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Linear regression equation

## Linear regression

Relation of dependent and independent  
then do predictions on basis of it.

### Equation

$$Y = mx + b$$

$Y$  = dependent variable (number of students will get in 100s of)

$X$  = independent variable (hours of study)

$m$  = slope of line (how much  $Y$  changes for unit change in  $X$ )

$b$  = intercept (value of  $Y$  when  $X$  is 0)

### Predicting Pizza prices

Step 1: Data collection.

Step 2: Calculations.

Step 3: Prediction.

Step 4: Visualization.

$(X)$	$(Y)$	$\text{Mean}(X)$	$\text{Mean}(Y)$	$\text{Deviation}(X)$	$\text{Deviation}(Y)$
8	10	$\frac{\sum X}{n}$	$\frac{\sum Y}{n}$	$(X) - \text{Mean}(X)$	$(Y) - \text{Mean}(Y)$
10	13				

Product of deviations

Sum of products of deviations

Deviation  $(X) \times$  Deviation  $(Y)$

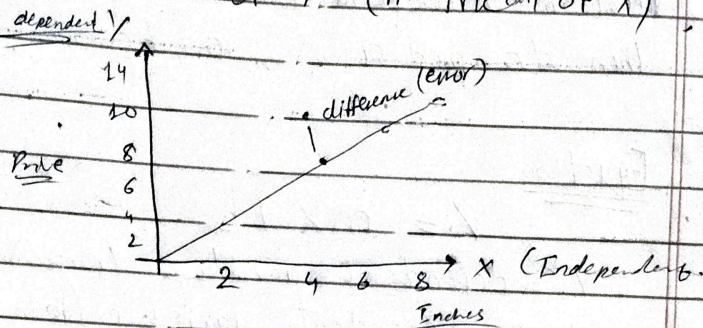
all add products of deviations

Square of deviation for  $(X)$

$$(\text{Deviation}(X))^2$$

$m = \text{Sum of product of deviations} / \text{Sum of square of deviation for X}$

$b = \text{Means of Y} - (m * \text{Mean of X})$



$$Y = mX + b$$

If data is scattered

If prediction is change from actual (outliers) are error. (we try to reduce).

Diameter(X) In Inches	Price(Y) In Dollars	Mean(X)	Mean(Y)	Deviations(X)	Deviations(Y)	Product of Deviations	Sum of Product of Deviations	Square of Deviations for X
8	10	10	13	-2	-3	6	12	4
10	13			0	0	0		0
12	16			2	3	6		4

Calculate  $m = \text{Sum of product of deviations} / \text{Sum of square of deviation for X}$

Calculate  $b = \text{Mean of Y} - (m * \text{Mean of X})$

