

Lab01:Problem

Suppose we have a group of proposed talks with preset start and end times. Design an algorithm to schedule as the largest possible combined attendance of the scheduled talks, under the assumptions that once a talk starts, it continues until it ends, no two talks can proceed at the same time, and a talk can begin at the same time another one ends. Assume that talk  $j$  begins at time  $s_j$  (where  $s$  stands for start) and ends at time  $e_j$  (where  $e$  stands for end).

Example: Consider seven talks with these start times, end times and number of attendances,

- Talk 1: start 8 a.m., end 10 a.m., attendance = 35
- Talk 2: start 9 a.m., end 11 a.m., attendance = 30
- Talk 3: start 10:30 a.m., end 12 noon, attendance = 25
- Talk 4: start 9:30 a.m., end 1 p.m., attendance = 20
- Talk 5: start 8:30 a.m., end 2 p.m., attendance = 15
- Talk 6: start 11 a.m., end 2 p.m., attendance = 10
- Talk 7: start 1 p.m., end 2 p.m., attendance = 5

Solution: selected talk = {1,3,7}, total attendance = 65

Input:

First  $n$  indicate number of talk ( $n=0$  indicates end of file), next  $n$  line contains talk number ( $<100$ ), start times (24H format), end time (24H format) and attendance number ( $\leq 1000$ ).

Output:

Print selected talk no. and total attendances

Sample input output:

| Input                                   | Output   |
|---|----------|
| 7<br>1 8.00 10.00 35<br>2 9.00 11.00 30 | 1 3 7 65 |

|                  |  |
|------------------|--|
| 3 10.30 12.00 25 |  |
| 4 9.30 13.00 20  |  |
| 5 8.30 14.00 15  |  |
| 6 11.00 14.00 10 |  |
| 7 13.00 14.00 5  |  |
| 0                |  |

**Problem 2**

Rahim is a student of department of CSE, RUET. He loves to play with numbers. One day he thought of a number  $x$  that is generated from the multiplication of only two prime numbers ( $a$  and  $b$ ,  $a < b$ ) and another number  $y$  that is generated from the addition of those two prime number. Now he finds another number  $z$  that is the largest term from the binomial expansion of  $(x + y)^n$  where  $n$  is the ceiled average of  $a$  and  $b$ .

Input:

Only a single integer  $m$ .

Output:

Print the prime numbers  $a$ ,  $b$  and final result  $z \pmod{1000}$ . Here  $a$  and  $b$  can be any prime number less than  $m$ . Print the result for all possible combination of  $a$ ,  $b$ .

| Sample Input | Sample Output  |
|--------------|--|
| 10           | 2 3 216<br>2 5 0<br>2 7 824<br>3 5 625<br>3 7 101<br>5 7 625 |

Explanation:

The prime numbers that are less than 10 are 2, 3, 5, 7

If  $a = 3$  and  $b = 5$ , then

$x = 3 \cdot 5 = 15$

$y = 3 + 5 = 8$

$n = (3 + 5) / 2 = 4$

Now, expand  $(x + y)^n$  to get the terms and find the largest term.

**N.B.:** Think before you code. Best of luck.