Theorem 1. Whenever this, then that.

Proof of Theorem 1: Because I say so. This completes the proof.

Picture of Me

II. IEEE STYLE EQNARRAY

Normal numbering.

$$N = 1 \tag{1}$$

$$N = 2 \tag{2}$$

No numbering.

$$N = 3$$

$$N = 3$$

Only number first

$$N = 3 \tag{3}$$

$$N = 4$$

Normal numbering, done differently

$$N = 4 \tag{4}$$

$$N = 5 \tag{5}$$

Only number last.

$$N = 6$$

$$N = 6 \tag{6}$$

Same done differently

$$N = 7$$

$$N = 7 \tag{7}$$

Number all

$$N = 8 \tag{8}$$

$$N = 9 \tag{9}$$

Sub-number first

$$N = 10 \tag{10a}$$

$$N = 11 \tag{11}$$

Sub-number persistently

$$N = 12 \tag{12a}$$

$$N = 12 \tag{12b}$$

Resume normal numbering

$$N = 13 \tag{13}$$

$$N = 14 \tag{14}$$

$$N = 14$$

And boxed? N = 14

Mixed case, single column

$$x_1$$
 (15a)

$$x_2$$
 (15b)

$$x_3$$
 (16a)

$$x_4$$
 (16b)

$$x_5$$
 (17)

$$x_6$$
 (18)