

1. a.

$A=1 \Rightarrow 1\text{-grams}$

$u$  = cost function

ex:  $u(\text{"the"}) = 0.005$      $u(\text{"fortituous"}) = 0.9$

• more frequently found in english

$\Downarrow$   
lower score

• less freq. found in english

$\Downarrow$   
higher score

$u(\text{"me"}) = 0.008$      $u(\text{"s"}) = 1000$

$u(\text{"mes"}) = 1000$  { b/c not english word }

$u(\text{"themes"}) = 0.8$

$u$

$\text{greedy}(\text{"themes"}) = u(\text{"the"}) + u(\text{"me"}) + u(\text{"s"})$   
 $= 1000.013$

$\gg u(\text{"themes"}) = 0.8$

$\therefore$  greedy gives sub-optimal answer by optimizing for current word only, which makes other words very sub-optimal



HW3

1.1 b.1

goal state = all letters used

State = (cur word start ind,  
cur word end ind)

actions = {end word, add letter}



### HW3

2. a. "my fist dg"

1.) previous word is "my"  
current <sup>partial</sup> word is "fst"

↳ infer "fist" for "my fist"

2.) previous word is "fst"  
current partial word is "dg"

↳ infer "dug" for "fst dug"

"my fist dug" is the result, with  
"my fist" and "fst dug" as the  
bigrams.

However, "my fast dog" would have  
made more sense, since "my fast" is close  
to "my fist" and "fast dog" is way  
better than "fst dug"



# HW3

3. a.

actually  $\geq 20$  actions,  
where each is the  
word w/ its vowels filled  
in some way

actions = {cut current word and fill  
in its vowels ( $\geq 20$  actions),

add a letter to the current  
word}

State = {previous word,  
current word: start char index,  
end char. index}

initial state = {"BEGIN", 0, 0}

final state = {anything, strlen(input), strlen(input)}

costs = {0 for adding letters to current word  
(beginCost(prevWd, action) otherwise

action is some  
way to

Vowel-fy

for current word



3.16.1

(python syntax used below)

# Simpler Search Problem

- $W =$  current word

$w' = \text{previous word}$

- $u(w) = \min([b(w, w') \text{ for } w' \text{ in word-corpus}])$

- $\bar{U} = [u(w) \text{ for } w \text{ in word-corpus}]$

- $U$  can be pre-processed as long as  $\{ \text{all possible fills} \} \subseteq \{ \text{word corpus} \}$

•  $U(w) \leq b(w', w)$  for all  $w'$  in word-corpus  
because b/c  $U(w)$  was defined to be equal  
to the minimum  $b(w', w)$  value over all  
 $w'$  in word-corpus

• state = {start char ind of current word,  
end " " " " " " }  
= {s-ind, e-ind}

- actions (state = [s.ind, e.ind])

→ possibleFills(queryString[s\_ind : e\_ind])  
= combined array of { if (e\_ind != len(queryString)) :  
1 # + 1 as action means we're adding a char to the current word, not cutting it off



### 3C. (cont'd)

Simpler search

problem<sup>P'</sup> (cont'd)

- goal state =  $[s\_ind, e\_ind]$   
where  $e\_ind == \text{len}(\text{queryString})$

- $\text{succ}(s = [s\_ind, e\_ind], \text{type}(a) = \text{fillingAction} = \text{String})$   
 $\rightarrow = [e\_ind, p\_ind]$

$a == 1$  here

- $\text{succ}(s = [s\_ind, e\_ind], \text{type}(a) = \text{addingAction} = \text{Integer})$   
 $\rightarrow = [s\_ind, e\_ind + 1]$

- startState =  $[0, 0]$  OR whatever start state is given to  $P'$  by  $P$

- Basically, states, goal states, and successor states are same for simpler  $P'$  3C) as for  $I(a=b)$ .

Costs:  $\text{cost}(\text{adding a letter}) = 0 = \text{cost}(\text{adding a letter})$

$\text{cost}(\text{cutting word + filling as word } w) = u(w)$

$\uparrow$   $\text{cost}'$  used b/c this is a relaxation ( $P'$ ) of the original problem  $P$

$u(w) \leq b(w', w)$  for all  $w'$

$\therefore \text{cost}'(s, a) \leq \text{cost}(s, a)$  for all possible  $s$  +  $a$



3c. (cont'd)

The heuristic  $h_u(s_i)$  is just to solve the relaxed version of the problem in its current state  $s_i$ . That is, feed the current state,  $s_i$ , into the relaxed problem  $P'$  as its starting state, then solve the relaxed problem as defined on the previous pages and return the total cost of solving the relaxed problem as  $h_u(s_i)$ .

Thus, if the query string for the original problem  $P$  is "thrdg" and the current state is ["the", 2, 4] then  $h_u(["the", 2, 4])$  is the total cost of solving  $P'$  with start state [2, 4]

As stated,  $P$  is the problem as defined in 3a. and  $P'$  is the relaxed version of that problem, which has a condensed state space and uses  $u(s, a)$  instead of  $b(s, a)$