# Distributed Computing Module 1 -Lecture 5/6

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# Logical vs. Physical Concurrency

- Two events are logically concurrent if and only if they do not causally affect each other.
- Physical concurrency has a connotation that the events occur at the same instant in physical time.
- Two or more events may be logically concurrent even though they do not occur at the same instant in physical time.

## **Models of Communication Network**

- FIFO Model
- non-FIFO model
- Causal ordering Model (CO)

CO: For any two messages  $m_{ij}$  and  $m_{kj}$ , if send( $m_{ij}$ )  $\rightarrow$  send( $m_{kj}$ ),

then  $rec(m_{ii}) \rightarrow rec(m_{ki})$ 

# Global State of a Distributed System

• The global state of a distributed system is a collection of the local states of the processes and the channels.

#### **Process State**

Let  $LS_i^x$  denote the state of process  $p_i$  after the occurrence of event  $e_i^x$  and before the event  $e_i^{x+1}$ .  $LS_i^0$  denotes the initial state of process  $p_i$ .  $LS_i^x$  is a result of the execution of all the events executed by process  $p_i$  till  $e_i^x$ . Let  $send(m) \le LS_i^x$  denote the fact that  $\exists y: 1 \le y \le x :: e_i^y = send(m)$ . Likewise, let  $rec(m) \not \le LS_i^x$  denote the fact that  $\forall y: 1 \le y \le x :: e_i^y \ne rec(m)$ .

# Global State of a Distributed System

The state of a channel is difficult to state formally because a channel is a distributed entity and its state depends upon the states of the processes it connects. Let  $SC_{ii}^{x,y}$  denote the state of a channel  $C_{ii}$  defined as follows:

$$SC_{ij}^{x,y} = \{m_{ij} \mid send(m_{ij}) \leq e_i^x \wedge rec(m_{ij}) \nleq e_j^y \}$$

Thus, channel state  $SC_{ij}^{x,y}$  denotes all messages that  $p_i$  sent upto event  $e_i^x$  and which process  $p_j$  had not received until event  $e_i^y$ .

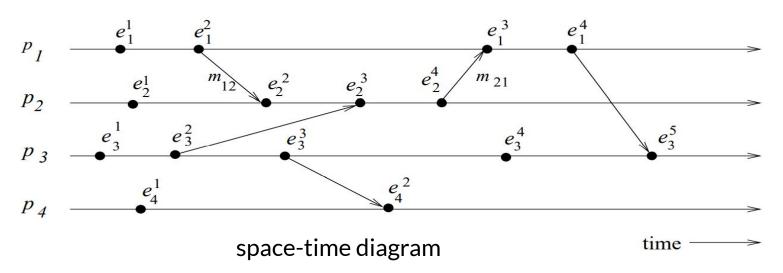
## Global State of a Distributed System

The global state of a distributed system is a collection of the local states of the processes and the channels. Notationally, global state GS is defined as

$$GS = \{\bigcup_{i} LS_i^{x_i}, \bigcup_{j,k} SC_{jk}^{y_j, z_k} \}$$

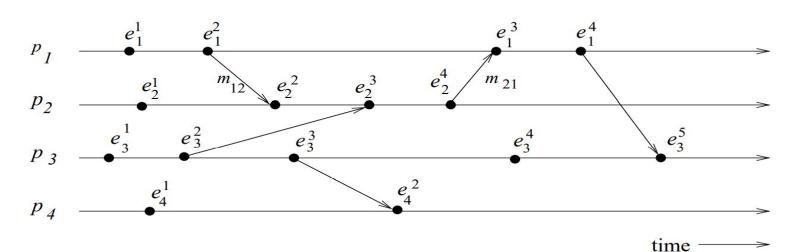
## **Global State - consistent**

a state will be meaningful provided every message that is recorded as received is also recorded as sent.



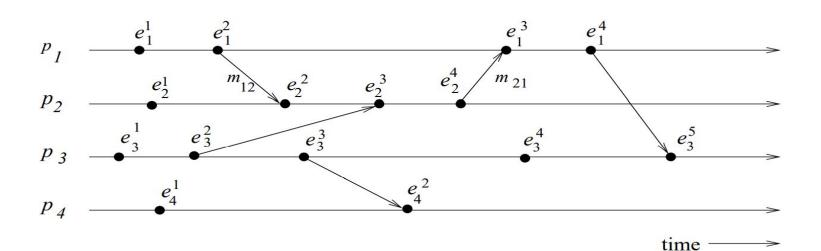
## Global State - consistent or not

$$\{LS_1^1, \ \overline{LS_2^3}, LS_3^3, LS_4^2\}$$



### Global State - consistent or not

 $\{LS_1^2, LS_2^4, LS_3^4, LS_4^2\}$ 

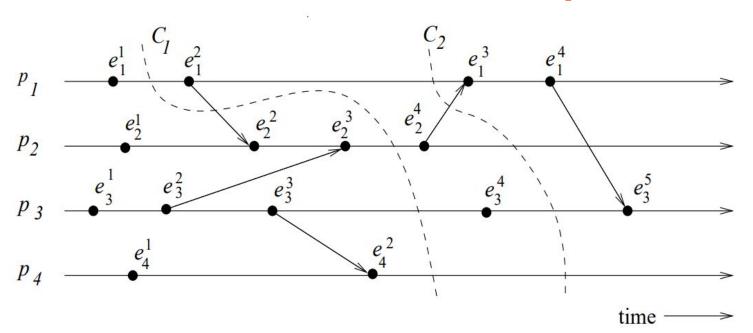


## **Cuts of a Distributed Computation**

"In the space-time diagram of a distributed computation, a cut is a zigzag line joining one arbitrary point on each process line."

- A cut slices the space-time diagram, and thus the set of events in the distributed computation, into a PAST and a FUTURE.
- The PAST contains all the events to the left of the cut and the FUTURE contains all the events to the right of the cut
- For a cut C, let PAST(C) and FUTURE(C) denote the set of events in the PAST and FUTURE of C, respectively
- Every cut corresponds to a global state and every global state can be graphically represented as a cut in the computation space-time diagram.
- Cuts in a space-time diagram provide a powerful graphical aid in representing and reasoning about global states of a computation.

# **Cuts of a Distributed Computation**



## **Cuts of a Distributed Computation**

"In the space-time diagram of a distributed computation, a cut is a zigzag line joining one arbitrary point on each process line."

- In a consistent cut, every message received in the PAST of the cut was sent in the PAST of that cut. (In, cut C2 is a consistent cut.)
- All messages that cross the cut from the PAST to the FUTURE are in transit in the corresponding consistent global state.
- A cut is inconsistent if a message crosses the cut from the FUTURE to the PAST. (In Figure, cut C1 is an inconsistent cut.)

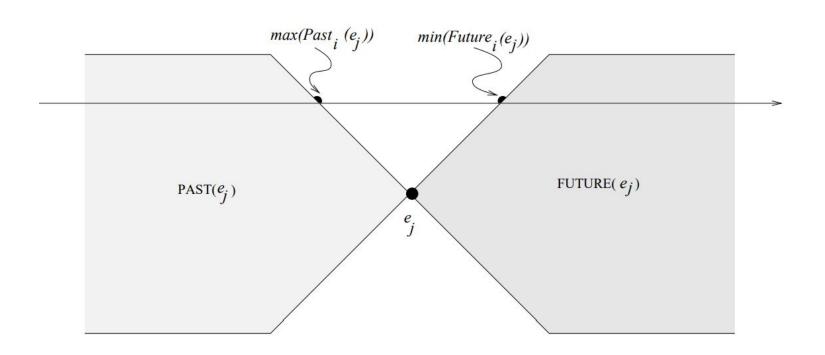
#### Past and Future Cones of an Event

#### "Past Cone of an Event"

- An event  $\mathbf{e}_{_{\mathbf{i}}}$  could have been affected only by all events  $\mathbf{e}_{_{\mathbf{i}}}$  such that  $\mathbf{e}_{_{\mathbf{i}}} o \mathbf{e}_{_{\mathbf{i}}}$  .
- In this situation, all the information available at  $e_i$  could be made accessible at  $e_i$ .
- All such events ei belong to the past of  $e_j$ . Let Past( $e_j$ ) denote all events in the past of  $e_i$  in a computation (H,  $\rightarrow$ ). Then

$$Past(e_j) = \{e_i | \forall e_i \in H, e_i \rightarrow e_j \}.$$

## Past and Future Cones of an Event



#### Past and Future Cones of an Event

#### "Future Cone of an Event"

- The future of an event e<sub>j</sub>, denoted by Future(e<sub>j</sub>), contains all events ei that are causally affected by e<sub>i</sub>
- In a computation (H, →), Future(e<sub>i</sub>) is defined as:

$$Future(e_j) = \{e_i | \forall e_i \in H, e_j \rightarrow e_i\}.$$

## **Models of Process Communications**

- There are two basic models of process communications synchronous and asynchronous.
- The synchronous communication model is a blocking type where on a message send, the sender process blocks until the message has been received by the receiver process.
- The sender process resumes execution only after it learns that the receiver process has accepted the message.
- Thus, the sender and the receiver processes must synchronize to exchange a message.

### **Models of Process Communications**

- Asynchronous communication model is a non-blocking type where the sender and the receiver do not synchronize to exchange a message.
- After having sent a message, the sender process does not wait for the message to be delivered to the receiver process.
- The message is buffered by the system and is delivered to the receiver process when it is ready to accept the message.

### **Models of Process Communications**

- Asynchronous communication provides higher parallelism because the sender process can execute while the message is in transit to the receiver.
- However, A buffer overflow may occur if a process sends a large number of messages in a burst to another process.
- An implementation of asynchronous communication requires more complex buffer management. In addition, due to higher degree of parallelism and non-determinism, it is much more difficult to design, verify, and implement distributed algorithms for asynchronous communications.
- Synchronous communication is simpler to handle and implement. However, due to frequent blocking, it is likely to have poor performance and is likely to be more prone to deadlocks.