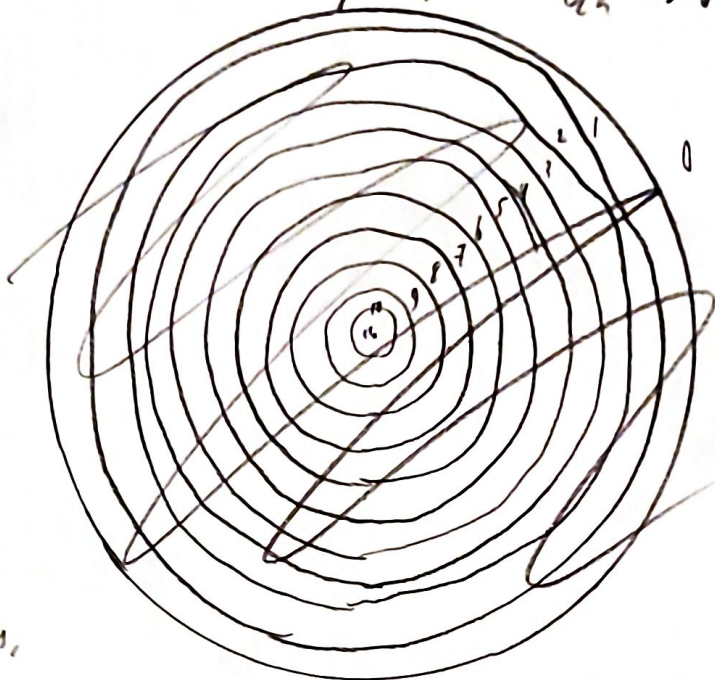


A potential way to visualize functions over ensembles of graphs.

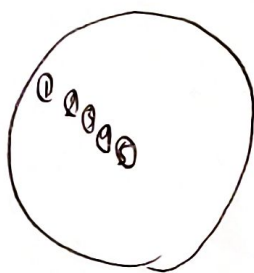
We know 2 things:

- 1) The space of graphs is compact under the cut metric, and
- 2) If W is a graphon and G_n is a sequence of graphs sampled from W in the naive way then $G_n \rightarrow W$ in the cut metric.

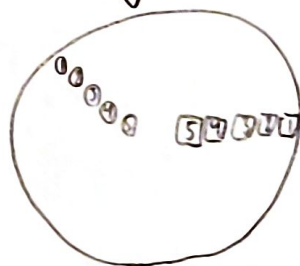
Try this:



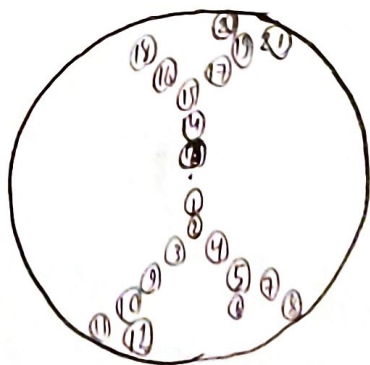
We have
a sequence of graphs
up to up to 5 nodes,
and the convergence
can be measured as
down as



A sample two sequences would
be like



Now, if we have some ^{random} graphs, we could arrange them in "best fit" sequences, some thing like



Or maybe this would
work better on a sphere.
I'll need to study the
cut metric more.