

Being Eve

Diffie Hellman:

$g = 17$ and $p = 61$. Alice sends Bob 46 and Bob sends Alice 5. To find the secret number k , we must obtain one of the secret numbers Alice and Bob has produced (a, b respectively). We know that $46 = 17^a \bmod 61$ where $a < 61$. Using the function `secretFinderDH()` from the attached python code (`being-eve.py`), we find that a is 14. To compute k , $B^a \bmod 61$, where B is the number Bob sent to Alice. $5^{14} \bmod 61 = 12$. 12 is the shared secret.

I would have failed to find Alice's secret a . My program is a brute program that guesses and checks the squares of 17 until $17^i \bmod 61 = 46$. This is an inefficient linear time algorithm that can take years to complete if the integers involved were bigger.

RSA:

$$e_B = 31$$

$$p_B > 31$$

$$q_B > 31$$

$$q_B * p_B = 4661 = n_B$$

To obtain p_B , q_B , and d_B :

q and p are bigger than 31 and multiply to 4661. The ones place digits multiply to 1. Since the prime numbers over 31 only have the ones place at 1, 3, 9, or 7, the options of multiplying are $1*1$, $3*7$, $9*9$. Plug and check to see if the two prime numbers you picked multiply to 4661.

Plugging and checking comes out to be 79 and 59.

$$\text{Since } e_B * d_B \bmod (p_B - 1)(q_B - 1) = 1,$$

$$31d_B \bmod 4524 = 1.$$

Using `secretFinderRSA()` from the python function attached(`being-eve.py`) we find that $d_B = 2335$.

We only obtained p_B and q_B using this method because n_B was small. If large prime numbers were used for p_B and q_B , even writing a program will take a very long time to find p and q . Especially in my case where I plugged in and guess and checked.

Now we can find the secret message.

Secret message:

For each number y in the list, compute $y^{d_B} \bmod n_B$. Computing this using the function `useKeyRSA()` from the attached python function, the secret message is

“Dear Bob, Check this out.

https://www.schneier.com/blog/archives/2017/12/e-mail_tracking_1.html Yikes! Your friend,
Alice”