光学 hw

肖涵薄 31360164

2018年11月14日

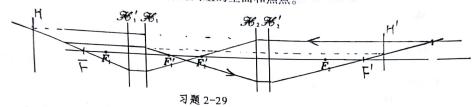
2-29, 2-30

习 题

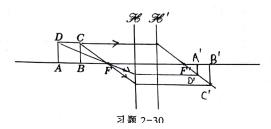
97

j

2-29、用作图法求本题图中联合光具组的主面和焦点。



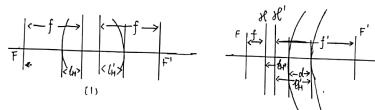
- 2-30. 用作图法求本题图中 正方形 ABCD 的像。
- 2-31. 验算7.7节图2-63a和b中绘出的两种拉姆斯登目镜的主面与焦点。
- 2-32. 求右表中厚透镜的焦贴和主面 作占的位置 光炉图表

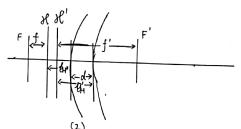


(1)
$$\phi = (n-1)\left(\frac{1}{r_1} - \frac{1}{r_2}\right) + \frac{(n-1)^2}{n r_1 r_2} d$$

 $= 10 - \frac{1}{6} = 5$
 $f = \frac{1}{\phi} = 10.17 cm$

两主面延界面顶点距离 色 ly = _________ = # -0.339 cm. = ly'





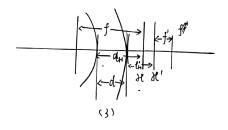
(2)
$$\phi = \frac{1}{2} \cdot 5 + \frac{\frac{1}{4}}{\frac{3}{2} \cdot \delta \cdot 02} \cdot \delta \cdot 0$$

$$= \frac{5}{2} + \frac{61}{473}$$

$$\Rightarrow f = \frac{1}{\phi} = 38.71 \text{ cm}$$

$$\ell_{H} = \frac{4n d}{nCr_{2} - r_{1} + (n+1)d} = \delta \cdot 645 \text{ cm}$$

$$\ell'_{H} = \frac{-r_{2}d}{ncr_{2} - r_{1} + (n-1)d} = -1.290 \text{ cm}$$



(3)
$$\phi = \frac{1}{2}(-\frac{5}{3}) + \frac{1/4}{\frac{2}{2} \cdot 0.03} \cdot 0.01$$

 $= -0.778$
 $f = \frac{1}{6} = 128.57cm$
 $\ell_H = \frac{-0.15 + 0.01}{\frac{2}{2}(-5) + \frac{1}{2} \cdot 0.01} = 2.143cm$
 $\ell_H = \frac{-0.2 \times 0.01}{\frac{2}{3}(-0.05) + \frac{0.01}{0.01}} = 1.857cm$

2-37.

$$\left| \frac{f}{s} + \frac{f'}{s'} = 1 \right| = \int fs' + f's = ss'$$

$$\int \frac{f}{s+ax} + \frac{f'}{s+ax} = 1 \qquad \left| fs' + f's + f'ax = ss' + s'ax + sax' + axax' \right| = 0$$

$$\Theta - 0 : \int f \Delta x' + f' \Delta x = 5' \Delta x + 5 \Delta x' + \Delta x \Delta x'$$

$$\int f s' + f' s = ss'$$

$$\begin{cases}
f_{\Delta x}'s + f_{\Delta x}'s = ss'_{\Delta x} + s^{2}_{\Delta x}' + s_{\Delta x}' & 0 \\
f_{\Delta x}s' + f_{\Delta x}'s = ss'_{\Delta x} & 0 \\
f_{\Delta x}'s' + f_{\Delta x}'s = ax'ss'
\end{cases}$$

$$3^{-\Theta} \int dx' S - \int dx S' = S^2 \Delta x'$$

$$\int = \frac{3^2 \Delta x' + \Delta x x' S}{\Delta x' S - \Delta x S'}$$

$$= \begin{cases} \int \Delta x' S' + \int \Delta x S' = S'^2 \Delta x + S S' \Delta x' + \Delta x \Delta x' S' & G \\ \int \Delta x' S' + \int \Delta x' S = S S' \Delta x & G \end{cases}$$

$$\oint \int \int (\Delta x S' - \Delta x' S) = S'^2 \Delta x + \Delta x \Delta x' S'$$

$$f' = \frac{S'^2 \Delta x + \Delta x \Delta x' S'}{\Delta x S' - \Delta x' S}$$

$$\frac{\Delta x}{\frac{1}{V_{1}} - \frac{1}{V_{2}}} = \frac{f}{f'} \frac{\Delta x}{\frac{S}{S'} + \frac{S+\Delta x}{S'+\Delta x'}} = \frac{f}{f'} \frac{\Delta xS'(S'+\Delta x')}{-SS'-S\Delta x'+SS'+\Delta xS'} = \frac{f'}{V_{1}-V_{2}} = \frac{Ax'}{f'} \frac{\Delta x'}{-\frac{S'}{S'} + \frac{S'+\Delta x'}{S'+\Delta x}}$$

$$= \frac{f}{f'} \frac{\Delta xS'^{2} + \Delta x\Delta x'S'}{\Delta xS'-S\Delta x'}$$

$$= \frac{f'}{f} \frac{\Delta xS'^{2} + \Delta x\Delta x'S'}{\Delta xS'-\Delta xS'}$$

$$f(\lambda)f'$$

$$\Rightarrow f(x)f'$$

$$\Rightarrow f(x)f'$$

1

戴上眼镜后应该能看到无穷远,即:

$$\Phi = (\frac{1}{\infty} - \frac{1}{2.5})D = -0.4D = 40$$

2

戴上眼镜后应该能看到明视距离 0.25m, 即:

$$\Phi = (\frac{1}{0.25} - \frac{1}{1})D = 3D = 300$$

2-42

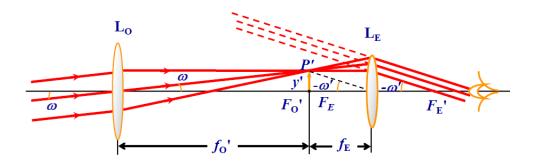
物镜放大率:

$$V_0 = -\frac{x}{f} = -40$$

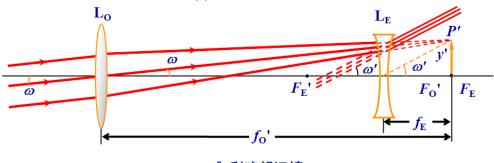
显微镜总放大率为物镜放大率与目镜放大率之积:

$$V_{total} = V_0 \times 20 = -600$$

2-45



(a) 开普勒望远镜



(b) 伽利略望远镜

(a) 开普勒型望远镜

其角放大率

$$W = \frac{\tan(\omega')}{\tan \omega} = -3$$

且

$$\tan(\omega') = \frac{-y'}{f_E}$$
 $\tan \omega = \frac{y'}{-f'_O}$ $f'_O = 50cm$

即:

$$f_E = f'_O/3 = 50/3cm = 16.7cm$$

$$\Rightarrow \Phi_E = 1/f_E = 6m^{-1}$$

$$d = f'_O + f_E = 66.7cm$$

(b) 伽利略型望远镜

其角放大率

$$W = \frac{\tan(\omega')}{\tan \omega} = -3$$

且.

$$\tan(\omega') = \frac{-y'}{f_E}$$
 $\tan \omega = \frac{y'}{f_O'}$ $f_O' = -50cm$

即:

$$f_E = f_O'/3 = -50/3cm = -16.7cm$$

$$\Rightarrow \Phi_E = 1/f_E = -6m^{-1}$$

$$d = f_O' + f_E = 33.3cm$$

2-47

假设所求望远镜为开普勒型望远镜,则物距 $s=f_O'+f_E$ 为两镜间隔。代入

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f_E}$$

可以得到

$$\frac{1}{f'_O + f_E} + \frac{1}{s'} = \frac{1}{f_E}$$
$$\Rightarrow s' = \frac{f_E}{f'_O} (f_E + f'_O) \simeq f_E$$

设物镜直径 D_0 ,出射光瞳直径 D' 放大率

$$\frac{D'}{D_0} = |V| = \left| \frac{-s'}{s} \right| = \left| \frac{-\frac{f_E}{f_O}(f_E + f'_O)}{f'_O + f_E} \right|$$

对于 V 有:

$$V = \frac{-\frac{f_E}{f_O'}(f_E + f_O)}{f_O' + f_E} = -\frac{f_E}{f_O'}$$

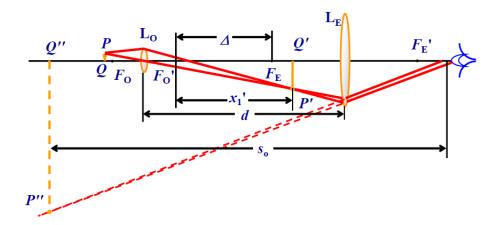
即:

$$\frac{D'}{D_0} = \left| \frac{f_E}{f'_O} \right| = 1/|M|$$

$$\Rightarrow D' = \frac{D_0}{|M|}$$

Q.E.D.





1

物距 $s=f_O'+f_E+\Delta$ 为两镜间隔。代入

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f_E}$$

可以得到

$$\frac{1}{f_O' + f_E + \Delta} + \frac{1}{s'} = \frac{1}{f_E}$$

$$\Rightarrow s' = \frac{f_E(f_O' + f_E + \Delta)}{f_O' + \Delta} = f_E(1 + \frac{f_O'}{f_O' + \Delta}) \simeq f_E$$

 $\mathbf{2}$

$$M = \frac{Q'P'/f_e}{QP/s_0} = \frac{Q'P'}{QP} \frac{s_0}{f_e} = \frac{s_0}{f_e} \frac{-\Delta}{f'_O}$$

$$\uparrow \uparrow \uparrow \downarrow V = \frac{-\Delta}{f'_O}, \ f_0 = nf'_0$$

$$|M| = \frac{s_0 n\Delta}{f_O f_E}$$

$$\tan u_0 = \frac{D_0}{2nf_O} \simeq u_0$$

$$\begin{split} \frac{-D'}{D_0} &= V = \frac{\Delta}{f_e} \\ \Rightarrow \frac{2s_0nu_0}{|M|} &= \frac{2s_0nD_0f_ef_O}{2f_Os_o\Delta n} = \frac{D_0f_e}{\Delta} = D' \end{split}$$

2-50

对于 DD 形成的入瞳 D'D'

$$\frac{1}{s_0} + \frac{1}{4a} = \frac{1}{2a}$$
$$\Rightarrow s_0 = 4a = 2f_1$$

则该入瞳半径为 r_3

对于 L_2 形成的入瞳 L_2'

$$\frac{1}{s_0} + \frac{1}{6a} = \frac{1}{2a}$$
$$\Rightarrow s_0 = 3a = \frac{1}{2}s_0'$$

则该入瞳半径为 $r = \frac{3}{2}r_3$.

由几何关系,可知入瞳 D'D' 对光束限制作用最大,是真实的入瞳,该入瞳半径为 r_3 ,距离 L_1 左侧 4a。

因此孔径光阑为 DD。

对于 DD 形成的出瞳 D''D''

$$\frac{1}{d-l} + \frac{1}{s_1} = \frac{1}{a}$$
$$\Rightarrow s_0 = 2a = 2f_2$$

则该出瞳距离 L_2 右侧 2a,半径为 r_3

在孔径光阑左侧只有 L_1 限制光束, L_1 边缘即为入射窗,视场光阑。

 $\mathbf{2}$

令 $K_1 = \frac{1}{r_1} - \frac{1}{r_2}, K_2 = \frac{1}{r_2}$, 则 C 线和 F 线的光焦度分别为:

$$P_F = (n_{F1} - 1)K_1 + (n_{F2} - 1)K_2$$

$$P_C = (n_{C1} - 1)K_1 + (n_{C2} - 1)K_2$$

由于消除相差时成像在同一点,

$$P_F - P_C = (n_{F1} - n_{C1})K_1 + (n_{F2} - n_{C2})K_2 = 0$$

且焦距满足:

$$P_D = (n_{D1} - 1)K_1 + (n_{D2} - 1)K_2 = 1/100mm = 10D$$

求解上述方程,可解得:

$$K_1 = 44.9109, K_2 = -21.2736$$

$$\Rightarrow r_1=15.11mm, r_2=-47.01mm$$