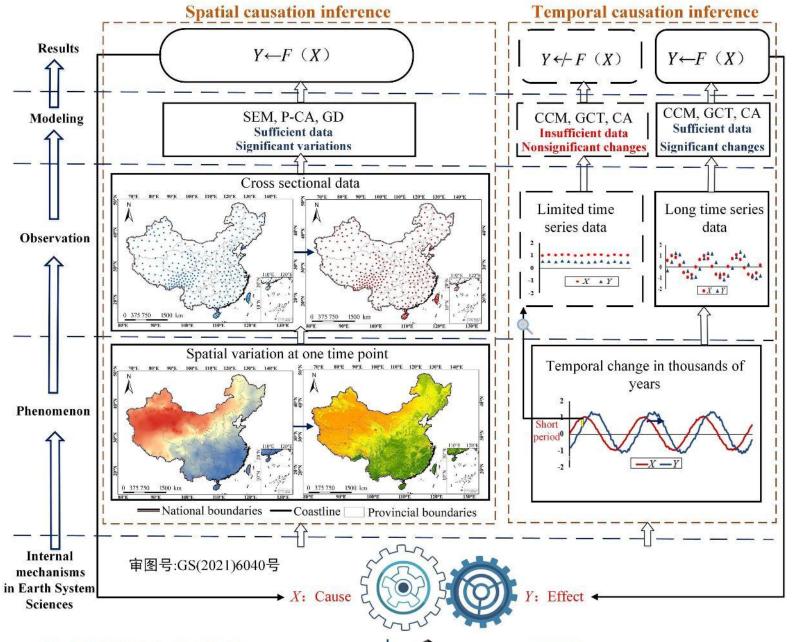
```
g = spEDM::gccm(columbus, "HOVAL", "CRIME",
                   libsizes = seq(5,40,5), E = c(6,5))
#> Computing:
                                                                    100% (done)
   Computing:
                                                                    100% (done)
g
                                                   1.0
#>
      libsizes HOVAL->CRIME CRIME->HOVAL
                                                  0.9 - 
#> 1
                    0.1405456
                                    0.2804058
                                                                                            CRIME causes HOVAL
                                                                                            HOVAL causes CRIME
#>
             10
                    0.2413240
                                   0.4006664
                                                  0.8
             15
                    0.2554682
                                   0.4609814
                                                  0.7 -
                    0.2482281
                                    0.5019578
             20
                                   0.5452084
             25
                    0.2541110
                                                  0.6 -
             30
                    0.2671786
                                   0.5847262
                                                  0.5
             35
                    0.2783446
                                    0.6019328
                                                  0.4
             40
                    0.2876909
                                    0.6217028
                                                  0.3
                                                  0.2
                                                  0.1
                                                  0.0
                                                                    15
                                                                                                35
                                                                           Lib of Sizes
```











Temporally or spatially?

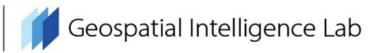
- Capture causality through temporal variations reflected in time series data.
- Capture causality through spatial variations reflected in spatial cross-sectional data.
- When changes are insufficient in time or space, incorporate information from the other dimension to capture causality.
- Jointly model causality using both spatial and temporal information.

Gao, B., Li, M., Wang, J., & Chen, Z. (2022). Temporally or spatially? Causation inference in earth system sciences. *Sci. Bull*, 67(3).

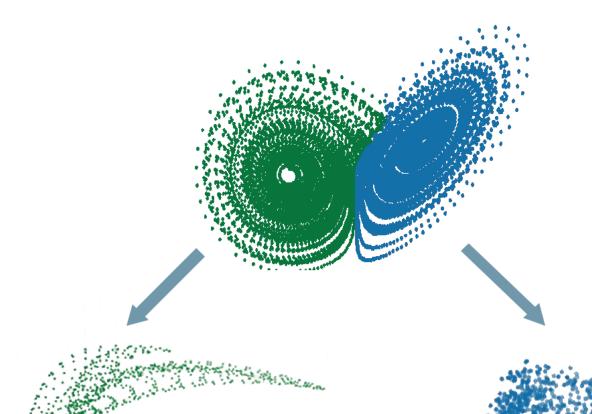








Spatial Empirical Dynamic Modeling



- The Earth is a highly interconnected dynamical system.
- The state space reconstruction method can be effectively applied to causal inference in dynamic systems.
- There are many state space reconstruction models oriented towards time series, but similar models in the spatial domain are relatively few.



• [2]Runge, J., Gerhardus, A., Varando, G. et al. Causal inference for time series. Nat Rev Earth Environ 4, 487–505 (2023).

https://doi.org/10.1038/s43017-023-00431-y

[3]Gao, B., Yang, J., Chen, Z. et al. Causal inference from cross-sectional earth system data with geographical convergent cross mapping. Nat Commun 14, 5875 (2023). https://doi.org/10.1038/s41467-023-41619-6













spEDM: Spatial Empirical Dynamic Modeling

Inferring causal associations in cross-sectional earth system data through empirical dynamic modeling (EDM), with extensions to convergent cross mapping from Sugihara et al. (2012) < doi:10.1126/science.1227079>, partial cross mapping as outlined in Leng et al. (2020) < doi:10.1038/s41467-020-16238-0>, and cross mapping cardinality as described in Tao et al. (2023) < doi:10.1016/j.fmre.2023.01.007 > .



Wenbo Lv

Authors: Wenbo Lv [aut, cre, cph]

- spEDM 1.5.tar.gz
- **■** spEDM 1.5.zip (r-4.5) spEDM 1.5.zip (r-4.4) spEDM 1.5.zip (r-4.3)
- **★** spEDM 1.5.tgz (r-4.5-x86 64) spEDM 1.4.tgz (r-4.5-arm64) spEDM 1.5.tgz (r-4.4-x86 64) spEDM 1.5.tg arm64) spEDM 1.5.tgz (r-4.3-x86 64) spEDM 1.5.tgz (r-4.3-arm64)
- △ spEDM 1.5.tar.gz (r-4.5-noble) spEDM 1.5.tar.gz (r-4.4-noble) ②
- spEDM 1.5.tgz (r-4.4-emscripten) spEDM 1.5.tgz (r-4.3-emscripten) ③
- 🛼 spEDM.pdf | spEDM.html 🧎
- **♥** spEDM/json (API)
- **NEWS**

```
# Install 'spEDM' in R:
install.packages('spEDM', repos = c('https://stscl.r-universe.dev', 'https://cloud.r-project.org'))
```







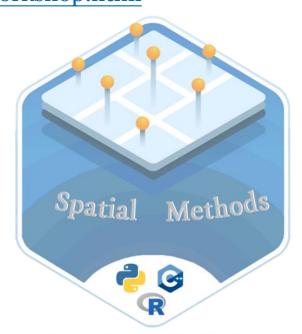




Thanks.

https://github.com/ai4cityhkust/geocausality_worksh op

https://ai4cityhkust.github.io/workshop/g eocausality/geocausality_w orkshop.html





Wenbo Lv

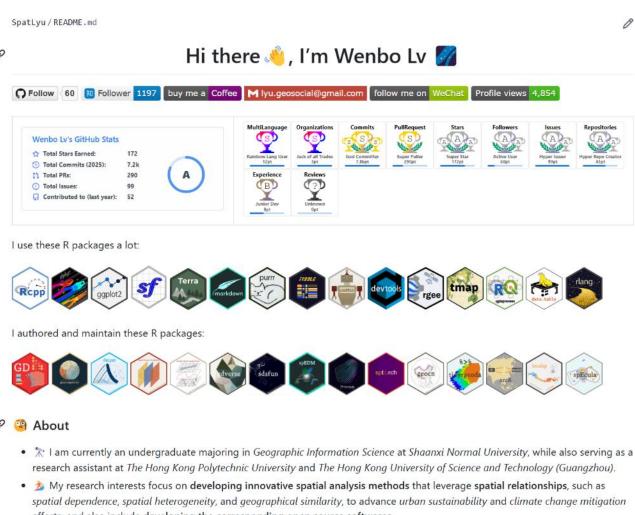
SpatLyu · he/him

Spatial Statistics; Causality; GeoInformatics; R; C++;

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- https://www.zhihu.com/people/lyugeosocial



- efforts, and also include developing the corresponding open source softwares.
- 😂 I look forward to working with friends of all backgrounds to explore the fun of statistics and programming!
- ¶ How to reach me: message me at zhihu and mastodon!
- Ping me about #GeoInformatics, #Statistics, #R, #C++, #Python and anything you like!







