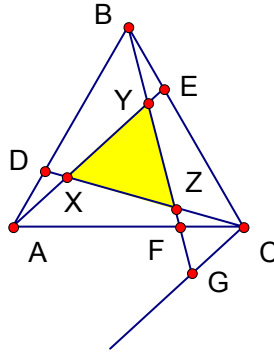


- E. $\text{Area}(\triangle ABE) = \frac{1}{4} \text{Area}(\triangle ABC)$. To find $\text{Area}(\triangle ABY)$, find ratio of bases AY to AE . Add parallel to AE from C , extend BF to G . $\triangle AYF \sim \triangle CGF$ gives $AY = 3CG$ $\triangle BYE \sim \triangle BGC$ gives $CG = 4YE$ so $AY = 12YE$ and $\text{Area}(\triangle ABY) = \left(\frac{12}{13}\right) \text{Area}(\triangle ABE) = \frac{3}{13} \text{Area}(\triangle ABC)$. Removing 3 of these leaves $\text{Area}(\triangle XYZ) = \left(\frac{4}{13}\right) \text{Area}(\triangle ABC) = \left(\frac{4}{13}\right) 169\sqrt{3}$.



- F. The k^{th} term in the expansion will be given by $\binom{10}{k} (4x^n)^{10-k} \left(\frac{x^{-3}}{2}\right)^k$
 $= C(x^{10n-nk-3k})$, where C is a numerical constant. x^0 insures that this is a constant term $\rightarrow k = 10n/(n+3) = 10 - 30/(n+3)$ Thus, $n+3$ must be a divisor of $30 = (2)(3)(5)$ The factors of 30 are: 1, 2, 3, 5, 6, 10, 15 and 30 so n may be 2, 3, 7, 12, and 27. The total is 51.