

Individual Project

Aikaterini Manousidou High Performance Programming Uppsala University VT 2021

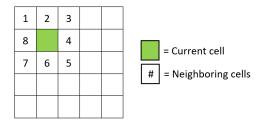
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1 Introduction

This report focuses on the implementation of the *Game of Life*. The *Game of Life* was created by John Horton Conway in 1970. This game does not require any players and it describes the evolution of a world of cells. The cells can either be live or dead and the evolution of the game depends on its initial state.[1]



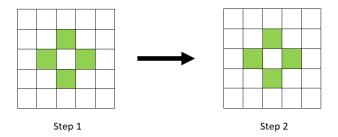
Figur 1: Schematic figure over a live cell and its neighboring cells.

Each cell has eight neighbors, as seen in figure 1. The evolution of the world could be divided into steps. The number of live neighbors along with the state of the cell, in other words if the cell is live or dead, determine the status the cell for the next step. For each step and each cell the following rules apply:

- If a live cell has fewer than 2 neighbors it dies by under-population.
- If a live cell has 2 or 3 neighbors it remains live.
- If a live cell has more than 3 neighbors it dies by over-population.
- If a dead cell has exactly 3 neighbors it becomes live by reproduction.[1]

These rules can then be simplified to the following set of rules:

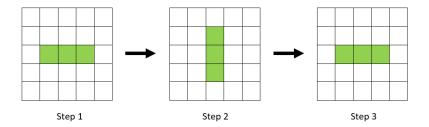
- Any live cell with 2 or 3 neighbors remains live.
- Any dead cell with 3 neighbors become live.
- All other live cells die and all other dead cells remain dead.[1]



Figur 2: Schematic figure over a stable group of live cells.

Each initial state can result in one of the following final states:

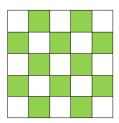
- Stable state: A group of cells has reached a stable pattern, see figure 2, where no matter how many steps are performed the specific group of live cells will not evolve further.
- Alternating state: A group of cells has reached an alternating pattern, see figure 3, where for each step the group of cells will alternate between two patterns.
- Zero state: All the cells are dead.



Figur 3: Schematic figure over an alternating group of live cells.

2 Problem Description

The purpose of this project is to implement a program which plays the Game of Life. The program should creates a world of cells and calculate the evolution of the world with each step by following the rules of the Game of Life. The game should continue until the world stabilizes either by reaching a stable, alternating or zero state. The program should take three integers as inputs, the size of the square world, N, the type of initial state and the type of output the user would like to have. Here are the various options for the initial state and the output:



Figur 4: Schematic figure over the chessboard pattern.

- Initial state = 0: Random pattern.
- Initial state = 1: Chessboard pattern, see figure 4.
- \bullet **Output** = **0**: Prints only the number of steps needed for the world to stabilize.
- Output = 1: Prints the initial and the final states and the number of steps needed for the world to stabilize.
- Output = 2: Prints the states of all steps, including the initial and the final steps, and the number of steps needed for the world to stabilize.

3 Solution Method

3.1 The Un-optimized code

3.1.1 The sub-functions

In order for the code to work some necessary sub-functions were introduced and are listed bellow:

- print_world: This function prints the world by looping over all the rows and then all the columns. The function takes two inputs, the size of the world and a pointer to the world's location.
- count_neighbors: This function counts the amount of live neighboring cells for each cell in the world. It goes through the corners, the sides and then the interior of the world by looping through the rows and the columns. This function takes three inputs, the size of the world, a pointer to the world's location and a pointer to the location of the matrix of the neighbors.
- next_step: This function predicts the next state of the world by checking the fulfilment of the rules of the *Game of Life* as mentioned in section 1. It loops through the rows and the columns of the world controls each cell. It takes four inputs, the size of the world and pointers to the matrices of the world, the neighbors and the world's next step.
- update: This function updates the world by looping through the rows and the columns and setting each element of the current state equal to the element of the next state. It takes three inputs, the size of the world and pointers to the matrices of the world's current and next states.
- compare: This function compares the current state with the next state, the current state with zero and the previous state with the state after the next state. This way, it can be determined if the world has reached one of the three types of stability mentioned in section 1.
 - 1. If the current state is exactly the same with the next state, the world has reached a pattern of live cells that cannot evolve any further.
 - 2. If the current state is filled with zeros, then the world is empty and therefore cannot evolve any further.
 - If the previous state is exactly the same as the state after the next state (two states forward), the world has reached a pattern that alternates between two phases and therefore will not evolve into a new state.

The function then counts through all the elements that are the same for each of the three cases. If the counter for one of the cases is equal to the amount of elements then the status of the world turns to zero.

3.1.2 Summary of the Un-optimized code

The un-optimized code can be seen in section 5.1. The algorithm starts by controlling that enough input arguments are given when running the program. These are the size of the world, the initial state pattern and the type of output. The program moves on to allocating enough memory for each of all the necessary matrices for the program to work. Then, the initial state pattern is set into the matrix. The matrix that describes the previous state of the world is then updated.

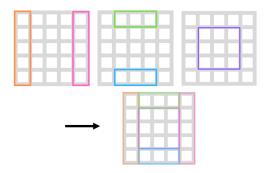
Thereafter, the main while-loop is initiated where with the help of the count_neighbors and next_step functions two steps of the world are predicted. The matrices for the previous, the current and the two new steps are all compared with the help of the compare function and the status is updated. The world is then updated with one step with the help of the update function. After that, the matrices describing the amount of neighbors for each cell in both steps are set to zero. Following, the main function prints the current state of the world, if it is required, and the previous state of the world is also updated. The while-loop continues as long as the status is set to one.

When the while-loop is broken the total amount of steps needed to stabilize the world is printed. The final state of the world is also printed if it is required. At last, all the memory is freed and the program ends.

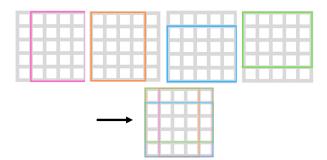
3.2 The Optimized code

3.2.1 The sub-functions

Most of the sub-functions remained the same. However, the count_neighbors function was simplified significantly. The function still looped over all the rows and columns, but the if-statements were generalised, see figures 5 and 6. For example, instead of checking if the index were equal to the minimum or the maximum of the interval the condition was altered to check if the index was smaller than the maximum or larger than the minimum. That way, a larger portion of the matrix was covered with less if statements



Figur 5: Schematic figure over the indexing in the count_neighbors function before optimization.



Figur 6: Schematic figure over the indexing in the count_neighbors function after optimization.

3.2.2 Summary of the Optimized code

The optimized code, as seen in section 5.2, has the same structure as the un-optimized code, however some thing could be improved. One of the improvements was that instead of allocating memory for each individual matrix, memory was allocated to a buffer. Pointers were then used to point to the different parts of the buffer which described the different matrices. Another improvement was that all integer parameters which did not vary during the course of the program were changed from int to const int. Also loop-unrolling was introduced when resetting the matrices for the neighbors to zero.

A major improvement was that since the world's next two states were calculated in each loop, then the current world could be updated with two steps at a time. This meant that the execution time for the while-loop was expected to be half as long as before.

3.3 The Parallel Code

The parallel code can be seen in section 5.3. The code is divided into three functions, the main function, the thread function and a print function. All operations on the world are performed in parallel, thus the main function has been simplified significantly.

The code starts once again by checking the input arguments. It is worth mentioning that the option to see all steps of the algorithm had to be discarded because it over-complicated the algorithm. A number of variables had to become global variables in order to be reachable by all the threads, these include the size of the world, the number of threads and the pointers to all the different matrices. Two additional global variables are introduced, an integer for the amount of threads that were and a barrier variable, the function of whom will be explained later. The necessary information for each thread is passed with the help of a structure called t_info. The content of the structures will be discussed in the next section.

The program moves on to allocating enough memory for the necessary matrices and setting the initial state pattern. The threads, the structures and the barrier are then initialized. Thereafter, the structures are filled with the necessary information. The threads are created in a for-loop and in a separate for-loop the threads are joined. The number of steps needed for the world to stabilize is printed and the allocated memory is freed.

3.3.1 The thread function

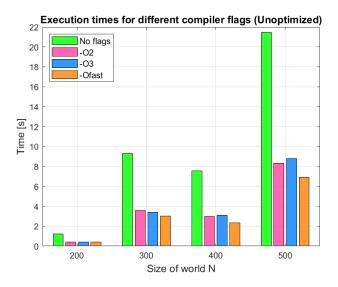
To be able to parallelize the optimized code a thread function had to be introduced. In the thread function, each thread performs the same type of work as in the serial code, that meant to count the neighbors, calculate one step forward, count the neighbors again, calculate two steps forward, compare the matrices, update the world and so on. However, in this case each thread is responsible for a specific amount of rows. In other words, the world's rows are divided among the threads and each thread performs operations only on those specific rows.

The information of which rows each thread is responsible for is passed through a structure called t_info, this means the lower end and the higher end of the interval. The structure also includes information about the thread's index and the amount of for-loops or steps each thread performed. In the serial code, the compare function counted the amount of cell that were the same in each of the cases and broke the while-loop once all that number reached the total number of elements of the world. In order for that to be performed in parallel, each thread counts the equal number of elements in the rows it is responsible for. When that number reaches the total amount of element of these rows the thread is added into the threads that are done. Thereafter, when the number of done threads is equal to the total number of threads the for-loop is broken and the program terminates as per usual.

For the algorithm to function correctly, the threads had to be synchronised. Thus three barriers had to be introduced. The barriers are placed before each thread starts counting neighbors and before the if-statement that checks if all threads are done or not. This means that the threads would not be able to continue past the barrier unless all the threads had reached the barrier, thus the threads are synchronized.

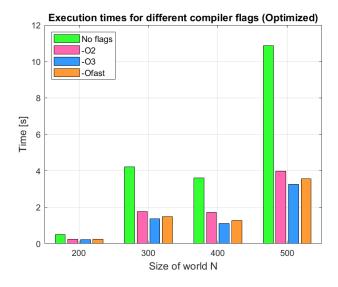
4 Experiments

In order to be able to compare the results of the different implementations a chessboard pattern was introduced, as previously mentioned. Thus, the number of steps for the world to stabilize were consistent for a specific size. This allowed for the execution time to be measured for each run. Each of the codes mentioned are tested with the compiler flags -02, -03, -0fast but also with no compiler flags. These tests were performed on a Intel(R) Core(TM) i5-8265U processor, which has four cores. The Matlab code which generates the figures listed bellow can be found in section 5.4.



Figur 7: Bar plot over the execution time of the un-optimized code with the different compiler flags for different sizes.

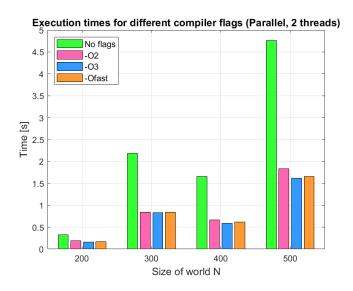
In figure 7, the execution times for different compiler flags and world sizes for the unoptimized code can be seen. From that figure, it is obvious that the unoptimized code is reduced by half when using a compiler flag, however the code performs best when using the -Ofast flag.



Figur 8: Bar plot over the execution time of the optimized code with the different compiler flags for different sizes.

When testing the optimized code, figure 8 was produced. From that figure it can be concluded that the execution time was once again reduced by almost a half when using a compiler flag. However,

the best performance was reached when using the -02 flag this time. By comparing figures 7 and 8, it is apparent that even when no compiler flag is used, the optimized code performs double as fast as the unoptimized one. This can only be explained by the world being updated with two steps in each loop and the count_neighbors function being simplified, resulting in the execution time being cut in half.



Figur 9: Bar plot over the execution time of the parallel code with two threads with the different compiler flags for different sizes.

In order to determine which compiler flag suited the parallel code the best, the code was run with two threads for different sizes and compiler flags. The results can be seen in figure 9. Once again, the compiler flags were able to optimize the parallel code and resulted in half as long execution times. Similarly to the serially optimized code, the compiler flag that resulted in the shortest execution times was -02. Nonetheless, the difference in execution times between the compiler flags was not as critical. By comparing figures 8 and 9, it is determined that the execution time is reduced by half when running the parallel code. This was expected since the workload was divided into two threads performing operations in parallel, thus working double as fast.



Figur 10: Bar plot over the execution time of the parallel code with different amounts of threads with the -03 compiler flag and world size N = 1000.

Finally, a study comparing all three produced algorithms was performed. The case chosen for this study was for a size of N=1000 and with the -03 compiler flag. The parallel code was tested with two, four and eight threads in order to determine the amount of threads which results into the highest performance. The results of this study can be found in figure 10. The CPU usage reached 189% for two threads, 322% for four threads and 586% for eight threads. However, by analyzing the figure it is obvious that the execution time for eight threads is not significantly when compared to the execution time for four threads. This concludes that for the specific processor using four threads results in the best performance possible without unnecessarily over-working the processor. This was expected since the specific processor has four cores in total. A total 85% reduction of the execution time was achieved through optimizing and parallelizing the original algorithm.

5 Conclusions

In this report three algorithms implementing the Conway's *Game of Life* were developed, an unoptimized one, an optimized one and a parallel one. The three algorithms were tested with different problem sizes and compiler flags.

The main difference between the un-optimized and the optimized algorithms was that the amount of total time loops was reduced by updating the world with two steps at a time and by simplifying the if-statements needed to count the neighboring live cells for each element. The main difference between the optimized and the parallel algorithms was that the total workload was divided into a number of threads which performed operations independently. However, the parallel code needed to be synchronized in order for the results to be accurate. This meant introducing the use of barriers in several positions in the code.

The algorithms were tested and compared by introducing a chessboard pattern as an initial state, however the algorithms can also be run with a randomized initial pattern. Overall, it was determined that the compiler flags were able to further optimize the algorithms and in each case reduce the execution times by approximately a half compared to not using compiler flags. The best performance for a world size of 1000 was achieved when running the parallel code with four threads and using the -03 compiler flag. This was expected because the algorithm was run on a quad-core processor. With these specifications, the parallel code accomplished an 85% reduction of the execution time in comparison to the unoptimized code. It is worth mentioning that the parallel code was not optimized further due to lack of time. Thus, it is unclear if this is the most optimal algorithm for this specific problem.

5.1 Un-optimized code

```
1 #include <stdio.h>
2 #include <stdlib.h>
3 #include <string.h>
4 #include <time.h>
6 void print_world(int N, int **world);
void count neighbors(int N, int **world, int **neighbors);
8 void next_step(int N, int **world, int **one_step, int **neighbors);
   void update(int N, int **world, int **one_step);
   int compare(int N, int **world, int **one_step, int **two_steps, int **old, int
10
       status);
11
  int main(int argc, const char *argv[])
13
14
        if (argc != 4)
15
16
             \begin{array}{lll} \textbf{printf("Give the following input arguments:} \\ \textbf{n");} \\ \textbf{printf("N: Size of the NxN world (integer)} \\ \textbf{n");} \end{array} 
17
18
            printf("Initial state: random (0), chessboard (1)\n");
19
            printf("Output: Number of steps until final state (0) \n");
printf(" Number of steps until final state, initial and final states
20
            printf("
21
         (1) \setminus n");
            printf("
22
                               Number of steps until final state and all states states (2)
         \n");
            exit(0);
23
       }
24
25
       int N = atoi(argv[1]);
26
27
       int pattern = atoi(argv[2]);
       int output = atoi(argv[3]);
28
29
       // Create necessary matrices
30
       int **world = (int **) malloc(N * sizeof(int *));
31
       int **neighbors = (int **) malloc(N * sizeof(int *));
32
       int **neighbors_2 = (int **)malloc(N * sizeof(int *));
33
       int **one_step = (int **) malloc(N * sizeof(int *));
34
       int **old = (int **) malloc(N * sizeof(int *));
35
36
       int **two_steps = (int **) malloc(N * sizeof(int *));
       for (int i = 0; i < N; i++)
37
38
            world[i] = (int *) malloc(N * sizeof(int));
39
            neighbors[i] = (int *) malloc(N * sizeof(int));
40
            neighbors 2[i] = (int *) malloc(N * sizeof(int));
41
            one_step[i] = (int *) malloc(N * sizeof(int));
old[i] = (int *) malloc(N * sizeof(int));
42
43
44
            two_steps[i] = (int *) malloc(N * sizeof(int));
45
46
47
        // Setting a random initial pattern
       if(pattern = 0)
48
            srand(time(0));
49
            for (int i = 0; i < N; i++)
50
51
                 for (int j = 0; j < N; j++)
52
53
54
                      int r = rand() \% 10;
                      if (r > 5)
                          world[i][j] = 1;
56
                      else
57
                           world[i][j] = 0;
58
59
                 }
60
61
       // Setting a chessboard initial state
62
       else if (pattern == 1){
63
            for (int i = 0; i < N; i++)
64
```

```
for (int j = 0; j < N; j++)
66
                 {
67
                      if(i\%2 = 0){
                          if (j%2 = 0)
69
                               world[i][j] = 0;
70
71
                               world[i][j] = 1;
72
73
74
                      else {
                           if(j\%2 = 0)
75
76
                               world[i][j] = 1;
                           else
77
                               world[i][j] = 0;
78
79
                      }
                 }
80
            }
81
        }
82
83
        if (output==1 || output==2){
84
            printf("Initial state:\n");
85
            print_world(N, world);
86
87
88
89
        int status = 1;
        int t = 1;
90
        update(N, old, world);
91
92
        while (status == 1)
93
94
95
             // Predict one step forward
            count_neighbors(N, world, neighbors);
next_step(N, world, one_step, neighbors);
96
97
98
             // Predict two steps forward
99
             count_neighbors(N, one_step, neighbors_2);
100
            next_step(N, one_step, two_steps, neighbors_2);
102
             // Compare all predicted steps
103
            status = compare(N, world, one_step, two_steps, old, status);
104
105
106
             // Update world with one step
            update(N, world, one_step);
108
109
             for (int i = 0; i < N; i++)
110
111
             {
                 for (int j = 0; j < N; j++)
112
113
                      neighbors[i][j] = 0;
114
                      neighbors_2[i][j] = 0;
116
            }
117
118
             if ((output == 2) && (status == 1)){
119
                 printf("Step %d:\n", t);
120
                 print_world(N, world);
121
122
123
             // Save previous step
124
            update(N, old, world);
125
            t +=1;
126
127
128
        printf("It took %d steps to reach the final state \n", t-2);
129
        if (output==1 || output ==2){
130
            printf("Final state:\n");
print_world(N, world);
131
133
134
        for (int i = 0; i < N; i++)
```

```
136
              free (world [i]);
137
              free (neighbors [i]);
138
              free (neighbors 2[i]);
139
              free (one_step[i]);
free (two_steps[i]);
140
141
              free (old [i]);
142
143
144
         free (world);
         free (neighbors);
145
146
         free (neighbors 2);
         free (one_step);
free (two_steps);
147
148
         free (old);
149
150 }
151
152
    void print_world(int N, int **world)
153
154
         for (int i = 0; i < N; i++)
         {
              156
157
              printf("\n");
158
159
         printf("\n");
160
161 }
162
    void count neighbors (int N, int **world, int **neighbors)
163
164
         int i; //rows
165
         \begin{array}{lll} & \text{int} & j \; ; \; \; // \, col \\ & \text{for} & ( \; i \; = \; 0 \; ; \; \; i \; <= \; N{-}1 ; \; \; i{+}{+}) \{ \end{array}
167
              for (j = 0; j \le N-1; j++){
168
                   if(i = 0){
169
                        // Point (0,0)
170
                        if(j = 0)
171
                             if (world[i][j+1] == 1)
172
173
                                  neighbors[i][j] +=1;
                             if(world[i+1][j+1] == 1)
174
                                  neighbors[i][j] +=1;
175
176
                             if (world [i+1][j]
                                                     = 1)
                                  \begin{array}{ll} \texttt{neighbors[i][j]} & +{=}1; \end{array}
178
                        // Point (0,N-1)
179
                        else if (j = N-1){
180
                             if (world[i][j-1] == 1)
181
                                  neighbors[i][j] +=1;
182
                             if(world[i+1][j-1] == 1)
183
                                  neighbors[i][j] +=1;
184
                             if (world [i+1][j] == 1)
185
                                  neighbors[i][j] +=1;
186
187
                        // Points between (0,0)-(0,N-1)
188
                        else if ((j > 0) \&\& (j < N-1)){}
189
                             if (world[i][j-1] = 1)
190
                                  neighbors[i][j] +=1;
191
                             if(world[i+1][j-1] == 1)
192
                                  neighbors[i][j] +=1;
193
                             194
195
                             if(world[i+1][j+1] == 1)
196
                             neighbors[i][j] +=1;
if (world[i][j+1] == 1)
197
198
                                  neighbors [i][j] +=1;
199
                        }
200
                   }
if(i == N-1){
201
202
                        // Point (N-1,0)
203
                        if(j = 0){
204
                             if (world[i-1][j] = 1)
```

```
neighbors[i][j] +=1;
206
                                     if (world[i-1][j+1] == 1)
207
                                           neighbors[i][j] +=1;
                                     if (world [i][j+1] == 1)
209
                                           neighbors [i][j] +=1;
211
                               // Point (N-1,N-1)
212
                               else if (j = N-1){
213
214
                                     if (\text{world} [i-1][j-1] == 1)
                                           neighbors[i][j] +=1;
215
                                     if(world[i-1][j] == 1)
216
                                     neighbors \begin{bmatrix} i \end{bmatrix} \begin{bmatrix} j \end{bmatrix} +=1;
if (\text{world} \begin{bmatrix} i \end{bmatrix} \begin{bmatrix} j-1 \end{bmatrix} ==1)
217
218
                                           neighbors[i][j] +=1;
219
220
                               // Points between (N-1,0)-(N-1,N-1)
221
                              else if ((j > 0) & (j < N-1)) {
    if (world[i][j-1] == 1)
222
                                           neighbors[i][j] +=1;
224
                                     if(world[i-1][j-1] == 1)
225
                                           neighbors [i][j] +=1;
226
227
                                     if(world[i-1][j] == 1)
                                           neighbors [i][j] +=1;
228
                                     if(world[i-1][j+1] == 1)
229
                                     neighbors[i][j] +=1;
if (world[i][j+1] == 1)
230
231
                                           neighbors[i][j] +=1;
232
                              }
233
234
                            Left side
235
                        if(j = 0){
if((i != 0) && (i!=N-1)){
236
237
                                     if (\text{world}[i-1][j] = 1)
238
                                           \texttt{neighbors[i][j]} \ +=1;
239
240
                                     if(world[i-1][j+1] == 1)
                                     neighbors[i][j] +=1;
if (world[i][j+1] == 1)
241
242
                                           neighbors[i][j] +=1;
243
                                     if(world[i+1][j+1] = 1)
244
                                           neighbors [i][j] +=1;
245
246
                                     if (world [i+1][j] == 1)
                                           neighbors [\ i\ ]\ [\ j\ ] \ +=1;
247
248
                              }
249
                        // Right side
250
                        if (j == N-1){
251
                              \begin{array}{c} \text{if} \; ((\;i\;>\;0)\; \&\&\; (\;i\;<\;N\!-\!1)) \, \{\\ \text{if} \; (\;world\,[\;i\;-\;1][\;j\;]\; ==\; 1) \end{array}
252
253
                                           neighbors[i][j] +=1;
254
                                     if(world[i-1][j-1] == 1)
neighbors[i][j] +=1;
255
256
                                     if(world[i][j-1] == 1)
257
                                           neighbors[i][j] +=1;
258
                                     if(world[i+1][j-1] == 1)
259
                                           neighbors[i][j] +=1;
260
                                     if (world [i+1][j] == 1)
261
                                           neighbors [i][j] +=1;
262
                              }
263
264
                        // Interior points
265
                        if((i > 0) \& (i < N-1) \& (j > 0) \& (j < N-1)){
266
267
                              if (\text{world}[i-1][j-1] == 1)
                              \begin{array}{c} \text{neighbors} \left[ i \right] \left[ j \right] \ +=1; \\ \text{if} \left( \text{world} \left[ i-1 \right] \left[ j \right] \ == 1 \right) \\ \text{neighbors} \left[ i \right] \left[ j \right] \ +=1; \end{array}
268
269
270
                               \begin{array}{l} \textbf{if} \, (\, world \, [\, i-1] \, [\, j+1] \, = \, 1) \end{array}
271
                                     neighbors[i][j] +=1;
272
273
                               if (world [i][j+1] == 1)
                                     neighbors[i][j] +=1;
274
                               if(world[i+1][j+1] == 1)
```

```
neighbors [i][j] +=1;
276
                       if (world [i+1][j] == 1)
277
278
                            neighbors[i][j] +=1;
                       if(world[i+1][j-1] == 1)
279
                            neighbors[i][j] +=1;
280
                       if(world[i][j-1] == 1)
281
                            neighbors [i][j] +=1;
282
                  }
283
             }
284
285
286
287
   void next step(int N, int **world, int **one step, int **neighbors)
288
289
   {
        \begin{array}{lll} \mbox{int} & i \;, \; j \;; \\ \mbox{for} & (i \; = \; 0 \;; \; i \; < \; N; \; i + +) \{ \end{array}
290
291
292
             for (j = 0; j < N; j++){
                  if (world[i][j] == 1)
293
294
                       if (neighbors[i][j] == 2 || neighbors[i][j] == 3)
295
                            one\_step[i][j] = 1;
296
297
                       else
                           one_step[i][j] = 0;
298
299
                  else if (world[i][j] == 0)
300
301
                       if (neighbors[i][j] == 3)
302
                           one_step[i][j] = 1;
303
                       else
304
                            one step[i][j] = 0;
305
                  }
306
307
             }
308
309
   }
310
   void update(int N, int **world, int **one step)
311
312
        for (int i = 0; i < N; i++)
313
314
             for (int j = 0; j < N; j++)
315
316
                  world[i][j] = one_step[i][j];
317
318 }
319
   int compare(int N, int **world, int **one_step, int **two_steps, int **old, int
320
        status)
321
        int counter1=0, counter2=0, counter3=0;
322
        for (int i = 0; i < N; i++)
323
324
             for (int j = 0; j < N; j++)
325
             {
326
                  if (world[i][j] == one_step[i][j])
327
                       counter1++;
328
                  if (world[i][j] == 0)
329
330
                       counter 2++;
                  if (old[i][j] == two_steps[i][j])
331
                       counter3++;
332
             }
333
334
        if (counter1 == (N*N))
335
336
             status = 0;
        else if (counter2 == (N*N))
337
338
             status = 0;
         else if(counter3 == (N*N))
339
             status = 0;
340
341
        return status;
342 }
```

5.2 Optimized code

```
1 #include <stdio.h>
2 #include <stdlib.h>
#include <string.h>
4 #include <time.h>
6 void print_world(int N, int **world);
void count neighbors(int N, int **world, int **neighbors);
8 void next_step(int N, int **world, int **one_step, int **neighbors);
  void update(int N, int **world, int **one_step);
int compare(int N, int **world, int **one_step, int **two_steps, int **old, int
      status);
11
      Optimization techniques:
12
      In main function:
13
       Buffer for all memory allocation
14
      Changed int to const int (where possible)
16
      Loop unrolling when resetting the neighbor matrices
       Update the world with two steps in one iteration
17
18
       Simplified count neighbors function
19
20
21
  int main(int argc, const char *argv[])
22
23
       if (argc != 4)
24
25
           printf("Give the following input arguments: \n");
26
27
           printf("N: Size of the NxN world (integer)\n");
           printf("Initial state: random (0), chessboard (1)\n");
28
           printf("Output: Number of steps until final state (0) \n");
29
                            Number of steps until final state, initial and final states
           printf (
30
        (1) \ \ n");
          printf("
                            Number of steps until final state and all states states (2)
        \n");
           exit(0);
32
33
34
      const int N = atoi(argv[1]);
35
36
      const int pattern = atoi(argv[2]);
      const int output = atoi(argv[3]);
37
38
       // Create necessary matrices
39
40
      const int n = N+1;
       int **buffer = (int **) malloc(6 * n * sizeof(int *));
41
       for (int i = 0; i < (6*n); i++)
42
43
       {
44
           buffer[i] = (int *) malloc(n*sizeof(int));
      }
45
46
       int **world = &buffer[0];
47
      int **neighbors = &buffer[n];
48
       int **neighbors 2 = \&buffer[2*n];
49
       int **one_step = &buffer[3*n];
50
       int **two_steps = &buffer[4*n];
51
       int **old = \&buffer [5*n];
52
53
54
     Setting a random initial pattern
       if(pattern = 0)
           srand(time(0));
56
           for (int i = 0; i < N; i++)
57
58
59
               for (int j = 0; j < N; j++)
60
               {
                   int r = rand() \% 10;
61
                   if (r > 5)
62
63
                       world[i][j] = 1;
                   else
64
                        world[i][j] = 0;
```

```
66
67
68
        // Setting a chessboard initial state
69
        else if (pattern == 1) {
70
71
            for (int i = 0; i < N; i++)
72
                 for (int j = 0; j < N; j++)
73
74
                 {
                      if (i%2 == 0){
75
                          if(j\%2 = 0)
76
                              world[i][j] = 0;
77
                          else
78
                              world[i][j] = 1;
79
80
                     else {
81
                          if(j\%2 = 0)
82
                              world[i][j] = 1;
83
84
                          else
                              world[i][j] = 0;
85
                     }
86
87
                 }
            }
88
89
       }
90
        if (output==1 || output==2){
91
            printf("Initial state:\n");
92
            print_world(N, world);
93
94
95
        int status = 1;
96
        int t = 1;
97
        update(N, old, world);
98
99
100
        while (status == 1)
        {
            // Predict one step forward
102
            count_neighbors(N, world, neighbors);
103
            {\tt next\_step}\, (N, \ world \, , \ one\_step \, , \ neighbors ) \, ;
105
106
            // Predict two steps forward
            count\_neighbors(N, one\_step, neighbors\_2);
108
            next_step(N, one_step, two_steps, neighbors_2);
109
            // Compare all predicted steps
110
            status = compare(N, world, one\_step, two\_steps, old, status);
111
            // Update world with two steps
113
            update(N, world, two_steps);
114
            for (int i = 0; i < N; i++)
116
117
            {
                 118
119
                 {
                     neighbors[i][j] = 0;
120
                     neighbors [i][j+1] = 0;
neighbors 2[i][j] = 0;
121
122
                     neighbors_2[i][j+1] = 0;
123
124
            }
125
126
            if((output = 2) \&\& (status = 1)){
                 printf("Step \%d: \ \ n", \ t);
128
                 print_world(N, one_step);
129
                 printf("Step %d:\n", t+1);
130
                 print_world(N, two_steps);
131
133
            // Save previous step
134
            update(N, old, world);
```

```
t+=2;
136
       }
137
138
        printf("It took %d steps to reach the final state\n", (t-3));
139
        if(output==1 \mid \mid output ===2){
140
            printf("Final state:\n");
141
            print_world(N, world);
142
143
       }
144
        for (int i = 0; i < (6*n); i++)
145
146
       {
            free (buffer [i]);
147
148
        free (buffer);
149
150 }
151
152
   void print_world(int N, int **world)
153
        for (int i = 0; i < N; i++)
154
        {
            for (int j = 0; j < N; j++)
156
157
            {
                printf("%d ", world[i][j]);
158
159
            printf("\n");
160
161
        printf("\n");
162
163
164
   void count neighbors (int N, int **world, int **neighbors)
165
166
167
        int i; //rows
        int j; //col
168
        for (i = 0; i \le N-1; i++){
169
            for (j = 0; j \le N-1; j++){
170
                if (i > 0){
171
                     if (j > 0){
172
                         if (world[i-1][j-1] == 1)
173
                              neighbors [i][j] +=1;
174
175
                     if (j < N-1){
176
                         if (world[i-1][j+1] == 1)
178
                              neighbors [i][j] +=1;
179
                     if (world [i-1][j] = 1)
180
                              neighbors [i][j] +=1;
181
                if (i < N-1){
182
183
                     if (j > 0){
184
                         if (world[i+1][j-1] == 1)
185
                              neighbors[i][j] +=1;
186
187
                     188
189
                              neighbors [i][j] +=1;
190
191
                     if (world[i+1][j] == 1)
192
                              neighbors[i][j] +=1;
193
194
                 if (j > 0)
195
                     if (world[i][j-1] == 1)
196
197
                              neighbors [i][j] +=1;
198
                 if(j < N-1){
199
                     if (world[i][j+1] == 1)
200
                              neighbors[i][j] +=1;
201
                }
202
203
            }
       }
204
205 }
```

```
void next_step(int N, int **world, int **one_step, int **neighbors)
207
208
         \begin{array}{lll} & \mbox{int} & i \;, \; j \;; \\ & \mbox{for} & (\; i \; = \; 0 \;; \; \; i \; < \; N; \; \; i+\!\!\!\!\! +) \{ \end{array}
209
               for (j = 0; j < N; j++){
211
                    if (world[i][j] == 1)
212
213
214
                          if (neighbors[i][j] = 2 \mid | neighbors[i][j] = 3)
                               one_step[i][j] = 1;
215
                         else
216
                               one\_step[i][j] = 0;
217
218
                    else if (\text{world}[i][j] == 0)
219
220
                         if (neighbors[i][j] == 3)
221
222
                              one\_step[i][j] = 1;
223
224
                               one_step[i][j] = 0;
                    }
225
              }
226
227
   }
228
229
    void update(int N, int **world, int **one_step)
230
231
         for (int i = 0; i < N; i++)
232
233
               for (int j = 0; j < N; j++)
234
235
               {
                    world[i][j] = one\_step[i][j];
236
237
238
         }
239
240
241
    int compare(int N, int **world, int **one step, int **two steps, int **old, int
242
243
         \begin{array}{lll} \textbf{int} & \texttt{counter1} \!=\! 0, & \texttt{counter2} \!=\! 0, & \texttt{counter3} \!=\! 0; \\ \end{array}
244
245
         for (int i = 0; i < N; i++)
         {
246
247
               for (int j = 0; j < N; j++)
               {
248
                    if (world[i][j] == one_step[i][j])
249
                         counter1++;
                    if (world[i][j] == 0)
251
252
                         counter 2++;
                    if(old[i][j] = two\_steps[i][j])
253
                         counter3++;
254
255
256
         if (counter1 == (N*N))
257
258
              status = 0;
         else if (counter2 == (N*N))
259
260
               status = 0;
261
         else if (counter3 == (N*N))
              status = 0;
262
263
         return status;
264 }
```

5.3 Parallel code

```
1 #include <stdio.h>
2 #include <stdlib.h>
з #include <string.h>
4 #include <time.h>
5 #include <pthread.h>
7 /* Parallel code with PTHREADS */
  //Global variables
                                  // Size of the world
10 int N;
                                  // Number of threads
int nthreads;
                                  // pointer to the world
// pointer to the neighbors matrix
                                     pointer to the world
int **world;
int **neighbors;
                                  // pointer to the neighbors matrix
int **neighbors_2;
15 int **old;
                                     pointer to the old matrix
                                     pointer to the old matrix
int **one_step;
int **two_steps;
                                  // pointer to the old matrix
18 int done;
                                     nr of threads that are done
                                  // pthread barrier
pthread_barrier_t barrier;
20
21 typedef struct info_thread
22
23
       int threadID;
                              // threadID
24
       int low;
                              // lower limit of interval
       int high;
                              // higher limit of interval
25
       int status;
                              // status for when the for loop should stop
26
27
       int timesteps;
                              // maximum amount of time-steps
28
       int steps;
                              // nr of performed time-steps
29 } t _ info;
30
   void * thread_func(void *arg);
31
  void print_world(int **world);
32
   int main(int argc, const char *argv[])
34
35
        if (argc != 5)
36
37
       {
            printf("Give the following input arguments: \n");
38
39
            printf("N: Size of the NxN world (integer)\n");
             \begin{array}{l} \textbf{printf("Initial state: random (0), chessboard (1) \n");} \\ \textbf{printf("Output: Number of steps until final state (0) \n");} \\ \end{array} 
40
41
            printf("
                             Number of steps until final state, initial and final states
42
        (1) \ \ n");
            printf("Threads: Number of threads (integer)\n");
43
            exit(0);
44
45
       }
46
       N = atoi(argv[1]);
47
       const int pattern = atoi(argv[2]);
48
       const int output = atoi(argv[3]);
49
       nthreads = atoi(argv[4]);
50
51
       // Create necessary matrices
       const int n = N+1;
53
       int **buffer = (int **) malloc(6 * n * sizeof(int *));
54
       for (int i = 0; i < (6*n); i++)
56
       {
            buffer[i] = (int *) malloc(n*sizeof(int));
57
       }
58
59
       world = \&buffer[0];
60
61
       neighbors = &buffer[n];
       neighbors_2 = \&buffer[2*n];
62
       one_step = &buffer[3*n];
63
64
       two\_steps = \&buffer[4*n];
65
       old = &buffer [5*n];
66
      // Setting a random initial pattern
```

```
if(pattern = 0){
68
            srand(time(0));
69
70
            for (int i = 0; i < N; i++)
71
                 for (int j = 0; j < N; j++)
72
73
                 {
                     int r = rand() \% 10;
74
75
                     if (r > 5)
76
                          world[i][j] = 1;
77
                     else
78
                          world[i][j] = 0;
                 }
79
            }
80
81
        // Setting a chessboard initial state
82
        else if (pattern == 1) {
83
84
            for (int i = 0; i < N; i++)
85
86
                 for (int j = 0; j < N; j++)
87
                 {
                     if(i\%2 == 0){
88
89
                          if (j\%2 =
                                    0)
                              world[i][j] = 0;
90
                          else
91
                              world[i][j] = 1;
92
93
94
                          if (j\%2 = 0)
95
                              world[i][j] = 1;
96
97
                              world\,[\,i\,]\,[\,j\,] \;=\; 0\,;
98
99
                     }
                }
100
            }
102
        }
        if (output==1){
104
            printf("Initial state:\n");
            print_world(world);
106
107
108
        // Create threads and thread info
109
110
        pthread_t thread[nthreads];
        t info threadinfo [nthreads];
        pthread_barrier_init (&barrier, NULL, nthreads);
112
        const int interval = N/nthreads;
113
114
        for (int k=0; k<nthreads; k++)
115
116
        {
            threadinfo[k].threadID = k;
            threadinfo [k]. low = k*interval;
118
            threadinfo [k]. high = (k+1)*interval-1;
119
            threadinfo[k].status = 1;
120
121
            threadinfo[k].timesteps = 10000;
            threadinfo[k].steps = 0;
123
        threadinfo [nthreads -1]. high = N-1;
124
        done = 0;
126
127
         / Run threads
        for (int k=0; k<nthreads; k++)
128
            pthread_create(&thread[k], NULL, thread_func, (void *)&threadinfo[k]);
        for (int k=0; k<nthreads; k++)
            pthread_join(thread[k],NULL);
131
132
        if (threadinfo [nthreads -1]. steps != threadinfo [nthreads -1]. timesteps)
133
134
        {
135
            printf("It took \%d steps to reach the final state\n", threadinfo[nthreads]
        -1].steps);
            if(output==1){
```

```
printf("Final state:\n");
137
                print_world(world);
138
139
       }
140
       else
141
142
       {
            printf("The maximum amount of iterations has been reach.\n");
143
            printf("The problem couldn't be solved.\n");
144
145
146
        // Free allocated memory
147
        for (int i = 0; i < (6*n); i++)
148
149
            free (buffer [i]);
150
        free (buffer);
153
154
   void * thread_func(void *arg)
155
156
       t\_info \ *threadinfo = arg;
157
158
       int low = threadinfo->low;
       int high = threadinfo->high;
159
160
        for (int t=1; t < threadinfo->timesteps; t++)
161
162
163
            pthread_barrier_wait(&barrier);
            \quad \quad \text{for (int } i = low; i <= high; i++)\{
165
                for (int j = 0; j \le N-1; j++){
166
                     if (i > 0){
167
168
                         if (j > 0){
                              \inf (\text{world}[i-1][j-1] == 1)
169
                                  neighbors [i][j] +=1;
171
                          if (j < N-1){
                              \inf (\text{world}[i-1][j+1] == 1)
173
174
                                  neighbors[i][j] +=1;
                         176
177
                    if (i < N-1){
178
179
                         if (j > 0) {
180
                              if (world[i+1][j-1] == 1)
181
                                  neighbors[i][j] +=1;
182
183
                         if (j < N-1){
184
                              if (\text{world}[i+1][j+1] == 1)
185
                                  neighbors [i][j] +=1;
186
187
                         if (world[i+1][j] == 1)
188
                              neighbors [i][j] +=1;
189
190
                     if (j > 0)
191
                         if (world[i][j-1] == 1)
192
                              neighbors [i][j] +=1;
193
194
                     if(j < N-1){
195
                         if (world[i][j+1] == 1)
196
                              neighbors[i][j] +=1;
197
198
                     }
                }
            }
200
201
            202
203
                     if (world[i][j] == 1)
204
                     {
205
                         if (neighbors[i][j] == 2 || neighbors[i][j] == 3)
```

```
207
                                one\_step[i][j] = 1;
                           else
208
209
                                one_step[i][j] = 0;
                      }
210
                      else if (world[i][j] == 0)
211
212
                            if (neighbors[i][j] == 3)
213
214
                                one_step[i][j] = 1;
215
                                one\_step[i][j] = 0;
216
217
                      }
                 }
218
             }
219
220
             pthread_barrier_wait(&barrier);
221
222
223
             for (int i = low; i \le high; i++){
                  for (int j = 0; j \le N-1; j++){
                      if (i > 0){
225
                           if \ (j > 0) \{
226
                                if (one\_step[i-1][j-1] == 1)
227
228
                                     neighbors 2[i][j] +=1;
229
                           if (j < N-1){
230
                                if (one\_step[i-1][j+1] == 1)
231
                                     neighbors_2[i][j] +=1;
232
233
                           if (one_step[i-1][j] == 1)
234
                                neighbors_2[i][j] +=1;
235
                      }
if (i < N-1){
236
237
                           \quad \text{if} \quad (j > 0) \{
238
                                if (one\_step[i+1][j-1] == 1)
239
                                    neighbors_2[i][j] +=1;
240
241
                           if (j < N-1)
242
                                if (one\_step[i+1][j+1] == 1)
243
                                     neighbors_2[i][j] +=1;
244
245
                           if (one\_step[i+1][j] == 1)
246
247
                                neighbors_2[i][j] +=1;
248
249
                       if (j > 0){
                           if (one\_step[i][j-1] == 1)
250
                                neighbors_2[i][j] +=1;
251
                      if(j < N-1)
253
                           if (one_step[i][j+1] == 1)
254
                                neighbors_2[i][j] +=1;
255
257
                  }
             }
258
259
             for (int i = low; i \le high; i++){
260
                  for (int j = 0; j \leq N-1; j++){
261
                      if (one_step[i][j] == 1)
262
263
                           if (neighbors_2[i][j] == 2 || neighbors_2[i][j] == 3)
  two_steps[i][j] = 1;
264
265
                           e\,l\,s\,e
266
                                two\_steps[\,i\,][\,j\,]\ =\ 0\,;
267
                      else if (one_step[i][j] == 0)
269
                           if (neighbors_2[i][j] == 3)
271
                                two\_steps[i][j] = 1;
272
                           else
273
274
                                two\_steps[i][j] = 0;
                      }
275
```

```
277
              }
278
279
              int counter1=0, counter2=0, counter3=0;
              int diff = high - low +1;
280
              \quad \quad \text{for (int } i \ = \ low; \ i \ <= \ high; \ i++)
281
              {
282
                   for (int j = 0; j <= N-1; j++)
283
284
285
                        if (world[i][j] == one_step[i][j])
286
                             counter1++;
287
                        if(world[i][j] == 0)
                             counter 2++;
288
                        if(old[i][j] == two_steps[i][j])
289
                             counter3++;
290
                   }
291
              }
292
293
              if (counter1 = (diff*N))
294
                   threadinfo \rightarrow status = 0;
295
              else if (counter2 == (diff*N))
296
                  threadinfo->status = 0;
297
298
              else if (counter3 == (diff*N))
                  threadinfo \rightarrow status = 0;
299
300
301
              if (threadinfo->status == 0)
302
303
                   done++;
              pthread_barrier_wait(&barrier);
304
305
              if (done = nthreads)
306
                   break;
307
308
              for (int i = low; i \le high; i++)
309
              {
310
                   for (int j = 0; j <= N-1; j++)
311
                        world[i][j] = two_steps[i][j];
312
              }
313
314
              for (int i = low; i \le high; i++)
315
316
              {
317
                   for (int j = 0; j <= N-1; j++)
                        old\,[\,i\,][\,j\,] \ = \ world\,[\,i\,][\,j\,];
318
319
320
              for(int i = low; i \le high; i++)
321
322
              {
                   for (int j = 0; j <= N-1; j++)
323
324
                        neighbors[i][j] = 0;
325
                        neighbors_2[i][j] = 0;
326
327
                   }
              }
328
329
              done = 0;
330
              threadinfo -> steps+=2;
331
332
333
         pthread_exit(NULL);
334
335 }
336
   void print_world(int **world)
337
338
         for (int i = 0; i < N; i++)
339
340
              \begin{array}{lll} \text{for (int } j = 0; \ j < N \ ; \ j+=1) \\ & \text{printf("%d ", world[i][j]);} \end{array}
341
342
              printf("\n");
343
344
         printf("\n");
345
346 }
```

5.4 Matlab code

```
close all;
        clear all;
 2
 3
                                             - Unoptimized code test
 4
 5
        % gameoflife unoptimized.c
        \% \text{ sizes} = [\overline{200} \ 300 \ 400 \ 500]
        \% for each method [-O,-O2,-O3,-Ofast]
        % steps needed [456 508 1878 870 1670]
        size200\_unop = [1.212, 0.421, 0.424, 0.407];
10
       \begin{array}{l} \text{size} 300\_\text{unop} = \begin{bmatrix} 9.317 , & 3.568 , & 3.423 , & 3.003 \end{bmatrix}; \\ \text{size} 400\_\text{unop} = \begin{bmatrix} 7.546 , & 2.987 , & 3.117 , & 2.345 \end{bmatrix}; \\ \text{size} 500\_\text{unop} = \begin{bmatrix} 21.446 , & 8.307 , & 8.816 , & 6.925 \end{bmatrix}; \end{array}
11
12
13
        \begin{array}{ll} times1 = [size200\_unop; \; size300\_unop; \; size400\_unop; \; size500\_unop]; \\ X1 = categorical(\{ `200 `, `300 `, `400 `, `500 `\}); \\ X1 = reordercats(X1, \{ `200 `, `300 `, `400 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500 `, `500
15
16
        figure (1)
18
        b1 = bar(X1, times1);
19
        b1(1). FaceColor = [51/255 \ 255/255 \ 51/255];
        b1(2). FaceColor = \begin{bmatrix} 255/255 & 102/255 & 178/255 \end{bmatrix};
b1(3). FaceColor = \begin{bmatrix} 51/255 & 153/255 & 255/255 \end{bmatrix};
21
        b1(4). FaceColor = [255/255 \ 153/255 \ 51/255];
24
        ylim ([0 22])
         title ('\fontsize {12} Execution times for different compiler flags (Unoptimized)')
        ylabel ('\fontsize {12} Time [s]')
26
                             '\fontsize {12} Size of world N')
        xlabel (
27
                             legend (
28
                               Ofast', 'Location', 'northwest')
                   {10}
29
         grid on
30

    Optimized code test -

31
        % gameoflife_optimized.c
33
        \% \text{ sizes} = [200 \ 300 \ 400 \ 500]
34
        % for each method [-0,-02,-03,-0fast]
        % steps needed [456 508 1878 870 1670]
36
        size200_{op} = [0.496, 0.249, 0.226, 0.242];
37
        size300\_op = [4.209, 1.774, 1.363, 1.486];
38
        size400_{op} = [3.597, 1.724, 1.116, 1.265];

size500_{op} = [10.878, 3.975, 3.256, 3.551];
39
41
        {\tt times2} \ = \ [\, {\tt size200\_op} \, ; \ {\tt size300\_op} \, ; \ {\tt size400\_op} \, ; \ {\tt size500\_op} \, ] \, ;
42
        X2 = categorical({ '200', '300', '400', '500'});
X2 = reordercats(X2,{ '200', '300', '400', '500'});
43
44
        figure (2)
45
46
        b2 = bar(X2, times2);
        b2(1). FaceColor = [51/255 \ 255/255 \ 51/255];
47
        b2(2). FaceColor = [255/255 \ 102/255 \ 178/255];
        b2(3). FaceColor = \begin{bmatrix} 51/255 & 153/255 & 255/255 \end{bmatrix}; b2(4). FaceColor = \begin{bmatrix} 255/255 & 153/255 & 51/255 \end{bmatrix};
49
        ylim ([0 12])
        title ('\fontsize {12} Execution times for different compiler flags (Optimized)')
52
        ylabel ('\fontsize {12} Time [s]')
53
        xlabel ('\fontsize {12} Size of world N')
                             '\fontsize \{10\}No flags','\fontsize \{10\}-O2','\fontsize \{10\}-O3','\fontsize -Ofast','Location','northwest')
        legend (
         grid on
56
57
                                            - Parallel code test
58
59
        \% \text{ sizes} = [200 \ 300 \ 400 \ 500]
        \% for each method [-0,-02,-03,-0fast]
61
        % steps needed [456 508 1878 870 1670]
62
        \begin{array}{l} size200\_p = [0.328\,,\ 0.190\,,\ 0.163\,,\ 0.169];\\ size300\_p = [2.184\,,\ 0.843\,,\ 0.831\,,\ 0.838];\\ size400\_p = [1.663\,,\ 0.664\,,\ 0.593\,,\ 0.615]; \end{array}
64
65
        size500_p = [4.758, 1.838, 1.624, 1.662];
```

```
67
    %for 2 threads
68
    times3 = [size200_p; size300_p; size400_p; size500_p]; X3 = categorical({ '200', '300', '400', '500'});
    X3 = reordercats(X3, \{ 200', 300', 400', 500' \});
71
    figure (3)
    b3 = bar(X3, times3);
73
    b3(1). FaceColor = [51/255 \ 255/255 \ 51/255];
    b3(2). FaceColor = [255/255 \ 102/255 \ 178/255];
75
    b3(3). FaceColor = [51/255 \ 153/255 \ 255/255];
76
    b3(4). FaceColor = [255/255 \ 153/255 \ 51/255];
    ylim ([0 5])
78
    title ('\fontsize {12} Execution times for different compiler flags (Parallel, 2
79
         threads)')
    ylabel('\fontsize{12}Time [s]')
xlabel('\fontsize{12}Size of world N')
80
81
    legend ('\fontsize \{10\}No flags', '\fontsize \{10\}-O2', '\fontsize \{10\}-O3', '\fontsize
82
         {10}-Ofast', 'Location', 'northwest')
    grid on
84
    %-
                     - Thread code test
85
86
    \% \text{ sizes} = [1000] \longrightarrow 2692 \text{ steps}
87
    % for each method [-O3]
    unoptimized = 60.091;
89
    optimized = 25.927;
90
    thread2 = 12.233;
                            \% 189% CPU
    thread4 = 8.953;
                            % 322% CPU
92
    thread8 = 8.557;
                            % 586% CPU
93
    times4 = [unoptimized; optimized; thread2; thread4; thread8];
X4 = categorical({'Serial unop.', 'Serial op.','2 threads','4 threads','8 threads'
95
96
        });
    X4 = reordercats(X4, { 'Serial unop.', 'Serial op.', '2 threads', '4 threads', '8
97
        threads'});
    figure (4)
98
    b4 = bar(X4, times4);
99
    b4.FaceColor = [51/255 \ 255/255 \ 51/255];
100
    ylim([0 62])
101
    title ('\fontsize {12} Execution times for different amounts of threads (size N=1000)'
102
    ylabel(' \setminus fontsize\{12\}Time [s]')
103
    grid on
```

Referenser

 $[1] \quad \text{Andrew Adamatzky. } \textit{Game of Life Cellular Automata}. \text{ Springer London, 2010. } \text{ISBN: } 9781849962162.$